

# Exam Topics:

• Sub-queries in SQL (incl. understanding joins and aggregates) ✓

• Recursion in SQL ✓

• Database Design Principles

• Space filling curves

• ER Diagram and Model

• Indexes (Ordered, hash, tree based)

## Exam Format:

• Bunch of MCQ

• some T/F

• Bunch of short answer questions (on SQL, indexes, ER, etc.)

## Subquery Practice:

1928. Employees whose Manager Left the Company

• Find ID's of employees whose salary is strictly less than \$30000

AND  
• Find ID of those whose manager left the company

## Employee:

employee-id	name	manager-id	salary
3	Mila	9	60301
12	Antonella	null	31000
13	Emery	null	67064
1	Kalel	11	21241
9	Mikaela	null	30937
11	Toziah	6	28285

```
SELECT employee-id
FROM Employees
WHERE salary < 30000
AND manager-id NOT IN
(SELECT employee-id FROM Employees)
ORDER BY employee-id
```

## Recursion in SQL

• Write recursive query in SQL to generate number from 1 to 10.

```
WITH RECURSIVE cte AS (
```

```
SELECT 1 AS N
```

```
UNION ALL
```

```
SELECT N+1
```

```
FROM cte
```

```
WHERE N < 10
```

```
)
```

- Write recursive factorial query in SQL

WITH RECURSIVE cteFact AS (

SELECT 1 AS N, 1 AS fact

UNION ALL

SELECT N+1,  $(N+1) \cdot \text{fact}$

FROM cteFact

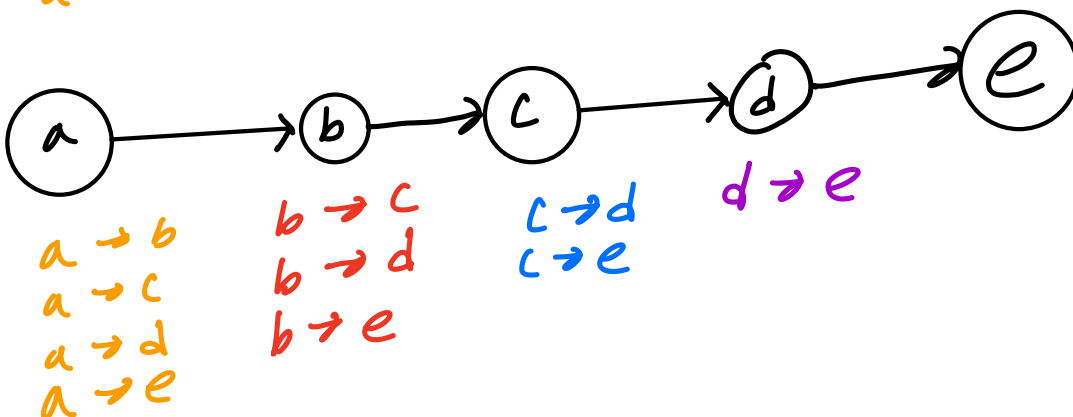
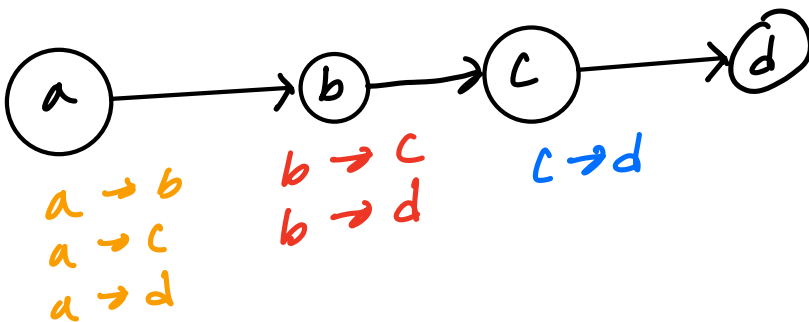
WHERE  $N < 10$

);

SELECT N, fact  
FROM cteFact

## Transitive Closure Review

- For a chain graph with  $n$  nodes, come up with a closed-form formula for the total # of edges in the transitive closure of the chain graph.



$$\boxed{\frac{N(N-1)}{2}}$$

$$\text{Ex: } \frac{5 \cdot (5-1)}{2} = 10$$

# Space Filling Curves

• Consider a 2D image of resolution  $8 \times 8$ .  
 Compute Morton code (Z-order code) for the following 2D points:

•  $(\underset{y}{5}, \underset{x}{5}) = 51$

•  $(\underset{y}{3}, \underset{x}{2})$

Using  $(\underset{y}{5}, \underset{x}{5})$ :

• Since it is an  $8 \times 8$  grid, we will represent the numbers as 3-bit.

$$5 = \underset{x_2 \ x_1 \ x_0}{101}$$

$$5 = \underset{y_2 \ y_1 \ y_0}{101}$$

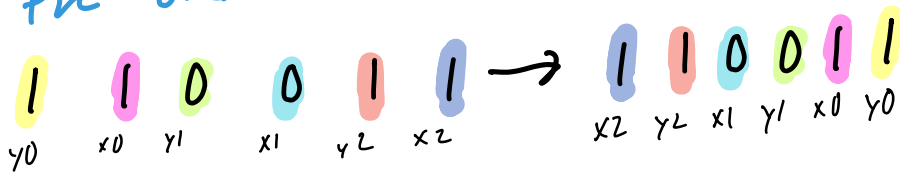
• Combine them in the order of:

$$(y_0, x_0, y_1, x_1, y_2, x_2)$$

$\downarrow \quad \downarrow \quad \downarrow \quad \downarrow \quad \downarrow \quad \downarrow$   
 $1 \quad 1 \quad 0 \quad 0 \quad 1 \quad 1$

• Since the 0th bit in binary starts all the way at the right, reverse

the order.



$$\begin{array}{cccccc}
 1 & 1 & 0 & 0 & 1 & 1 \\
 2^3 & 2^4 & 2^7 & 2^2 & 2^1 & 2^0 \\
 32 + 16 + 0 + 0 + 2 + 1 = 51
 \end{array}$$

Using  $(3, 2)$ :

- Since it is an  $8 \times 8$  grid, we will represent the number as 3-bit.

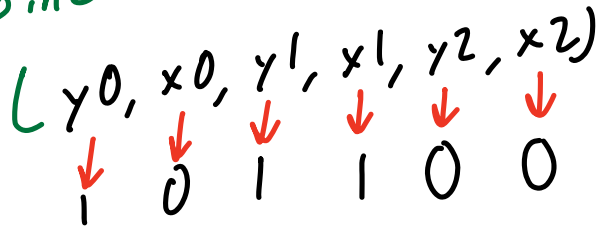
$$3 = 011 \quad (011, 010)$$

$y_2 \ y_1 \ y_0$

$$2 = 010$$

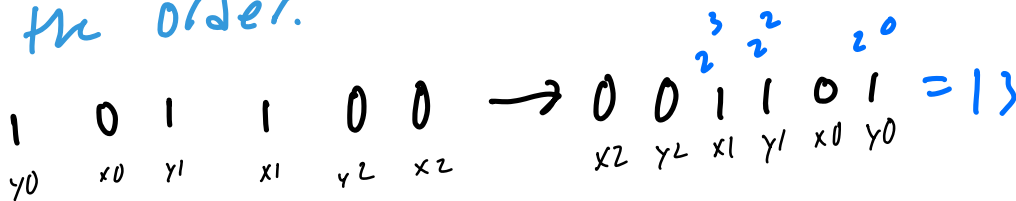
$x_2 \ x_1 \ x_0$

- Combine them in the order of:



- Since the 0th bit in binary starts all the way at the right, reverse

the order.



$$\begin{array}{l}
 101101 = 11 \\
 x_2 \ y_2 \ x_1 \ y_1 \ x_0 \ y_0 \\
 011110 = 29 \\
 y_2 \ x_2 \ y_1 \ x_1 \ y_0 \ x_0
 \end{array}$$

