

Some phone usage rate may be described as follows:

- first minute of a call costs min1 cents,
- each minute from the 2nd up to 10th (inclusive) costs min2_10 cents
- each minute after 10th costs min11 cents.

You have s cents on your account before the call. What is the duration of the longest call (in minutes rounded down to the nearest integer) you can have?

Example

For $\text{min1} = 3, \text{min2_10} = 1, \text{min11} = 2$ and $s = 20$, the output should be

`phoneCall(min1, min2_10, min11, s) = 14.`

Here's why:

- the first minute costs 3 cents, which leaves you with $20 - 3 = 17$ cents;
- the total cost of minutes 2 through 10 is $1 * 9 = 9$, so you can talk 9 more minutes and still have $17 - 9 = 8$ cents;
- each next minute costs 2 cents, which means that you can talk $8 / 2 = 4$ more minutes.

Thus, the longest call you can make is $1 + 9 + 4 = 14$ minutes long.

Input/Output

- **[execution time limit] 4 seconds (py)**
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- **[input] integer min1**
- *Guaranteed constraints:*
- $1 \leq \text{min1} \leq 10$.
-
- **[input] integer min2_10**
- *Guaranteed constraints:*
- $1 \leq \text{min2_10} \leq 10$.
-
- **[input] integer min11**
- *Guaranteed constraints:*
- $1 \leq \text{min11} \leq 10$.
-
- **[input] integer s**
- *Guaranteed constraints:*
- $2 \leq s \leq 60$.
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- **[output] integer**