Departamento de Eletrónica, Telecomunicações e Informática

Mestrado Integrado em Engenharia de Computadores e Telemática

Data Mining assignment of Exploração de Dados (2018/2019)

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## **Credit Card Dataset**

The first dataset used was the one retrieved from the following link: <a href="https://archive.ics.uci.edu/ml/datasets/default+of+credit+card+clients">https://archive.ics.uci.edu/ml/datasets/default+of+credit+card+clients</a> (<a href="https://archive.ics.uci.edu/ml/datasets/default+of+credit+card+clients">https://archive.ics.uci.edu/ml/datasets/default+of+credit+card+clients</a>)

## Task A ¶

On Task A, the project stated that we had to follow the steps:

- 1. Mapping categorial data into numeric data
- 2. Rank features
- 3. Perform dimension reduction (Principal Component Analysis or Kernel Principal Components)

In this dataset, there was no categorical data, which means that the first step was suppressed.

The data was loaded on the **Build table** section. Then, on **Rank features (Univariate Feature Selection)**, we chose a univariate feature selection to find the scores (rank) of the best features, chosen by SelectKBest function.

Finally, we had to perform a dimension reduction on our data. For that, we used the well-known procedure **PCA**. After choosing X as all values of the table and y as the column 23 (the output column), we split X and y into random train and test subsets, standardized the data and only then we applied the PCA to the sets. The scatter plot was computed afterwards, showing the predicted values and with the 2 principal components in the axes.

The output column (Y on the excel), shows information on the client's credibility of payment. If the value is "1", the client is credible, "0" if not.

#### In [1]:

```
#numeric
import numpy as np
import pandas as pd
import xlrd
from pandas import DataFrame, read csv
# graphics
%matplotlib inline
import matplotlib.pyplot as plt
import matplotlib.gridspec as gridspec
#Disable warning
import warnings
warnings.filterwarnings("ignore", category=FutureWarning)
warnings.filterwarnings("ignore", category=DeprecationWarning)
warnings.filterwarnings("ignore", category=RuntimeWarning)
from sklearn.exceptions import DataConversionWarning
warnings.filterwarnings(action='ignore', category=DataConversionWarning)
from distutils.version import LooseVersion as Version
from sklearn import version as sklearn version
from sklearn.feature selection import SelectKBest
from sklearn.feature selection import chi2, mutual info classif, f classif
import numpy
from sklearn.preprocessing import StandardScaler
from sklearn.decomposition import PCA
if Version(sklearn version) < '0.18':</pre>
    from sklearn.cross validation import train test split
else:
    from sklearn.model selection import train test split
```

### **Build table**

#### In [2]:

## Out[2]:

	LIMIT_BAL	SEX	EDUCATION	MARRIAGE	AGE	PAY_0	PAY_2	PAY_3	PAY_4	PA
1	20000	2	2	1	24	2	2	-1	-1	
2	120000	2	2	2	26	-1	2	0	0	
3	90000	2	2	2	34	0	0	0	0	
4	50000	2	2	1	37	0	0	0	0	
5	50000	1	2	1	57	-1	0	-1	0	
6	50000	1	1	2	37	0	0	0	0	
7	500000	1	1	2	29	0	0	0	0	
8	100000	2	2	2	23	0	-1	-1	0	
9	140000	2	3	1	28	0	0	2	0	
10	20000	1	3	2	35	-2	-2	-2	-2	
11	200000	2	3	2	34	0	0	2	0	
12	260000	2	1	2	51	-1	-1	-1	-1	
13	630000	2	2	2	41	-1	0	-1	-1	
14	70000	1	2	2	30	1	2	2	0	
15	250000	1	1	2	29	0	0	0	0	
16	50000	2	3	3	23	1	2	0	0	
17	20000	1	1	2	24	0	0	2	2	
18	320000	1	1	1	49	0	0	0	-1	
19	360000	2	1	1	49	1	-2	-2	-2	
20	180000	2	1	2	29	1	-2	-2	-2	
21	130000	2	3	2	39	0	0	0	0	
22	120000	2	2	1	39	-1	-1	-1	-1	
23	70000	2	2	2	26	2	0	0	2	
24	450000	2	1	1	40	-2	-2	-2	-2	
25	90000	1	1	2	23	0	0	0	-1	
26	50000	1	3	2	23	0	0	0	0	
27	60000	1	1	2	27	1	-2	-1	-1	
28	50000	2	3	2	30	0	0	0	0	
29	50000	2	3	1	47	-1	-1	-1	-1	
30	50000	1	1	2	26	0	0	0	0	
29971	360000	1	1	1	34	-1	-1	-1	0	
29972	80000	1	3	1	36	0	0	0	0	
29973	190000	1	1	1	37	0	0	0	0	
29974	230000	1	2	1	35	1	-2	-2	-2	

	LIMIT_BAL	SEX	EDUCATION	MARRIAGE	AGE	PAY_0	PAY_2	PAY_3	PAY_4	PA
29975	50000	1	2	1	37	1	2	2	2	
29976	220000	1	2	1	41	0	0	-1	-1	
29977	40000	1	2	2	47	2	2	3	2	
29978	420000	1	1	2	34	0	0	0	0	
29979	310000	1	2	1	39	0	0	0	0	
29980	180000	1	1	1	32	-2	-2	-2	-2	
29981	50000	1	3	2	42	0	0	0	0	
29982	50000	1	2	1	44	1	2	2	2	
29983	90000	1	2	1	36	0	0	0	0	
29984	20000	1	2	1	44	-2	-2	-2	-2	
29985	30000	1	2	2	38	-1	-1	-2	-1	
29986	240000	1	1	2	30	-2	-2	-2	-2	
29987	360000	1	1	2	35	-1	-1	-2	-2	
29988	130000	1	1	2	34	0	0	0	0	
29989	250000	1	1	1	34	0	0	0	0	
29990	150000	1	1	2	35	-1	-1	-1	-1	
29991	140000	1	2	1	41	0	0	0	0	
29992	210000	1	2	1	34	3	2	2	2	
29993	10000	1	3	1	43	0	0	0	-2	
29994	100000	1	1	2	38	0	-1	-1	0	
29995	80000	1	2	2	34	2	2	2	2	
29996	220000	1	3	1	39	0	0	0	0	
29997	150000	1	3	2	43	-1	-1	-1	-1	
29998	30000	1	2	2	37	4	3	2	-1	
29999	80000	1	3	1	41	1	-1	0	0	
30000	50000	1	2	1	46	0	0	0	0	
30000	rows × 24 co	olumns	5							•

**Rank features (Univariate Feature Selection)** 

#### In [3]:

```
y=df.as matrix(columns=[df.columns[23]])
X=df.as matrix(columns=df.columns[1:])
#feature extraction (k=number of top features to select)
test = SelectKBest(f_classif, k=4)
fit = test.fit(X, y)
# summarized scores of each feature
numpy.set printoptions(precision=3)
print("Scores of each feature (Credit Card): ")
print(fit.scores )
features = fit.transform(X)
# print the selected features
print("\nSelected features (Credit Card): ")
print(features)
Scores of each feature (Credit Card):
[4.798e+01 2.355e+01 1.778e+01 5.789e+00 3.538e+03 2.239e+03 1.757e+
03
 1.477e+03 1.305e+03 1.085e+03 1.158e+01 6.044e+00 5.944e+00 3.095e+
 1.371e+00 8.658e-01 1.604e+02 1.033e+02 9.522e+01 9.719e+01 9.143e+
01
 8.509e+01
                 infl
Selected features (Credit Card):
[[2 2 -1 1]
 [-1 \ 2 \ 0 \ 1]
 [0 \ 0 \ 0 \ 0]
 [4 3 2 1]
 [1 -1 0 1]
 [0 0 0 1]]
```

## Perform dimension reduction (PCA)

#### In [4]:

```
X_train, X_test, y_train, y_test = \
    train_test_split(X, y, test_size=0.3, random_state=0)
y_train= y_train.astype('int')
y_train= y_train.flatten()
```

#### Standardize the data

```
In [5]:
```

```
sc = StandardScaler()
X_train_std = sc.fit_transform(X_train)
X_test_std = sc.transform(X_test)
```

#### **Apply PCA**

#### In [6]:

```
# Only two components
pca = PCA(n_components=2)
X_train_pca = pca.fit_transform(X_train_std)
X_test_pca = pca.transform(X_test_std)

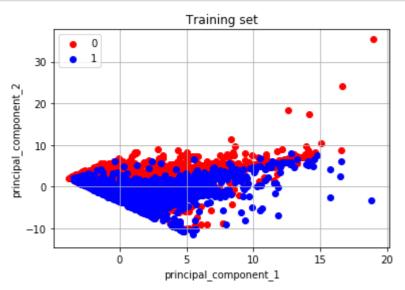
print(X_train_pca)

[[-3.534    2.122]
    [ 0.483    -2.064]
    [-2.542    3.186]
    ...
    [ 0.785    -0.685]
    [-0.49     -0.773]
    [-0.536    -0.628]]
```

#### Compute scatter plot

### In [7]:

```
fig = plt.figure()
ax = fig.add_subplot(1,1,1)
ax.figure
inx =(y_train==0)
inx=inx.ravel()
ax.scatter(X_train_pca[inx,0],X_train_pca[inx,1],marker='o',c='r', label='0')
inx =(y_train==1)
inx=inx.ravel()
ax.scatter(X_train_pca[inx,0],X_train_pca[inx,1],marker='o',c='b', label='1')
ax.set_title("Training set")
ax.set_xlabel('principal_component_1')
ax.set_ylabel('principal_component_2')
ax.legend()
ax.grid()
plt.show()
```



## Task B

On task B, we were tasked with:

- 1. Choosing two of the learning algorithms taught during the lectures and train the model
- 2. Tuning of the hyper-parameters used on the models

For this dataset, after analysing the previous plot, we decided that we would use only non-linear algorithms because:

- Our problem was not linearly separable (as we can see from the above plot).
- Our classification threshold cannot be a line, plane or hyperplane, like on linear methods.
- The dataset has high variance.

The algorithms chosen were two of the ones taught in classes: **SVM** (Support Vector Machine) [1] with rbf kernel and **MLP** (Multilayer Perceptron) [2].

Both algorithms perform binary classification and MLP can perform either classification or regression, depending upon its activation function. We chose "tanh" as the activation function because, in practice, it is usually preferred over Sigmoid function. Non-linear methods transform data to a new representational space (based on a kernel function) and then apply classification techniques to the data.

We obtained a fairly good separation of the two existing classes, on both MLP and SVM. Both models took a higher time to compute than on the linear algorithms, giving us more accurate results.

The two classes shown on the plots are separated by color, being red the value "0", which means "the client is not credible" on the original data and blue the value "1", which means "the client is credible" on the original data.

The algorithms used for classification require the assignment of hyper-parameters, whose values have influence on the performance of the model. In machine learning, hyper-parameter optimization or also known as "tuning" [5] is the search of a set of optimal hyper-parameters for a learning algorithm. With this is mind, we created two functions, **mlp\_tunning** and **svc\_tunning**, which use the search provided by the method **GridSearchCV** to exhaustively generate candidates from a grid of parameter values specified with the param\_grid parameter [3]. The method uses the estimator API of scikit-learn. When "fitting" it on the dataset, all the possible combinations of parameter values are evaluated and the best combination is retained.

Train the model with MLP and SVM algorithms

#### In [8]:

```
#numeric
import numpy as np
import pandas as pd
# graphics
%matplotlib inline
import matplotlib.pyplot as plt
import matplotlib.gridspec as gridspec
from numpy import linalg as LA
from matplotlib.colors import ListedColormap
from sklearn.model selection import GridSearchCV
from scipy.stats import randint as sp randint
from random import uniform
from sklearn.neural network import MLPClassifier
from sklearn.model selection import GridSearchCV
from sklearn.svm import SVC
# function taken from the class guide "Linear models for Classification"
def plot decision regions(X, y, classifier, resolution=0.02):
    # setup marker generator and color map
    markers = ('s', 'x', 'o', '^', 'v')
colors = ('red', 'blue', 'lightgreen', 'gray', 'cyan')
    cmap = ListedColormap(colors[:len(np.unique(y))])
    #plot the decision surface
    x1 \min, x1 \max = X[:, 0].\min() - 1, X[:, 0].\max() + 1
    x2 \min, x2 \max = X[:, 1].\min() - 1, X[:, 1].\max() + 1
    xx1, xx2 = np.meshgrid(np.arange(x1 min, x1 max, resolution), np.arange(x2 m
in, x2 max, resolution))
    Z = classifier.predict(np.array([xx1.ravel(), xx2.ravel()]).T)
    Z = Z.reshape(xx1.shape)
    plt.contourf(xx1, xx2, Z, alpha=0.4, cmap=cmap)
    plt.xlim(xx1.min(), xx1.max())
    plt.ylim(xx2.min(), xx2.max())
    # plot class samples
    for idx, cl in enumerate(np.unique(y)):
        plt.scatter(x=X[y == cl, 0], y=X[y == cl, 1],
            alpha=0.8, c=cmap(idx),marker=markers[idx], label=cl)
```

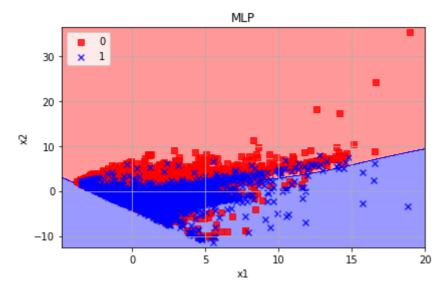
MLP

#### In [14]:

```
# function for tuning the hyper-parameters of the estimator
def mlp_tunning(X_train, y_train, clf):
    parameters = {
    'hidden layer sizes': [(100,)],
    'activation': ['tanh'],
    'alpha': [uniform(0.0001, 0.9)],
    'learning rate': ['constant', 'adaptive'],
    'max iter': [1000,2000,3000,4000,5000] }
    grid search = GridSearchCV(estimator=clf, param grid=parameters, n jobs=-1,s
coring='accuracy', cv=5,)
    grid search.fit(X train, y train)
    best accuracy = grid search.best score
    best parameters = grid search.best params
    print("Best accuracy (MLP): ", best accuracy)
    print("Best parameters (MLP): ", best parameters)
    return best parameters
# uncomment to find the best hyper-parameters
#clf = MLPClassifier()
#best parameters = mlp tunning(X train pca,y train, clf)
('Best accuracy (MLP): ', 0.8211428571428572)
('Best parameters (MLP): ', {'alpha': 0.634770521451485, 'activatio
n': 'tanh', 'max iter': 2000, 'learning rate': 'adaptive', 'hidden l
ayer sizes': (100,)})
```

#### In [16]:

```
mlp = MLPClassifier(activation='tanh', hidden_layer_sizes=(100,),alpha= 0.634770
521451485, learning_rate= 'adaptive', max_iter=2000)
a = np.array(y train)
y_train = a.ravel()
y train = y train.tolist()
a = np.array(y_test)
y_test = a.ravel()
y test = y test.tolist()
mlp.fit(X train pca,y train)
plot_decision_regions(X_train_pca, y_train, classifier=mlp)
plt.xlabel('x1')
plt.ylabel('x2')
plt.legend(loc='upper left')
plt.grid()
plt.title('MLP')
plt.tight_layout()
plt.show()
```



**SVM** 

#### In [18]:

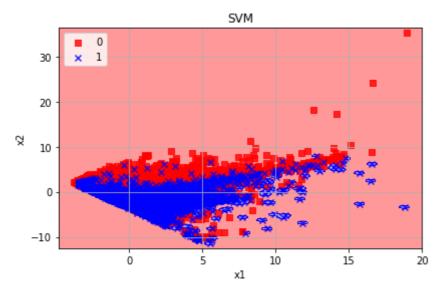
```
# function for tuning the hyper-parameters of the estimator
def svc_tunning(X_train, y_train, clf):
    parameters = [{'C': np.logspace(-3, 2, 6), 'kernel': ['rbf'],
                   'gamma': np.logspace(-3, 2, 6)}]
    grid search = GridSearchCV(estimator=clf, param grid=parameters, n jobs=-1,
scoring='accuracy', cv=5,)
    grid search.fit(X train, y train)
    best accuracy = grid search.best score
    best_parameters = grid_search.best_params_
    print("Best accuracy (SVM): ", best_accuracy)
    print("Best parameters (SVM): ", best_parameters)
    return best parameters
# uncomment to find best hyper-parameters
\#clf = SVC()
#best parameters = svc tunning(X train pca,y train, clf)
('Best accuracy (SVM): ', 0.8674761904761905)
('Best parameters (SVM): ', {'kernel': 'rbf', 'C': 1.0, 'gamma': 10.
```

```
0})
```

#### In [19]:

```
svm=SVC(C=1.0,kernel='rbf',gamma=10.0)
svm.fit(X_train_pca,y_train)

plot_decision_regions(X_train_pca, y_train, classifier=svm)
plt.xlabel('x1')
plt.ylabel('x2')
plt.legend(loc='upper left')
plt.grid()
plt.title('SVM')
plt.tight_layout()
plt.show()
```



# **Adult Dataset**

The second dataset used was the one retrieved from the following link: https://archive.ics.uci.edu/ml/datasets/adult (https://archive.ics.uci.edu/ml/datasets/adult)

## Task A

On Task A, the project stated that we had to follow the steps:

- 1. Mapping categorial data into numeric data
- 2. Rank features
- 3. Perform dimension reduction (Principal Component Analysis or Kernel Principal Components)

The data was loaded on the **Build table** section.

In this dataset, there was categorical data, which means that we had to map that same data into numeric data. That mapping was made with incremental integers.

The data was loaded on the **Build table** section. Then, on **Rank features (Univariate Feature Selection)**, we chose a univariate feature selection to find the scores (rank) of the best features, chosen by SelectKBest function.

Finally, we had to perform a dimension reduction on our data. For that, we used the well-known procedure **PCA**. After choosing X2 as all values of the table and Y2 as the column 15 (the output column), we split X2 and Y2 into random train and test subsets, standardized the data and only then we applied the PCA to the sets. The scatter plot was computed afterwards, showing the predicted values and with the 2 principal components in the axes.

The output column (last column on the .txt file), as information about wether the income of a person exceeds \$50K/yr (">50K") or not ("<=50K").

## In [20]:

```
#numeric
import numpy as np
import pandas as pd
import xlrd
from pandas import DataFrame, read csv
# graphics
%matplotlib inline
import matplotlib.pyplot as plt
import matplotlib.gridspec as gridspec
#Disable warning
import warnings
warnings.filterwarnings("ignore", category=FutureWarning)
warnings.filterwarnings("ignore", category=DeprecationWarning)
warnings.filterwarnings("ignore", category=RuntimeWarning)
from sklearn.exceptions import DataConversionWarning
warnings.filterwarnings(action='ignore', category=DataConversionWarning)
from distutils.version import LooseVersion as Version
from sklearn import __version__ as sklearn_version
from sklearn.feature selection import SelectKBest
from sklearn.feature selection import chi2, mutual info classif
import numpy
```

## **Build table**

### In [22]:

## Mapping categorical data into numeric data

#### In [23]:

```
workclass map = {'Private': 1,'Self-emp-not-inc': 2,'Self-emp-inc': 3,'Federal-g
ov': 4,'Local-gov': 5,
                                'State-gov': 6, 'Without-pay': 7, 'Never-worked': 8
}
education map = {'Bachelors': 1,'Some-college': 2,'11th': 3,'HS-grad': 4,'Prof-s
chool': 5,
                                  'Assoc-acdm': 6, 'Assoc-voc': 7, '9th': 8, '7th-8t
h': 9,'12th': 10,'Masters': 11,
                                  '1st-4th': 12,'10th': 13,'Doctorate': 14,'5th-6
th': 15. 'Preschool': 16}
marital map = {'Married-civ-spouse': 1, 'Divorced': 2, 'Never-married': 3, 'Separat
ed': 4,
                                    'Widowed': 5, 'Married-spouse-absent': 6, 'Marr
ied-AF-spouse': 7}
occupation map = {'Tech-support': 1,'Craft-repair': 2,'Other-service': 3,'Sales'
: 4,
                                 'Exec-managerial': 5, 'Prof-specialty': 6, 'Handle
rs-cleaners': 7,
                                 'Machine-op-inspct': 8, 'Adm-clerical': 9, 'Farmin
g-fishing': 10,
                                 'Transport-moving': 11, 'Priv-house-serv': 12, 'Pr
otective-serv': 13,
                                 'Armed-Forces': 14}
relationship map = {'Wife': 1,'Own-child': 2,'Husband': 3,'Not-in-family': 4,
                                       'Other-relative': 5, 'Unmarried': 6}
race map = {'White': 1,'Asian-Pac-Islander': 2,'Amer-Indian-Eskimo': 3,'Other':
4, 'Black': 5}
sex map = {'Female': 1,'Male': 2}
country_map = {'United-States': 1,'Cambodia': 2,'England': 3,'Puerto-Rico': 4,
                                    'Canada': 5, 'Germany': 6, 'Outlying-US(Guam-US
VI-etc)': 7,'India': 8,
                                    'Japan': 9, 'Greece': 10, 'South': 11, 'China':
12, 'Cuba': 13, 'Iran': 14,
                                    'Honduras': 15, 'Philippines': 16, 'Italy': 17,
'Poland': 18, 'Jamaica': 19,
                                    'Vietnam': 20, 'Mexico': 21, 'Portugal': 22, 'Ir
eland': 23, 'France': 24,
                                    'Dominican-Republic': 25, 'Laos': 26, 'Ecuador'
: 27, 'Taiwan': 28, 'Haiti': 29,
                                    'Columbia': 30, 'Hungary': 31, 'Guatemala': 32,
'Nicaragua': 33, 'Scotland': 34,
                                    'Thailand': 35, 'Yugoslavia': 36, 'El-Salvador'
: 37, 'Trinadad&Tobago': 38,
                                    'Peru': 39, 'Hong': 40, 'Holand-Netherlands': 4
1}
probability map = {'<=50K': 1, '>50K' : 2}
data['workclass'] = data['workclass'].map(workclass map)
data['education'] = data['education'].map(education_map)
data['marital-status'] = data['marital-status'].map(marital map)
data['occupation'] = data['occupation'].map(occupation map)
```

```
data['relationship'] = data['relationship'].map(relationship_map)
data['race'] = data['race'].map(race_map)
data['sex'] = data['sex'].map(sex_map)
data['native-country'] = data['native-country'].map(country_map)
data['probability-label'] = data['probability-label'].map(probability_map)

#Drop rows with NaN values
data = data.dropna(how="any")
data
```

## Out[23]:

	age	workclass	fnlwgt	education	education- num	marital- status	occupation	relationship	rac
0	39	6.0	77516	1	13	3	9.0	4	
1	50	2.0	83311	1	13	1	5.0	3	
2	38	1.0	215646	4	9	2	7.0	4	
3	53	1.0	234721	3	7	1	7.0	3	
4	28	1.0	338409	1	13	1	6.0	1	
5	37	1.0	284582	11	14	1	5.0	1	
6	49	1.0	160187	8	5	6	3.0	4	
7	52	2.0	209642	4	9	1	5.0	3	
8	31	1.0	45781	11	14	3	6.0	4	
9	42	1.0	159449	1	13	1	5.0	3	
10	37	1.0	280464	2	10	1	5.0	3	
11	30	6.0	141297	1	13	1	6.0	3	
12	23	1.0	122272	1	13	3	9.0	2	
13	32	1.0	205019	6	12	3	4.0	4	
15	34	1.0	245487	9	4	1	11.0	3	
16	25	2.0	176756	4	9	3	10.0	2	
17	32	1.0	186824	4	9	3	8.0	6	
18	38	1.0	28887	3	7	1	4.0	3	
19	43	2.0	292175	11	14	2	5.0	6	
20	40	1.0	193524	14	16	1	6.0	3	
21	54	1.0	302146	4	9	4	3.0	6	
22	35	4.0	76845	8	5	1	10.0	3	
23	43	1.0	117037	3	7	1	11.0	3	
24	59	1.0	109015	4	9	2	1.0	6	
25	56	5.0	216851	1	13	1	1.0	3	
26	19	1.0	168294	4	9	3	2.0	2	
28	39	1.0	367260	4	9	2	5.0	4	
29	49	1.0	193366	4	9	1	2.0	3	
30	23	5.0	190709	6	12	3	13.0	4	
31	20	1.0	266015	2	10	3	4.0	2	
32526	32	1.0	211349	13	6	1	11.0	3	
32527	22	1.0	203715	2	10	3	9.0	2	
32528	31	1.0	292592	4	9	1	8.0	1	
32529	29	1.0	125976	4	9	4	4.0	6	
32532	34	1.0	204461	14	16	1	6.0	3	

	age	workclass	fnlwgt	education	education- num	marital- status	occupation	relationship	rac		
32533	54	1.0	337992	1	13	1	5.0	3			
32534	37	1.0	179137	2	10	2	9.0	6			
32535	22	1.0	325033	10	8	3	13.0	2			
32536	34	1.0	160216	1	13	3	5.0	4			
32537	30	1.0	345898	4	9	3	2.0	4			
32538	38	1.0	139180	1	13	2	6.0	6			
32540	45	6.0	252208	4	9	4	9.0	2			
32543	45	5.0	119199	6	12	2	6.0	6			
32544	31	1.0	199655	11	14	2	3.0	4			
32545	39	5.0	111499	6	12	1	9.0	1			
32546	37	1.0	198216	6	12	2	1.0	4			
32547	43	1.0	260761	4	9	1	8.0	3			
32548	65	2.0	99359	5	15	3	6.0	4			
32549	43	6.0	255835	2	10	2	9.0	5			
32550	43	2.0	27242	2	10	1	2.0	3			
32551	32	1.0	34066	13	6	1	7.0	3			
32552	43	1.0	84661	7	11	1	4.0	3			
32553	32	1.0	116138	11	14	3	1.0	4			
32554	53	1.0	321865	11	14	1	5.0	3			
32555	22	1.0	310152	2	10	3	13.0	4			
32556	27	1.0	257302	6	12	1	1.0	1			
32557	40	1.0	154374	4	9	1	8.0	3			
32558	58	1.0	151910	4	9	5	9.0	6			
32559	22	1.0	201490	4	9	3	9.0	2			
32560	52	3.0	287927	4	9	1	5.0	1			
30162	30162 rows × 15 columns										

**Rank features (Univariate Feature Selection)** 

#### In [24]:

```
array = data.values
X2 = array[:, 0:15]
Y2 = array[:,14]
#feature extraction (k=number of top features to select)
test = SelectKBest(score func=chi2, k=4)
fit = test.fit(X2, Y2)
# summarized scores of each feature
np.set printoptions(precision=3)
print("Scores of each feature (Adult): ")
print(fit.scores )
features = fit.transform(X2)
print("\nSelected features (Adult): ")
print(features)
Scores of each feature (Adult):
[7.928e+03 2.723e+02 1.423e+05 7.424e+00 2.178e+03 2.888e+03 9.492e+
4.313e+02 2.759e+02 1.852e+02 7.413e+07 1.256e+06 5.569e+03 1.349e+
03
4.515e+03]
Selected features (Adult):
[[3.900e+01 7.752e+04 2.174e+03 0.000e+00]
 [5.000e+01 8.331e+04 0.000e+00 0.000e+00]
 [3.800e+01 2.156e+05 0.000e+00 0.000e+00]
 [5.800e+01 1.519e+05 0.000e+00 0.000e+00]
 [2.200e+01 2.015e+05 0.000e+00 0.000e+00]
 [5.200e+01 2.879e+05 1.502e+04 0.000e+00]]
```

## Perform dimension reduction (PCA)

## In [25]:

```
from distutils.version import LooseVersion as Version
from sklearn import __version__ as sklearn_version
from sklearn.decomposition import PCA
from sklearn.preprocessing import StandardScaler
if Version(sklearn_version) < '0.18':
    from sklearn.cross_validation import train_test_split
else:
    from sklearn.model_selection import train_test_split</pre>
```

#### Prepare data for classification task

### In [26]:

```
X_train, X_test, y_train, y_test = \
    train_test_split(X2, Y2, test_size=0.3, random_state=0)
y_train= y_train.astype('int')
y_train= y_train.flatten()
```

#### Standardize the data

### In [27]:

```
sc = StandardScaler()
X_train_std = sc.fit_transform(X_train)
X_test_std = sc.transform(X_test)
```

### **Applying PCA**

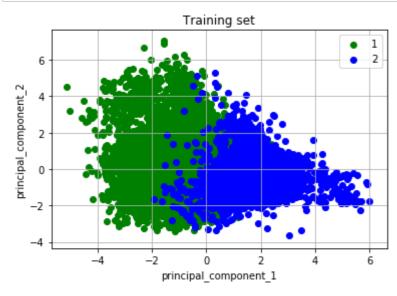
### In [28]:

```
pca = PCA(n_components=2)
pc_X = pca.fit_transform(X_train_std)
pc_Xt = pca.transform(X_test_std)
```

## **Compute plot**

#### In [29]:

```
# label 1 = below 50K
# label 2 = above 50K
fig = plt.figure()
ax = fig.add subplot(1,1,1)
ax.figure
inx =(y train==1)
inx=inx.ravel()
ax.scatter(pc_X[inx,0],pc_X[inx,1],marker='o',c='g', label='1')
inx =(y_train==2)
inx=inx.ravel()
ax.scatter(pc X[inx,0],pc X[inx,1],marker='o',c='b', label='2')
ax.set_title("Training set")
ax.set_xlabel('principal_component_1')
ax.set ylabel('principal component 2')
ax.legend()
ax.grid()
plt.show()
```



## Task B

On task B, we were tasked with:

- 1. Choosing two of the learning algorithms taught during the lectures and train the model.
- 2. Tuning of the hyper-parameters used on the learning algorithms.

For this dataset, after analysing the previous plot, we decided that we would use only linear algorithms because:

- Linear methods can solve problems that are linearly separable (via a line, hyperplane...), as it is the case of our problem.
- Our classification threshold is approximately linear (a line).
- · The dataset has low variance.

The algorithms chosen were two of the ones taught in classes: Perceptron [4] and SVM [1].

**SVM** and **Perceptron** are binary classifiers, making them the right choice for predicting the also binary output of this dataset. SVM is also a discriminative model, which means it tries to model by just depending on the observed data, while learning how to do the classification from the given statistics.

We obtained a fairly good separation of the two existing classes, and the algorithm took little time to compute, so we concluded that the linear algorithms were the best choice.

The predictions shown on the plots are separated by color, on both SVM and Perceptron, being green the value **1.0**, which means **>50K** on the original data and blue the value **2.0**, which means **>50K** on the original data.

Taking into account the definition of hyper-parameters and tuning on the section Task B of the first data set, we created two functions, **svc\_tunning** and **perceptron\_tunning**, which use the search provided by the method **GridSearchCV** to exhaustively generate candidates from a grid of parameter values specified with the param\_grid parameter [3]. When "fitting" the estimator on the dataset, all the possible combinations of parameter values are evaluated and the best combination is retained.

#### In [30]:

```
import numpy as np
import pandas as pd
# graphics
%matplotlib inline
import matplotlib.pyplot as plt
import matplotlib.gridspec as gridspec
from distutils.version import LooseVersion as Version
from sklearn import __version__ as sklearn_version
from numpy import linalg as LA
from matplotlib.colors import ListedColormap
from sklearn.svm import LinearSVC
from sklearn.model_selection import GridSearchCV
from sklearn.svm import SVC
from sklearn.linear_model import Perceptron
from random import uniform
```

#### Train the model with SVM and Perceptron algorithms

#### In [38]:

```
# function taken from the class guide "Linear models for Classification"
def plot_decision_regions(X, y, classifier, resolution=0.02):
    # setup marker generator and color map
    markers = ('s', 'x', 'o', '^', 'v')
    colors = ('green','blue')
    cmap = ListedColormap(colors[:len(np.unique(y))])
    #plot the decision surface
    x1 \min, x1 \max = X[:, 0].\min() - 1, X[:, 0].\max() + 1
    x2_{min}, x2_{max} = X[:, 1].min() - 1, X[:, 1].max() + 1
    xx1, xx2 = np.meshgrid(np.arange(x1 min, x1 max, resolution),
    np.arange(x2 min, x2 max, resolution))
    Z = classifier.predict(np.array([xx1.ravel(), xx2.ravel()]).T)
    Z = Z.reshape(xx1.shape)
    plt.contourf(xx1, xx2, Z, alpha=0.4, cmap=cmap)
    plt.xlim(xx1.min(), xx1.max())
    plt.ylim(xx2.min(), xx2.max())
    # plot class samples
    for idx, cl in enumerate(np.unique(v)):
        plt.scatter(x=X[y == cl, 0], y=X[y == cl, 1],
            alpha=0.8, c=cmap(idx),marker=markers[idx], label=cl)
```

**SVM** 

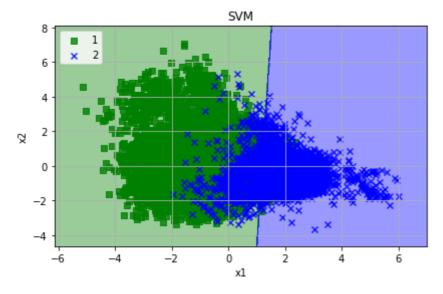
#### In [321:

```
('Best accuracy (SVM): ', 0.9385686543835552)
('Best parameters (SVM): ', {'kernel': 'linear', 'C': 0.01, 'gamma': 0.001})
```

## In [39]:

```
svml=SVC(C= 0.01, gamma= 0.001, kernel= 'linear')
svml=svml.fit(pc_X,y_train)

plot_decision_regions(pc_X, y_train, classifier=svml)
plt.xlabel('x1')
plt.ylabel('x2')
plt.legend(loc='upper left')
plt.grid()
plt.title('SVM')
plt.tight_layout()
plt.show()
```



Perceptron

#### In [40]:

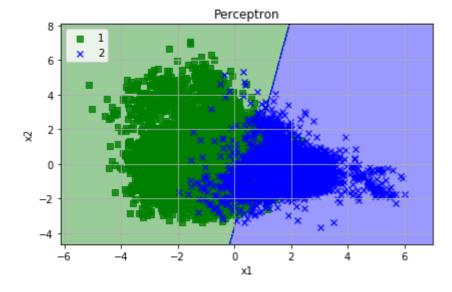
```
# function for tuning the hyper-parameters of the estimator
def perceptron_tunning(X_train, y_train, clf):
    parameters = [{'warm start' : [False, True], 'penalty': ['l2'],
                 'alpha': [uniform(0.0001, 0.9)]}]
    grid search = GridSearchCV(estimator=clf, param grid=parameters, n jobs=-1,s
coring='accuracy', cv=5,)
    grid search.fit(X train, y train)
    best accuracy = grid search.best score
    best_parameters = grid_search.best_params_
    print("Best accuracy (Perceptron): ", best_accuracy)
    print("Best parameters (Perceptron): ", best_parameters)
    return best parameters
# uncomment to find best hyper-parameters
#clf = Perceptron()
#best parameters = perceptron tunning(pc X,y train, clf)
('Best accuracy (Perceptron): ', 0.5428882678918202)
('Best parameters (Perceptron): ', {'penalty': 'l2', 'alpha': 0.3381
541880242996, 'warm_start': False})
```

### In [42]:

```
ppn=Perceptron(penalty='l2', alpha=0.3381541880242996, fit_intercept=True, eta0=
0.1, n_jobs=1, warm_start=False)

ppn.fit(pc_X,y_train)

plot_decision_regions(pc_X, y_train, classifier=ppn)
plt.xlabel('x1')
plt.ylabel('x2')
plt.legend(loc='upper left')
plt.grid()
plt.title('Perceptron')
plt.tight_layout()
plt.show()
```



## References

- [1] https://scikit-learn.org/stable/modules/svm.html (https://scikit-learn.org/stable/modules/svm.html)
- [2] <a href="https://scikit-learn.org/stable/modules/generated/sklearn.neural\_network.MLPClassifier.html">https://scikit-learn.org/stable/modules/generated/sklearn.neural\_network.MLPClassifier.html</a> (<a href="https://scikit-learn.org/stable/modules/generated/sklearn.neural\_network.MLPClassifier.html">https://scikit-learn.org/stable/modules/generated/sklearn.neural\_network.MLPClassifier.html</a> (<a href="https://scikit-learn.org/stable/modules/generated/sklearn.neural\_network.MLPClassifier.html">https://scikit-learn.org/stable/modules/generated/sklearn.neural\_network.MLPClassifier.html</a> (<a href="https://scikit-learn.org/stable/modules/generated/sklearn.neural\_network.MLPClassifier.html">https://scikit-learn.org/stable/modules/generated/sklearn.neural\_network.MLPClassifier.html</a>)
- [3] <a href="https://scikit-learn.org/stable/modules/grid\_search.html#exhaustive-grid-search">https://scikit-learn.org/stable/modules/grid\_search.html#exhaustive-grid-search</a> (<a href="https://scikit-learn.org/stable/modules/grid\_search.html">https://scikit-learn.org/stable/modules/grid\_search.html</a> (<a href="https://scikit-learn.org/stable/modules/grid\_search.html">https://scikit-learn.org/stable/modules/grid\_search.html</a> (<a href="https://scikit-learn.org/stable/modules/grid\_search.html">https://scikit-learn.org/stable/modules/grid\_search.html</a> (<a href="https://scikit-learn.org/stable/modules/grid\_search.html">https://scikit-learn.org/stable/modules/grid\_search.html</a> (<a href="https://scikit-learn.org/stable/modules/grid\_search.html">https://scikit-learn.org/stable/modules/grid\_search.html</a> (<a href="https://scikit-learn.org/stable/modules/grid\_search.html">https://scikit-learn.org/stable/modules/grid\_search.html</a> (<a href="https://scikit-learn.org/stable/mo
- [4] <a href="https://scikit-learn.org/stable/modules/generated/sklearn.linear\_model.Perceptron.html">https://scikit-learn.org/stable/modules/generated/sklearn.linear\_model.Perceptron.html</a> (<a href="https://scikit-learn.org/stable/modules/generated/sklearn.linear\_model.Perceptron.html">https://scikit-learn.org/stable/modules/generated/sklearn.linear\_model.Perceptron.html</a> (<a href="https://scikit-learn.org/stable/modules/generated/sklearn.linear\_model.Perceptron.html">https://scikit-learn.org/stable/modules/generated/sklearn.linear\_model.Perceptron.html</a> (<a href="https://scikit-learn.org/stable/modules/generated/sklearn.linear\_model.Perceptron.html">https://scikit-learn.org/stable/modules/generated/sklearn.linear\_model.Perceptron.html</a> (<a href="https://scikit-learn.org/stable/modules/generated/sklearn.linear\_model.Perceptron.html">https://scikit-learn.org/stable/modules/generated/sklearn.linear\_model.Perceptron.html</a>)
- [5] <a href="https://scikit-learn.org/stable/modules/grid\_search.html">https://scikit-learn.org/stable/modules/grid\_search.html</a> (https://scikit-learn.org/stable/modules/grid\_search.html)