1 Description of Modifications

Only file $\mathtt{sim-safe.c}$ was modified and all predictors are implemented in this file. When I implemented predictor v, the program used more memory than permitted. Thus predictors i-iv can be run at the same time, but predictor v must be run separately. Switch modes by changing the define on line #349: #define RUN_I_THROUGH_IV true. All changes are in the $\#sim_main$ function, with the exception of the misprediction counters for each predictor, globally defined arrays, and define statements for array dimensions.

Predictor i gets the index value, looks up the last outcome from the bpred_pht_i array as the prediction. Then it replaces the spot in the array with the new outcome.

Predictor ii gets the state (0-3) from the bpred_pht_ii array. If $state \geq 2$, the branch is predicted taken. It increments the state if the outcome is taken and decrements it if not taken (max 4, min 0).

Predictor *iii* uses a 2D array. It gets its prediction by indexing bpred_pht_iii with the index and with last_outcome_iii, which is a value from 0-1. Then it updates the predicted outcome to be the actual outcome, and sets the last_outcome_iii variable to be the outcome of this iteration for the next cycle.

Predictor iv is also a 2d array. However instead of the second index being a value between 0-1, it is a value between 0-15. These 16 instances represent all the possible sequences of history: 0000 (all not taken), 0001 (all but most recent not-taken), etc. Each of these gets a saturating counter that works the same as in predictor ii. To update the history, we shift all bits left to create a spot for our new history entry. We then AND the history with 15 to only retain the last 4 bits. Then if the outcome was taken, we set the most recently added bit to be 1.

Predictor v works in exactly the same way as predictor iv except we retain more history and have less entries in the table. Instead of AND-ing our branch_history_v with 15 to preserve the last 4 bits of history, we and it with $2^{HISTORY_TO_RETAIN}$ to only keep last HISTORY_TO_RETAIN bits of history. In my final submission, the history to retain was 18 instances, corresponding to a value from 0 to 262144. This exceeded the allowable size of an array, so I reduced the number of instances to 512.

2 Interpretation

The trend of prediction accuracy of the different predictors was consistent between all benchmarks. The accuracy of predictors in order from best to worst is:

- 1. 2-bit saturating counter predictor using 4-bits of branch history
- 2. 2-bit predictor with no branch history
- 3. 1-bit predictor with 1-bit of branch history
- 4. 1-bit predictor

When limited to two bits, implementing extra states to store "weakly" taken/not-taken versus "strongly" taken/not-taken information takes priority over branch history. Programs are heavily iterative and the 1-bit predictor will still suffer from 2 mispredictions every loop.

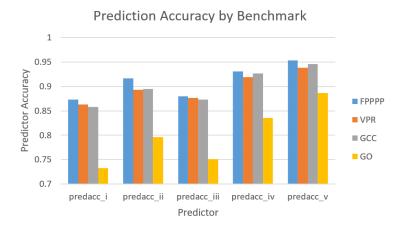


Figure 1: Prediction Accuracy of each Benchmark by Predictor

fpppp has the best performance as FP programs have higher accuracy prediction. FP programs have a higher percentage of taken conditional branches because they have longer looping structures and less if-then-else statements. This higher taken frequency corresponds to higher prediction accuracy (Cheng, 2000).

All predictors have worse performance for the go benchmark. This is because a) go is solely an integer program, and b) go has "many small loops and lots of control flows" (Cheng, 2000), thus branch predictors designed for long loops will perform worse.

In predictor v, I prioritized devoting resources to branch history rather than entries in the bpred_pht_v array. In my final version, I only had 512 entries in the branch predictor, but retained 18 instances of branch history. Beyond 18 states, reducing the number of entries further caused the prediction accuracy began to suffer slightly, as seen in Figure 2.

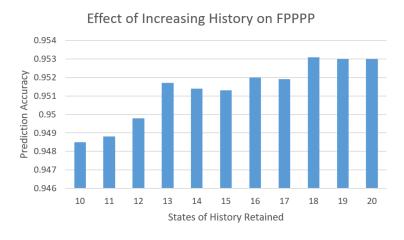


Figure 2: Prediction Accuracy of FPPPP with More Resources Devoted to History

In lecture we learned that a table with 4000 entries has comparable performance to an infinitely sized table. My tests reaffirms that extra entries have diminishing returns. The eventual decrease in accuracy with history may also be influenced by the results of unrelated branches. With larger history, the predictor is more vulnerable to irrelevant noise from uncorrelated branches. This noise means the predictor takes longer to train specific branches (Evers, 2000).

3 Appendix

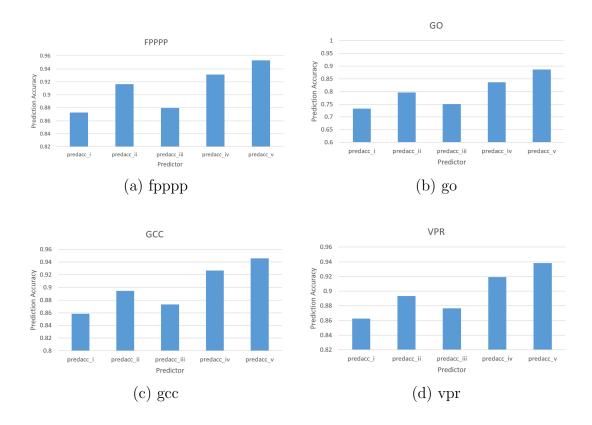


Figure 3: Percentage of Executed Instruction Types by Benchmark

Benchmark	$Predictor_i$	$Predictor_{ii}$	$Predictor_{iii}$	$\operatorname{Predictor}_{\mathrm{iv}}$	$\operatorname{Predictor}_{\operatorname{v}}$
Go	0.7329	0.7963	0.7509	0.8359	0.8865
GCC	0.8584	0.8945	0.8732	0.9267	0.9460
\mathbf{VPR}	0.8627	0.8933	0.8765	0.9193	0.9384
FPPPP	0.8728	0.9164	0.8796	0.9311	0.9531
Mean	0.8317	0.8751	0.8450	0.9032	0.9310

Table 1: Average Accuracy of Different Predictors

References

- Cheng, C.-C. (2000). The schemes and performances of dynamic branch predictors. Technical Report, Berkeley Wireless Research Center.
- Evers, M. (2000). Improving branch prediction by understanding branch behavior (Unpublished doctoral dissertation). University of Michigan.