On the usage of the geepack

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geepack version 1.3.10 as of 2024-02-01

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1 Introduction

This note contains a few extra examples. We illustrate the usage of a the waves argument and the zcor argument together with a fixed working correlation matrix for the geeglm() function.

1.1 Citing geepack

The primary reference for the geepack package is

Halekoh, U., Højsgaard, S., Yan, J. (2006) The R Package geepack for Generalized Estimating Equations (2006) Journal of Statistical Software https://www.jstatsoft.org/article/view/v015i02

- > library(geepack)
- > citation("geepack")

To cite geepack in publications use:

Højsgaard, S., Halekoh, U. & Yan J. (2006) The R Package geepack for Generalized Estimating Equations Journal of Statistical Software, 15, 2, pp1--11

Yan, J. & Fine, J.P. (2004) Estimating Equations for Association Structures Statistics in Medicine, 23, pp859--880.

Yan, J (2002) geepack: Yet Another Package for Generalized Estimating Equations R-News, 2/3, pp12-14.

```
To see these entries in BibTeX format, use 'print(<citation>, bibtex=TRUE)', 'toBibtex(.)', or set 'options(citation.bibtex.max=999)'.
```

If you use geepack in your own work, please do cite the above reference.

1.2 When do GEE's work best?

- 1. GEEs work best when you have relatively many relatively small clusters of about equal size in your data.
- 2. If all your clusters are of size one you should not use GEEs; if all clusters are of size one a GEE corresponds to a generalized linear model.
- 3. If you only have very few clusters (and in the extreme case only one cluster) you are likely to encounter numerical difficulties.

NOTICE: Care must be taken with respect to the order in which the clusters appear in the dataset. See Section 3 for details.

2 Simulating a dataset

To illustrate the usage of the waves argument and the zcor argument together with a fixed working correlation matrix for the geeglm() we simulate data suitable for a regression model.

	idvar	timeorder	tvar	yvar
1	1	1	-0.1199294	0.7082247
2	1	2	3.0411260	7.1458370
3	1	3	0.5028488	3.3108124
4	1	4	1.7604888	3.8893380
5	1	5	6.1349016	14.2613890
6	2	1	1.2554963	3.4235073
7	2	2	0.6098986	3.9045993
8	2	3	2.8755870	6.0865324
9	2	4	3.9935618	9.7830956
10	2	5	6.0638870	14.0556776

```
11 3 1 1.8977871 5.6986661
12 3 2 3.2235643 6.9993705
```

Notice that clusters of data appear together in simdat and that observations are ordered (according to timeorder) within clusters.

We can fit a model with an AR(1) error structure as

```
> mod1 <- geeglm(yvar~tvar, id=idvar, data=simdat, corstr="ar1")</pre>
> mod1
Call:
geeglm(formula = yvar ~ tvar, data = simdat, id = idvar, corstr = "ar1")
Coefficients:
(Intercept)
                   tvar
  0.6314834
              1.9908676
Degrees of Freedom: 30 Total (i.e. Null); 28 Residual
Scale Link:
                               identity
                              [1] 1.390467
Estimated Scale Parameters:
Correlation: Structure = ar1
                                  Link = identity
Estimated Correlation Parameters:
    alpha
0.6521569
```

Number of clusters: 6 Maximum cluster size: 5

This works because observations are ordered according to time within each subject in the dataset.

3 Using the waves argument

If observatios were not ordered according to cluster and time within cluster we would get the wrong result:

```
> set.seed(123)
> simdatPerm <- simdat[sample(nrow(simdat)),]</pre>
> simdatPerm <- simdatPerm[order(simdatPerm$idvar),]</pre>
> head(simdatPerm)
   idvar timeorder
                          tvar
                                      yvar
3
       1
                 3 0.5028488 3.3108124
5
                 5 6.1349016 14.2613890
4
                 4 1.7604888 3.8893380
       1
1
                 1 -0.1199294
                                0.7082247
2
       1
                 2 3.0411260 7.1458370
                 5 6.0638870 14.0556776
10
```

Notice that in **simdatPerm** data is ordered according to subject but the time ordering within subject is random.

Fitting the model as before gives

```
> mod2 <- geeglm(yvar~tvar, id=idvar, data=simdatPerm, corstr="ar1")</pre>
> mod2
Call:
geeglm(formula = yvar ~ tvar, data = simdatPerm, id = idvar,
    corstr = "ar1")
Coefficients:
(Intercept)
                   tvar
  0.6802353
              2.0048127
Degrees of Freedom: 30 Total (i.e. Null); 28 Residual
Scale Link:
                              identity
Estimated Scale Parameters:
                             [1] 1.38735
Correlation: Structure = ar1
                                 Link = identity
Estimated Correlation Parameters:
    alpha
0.6294383
Number of clusters:
                      6 Maximum cluster size: 5
Likewise if clusters do not appear contigously in data we also get the wrong result
(the clusters are not recognized):
> simdatPerm2 <- simdat[order(simdat$timeorder),]</pre>
> head(simdatPerm2)
   idvar timeorder
                         tvar
                                    yvar
1
      1
               1 -0.1199294 0.7082247
       2
                 1 1.2554963 3.4235073
6
      3
                 1 1.8977871 5.6986661
11
16
       4
                 1 2.1254099 5.4517051
21
       5
                 1 0.5043048 0.7625234
                 1 1.3327271 2.0536935
26
> geeglm(yvar~tvar, id=idvar, data=simdatPerm2, corstr="ar1")
Call:
geeglm(formula = yvar ~ tvar, data = simdatPerm2, id = idvar,
    corstr = "ar1")
Coefficients:
(Intercept)
                   tvar
  0.6935408
            1.9920382
Degrees of Freedom: 30 Total (i.e. Null); 28 Residual
Scale Link:
                              identity
                             [1] 1.386165
Estimated Scale Parameters:
Correlation: Structure = ar1
                                 Link = identity
```

```
Estimated Correlation Parameters:
alpha
Number of clusters:
                      30
                           Maximum cluster size: 1
To obtain the right result we must give the waves argument:
> wav <- simdatPerm$timeorder
 [1] 3 5 4 1 2 5 4 3 2 1 5 4 1 3 2 4 3 5 2 1 2 4 5 3 1 3 2 1 5 4
> mod3 <- geeglm(yvar~tvar, id=idvar, data=simdatPerm, corstr="ar1", waves=wav)
> mod3
Call:
geeglm(formula = yvar ~ tvar, data = simdatPerm, id = idvar,
    waves = wav, corstr = "ar1")
Coefficients:
(Intercept)
  0.6314834
              1.9908676
Degrees of Freedom: 30 Total (i.e. Null); 28 Residual
Scale Link:
                              identity
Estimated Scale Parameters: [1] 1.390467
Correlation: Structure = ar1
                                 Link = identity
Estimated Correlation Parameters:
    alpha
0.6521569
Number of clusters:
                      6 Maximum cluster size: 5
```

4 Using a fixed correlation matrix and the zcor argument

Suppose we want to use a fixed working correlation matrix:

```
[3,] 0.250 0.250 1.000 0.500 0.125
[4,] 0.125 0.125 0.500 1.000 0.125
[5,] 0.125 0.125 0.125 0.125 1.000
```

Such a working correlation matrix has to be passed to geeglm() as a vector in the

```
zcor argument. This vector can be created using the fixed2Zcor() function:
> zcor <- fixed2Zcor(cor.fixed, id=simdatPerm$idvar, waves=simdatPerm$timeorder)
> zcor
 [1] 0.125 0.500 0.250 0.250 0.125 0.125 0.125 0.125 0.125 0.125 0.500 0.125 0.125
[13] 0.125 0.125 0.500 0.125 0.125 0.250 0.250 0.500 0.125 0.125 0.125 0.125
[25] 0.125 0.500 0.125 0.250 0.500 0.250 0.500 0.125 0.125 0.125 0.125 0.250
[37] 0.250 0.125 0.125 0.500 0.125 0.125 0.250 0.500 0.125 0.500 0.125 0.125
[49] 0.125 0.250 0.250 0.250 0.125 0.500 0.500 0.125 0.125 0.125 0.125 0.125
Notice that zcor contains correlations between measurements within the same clus-
ter. Hence if a cluster contains only one observation, then there will be generated
no entry in zcor for that cluster. Now we can fit the model with:
> mod4 <- geeglm(yvar~tvar, id=idvar, data=simdatPerm, corstr="fixed", zcor=zcor)
```

```
> mod4
Call:
geeglm(formula = yvar ~ tvar, data = simdatPerm, id = idvar,
    zcor = zcor, corstr = "fixed")
Coefficients:
(Intercept)
                   tvar
  0.6716075
              1.9854861
Degrees of Freedom: 30 Total (i.e. Null); 28 Residual
Scale Link:
                              identity
Estimated Scale Parameters:
                             [1] 1.388038
Correlation: Structure = fixed
                                   Link = identity
Estimated Correlation Parameters:
alpha:1
```

Number of clusters: 6 Maximum cluster size: 5