

# CS 350S: Privacy-Preserving Systems

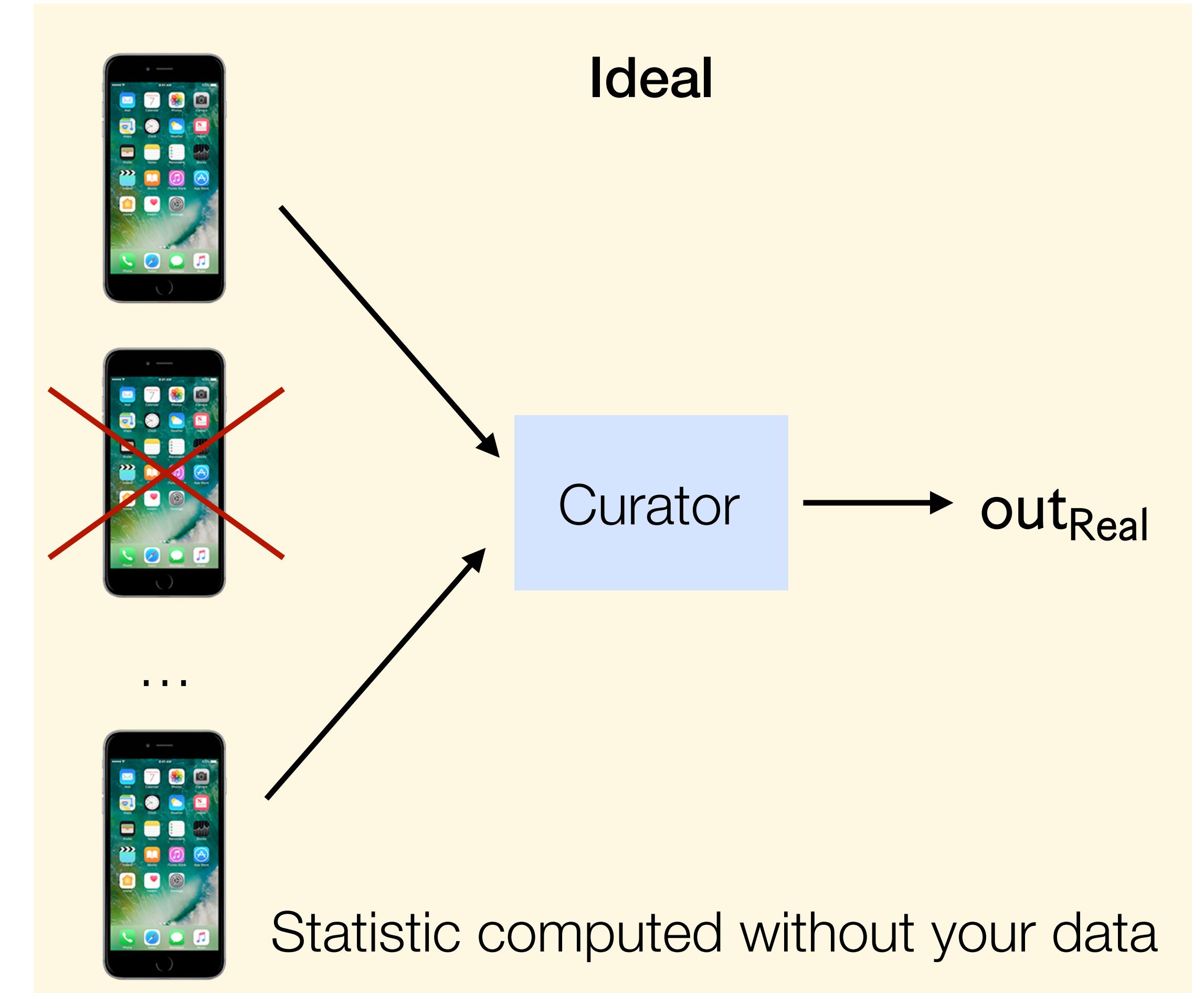
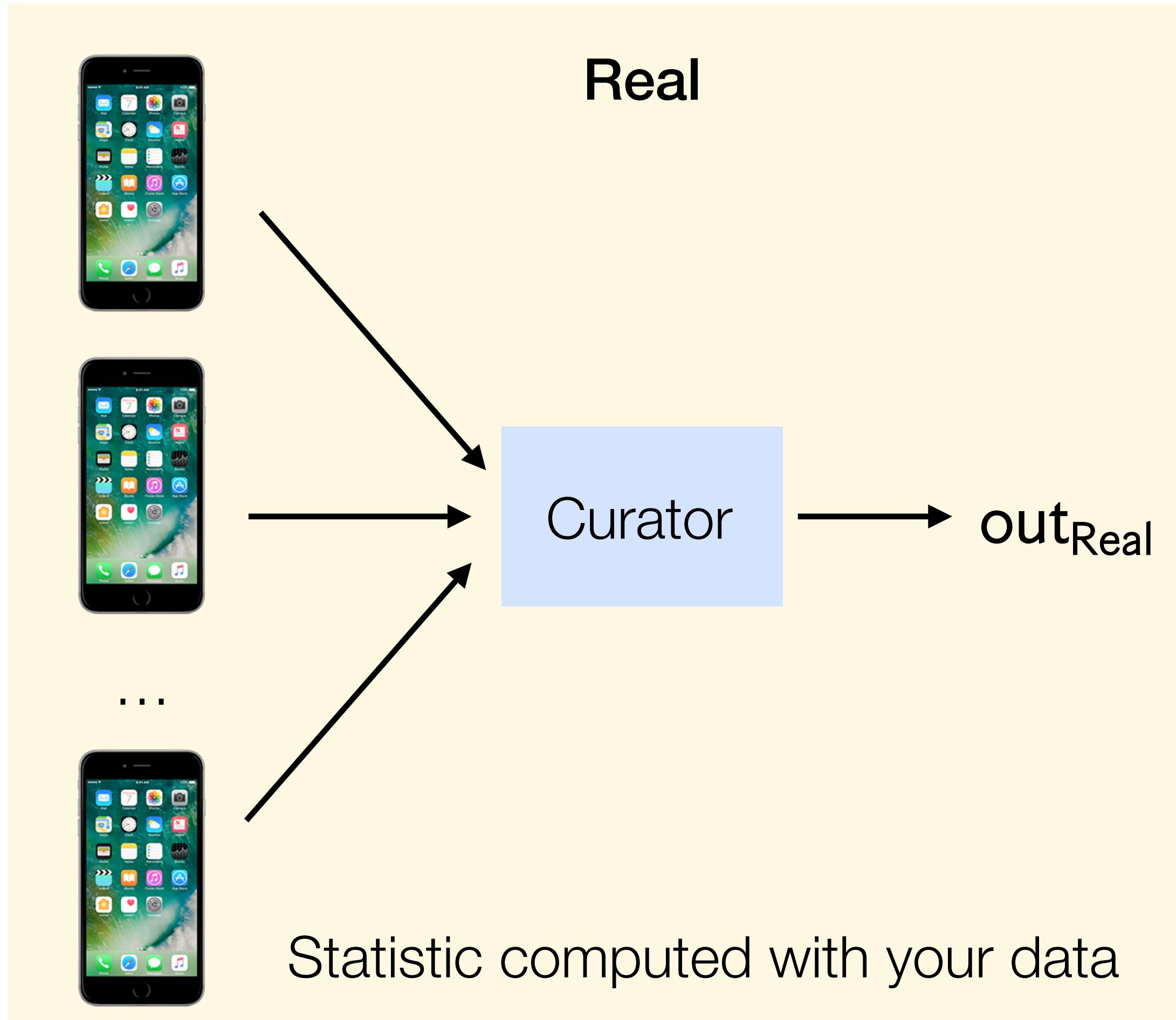
Federated learning

# Recap: AOL query deanonymization attack

- AOL query dataset had >20M anonymized search queries from 650,000 AOL users over 3 months
- Dataset released where each username was replaced with a random identifier
- Queries for
  - “Landscapers in Lilburn, Ga”
  - Several people with last name Arnold
  - “Homes sold in shadow lake subdivision Gwinnett county Georgia”
  - ... other sensitive queries
- Only 14 citizens with last name Arnold in Gwinnett County
- Found that user was Thelma Arnold, 62-year old woman in Georgia



# Recap: Differential privacy



$out_{Real} \approx out_{Ideal}$  (Not cryptographic indistinguishability)

# Recap: Differential privacy

[Dwork, Sherry, Nissim, Smith]

Mechanism  $\mathcal{M} : \mathcal{X}^n \rightarrow \mathcal{Y}$

For database with  $n$  rows of type  $\mathcal{X}$  and output statistic  $\mathcal{Y}$

Two databases are “neighboring” if they differ in at most one row

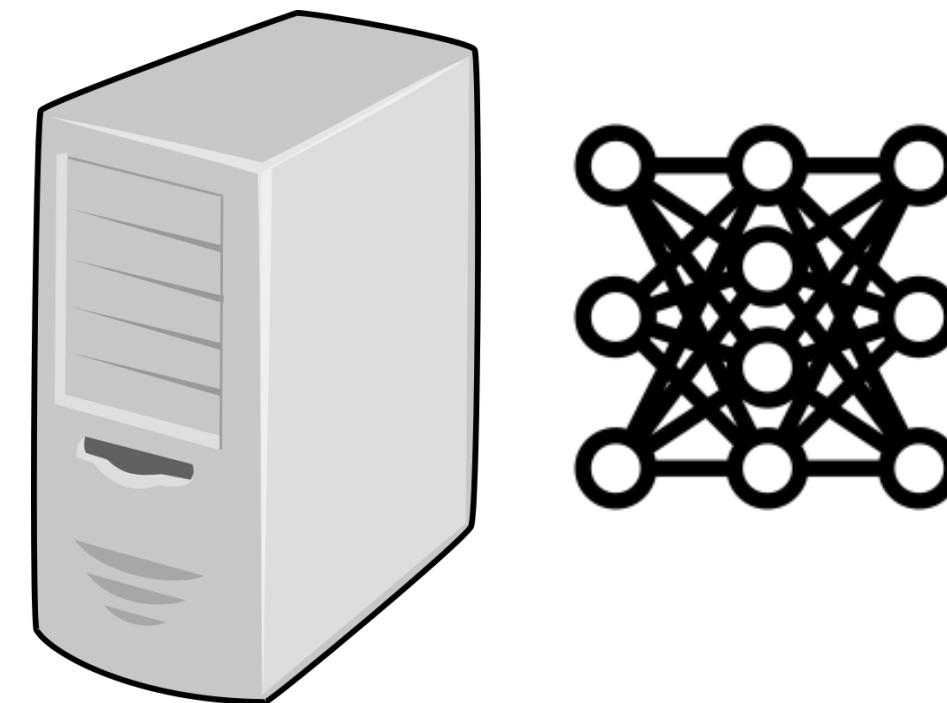
A mechanism  $\mathcal{M}$  is  $\epsilon$  differentially private if for all pairs of “neighboring databases”  $D, D'$  and every set of values  $S \in \mathcal{Y}$ :

$$\Pr[\mathcal{M}(D) \in S] \leq e^\epsilon \cdot \Pr[\mathcal{M}(D') \in S]$$

# Outline

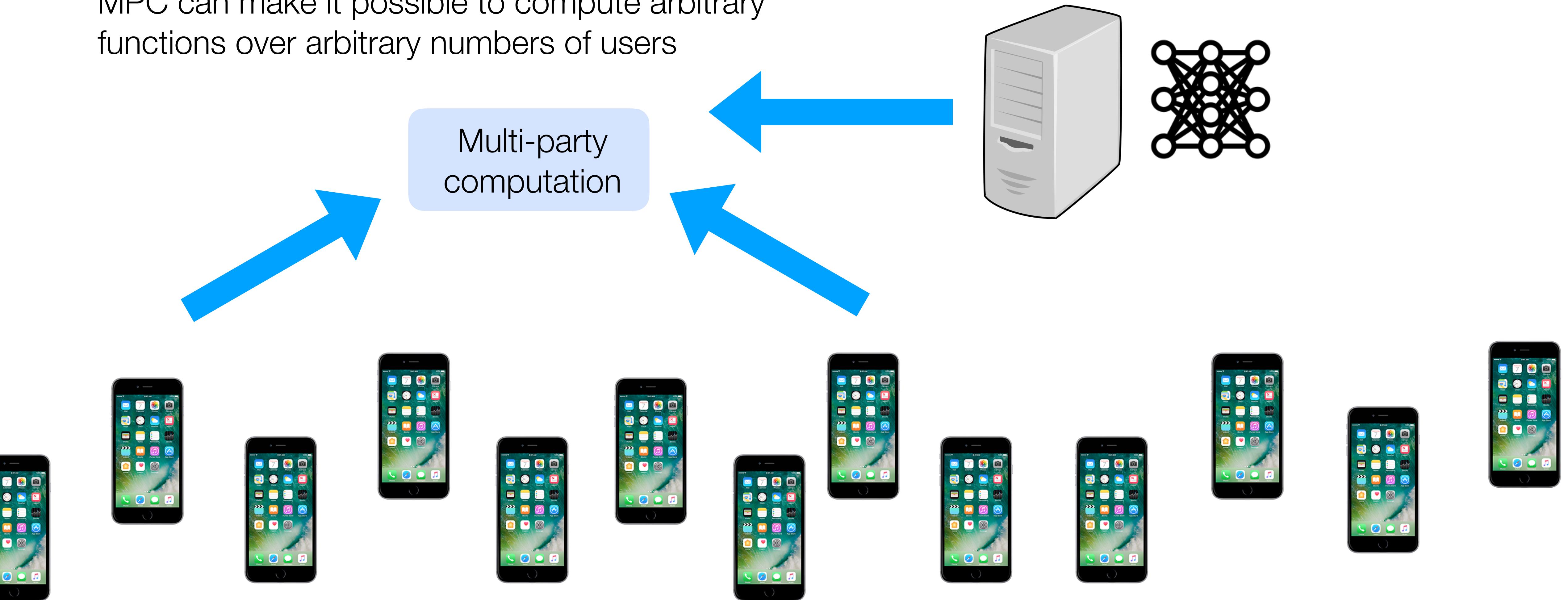
1. Federated learning
2. Flamingo
3. Other research topics
4. Student presentation

# Goal: privately train a model across many users



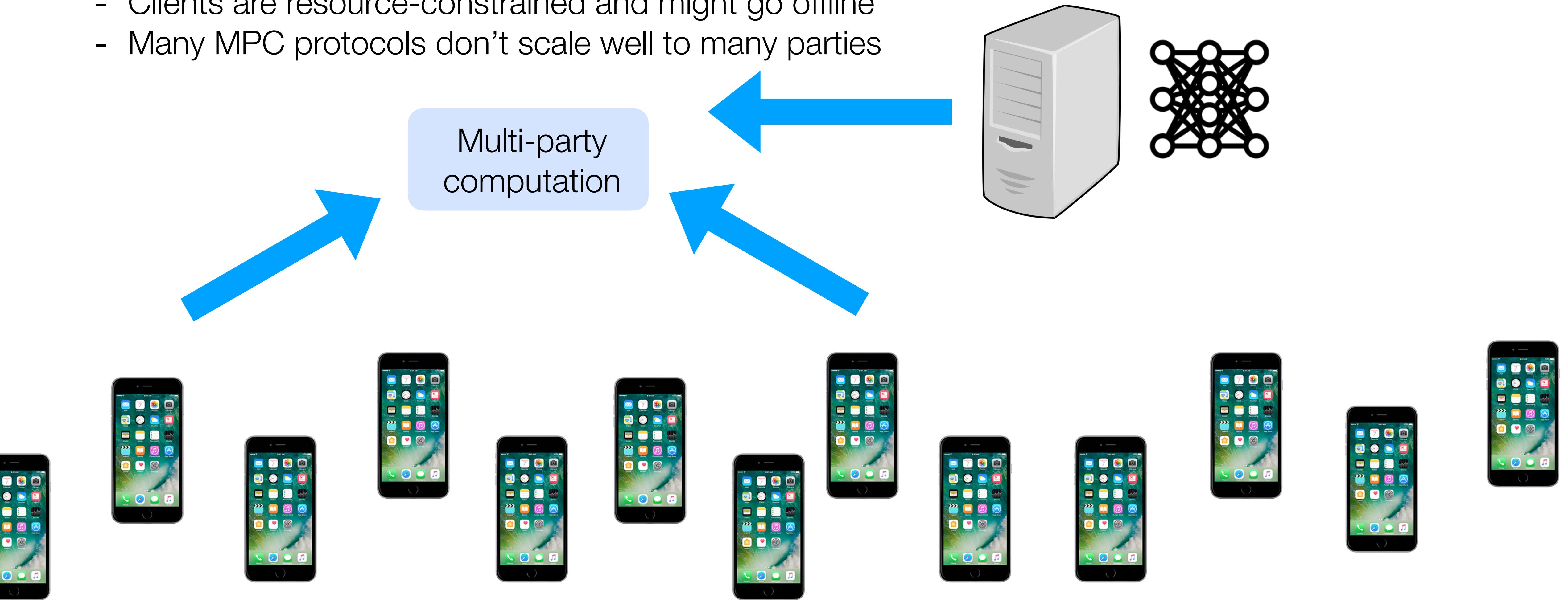
# One approach: generic multi-party computation

MPC can make it possible to compute arbitrary functions over arbitrary numbers of users



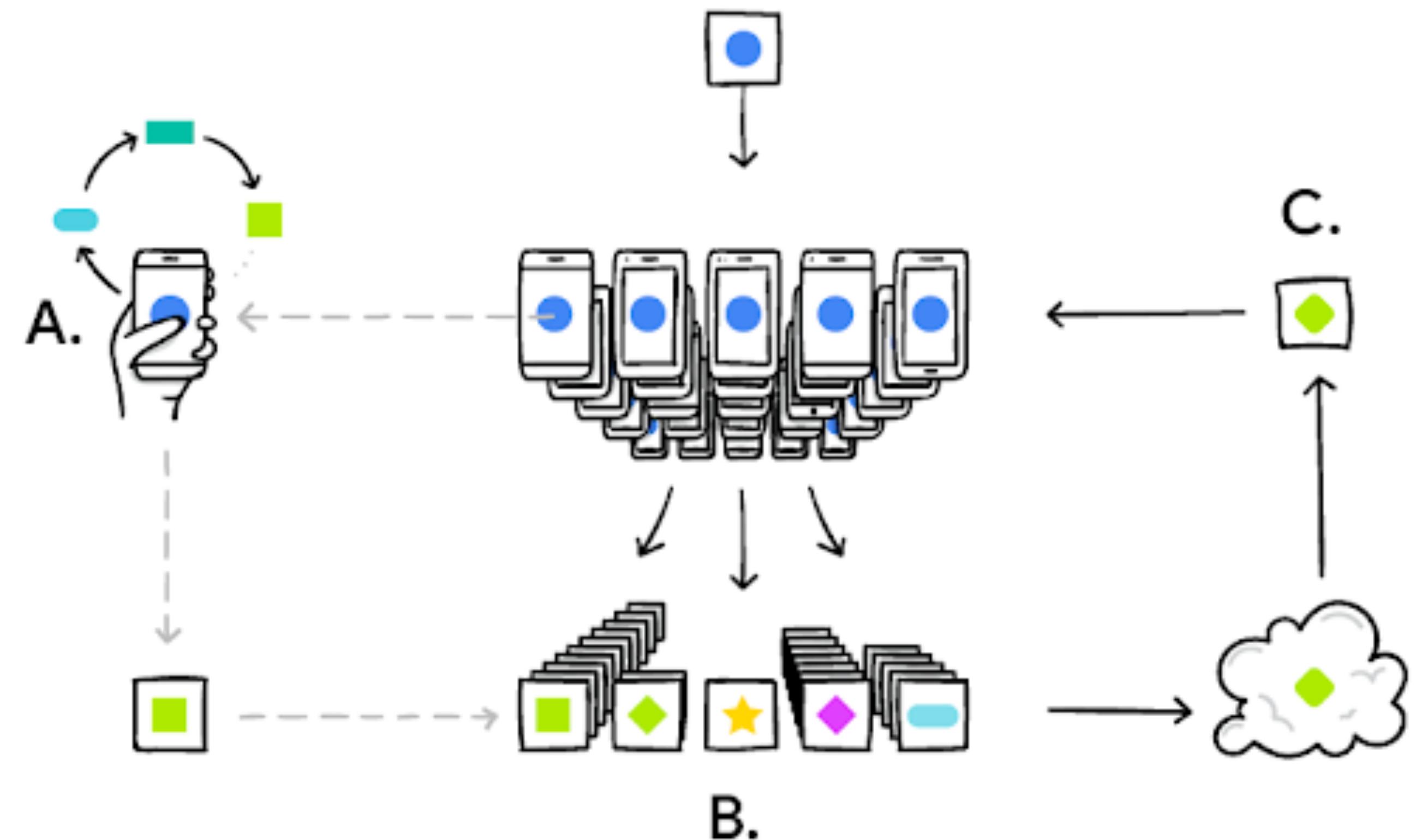
# Why not run a MPC across all users?

- Clients are resource-constrained and might go offline
- Many MPC protocols don't scale well to many parties



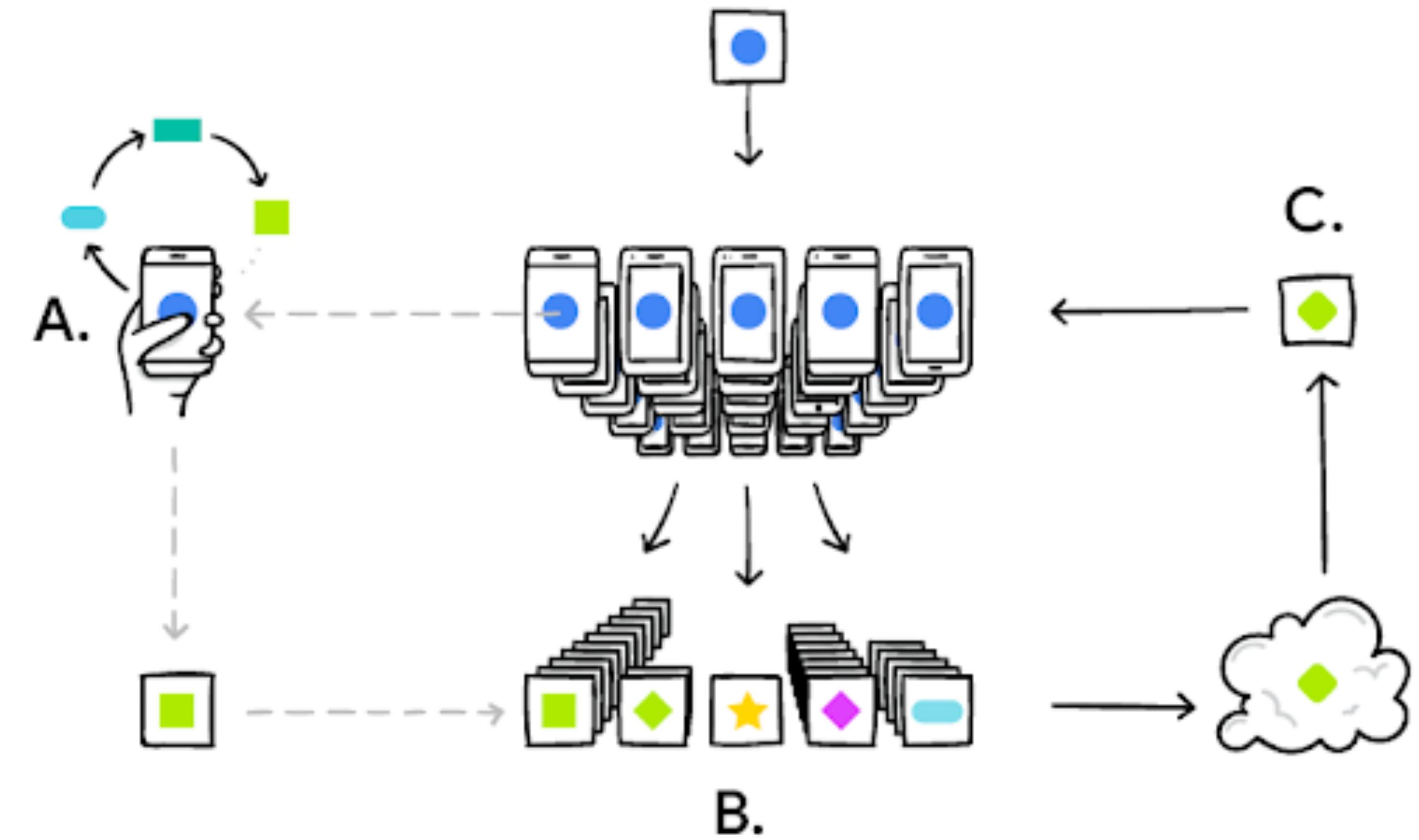
# Federated learning

- Training data remains on the device
- Clients send updates to the server
- The server aggregates many user updates to produce a model update
- The server pushes the model update to the clients
- Repeat



# Challenge: resource-constrained, heterogeneous clients

- Mobile devices have powerful processors, but limited and intermittent connectivity (in contrast to datacenters, where compute is dominant factor)
- Data is not IID (user's dataset is not representative of population) and unbalanced (some users use the app more than others)
- Naively distributing a training algorithm like SGD does not satisfy these constraints



# Idea: more compute for higher-quality updates

[McMahan, Moore, Ramage, Hampson, Arcas]

- For each round, choose a set of clients
- Each chosen client runs some number of SGD updates locally
- Each chosen client sends its update to the aggregator

---

**Algorithm 1** FederatedAveraging. The  $K$  clients are indexed by  $k$ ;  $B$  is the local minibatch size,  $E$  is the number of local epochs, and  $\eta$  is the learning rate.

---

**Server executes:**

```
initialize  $w_0$ 
for each round  $t = 1, 2, \dots$  do
     $m \leftarrow \max(C \cdot K, 1)$ 
     $S_t \leftarrow$  (random set of  $m$  clients)
    for each client  $k \in S_t$  in parallel do
         $w_{t+1}^k \leftarrow \text{ClientUpdate}(k, w_t)$ 
     $m_t \leftarrow \sum_{k \in S_t} n_k$ 
     $w_{t+1} \leftarrow \sum_{k \in S_t} \frac{n_k}{m_t} w_{t+1}^k$  // Erratum4
```

**ClientUpdate( $k, w$ ):** // Run on client  $k$

```
 $\mathcal{B} \leftarrow$  (split  $\mathcal{P}_k$  into batches of size  $B$ )
for each local epoch  $i$  from 1 to  $E$  do
    for batch  $b \in \mathcal{B}$  do
         $w \leftarrow w - \eta \nabla \ell(w; b)$ 
return  $w$  to server
```

---

# Idea: more compute for higher-quality updates

[McMahan, Moore, Ramage, Hampson, Arcas]

- For each round, choose a set of clients
- Each chosen client runs some number of SGD updates locally
- Each chosen client sends its update to the aggregator

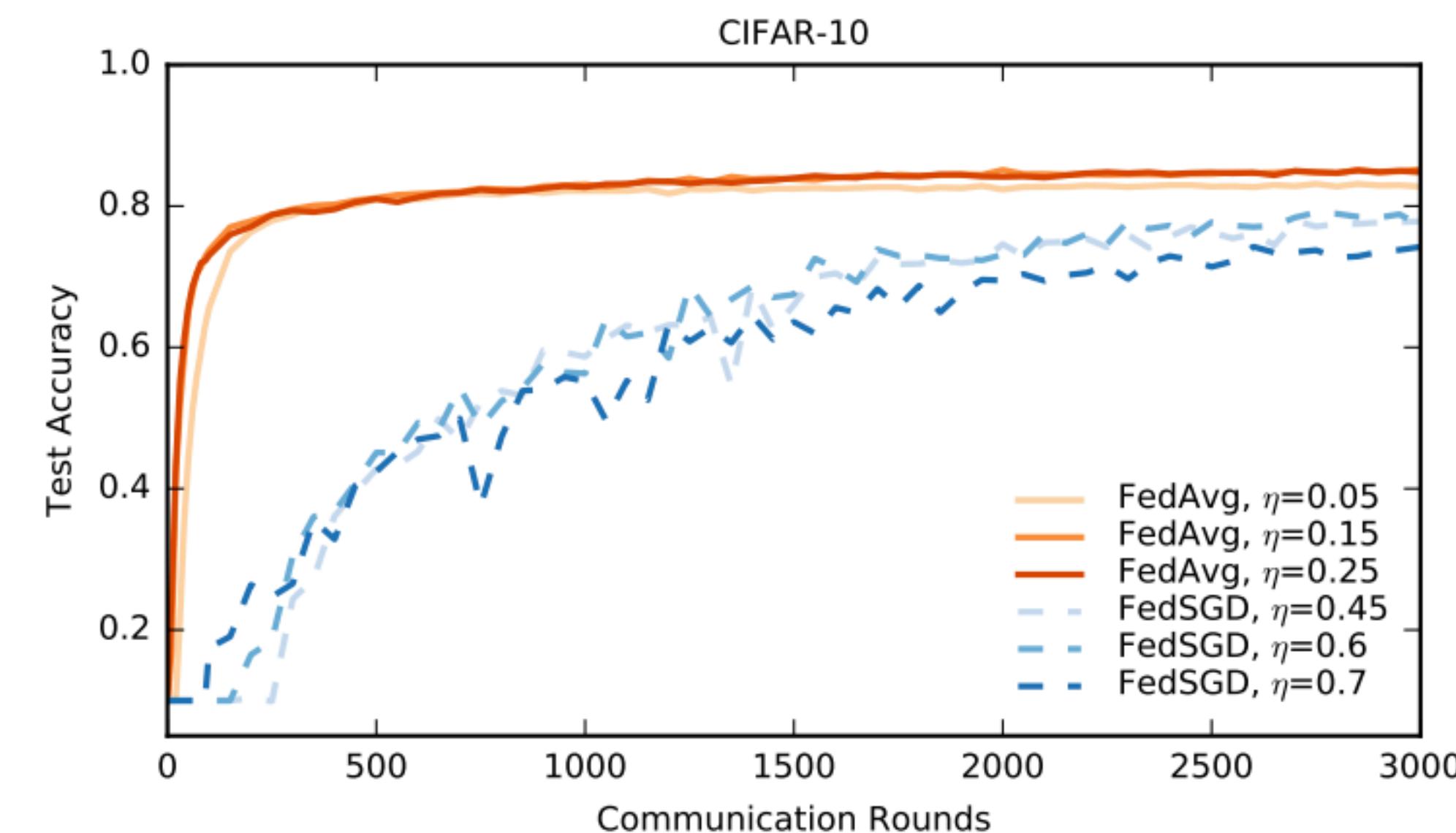


Figure 4: Test accuracy versus communication for the CIFAR10 experiments. FedSGD uses a learning-rate decay of 0.9934 per round; FedAvg uses  $B = 50$ , learning-rate decay of 0.99 per round, and  $E = 5$ .

# Use-cases of federated learning at Google

- Gboard: Next-word prediction, emoji usage, out-of-vocabulary word discovery
- “Hey Google” detection models in Assistant
- Suggesting replies in Google messages
- Predicting text selections

# Federated Learning

[McMahan, Moore, Ramage, Hampson, Arcas]

---

**Algorithm 1** FederatedAveraging. The  $K$  clients are indexed by  $k$ ;  $B$  is the local minibatch size,  $E$  is the number of local epochs, and  $\eta$  is the learning rate.

**Server executes:**

```
initialize  $w_0$ 
for each round  $t = 1, 2, \dots$  do
     $m \leftarrow \max(C \cdot K, 1)$ 
     $S_t \leftarrow$  (random set of  $m$  clients)
    for each client  $k \in S_t$  in parallel do
         $w_{t+1}^k \leftarrow \text{ClientUpdate}(k, w_t)$ 
     $m_t \leftarrow \sum_{k \in S_t} n_k$ 
     $w_{t+1} \leftarrow \sum_{k \in S_t} \frac{n_k}{m_t} w_{t+1}^k$  // Erratum4
```

**ClientUpdate( $k, w$ ):** // Run on client  $k$

```
 $\mathcal{B} \leftarrow$  (split  $\mathcal{P}_k$  into batches of size  $B$ )
for each local epoch  $i$  from 1 to  $E$  do
    for batch  $b \in \mathcal{B}$  do
         $w \leftarrow w - \eta \nabla \ell(w; b)$ 
return  $w$  to server
```

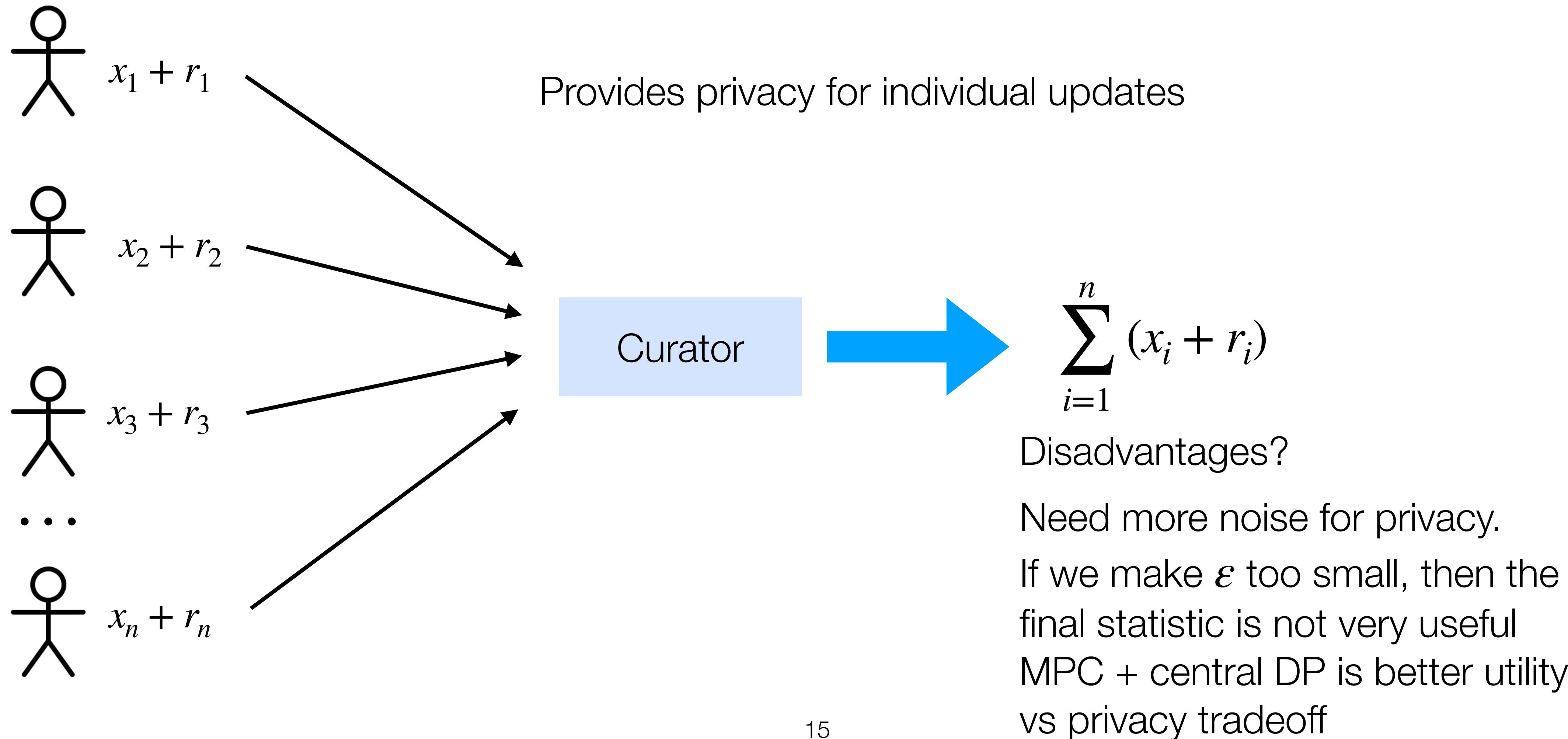
The training data never leaves the client device

Is this enough for privacy?

No – model updates can still reveal sensitive information (student presentation)

How can we ensure the aggregator does not learn sensitive user information?

# One approach: Local differential privacy



# Another approach: two-server private aggregate statistics

- Compute a sum over client inputs
- Robustness: Malicious clients cannot overly influence sum

What does it mean that one user cannot have an outsize influence on the trained model?

- Popular approach: bound the  $L_2$  norm of the update

$$\sum_{i=1}^n x_i$$



$x_1$



$x_2$



...

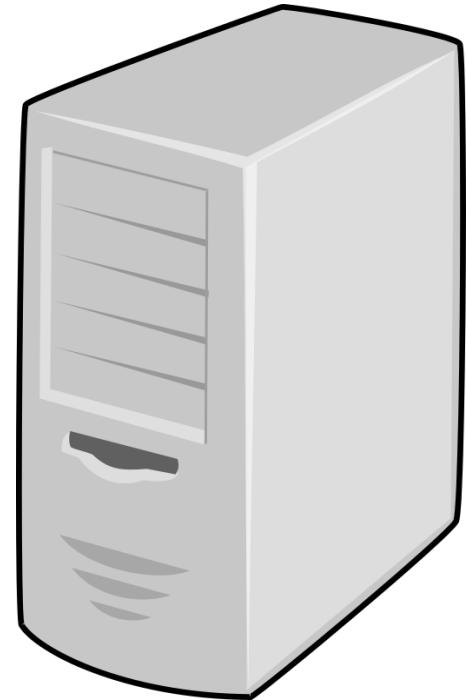
$x_n$



# Today: Single-server federated learning

- Goal: Server only learns the sum of all client updates, but not individual client updates

$$\sum_{i=1}^n x_i$$



$x_1$



$x_2$



...

$x_n$



# Outline

1. Federated learning
2. **Flamingo**
3. Other research topics
4. Student presentation

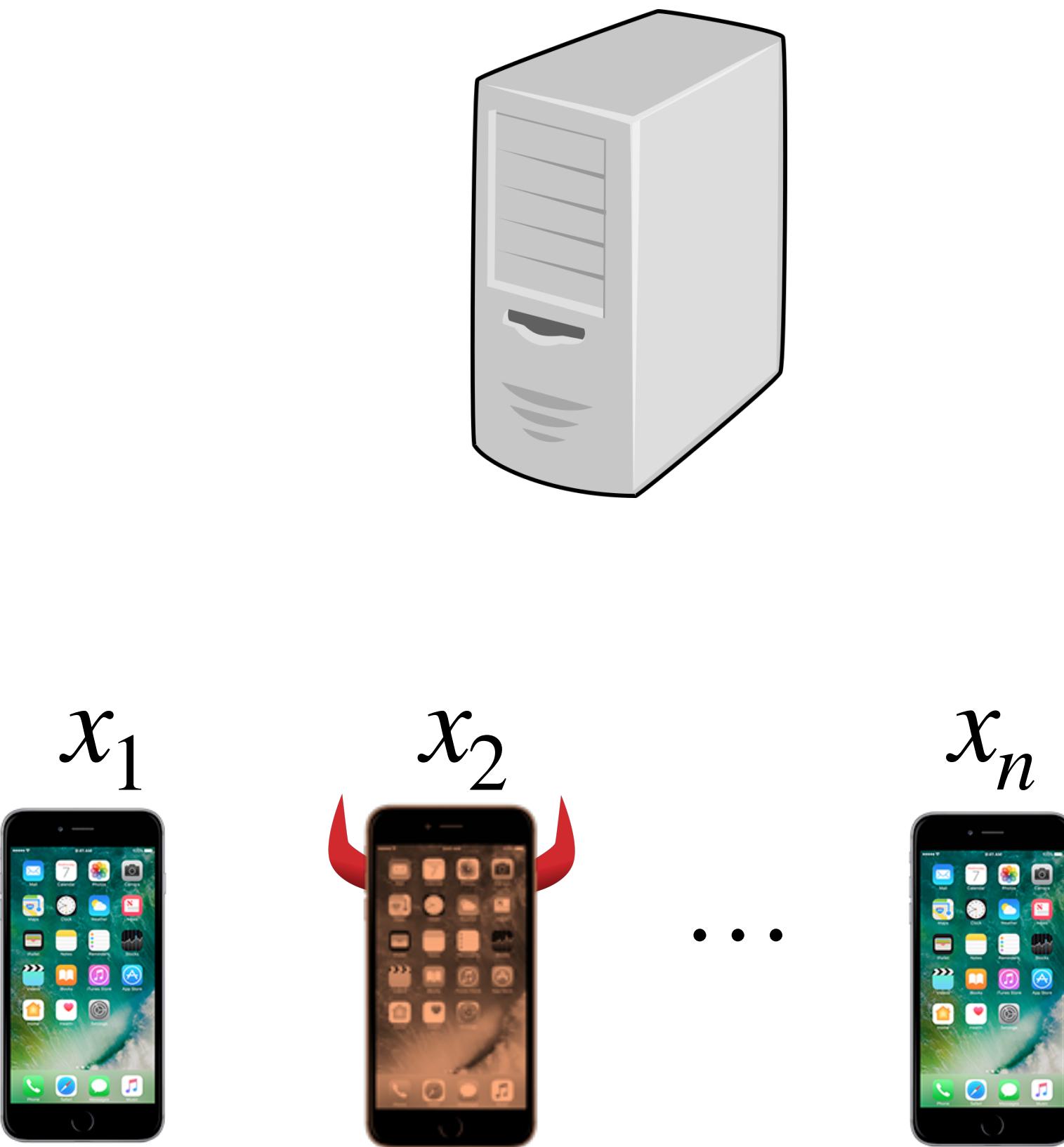
# Flamingo security properties

[Ma, Woods, Angel, Polychroniadou, Rabin]

**Privacy:** A malicious adversary that compromises the server and some fraction of the clients only learns the sum of client inputs over at least some fraction of clients

- Individual inputs are hidden

**Dropout resilience:** When all parties follow the protocol, the server gets a sum of inputs from all online clients



Similarities and differences with Prio?

# Background: Threshold secret sharing

Threshold secret sharing scheme across  $n$  parties where only  $t$  shares are necessary to reconstruct the original value

- $\text{Share}(\alpha) \rightarrow (\alpha_1, \alpha_2, \dots, \alpha_n)$ :
- $\text{Reconstruct}(\alpha_1, \alpha_2, \dots, \alpha_t) \rightarrow \alpha$

Properties:

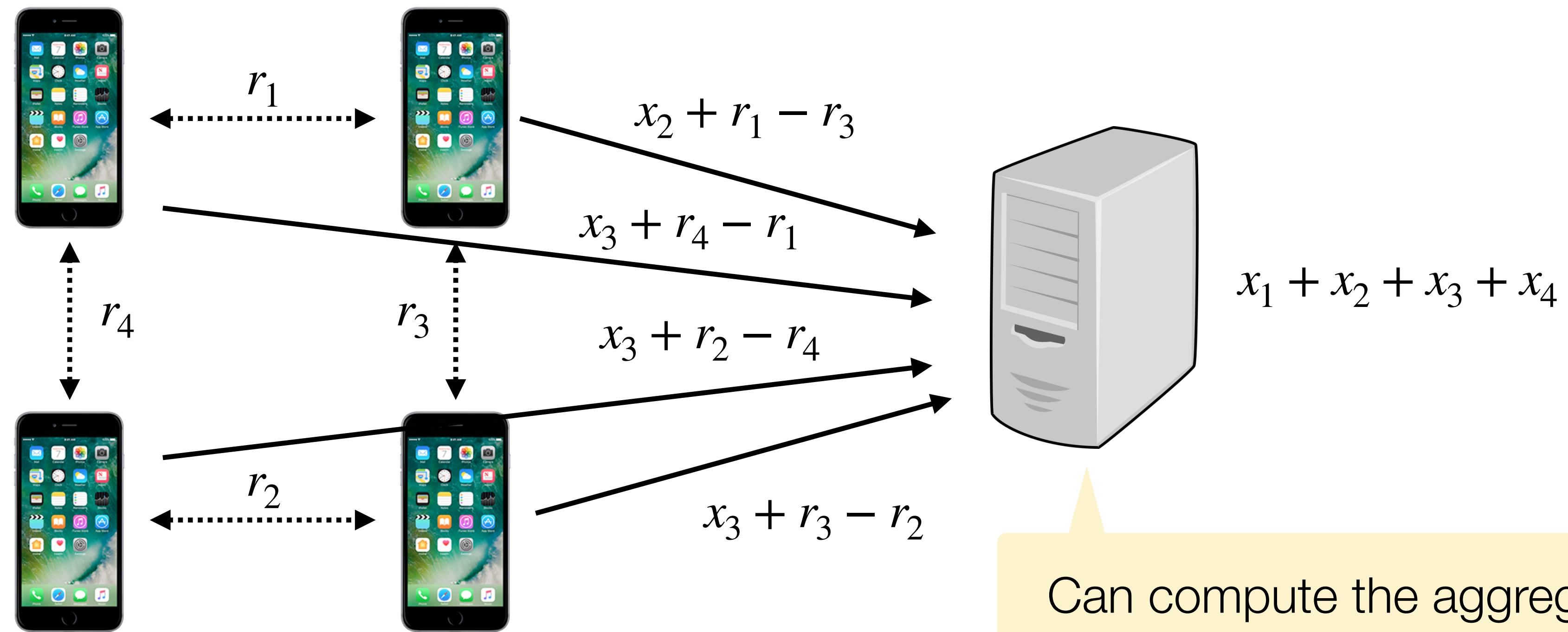
- Any group of  $t$  of the  $n$  shares can be used to reconstruct  $x$
- Every set of  $t - 1$  shares reveal nothing about  $x$
- Can add shares locally, can multiply with communication between parties (similar to additive shares)

# Background: Shamir secret sharing

Threshold secret sharing scheme across  $n$  parties where only  $t$  shares are necessary to reconstruct the original value

- **Share( $\alpha$ )  $\rightarrow (\alpha_1, \alpha_2, \dots, \alpha_n)$ :**
  1. Sample values  $a_1, a_2, \dots, a_t$
  2. Compute polynomial  $f(x) = a_1x + a_2x^2 + \dots + a_tx^t + \alpha$
  3. Output  $f(i)$  for  $i \in \{1, 2, \dots, n\}$
- **Reconstruct( $\alpha_1, \alpha_2, \dots, \alpha_t$ )  $\rightarrow \alpha$** 
  1. Interpolate the polynomial  $f$
  2. Output  $f(0)$

# Idea: pairwise secrets



# Starting point: BBGLR protocol

## Step 1: Setup

- Each client samples a keypair
- Each client  $i$  samples a set of “neighboring” clients  $A_i$  and sends the neighboring clients its public key, forming a graph
- Each client  $i$  uses Shamir secret sharing to split its secret key and a random value  $m_i$  across neighboring clients

# Starting point: BBGLR protocol

## Step 1: Setup

- Each client samples a keypair
- Each client  $i$  samples a set of “neighboring” clients  $A_i$  and sends the neighboring clients its public key, forming a graph
- Each client  $i$  uses Shamir secret sharing to split its secret key and a random value  $m_i$  across neighboring clients

## Step 2: Collection

- Client sends masked vector to server:  $\mathbf{v}_i = \mathbf{x}_i + \sum_{j \in A(i), i < j} \text{PRG}(r_{i,j}) - \sum_{j \in A(i), i > j} \text{PRG}(r_{i,j}) + \text{PRG}(m_i)$  where  $r_{i,j}$  is a shared secret between client  $i$  and  $j$  computed using one client’s secret key and the other client’s public key (Diffie-Hellman key exchange)
- For each offline client: the server request shares of the secret key from the client’s neighbors  
For each online client: the server requests shares of  $m_i$  from the client’s neighbors

Idea: pairwise masks cancel out if all clients are online (need to reconstruct pairwise masks from offline clients)

# Starting point: BBGLR protocol

## Step 1: Setup

- Each client samples a keypair
- Each client  $i$  samples a set of “neighboring” clients  $A_i$  and sends the neighboring clients its public key, forming a graph
- Each client  $i$  uses Shamir secret sharing to split its secret key and a random value  $m_i$  across neighboring clients

## Step 2: Collection

- Client sends masked vector to server:  $\mathbf{v}_i = \mathbf{x}_i + \sum_{j \in A(i), i < j} \text{PRG}(r_{i,j}) - \sum_{j \in A(i), i > j} \text{PRG}(r_{i,j}) + \text{PRG}(m_i)$  where  $r_{i,j}$  is a shared secret between client  $i$  and  $j$  computed using one client’s secret key and the other client’s public key (Diffie-Hellman key exchange)
- For each offline client: the server request shares of the secret key from the client’s neighbors  
For each online client: the server requests shares of  $m_i$  from the client’s neighbors

Question: Why both the individual and the pairwise masks?

# Starting point: BBGLR protocol

## Step 1: Setup

- Each client samples a keypair
- Each client  $i$  samples a set of “neighboring” clients  $A_i$  and sends the neighboring clients its public key, forming a graph
- Each client  $i$  uses Shamir secret sharing to split its secret key and a random value  $m_i$  across neighboring clients

## Step 2: Collection

- Client sends masked vector to server:  $\mathbf{v}_i = \mathbf{x}_i + \sum_{j \in A(i), i < j} \text{PRG}(r_{i,j}) - \sum_{j \in A(i), i > j} \text{PRG}(r_{i,j}) + \text{PRG}(m_i)$  where  $r_{i,j}$  is a shared secret between client  $i$  and  $j$  computed using one client’s secret key and the other client’s public key (Diffie-Hellman key exchange)
- For each offline client: the server request shares of the secret key from the client’s neighbors  
For each online client: the server requests shares of  $m_i$  from the client’s neighbors

Question: Why both the individual and the pairwise masks?

- Pairwise mask ensures that the server aggregates enough clients
- Individual mask ensures that if a message is received after the server has reconstructed the pairwise mask, it can’t learn the user’s input

# Starting point: BBGLR protocol

## Step 1: Setup

- Each client samples a keypair
- Each client  $i$  samples a set of “neighboring” clients  $A_i$  and sends the neighboring clients its public key, forming a graph
- Each client  $i$  uses Shamir secret sharing to split its secret key and a random value  $m_i$  across neighboring clients

## Step 2: Collection

- Client sends masked vector to server:  $\mathbf{v}_i = \mathbf{x}_i + \sum_{j \in A(i), i < j} \text{PRG}(r_{i,j}) - \sum_{j \in A(i), i > j} \text{PRG}(r_{i,j}) + \text{PRG}(m_i)$  where  $r_{i,j}$  is a shared secret between client  $i$  and  $j$  computed using one client’s secret key and the other client’s public key (Diffie-Hellman key exchange)
- For each offline client: the server request shares of the secret key from the client’s neighbors  
For each online client: the server requests shares of  $m_i$  from the client’s neighbors

Question: Is this protocol secure against a malicious adversary?

# Starting point: BBGLR protocol

## Step 1: Setup

- Each client samples a keypair
- Each client  $i$  samples a set of “neighboring” clients  $A_i$  and sends the neighboring clients its public key, forming a graph
- Each client  $i$  uses Shamir secret sharing to split its secret key and a random value  $m_i$  across neighboring clients

## Step 2: Collection

- Client sends masked vector to server:  $\mathbf{v}_i = \mathbf{x}_i + \sum_{j \in A(i), i < j} \text{PRG}(r_{i,j}) - \sum_{j \in A(i), i > j} \text{PRG}(r_{i,j}) + \text{PRG}(m_i)$  where  $r_{i,j}$  is a shared secret between client  $i$  and  $j$  computed using one client’s secret key and the other client’s public key (Diffie-Hellman key exchange)
- For each offline client: the server request shares of the secret key from the client’s neighbors  
For each online client: the server requests shares of  $m_i$  from the client’s neighbors

Question: Is this protocol secure against a malicious adversary?

- Server may give an inconsistent view of which clients are online/offline
- Malicious clients can return the wrong values, leading to reconstruction failure

# Flamingo

Extend BBGLR protocol to:

- Provide security against a malicious adversary
- Support aggregation across multiple rounds without per-round setup

Three ideas:

1. Dropout resilience by encrypting to a small group of decryptors
2. Reusable secrets across rounds
3. Per-round graphs to handle changing client sets

# Flamingo

Extend BBGLR protocol to:

- Provide security against a malicious adversary
- Support aggregation across multiple rounds without per-round setup

Three ideas:

- 1. Dropout resilience by encrypting to a small group of decryptors**
2. Reusable secrets across rounds
3. Per-round graphs to handle changing client sets

# Dropout resilience by encrypting to a small group of decryptors

- Group of clients (decryptors) keep secret shares of a secret decryption key
- Clients encrypt their pairwise and individual masks under the corresponding public key
- To recover the original result, they run a MPC to use their shares to decrypt ciphertext
  - Efficient, non-interactive MPC protocol for threshold decryption
- If enough of the decryptors are honest, for each client, the decryptors will decrypt one, but not both, of the two masks

$$\mathbf{v}_i = \mathbf{x}_i + \sum_{j \in A(i), i < j} \text{PRG}(r_{i,j}) - \sum_{j \in A(i), i > j} \text{PRG}(r_{i,j}) + \text{PRG}(m_i)$$

The equation is shown with three horizontal brackets underneath it. The first bracket covers the sum from  $j \in A(i), i < j$  and is labeled "Pairwise mask". The second bracket covers the sum from  $j \in A(i), i > j$  and is labeled "Individual mask". The third term,  $\text{PRG}(m_i)$ , is shown without a bracket and is positioned to the right of the second bracket.

# Flamingo

Extend BBGLR protocol to:

- Provide security against a malicious adversary
- Support aggregation across multiple rounds without per-round setup

Three ideas:

1. Dropout resilience by encrypting to a small group of decryptors
- 2. Reusable secrets across rounds**
3. Per-round graphs to handle changing client sets

# Starting point: BBGLR protocol

## Step 1: Setup

- Each client samples a key-pair
- Each client  $i$  samples a set of “neighboring” clients  $A_i$  and sends the neighboring clients its public key, forming a graph
- Each client  $i$  uses Shamir secret sharing to split its secret key and a random value  $m_i$  across neighboring clients

## Step 2: Collection

- Client sends masked vector to server:  $\mathbf{v}_i = \mathbf{x}_i + \sum_{j \in A(i), i < j} \text{PRG}(r_{i,j}) - \sum_{j \in A(i), i > j} \text{PRG}(r_{i,j}) + \text{PRG}(m_i)$  where  $r_{i,j}$  is a shared secret between client  $i$  and  $j$  computed using one client’s secret key and the other client’s public key (Diffie-Hellman key exchange)
- For each offline client: the server request shares of the secret key from the client’s neighbors  
For each online client: the server requests shares of  $m_i$  from the client’s neighbors

Question: What goes wrong if you re-use the same secret across rounds?

# Starting point: BBGLR protocol

## Step 1: Setup

- Each client samples a key-pair
- Each client  $i$  samples a set of “neighboring” clients  $A_i$  and sends the neighboring clients its public key, forming a graph
- Each client  $i$  uses Shamir secret sharing to split its secret key and a random value  $m_i$  across neighboring clients

## Step 2: Collection

- Client sends masked vector to server:  $\mathbf{v}_i = \mathbf{x}_i + \sum_{j \in A(i), i < j} \text{PRG}(r_{i,j}) - \sum_{j \in A(i), i > j} \text{PRG}(r_{i,j}) + \text{PRG}(m_i)$  where  $r_{i,j}$  is a shared secret between client  $i$  and  $j$  computed using one client’s secret key and the other client’s public key (Diffie-Hellman key exchange)
- For each offline client: the server request shares of the secret key from the client’s neighbors  
For each online client: the server requests shares of  $m_i$  from the client’s neighbors

Question: What goes wrong if you re-use the same secret across rounds?

- If a client is online one round and offline the next, the server can learn both the pairwise and individual mask

# Reusable secrets across rounds

The client uses the shared secret  $r_{i,j}$  as a PRG to compute a per-round pairwise mask

|                 |   |               |                 |
|-----------------|---|---------------|-----------------|
| <b>BBGLR</b>    | $\mathbf{v}_i = \mathbf{x}_i + \sum_{j \in A(i), i < j} \text{PRG}(r_{i,j}) - \sum_{j \in A(i), i > j} \text{PRG}(r_{i,j}) + \text{PRG}(m_i)$       | Pairwise mask | Individual mask |
| ↓               |   |               |                 |
| <b>Flamingo</b> | $\mathbf{v}_i = \mathbf{x}_i + \sum_{j \in A(i), i < j} \text{PRG}(r_{i,j}, t) - \sum_{j \in A(i), i > j} \text{PRG}(r_{i,j}, t) + \text{PRG}(m_i)$ | Pairwise mask | Individual mask |
| Round $t$       |   |               |                 |

# Flamingo

Extend BBGLR protocol to:

- Provide security against a malicious adversary
- Support aggregation across multiple rounds without per-round setup

Three ideas:

1. Dropout resilience by encrypting to a small group of decryptors
2. Reusable secrets across rounds
3. **Per-round graphs to handle changing client sets**

# Reusable secrets across rounds

- BBGLR uses a sparse graph (for pairwise secrets) to minimize communication between clients
- But across rounds, clients may go offline → don't want to set up a new graph every time
- One approach: Make one graph at setup time, and then use the subgraph for the participating clients in each subsequent round

# Reusable secrets across rounds

- BBGLR uses a sparse graph (for pairwise secrets) to minimize communication between clients
- But across rounds, clients may go offline —> don't want to set up a new graph every time
- One approach: Make one graph at setup time, and then use the subgraph for the participating clients in each subsequent round
  - Problem: If the graph is fairly sparse, and so if clients go online it might not be connected and may have isolated nodes (hurting privacy)
  - Problem: If the graph is more dense, then the communication overheads are high

# Reusable secrets across rounds

- BBGLR uses a sparse graph (for pairwise secrets) to minimize communication between clients
- But across rounds, clients may go offline → don't want to set up a new graph every time
- One approach: Make one graph at setup time, and then use the subgraph for the participating clients in each subsequent round
  - Problem: If the graph is fairly sparse, and so if clients go online it might not be connected and may have isolated nodes (hurting privacy)
  - Problem: If the graph is more dense, then the communication overheads are high
- Idea: client can use random seed along with knowledge of which clients are participating in the round to compute its set of neighbors
  - Does not have to materialize the entire graph

# Outline

1. Federated learning
2. Flamingo
- 3. Other research topics**
4. Student presentation

# Zero-knowledge proofs

Informally: Prove that some statement is true without revealing the evidence

More formally: For languages  $\mathcal{L}$  in NP with instance  $x$  and witness  $w$ , prove that  $x \in \mathcal{L}$  without revealing  $w$

Applications:

- Cryptocurrencies and blockchains
- Anonymous credentials (age verification, CAPTCHA alternative)
- Middleboxes that enforce properties on encrypted traffic [Zero-knowledge middleboxes]
- Edited image is derived from a photo taken by a certified camera [VeriTAS]
- Encrypted authentication logging [Larch]
- ... and more

# Homomorphic encryption

- Perform arbitrary computation on encrypted data
- Most efficient for circuits with low multiplicative depth
- Possible to perform computations with unbounded depth, but at a high concrete cost
- Applications to:
  - Searching on data (e.g., Tiptoe)
  - Inference where the client's input remains hidden
  - ... and more

# Secure inference

- How can you query a model hosted at a server without the server seeing your query?
- Challenge: large scale, operations that are not “crypto-friendly”
- Common approach: use a blend of multi-party computation and homomorphic encryption (Bolt, Delphi, Gazelle)
- Moving forward:
  - Can we build better cryptographic tools tailored to transformers?
  - Are there ways we can better co-design transformer inference and cryptographic tools?
  - Are there opportunities to use hardware to accelerate cryptographic operations?

# Next steps for security + cryptography at Stanford

## Courses:

- CS 251: Cryptocurrencies and blockchain technologies (fall)
- CS 255: Introduction to Cryptography (winter)
- CS 258: Quantum Cryptography (fall)
- CS 329T: Trustworthy Machine Learning (fall)
- CS 355: Advanced Topics in Cryptography (spring)
- CS 356: Topics in Computer and Network Security (fall)
- CS 357S: Formal Methods for Computer Systems (winter)

## Events:

- Security lunch (Wednesday @12PM, CoDa E160): <https://securitylunch.stanford.edu/>
- Security seminar (some Thursdays @4PM): <https://crypto.stanford.edu/seclab/sem.html>

If you're interested in research / continuing your course project, reach out!

# Week 10: Final presentations

12/2, 12/4: 9 minutes for presentation, 2 minutes for questions / transitioning to next group

12/2: Final project reports due

# Outline

1. Federated learning
2. Flamingo
3. Other research topics
4. **Student presentation**

# References

- Bell, James Henry, Kallista A. Bonawitz, Adrià Gascón, Tancrede Lepoint, and Mariana Raykova. "Secure single-server aggregation with (poly) logarithmic overhead." In *Proceedings of the 2020 ACM SIGSAC conference on computer and communications security*, pp. 1253-1269. 2020.
- Datta, Trisha, Binyi Chen, and Dan Boneh. "VeriTAS: Verifying image transformations at scale." In *2025 IEEE Symposium on Security and Privacy (SP)*, pp. 4606-4623. IEEE, 2025.
- Dauterman, Emma, Danny Lin, Henry Corrigan-Gibbs, and David Mazières. "Accountable authentication with privacy protection: The Larch system for universal login." In *17th USENIX Symposium on Operating Systems Design and Implementation (OSDI 23)*, pp. 81-98. 2023.
- Grubbs, Paul, Arasu Arun, Ye Zhang, Joseph Bonneau, and Michael Walfish. "{Zero-Knowledge} middleboxes." In *31st USENIX Security Symposium (USENIX Security 22)*, pp. 4255-4272. 2022.
- Juvekar, Chiraag, Vinod Vaikuntanathan, and Anantha Chandrakasan. "{GAZELLE}: A low latency framework for secure neural network inference." In *27th USENIX security symposium (USENIX security 18)*, pp. 1651-1669. 2018.
- Ma, Yiping, Jess Woods, Sebastian Angel, Antigoni Polychroniadou, and Tal Rabin. "Flamingo: Multi-round single-server secure aggregation with applications to private federated learning." In *2023 IEEE Symposium on Security and Privacy (SP)*, pp. 477-496. IEEE, 2023.
- McMahan, Brendan, Eider Moore, Daniel Ramage, Seth Hampson, and Blaise Aguera y Arcas. "Communication-efficient learning of deep networks from decentralized data." In *Artificial intelligence and statistics*, pp. 1273-1282. PMLR, 2017.
- Mishra, Pratyush, Ryan Lehmkuhl, Akshayaram Srinivasan, Wenting Zheng, and Raluca Ada Popa. "Delphi: A cryptographic inference system for neural networks." In *Proceedings of the 2020 Workshop on Privacy-Preserving Machine Learning in Practice*, pp. 27-30. 2020.
- Pang, Qi, Jinhao Zhu, Helen Möllering, Wenting Zheng, and Thomas Schneider. "Bolt: Privacy-preserving, accurate and efficient inference for transformers." In *2024 IEEE Symposium on Security and Privacy (SP)*, pp. 4753-4771. IEEE, 2024.
- <https://research.google/blog/federated-learning-collaborative-machine-learning-without-centralized-training-data/>
- <https://research.google/blog/federated-learning-with-formal-differential-privacy-guarantees/>