

## STEP 2

In this part, we modify the algorithm to calculate at every instant whether a point on a ball is in contact with the nearest ball. We will modify this to have much fewer calculations to perform.

```
def circleCollision(c1, c2):
    ...
    Determines if two circles intersect or not
    ...
    angle = 0
    while(angle < 3.1415926*2):
        # we pick a point on the first circle
        ptx = c1[0] + (math.cos(angle) * constants.BALL_RADIUS)
        pty = c1[1] + (math.sin(angle) * constants.BALL_RADIUS)
        # we compute the length between this point and the center of c2
        dx = ptx - c2[0]
        dy = pty - c2[1]
        d = math.sqrt(dx ** 2 + dy ** 2)
        # if this length is less than the radius of c2, then this point is inside the circle
        if d < constants.BALL_RADIUS:
            return True
        # we then move to another point close to the previous one, until we loop around c1
        angle = angle + 0.01

    # no collision detected: c1 and c2 do not intersect
    return False
```

We will modify this to have much fewer calculations to perform.

```
def circleCollision(c1, c2):
    ...
    Determines if two circles intersect or not
    ...
    dx = c2[0] - c1[0]
    dy = c2[1] - c1[1]
    # we determine if the distance is further than the distance between two balls centers
    d = abs(dx) + abs(dy)

    # if d < 2 times the radius, it means that there is a collision
    if d < 2 * constants.BALL_RADIUS :
        return True
    # else, if d < 2 times the radius, it means that there isn't any collisions between them
    else:
        return False
```

By doing this, we compare whether the distance between the centers of two balls is greater or less than twice the radius of a ball, which means we are checking whether two balls are in contact. This will greatly reduce the number of calculations the algorithm will perform.

For this, we use the `abs()` function, which is the absolute value function, to avoid negative distance problems.