

Pung

Unobservable communication over fully untrusted infrastructure

Sebastian Angel (UT Austin) & Srinath Setty (Microsoft Research) at OSDI '16

Sze Chuen Tan

“Metadata absolutely tells you everything about somebody’s life. If you have enough metadata, you don’t really need content.”

Stewart Baker, Former NSA General Counsel

“Metadata absolutely tells you everything about somebody’s life. If you have enough metadata, you don’t really need content.”

Stewart Baker, Former NSA General Counsel

“We kill people based on metadata.”

General Michael Hayden, Former NSA and CIA Director

In response to Baker





3,464,282 views | Feb 16, 2012, 11:02am

How Target Figured Out A Teen Girl Was Pregnant Before Her Father Did



Kashmir Hill Forbes Staff

Welcome to *The Not-So Private Parts where technology & privacy collide*

Alice

Every time you go shopping, you share intimate details about your consumption patterns with retailers. And many of those retailers are studying those details to figure out what you like, what you need, and which coupons are most likely to make you happy. Target TGT -0.14%, for example, has figured out how to data-mine its way into your womb, to figure out whether you have a baby on the way long before you need to start buying diapers.

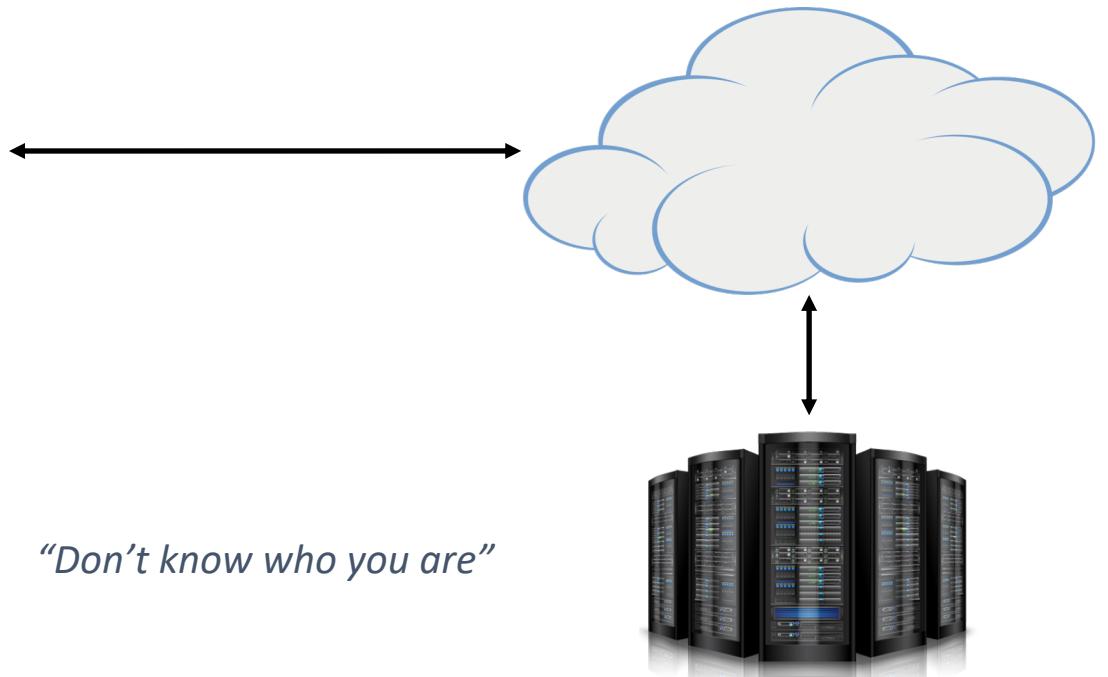
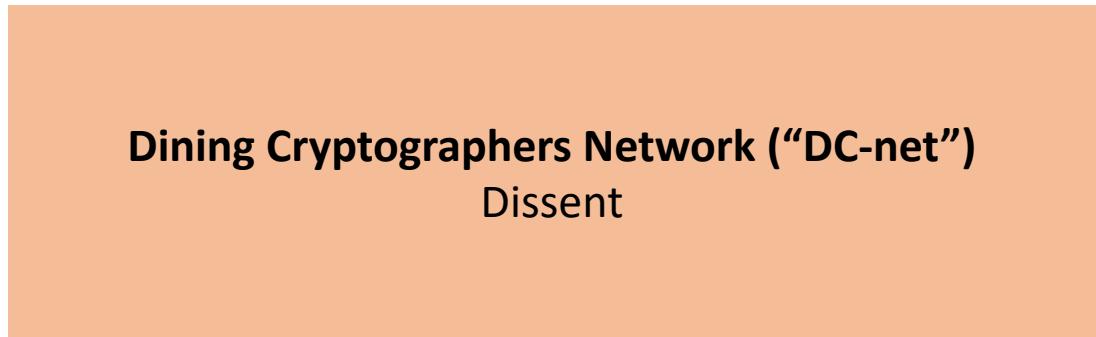
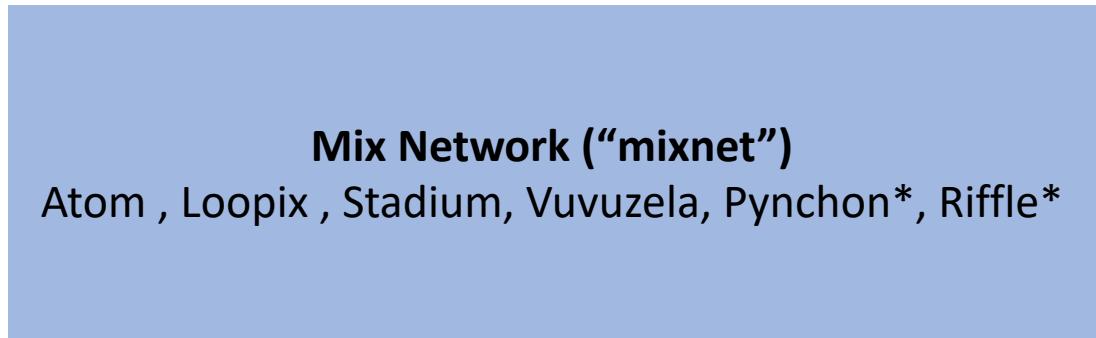


Target has got you in its aim

Wedding Planner

Obstetrician

Insurance Agent





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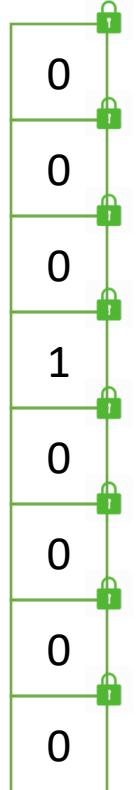
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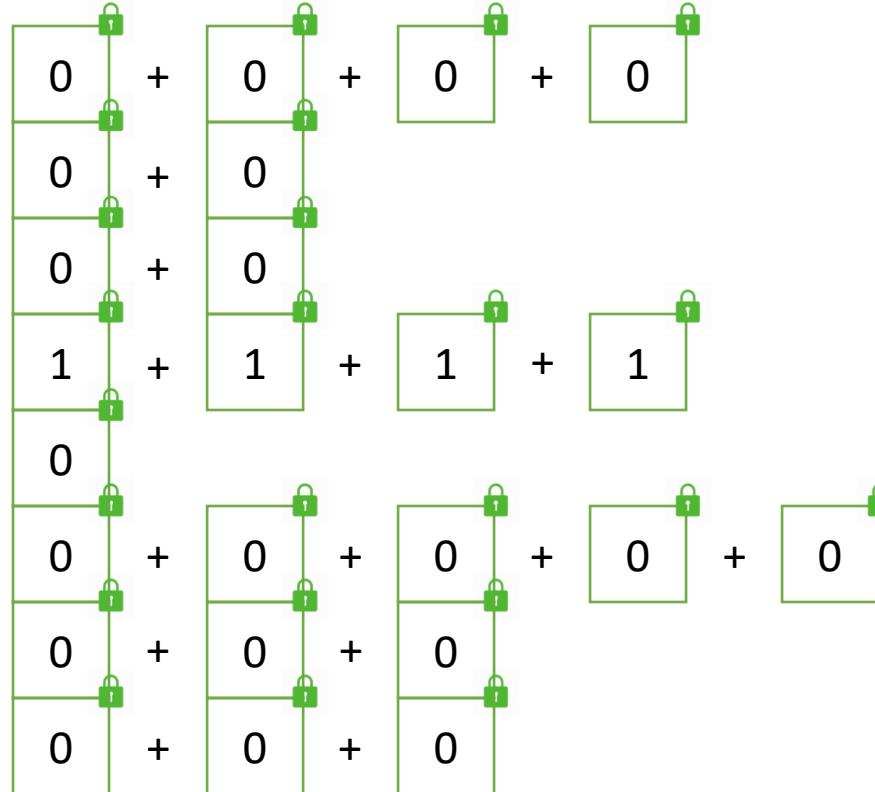


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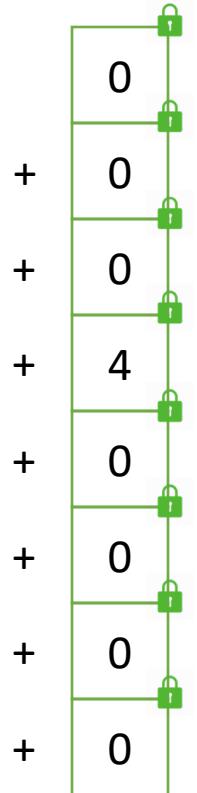


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4



4
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4
 1

A green-bordered square containing the number '4'. In the top right corner of the square is a small green rectangle containing a white padlock icon. To the right of the square is a small green number '1'.

4
2
2
4
1
5
3
3

A vertical column of eight boxes, each containing a number. From top to bottom, the numbers are: 4, 2, 2, 4, 1, 5, 3, 3. The boxes are separated by thin horizontal lines.



4



4

2

2

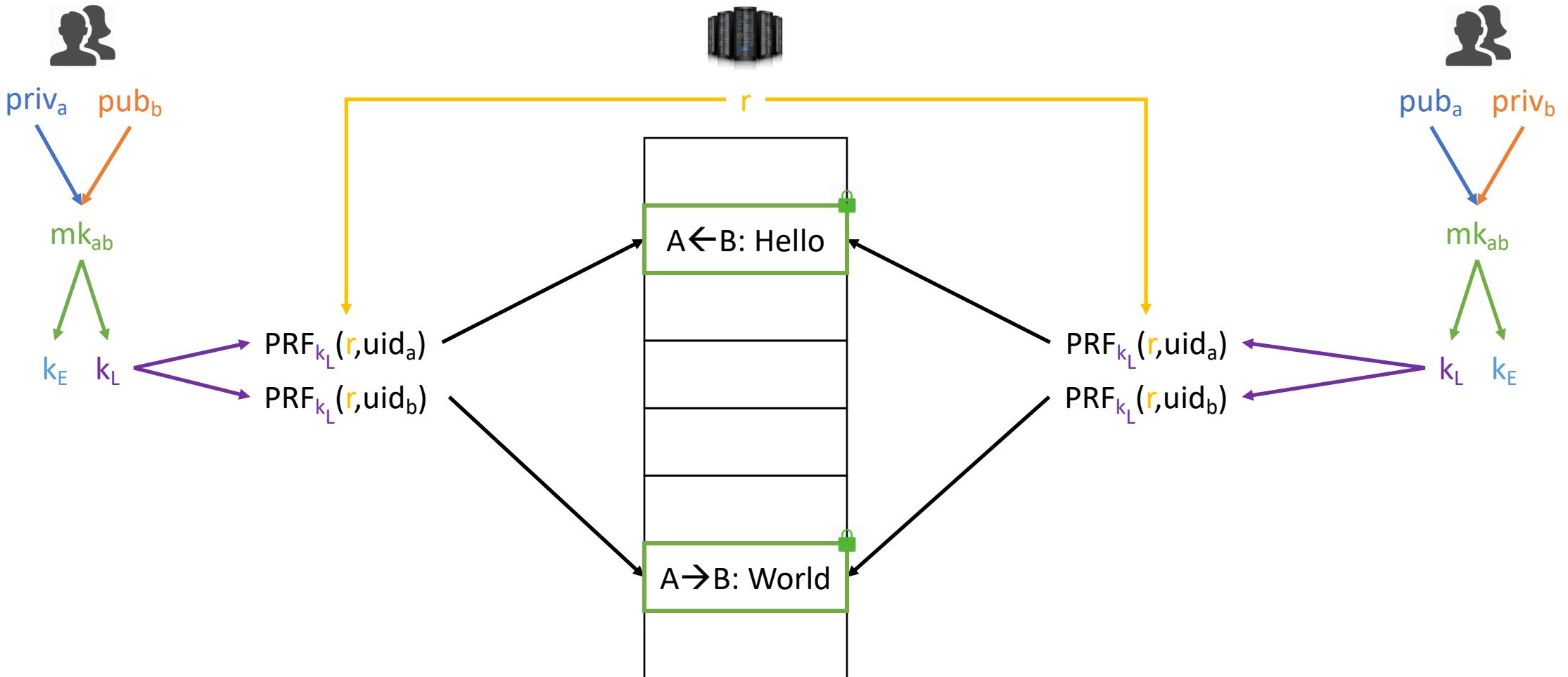
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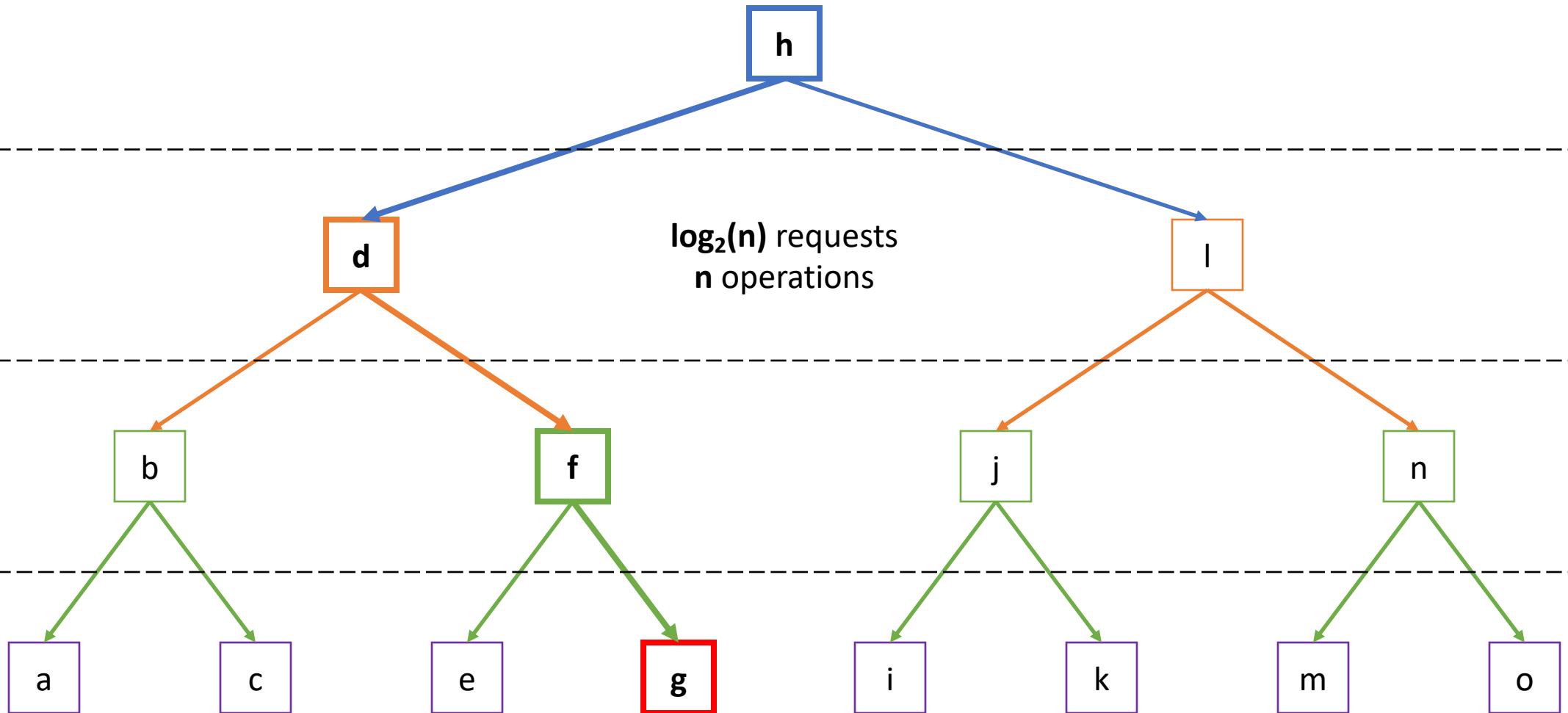
1

5

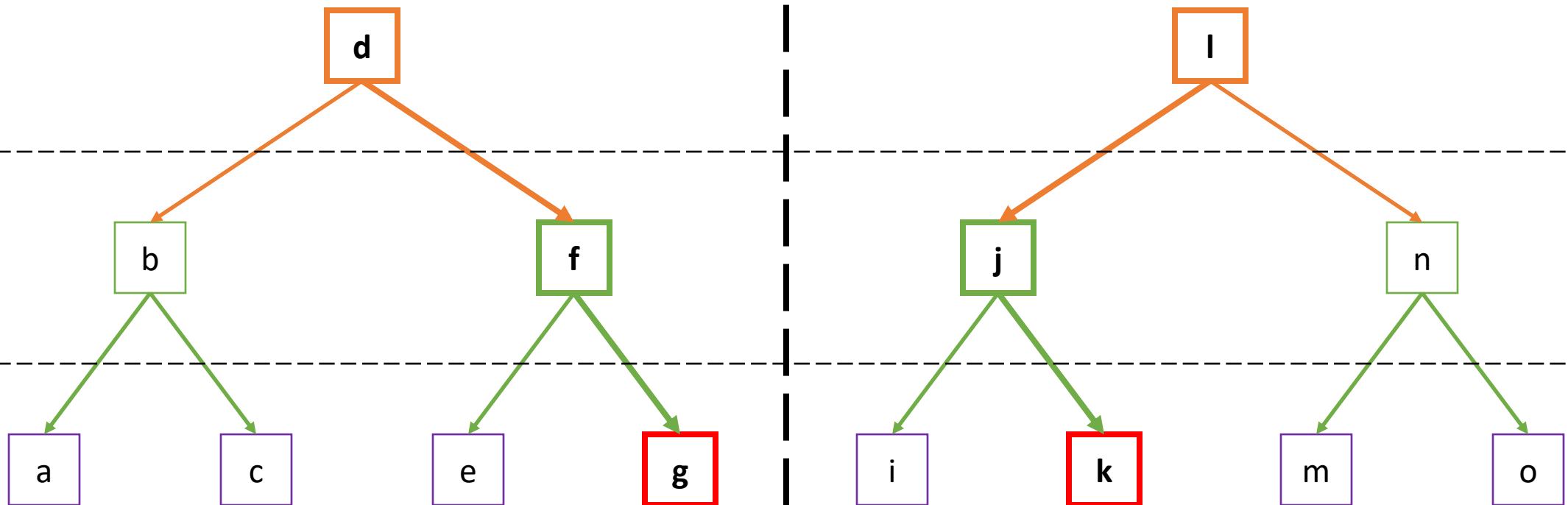
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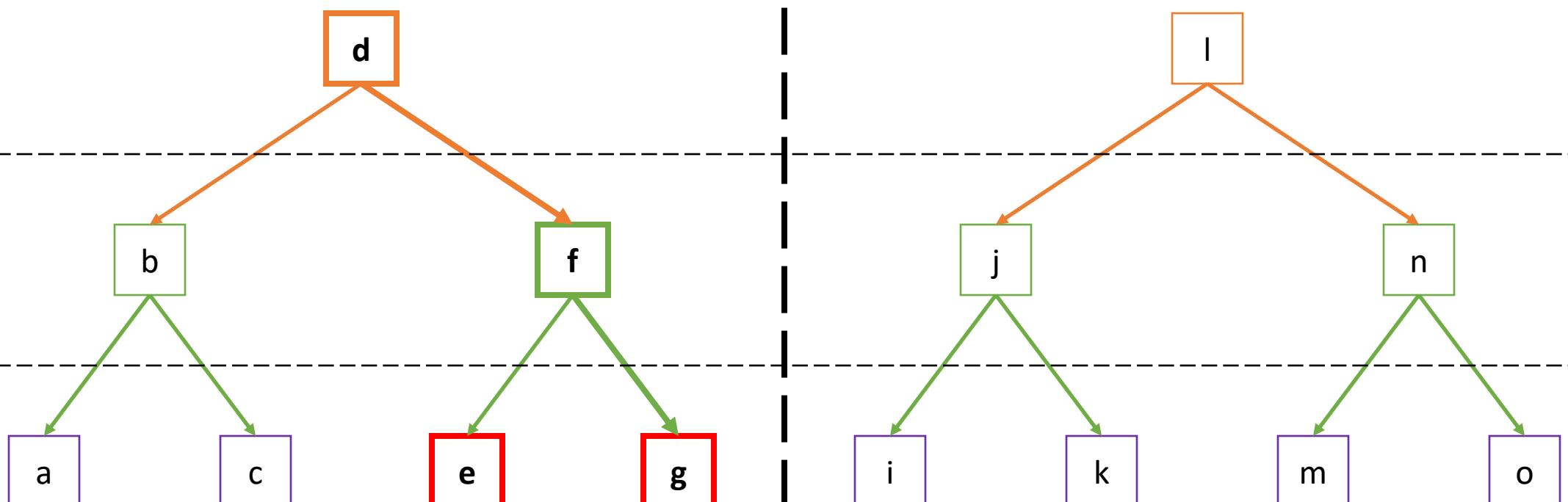
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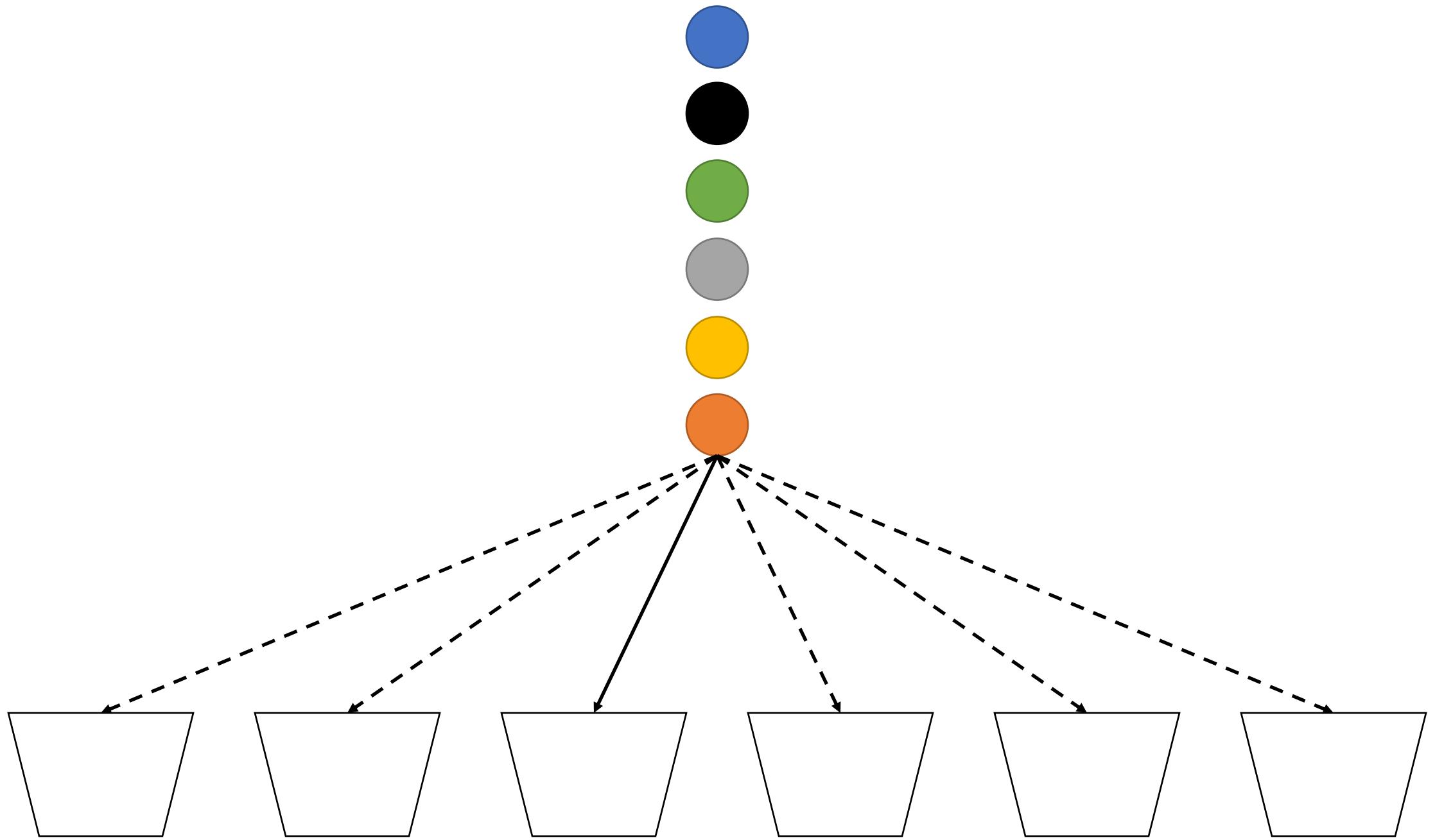




$\log_2(n/k)$ requests
 n/k operations

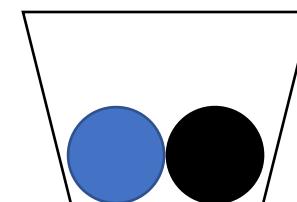
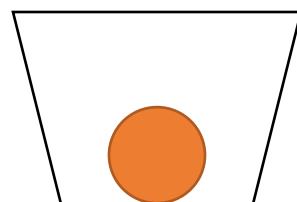
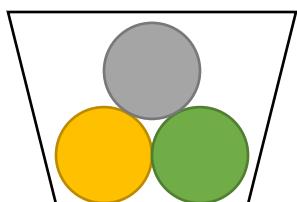
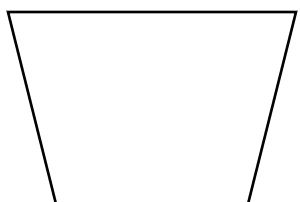


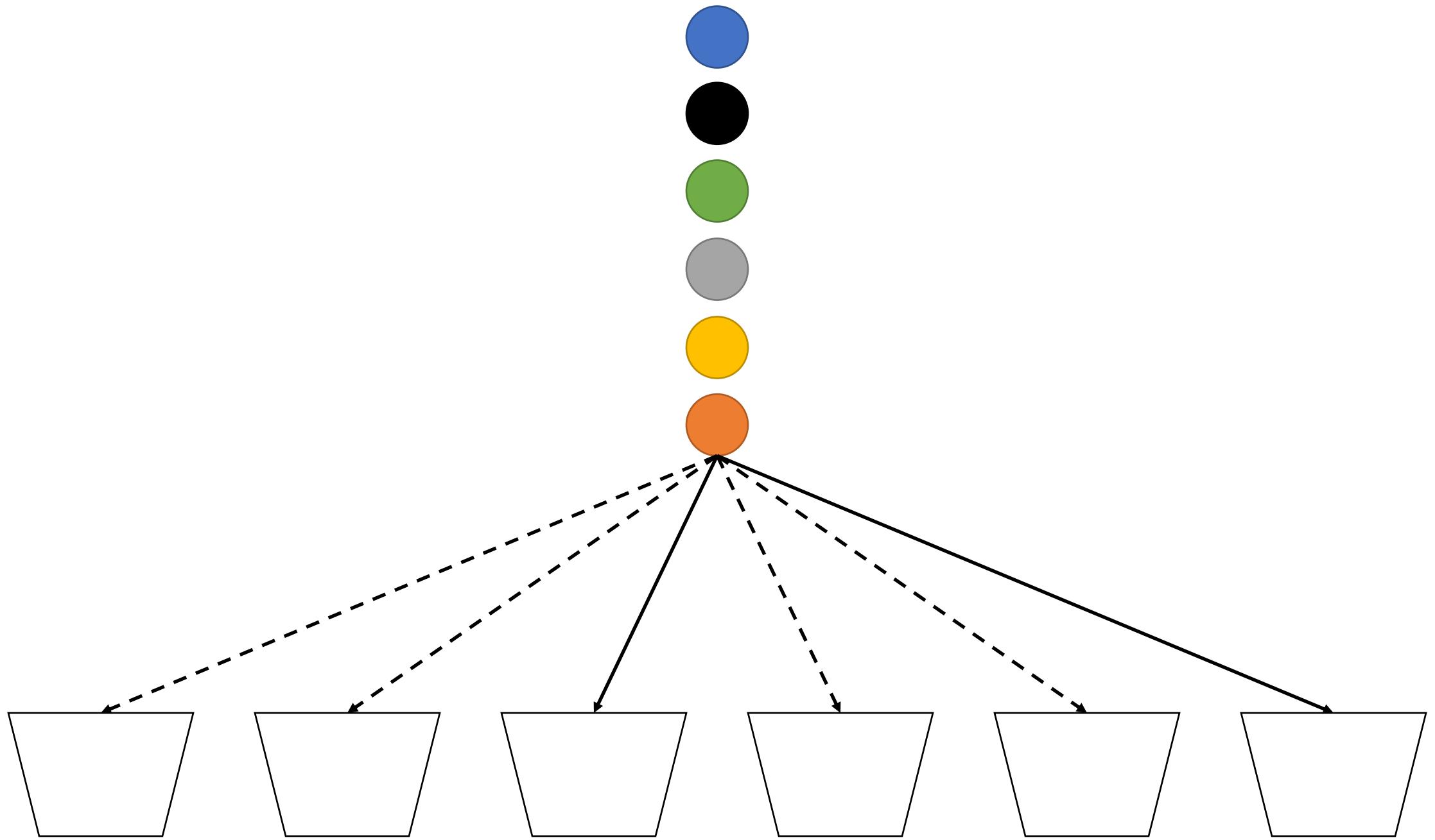


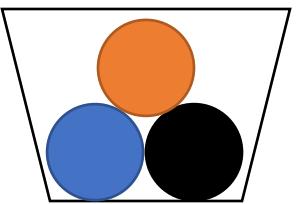
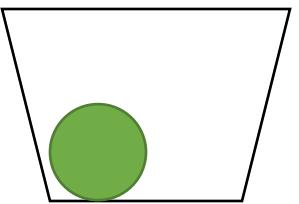
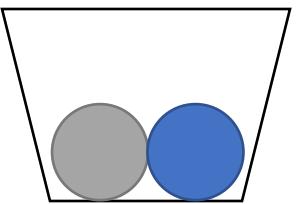
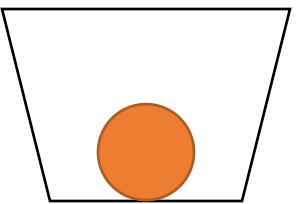
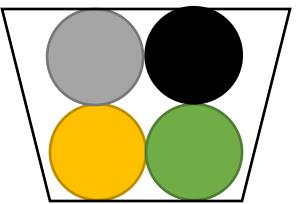
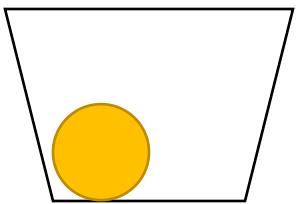


$$Pr\left(\rho \geq \frac{3 \ln(k)}{\ln(\ln(k))}\right) \leq \frac{1}{k}$$

8.16 for k= 16	9.22 for k=128
8.37 for k= 32	9.71 for k=256
8.75 for k= 64	10.2 for k=512

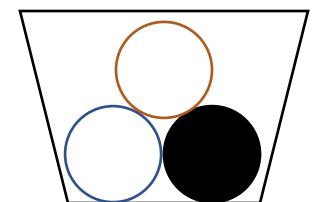
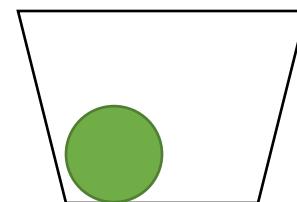
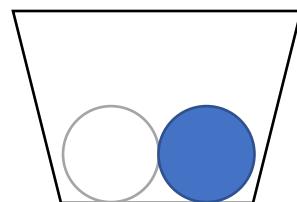
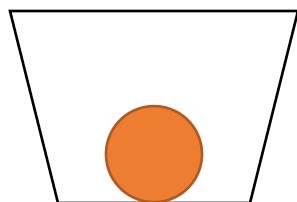
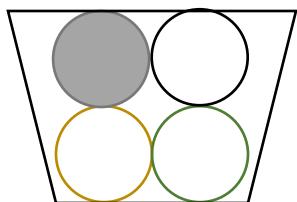
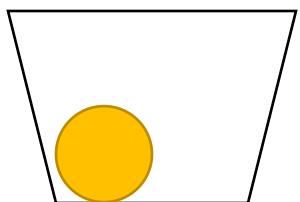






$$\Pr\left(\rho \geq \frac{\ln(\ln(k))}{\ln(2)}\right) \leq o(1)$$

1.47 for k= 16	2.28 for k=128
1.79 for k= 32	2.47 for k=256
2.06 for k= 64	2.64 for k=512



$(n, 3/2n, 2, 3)$

db_1
a
b
c
d
e
f
g
h

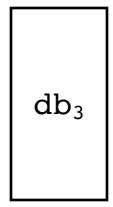
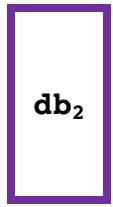


db_2
i
j
k
l
m
n
o
p



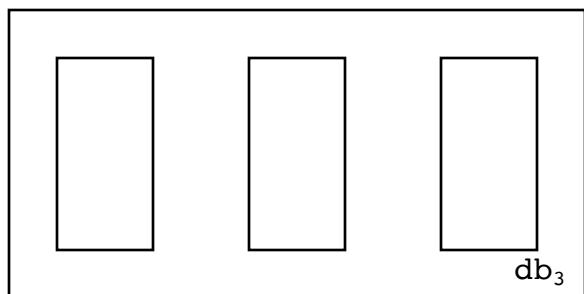
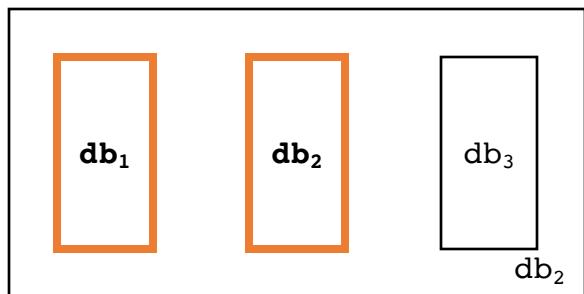
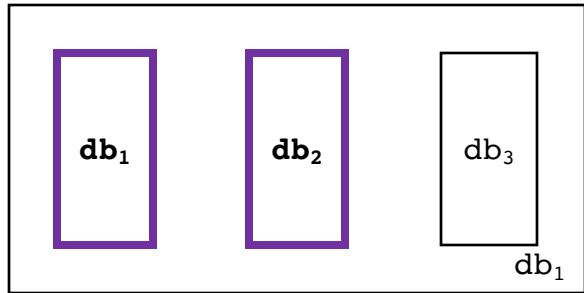
db_3
$a \oplus i$
$b \oplus j$
$c \oplus k$
$d \oplus l$
$e \oplus m$
$f \oplus n$
$g \oplus o$
$h \oplus p$





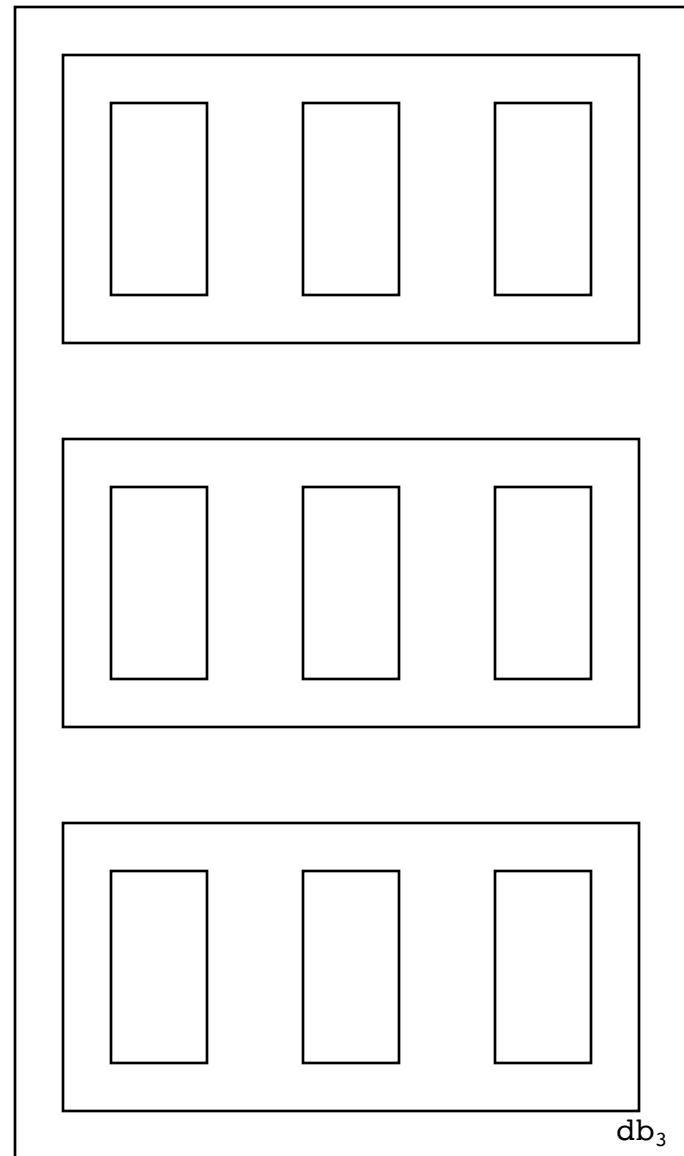
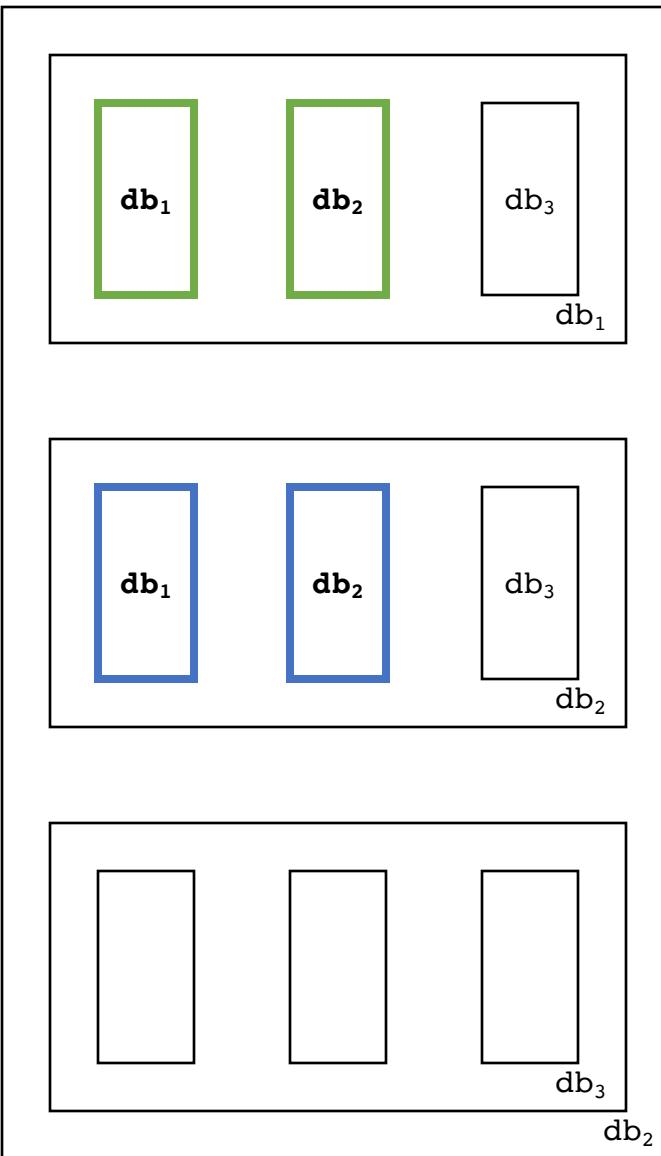
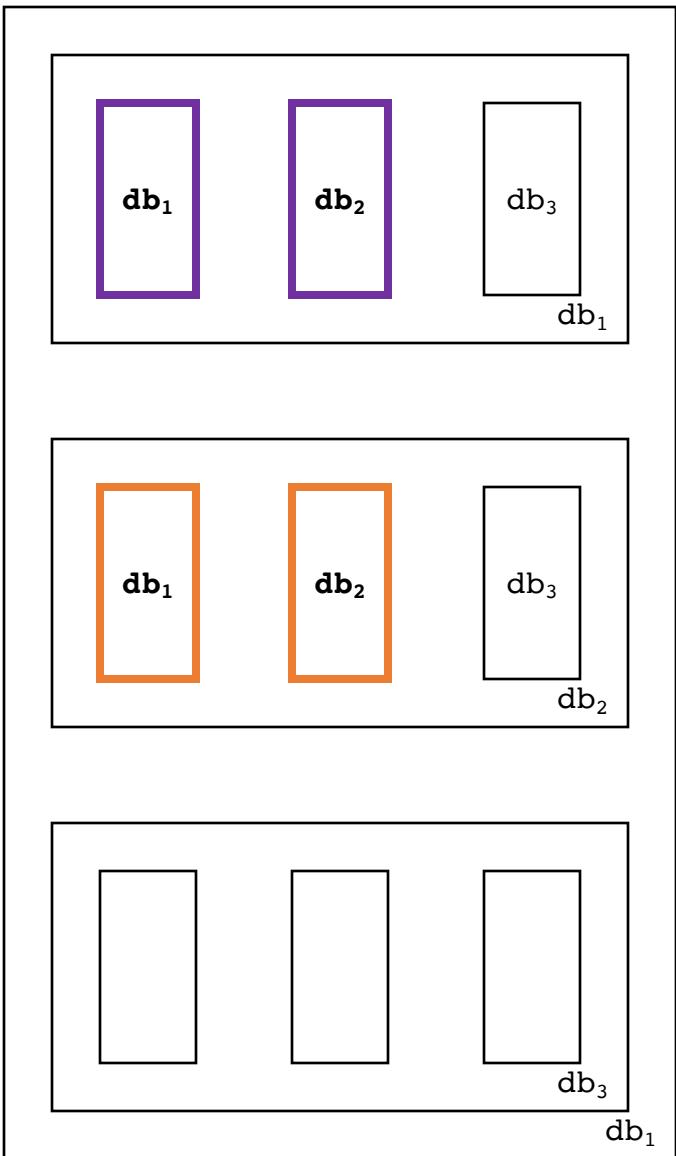
$3/2 \approx 1.5$ req, $(3/2n)/2 \approx .75n$ ops

$(n, 3/2n, 2, 3)$



$9/4 \approx 2.3$ req, $(9/4n)/4 \approx .56n$ ops

$(n, 9/4n, 4, 9)$



$27/8 \approx 3.4$ req, $(27/8n)/8 \approx .42n$ ops

(n, 27/8n, 8, 27)

n=1000000

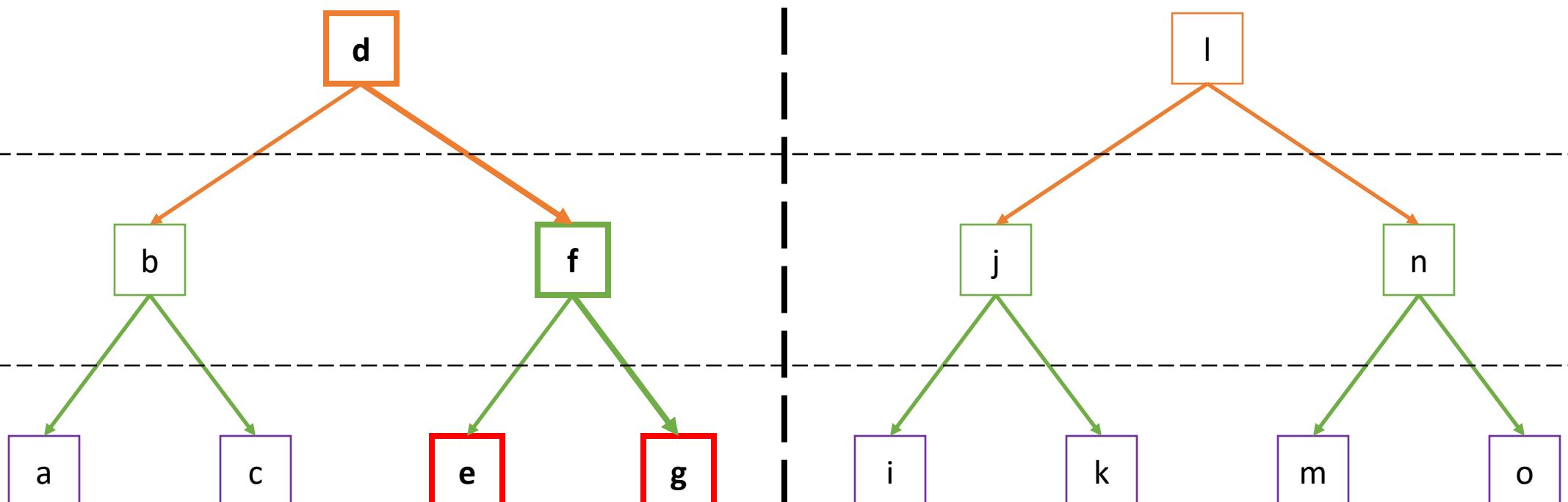
	BST Power of 2		Batch Coding	
	req $\frac{3^{\log_2(k)}}{k}$	ops $\frac{3^{\log_2(k)}}{k^2} n$	req $\frac{\ln(\ln(k))}{\ln(2)} \log_2(\frac{n}{k})$	ops $\frac{\ln(\ln(k)) n}{\ln(2) k}$
k= 2	1.50	750k	19	500k
k= 4	2.25	562k	18	250k
k= 8	3.38	422k	34	250k
k= 16	5.06	316k	32	125k
k= 32	7.59	237k	30	63k

	BST Power of 2		Batch Coding	
	req $\frac{3^{\log_2(k)}}{k}$	ops $\frac{3^{\log_2(k)}}{k^2} n$	req $\frac{\ln(\ln(k))}{\ln(2)} \log_2(\frac{n}{k})$	ops $\frac{\ln(\ln(k)) n}{\ln(2) k}$
k= 64	11.4	178k	42	46k
k= 128	17.1	133k	39	23k
k= 256	25.6	100k	36	11k
k= 512	38.4	75k	33	5.9k
k=1024	57.7	56k	30	2.9k

n=1000

	BST Power of 2		Batch Coding	
	req $\frac{3^{\log_2(k)}}{k}$	ops $\frac{3^{\log_2(k)}}{k^2} n$	req $\frac{\ln(\ln(k))}{\ln(2)} \log_2(\frac{n}{k})$	ops $\frac{\ln(\ln(k)) n}{\ln(2) k}$
k= 2	1.50	750	9	500
k= 4	2.25	562	8	250
k= 8	3.38	422	14	250
k= 16	5.06	316	12	125
k= 32	7.59	237	10	63

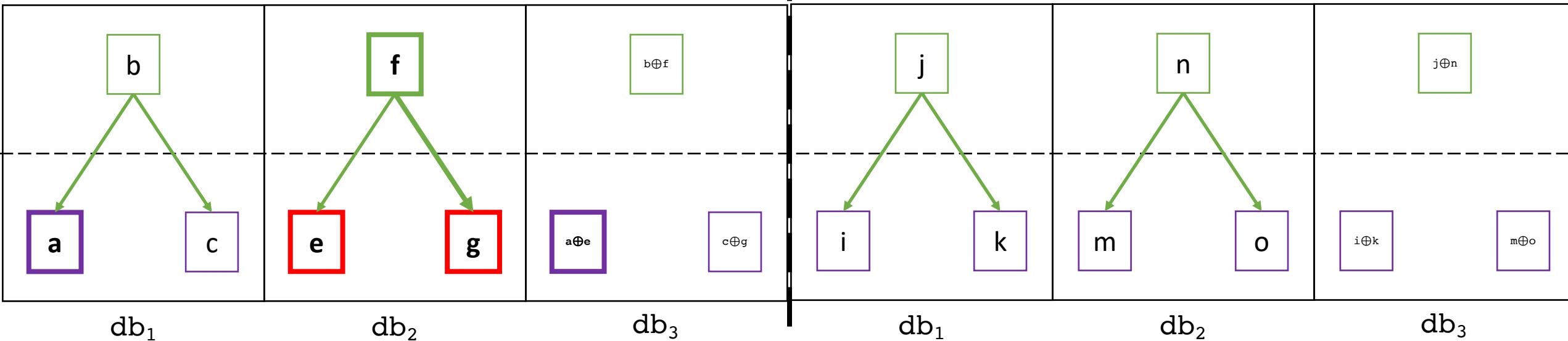
	BST Power of 2		Batch Coding	
	req $\frac{3^{\log_2(k)}}{k}$	ops $\frac{3^{\log_2(k)}}{k^2} n$	req $\frac{\ln(\ln(k))}{\ln(2)} \log_2(\frac{n}{k})$	ops $\frac{\ln(\ln(k)) n}{\ln(2) k}$
k= 64	11.4	178	12	46
k= 128	17.1	133	9	23
k= 256	25.6	100	6	11
k= 512	38.4	75	3	5.9
k=1024	57.7	56	3	2.9



$$k = E[\#msg]$$

$$k = \rho$$

$$k = \rho$$



Comments

Assumption that a large number of messages are to be retrieved every epoch for amortization to work

High network costs

Scalability

Centralized point of failure

Participation even when client has no message to send/receive

Key distribution problem

Similarity to ORAM techniques