Profile Analysis in **R**

version 1.0

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The purpose of this manual is to document the criterion.pattern() and profile.cv() functions presented in Davison and Davenport (2002) and implemented in **R**. This manual begins with a brief introduction to reading data into **R**, then describes the two principal functions and how to use them, and concludes with examples of both functions that replicate the results presented in Davison and Davenport (2002). This manual assumes that the reader is familiar with this article. To more thoroughly understand these functions and their output, the reader should refer to that article.

Functions and arguments that can be sent to **R** are written in **this format** and libraries and references to objects and output are written in *this format*.

1 Reading data into R

There are myriad ways that an applied researcher in education might want to read data into **R**. For the sake of simplicity, I will assume that a researcher is managing their data in **SPSS** and wants to read their data into **R**. There are two principal ways that this could be done. The first is directly through the *foreign* library and the read.spss() function. The second, indirectly, is by exporting ones' data from SPSS to a .csv file and then using the read.csv() function. I will demonstrate both ways.

1.1 Reading SPSS data directly into R via the *foreign* library.

The *foreign* library must be loaded initially and then the read.spss() function needs to be called. This library should be installed by default by **R**. If it is not, then it can be installed by running install.packages("foreign").

```
> library(foreign)
> sack <- read.spss("sackett5.sav",to.data.frame=T,use.value.labels=T)</pre>
```

This assigns the sackett5.sav file to *sack*, you are then able to directly manipulate the data file without needing to rerun the read.spss() function again. The head() command shows the first few records in your data file so that you can verify that the data was imported correctly.

1.2 Reading SPSS data indirectly into R via the read.csv() function.

To use this method it is assumed that you exported your data as a csv file in SPSS. This should be done in SPSS and not in \mathbf{R} .

```
> sack.csv <- read.csv(file = "sackett5.csv")</pre>
```

This assigns the sackett5.csv file to sack.csv for later manipulation. After you have successfully read your data into \mathbf{R} it is useful to save your data file in the native \mathbf{R} file format, Rdata. To do this run the following:

```
> save(sack,file="sack.Rdata")
> load("sack.Rdata")
```

2 Functions

This section documents how to use the two principal functions, criterion.pattern() and profile.cv(). In order to parallel nomenclature already presented in Davison and Davenport (2002), object names are assigned the same names as those used by Davison and Davenport (2002) with the exception of a few objects.

2.1 The criterion.pattern() function

```
criterion.pattern(x,y,k)
```

The criterion.pattern() function requires three arguments: x, y, and k. The argument x corresponds to the predictor variables. This matrix of covariates may be in their own object or in the same object as the dependent variable. The y argument corresponds to the dependent variable. This vector may be in a separate object or in the same object as x. Finally k corresponds to the

scalar constant. It is necessary to supply the criterion.pattern() function with these arguments.

As this function implements all of the algorithms described in Davison and Davenport (2002) with the exception of the cross-validation (provided in profile.cv()) the output is contained within the function is quite exhaustive and the user should refer to that article for more information about how each specific component is calculated.

The default output from criterion.pattern() consists of three parts: The regression weights, the vector of regression weight deviations around the mean bstar, the R^2 for the full model, for the level effect, and for the pattern effect. The default output also includes five F-test on these components: H_o : $R^2_{full} = 0$; H_o : $R^2_{pat} = 0$; H_o : $R^2_{lvl} = 0$; H_o : $R^2_{full} = R^2_{lvl}$; and H_o : $R^2_{full} = R^2_{pat}$.

Additionally output may be called from the criterion.pattern(). This includes the level component (lvl.comp) and the pattern component (pat.comp). lvl.comp provides a vector of scores corresponding to the level component. This is labeled as \mathbf{X}_p in Davison and Davenport (2002). pat.comp provides the matrix of pattern component scores. This is labeled as \mathbf{x}_p in Davison and Davenport (2002). b is a vector that contains the regression weights, this is not the deviation vector around the regression weight mean. The vector containing the regression weight deviations around the regression weight mean corresponds to bstar. This is labeled b^* in Davison and Davenport (2002) but it is programmed as bstar because \mathbf{R} does not allow the use of the * key. xc corresponds to the criterion pattern based on k and can be calculated by multiplying bstar and k. The covariance between the actual predictor scores of person p and their scores in criterion-pattern vector (Covpc) is also available as is the vector of predicted scores, Ypred.

The examples below show how to run the functions, however, I recommend saving the output from the functions to an object so that you can easily retrieve them and in the case of profile.cv() so that results can be replicated. It is also necessary to store the output so that you can call the additional information available in the function.

2.2 The profilecv() function

profilecv(x,y)

The profilecv() function implements the cross-validation technique described in Davison and Davenport (2002). It requires two arguments: x and y. The argument x corresponds to the predictor variables. This matrix of covariates may be in their own object or in the same object as the dependent variable.

The y argument corresponds to the dependent variable. This vector may be in a separate object or in the same object as x. There is no k argument for this function as k is irrelevant to this calculation.

There are five tables provided by this function: A F-table examining the full model, $H_o: R_{full}^2 = 0$; a F-table examining the pattern effect, $H_o: R_{pat}^2 = 0$; a F-table examining the level effect, $H_o: R_{lvl}^2 = 0$; a F-table examining $H_o: R_{full}^2 = R_{lvl}^2$; and a F-table examining $H_o: R_{full}^2 = R_{pat}^2$. Within each of these table are estimates of the proportion of variance accounted for by the model/effect, the F-statistic, the degrees of freedom, and the p-values reported for each random sample. It should be noted that this function will never have the same output twice as each time profile.cv() is called, a new random split is made. If you want to get the same results it is necessary to use the set.seed() function.

Again, it is recommended that you save the output of this function to an object.

3 Examples

To demonstrate the use of the criterion.pattern() and the profilecv() functions, two data sets are provided. The first data set, labeled dd2002.Rdata, can be used to recreate table 1 in Davison and Davenport (2002). The second data set, sack.Rdata, can be used to recreate example 1 using the Sackett data set. The Sackett data set is not in the public domain and can not be shared.

3.1 criterion.pattern()

3.1.1 criterion.pattern() IPMM example

```
Η
Full Model 0.969231
Pattern
         0.969231
         0.000000
Level
            F.statistic df.1 df.2
                                 pvalue
R2full = 0
                         4
                             1 0.260419
                 7.875
R2pat = 0
                 10.500
                         3
                             1 0.222190
R2lvl = 0
                 0.000
                         1
                             1 1.000000
R2full = R2lvl
                 10.500
                         3
                              1 0.222190
R2full = R2pat
                              1 1.000000
                  0.000
                         1
```

> m1 <- criterion.pattern(IPMMc,NP,500)</pre>

Output from these functions are stored in $m\theta$ and m1, respectively. Note that only the output from $m\theta$ is shown. The output from m1 can be easily called by typing m1 in the R-console.

To evaluate what is in the m1 and examine the pattern component (pat.comp).

> str(m1)

```
List of 10
 $ lvl.comp: num [1:6] 58.8 58.8 55 58.8 58.8 ...
 $ pat.comp: num [1:6, 1:4] 16.25 1.25 5 -8.75 -13.75 ...
  ..- attr(*, "dimnames")=List of 2
  ....$ : NULL
  ....$ : chr [1:4] "A" "H" "S" "B"
           : Named num [1:5] 0.5 0.00923 0.02308 -0.00923 -0.02308
  ..- attr(*, "names")= chr [1:5] "(Intercept)" "A" "H" "S" ...
          : Named num [1:4] 0.00923 0.02308 -0.00923 -0.02308
 $ bstar
  ..- attr(*, "names")= chr [1:4] "A" "H" "S" "B"
 $ xc
          : Named num [1:4] 4.62 11.54 -4.62 -11.54
  ..- attr(*, "names")= chr [1:4] "A" "H" "S" "B"
 $ k
          : num 500
          : num [1:6, 1] 57.7 75 49 -57.7 -75 ...
 $ Covpc
         : Named num [1:6] 0.9615 1.1 0.8923 0.0385 -0.1 ...
  ..- attr(*, "names")= chr [1:6] "1" "2" "3" "4" ...
           : num [1:3, 1] 0.97 0.97 0
 $ r2
  ..- attr(*, "dimnames")=List of 2
  ....$ : chr [1:3] "Full Model" "Pattern" "Level"
  .. ..$ : chr "R2"
 $ F.table :'data.frame':
                                 5 obs. of 3 variables:
```

```
[1,] 16.25 1.25 -8.75 -8.75

[2,] 1.25 16.25 -13.75 -3.75

[3,] 5.00 5.00 0.00 -10.00

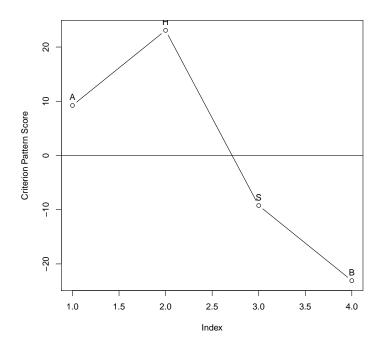
[4,] -8.75 -8.75 16.25 1.25

[5,] -13.75 -3.75 1.25 16.25

[6,] 0.00 -10.00 5.00 5.00
```

To replicate the Figure 1 in Davison and Davenport (2002)

```
> m2 <- criterion.pattern(IPMMc,NP,1000)
> plot(m2$xc, type="b",ylab="Criterion Pattern Score")
> abline(a=0,b=0)
> text(m2$xc,labels(m2$xc), cex=1, pos=3)
```



3.1.2 criterion.pattern() Sackett example

```
## Unfortunately not available to share but include to reproduce Davison & Davenport (2002)
> load("sack.Rdata")
> sack.m <- na.omit(sack)</pre>
> criterion.pattern(x = as.matrix(sack.m[, 2:7]), y = as.matrix(sack.m[,
      1]), k = 100)
 (Intercept)
                                 itheme
                                                             stheme
                                                                          etheme
                    rtheme
                                               atheme
41.449243157 -0.211675068 0.009353870 -0.005280127
                                                       0.308281646
                                                                    0.103993332
      ctheme
-0.083369241
     rtheme
                  itheme
                              atheme
                                           stheme
                                                        etheme
                                                                    ctheme
-0.23189247 \ -0.01086353 \ -0.02549753 \ \ 0.28806424 \ \ 0.08377593 \ -0.10358664
Full Model 0.133327
Pattern
           0.129174
Level
           0.006036
               F.statistic df.1 df.2
                                         pvalue
R2full = 0
                               6 321 0.000000
                   8.230315
```

R2pat = 0	9.523090	5	321 0.000000
R2lvl = 0	1.949263	1	321 0.163631
R2full = R2lvl	9.429267	5	321 0.000000
R2full = R2pat	1.538263	1	321 0.215782

The as.matrix() command is necessary as X and Y are in the same object. Therefore, I am assigning column vectors 2 through 7 to X and column vector 1 to Y. In the first example, $m\theta$, you can see that the predictor variables and the dependent variable are stored in different objects. In both examples, k is assigned on the fly.

As shown in the first example, criterion.pattern() will assume that the first argument you give is for X, the next for Y, and the final argument for k. You do not have to specify these arguments in this order but if you do not specify them in this order then you need to use X= and so on.

3.2 criterion.pattern()

```
> source("criterion_pattern-0.1.R")
> c0 <-profilecv(x=as.matrix(sack.m[,2:7]),y=as.matrix(sack.m[,1]))</pre>
> c0
$R2.full
                     R2 F.statistic df1 df2
                                              pvalue
Random Sample 1 0.129565
                            23.96501 1 161 0.000002
Random Sample 2 0.077396
                            13.50603
                                      1 161 0.000323
$R2.pat
                     R2 F.statistic df1 df2
                                               pvalue
Random Sample 1 0.127511
                            23.67578 1 162 0.000003
                                     1 162 0.000428
Random Sample 2 0.073950
                            12.93650
$R2.1v1
                      R2 F.statistic df1 df2
                                               pvalue
Random Sample 1 0.004617
                            0.751455 1 162 0.387298
Random Sample 2 0.004861
                                       1 162 0.375020
                            0.791322
$R2.full.lvl
                      R2 F.statistic df1 df2
                                               pvalue
                            23.25453 1 162 0.000003
Random Sample 1 0.127511
Random Sample 2 0.073950
                            12.73638
                                      1 162 0.000472
$R2.full.pat
                     R2 F.statistic df1 df2
                                               pvalue
```

4 Additional output from criterion.pattern()

> m1\$lv1.comp

[1] 58.75 58.75 55.00 58.75 58.75 55.00

> m1\$pat.comp

> m1\$b

> m1\$bstar

> m1\$xc

> m1\$k

[1] 500

> m1\$Covpc

```
[,1]
[1,] 57.69231
[2,] 75.00000
[3,] 49.03846
[4,] -57.69231
[5,] -75.00000
[6,] -49.03846
```

> m1\$Ypred

```
1 2 3 4 5 6
0.96153846 1.1000000 0.89230769 0.03846154 -0.10000000 0.10769231
```

> m1\$r2

R2
Full Model 0.969231
Pattern 0.969231
Level 0.000000

> m1\$F.table

	F.statistic	df.1	df.2	pvalue
R2full = 0	7.875			0.260419
R2pat = 0	10.500	3	1	0.222190
R2lvl = 0	0.000	1	1	1.000000
R2full = R2lvl	10.500	3	1	0.222190
R2full = R2pat	0.000	1	1	1.000000

References

Davison, M., & Davenport, E. (2002). Identifying criterion-related patterns of predictor scores using multiple regression. *Psychological Methods*, 7(4), 468–484.