

# Perceptron Algorithm with visualisation

January 27, 2026

```
[1]: # !pip install --upgrade pandas
```

```
[2]: import pandas as pd
import numpy as np
# Setting the random seed, feel free to change it and see different solutions.
np.random.seed(42)
```

```
[3]: # Read our data from csv file
data = pd.read_csv('data_perceptron.csv', header=None)
data.head()
```

```
[3]:      0      1  2
0  0.78051 -0.063669  1
1  0.28774  0.291390  1
2  0.40714  0.178780  1
3  0.29230  0.421700  1
4  0.50922  0.352560  1
```

```
[4]: # Create dataset from Pandas dataframe
X = data.loc[:,0:1]
y = data.loc[:,2]
```

```
[5]: # Convert dataset to Numpy
X = X.to_numpy()
y = y.to_numpy()
```

```
[6]: # Helper functions to make a prediction
def stepFunction(t):
    if t >= 0:
        return 1
    return 0

def prediction(X, W, b):
    return stepFunction((np.matmul(X,W)+b)[0])
```

```
[7]: # TODO: Fill in the code below to implement the perceptron trick.
# The function should receive as inputs the data X, the labels y,
# the weights W (as an array), and the bias b,
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# update the weights and bias W, b, according to the perceptron algorithm,
# and return W and b.
def perceptronStep(X, y, W, b, learn_rate = 0.01):
    for i in range(len(X)):
        y_hat = prediction(X[i],W,b)
        if y[i]-y_hat == 1:
            W[0] += X[i][0]*learn_rate
            W[1] += X[i][1]*learn_rate
            b += learn_rate
        elif y[i]-y_hat == -1:
            W[0] -= X[i][0]*learn_rate
            W[1] -= X[i][1]*learn_rate
            b -= learn_rate
    return W, b

```

```

[8]: # This function runs the perceptron algorithm repeatedly on the dataset,
def trainPerceptronAlgorithm(X, y, learn_rate=0.01, num_epochs=25):
    x_min, x_max = min(X.T[0]), max(X.T[0])
    y_min, y_max = min(X.T[1]), max(X.T[1])

    W = np.array(np.random.rand(2,1))
    b = np.random.rand(1)[0] + x_max

    for i in range(num_epochs):
        # In each epoch, we apply the perceptron step to update W & b
        W, b = perceptronStep(X, y, W, b, learn_rate)

        print(f"Training epoch: #{i+1}")
        print(f"Weight: {W}")
        print(f"bias: {b}")
        # Calculează și afișează acuratețea
        preds = np.array([prediction(X[j], W, b) for j in range(len(X))])
        accuracy = np.mean(preds == y)
        print(f"Epoch {i+1}: accuracy = {accuracy:.3f}%")

        final_preds = np.array([prediction(X[j], W, b) for j in range(len(X))])
        final_acc = np.mean(final_preds == y)
        print(f"Final accuracy: {final_acc:.2f}%")

    return W, b

```

```

[9]: # Feel free to play with the learning rate and the num_epochs,
# and see your results plotted below.
model_train = trainPerceptronAlgorithm(X, y,
                                       learn_rate=0.001,
                                       num_epochs=30)

model_train

```

Training epoch: #1  
Weight: [[0.34023612]  
[0.91576377]]  
bias: 1.6819939418114105  
Epoch 1: accuracy = 0.500%  
Training epoch: #2  
Weight: [[0.30593212]  
[0.88081323]]  
bias: 1.631993941811416  
Epoch 2: accuracy = 0.500%  
Training epoch: #3  
Weight: [[0.27162812]  
[0.84586269]]  
bias: 1.5819939418114215  
Epoch 3: accuracy = 0.500%  
Training epoch: #4  
Weight: [[0.23732412]  
[0.81091215]]  
bias: 1.531993941811427  
Epoch 4: accuracy = 0.500%  
Training epoch: #5  
Weight: [[0.20302012]  
[0.77596161]]  
bias: 1.4819939418114325  
Epoch 5: accuracy = 0.500%  
Training epoch: #6  
Weight: [[0.16871612]  
[0.74101107]]  
bias: 1.431993941811438  
Epoch 6: accuracy = 0.500%  
Training epoch: #7  
Weight: [[0.13441212]  
[0.70606053]]  
bias: 1.3819939418114435  
Epoch 7: accuracy = 0.500%  
Training epoch: #8  
Weight: [[0.10010812]  
[0.67110999]]  
bias: 1.331993941811449  
Epoch 8: accuracy = 0.500%  
Training epoch: #9  
Weight: [[0.06580412]  
[0.63615945]]  
bias: 1.2819939418114545  
Epoch 9: accuracy = 0.500%  
Training epoch: #10  
Weight: [[0.03150012]  
[0.60120891]]

bias: 1.23199394181146  
Epoch 10: accuracy = 0.500%  
Training epoch: #11  
Weight: [[-0.00280388]  
[ 0.56625837]]  
bias: 1.1819939418114656  
Epoch 11: accuracy = 0.500%  
Training epoch: #12  
Weight: [[-0.03710788]  
[ 0.53130783]]  
bias: 1.131993941811471  
Epoch 12: accuracy = 0.500%  
Training epoch: #13  
Weight: [[-0.07141188]  
[ 0.49635729]]  
bias: 1.0819939418114766  
Epoch 13: accuracy = 0.500%  
Training epoch: #14  
Weight: [[-0.10571588]  
[ 0.46140675]]  
bias: 1.031993941811482  
Epoch 14: accuracy = 0.500%  
Training epoch: #15  
Weight: [[-0.14001988]  
[ 0.42645621]]  
bias: 0.9819939418114855  
Epoch 15: accuracy = 0.500%  
Training epoch: #16  
Weight: [[-0.17432388]  
[ 0.39150567]]  
bias: 0.9319939418114854  
Epoch 16: accuracy = 0.500%  
Training epoch: #17  
Weight: [[-0.20862788]  
[ 0.35655513]]  
bias: 0.8819939418114854  
Epoch 17: accuracy = 0.500%  
Training epoch: #18  
Weight: [[-0.24293188]  
[ 0.32160459]]  
bias: 0.8319939418114853  
Epoch 18: accuracy = 0.500%  
Training epoch: #19  
Weight: [[-0.27723588]  
[ 0.28665405]]  
bias: 0.7819939418114853  
Epoch 19: accuracy = 0.500%  
Training epoch: #20

Weight: [[-0.31153988]  
[ 0.25170351]]  
bias: 0.7319939418114852  
Epoch 20: accuracy = 0.500%  
Training epoch: #21  
Weight: [[-0.34584388]  
[ 0.21675297]]  
bias: 0.6819939418114852  
Epoch 21: accuracy = 0.500%  
Training epoch: #22  
Weight: [[-0.38014788]  
[ 0.18180243]]  
bias: 0.6319939418114852  
Epoch 22: accuracy = 0.500%  
Training epoch: #23  
Weight: [[-0.41445188]  
[ 0.14685189]]  
bias: 0.5819939418114851  
Epoch 23: accuracy = 0.500%  
Training epoch: #24  
Weight: [[-0.44875588]  
[ 0.11190135]]  
bias: 0.5319939418114851  
Epoch 24: accuracy = 0.500%  
Training epoch: #25  
Weight: [[-0.48305988]  
[ 0.07695081]]  
bias: 0.481993941811485  
Epoch 25: accuracy = 0.500%  
Training epoch: #26  
Weight: [[-0.51736388]  
[ 0.04200027]]  
bias: 0.431993941811485  
Epoch 26: accuracy = 0.520%  
Training epoch: #27  
Weight: [[-0.54417491]  
[ 0.01327761]]  
bias: 0.39099394181148495  
Epoch 27: accuracy = 0.640%  
Training epoch: #28  
Weight: [[-0.55830356]  
[-0.00378583]]  
bias: 0.3669939418114849  
Epoch 28: accuracy = 0.810%  
Training epoch: #29  
Weight: [[-0.56432806]  
[-0.01316687]]  
bias: 0.3549939418114849

```
Epoch 29: accuracy = 0.830%
Training epoch: #30
Weight: [[-0.56853206]
        [-0.02032655]]
bias: 0.3459939418114849
Epoch 30: accuracy = 0.890%
Final accuracy: 0.89%
```

```
[9]: (array([[-0.56853206],
            [-0.02032655]]),
      0.3459939418114849)
```

```
[10]: # Make a prediction from the model training
final_model = model_train
W, b = final_model
# print("final model = ", final_model)

print(f"weight = {W.flatten()}")
print(f"bias = {b}")

#Print Final equation of the perceptron:
W_flat = W.flatten() # transformă vectorul coloană într-un vector 1D
w0 = round(W_flat[0], 2)
w1 = round(W_flat[1], 2)
b_r = round(b, 2)
ecuatie = f"{w0} * x1 + {w1} * x2 + {b_r} = 0"
print("Ecuatia finală a perceptronului:", ecuatie)

preds = np.array([prediction(X[i], W, b) for i in range(len(X))])
final_accuracy = np.mean(preds == y)
print(f"Acuratețe finală: {final_accuracy:.2f}%")
```

```
weight = [-0.56853206 -0.02032655]
bias = 0.3459939418114849
Ecuatia finală a perceptronului: -0.57 * x1 + -0.02 * x2 + 0.35 = 0
Acuratețe finală: 0.89%
```

```
[12]: prediction(X=[-1, 0.5], W=W, b=b)
```

```
[12]: 1
```

```
[ ]: # Vizualizare grafică a liniei perceptronului
import matplotlib.pyplot as plt

# Asigură-te că variabilele weight și bias sunt definite (din antrenarea
↳ anterioară)
# Dacă weight este un vector coloană, îl aplatizăm pentru ușurință
```

```

W_flat = weight.flatten() if hasattr(weight, 'flatten') else weight

# Calculăm valori x și corespunzător y pentru linia decizională
x_values = [min(X[:, 0]) - 1, max(X[:, 0]) + 1]
y_values = [-(bias + W_flat[0] * x) / W_flat[1] for x in x_values]

# Alegem culori diferite pentru fiecare clasă
colors = ['red' if label == 0 else 'blue' for label in y]

plt.figure(figsize=(8, 6))
plt.scatter(X[:, 0], X[:, 1], c=colors, label='Puncte de date')
plt.plot(x_values, y_values, color='green', linewidth=2, label='Linia_
perceptronului')

plt.xlabel('Caracteristica X1')
plt.ylabel('Caracteristica X2')
plt.title('Frontieră de decizie pentru perceptron')
plt.legend()
plt.grid(True)
plt.xlim(-0.25, 1.25)
plt.ylim(-0.5, 1.5)
plt.show()

```



