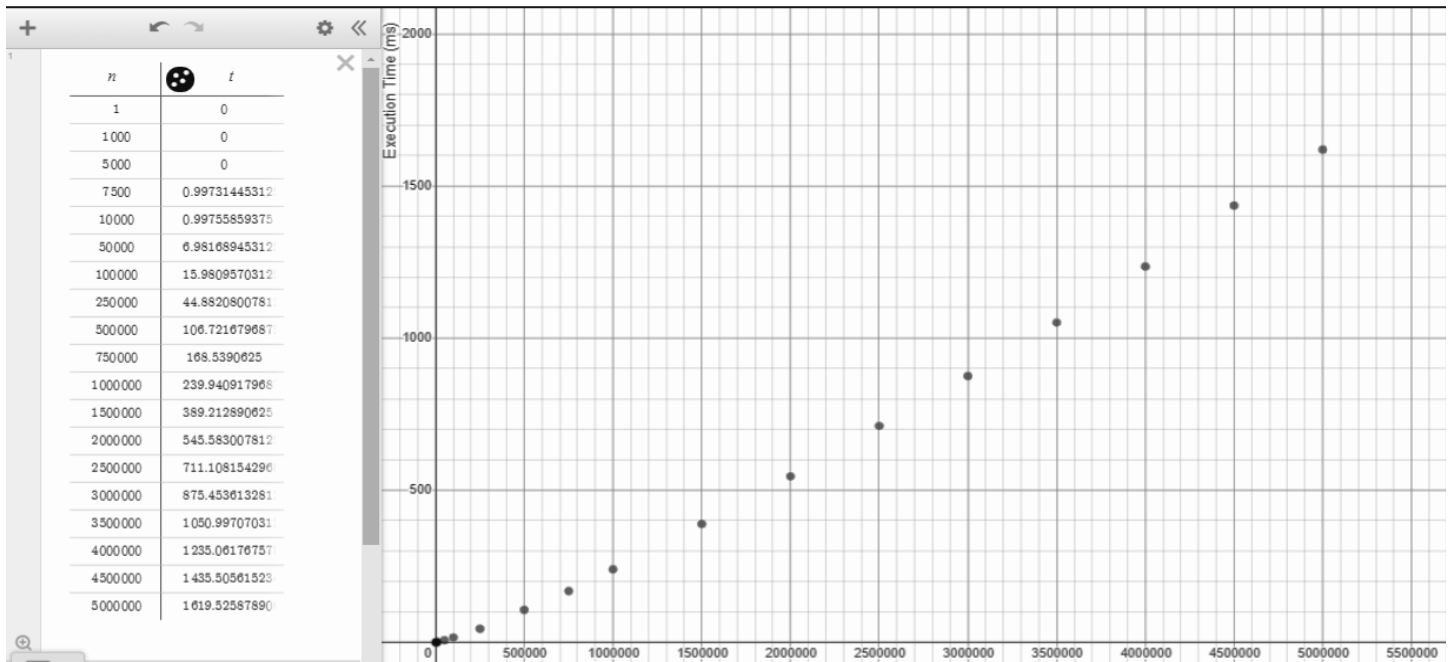
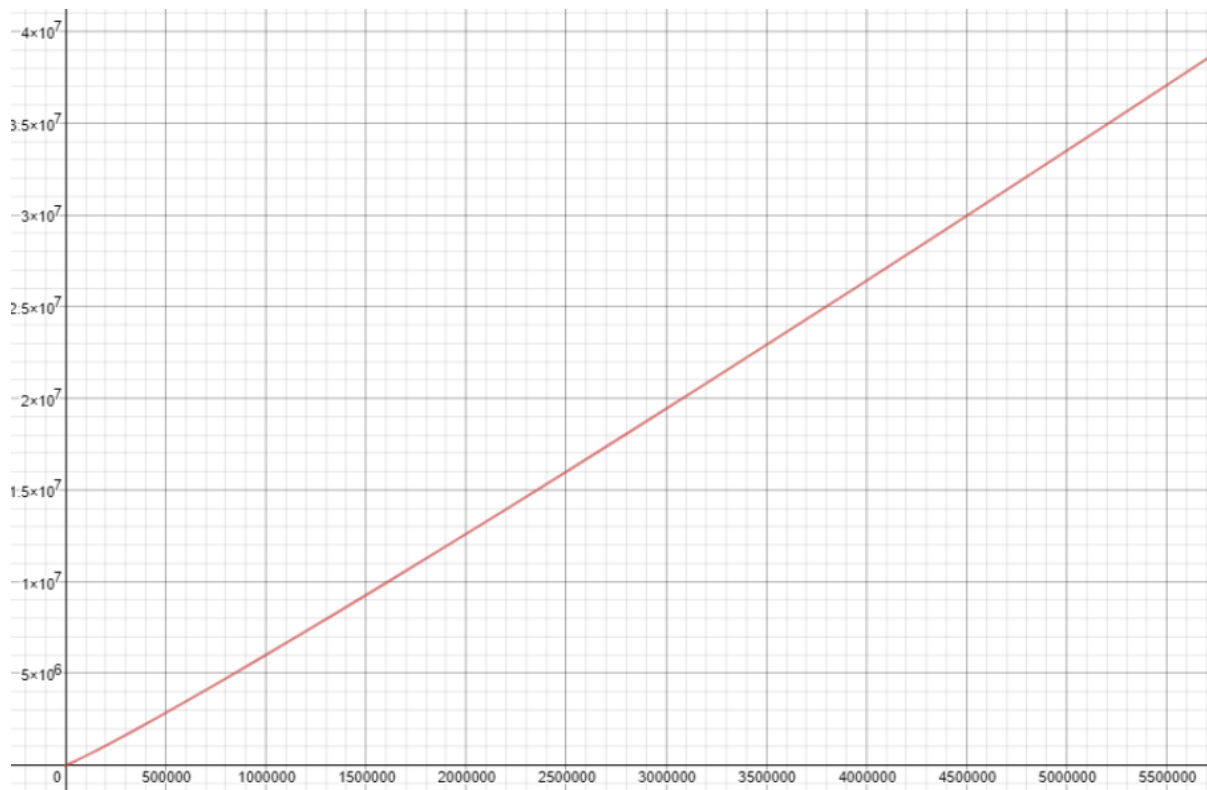


## Problem 1:

Table of Data and Plot for sort-time.py code:



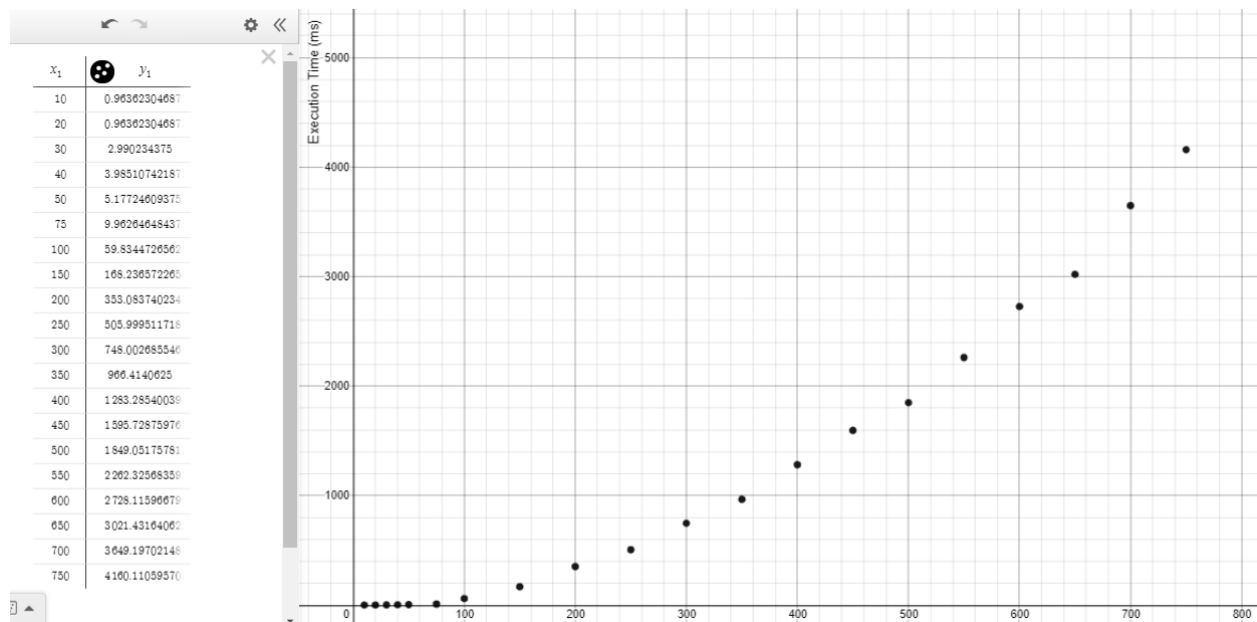
Plot of Upper Bound ( $n \log n$ ):



According to section 3.6, the `sort()` function has a Big-O efficiency and upper bound of  $O(n \log n)$ . Looking at the plot of `sort-time.py` and the upperbound ( $n \log n$ ), you can see a similar shape where it seems to grow a little slower with slower  $n$  values before growing faster with larger  $n$  values. They both look linear after a certain point, but with a zoomed-in view and being closer to zero, it is obvious that there is a curve for both. This confirms they are log linear or  $(n \log n)$ . The big difference is the scale of the graphs over the same interval. When trying to find a line of best fit for my data,  $1/21000(n \log n)$  fit the plot nicely. So, even though the scale of the graph is very different, they have similar growth curves.

## Problem 2:

Plot of Time Taken for Homework 3 Question 2 for  $n$  Sized List:



Based on my code, this takes  $O(n^2)$  time to execute. The plot shows this parabolic curve well in the image above. After seeing how bad the time went up I decided to refine the code to achieve the same result. My original code found every possible combination for 25 when you

only needed to find one. The fix was easy and all I needed to change was putting a return function into the if statement. Included at the bottom of my code is my new function that runs much faster. Below, I have plotted both on the same graph to show the difference. Black dots for the original function and orange for the new function. I believe the time for my new function is logarithmic or  $O(\log n)$ .

