模电常方章习题 190410102 沈老 的动化174年

$$0.2 \quad U_{01} = -U_{1} \cdot \frac{Rf}{R} \qquad U_{02} = U_{1} \cdot \frac{Rf+R}{R}$$

$$= -10U_{1} \qquad = 11U_{1}$$

$$= 11U_{1}$$

max (U0) = ±14V

11 1.				
LUI /V	0.1	0,5	1 0	
11. /11	4		1.0	1.5
Loi /V		-5	-10	-111
MO2/1/	1.1	TT		-14
		> >		14
*	_		, ,	14

6.4 输放电阻
$$Ri = \frac{U_{I}}{I_{I}} = R_{i} = 50 k\Omega_{i}$$

 $U_{M} = -\frac{R_{2}}{R_{1}}U_{I}$ $U_{0} = U_{M} - R_{3}(\frac{U_{I}}{R_{1}} + \frac{U_{M}}{R_{4}}) = \frac{R_{2}(R_{3}+R_{4}) + R_{3}R_{4}}{R_{1}R_{4}}U_{I} = -104 U_{I}$
即 比例解数为一104

(b)
$$\frac{U_{12}-U_{P}}{R_{2}} = \frac{U_{P}-U_{13}}{R_{3}} =)i$$

 $U_{N}=U_{P}=\frac{I_{0}U_{I2}+U_{I3}}{II}$
 $U_{0}=U_{N}-R_{f}\cdot\frac{U_{I}-U_{N}}{R_{I}}=-I_{0}U_{I}+I_{0}U_{I2}+U_{I3}$

(d)
$$\frac{U_{I3}-U_{P}}{R_{3}} = \frac{U_{P}-U_{I4}}{P_{4}} \Rightarrow U_{P}=U_{N} = \frac{40Uz_{3}+U_{I4}}{41}$$
 $U_{0}=U_{N}-R_{f}(\frac{Uz_{1}-U_{N}}{R_{1}}+\frac{Uz_{2}-U_{N}}{R_{2}})$
 $=40Uz_{3}+Uz_{4}-20Uz_{1}-20Uz_{2}$

- (2) RP Rw/R=1, U0=10/U12-U1)=100mV
- (3) Max{UII-UII} = UIImax -UIImin=20mV

 Uo = 10RW max{UII-UII} ≤ 14V / 早 RN = RW = RW ≤ 70. ⇒ Ramax≈9.857 K2

(C)
$$\frac{U_{1}+U_{12}+U_{13}-3U_{N}}{U_{0}=\frac{R_{1}+R_{2}}{R_{3}}} U_{N} = Io(U_{1}+U_{12}+U_{13}) \qquad 2.5 \qquad U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} -\frac{U_{1}}{R} dt = -Ioo\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C}\int_{0}^{t} U_{1} dt + U_{0}|V| = \frac{1}{C$$

6.14 (1)
$$U_{N_1} = U_{P_1} = \frac{R'}{R_2 + R'} U_0$$
, $U_{O_1} = U_{N_1} - \frac{U_2 - U_{N_1}}{R_1} R_f = U_0 - U_1$

$$U_C = U_0 \quad i_C = \frac{U_{O_1} - U_C}{R} \quad i_C = C \frac{dU_C}{dt} EP \quad U_1 = -\frac{1}{10} \frac{dU_0}{dt} EP U_0 = -10 \int_0^t U_1 dt$$

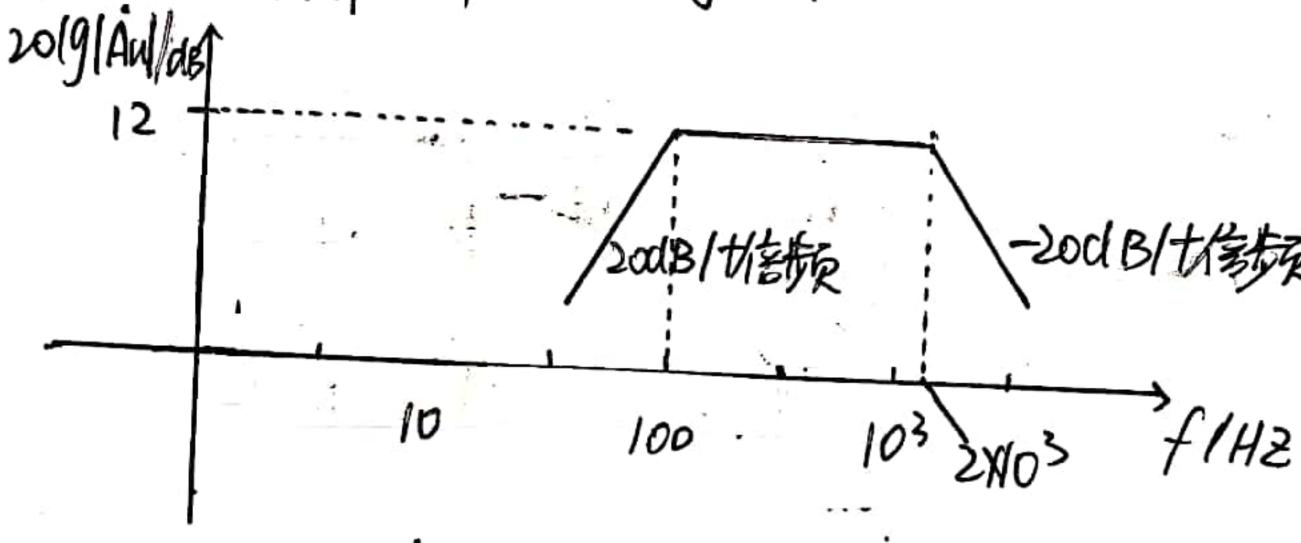
$$(2)U_0(t) = -10 \int_0^t U_1 dt + U_0(0) = -10 \times (-1) t = 6V \implies t = 0.65$$

6.16(1)
$$U_B = U_{II} = 4V$$
, $U_C = U_{II} = 1V$
 $U_A = U_B + (U_B - U_C) = 7V$, $U_O = U_C - (U_B - U_C) = -2V$
 $U_O = \frac{U_O}{R} \cdot 2R = 2U_O = -4V$

Pp UA= 7V, UB=4V, Uc=1V, Up=-2V, Up=-4V

 $U_0 = U_{c} + 2(U_0 - U_0) = 0$ 得 $U_c = -4V$ 又有 $U_c(t) = \frac{1}{c} \int_0^t I_c dt + U_{c}(0) = \frac{I_c t}{c} = -4$ 得t = 28.57mS

6.21 将两者\$联\\$P\$的成本通滤波器 fL=100HZ, fH=2FH2 该外, kb b Aup = 4 2019 | Amp | ≈ 12 2019 | Amp | ≈ 12



6.22
$$|Aup|=2$$
 $Q=|\frac{1}{3-Aup}|=1$ $|Au|_{f=f_p=2}$.
 $fo=f_p=\frac{1}{2\pi RC}=>R=160F\Omega$.
 $R_1 11R_2=2R=>R_1=R_2=4R=640F\Omega$.