


UC Berkeley EECS  
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## Computational Structures in Data Science



# Lecture #10: Efficiency & Data Structures

Nov 12, 2019
<http://inst.eecs.berkeley.edu/~cs88>

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## Why?

- Runtime Analysis:
  - How long will my program take to run?
  - Why can't we just use a clock?
- Data Structures
  - OOP helps us organize our *programs*
  - Data Structures help us organize our *data*!
  - You already know lists and dictionaries!
  - We'll see two new ones today
- Enjoy this stuff? Take 61B!
- Find it challenging? Don't worry! It's a different way of thinking.

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## Efficiency

How long is this code going to take to run?

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## Is this code fast?

- Most code doesn't *really* need to be fast! Computers, even your phones are already amazingly fast!
- Sometimes...it does matter!
  - Lots of data
  - Small hardware
  - Complex processes
- We can't just use a clock
  - Every computer is different? What's the benchmark?


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## Runtime analysis problem & solution

- Time w/stopwatch, but...
  - Different computers may have different runtimes. ☹
  - Same computer may have different runtime on the same input. ☹
  - Need to implement the algorithm first to run it. ☹
- **Solution: Count the number of "steps" involved, not time!**
  - Each operation = 1 step
  - If we say "running time", we'll mean # of steps, *not* time!




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## Runtime: input size & efficiency

- Definition
  - **Input size:** the # of things in the input.
  - E.g., # of things in a list
  - Running time as a function of input size
  - Measures **efficiency**
- Important!
  - In CS88 we won't care about the efficiency of your solutions!
  - ...in CS61B we will



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## Runtime analysis : worst or avg case?

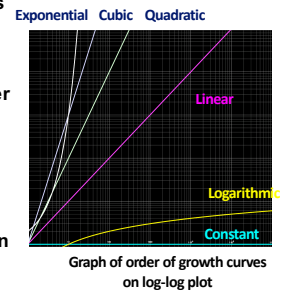
- Could use avg case
  - Average running time over a vast # of inputs
- Instead: use worst case
  - Consider running time as input grows
- Why?
  - Nice to know most time we'd ever spend
  - Worst case happens often
  - Avg is often ~ worst
- Often called "Big O"
  - We use "Omega" denote runtime



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## Runtime analysis: Final abstraction

- Instead of an exact number of operations we'll use abstraction
  - Want order of growth, or dominant term
- In CS88 we'll consider
  - Constant
  - Logarithmic
  - Linear
  - Quadratic
  - Exponential
- E.g.  $10n^2 + 4\log n + n$ 
  - ...is quadratic



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## Example: Finding a student (by ID)

- Input
  - Unsorted list of students L
  - Find student S
- Output
  - True if S is in L, else False
- Pseudocode Algorithm
  - Go through one by one, checking for match.
  - If match, true
  - If exhausted L and didn't find S, false



- Worst-case running time as function of the size of L?

1. Constant
2. Logarithmic
3. Linear
4. Quadratic
5. Exponential



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## Example: Finding a student (by ID)

- Input
  - Sorted list of students L
  - Find student S
- Output : same
- Pseudocode Algorithm
  - Start in middle
  - If match, report true
  - If exhausted, throw away half of L and check again in the middle of remaining part of L
  - If nobody left, report false
- Worst-case running time as function of the size of L?
  1. Constant
  2. Logarithmic
  3. Linear
  4. Quadratic
  5. Exponential



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## Computational Patterns

- If the number of steps to solve a problem is always the same → Constant time:  $O(1)$
- If the number of steps increases similarly for each larger input → Linear Time:  $O(n)$ 
  - Most commonly: for each item
- If the number of steps increases by some a factor of the input → Quadratic Time:  $O(n^2)$ 
  - Most commonly: Nested for Loops
- Two harder cases:
  - Logarithmic Time:  $O(\log n)$ 
    - » We can double our input with only one more level of work
    - » Dividing data in "half" (or thirds, etc)
  - Exponential Time:  $O(2^n)$ 
    - » For each bigger input we have 2x the amount of work!
    - » Certain forms of Tree Recursion

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## Comparing Fibonacci

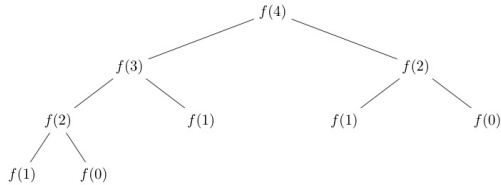
```
def iter_fib(n):
    x, y = 0, 1
    for _ in range(n):
        x, y = y, x+y
    return x

def fib(n): # Recursive
    if n < 2:
        return n
    return fib(n - 1) + fib(n - 2)
```

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## Tree Recursion

- Fib(4) → 9 Calls
- Fib(5) → 16 Calls
- Fib(6) → 26 Calls
- Fib(7) → 43 Calls
- Fib(20) →



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## What next?

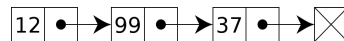
- Understanding *algorithmic complexity* helps us know whether something is possible to solve.
- Gives us a formal reason for understanding why a program might be slow
- This is only the beginning:
  - We've only talked about time complexity, but there is *space complexity*.
  - In other words: How much memory does my program require?
  - Often times you can trade time for space and vice-versa
  - Tools like "caching" and "memorization" do this.
- If you think this is cool take CS61B!

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## Linked Lists

## Linked Lists

- A series of items with two pieces:
  - A value
  - A "pointer" to the next item in the list.



- We'll use a very small Python class "Link" to model this.

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