

# ML3 - Practicalities

$$\begin{array}{c} \text{(class scores)} \\ \downarrow \\ \vec{y} \\ |0x1 \end{array} = W \vec{x} + b \quad \begin{array}{c} \text{(image)} \\ \downarrow \\ |0x3072 \end{array}$$

$$\boxed{\text{I}} = \boxed{\text{II}} + \boxed{\text{III}}$$

3072

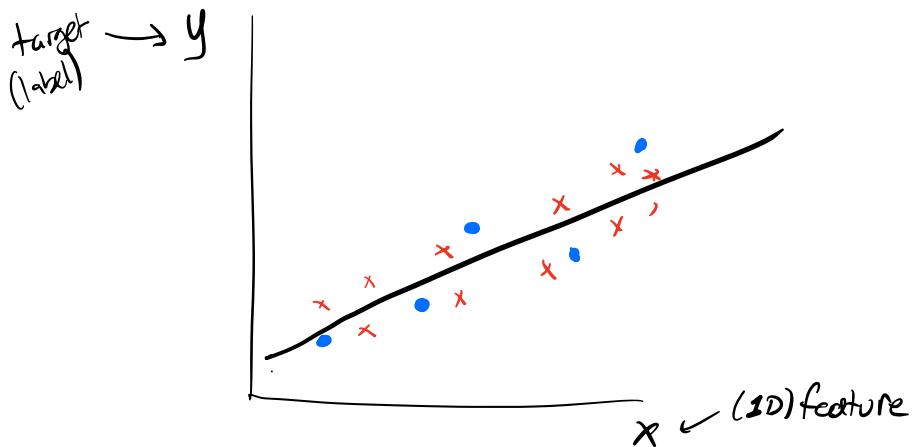
8

30730



# ML3: Generalization

Example problem setting: Regression



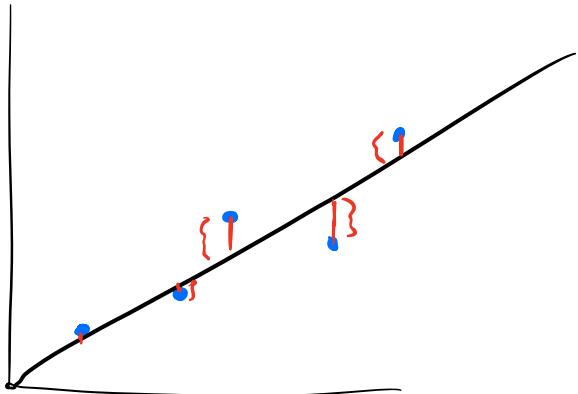
Big Assumption:

1. Data was drawn from some distribution  $P(x, y)$
2. unseen data is drawn from the same distribution!

In other words, correlation doesn't imply causation, but  
"past" correlations are indicative of "future" correlations.

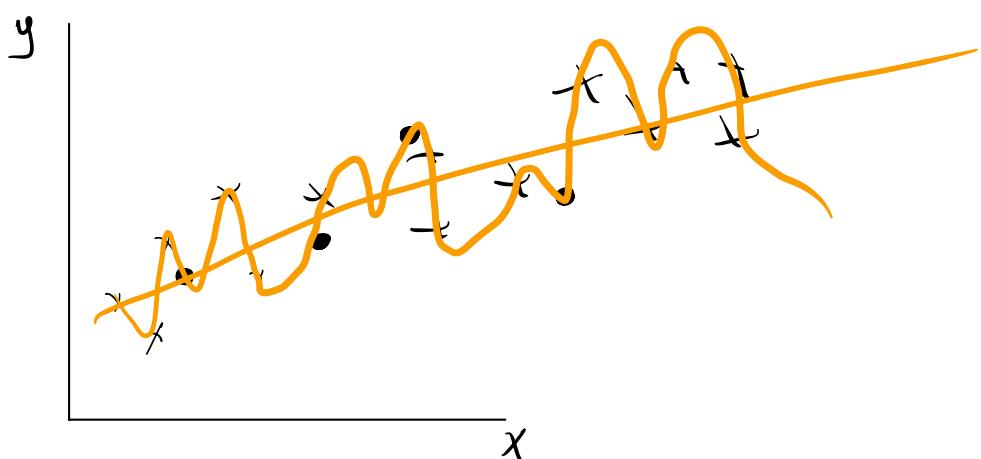
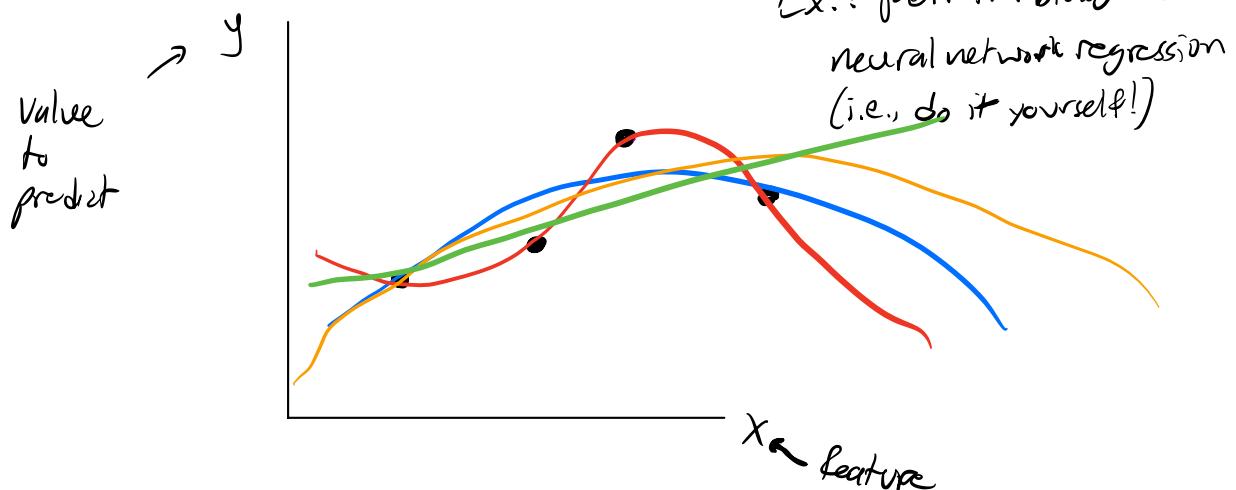
Risk (loss, cost, ...)

"fit" measure of model badness"



Occam's Razor: Use the simplest possible explanation for the data.

Task: regression (not necessarily linear)



## Overfitting

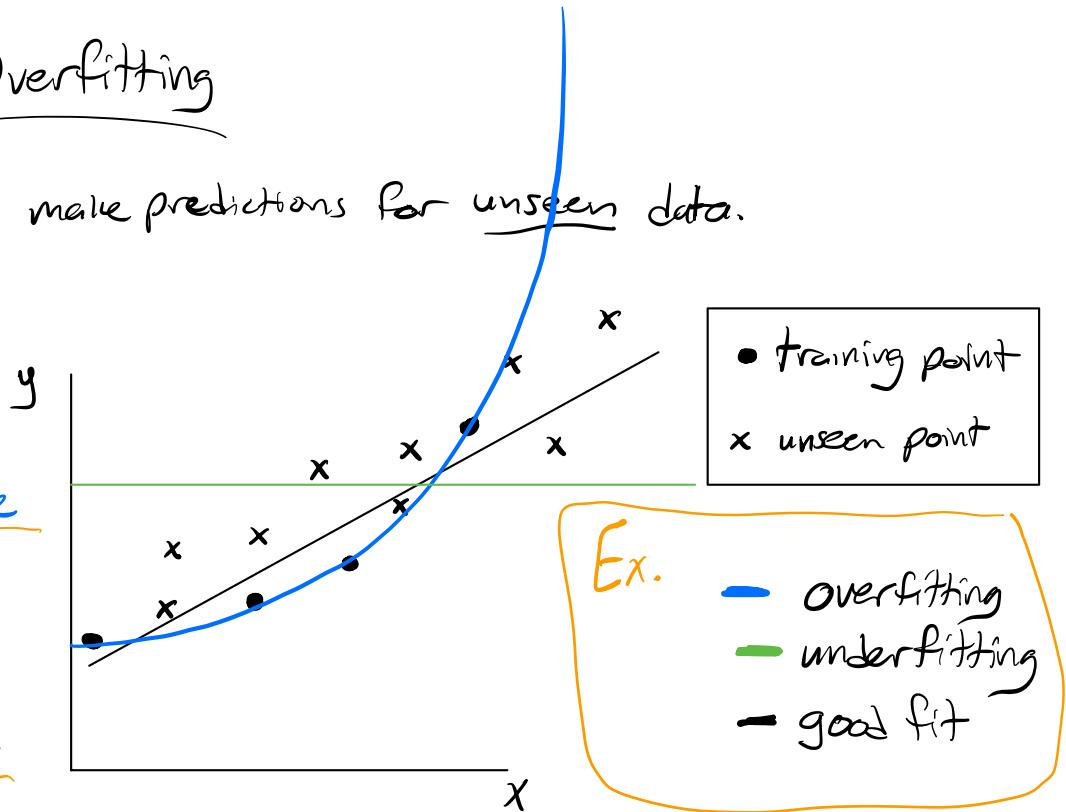
Goal: make predictions for unseen data.

Overfitting:

model mistakes Noise for signal

Underfitting

model does not fit fit signal

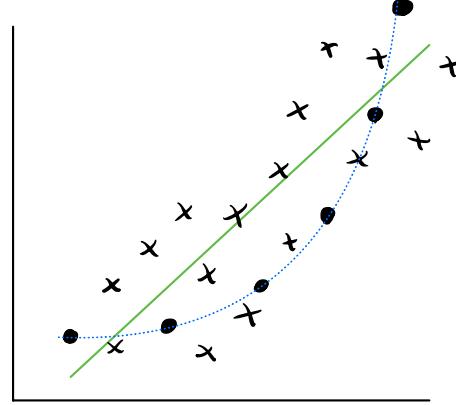
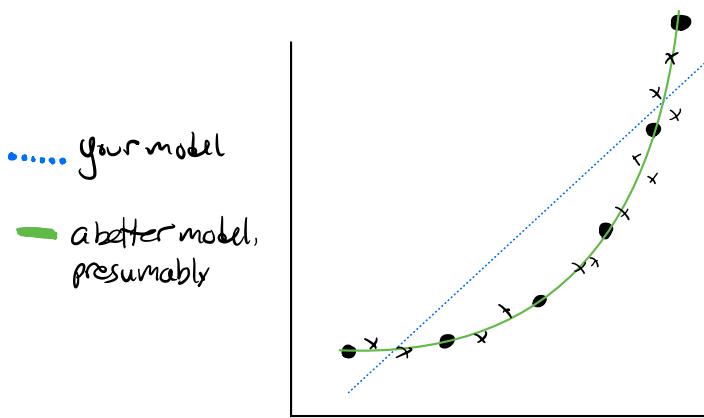


"Simplest possible explanation for the data"  
needs to take into account Noise/sampling error

## Bias vs. Variance

Bias: modeling error - your model can't fit the underlying phenomenon

Variance: Sampling error - your model mistakes noise for the underlying phenomenon



**Ex:** In each plot, is "your model" bad mainly because of bias, or variance?

# Tools in the fight against overfitting

How can we fit a model and convince ourselves it isn't overfitting?

1. withhold data!

2. Use a simple model regardless

## 1. Data Splits

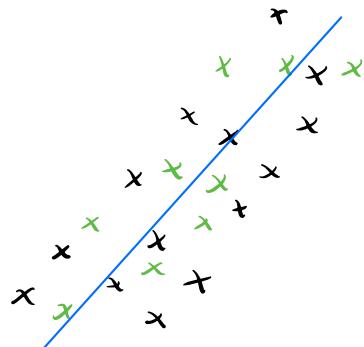
Idea: Hold back some training data

Train on  $\otimes$ , validate on  $\otimes$

$\times$  training set  
 $\times$  Validation set

Scenario: accuracy is measured as  
distance from  $x$  to  $/$

All available training data:



Accuracy on validation set

Bad

Good

Bad

Underfit

Lucky  
Cheating

Good

Overfit

:)

Accuracy on training set

## Pseudocode for MLBot 1.0:

→ Make modeling assumptions

While Tree:

train

validate

not unseen!

if train  $\approx \approx$  val == good

break

else:

tweak modeling assumptions

Problem?

Solution?

Data split best practice:

Labeled data

|       |     |      |
|-------|-----|------|
| Train | Val | Test |
|-------|-----|------|

What %? Depends on size of data and amount of noise.

Smaller → higher variance

larger → less data for other splits

For small data, take full advantage of as much data as possible:

|                  |                  |                  |     |                  |      |
|------------------|------------------|------------------|-----|------------------|------|
| Val <sub>1</sub> | Val <sub>2</sub> | Val <sub>3</sub> | ... | Val <sub>k</sub> | Test |
|------------------|------------------|------------------|-----|------------------|------|

"k-fold cross-validation":

train on each subset of  $k-1$  chunks, val on the last  
avg val accuracy across all  $k$  trials

- + better training, lower-variance val accuracy
- need to train  $k$  times

"leave-one-out cross-validation":

$$K = n$$

Tools in the fight against overfitting

2. Regularization: build a "simplicity prior" into your model.

Ex: "Weight decay":

$$C(w, b, x, y) = (w \cdot x + b - \hat{y}) + \lambda \underline{w^T w}$$

regularization term

