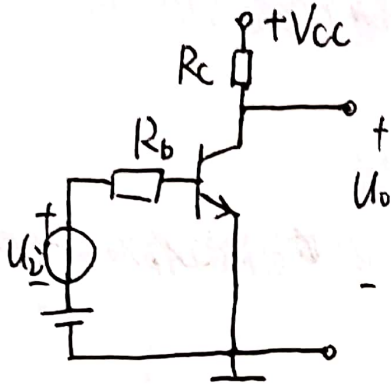
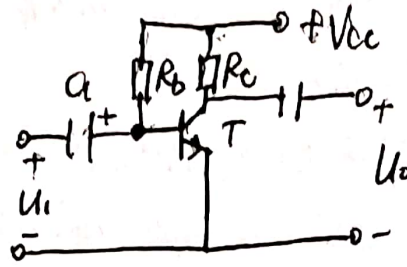


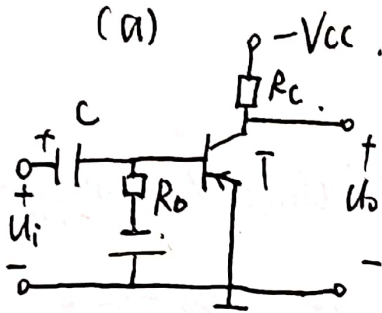
2.1



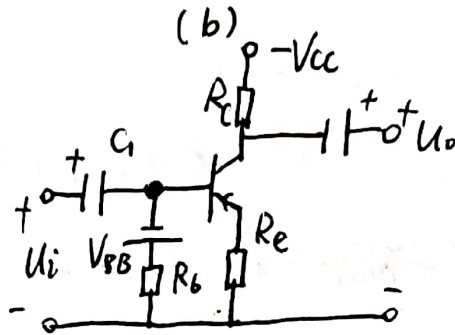
(a)



(b)



(c)



2.5 (1) ①(X) ②(X) ③(X) ④(V) (2) ①(X) ②(X) ③(V) ④(X)

(3) ①(X) ②(V) ③(X) (4) ①(X) ②(V)

故 1) ④ (2) ③ (3) ② (4) ② 正确, 其余错误.

2.6 解: 直流电压表测量为直流电位即求 $U_i = 0$ 时集电极电位

1) 正常情况

12) R_{b1} 短路, $U_{BE} = 0$, T 截止, $U_C = V_{CC} = 15V$

13) R_{b1} 开路.

$$I_{BQ} = \frac{V_{CC} - U_{BE}}{R_{b2}} = 0.174mA$$

$$I_{BS} = \frac{V_{CC} - U_{CES}}{\beta R_c} \approx 0.024mA$$

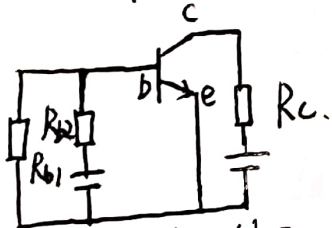
故 $I_B > I_{BS}$, 故 T 饱和, $U_C = U_{CES} = 0.5V$

(4) R_{b2} 开路 则 T 截止, $U_C = V_{CC} = 15V$

(5) R_{b2} 短路, $U_{BE} = U_C = 15V$.

b-e 烧断 $U_C = 15V$, b-e 短路, V_{CC} 短路, 无法判断

16) R_c 短路, $U_C = V_{CC} = 15V$



$$I_{BQ} = \frac{V_{CC} - U_{BE}}{R_{b2}} = \frac{U_{BE}}{R_{b1}}$$

$$I_{CQ} = \beta I_{BQ}$$

$$U_C = V_{CC} - I_{CQ} \cdot R_c = 7.9V$$

2.7 解

(1) 空载情况下

$$I_{BQ} = \frac{V_{CC} - U_{BEQ}}{R_b} - \frac{U_{BEQ}}{R_s} = 22 \mu A$$

$$I_{CQ} = \beta I_{BQ} = 1.76 \text{ mA}$$

$$U_{CEQ} = V_{CC} - I_{CQ} \cdot R_c = 6.19 \text{ V}$$

$$r_{be} = r_{bb'} + \frac{26 \text{ mV}}{I_{BQ}} = 1.28 \text{ k}\Omega$$

$$\dot{A}_u = -\frac{\beta R_c}{r_{be}} = -312.5$$

$$R_i = R_b \parallel r_{be} = 1.25 \text{ k}\Omega$$

$$R_o = R_c = 5 \text{ k}\Omega$$

(2) 带负载 $R_L = 3 \text{ k}\Omega$ 下

静态基极、集电极及 r_{be} 不变

$$I_{BQ} = 22 \mu A, I_{CQ} = 1.76 \text{ mA}$$

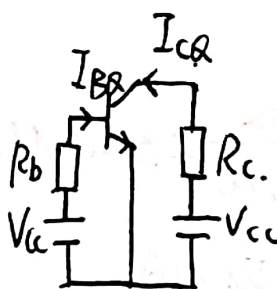
$$r_{be} = 1.28 \text{ k}\Omega$$

$$U_{CEQ} = \frac{R_L}{R_c + R_L} (V_{CC} - I_{CQ} R_c) = 2.3 \text{ V}$$

$$\dot{A}_u = -\frac{\beta (R_c \parallel R_L)}{r_{be}} = -115.4$$

$$R_i = R_b \parallel r_{be} = 1.25 \text{ k}\Omega$$

$$R_o = R_c = 5 \text{ k}\Omega$$



2.9 (1) $I_{CQ} = \frac{V_{CC} - U_{CEQ}}{R_c} = 2 \text{ mA}$

$$I_{BQ} = \frac{I_{CQ}}{\beta} = 20 \mu A$$

$$R_b = \frac{V_{CC} - U_{BEQ}}{I_{BQ}} = 565 \text{ k}\Omega$$

(2) 动态分析: $\dot{A}_u = -\frac{\beta R'_L}{r_{be}}$ 得 $R'_L = 2 \text{ k}\Omega$, $R'_L = \frac{R_c \cdot R_L}{R_c + R_L} = 2 \text{ k}\Omega$, $R_c = 3.3 \text{ k}\Omega$.
 R_c 取值应大于 $3.3 \text{ k}\Omega$.

2.11 (1) 左端等效为 $U_{oc} = \frac{R_{b1}}{R_{b1} + R_{b2}} V_{CC} = 2 \text{ V}$.

$$R_i = R_{b1} \parallel R_{b2} = \frac{25}{6} \text{ k}\Omega$$

输入回路 $U_{oc} = I_{BQ} R_i + U_{BEQ} + (\beta + 1) I_{BQ} (R_f + R_e)$

得 $I_{BQ} = 9.6 \mu A$, $I_{CQ} = \beta I_{BQ} = 960 \mu A$

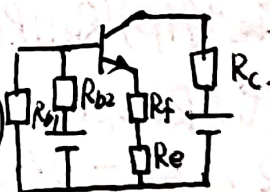
$$U_{CEQ} = V_{CC} - I_{CQ} \cdot R_c - (\beta + 1) I_{BQ} \cdot (R_f + R_e) = 5.7 \text{ V}$$

$$r_{be} = r_{bb'} + \frac{26 \text{ mV}}{I_{BQ}} = 2.81 \text{ k}\Omega$$

$$\dot{A}_u = -\frac{\beta (R_c \parallel R_L)}{r_{be} + R_f (1 + \beta)} = -7.55$$

$$R_i = \frac{U_i}{I_i} = \frac{1}{\frac{1}{R_{b1}} + \frac{1}{r_{be} + (1 + \beta) R_f} + \frac{1}{R_{b2}}} = 3.7 \text{ k}\Omega$$

$$R_o = R_c = 5 \text{ k}\Omega$$



12) 若改用 $\beta = 200$ 晶体管. I_{EQ} 基本不变 $I_{EQ} \approx 1\text{mA}$ $V_{CEQ} \approx 5.7\text{V}$.

则 $I_{BQ} = \frac{I_{EQ}}{(1+\beta)} \approx 5\mu\text{A}$.

13) R_i 会变 $R_i = R_{b1} \parallel R_{b2} \parallel (R_{be} + (1+\beta)(R_f + R_e)) = 4.1\text{k}\Omega$.

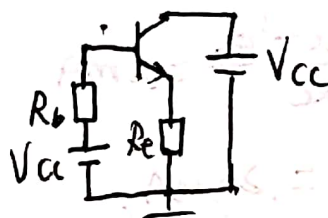
A_u 会变 $A_u = -\frac{\beta(R_i \parallel R_L)}{R_{be} + (1+\beta)(R_e + R_f)} = -1.89$

2.12 解:

1) $I_{BQ} = \frac{V_{CC} - U_{BEQ}}{R_b + (1+\beta)R_e} = 32.3\mu\text{A}$

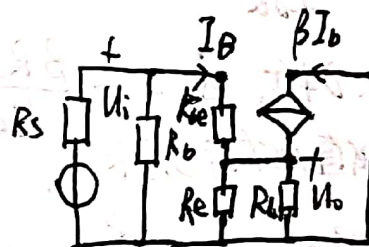
$I_{EQ} = (1+\beta)I_{BQ} = 2.62\text{mA}$.

$V_{CEQ} = V_{CC} - (1+\beta)I_{BQ}R_e = 7.15\text{V}$.



2) $R_L = \infty$ 时

$A_u = \frac{(1+\beta)(R_e \parallel R_L)}{R_{be} + (1+\beta)(R_e \parallel R_L)} = 0.996$.



$R_i = R_b \parallel (R_{be} + (1+\beta)(R_e \parallel R_L)) = 109.9\text{k}\Omega$.

$R = 3\text{k}\Omega$. 代入 $R = 3\text{k}\Omega$

$A_u = 0.992$, $R_o = 76\text{k}\Omega$

输出电阻与负载无关

$R_o = R_e \parallel \frac{R_{be} + R_s \parallel R_b}{1+\beta} = 37\Omega$.

$$2.13(1) I_{BQ} = \frac{V_{CC} - U_{BEQ}}{R_b + (1+\beta)R_e} = 31.3 \mu A$$

$$I_{EQ} = (1+\beta)I_{BQ} = 1.91 mA$$

$$U_{CEQ} = V_{CC} - \beta I_{BQ} \cdot R_c - (1+\beta)I_{BQ} \cdot R_e = 4.46V$$

$$\dot{A}_u = \frac{-\beta(R_c \parallel R_L)}{r_{be}}$$

$$\text{其中 } r_{be} = r_{bb'} + (1+\beta) \frac{26mV}{I_{EQ}} = 931 \Omega$$

$$\dot{A}_u = -96.7$$

$$R_i = R_b \parallel r_{be} = 928 \Omega \quad R_o = R_c = 3k\Omega$$

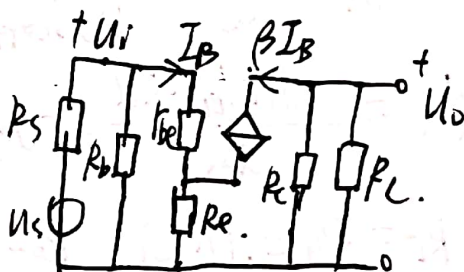
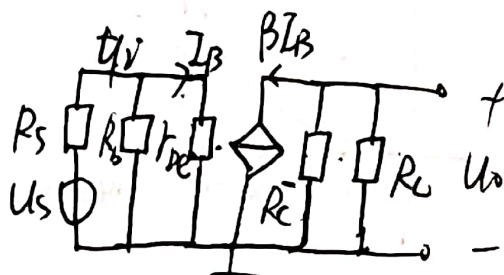
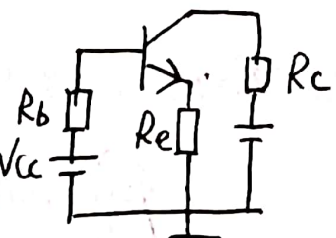
$$(2) U_i = \frac{R_b \parallel r_{be}}{R_b \parallel r_{be} + R_s} U_s = 3.17 mV \quad U_o = U_i |\dot{A}_u| = 306.5 mV$$

若 C_3 开路, 静态工作点不变, r_{be} 不变

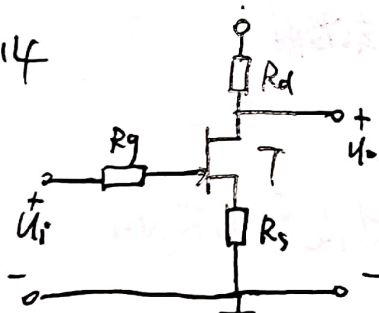
$$\dot{A}_u = \frac{U_o}{U_i} = \frac{-\beta I_B (R_c \parallel R_L)}{I_B r_{be} + (1+\beta) I_B R_e} = -1.453$$

$$R_i = \frac{U_i}{I_i} = \frac{U_i}{\frac{U_i}{R_b} + \frac{U_i}{r_{be} + (1+\beta)R_e}} = R_b \parallel (r_{be} + (1+\beta)R_e) = 51.3 k\Omega$$

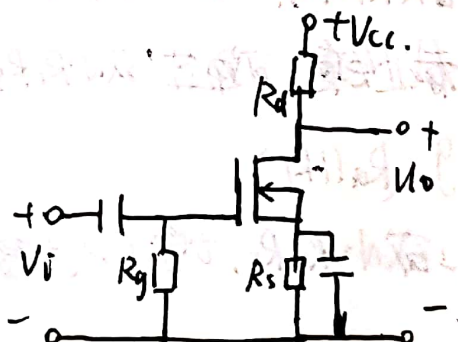
$$\text{故 } U_i = \frac{R_i}{R_s + R_i} U_s = 9.6 mV \quad U_o = |\dot{A}_u| \cdot U_i = 14.4 mV$$



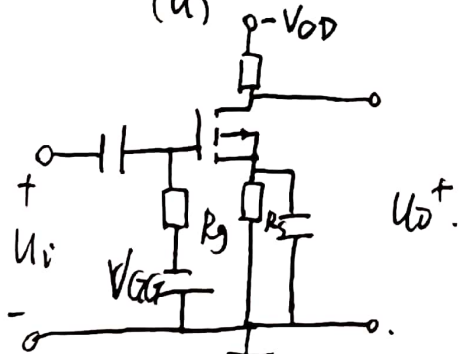
2.14



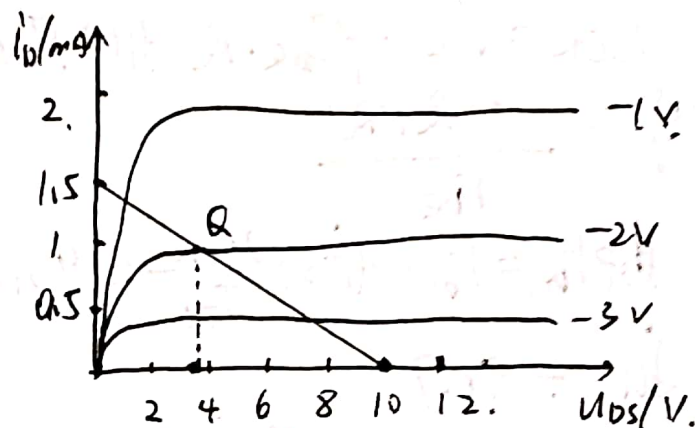
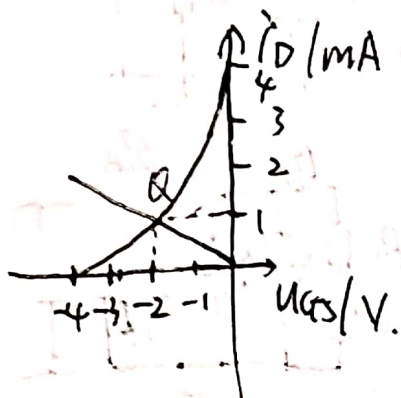
(a)



(b)



2.15 11) $U_{GS} = i_D R_S$ 做出 $U_{GS} = -i_D R_S$ 曲线, 做直流负载线 $U_{DS} = V_{DD} - i_D(R_D + R_S)$



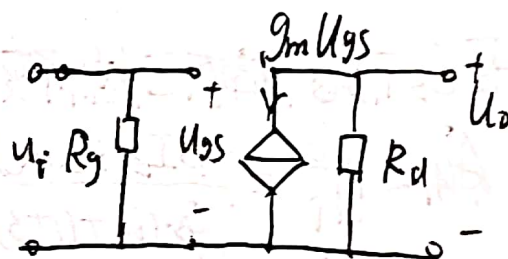
得 $i_{DQ} = 1\text{mA}$, $U_{GSQ} = -2\text{V}$.

得 $I_{DQ} = 1\text{mA}$, $U_{DSQ} = 3\text{V}$

$$12) g_m = \frac{\partial i_D}{\partial U_{GS}} = \frac{2\sqrt{I_{DQ} I_{DSS}}}{U_{GS(off)}} = 1\text{ms}$$

$$\dot{A}_u = \frac{-g_m U_{GS} \cdot R_d}{U_{GS}} = -g_m \cdot R_d = -5$$

$$R_i = R_g = 1\text{M}\Omega, R_o = R_d = 5\text{k}\Omega$$



2.17 底部失真, 饱和失真

11) 可通过增大 R_1, R_S , 减小 R_2, R_d ;

顶部失真, 截止失真, 可通过减小 R_1, R_S , 增大 R_2, R_d 方法消除.

$$12) \dot{A}_u = -g_m (R_d \parallel R_L)$$

故可通过: 减小 R_1, R_S , 增大 R_2 增大 g_m , 或增大 R_d, R_L 来增大 $|\dot{A}_u|$.