PROPERTIES OF PRG

Q -> what's the next data I move to

Based on current state & input it reads

Ram Model





no input length needed

Cercuit > Bordean function $f(x_1, x_2, ..., x_n) \rightarrow \{0, 1\}$ $\{0, 1\}$ f and gate $f(x_1, x_2, ..., x_n) \rightarrow \{0, 1\}$ $f(x_1, x_2, ..., x_n) \rightarrow \{0, 1\}$ $f(x_1, x_2, ..., x_n) \rightarrow \{0, 1\}$

How many gates to use to determine

Hamiltonian Cycle -> 1 path that touches all points only once

Can reduce searching, optimization, and counting problem to decision problem to find a noctubes.

P/NP solution is deterministic

BPP is randomness

defined respect to decision problems

NP hard=) can't even verify the solution.

Satisfying assignment $\rightarrow f(\alpha_1, \alpha_2, \alpha_3) = (\alpha_1 \oplus \alpha_2) \otimes \alpha_3 = 0$

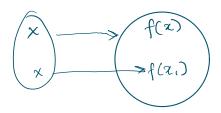
Polynomial reduction is very important to know in cryptography.

CONSTRUCTION OF PRG

m -> length of output function

Anything you add to an input function, Still be an input function No fixed bits can be used for the hardcoding Bit function (B(x))

Bijective



One way example -> nordcore challenge

computational class -> Latest worst case handles

Find Subset

åa,,a2,an3 ∈ Xa ⇒ adversary

Ebia; + ... = 0 mod q

b 1, b , ..., bn

bi € 80,13 => Solution