Code Review 4 Handout

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Topic Outline

This week we are looking at a very important, useful construct in OCaml that helps with abstraction and making code more reusable and scalable.

- modules
- signatures and interfaces
- polymorphic abstract types
- functors

Modules

Using **modules** is an important way to take advantage of abstraction in OCaml. Modules are basically a grouping of types, functions, and other values together under one value name. They provide a way to organize and scale repeated blocks of code.

Problem 1 What are some example use cases for modules?

Problem 2 Why create modules in the first place?

Making Modules

Problem 3 Create a TFJosh module that includes a demographic type and value (which should be a record with age, gender, and hometown), a name value, a favorite int -> int -> bool function, and a print_demographic function of type demographic -> string.

Alternatives Ways to Create Modules In Problem 2, we created an explicit module. There are also other ways to create modules.

- built-in modules
- files as modules

Accessing Modules There are also multiple ways to access modules

- top-level open
- local open

Problem 4 How do you decide when to use top-level vs. local opens?

Signatures and Interfaces

Consider our example for TF

What if we wanted to factor out everything to reuse basic data types, since apparently the Professor type has the exact same values, except it also has a few additional parts such as a lecture function and years_experience value?

We should create a **module signature** (also called an **interface**). These basically explain the types of the exposed values inside a module of that module signature. It is, in a sense, a blueprint that people using your module can reference to know what functionality is available to use for that module.

Problem 5 Why have module signatures?

Problem 6 How does this module vs. module signature distinction relate to something like the List module?

Problem 7 Make a type signature for our TF module.

Problem 8 Explicitly type the module implementation defined above as matching the module signature TF.

It is difficult at first to understand why all of this discussion about modules and interfaces is relevant at all. Consider this example from lab

```
module IntListStack =
    struct
        exception EmptyStack
        type stack = int list
        (* Returns an empty stack *)
        let empty () : stack = []
        (* Add an element to the top of the stack *)
        let push (i : int) (s : stack) : stack = i :: s
        (* Return the value of the topmost element on the stack *)
        let top (s : stack) : int =
            match s with
            | [] -> raise EmptyStack
            | h :: _ -> h
        (* Return a modified stack with the topmost element removed *)
        let pop (s : stack) : stack =
            match s with
            | [] -> raise EmptyStack
            | _::t -> t
    end ;;
```

Problem 9 What is bad about the implementation of the int stack above?

Problem 10 How would we write a module signature for int stack to better abstract the implementation?

After implementing Problem 10, we can create a more abstracted stack

```
module SafeIntListStack = (IntListStack : INT_STACK) ;;
```

Aside on Reverse Application Operator The reverse application operator is good design and easier to reason about. This

```
let safe_stack () : SafeIntListStack.stack =
   let open SafeIntListStack in
   push 1 (push 5 (empty ())) ;;

goes to this

let safe_stack () : SafeIntListStack.stack =
   let open SafeIntListStack in
   empty ()
   |> push 5
   |> push 1 ;;
```

Polymorphic Abstract Types

These are similar to polymorphic ADTs. This is especially useful for modules that can be implemented on multiple data types.

```
module type QUEUE =
    sig
        exception EmptyQueue
        type 'a queue
        val empty : unit -> 'a queue
        val enqueue : 'a -> 'a queue -> 'a queue
        val front : 'a queue -> 'a
        val dequeue : 'a queue -> 'a queue
end ;;
```

Functors

Functors are simply functions that take in modules as input and return modules as ouput. A good way to review previous material and understand functors is to draw comparisons between records and modules.

Problem 11 Create a record type integer and a module signature Integer each with one value of type int named x.

Problem 12 Create a record one and a module One to represent the number 1 in their respective formats.

Problem 13 Create a function for records that adds their \mathbf{x} fields and a functor for modules that adds their \mathbf{x} values.

Problem 14 (Next level stuff.) Create a higher-order function and functor that takes in a function/functor $a \rightarrow a \rightarrow a$ and one value i of type a (where a is either integer or Integer for functions and functors, respectively) and returns the function/functor applied on i twice.

Problem 15 How can we use partial application on the function/functor we just created?