



Ontological Engineering



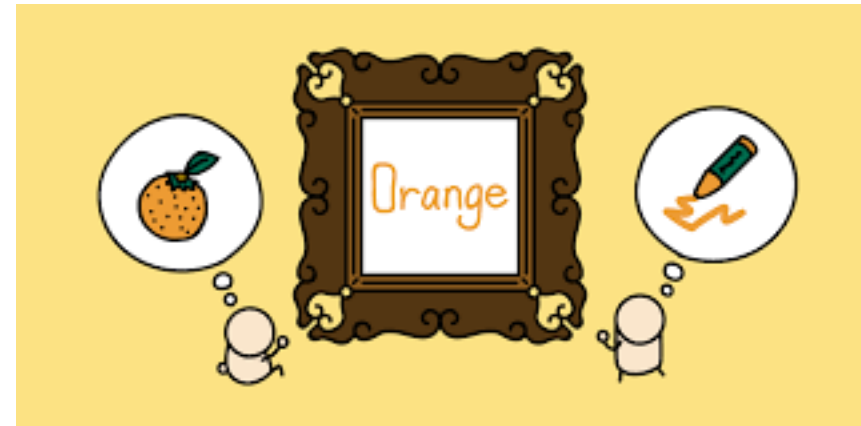
Knowledge Representation

- Knowledge-representation is the field of AI dedicated to representing information about the world in a form that a computer system can utilize to solve complex tasks.
- This topic addresses what *content* to put into knowledge base
- How to represent facts about the world?



Ontological engineering

- Ontology engineering is a set of tasks related to the development of ontologies for a particular domain.
- Google definition: a set of concepts and categories in a subject area or domain that shows their properties and the relations between them.





Ontological engineering

- How to create more general and flexible representations
 - Concepts like actions, time, physical objects and beliefs
 - Operates on a bigger scale than knowledge engineering
- Representing these abstract concepts is sometimes called **ontological engineering**.
- Define general framework of concepts (because representing everything is challenging) called as **upper ontology** with general concepts at the top and more specific concepts below the hierarchy
- Limitations of logic representation
 - Red, green and yellow tomatoes: exceptions and uncertainty

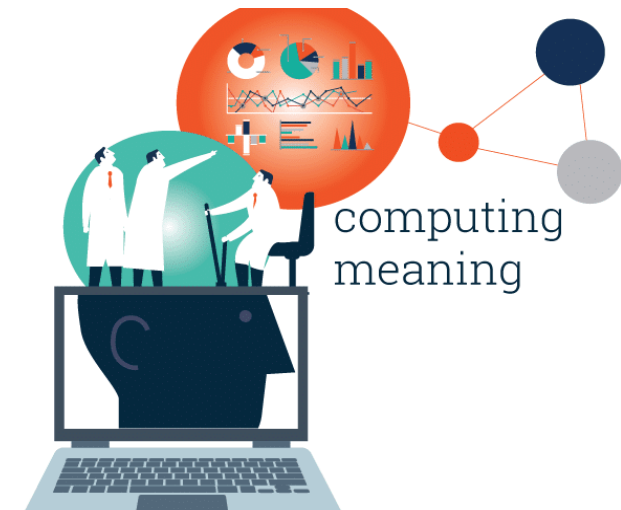


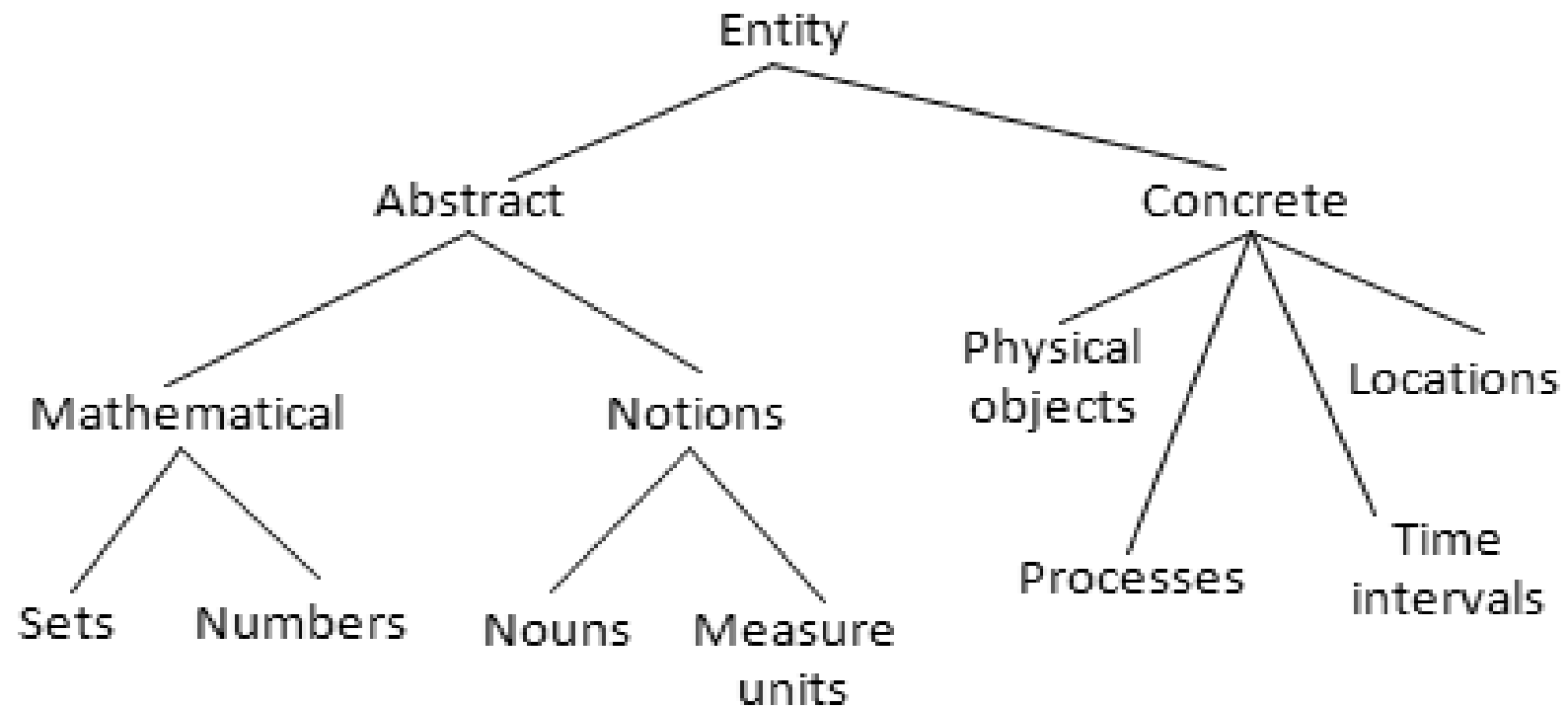
Ontological engineering

- Defining terms in the domain and relations among them
 - Defining concepts in the domain(classes)
 - Arranging the concepts in a hierarchy(subclass-superclass hierarchy)
 - Defining which attributes and properties classes can have and constraints on their values
 - Defining individuals and filling in property values

Today's ontologies
conceptualize
the world by
defining classes
and relationships.

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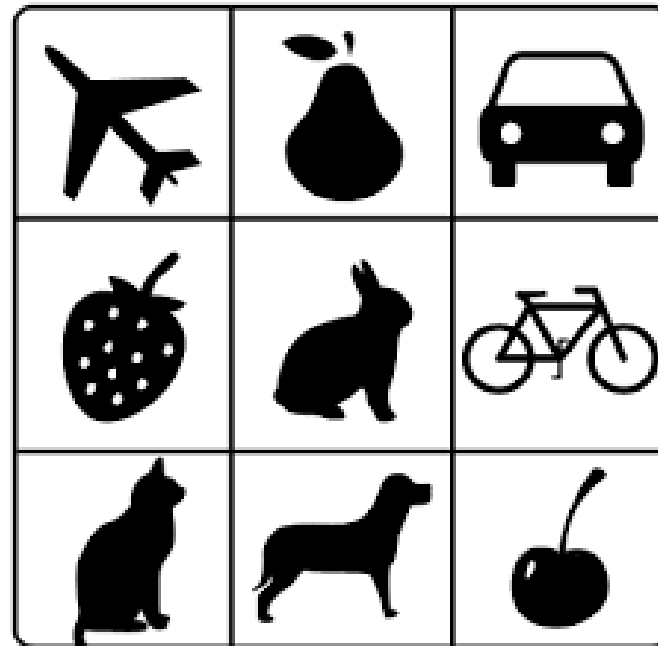


The upper ontology of the world. Each link indicates that the lower concept is a specialization of the upper one.



General-purpose ontology

- A general-purpose ontology should be applicable in more or less any special-purpose domain.
 - Add domain-specific axioms
- In any sufficiently demanding domain, different areas of knowledge need to be unified.
 - Reasoning and problem solving could involve several areas simultaneously
- What do we need to express?
 - Categories, Measures, Composite objects, Time, Space, Change, Events, Processes, Physical Objects, Substances, Mental Objects, Beliefs



Categories and objects



Categories and objects

- KR requires the organization of objects into categories. Although
 - Interaction at the level of the object
 - Reasoning at the level of categories
- Categories play a role in predictions about objects
 - Based on perceived properties
- Categories can be represented in two ways by FOL
 1. **Predicates:** *apple(x)*
 2. Reification of categories into **objects:** *apples*
- Category = set of its members
 - Example: $\text{Member}(x, \text{apples}), x \in \text{apples}$,
 - $\text{Subset}(\text{apples}, \text{fruits}), \text{apples} \subset \text{fruits}$

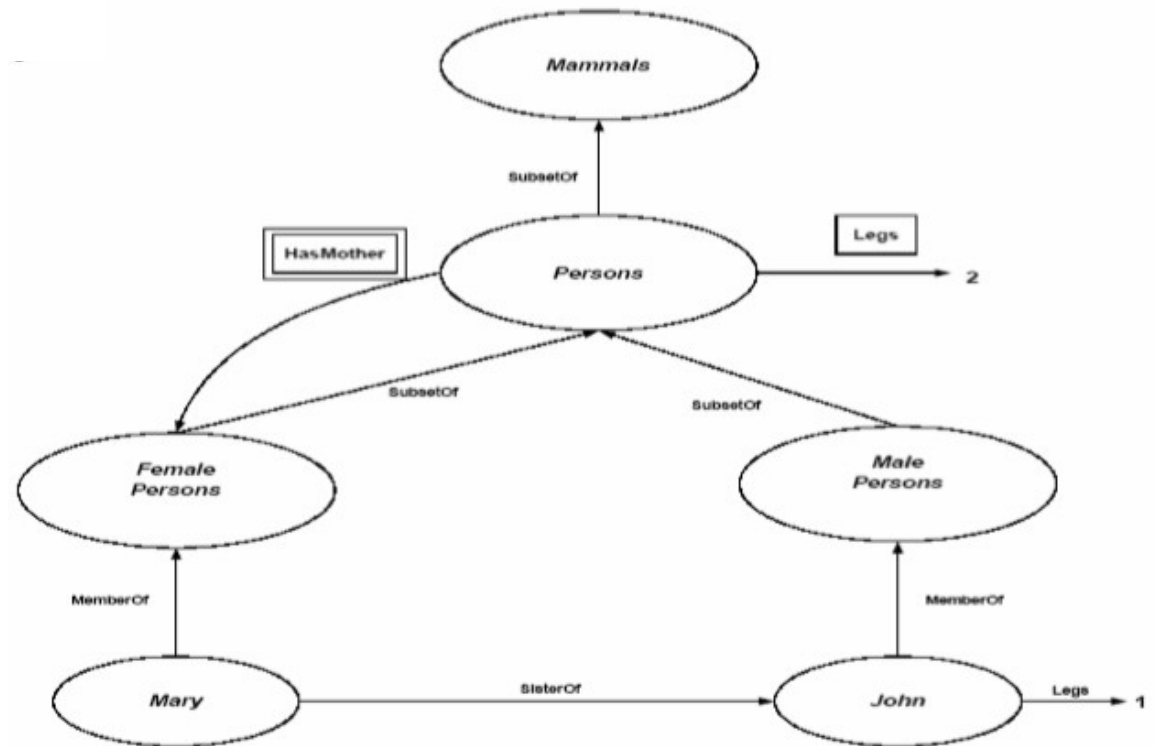
Reify: make (something abstract) more concrete or real.



Category Organization



- Categories serve to organize and simplify the knowledge base through **inheritance**.
- Relation = inheritance:
 - All instance of food are edible, fruit is a subclass of food and apples is a subclass of fruit then an apple is edible.
 - Individual apples **inherit** the property of edibility from food
- Defines a taxonomy
 - Subclass relations organize categories





FOL and Categories



- First-order logic makes it easy to state facts about categories, either by relating objects to categories or by quantifying over their members.

Example:

- An object is a member of a category
 - $\text{MemberOf}(\text{BB12}, \text{Basketballs})$
- A category is a subclass of another category
 - $\text{SubsetOf}(\text{Basketballs}, \text{Balls})$
- All members of a category have some properties
 - $\forall x (\text{MemberOf}(x, \text{Basketballs}) \Rightarrow \text{Round}(x))$
- All members of a category can be recognized by some properties
 - $\forall x (\text{Orange}(x) \wedge \text{Round}(x) \wedge \text{Diameter}(x)=9.5\text{in} \wedge \text{MemberOf}(x, \text{Balls}) \Rightarrow \text{MemberOf}(x, \text{BasketBalls}))$
- A category as a whole has some properties
 - $\text{MemberOf}(\text{Dogs}, \text{DomesticatedSpecies})$



Relations between Categories

- Two or more categories are **disjoint** if they are mutually exclusive
 - $\text{Disjoint}(\{\text{Animals}, \text{Vegetables}\})$
- A decomposition of a class into categories is called **exhaustive** if each object of the class must belong to at least one category
 - $\text{living} = \{\text{animal}, \text{vegetable}, \text{fungi}, \text{bacteria}\}$
- A **partition** is an exhaustive decomposition of a class into disjoint subsets.
 - $\text{student} = \{\text{undergraduate}, \text{graduate}\}$



Natural kinds

- Many categories have no clear-cut definitions (e.g., chair, bush, book).
- Tomatoes: sometimes green, orange, red, yellow. Mostly spherical, smaller, larger etc
- One solution: Separate what is true of all instances of a category from what is true only of typical instances.
- subclass using category **Typical(Tomatoes)**
 - **$\text{Typical}(c) \subseteq c$**
- **$\forall x, x \in \text{Typical(Tomatoes)} \Rightarrow \text{Red}(x) \wedge \text{Spherical}(x)$**
- This helps us to write down useful facts about categories without providing exact definitions.



Physical composition

- One object may be part of another:
 - **PartOf(Bucharest,Romania)**
 - **PartOf(Romania,EasternEurope)**
 - **PartOf(EasternEurope,Europe)**
- The PartOf predicate is **transitive (and reflexive)**, so we can infer that **PartOf(Bucharest,Europe)**
- More generally:
 - $\forall x \text{ PartOf}(x,x)$
 - $\forall x,y,z \text{ PartOf}(x,y) \wedge \text{PartOf}(y,z) \Rightarrow \text{PartOf}(x,z)$

Logical Minimization: Defining an object as the smallest one satisfying certain conditions.



Measurements

- Objects have height, mass, cost,....
 - Values that we assign to these properties are called measures
- Combine Unit functions with a number to measure line segment object L1
 - $\text{Length}(L1) = \text{Inches}(1.5) = \text{Centimeters}(3.81)$.
- Conversion between units:
 - $\forall i \text{ Centimeters}(2.54 \times i) = \text{Inches}(i)$.
- Some measures have no scale:
 - Beauty, Difficulty, etc.
 - Most important aspect of measures is not numerical values, but measures can be orderable.
 - An apple can have deliciousness .9 or .1



Objects: Things and stuff

- Stuff: Defy any obvious **individuation** after division into distinct objects (mass nouns)
- Things: Individuation(count nouns)
- Example: Butter(stuff) and Cow(things)

$$b \in \textit{Butter} \wedge \textit{PartOf}(p, b) \Rightarrow p \in \textit{Butter}$$



References

- Textbook
- https://www.cs.iusb.edu/~danav/teach/c463/10_knowledge.html