# Lecture 13: Real-Time Scheduling

CS 3281

# Motivation – Cyber-Physical Systems



**Surgical Robotics** 



**Satellites** 



Industrial Internet of Things (IIoT)



**Autonomous Vehicles** 



**Power and Utilities** 



**Drones & DoD Systems** 

## Real-Time Systems

**Enterprise Systems** 



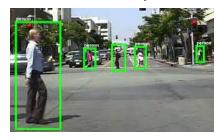
Servers, desktops, web browsing, emails, etc.

"Real Fast" Systems



Interactive processing, i.e., video games

Soft Real-Time System



**Pedestrian Detection** 

**Hard Real-Time System** 



Arc-Flash Relays: ~2ms to break circuit

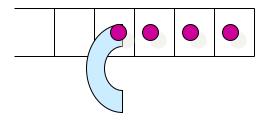
**Degree of Timing Requirements** 

Interaction with the physical world requires keeping time with the real world.

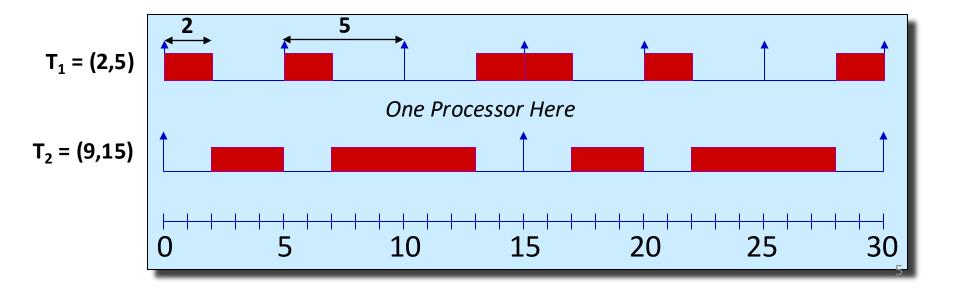
Many CPS, especially safety- and mission-critical systems have strict timing requirements.

#### What is a Real-Time System?

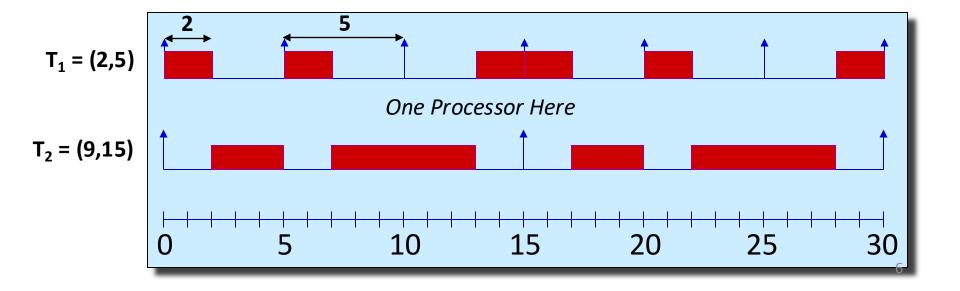
- A system with a dual notion of correctness:
  - Logical correctness ("it does the right thing");
  - Temporal correctness ("it does it on time").
- A system wherein *predictability* is as important as *performance*.
- Real-time systems are designed based on worst case, rather than average case
- A simple example: A robot arm picking up objects from a conveyor belt.



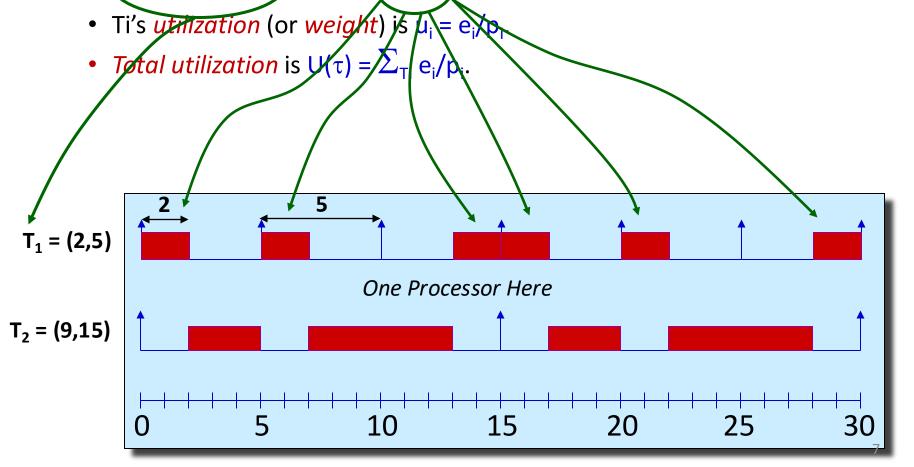
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  - Task  $T_i = (e_i, p_i)$  releases a job with exec. cost  $e_i$  every  $p_i$  time units.
    - Ti's utilization (or weight) is  $u_i = e_i/p_i$ .
    - Total utilization is  $U(\tau) = \sum_{\tau_i} e_i/p_i$ .

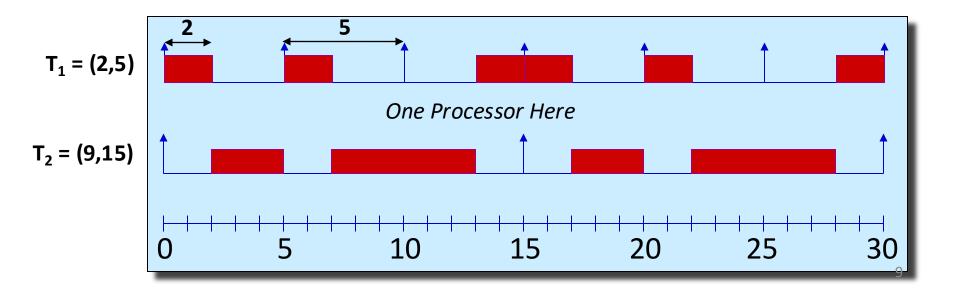


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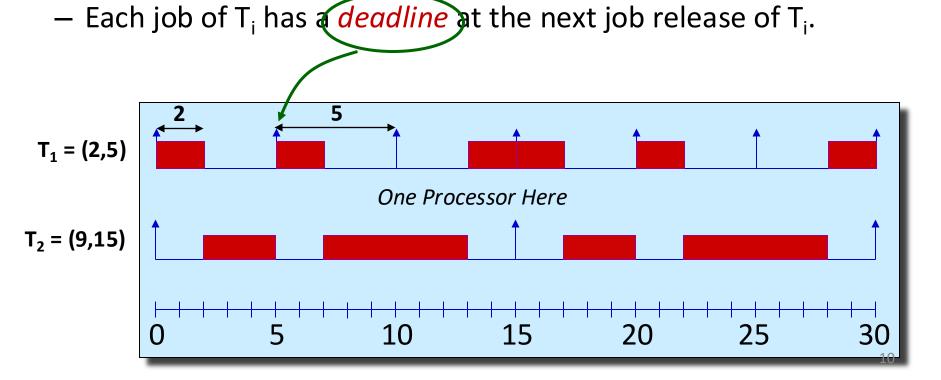


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  - Each job of T<sub>i</sub> has a deadline at the next job release of T<sub>i</sub>.

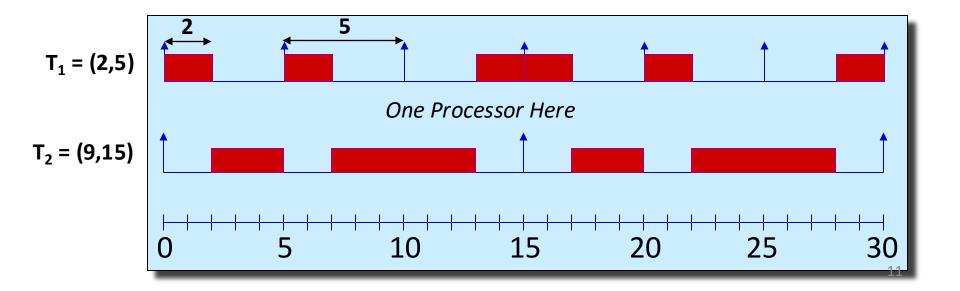


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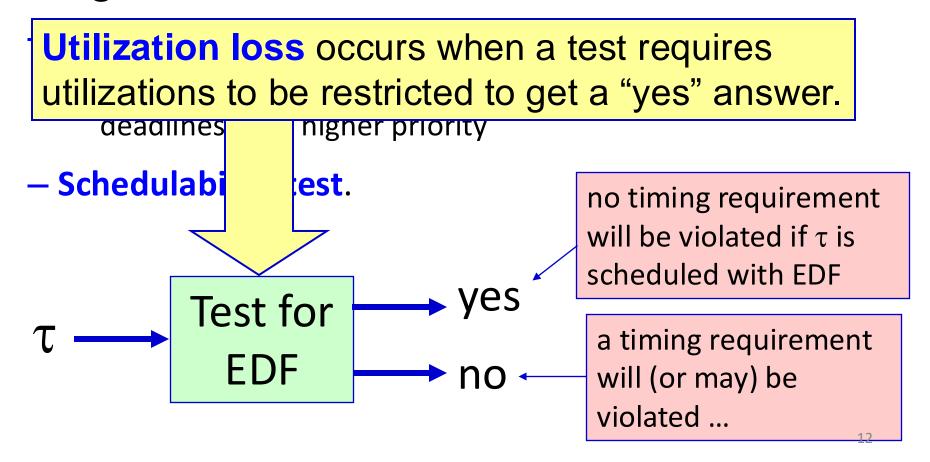
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This is an example of an earliest-deadline-first (EDF) schedule.



## Scheduling vs. Schedulability

 W.r.t. scheduling, we actually care about <u>two</u> kinds of algorithms:



#### **Optimality and Feasibility**

- A schedule is feasible if all timing constraints are met
- A task set  $\tau$  is **schedulable** using scheduling algorithm A if A produces a feasible schedule for  $\tau$
- A scheduling algorithm is optimal if it provides a feasible schedule for a schedulable task set

## Static-Priority Scheduling

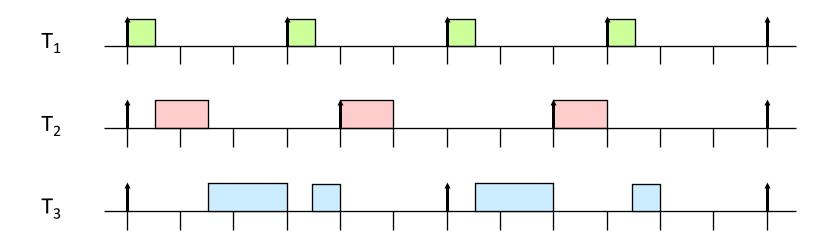
- Under fixed-priority scheduling, different jobs of a task are assigned the same priority.
- We will assume that tasks are indexed in decreasing priority order, i.e.,  $T_i$  has higher priority than  $T_k$  if i < k.
- The ready task with the highest priority is always scheduled.

#### Rate-Monotonic Scheduling

(Liu and Layland)

**<u>Priority Definition:</u>** Tasks with smaller <u>periods</u> have higher priority.

**Example Schedule:** Three tasks,  $T_1 = (0.5, 3)$ ,  $T_2 = (1, 4)$ ,  $T_3 = (2, 6)$ .



#### RT Synchronization 101

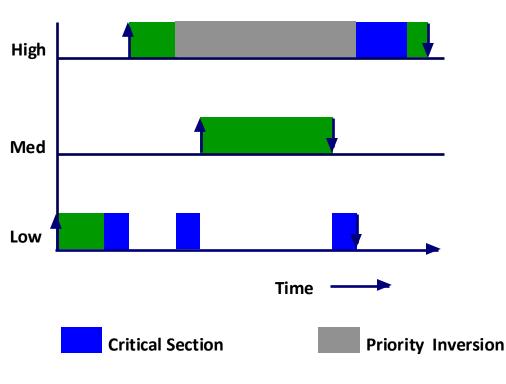
#### **Priority Inversions**

So far we've assumed all jobs are independent.

A *priority inversion* occurs when a high-priority job is blocked

by a low-priority one.

This is bad because HP jobs usually have more stringent timing constraints.





Mars Pathfinder infamously had a priority inversion when deployed and it almost caused a mission failure. A patch was sent remotely patched to fix.

https://www.rapitasystems.com/blog/what-really-happened-software-mars-pathfinder-spacecraft

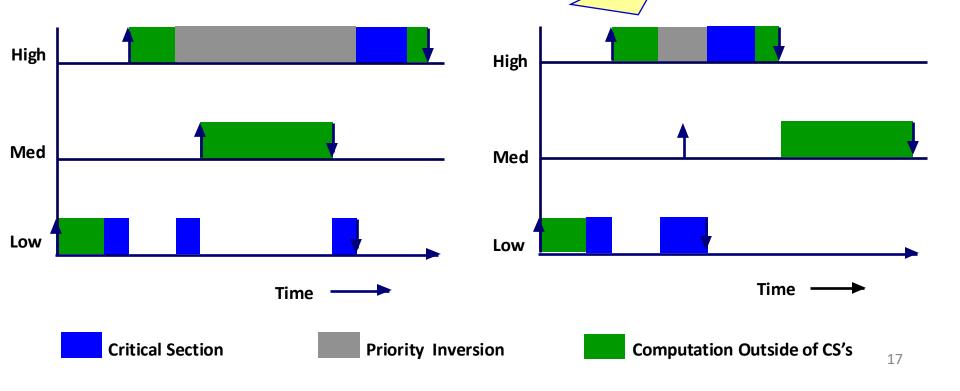


#### RT Synchronization 101

**Priority Inheritance** 

**A Common Solution:** Use *priority inheritance* (blocking job executes at blocked job's priority).

Doesn't prevent inversions but limits their duration.



#### Scheduler Classes

- Linux has different algorithms for scheduling different types of processes
  - Called scheduler classes
- Each class implements a different but "pluggable" algorithm for scheduling
  - Within a class, you can set the policy
- RT class: SCHED FIFO, SCHED RR
- Non-RT class: SCHED OTHER (CFS)

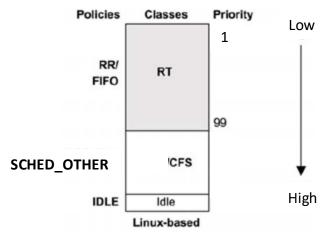


Figure from, "Systems Performance: Enterprise and the Cloud" by Brendan Gregg

#### Exercise

Consider two processes, T1 and T2, where p1 = 50, e1 = 25, p2 = 75, e2 = 30.

Illustrate the scheduling of these two processes using

- earliest-deadline-first (EDF) scheduling
- rate-monotonic scheduling

#### Exercise

Let A, B, and C be three tasks. A has the highest priority and C has the lowest priority. A and C use a shared resource protected by a mutex.

Suppose a scheduler makes decisions about scheduling tasks based on their priorities. That is, the scheduler runs, among tasks, the one with the highest priority. Such a task runs to completion or blocks for any reason.

- What are the completion times of A, B, C before applying the priority inheritance?
- What are the completion times of A, B, C after applying the priority inheritance?

Task	Start time	Before lock	Critical section	After lock
Α	2	1	2	1
В	3.8	4.2		
С	0	1	3	1

#### Summary

- Real-time systems differ from general-purpose ones in that there exist timing requirements
- Common in cyber-physical and safety-critical systems, such as avionics, automotive, and other embedded devices.
- Timing requirements inform how scheduling should be handled
- Many classes of real-time scheduling algorithms
- Analysis complements the scheduling implementation to prove temporal correctness