

# Cake Balancing

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**Xyene** wants to bake two cakes to celebrate the new year. Unfortunately, he does not have proper equipment with which to precisely measure ingredients, but since he'll be baking two identical cakes all he needs to measure are two equal amounts of ingredients. Therefore, he's decided to use a weighing scale to measure the ingredients he'll need.

He's placed  $L$  items on the left side of his scale and  $R$  on the right, until he had an **equal** amount (by weight) on both sides. Now, **Xyene** wants to unload the scale, and begin baking! At any step in his unloading process, he may remove any number of items from **one** side of the scale. However, if the scale is ever off balance by more than  $W$  grams, it will tip over, and all the expensive ingredients on it will fall off!

**Xyene** wants to unload the scale in such a way that it never loses balance. If he unloads optimally, how many steps will it take for **Xyene** to completely unload the weighing scale?

## Constraints

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For all cases,  $1 \leq W \leq 10^5$ .

### Subtask 1 [20%]

$$1 \leq L, R \leq 3$$

### Subtask 2 [80%]

$$1 \leq L, R \leq 10$$

## Input Specification

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The first line of input will contain  $L$ ,  $R$  and  $W$ .

The second line of input will contain  $L$  space-separated integers representing the weight of the ingredients on the left side of the balance, with the  $i^{th}$  representing the weight in grams  $W_i$  ( $1 \leq W_i \leq W$ ) of the  $i^{th}$  ingredient.

The third line of input will contain  $R$  space-separated integers representing the right side of the balance, given in the same format as the left side.

## Output Specification

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A single integer, the number of steps required to unload the balance. Since **Xyene** was able to load all the ingredients onto the scale, it is guaranteed that there must exist some way to unload the scale with it maintaining balance.

## Sample Input 1

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```
2 2 2
1 2
2 1
```

## Sample Output 1

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```
3
```

## Explanation

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**Xyene** can start from either side. Starting from the left, he removes **2**. Next, he removes  $[1, 2]$  from the right side, before removing **1** from the left side.

## Sample Input 2

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```
3 2 2
1 1 1
1 2
```

## Sample Output 2

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```
3
```

## Explanation

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**Xyene** removes **2** off of the right side, followed by  $[1, 1, 1]$  from the left side. Finally, he removes **1** from the right side.

## Sample Input 3

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```
2 4 3
1 3
1 1 1 1
```

### Sample Output 3

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3

### Sample Input 4

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```
10 10 10
1 2 3 4 5 6 7 8 9 10
1 2 3 4 5 6 7 8 9 10
```

### Sample Output 4

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7