GenABEL tutorial

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1 Introduction

1.1 Overview

GenABEL is an R library developed to facilitate Genome-Wide Association (GWA) analysis of binary and quantitative traits. GenABEL is implemented as an R library. R is a free, open source language and environment for general-purpose statistical analysis (available at http://www.r-project.org/). It implements powerful data management and analysis tools. Though it is not strictly necessary to learn everything about R to run GenABEL, it is highly recommended as this knowledge will improve flexibility and quality of your analysis.

This tutorial was originally written to serve as a set of exercises for the "Advances in population-based studies of complex genetic disorders" (GE03) course of the Netherlands Institute of Health Sciences (Nihes).

If you read this tutorial not as a part of the GE03 course, and you are eager to start with you GWA analysis without reading all the not-so-strictly-necessary staff, start directly from the section 4 ("Phenotypic and genotypic QC").

For the course participants, and the ones who decided to learn all details, be prepared for long exercise. During this exercise you will cover data structures used in GenABEL, and R and GenABEL commands, which are helpful in analysis of GWA data. To make the exercise fast and simple, we will analyse data on small region spanning about 2.5 Mb and containing 833 single-nucleotide polymorphisms (SNPs) only. However, the logic of this exercise is extendible to a whole-genome scan.

Association between several traits (one binary and several quantitative) and SNPs covering the region will be analysed during the exercise.

First, in the section 2 ("Working with gwaa.data-class") you will learn about the gwaa.data-class, which is used to store GWA data in GenaABEL. Next, you will cover some R basics, such as sub-setting of vectors and matrices (section 2.2, "Sub-setting vectors and matrices") and data frames (section 2.3, "Working with data frames"). The last subsection (2.4, "Sub-setting and coercing gwaa.data") of section 2 shows how one can do sub-setting of gwaa.data-class objects. You will need that to manage your data, e.g. select and do some region-specific analyses or perform analyses in subsets of your study population.

In the next section, 3 ("Simple analysis of phenotypic and genotypic data"), you will learn how to use R to do simple analyses (tables, testing distributions, regression...) of your data.

Section 4 ("Phenotypic and genotypic QC") will exemplify basic phenotypic and genotypic Quality Control (QC) procedures implemented in GenABEL.

Section ?? ("??") is the core of the tutorial; it shows how GWA analysis is done using GenABEL.

The last section, 5 ("Analysis of selected region"), is dedicated to analysis of haplotype association and analysis of SNP interactions.

Appendix A oulines the formal step-by-step protocol for GWA analysis. Information on importing the data from different formats to GenABEL is given in appendix B. Answers to exercises are provided in appendix C.

Experienced R users may take the following sequence: start with the next subsection (1.2, "Loading GenABEL and example data") and read general description of the gwaa.data-class (subsection 2.1, "General description of gwaa.data-class"), then jump to the subsection 2.4 ("Sub-setting and coercing gwaa.data"). Skip section 3 ("Simple analysis of phenotypic and genotypic data"), and then continue from section 4 ("Phenotypic and genotypic QC") on.

1.2 Loading GenABEL and example data

Before you can start with the exercise, you need to start R and load GenABEL library using command

> library(GenABEL)

Please mind capital and lower case letters – otherwise the library will not load.

After that, you can load the data with the command

> data(srdta)

If you did everything right, you should be able to inspect the data space with ls() and see the existing data objects:

> ls()

[1] "srdta"

This output says you that one data object, srdta, was loaded.

Summary:

- GenABEL is loaded using command library(GenABEL).
- You can see loaded data objects using command ls().

2 Working with gwaa.data-class

2.1 General description of gwaa.data-class

The object you have loaded, srdta, belongs to the gwaa.data-class. This is a special class developed to facilitate GWA analysis.

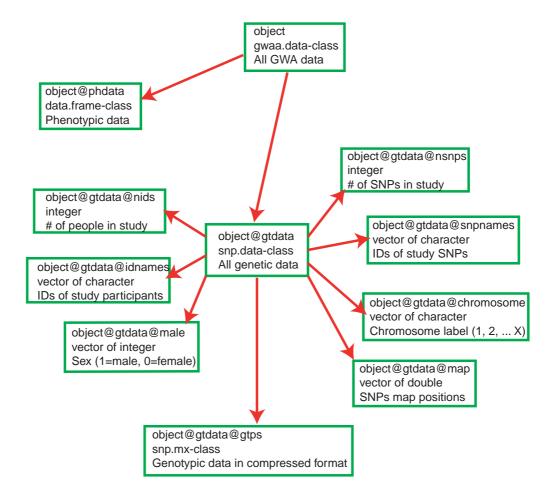


Figure 1: Structure of gwaa.data-class. In every box, first line contains the object and slot names, second line describes the class of this object, and third line describes what information is contained.

In GWA analysis, different types of data are used. These include the phenotypic and genotypic data on the study participants and chromosome and location of every SNP. One could attempt to store all phenotypes and genotypes together in a single table, using, e.g. one row per study subject; than the columns will correspond to study phenotypes and SNPs. For a typical GWA data set, this would lead to a table of few thousands rows and few hundreds of thousands of columns. Such a format is generated when one downloads HapMap data for a region. To store GWA data in such tables internally, within R, proves to be inefficient. In GenABEL, special data class, gwaa.data-class is used to store GWA data. The structure of this data class is shown at the figure 1.

An object of some class has "slots" which may contain actual data or objects of other classes. The information stored at a particular slot of an object can be accessed by command object@slot.

At the first level, a gwaa.data-class object has slot phdata, which contains all phenotypic information in a data frame (data.frame-class object), and slot gtdata, which contains all GWA genetic information in an object of class snp.data-class (figure 1). This class, in turn, has slots nids, containing the number of study subjects, idnames, containing all ID names of these subjects, male, containing the sex code for the subjects (1=male, 0=female), nsnps, containing the number of SNPs typed, snpnames, containing the SNP names, chromosome, containing the name of the chromosome the SNPs belong to and slot map with map position of SNPs.

If you would like to know, how many SNPs were included in the study (slot nsnps of the slot gtdata of srdta), you need to run command

> srdta@gtdata@nsnps

[1] 833

Thus, 833 SNPs were typed in the study. You can access information stored in any slot in this manner.

Before you start with the exercise, you will need to learn about several useful functions. First function, length(A), returns the total length (the number of elements) of vector A. For example, the number of elements in slot snpnames of the slot gtdata of the object srdta must be 833 (because there are 833 SNPs described). To get this result, you can run:

> length(srdta@gtdata@snpnames)

[1] 833

Other useful function taking the sum over all elements of a vector A is sum(A). If there are missing values in A, the sum over non-missing elements may be computed with sum(A,na.rm=TRUE). For example:

```
> a <- c(0, 1, 2)
> sum(a)
[1] 3
> b <- c(0, 1, 2, NA)
> sum(b)
[1] NA
> sum(b, na.rm = T)
[1] 3
```

Function mean(A) returns the mean of the values of A. If there are missing values in A, the mean over non-missing members may be computed with mean(A,na.rm=TRUE). For example:

```
> mean(a)
```

[1] 1

```
> mean(b)
[1] NA
> mean(b, na.rm = T)
[1] 1
```

Meanwhile, we have created new data entries a and b. At any time, you can see all data objects by using ls():

```
> ls()
[1] "a" "b" "srdta"
```

A help page on any of the R functions may be accessed via help(function). For example, to get help on the sum() function, type help(sum). Please check the help on R functions sum() and mean(). You can also read general man page on GenABEL using help(GenABEL). To see help on gwaa.data-class, you can use help("gwaa.data-class") (mind the quotation marks!).

Exercise 1 Explore the content of different slots of srdta.

- 1. How many people are included in the study?
- 2. How many of these are males?
- 3. How many are females?
- 4. What is male proportion?

Summary:

- An object of some class has "slots" which may contain actual data or objects of other classes. The information stored at a particular slot of an object can be accessed by command object@slot.
- GenABEL uses special data class, gwaa.data-class, to store GWA data.
- Function length(A) returns number of elements in A.
- Function sum(A) returns sum of elements in A. Function sum(A,na.rm=TRUE) returns sum of measured elements of A.
- Function mean(A) returns mean of A. Function mean(A,na.rm=TRUE) returns mean of A over the measured elements.

2.2 Sub-setting vectors and matrices

One of the most important data operations in R is *sub-setting*. This refers to operations which help you deriving a subset of data. Let us create a short vector and play a bit with sub-setting. This vector will contain 5 simple character strings:

```
> a <- c("I am element 1", "I am element 2", "I am element 3",
       "I am element 4", "I am element 5")
> a
[1] "I am element 1" "I am element 2" "I am element 3" "I am element 4"
[5] "I am element 5"
   To find out what is the value of the i-th element of this vector, you can
sub-set it by a[i]. For example the 3rd elements is:
> a[3]
[1] "I am element 3"
You can also select bigger sub-sets, e.g. all elements from 2 to 4:
> a[2:4]
[1] "I am element 2" "I am element 3" "I am element 4"
and even get disjoint elements; e.g. if you want to retrieve elements 1, 3, and 5,
you can do
> dje <- c(1, 3, 5)
> dje
[1] 1 3 5
> a[dje]
```

Exercise 2 Explore the gtdata slot of the srdta

1. What is the ID and sex of the first person in the data set?

[1] "I am element 1" "I am element 3" "I am element 5"

- 2. Of the 22nd person?
- 3. How many males are observed among first hundred subjects?
- 4. How many FEMALES are among 4th hundred?
- 5. What is the male proportion in first 1000 people?
- 6. What is the FEMALE proportion in second 1000 (1001:2000) people?
- 7. What is name, chromosome and map position of 33rd maker?
- 8. What is distance between markers 25 and 26? You can directly subtract two numbers in R.

One of very attractive features of R data objects is possibility to derive subsets based on some condition. Let us consider two vectors, tmphgt, containing the height of some subjects, and tmpids, containing their IDs:

```
> tmphgt <- c(150, 175, 182, 173, 192, 168)
> tmphgt
[1] 150 175 182 173 192 168
> tmpids <- c("fem1", "fem2", "man1", "fem3", "man2", "man3")
> tmpids
[1] "fem1" "fem2" "man1" "fem3" "man2" "man3"
```

Imagine you want to derive the IDs of people with height over 170 cm. The way to do it is to combine several steps. First, you can run the logical function >170 on the height data:

```
> vec <- (tmphgt > 170)
> vec
```

[1] FALSE TRUE TRUE TRUE TRUE FALSE

This returns logical vector whose elements are true, when particular element of tmphgt satisfies the condition >170. Such logical vector, in turn, may be applied to sub-set any other vector of the same length¹, including itself. If you want to see what are the heights in people taller than 170 cm, you can use

```
> tmphgt[vec]
```

[1] 175 182 173 192

or you can get IDs of these people with

> tmpids[vec]

[1] "fem2" "man1" "fem3" "man2"

You can combine more than one logical condition to derive sub-sets. For example, to see what are the IDs of people taller than 170 but shorter than 190 cm, you cause

```
> vec <- (tmphgt > 170 & tmphgt < 190)
> vec
```

[1] FALSE TRUE TRUE TRUE FALSE FALSE

> tmpids[vec]

[1] "fem2" "man1" "fem3"

¹Actually, you can apply it to a longer vector too, and then the logical vector will be "expanded" to total length by repeating the original vector head-to-tail. However, we will not use this in our exercises.

Other, and easier² way to do the same is to use which() function. This function reports which elements pass logical condition. To obtain above results you can run:

```
> vec <- which(tmphgt > 170 & tmphgt < 190)
> vec

[1] 2 3 4
> tmpids[vec]

[1] "fem2" "man1" "fem3"

   You can remove tmphgt and tmpids variable so they will not interfere with our future analysis:
> ls()

[1] "a" "b" "dje" "srdta" "tmphgt" "tmpids" "vec"
> rm(tmphgt)
> rm(tmpids)
and check if the removal was successful:
```

Exercise 3 Explore slot containing map (map) and slot containing SNP names (snpnames) of the gtdata slot of srdta.

"srdta" "vec"

- 1. What are names of markers located after 2,490,000 b.p.?
- 2. Between 1,100,000 and 1,105,000 b.p.?

"dje"

> 1s()

Г1] "a"

"b"

Sub-setting for 2D objects (matrices) is done in similar manner. Let us construct a simple matrix and do several sub-setting operations on it:

 $^{^2\}mathrm{Because}$ it treats NAs for you

To obtain the element in the 2nd row and 2nd column

[1] 22

...the second row and third column:

> a[2, 3]

[1] 32

To obtain the 2x2 set of elements contained in upper left corner, you can do

[,1] [,2] [1,] 11 21

[2,] 12 22

Or you can even get the variables, which reside in corners:

[,1] [,2] [1,] 11 31 [2,] 13 33

If one of the dimensions is not specified, complete list is returned for this dimension. For example, here we retrieve the first row

> a[1,]

[1] 11 21 31

...and third column

> a[, 3]

[1] 31 32 33

...or columns 1 and 3:

> a[, c(1, 3)]

[,1] [,2]

[1,] 11 31

[2,] 12 32

[3,] 13 33

As well as with vectors, you can sub-set matrices using logical conditions or indexes. GWA genetic data are stored in matrices, and you can sub-set them using the methods described above.

For example, if we want to see what elements of a are greater than 21, we can run

```
> a > 21
```

```
[,1] [,2] [,3]
[1,] FALSE FALSE TRUE
[2,] FALSE TRUE TRUE
[3,] FALSE TRUE TRUE
or obtain these elements by
> a[a > 21]
[1] 22 23 31 32 33
```

Summary:

- It is possible to get sub-sets of vectors and matrices by specifying index value or a logical condition (of the same length as the vector / matrix) between square brackets ([,])
- When you obtain an element of a matrix with [i,j], i is the row and j is the column of the matrix.
- Function which (A) returns index of the elements of A which are "true".

2.3 Working with data frames

The phenotypic data are stored in the phdata slot, which is a standard R data frame. This could be thought of as a matrix, though it has some extra attractive features. In phenotypic data frame phdata, rows correspond to subjects and columns correspond to variables.

Exercise 4 Explore phdata slot of srdta.

- 1. What is the value of the 4th variable for subject number 75?
- 2. What is the value of variable 1 for person 75? Check what is the value of this variable for the first ten people. Can you guess what variable 1 is?
- 3. What is sum of the variable 2? Can you guess what it is?

The nice feature of data frame is that columns carry names for the variables, and the data stored there can be retrieved by referencing these names. To see what are the variable names, we can run

> names(srdta@phdata)

```
[1] "id" "sex" "age" "qt1" "qt2" "qt3" "bt"
```

These variables correspond to personal ID, sex, age, and three quantitative and one binary traits. A variable from a data frame frame, which has some name name can be accessed through frame\$name. This will return a conventional vector, which may be further sub-setted.

Let us check what are the ID and sex for person 75:

> srdta@phdata\$id[75]

[1] "p75"

> srdta@phdata\$sex[75]

[1] 0

We can also easily check how many people are described in the data set

> length(srdta@phdata\$sex)

[1] 2500

how many of these are males

> sum(srdta@phdata\$sex)

[1] 1275

and what is male sex proportion:

> sum(srdta@phdata\$sex)/length(srdta@phdata\$sex)

[1] 0.51

You can avoid typing long names by "attaching" the data frame to the search path:

> attach(srdta@phdata)

After that, you can access the variables in the data set directly, e.g.

> sum(sex)

[1] 1275

> sum(sex)/length(sex)

[1] 0.51

If you modify a variable in a data frame named say frame, for the changes to take effect, you will need to detach the data frame by detach(frame) and then re-attach it by attach(frame)

As well as with vectors, it is possible to sub-set elements of a data frame based on (a combination of) logical conditions. For example, if we want to check who are the people with qt1 over 2.7, we can run

```
> vec <- which(qt1 > 2.7)
> vec

[1] 44 376 688
> id[vec]

[1] "p44" "p376" "p688"
```

Exercise 5 Explore phdata slot of srdta

- 1. How many people has age over 65 years?
- 2. What is the sex distribution in the people over 65 years old?

Summary:

- A variable with name name from a data frame frame, can be accessed through frame\$name.
- You can attach the data frame to the search path by attach(frame). Then the variables contained in this data frame may be accessed directly.

2.4 Sub-setting and coercing gwaa.data

It is possible to sub-set the object, which stores the GWA data in the manner similar to the described above. You may think of an object of class gwaa.data as a matrix whose rows correspond to study subjects and columns correspond to SNPs studied (though the actual object is a bit more complicated, as you will see soon). For example, if we would like to investigate what is the content of srdta on the first 5 people and 3 SNPs, we can run

```
> ssubs <- srdta[1:5, 1:3]
> ssubs
               qt1
                      qt2 qt3 bt
  id sex age
      1 43.4 -0.58
1 p1
                      4.46 1.43
2 p2
       1 48.2 0.80
                      6.32 3.90
                                1
3 p3
       0 37.9 -0.52
                      3.26 5.05
4 p4
      1 53.8 -1.55 888.00 3.76
      1 47.5 0.25
5 p5
                      5.70 2.89
@nids = 5
```

```
@nsnps = 3
@nbytes = 2
@idnames = p1 p2 p3 p4 p5
@snpnames = rs10 rs18 rs29
@chromosome = 1 1 1
@map = 2500 3500 5750
@male = 1 1 0 1 1
@gtps =
40 40 40
40 40 00
```

As you can see, by sub-setting we obtained a smaller object of gwaa.data-class, with all its slots. Most of the information is straightforward and does not need further explanation.

However, the slot gtps, which actually contain the SNP data, is not readable, because the information is compressed. To get human-readable genotypes, and object of class snp.data-class (e.g. srdta@gtdata) should be coerced to a more readable format. For example, function as.character() will convert the data to character representation:

> as.character(ssubs@gtdata)

```
rs10 rs18 rs29
p1 "A/A" "A/A" "A/A"
p2 "A/A" "A/A" ""
p3 "A/A" "A/A" ""
p4 "A/A" "A/A" ""
p5 "A/A" "A/B" "A/A"
```

Other useful coercion is to "numeric":

> as.numeric(ssubs@gtdata)

```
rs10 rs18 rs29
             0
       0
                   0
p1
       0
             0
p2
                  NA
       0
             0
                  NA
рЗ
p4
       0
             0
                  NA
p5
       0
                   0
             1
```

Genotypic data converted to standard R "numeric" format can be used in any further analysis. Homozygotes of one type are coded as "0", heterozygotes are coded as "1" and other type of homozygotes is coded as "2". You can think of this as the number of allele of "B" type.

Several useful genetic analysis libraries were developed for R. These include genetics (analysis of linkage disequilibrium and many other useful functions) and haplo.stats (analysis of association between traits and haplotypes). These use there own genetic data formats.

One can translate GenABEL genetic data to the format used by "genetics" library by as.genotype():

> as.genotype(ssubs@gtdata)

```
rs10 rs18 rs29
1 A/A A/A A/A
2 A/A A/A <NA>
3 A/A A/A <NA>
4 A/A A/A <NA>
5 A/A A/B A/A
```

To translate $\tt GenABEL$ data to the format used by "haplo.stats" you can use function $\tt as.hsgeno()$

> as.hsgeno(ssubs@gtdata)

	rs10.a1	rs10.a2	rs18.a1	rs18.a2	rs29.a1	rs29.a2
р1	1	1	1	1	1	1
p2	1	1	1	1	NA	NA
рЗ	1	1	1	1	NA	NA
p4	1	1	1	1	NA	NA
р5	1	1	1	2	1	1

Actually, most users will not need the latter function, as GenABEL provides a functional interface to "haplo.stats" (such GenABEL functions as scan.haplo() and scan.haplo.2D()).

It is possible to select sub-sets of gwaa.data-class based not only on index (e.g. first 10 people and SNP number 33), but also based on names.

For example, if we would like to retrieve phenotypic data on people with IDs "p141", "p147" and "p2000", we can use

```
> srdta[c("p141", "p147", "p2000"), ]@phdata
```

```
id sex age qt1 qt2 qt3 bt
141 p141 0 47.2 0.51 5.23 2.17 0
147 p147 0 43.2 0.14 4.47 1.73 0
2000 p2000 0 43.1 -1.53 2.78 2.70 1
```

here, the first part of expression sub-sets srdta on selected IDs, and the second tells which part of the retrieved sub-set we want to see. You can try srdta[c("p141","p147","p2000"),], but be prepared to see long output, as all information will be reported.

In similar manner, we can also select on SNP name. For example, if we are interested to see information on SNPs "rs10" and "rs29" for above people, we can run

```
> srdta[c("p141", "p147", "p2000"), c("rs10", "rs29")]
```

```
id sex age qt1 qt2 qt3 bt
141 p141 0 47.2 0.51 5.23 2.17 0
147 p147 0 43.2 0.14 4.47 1.73 0
2000 p2000 0 43.1 -1.53 2.78 2.70 1
@nids = 3
@nsnps = 2
@nbytes = 1
@idnames = p141 p147 p2000
```

```
@snpnames = rs10 rs29
@chromosome = 1 1
@map = 2500 5750
@male = 0 0 0
@gtps =
40 40
```

The problem is that you get genotypes in a compressed format. To see the actual genotypes, use

> as.numeric(srdta[c("p141", "p147", "p2000"), c("rs10", "rs29")]@gtdata)

```
rs10 rs29
         0
p141
p147
         0
              0
p2000
         1
              1
or
> as.numeric(srdta@gtdata[c("p141", "p147", "p2000"), c("rs10",
      "rs29")])
      rs10 rs29
p141
         0
              0
p147
p2000
         1
              1
```

Exercise 6 Explore genotypes for SNP "rs114".

- 1. What is the frequency of B allele (coded as "1") in total sample?
- 2. What is the frequency of B allele in male?
- 3. What is the frequency of B allele in female?

Summary:

- It is possible to obtain subsets of objects of gwaa.data-class and snp.data-class using standard 2D sub-setting model [i,j], where i corresponds to study subjects and j corresponds to SNPs.
- It is possible to provide ID and SNP names instead of indexes when subsetting an object of class gwaa.data-class.
- Function as.numeric() converts genotypic data from snp.data-class to regular integer numbers, which can be used in analysis with R.

- Function as.character() converts genotypic data from snp.data-class to character format.
- Function as.genotype() converts genotypic data from snp.data-class to the format used by library genetics.
- Function as.hsgeno() converts genotypic data from snp.data-class to the format used by library haplo.stats.

3 Simple analysis of phenotypic and genotypic data

In section 2 ("Working with gwaa.data-class") you have already learned about such useful R functions and length(), sum() and mean(). In this section, we will first learn about other functions which are useful for analysis of binary and quantitative traits, and about regression analysis in R.

3.1 Exploring binary traits

3.2 Exploring quantitative traits

The function summary() generates a summary statistics for an object. For example, to see summary for trait qt1, we can use

> summary(srdta@phdata\$qt1)

```
Min. 1st Qu. Median Mean 3rd Qu. Max. NA's -4.6000 -0.9500 -0.3100 -0.2981 0.3800 3.2000 3.0000
```

With R, it is also easy to explore the data graphically. For example, the histogram for qt1 may be generated by

> hist(srdta@phdata\$qt1)

(resulting histogram is shown at figure 2)

In similar manner, scatter-plots may be generated. To see relation between qt1 and qt3, you can run

> plot(srdta@phdata\$qt1, srdta@phdata\$qt3)

(resulting plot is shown at figure 3)

Exercise 7 Explore variables in phdata slot of srdta

- 1. What is the mean, median, minimum and maximum age in the sample?
- 2. Compare the distribution of qt3 in people younger and older than 65 years. Use function sd(A) to get standard deviation of A.
- 3. Produce distributions of different traits. Do you see something special?

Histogram of srdta@phdata\$qt1

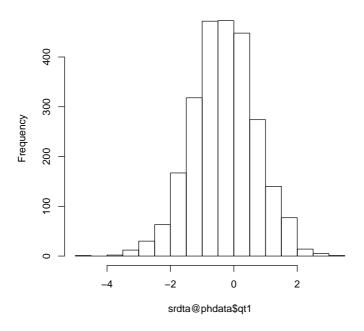


Figure 2: Histogram of qt1

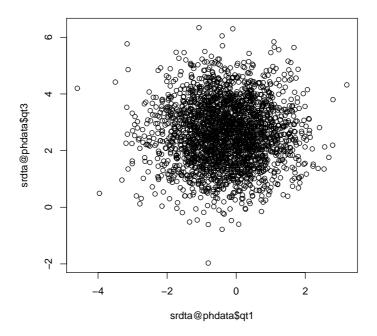


Figure 3: Scatter-plot of qt1 against qt3

3.3 Regression analysis

```
You can do some linear regression to check if trait qt2 has relation with sex and age by
```

```
> summary(glm(srdta@phdata$qt2 ~ srdta@phdata$age + srdta@phdata$sex))
```

Call:

glm(formula = srdta@phdata\$qt2 ~ srdta@phdata\$age + srdta@phdata\$sex)

Deviance Residuals:

```
Min 1Q Median 3Q Max -5.6498 -1.7953 -1.0328 -0.3148 883.0808
```

Coefficients:

```
Estimate Std. Error t value Pr(>|t|)
(Intercept) -1.55892 4.41667 -0.353 0.724
srdta@phdata$age 0.14022 0.08668 1.618 0.106
srdta@phdata$sex 1.30377 1.22393 1.065 0.287
```

(Dispersion parameter for gaussian family taken to be 935.722)

Null deviance: 2340050 on 2499 degrees of freedom Residual deviance: 2336498 on 2497 degrees of freedom

AIC: 24203

Number of Fisher Scoring iterations: 2

You can see that qt2 is not associated with age or sex.

To make easy access to your data (basically, to avoid typing srdta@phdata before every trait name, you may attach the data to the search path:

> attach(srdta@phdata)

```
The following object(s) are masked from srdta@phdata ( position 3 ) :
```

```
age bt id qt1 qt2 qt3 sex
```

Then, the above expression to run linear regression analysis simpifies to:

```
> summary(glm(qt2 ~ age + sex))
```

Call:

```
glm(formula = qt2 ~ age + sex)
```

Deviance Residuals:

```
Min 1Q Median 3Q Max
-5.6498 -1.7953 -1.0328 -0.3148 883.0808
```

Coefficients:

```
0.14022
                        0.08668
                                   1.618
                                            0.106
age
                                            0.287
sex
             1.30377
                        1.22393
                                   1.065
(Dispersion parameter for gaussian family taken to be 935.722)
    Null deviance: 2340050 on 2499 degrees of freedom
Residual deviance: 2336498 on 2497 degrees of freedom
AIC: 24203
Number of Fisher Scoring iterations: 2
  with the same results.
  To figure out if your binary trait (bt) is associated with sex and age, you
need to tell that this is binary trait:
> summary(glm(bt ~ age + sex, family = binomial()))
Call:
glm(formula = bt ~ age + sex, family = binomial())
Deviance Residuals:
                            3Q
            1Q Median
                                    Max
-1.992 -1.091 -0.444
                         1.094
                                  1.917
Coefficients:
             Estimate Std. Error z value Pr(>|z|)
(Intercept) -4.639958
                        0.330519 -14.038 < 2e-16 ***
                        0.006463 13.749 < 2e-16 ***
             0.088860
age
             0.379593
                        0.084138
                                   4.512 6.44e-06 ***
sex
Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
(Dispersion parameter for binomial family taken to be 1)
    Null deviance: 3450.5 on 2488 degrees of freedom
Residual deviance: 3216.5 on 2486 degrees of freedom
  (11 observations deleted due to missingness)
AIC: 3222.5
Number of Fisher Scoring iterations: 4
```

There is strong association between bt and sex and age.

4 Phenotypic and genotypic QC

4.1 Exploring genetic data

Function summary() is the one most useful in genetic data exploration and QC. This function generates some useful summaries for gwaa.data-class:

```
> summary(ssubs)
```

\$phdata

id	sex	age	qt1
Length:5	Min. :0.0	Min. :37.90	Min. :-1.55
Class :character	1st Qu.:1.0	1st Qu.:43.40	1st Qu.:-0.58
Mode :character	Median :1.0	Median :47.50	Median :-0.52
	Mean :0.8	Mean :46.16	Mean :-0.32
	3rd Qu.:1.0	3rd Qu.:48.20	3rd Qu.: 0.25
	Max. :1.0	Max. :53.80	Max. : 0.80
qt2	qt3	bt	
Min. : 3.26	Min. :1.430	Min. :0.0	
1st Qu.: 4.46	1st Qu.:2.890	1st Qu.:1.0	
Median: 5.70	Median :3.760	Median :1.0	
Mean :181.55	Mean :3.406	Mean :0.8	
3rd Qu.: 6.32	3rd Qu.:3.900	3rd Qu.:1.0	
Max. :888.00	Max. :5.050	Max. :1.0	

\$gtdata

	NoMeasured	CallRate	Ų.2	P.11	P.12	P.22	Pexact	Chromosome
rs10	5	1.0	0.0	5	0	0	1	1
rs18	5	1.0	0.1	4	1	0	1	1
rs29	2	0.4	0.0	2	0	0	1	1

In the first section, the summary is generated for phenotypic data. In the second section, summary is generated for genotypic data. Pexact refers to exact P-value for the test of Hardy-Weinberg equilibrium.

As you've seen above, an object of the class gwaa.data-class or snp.data-class is sub-settable in standard manner: [i,j], where i is an index of a study subject and j is an index of a SNP. Importantly, i could be a list of indexes:

```
> vec <- which(age >= 65)
> vec
```

[1] 64 122 186 206 207 286 385 386 492 514 525 536 545 565 613 [16] 632 649 673 701 779 799 981 1008 1131 1186 1223 1281 1383 1471 1489 [31] 1501 1565 1584 1673 1679 1782 1821 1832 1866 1891 1953 2081 2085 2140 2224 [46] 2268 2291 2384 2420 2453

> summary(srdta@gtdata[vec, 1:3])

	NoMeasured	CallRate	Q.2	P.11	P.12	P.22	Pexact	Chromosome
rs10	48	0.96	0.1354167	36	11	1	1.0000000	1
rs18	47	0.94	0.2765957	25	18	4	0.7245853	1
rs29	45	0.90	0.1555556	32	12	1	1.0000000	1

a vector of logical values:

```
> vec <- (age >= 65)
```

> summary(srdta@gtdata[vec, 1:3])

	NoMeasured	${\tt CallRate}$	Q.2	P.11	P.12	P.22	Pexact	Chromosome
rs10	48	0.96	0.1354167	36	11	1	1.0000000	1
rs18	47	0.94	0.2765957	25	18	4	0.7245853	1
rs29	45	0.90	0.1555556	32	12	1	1.0000000	1

a list with IDs of study subjects:

```
> vec <- (age >= 65)
> vec1 <- srdta@gtdata@idnames[vec]</pre>
> vec1
 [1] "p64"
             "p122"
                     "p186"
                             "p206"
                                     "p207"
                                              "p286" "p385"
                                                              "p386"
                             "p545"
            "p525"
                                     "p565"
                                              "p613" "p632"
                                                              "p649"
[10] "p514"
                     "p536"
                                                                      "p673"
[19] "p701" "p779"
                     "p799" "p981"
                                     "p1008" "p1131" "p1186" "p1223" "p1281"
[28] "p1383" "p1471" "p1489" "p1501" "p1565" "p1584" "p1673" "p1679" "p1782"
[37] "p1821" "p1832" "p1866" "p1891" "p1953" "p2081" "p2085" "p2140" "p2224"
[46] "p2268" "p2291" "p2384" "p2420" "p2453"
> summary(srdta@gtdata[vec1, 1:3])
     NoMeasured CallRate
                               Q.2 P.11 P.12 P.22
                                                      Pexact Chromosome
             48
                    0.96 0.1354167
rs10
                                     36
                                          11
                                                 1 1.0000000
rs18
             47
                    0.94 0.2765957
                                     25
                                           18
                                                 4 0.7245853
                                                                      1
                                     32
             45
rs29
                    0.90 0.1555556
                                          12
                                                 1 1.0000000
                                                                      1
```

Exercise 8 Test if Hardy-Weinberg equilibrium holds for the first 10 SNPs

- 1. Total sample
- 2. In cases (bt is 1)
- 3. In controls (bt is 0)

Summary:

- When summary() function is applied to an object of snp.data-class, it return summary statistics, including exact test for Hardy-Weinberg equilibrium.
- Function summary(A) generates some summary statistics for variable A.
- Function sd(A) returns standard deviation of variable A.

4.2 Genotypic QC

Several pieces of information are critical in accessing quality of genetic data. These include SNP call rates (per SNP and per person), distribution of minor allele frequency (MAF) and significance of deviation from Hardy-Weinberg equilibrium (HWE).

Histogram of crate

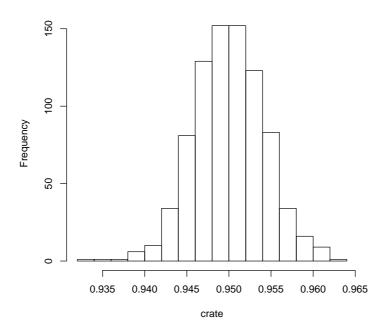


Figure 4: Histogram of the call rate

Based on summary() function described in previous subsection, you can generate distribution of these important characteristics.

Let us analyse the distribution of call rate first. For this, you need to get a vector of call rates:

```
> sumgt <- summary(srdta@gtdata)
> crate <- sumgt[, "CallRate"]</pre>
```

At this point, you can produce a histogram of call rates by

> hist(crate)

The resulting histogram is shown at the figure 4.

As next step, you would like to produce a summary table, showing how many markers had call rate lower than, say, 93%, between 93 and 95%, between 95 and 99% and more than 99%. You can use catable() command for that:

> catable(crate, c(0.93, 0.95, 0.99))

Similar procedure may be applied to see deviation from HWE:

```
> hwp <- sumgt[, "Pexact"]</pre>
> catable(hwp, c((0.05/srdta@gtdata@nsnps), 0.01, 0.05, 0.1))
     X<=6.00240096038415e-05 6.00240096038415e-05<X<=0.01 0.01<X<=0.05
No
                         2.000
                                                        7.000
                                                                     23.000
Prop
                         0.002
                                                        0.008
                                                                       0.028
     0.05 < X < = 0.1
                    X>0.1
           31.000 770.000
No
            0.037
                    0.924
Prop
```

The first cut-off category will detect SNPs which are deviating from HWE at the Bonferoni-corrected P-level.

However, for these data it will make more sense to table cumulative numbers:

> catable(hwp, c((0.05/srdta@gtdata@nsnps), 0.01, 0.05, 0.1), cum = T)

```
X<=6.00240096038415e-05 X<=0.01 X<=0.05 X<=0.1 X>0.1 No 2.000 9.000 32.000 63.000 833 Prop 0.002 0.011 0.038 0.076 1
```

The same logic applies for the MAF distribution. First, derive MAF:

```
> afr <- sumgt[, "Q.2"]
> maf <- pmin(afr, (1 - afr))</pre>
```

Next, you can generate histograms for frequency and MAF:

```
> par(mfcol = c(2, 1))
> hist(afr)
> hist(maf)
```

(shown at the figure 5) and then generate table describing frequency distribution:

```
> catable(afr, c(0.01, 0.05, 0.1, 0.2, 0.5, 0.8, 0.9, 0.95, 0.99))
```

```
X<=0.01 0.01<X<=0.05 0.05<X<=0.1 0.1<X<=0.2 0.2<X<=0.5 0.5<X<=0.8
      22,000
                    53.000
                                99.000
                                           132.000
                                                       313.000
                                                                  187.000
No
Prop
       0.026
                     0.064
                                 0.119
                                             0.158
                                                         0.376
                                                                    0.224
     0.8<X<=0.9 0.9<X<=0.95 0.95<X<=0.99 X>0.99
         18.000
                        8.00
                                     1.000
                                                0
No
                                     0.001
                                                0
Prop
          0.022
                        0.01
```

> catable(maf, c(0, 0.01, 0.05, 0.1, 0.2), cum = T)

```
X<=0 X<=0.01 X<=0.05 X<=0.1 X<=0.2 X>0.2
No 0 22.000 76.000 183.00 333.0 833
Prop 0 0.026 0.091 0.22 0.4 1
```

Note that we used "0" as the first category – this will give you the number of monomorhic SNPs which we recommend to exclude from analysis.

The outliers who have increased average heterozygosity may be suggestive of contaminated DNA samples. For the sake of time, we will demonstrate this procedure using only 100 people from the data set:

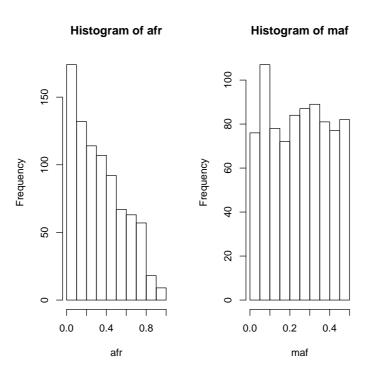


Figure 5: Histogram of the call rate

```
> het <- 1 - (hom(srdta, ids = c(1:100)))[, "Hom"]
> mean(het)
[1] 0.3262500
> catable(het, c(0.1, 0.25, 0.3, 0.35, 0.5))
     X<=0.1 0.1<X<=0.25 0.25<X<=0.3 0.3<X<=0.35 0.35<X<=0.5 X>0.5
Nο
       1.00
                   3.00
                              18.00
                                          47.00
                                                      31.00
       0.01
                   0.03
                               0.18
                                           0.47
                                                       0.31
                                                                 0
Prop
   Other function for genotypic QC is check.marker().
> gQC <- check.marker(srdta, call = 0.95, maf = 0.01, fdrate = 0.05,
     ibs.mrk = 0)
833 markers and 2500 people in total
0 (0%) markers excluded as redundant (option = "no")
22 (2.641056%) markers excluded as having low (<1%) minor allele frequency
387 (46.45858%) markers excluded because of low (<95%) call rate
2 (0.2400960%) markers excluded because they are out of HWE (FDR <5%)
962 (38.48%) people excluded because of low (<95%) call rate
0 (0%) people excluded because too high autosomal heterozygosity (FDR <1%)
Mean autosomal HET was 0.3450885 (s.e. 0.04661912)
In total, 437 (52.46098%) markers passed all criteria
In total, 1538 (61.52%) people passed all criteria
437 markers and 1538 people in total
0 (0%) markers excluded as redundant (option = "no")
0 (0%) markers excluded as having low (<1%) minor allele frequency
3 (0.6864989%) markers excluded because of low (<95%) call rate
0 (0%) markers excluded because they are out of HWE (FDR <5%)
0 (0%) people excluded because of low (<95%) call rate
0 (0%) people excluded because too high autosomal heterozygosity (FDR <1%)
Mean autosomal HET was 0.3457474 (s.e. 0.04576022)
In total, 434 (99.3135%) markers passed all criteria
In total, 1538 (100%) people passed all criteria
RUN 3
434 markers and 1538 people in total
0 (0%) markers excluded as redundant (option = "no")
0 (0%) markers excluded as having low (<1%) minor allele frequency
0 (0%) markers excluded because of low (<95%) call rate
0 (0%) markers excluded because they are out of HWE (FDR <5%)
0 (0%) people excluded because of low (<95%) call rate
0 (0%) people excluded because too high autosomal heterozygosity (FDR <1%)
Mean autosomal HET was 0.3457474 (s.e. 0.04576022)
In total, 434 (100%) markers passed all criteria
In total, 1538 (100%) people passed all criteria
```

> summary(gQC)

```
$`Per-SNP fails statistics`
```

	NoCall	NoMAF	NoHWE	Redundant	Xsnpfail
NoCall	375	15	0	0	0
NoMAF	NA	7	0	0	0
NoHWE	NA	NA	2	0	0
${\tt Redundant}$	NA	NA	NA	0	0
Xsnpfail	NA	NA	NA	NA	0

\$`Per-person fails statistics`

> HWE.show(srdta, snps = gQC\$nohwe)

```
HWE summary for rs73 :
```

```
A/A A/B B/B observed 2331.0000000 44.00000 10.0000000 expected 2321.4293501 63.14130 0.4293501 chi2+ 0.0394573 5.80269 213.3395064 Chi2 = 219.1817; P = 0; exact P = 1.79247e-12
```

HWE summary for rs128 :

```
A/A A/B B/B observed 2.281000e+03 101.000000 9.000000 expected 2.273481e+03 116.038687 1.480657 chi2+ 2.486959e-02 1.949023 38.186115 Chi2 = 40.16001 ; P = 2.339896e-10; exact P = 9.4086e-06
```

Or the same with HWE check only in controls:

```
> gQC <- check.marker(srdta, hweids = (srdta@phdata$bt == 0), call = 0.95, 
+ maf = 0.01, fdrate = 0.05, ibs.mrk = 0)
```

RUN 1

833 markers and 2500 people in total

0 (0%) markers excluded as redundant (option = "no")

- 22 (2.641056%) markers excluded as having low (<1%) minor allele frequency 387 (46.45858%) markers excluded because of low (<95%) call rate
- 2 (0.2400960%) markers excluded because they are out of HWE (FDR <5%)
- 962 (38.48%) people excluded because of low (<95%) call rate
- 0 (0%) people excluded because too high autosomal heterozygosity (FDR <1%) Mean autosomal HET was 0.3450885 (s.e. 0.04661912)

In total, 437 (52.46098%) markers passed all criteria

In total, 1538 (61.52%) people passed all criteria RUN 2 $\,$

437 markers and 1538 people in total

- 0 (0%) markers excluded as redundant (option = "no")
- 0 (0%) markers excluded as having low (<1%) minor allele frequency

- 3 (0.6864989%) markers excluded because of low (<95%) call rate
- 0 (0%) markers excluded because they are out of HWE (FDR <5%)
- 0 (0%) people excluded because of low (<95%) call rate
- 0 (0%) people excluded because too high autosomal heterozygosity (FDR <1%)

Mean autosomal HET was 0.3457474 (s.e. 0.04576022)

In total, 434 (99.3135%) markers passed all criteria

In total, 1538 (100%) people passed all criteria

434 markers and 1538 people in total

- 0 (0%) markers excluded as redundant (option = "no")
- 0 (0%) markers excluded as having low (<1%) minor allele frequency
- 0 (0%) markers excluded because of low (<95%) call rate
- 0 (0%) markers excluded because they are out of HWE (FDR <5%)
- 0 (0%) people excluded because of low (<95%) call rate
- 0 (0%) people excluded because too high autosomal heterozygosity (FDR <1%)

Mean autosomal HET was 0.3457474 (s.e. 0.04576022)

In total, 434 (100%) markers passed all criteria

In total, 1538 (100%) people passed all criteria

> summary(gQC)

\$`Per-SNP fails statistics`

	NoCall	NoMAF	NoHWE	Redundant	Xsnpfail
NoCall	375	15	0	0	0
NoMAF	NA	7	0	0	0
NoHWE	NA	NA	2	0	0
Redundant	NA	NA	NA	0	0
Xsnpfail	NA	NA	NA	NA	0

\$`Per-person fails statistics`

	${\tt IDnoCall}$	HetFail	IBSFail	Xidfail
${\tt IDnoCall}$	962	0	0	0
HetFail	NA	0	0	0
IBSFail	NA	NA	0	0
Xidfail	NA	NA	NA	0

> HWE.show(srdta, snps = gQC\$nohwe)

HWE summary for rs73 :

A/A A/B B/B observed 2331.0000000 44.00000 10.0000000 expected 2321.4293501 63.14130 0.4293501 chi2+ 0.0394573 5.80269 213.3395064 Chi2 = 219.1817 ; P = 0; exact P = 1.79247e-12

HWE summary for rs128 :

A/A A/B B/B
observed 2.281000e+03 101.000000 9.000000
expected 2.273481e+03 116.038687 1.480657
chi2+ 2.486959e-02 1.949023 38.186115
Chi2 = 40.16001; P = 2.339896e-10; exact P = 9.4086e-06

```
Recommended minimal minor allele frequency: no power if results rely on 1 or 2 observations.
```

```
> gQC <- check.marker(srdta, hweids = (srdta@phdata$bt == 0), call = 0.95,
     maf = 3/srdta@gtdata@nids, fdrate = 0.05, ibs.mrk = 0)
RJJN 1
833 markers and 2500 people in total
0 (0%) markers excluded as redundant (option = "no")
2 (0.2400960%) markers excluded as having low (<0.12%) minor allele frequency
387 (46.45858%) markers excluded because of low (<95%) call rate
2 (0.2400960%) markers excluded because they are out of HWE (FDR <5%)
822 (32.88%) people excluded because of low (<95%) call rate
0 (0%) people excluded because too high autosomal heterozygosity (FDR <1%)
Mean autosomal HET was 0.3405364 (s.e. 0.04598493)
In total, 443 (53.18127%) markers passed all criteria
In total, 1678 (67.12%) people passed all criteria
443 markers and 1678 people in total
0 (0%) markers excluded as redundant (option = "no")
0 (0%) markers excluded as having low (<0.12%) minor allele frequency
5 (1.128668%) markers excluded because of low (<95%) call rate
0 (0%) markers excluded because they are out of HWE (FDR <5%)
140 (8.343266%) people excluded because of low (<95%) call rate
0 (0%) people excluded because too high autosomal heterozygosity (FDR <1%)
Mean autosomal HET was 0.3410669 (s.e. 0.04594979)
In total, 438 (98.87133%) markers passed all criteria
In total, 1538 (91.65673%) people passed all criteria
RUN 3
438 markers and 1538 people in total
0 (0%) markers excluded as redundant (option = "no")
0 (0%) markers excluded as having low (<0.12%) minor allele frequency
1 (0.2283105%) markers excluded because of low (<95%) call rate
0 (0%) markers excluded because they are out of HWE (FDR <5%)
0 (0%) people excluded because of low (<95%) call rate
0 (0%) people excluded because too high autosomal heterozygosity (FDR <1%)
Mean autosomal HET was 0.3412714 (s.e. 0.04568035)
In total, 437 (99.77169%) markers passed all criteria
In total, 1538 (100%) people passed all criteria
RUN 4
437 markers and 1538 people in total
0 (0%) markers excluded as redundant (option = "no")
0 (0%) markers excluded as having low (<0.12%) minor allele frequency
0 (0%) markers excluded because of low (<95%) call rate
0 (0%) markers excluded because they are out of HWE (FDR <5%)
0 (0%) people excluded because of low (<95%) call rate
0 (0%) people excluded because too high autosomal heterozygosity (FDR <1%)
Mean autosomal HET was 0.3412714 (s.e. 0.04568035)
In total, 437 (100%) markers passed all criteria
In total, 1538 (100%) people passed all criteria
```

> summary(gQC)

\$`Per-SNP fails statistics`

	NoCall	NoMAF	NoHWE	Redundant	Xsnpfail
NoCall	392	1	0	0	0
NoMAF	NA	1	0	0	0
NoHWE	NA	NA	2	0	0
Redundant	NA	NA	NA	0	0
Xsnpfail	NA	NA	NA	NA	0

\$`Per-person fails statistics`

	IDnoCall	HetFail	IBSFail	Xidfail
${\tt IDnoCall}$	962	0	0	0
HetFail	NA	0	0	0
IBSFail	NA	NA	0	0
Xidfail	NA	NA	NA	0

Note: We do however suggest that only monomorphic SNPs are dropped from future analysis. All polymorphic SNPs are recommended to be taken for further analysis despite of call rate, HWE test, etc. Instead of dropping SNPs/study participants based on statistics, we would rather suggest this data is a guidance for the Laboratory.

4.3 Phenotypic QC

Phenotypic QC is an important part of an association study. You should look if the trait distribution look "reasonable"

5 Analysis of selected region

COMING SOON

5.1 Exploring linkage disequilibrium

Use

> gtforld <- as.genotype(srdta[, 1:5])</pre>

to convert part of your SNPs to genetics format.

Then, you can use

> ld <- LD(gtforld)</pre>

to produce LD summary by the LD() function fo the genetics package. The $r^2{\rm s}$ can be accessed by

> 1d\$"R^2"

	rs10	rs18	rs29	rs65	rs73
rs10	NA	0.3918904	0.9556026	0.05392663	0.001069139
rs18	NA	NA	0.4096792	0.13200275	0.001220258
rs29	NA	NA	NA	0.05638120	0.001151165
rs65	NA	NA	NA	NA	0.012110147
rs73	NA	NA	NA	NA	NA

etc.

5.2 Haplotype analysis

Use

```
> gtforld <- as.hsgeno(srdta[, 1:5])</pre>
```

to convert part of your SNPs to haplo.stats format.

You can also use interface function to do sliding widow analysis

> h2 <- scan.haplo("qt1~CRSNP", srdta, snps = c(1:5))

5.3 Analysis of interactions

See help for scan.haplo.2D and scan.glm.2D

5.4 Exploring public databses

See help for ${\tt show.ncbi}$

A GWA analysis protocol

A.1 Genetic data descriptives and QC

Note: if you working with a data set which is already worked with, the first step must have been already done. Ask for results.

Step 1. Describe the following distributions:

- Call rate per SNP. First, generate a histogram; second, arrange a summary table. Decide on cut-off points for the table based on histogram. Suggested cut-offs (meaningful for Affymetrix) are 0.99, 0.95, 0.93, 0.9.
- Call rate per person. First, generate a histogram; second, arrange a summary table. Decide on cut-off points for the table based on histogram.
- Minor allele frequency (MAF). Generate histogram and table. MAF cutoff points: (monomorphic, MAF \leq 0.01, 0.01 < MAF \leq 0.05, 0.05 < MAF \leq 0.1, 0.1 < MAF \leq 0.2, MAF > 0.2)
- Exact P-value for the test for HWE. Generate QQ-plot and a table. Cutoff points: $(P \le 0.1, P \le 0.05, P \le 0.01, P \le 0.05/(number of SNPs in study))$.
- If you work with a case/control sample, repeat previous analysis for cases and controls separately.
- Generate average within-person heterozygosity by heteroz(); plot the histogram, make a table and check for outliers (at FDR=0.01). These outliers may indicate contaminated DNA samples.
- (not impelemented in GenABEL yet!) Generate genome-wide IBS matrix, and check for outliers. These may indicate people who belong to a different genetic population.

Step 2

- Generate a working subset by excluding monomorphic markers and people with very low call rate
- Pass the list of people with low call rate back to the Lab.

A.2 GWA analysis

Step 1

For binary traits use

- Do case-control GWA analysis using ccfast
- Obtain empirical GW significance using emp.ccfast

For QTs use

- Do QT GWA analysis using qtscore
- Obtain empirical GW significance using emp.qtscore

Step 2

• Allow for covariates in your analysis (use qtscore and emp.qtscore)

Step 3

- For each trait and analysis steps 1 and 2, generate plots showing -log10(P-value), both nominal and empirical. Show tests with 1 d.f. and 2 d.f. on the same plot using different symbols
- Select SNPs of interest. Total number of SNPs selected will depend on your results (definitely, all SNPs hitting 5% GW significance should be on the list, but you may select based on candidate genes or regions, so on.). In any case, think of at least 10 SNPs.
- Select regions of interest (the ones surrounding SNPs of interest). Depending on your population, the regional width should be from 100 Kbp to 1 Mbp. For ERGO take 200 Kbp. For GRIP take 500 Kbp. For ERF take 1 Mbp.

A.3 Regional analyses

Give summary characteristics for each SNP of interest

- Call rate
- Total genotypic distribution
- P-value for the test of HWE (total, and for cases and control separately in case-control design)
- For binary traits: genotypic distributions between cases and controls, crude and adjusted ORs. Also report 95% CI and P-values.
- For quantitative traits: crude trait means per genotype and adjusted means (or effects). Also report s.e.m. and P-values.

For each region of interest:

- Perform 2- and 3-SNP sliding window haplotype analysis using scan.haplo. Do not forget to adjust for covariates if you need to!
- For best slides, generate output with haplo.score. Use simulate=TRUE to obtain empirical significance.
- Generate a plot showing -log10(P-value) for the allelic and genotypic association tests, HWE test -log10(1-MAF) and haplotypic analysis results.
- Analyse association between the trait and haplotypes formed by all pairs of SNPs in the region, using scan.haplo.2D
- For best slides, generate output with haplo.score. Use simulate=TRUE to obtain empirical significance.
- Analyse LD in the region using function LD
- Plot heatmap with results from scan.haplo.2D above and LD below the diagonal.

- Analyse association between the trait and all pairs of SNPs, allowing for interaction (scan.glm.2D).
- Select "best" pairs based on allelic, genotypic, and interaction test P-values. For these, report P-values from allelic, genotypic, and interaction tests. Generate joint genotypic distribution (per case/control), show crude and adjusted OR (P, CI). or means per joint genotype (crude, adjusted, P, CI).
- Plot heatmap with results from scan.glm.2D (total significance above and significance of interaction below the diagonal). Do it for both allelic and genotypic tests.

B Importing data to GenABEL

COMING SOON

C Answers to exercises

C.1Exercise 1: Number of people: > srdta@gtdata@nids [1] 2500 Number of males: > sum(srdta@gtdata@male) [1] 1275 Number of females: > srdta@gtdata@nids - sum(srdta@gtdata@male) [1] 1225 ... or you could get the same answer like this³: > sum(srdta@gtdata@male == 0) [1] 1225 The proportion of males can be computed using above results > sum(srdta@gtdata@male)/srdta@gtdata@nids [1] 0.51 or by using mean() function: > mean(srdta@gtdata@male) [1] 0.51 C.2Exercise 2: For the first person id is "p1" and sex code is 1 (1=male, 2=female) > srdta@gtdata@idnames[1] [1] "p1" > srdta@gtdata@male[1] р1

1

³This is something covered later in the section 2.2 ("Sub-setting vectors and matrices")

For the 22nd person id is "p22" and sex code is 1:

```
> srdta@gtdata@idnames[22]
[1] "p22"
> srdta@gtdata@male[22]
p22
Among first 100 subjects, there are 53 males:
> sum(srdta@gtdata@male[1:100])
[1] 53
Among 4th hundred subjects there are 45 females:
> 100 - sum(srdta@gtdata@male[301:400])
[1] 45
Male proportion among first 1000 people is
> mean(srdta@gtdata@male[1:1000])
[1] 0.508
Female proportion among second 1000 people is
> 1 - mean(srdta@gtdata@male[1001:2000])
[1] 0.476
Name, chromosome and map position of the 33rd marker are:
> srdta@gtdata@snpnames[33]
[1] "rs422"
> srdta@gtdata@chromosome[33]
rs422
  "1"
> srdta@gtdata@map[33]
 rs422
105500
The map positions for and distance between markers 25 and 26 are:
> pos25 <- srdta@gtdata@map[25]</pre>
> pos25
rs365
91250
> pos26 <- srdta@gtdata@map[26]</pre>
> pos26
rs372
92750
> pos26 - pos25
rs372
 1500
```

C.3 Exercise 3:

```
The names of markers located after 2,490,000 b.p. are
```

```
> vec <- (srdta@gtdata@map > 2490000)
```

> srdta@gtdata@snpnames[vec]

```
[1] "rs9273" "rs9277" "rs9279" "rs9283"
```

Between 1,100,000 and 1,105,000 b.p.:

```
> vec <- (srdta@gtdata@map > 1100000 & srdta@gtdata@map < 1105000)
```

> srdta@gtdata@snpnames[vec]

```
[1] "rs4180" "rs4186" "rs4187"
```

C.4 Exercise 4:

Value of the 4th variable of person 75:

> srdta@phdata[75, 4]

Value for the variable 1 is

> srdta@phdata[75, 1]

Also, if we check first 10 elements we see

> srdta@phdata[1:10, 1]

This is personal ID.

The sum for variable 2 is

> sum(srdta@phdata[, 2])

[1] 1275

This is sex variable.

C.5 Exercise 5:

To obtain the number of people with age >65 y.o., you can use any of the following

```
> sum(age > 65)
```

[1] 48

> vec <- which(age > 65)

> length(vec)

```
[1] 48
```

```
To get sex of these people use any of:
```

```
> sx65 <- sex[age > 65]
> sx65

[1] 1 1 0 0 0 0 1 1 1 1 1 0 0 1 1 0 1 1 1 0 0 0 0 1 1 1 1 1 0 1 1 1 1 0 0 0 0 0
[39] 1 0 1 0 0 0 0 1 1 1 1

> sx65 <- sex[vec]
> sx65

[1] 1 1 0 0 0 0 0 1 1 1 1 1 0 0 1 1 0 1 1 1 0 0 0 0 1 1 1 1 1 0 1 1 1 0 0 0 0 0
[39] 1 0 1 0 0 0 0 0 1 1 1
```

Thus, number of males is:

> sum(sx65)

[1] 26

To conclude, the proportion of male is 0.541666666666667 Distribution of qt3 in people younger and older than 65 are:

```
> summary(qt3[vec])
```

```
Min. 1st Qu. Median Mean 3rd Qu. Max. 0.730 2.690 3.480 3.499 4.265 5.840
```

> sd(qt3[vec], na.rm = TRUE)

[1] 1.128701

```
> young <- which(age < 65)
> summary(qt3[young])
```

```
Min. 1st Qu. Median Mean 3rd Qu. Max. NA's -1.97 1.83 2.58 2.59 3.35 6.34 11.00
```

> sd(qt3[young], na.rm = TRUE)

[1] 1.093374

C.6 Exercise 6:

To compute frequency of allele B of SNP "rs114" in total sample, you can go two ways. First, we can try to take a sum of all rs114 genotypes and divide it by twice the number of people:

```
> a <- as.numeric(srdta@gtdata[, "rs114"])
> sum(a)
```

[1] NA

This, however, returns NA, because some of the genotypes are missing. We can deal with this problem by running sum() with the option na.rm=TRUE:

```
> sum(a, na.rm = T)
```

[1] 559

However, now we do not know what was the number of people for whom the genotype was measured!

An easier way would be to compute mean value of rs114 with the mean(...,na.rm=TRUE) function and divide it by 2:

```
> mean(a, na.rm = T)/2
```

[1] 0.116799

To compute frequency of rs114 allele B in males, you can use

```
> amale <- as.numeric(srdta@gtdata[sex == 1, "rs114"])</pre>
```

> mean(amale, na.rm = T)/2

[1] 0.1164216

To compute frequency of rs114 allele B in females, you can use

```
> afemale <- as.numeric(srdta@gtdata[sex == 0, "rs114"])</pre>
```

> mean(afemale, na.rm = T)/2

[1] 0.1171942

Actually, the problem that we do not know how many people are measured, can be easily dealt with. This can be done by using is.na(A) function which returns true when some element of A is not measured. Thus, the number of people with measured genotype for rs114 is

```
> a <- as.numeric(srdta@gtdata[, "rs114"])
> sum(!is.na(a))
```

[1] 2393

And the allele frequency estimate is

```
> sum(a, na.rm = T)/(2 * sum(!is.na(a)))
```

[1] 0.116799

exactly the same as above.

C.7 Exercise 7:

> summary(srdta@phdata\$age)

```
Min. 1st Qu. Median Mean 3rd Qu. Max. 24.10 45.10 50.00 50.04 54.80 71.60
```

The histogram for qt2 looks strange: it seems there are few very strong outliers (figure 6) You can also see that with summary:

> summary(srdta@phdata\$qt2)

```
Min. 1st Qu. Median Mean 3rd Qu. Max. 0.000 4.220 5.045 6.122 5.910 888.000
```

Histogram of srdta@phdata\$qt2

Figure 6: Histogram of qt2

C.8 Exercise 8:

To test for HWE in first 10 SNPs in total sample

> summary(srdta@gtdata[, 1:10])

	${\tt NoMeasured}$	${\tt CallRate}$	Q.2	P.11	P.12	P.22	Pexact	Chromosome
rs10	2384	0.9536	0.13255034	1792	552	40	7.897327e-01	1
rs18	2385	0.9540	0.28029350	1232	969	184	7.608230e-01	1
rs29	2374	0.9496	0.13774221	1763	568	43	7.955141e-01	1
rs65	2378	0.9512	0.71972246	182	969	1227	6.475412e-01	1
rs73	2385	0.9540	0.01341719	2331	44	10	1.792470e-12	1
rs114	2393	0.9572	0.11679900	1868	491	34	7.663683e-01	1
rs128	2391	0.9564	0.02488499	2281	101	9	9.408599e-06	1
rs130	2379	0.9516	0.69377890	222	1013	1144	9.615127e-01	1
rs143	2377	0.9508	0.47728229	655	1175	547	6.512540e-01	1
rs150	2369	0.9476	0.65998312	267	1077	1025	5.518478e-01	1

To test it in cases

> summary(srdta@gtdata[srdta@phdata\$bt == 1, 1:10])

	NoMeasured	CallRate	Q.2	P.11	P.12	P.22	Pexact	Chromosome
rs10	1197	0.9622186	0.13700919	888	290	19	4.635677e-01	1
rs18	1189	0.9557878	0.28511354	605	490	94	7.759191e-01	1
rs29	1176	0.9453376	0.14285714	859	298	19	2.832575e-01	1
rs65	1185	0.9525723	0.72700422	83	481	621	4.647357e-01	1
rs73	1187	0.9541801	0.01053075	1167	15	5	3.988770e-08	1
rs114	1190	0.9565916	0.12184874	918	254	18	8.924018e-01	1
rs128	1183	0.9509646	0.02409129	1129	51	3	2.747904e-02	1
rs130	1188	0.9549839	0.68392256	117	517	554	8.407527e-01	1
rs143	1192	0.9581994	0.48489933	320	588	284	6.848365e-01	1
rs150	1182	0.9501608	0.66624365	127	535	520	5.568363e-01	1

in controls

> summary(srdta@gtdata[srdta@phdata\$bt == 0, 1:10])

	NoMeasured	CallRate	Q.2	P.11	P.12	P.22	Pexact	Chromosome
rs10	1177	0.9453815	0.12744265	897	260	20	7.933317e-01	1
rs18	1185	0.9518072	0.27426160	623	474	88	9.418133e-01	1
rs29	1188	0.9542169	0.13215488	897	268	23	5.288436e-01	1
rs65	1183	0.9502008	0.71344041	98	482	603	8.871139e-01	1
rs73	1188	0.9542169	0.01641414	1154	29	5	6.941219e-06	1
rs114	1192	0.9574297	0.11157718	941	236	15	8.846527e-01	1
rs128	1197	0.9614458	0.02589808	1141	50	6	7.745807e-05	1
rs130	1181	0.9485944	0.70491109	104	489	588	8.887439e-01	1
rs143	1174	0.9429719	0.46805792	334	581	259	8.604122e-01	1
rs150	1176	0.9445783	0.65306122	139	538	499	7.968462e-01	1