# Binary Classification - League of Legends Season 13 tournament Dataset

In this notebook we are attempting to see if the K-Nearest Neighbor (K-NN) predictor model still gives about 50% prediction accuracy with the current state of the Riot Games multiplayer online battle arena game, League of Legends.

#### Dataset

We will be using the Game\_Info.csv file that was compiled by our group. The dataset was compiled by using professional players that had attended and/or competed in the Worlds 2020 Tournament in Shanghai, China in October of 2020.

The game information that was gathered were tournament games played by the players. The data that was gathered were:

- The match ID number
- The region where it was played
- The season in which the match was played
- The winning team of the match
- The champions that were played and the spells used by that champion

The total number of matches that we were able to compile was total of 2825 from various regions. The China region was excluded in this collection of data due to the inability to access that information from any other server in the world.

The target label for this dataset is 'Winner' because we were attempting to predict the winner of a match based on a team's champion selection.

```
Blue Team Winner (C1-C5): 0 Red Team Winner (C6-C10): 1
```

#### Goals

We will use Scikit-Learn's K-NN classifier to predict the winner of a match.

```
import warnings
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
%matplotlib inline
from sklearn.preprocessing import StandardScaler, scale
from sklearn.neighbors import KNeighborsClassifier
from sklearn.model_selection import train_test_split, GridSe
from sklearn.metrics import confusion_matrix, precision_scor
from sklearn.metrics import precision_recall_curve, classifi
```

#### Load the Data

First load the data

```
In [13]: matches = pd.read_csv('Game_Info.csv', sep=",")
In [14]: matches.head()
```

Out[14]:		gameID	platformID	seasonID	Winner	C1	C1S1	C1S2	C2	C2
	0	3591397591	NA1	13	1	201	4	14	102	
	1	3653371287	NA1	13	0	120	11	6	13	
	2	3650198359	NA1	13	1	102	11	4	122	
	3	3645932094	NA1	13	0	18	4	7	99	
	4	3645761570	NA1	13	0	102	11	4	82	

5 rows × 34 columns

```
In [15]: matches.shape
```

Out[15]: (2825, 34)

```
In [16]: #shuffling the data
    matches.sample(frac=1)
```

)		gameID	platformID	seasonID	Winner	C1	C1S1	C1S2	C2
	495	3103740888	NA1	13	1	82	12	4	90
	1674	324755293	OC1	13	0	429	4	7	41
	2227	2449405250	EUN1	13	1	164	4	12	64
	749	3371516077	NA1	13	1	266	4	12	21
	1048	4808740096	KR	13	1	6	4	12	67
	•••				•••	•••	•••	•••	•••
	1687	276263846	OC1	13	1	89	3	4	222
	959	1099014390	'TR1'	13	1	11	4	11	236
	646	3360648844	NA1	13	0	875	12	4	117
	2353	2492794931	EUN1	13	1	98	4	12	62
	1752	263870161	OC1	13	0	24	11	4	111

2825 rows × 34 columns

Out[16]:

### **Create the Data Matrix**

Our goal is to predict the winner of a match.

So we are using the champions as the means to predict the winner.

```
(2825, 10)
(2825,)
```

#### **Create Train and Test Dataset**

We use sklearn's train\_test\_split function to spilt the information in the csv file.

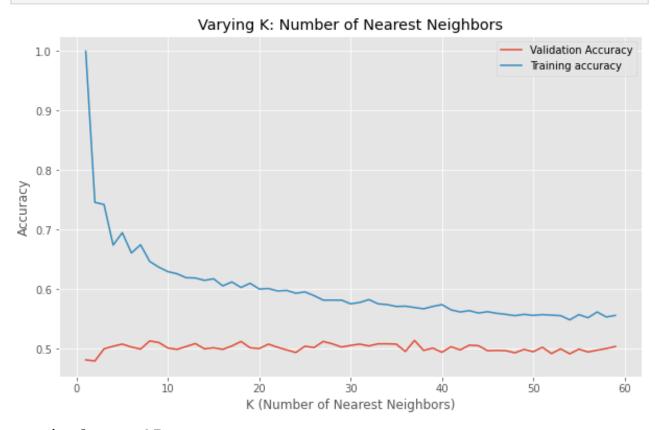
```
In [18]: X_train, X_test, y_train, y_test = train_test_split(X, y, te
    print(y_train.shape)
(2260,)
```

### K Neighbors Classifier Parameters

Since we do not know what would be the best parameters to predict the outcome of match, I thought it best to just try as many and see which ones worked. The paper that we used as our base line also did not specify what the parameters that they used.

```
# Set the the range of K
In [19]:
          neighbors = np.arange(1,60)
          # Two arrays to store training and test accuracies
          train accuracy = np.empty(len(neighbors))
          validation accuracy = np.empty(len(neighbors))
          for i,k in enumerate(neighbors):
              # Setup a knn classifier with k neighbors
              knn = KNeighborsClassifier(n neighbors=k)
              # Fit the model
              knn.fit(X train, y train)
              # The "score" function returns the mean accuracy on the
              # Note that "accuracy" may not be a good performance mea
              # Thus, we need to do hyperparameter tuning by using bet
              # Compute training accuracy
              train accuracy[i] = knn.score(X train, y train)
              # Compute validation accuracy using cross-validation
              scores = cross val score(knn, X train, y train, scoring=
              validation accuracy[i] = scores.mean()
```

```
plt.style.use('ggplot')
In [20]:
          fig = plt.figure(figsize=(10, 6))
          plt.title('Varying K: Number of Nearest Neighbors')
          plt.plot(neighbors, validation accuracy, label='Validation A
          plt.plot(neighbors, train accuracy, label='Training accuracy
          plt.legend()
          plt.xlabel('K (Number of Nearest Neighbors)')
          plt.ylabel('Accuracy')
          plt.show()
          # Find the value of "K" that gives max validation accuracy
          j = 0
          max val accuracy = validation accuracy[j]
          \max k = 1
          for i in neighbors:
              if(validation accuracy[j] > max val accuracy):
                  max val accuracy = validation accuracy[j]
                  max k = i
              j +=1
          print("Optimal K: ", max k)
```



### Model Selection: Choose a Combination of Optimal Parameters

Again, since the base paper didn't provide the information for this portion, I thought to ust try them all. Also considering that the state of the League of Legends game could change with one patch update, I thought to include multiple options just in case.

```
Fitting 5 folds for each of 686 candidates, totalling 3430 f
its
[Parallel(n jobs=-1)]: Using backend LokyBackend with 4 conc
urrent workers.
[Parallel(n jobs=-1)]: Done 24 tasks
                                            | elapsed:
                                                         49.0
                                            | elapsed:
                                                         58.8
[Parallel(n jobs=-1)]: Done 144 tasks
                                            elapsed:
[Parallel(n jobs=-1)]: Done 464 tasks
                                                       1.4mi
                                            elapsed:
[Parallel(n jobs=-1)]: Done 912 tasks
                                                       2.0mi
                                             | elapsed:
[Parallel(n jobs=-1)]: Done 1472 tasks
                                                         2.8m
in
[Parallel(n_jobs=-1)]: Done 2176 tasks
                                             elapsed:
                                                        3.7m
                                             elapsed:
[Parallel(n jobs=-1)]: Done 2804 tasks
                                                        4.7m
in
Best Score: 0.680292
Optimal Hyperparameter Values: {'n neighbors': 1, 'p': 500,
'weights': 'uniform'}
CPU times: user 6.33 s, sys: 614 ms, total: 6.94 s
Wall time: 5min 37s
                                                          5.6
[Parallel(n jobs=-1)]: Done 3430 out of 3430 | elapsed:
min finished
```

#### Select the Best Model

Now that we have the best parameters for the currect dataset, we will try to train the classifier with those parameters to get the best prediction possible.

### Evaluate Model Performance Using Cross-Validation

```
knn = KNeighborsClassifier(**params optimal knn)
In [22]:
          knn.fit(X train, y_train)
          y train predicted = knn.predict(X train)
          print(y train predicted)
          train accuracy knn = np.mean(y train predicted == y train)
          print("\nTraining Accuracy: ", train accuracy knn)
         [1 \ 1 \ 1 \ \dots \ 1 \ 0 \ 0]
         Training Accuracy: 1.0
In [23]:
         # Scoring Parameter for Classification:
          # https://scikit-learn.org/stable/modules/model evaluation.h
          # Note: For a skewed data set "accuracy" might not be a good
          scores = cross val score(knn, X train, y train, scoring='f1'
          print(scores)
          print("F1 Score: %0.2f (+/- %0.2f)" % (scores.mean(), scores
         [0.68029197 0.68029197 0.68029197 0.68029197 0.68029197]
         F1 Score: 0.68 (+/-0.00)
```

### Evaluate The Model Using Confusion Matrix for Training Data

### Precision, Recall & F1 Score for Training Data

```
precision = precision_score(y_train, y_train_pred)
In [25]:
          print("Precision = %f" % precision)
          recall = recall score(y train, y train pred)
          print("Recall = %f" % recall)
          f1 = f1 score(y train, y train pred)
          print("F1 Score = %f" % f1)
         Precision = 0.515487
         Recall = 1.000000
         F1 Score = 0.680292
In [26]:
         #The accuracy of the model
          train accuracy knn = knn.score(X train, y train)
          print("\nTest Accuracy: ", train_accuracy_knn)
          # No. of Correct Predictions
          y train predicted = knn.predict(X train)
          print("\nNo. of correct predictions (Test): %d/%d" % (np.sum
          # Confusion Matrix
          print("\nConfusion Matrix (Train Data):\n", confusion matrix
          precision = precision score(y train, y train predicted)
          print("Train Precision = %f" % precision)
          recall = recall score(y train, y train predicted)
          print("Train Recall = %f" % recall)
          f1 = f1 score(y train, y train predicted)
          print("Train F1 Score = %f" % f1)
          print(classification report(y train, y train predicted))
```

```
Test Accuracy: 1.0
No. of correct predictions (Test): 2260/2260
Confusion Matrix (Train Data):
[[1095
          0]
    0 1165]]
Train Precision = 1.000000
Train Recall = 1.000000
Train F1 Score = 1.000000
             precision recall f1-score support
                 1.00
                           1.00
                                    1.00
          0
                                              1095
          1
                 1.00
                           1.00
                                    1.00
                                              1165
                                    1.00
                                              2260
   accuracy
               1.00
                         1.00
  macro avg
                                    1.00
                                              2260
weighted avg
                          1.00
                                    1.00
                1.00
                                              2260
```

### Evaluate the Model using the ROC Curve for Training Data

```
In [27]: # Get the 2nd column of the matrix of predicted probabilitie
# The 2nd column stores the probabilities of the positive
y_scores = cross_val_predict(knn, X_train, y_train, method="

fpr, tpr, thresholds = roc_curve(y_train, y_scores)

print("\nFPR FPR & TPR for Various Threshold Values:")

print("FPR: ", fpr)
print("TPR: ", tpr)
print("\nThresholds: ", thresholds)

FPR FPR & TPR for Various Threshold Values:
FPR: [0. 1.]
TPR: [0. 1.]
```

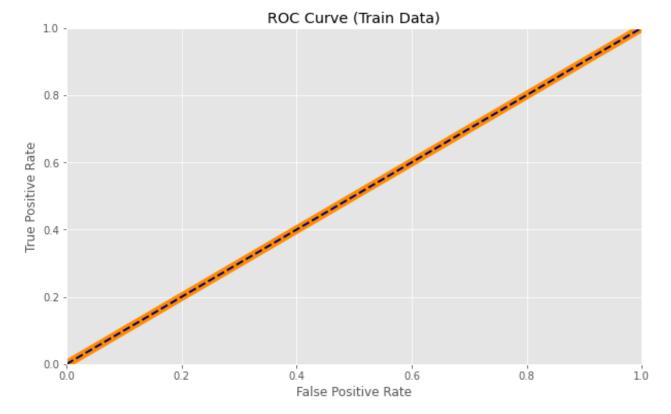
Thresholds: [2. 1.]

```
In [28]: plt.style.use('ggplot')

fig = plt.figure(figsize=(10, 6))
def plot_roc_curve(fpr, tpr, label=None):
    plt.plot(fpr, tpr, color='darkorange', linewidth=8, labe
    plt.plot([0, 1], [0, 1], color='navy', lw=2, linestyle='
    plt.axis([0, 1, 0, 1])
    plt.title('ROC Curve (Train Data)')
    plt.xlabel('False Positive Rate')

plt.ylabel('True Positive Rate')

plot_roc_curve(fpr, tpr)
    plt.show()
```



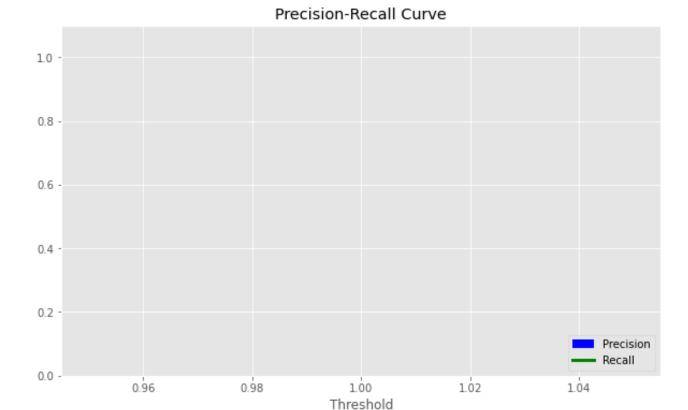
### Area Under the ROC Curve

```
In [29]: #Area under ROC curve
   roc_auc_score(y_train,y_scores)
```

Out[29]: 0.5

#### **Precision-Recall Curve**

```
In [30]:
         plt.style.use('ggplot')
          # Get the 2nd column of the matrix of predicted probabilitie
          # The 2nd column stores the probalities of the positive c
          y scores = cross val predict(knn, X train, y train, method="
          precisions, recalls, thresholds = precision recall curve(y t
          fig = plt.figure(figsize=(10, 6))
          def plot precision recall vs threshold(precisions, recalls,
              plt.plot(thresholds, precisions[:-1], "b--", linewidth=
              plt.plot(thresholds, recalls[:-1], "g-", linewidth=3, 1
              plt.xlabel("Threshold")
              plt.legend(loc="lower right")
              plt.title('Precision-Recall Curve')
              #plt.xlim([0, 1])
              plt.ylim([0, 1.1])
          plot precision recall vs threshold(precisions, recalls, thre
          plt.show()
          threshold optimal = -1
          for i in range(len(precisions)):
              if(precisions[i] == recalls[i]):
                  threshold optimal = thresholds[i]
          print("Optimal Threshold: ", threshold optimal)
```



Optimal Threshold: -1

### Performance Measures for Varying Threshold

```
print("Performance Measures Based on the Default Threshold:\
In [31]:
          y train pred = cross val predict(knn, X train, y train, cv=5
          # Precision, Recall, F1 Score and Confusion Matrix for the D
          precision train = precision score(y train, y train pred)
          print("Precision (Default Threshold 0.5) = %f" % precision t
          recall train = recall score(y train, y train pred)
          print("Recall (Default Threshold 0.5) = %f" % recall train)
          f1 train = f1 score(y train, y train pred)
          print("F1 Score (Default Threshold 0.5) = %f" % f1 train)
          print("Confusion Matrix (Default Threshold 0.5)\n", confusio
          print("Performance Measures Based on the Optimal Threshold (
          # Precision, Recall, F1 Score and Confusion Matrix for diffe
          t = threshold optimal # optimal threshold from precision-red
          # Compute predictions based on new t by using the following
          # - Get the probability of the positive class from the 2nd
          # - If that probability is greater than or equal to t, then
          y train predicted new = (cross val predict(knn, X train, y t
          precision = precision score(y train, y train predicted new)
          print("\nPrecision (Threshold %.2f) = %f" % (t, precision))
          recall = recall score(y train, y train predicted new)
          print("Recall (Threshold %.2f) = %f" % (t, recall))
          f1 = f1 score(y train, y train predicted new)
          print("F1 Score = (Threshold %.2f) = %f" % (t, f1))
          print("Confusion Matrix (Threshold %.2f)" % t)
          print(confusion matrix(y train, y train predicted new))
```

Performance Measures Based on the Default Threshold:

```
Precision (Default Threshold 0.5) = 0.515487
Recall (Default Threshold 0.5) = 1.000000
F1 Score (Default Threshold 0.5) = 0.680292
Confusion Matrix (Default Threshold 0.5)
[[ 0 1095]
[ 0 1165]]
```

\_\_\_\_\_

Performance Measures Based on the Optimal Threshold (from Precision-Recall Curve):

```
Precision (Threshold -1.00) = 0.515487

Recall (Threshold -1.00) = 1.000000

F1 Score = (Threshold -1.00) = 0.680292

Confusion Matrix (Threshold -1.00)

[[ 0 1095]
  [ 0 1165]]
```

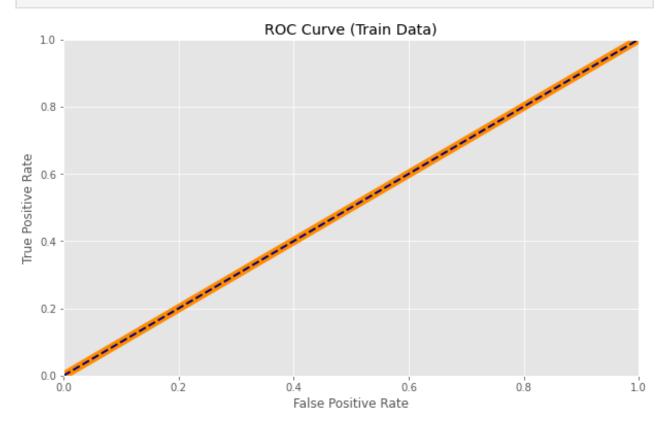
## Testing the Test Data with the Classifier

Confusion Matrix, Precision, Recall & F1 Score for Test Data

```
#The accuracy of the model
In [32]:
          test accuracy knn = knn.score(X test, y test)
          print("\nTest Accuracy: ", test accuracy knn)
          # No. of Correct Predictions
          y test predicted = knn.predict(X test)
          print("\nNo. of correct predictions (Test): %d/%d" % (np.sum
          # Confusion Matrix
          print("\nConfusion Matrix (Test Data):\n", confusion matrix(
          precision = precision score(y test, y test predicted)
          print("Test Precision = %f" % precision)
          recall = recall_score(y_test, y_test_predicted)
          print("Test Recall = %f" % recall)
          f1 = f1 score(y test, y test predicted)
          print("Test F1 Score = %f" % f1)
         Test Accuracy: 0.5150442477876106
         No. of correct predictions (Test): 291/565
         Confusion Matrix (Test Data):
          [[ 0 274]
          [ 0 291]]
         Test Precision = 0.515044
         Test Recall = 1.000000
         Test F1 Score = 0.679907
```

### **ROC Curve for Test Data**

```
# Get the 2nd column of the matrix of predicted probabilitie
In [39]:
               The 2nd column stores the probalities of the positive c
          y scores test = cross val predict(knn, X test, y test, metho
          fpr test, tpr test, thresholds test = roc curve(y test, y sc
          print("\nFPR FPR & TPR for Various Threshold Values:")
          print("FPR: ", fpr test)
          print("TPR: ", tpr_test)
          print("\nThresholds: ", thresholds test)
         FPR FPR & TPR for Various Threshold Values:
         FPR:
               [0. 1.]
         TPR:
               [0.1.]
         Thresholds: [1. 0.]
In [34]:
         plt.style.use('ggplot')
          fig = plt.figure(figsize=(10, 6))
          plot_roc_curve(fpr_test, tpr_test)
          plt.show()
```



### Area Under the ROC Curve (Test Data)

```
In [35]: # Area under ROC curve
   roc_auc_score(y_test,y_scores_test)
Out[35]: 0.5
```

### **Confusion Matrix**

### Summary of Classification Metrics and the Test Data

```
#The accuracy of the model
In [37]:
          test accuracy knn = knn.score(X test, y test)
          print("\nTest Accuracy: ", test accuracy knn)
          # No. of Correct Predictions
          y test predicted = knn.predict(X test)
          print("\nNo. of correct predictions (Test): %d/%d" % (np.sum
          # Confusion Matrix
          print("\nConfusion Matrix (Test Data):\n", confusion matrix(
          precision = precision score(y test, y test predicted)
          print("Test Precision = %f" % precision)
          recall = recall_score(y_test, y_test_predicted)
          print("Test Recall = %f" % recall)
          f1 = f1 score(y test, y test predicted)
          print("Test F1 Score = %f" % f1)
          print(classification report(y test,y test predicted))
         Test Accuracy: 0.5150442477876106
         No. of correct predictions (Test): 291/565
         Confusion Matrix (Test Data):
          [[ 0 274]
          [ 0 291]]
         Test Precision = 0.515044
         Test Recall = 1.000000
         Test F1 Score = 0.679907
                       precision recall f1-score
                                                        support
                            0.00
                                      0.00
                                                 0.00
                    0
                                                            274
                            0.52
                    1
                                      1.00
                                                 0.68
                                                            291
             accuracy
                                                 0.52
                                                            565
            macro avg
                                                 0.34
                            0.26
                                      0.50
                                                            565
         weighted avg
                            0.27
                                      0.52
                                                 0.35
                                                            565
```