

UC San Diego

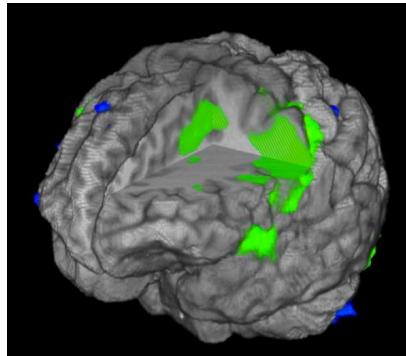
Lecture 12:

Deep Learning on Volumetric Representation

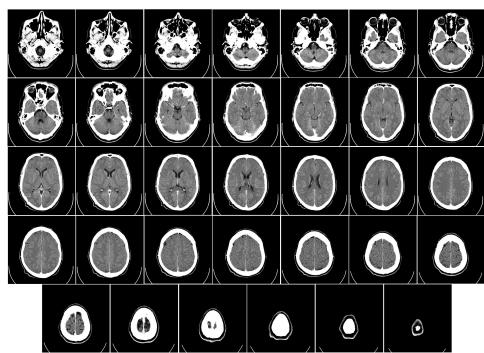
Instructor: Hao Su

Feb 19, 2018

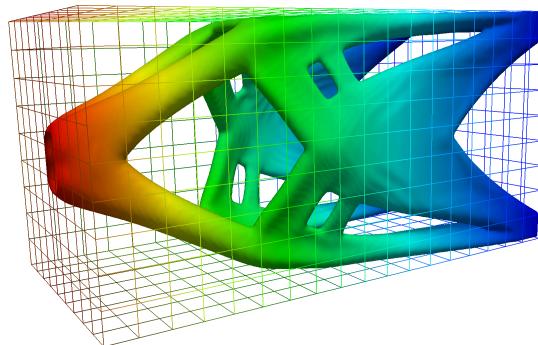
Popular 3D volumetric data



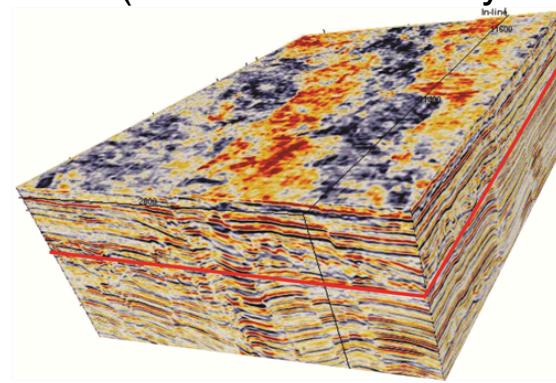
fMRI



CT

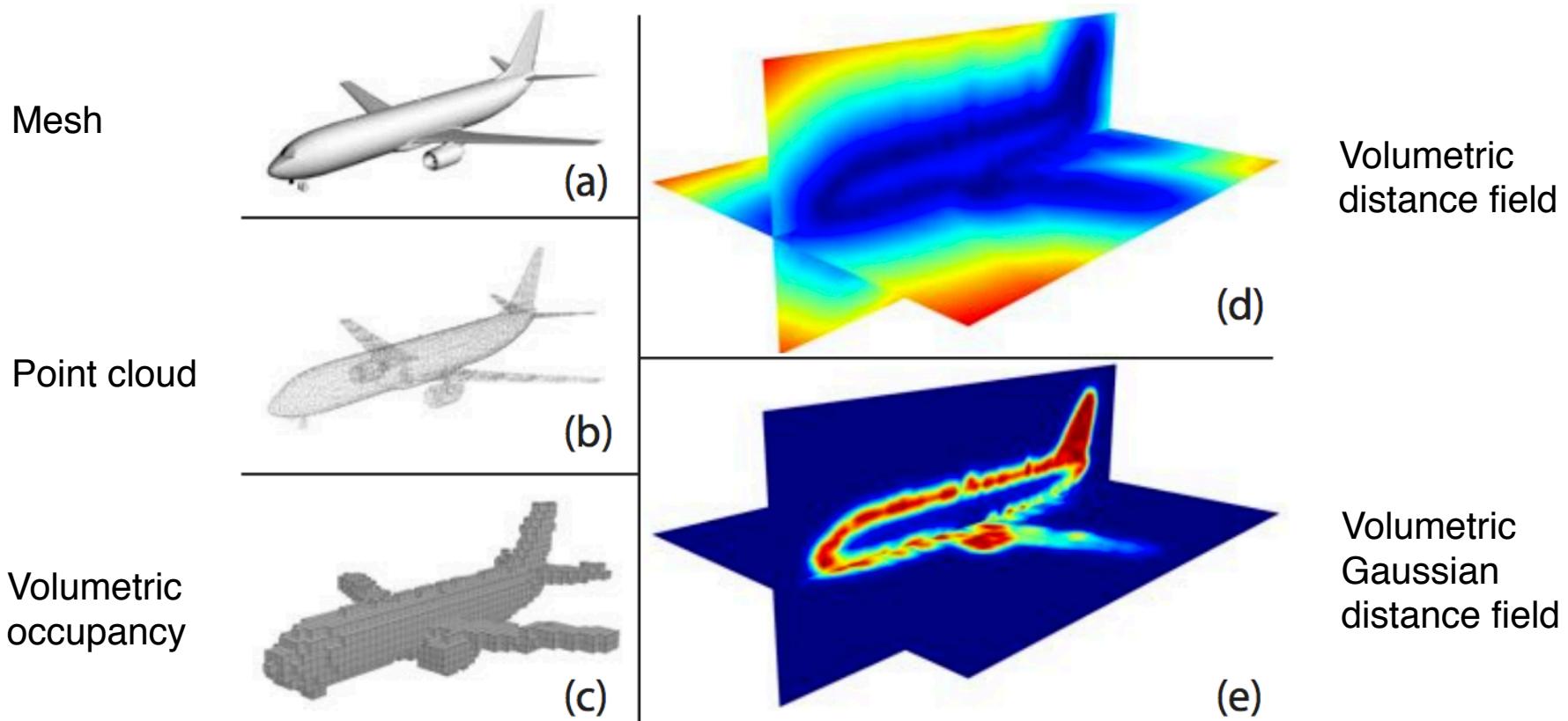


Manufacturing
(finite-element analysis)



Geology

3D volumetric representations



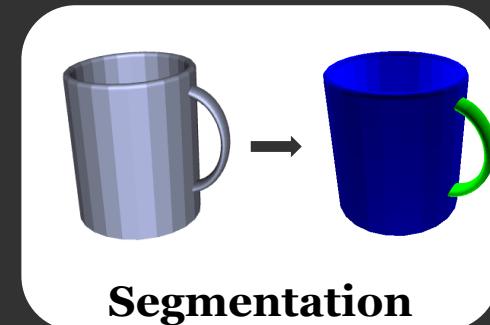
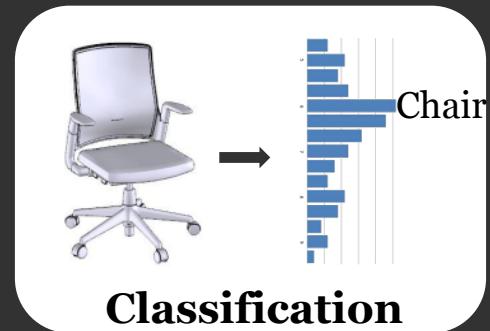
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Shape Analysis

3D Shape Analysis



Robotics



CNN for 3D Shape Analysis

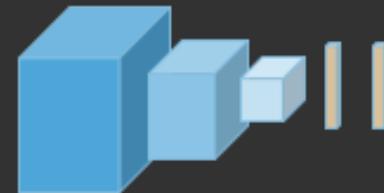


Goal

- General
- Efficient
- Effective



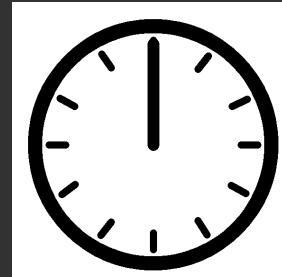
3D data



CNN
structure

Goal

- General
- Efficient
- Effective



Time cost



Memory
cost

Goal

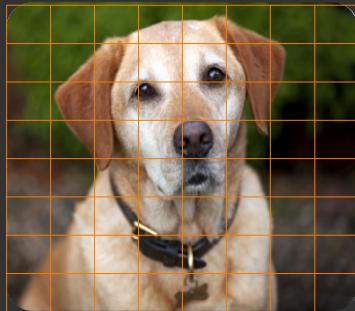
- General
- Efficient
- Effective



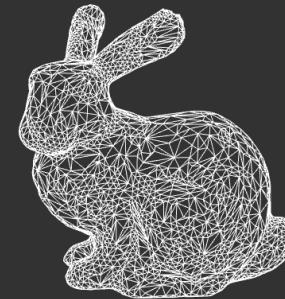
Performance

Key Challenge

- A 3D shape representation for efficient CNN on GPU
 - 2D Regular grid
 - Irregular 3D shape

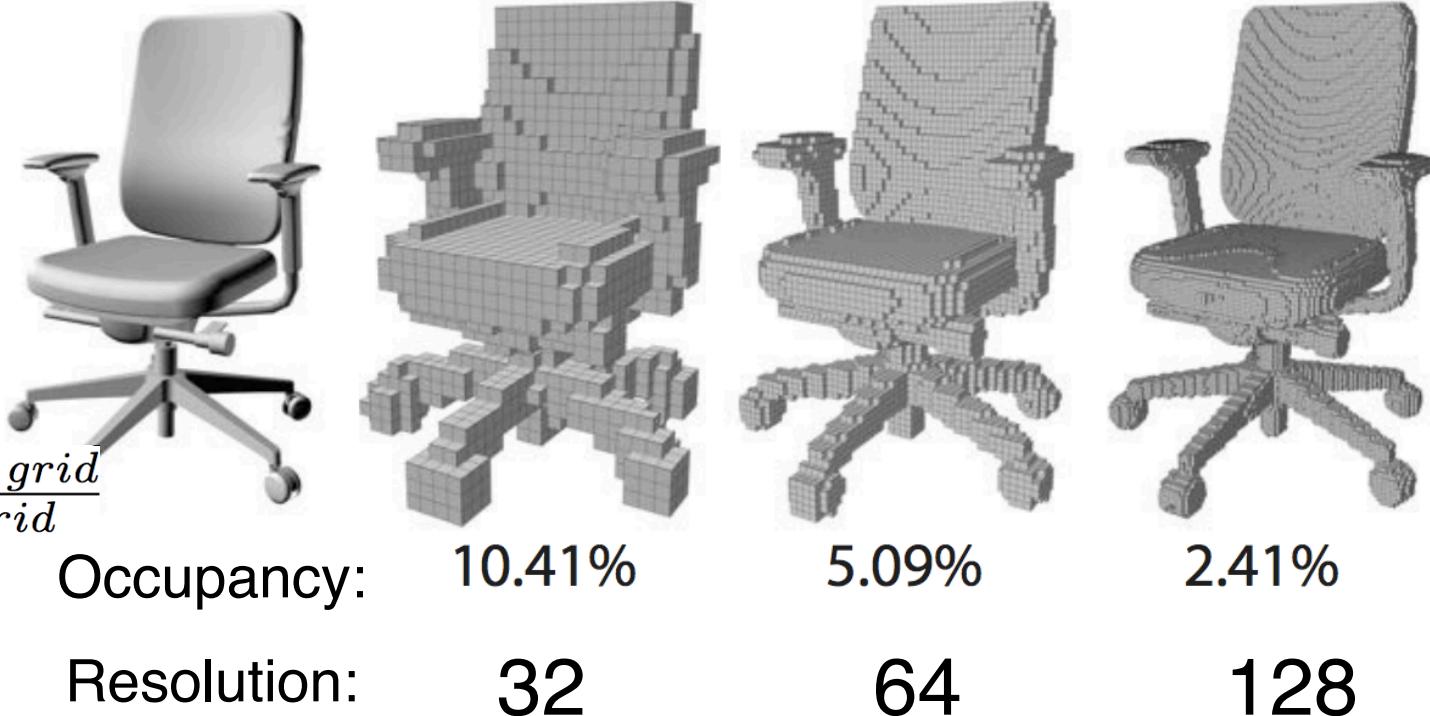


Image



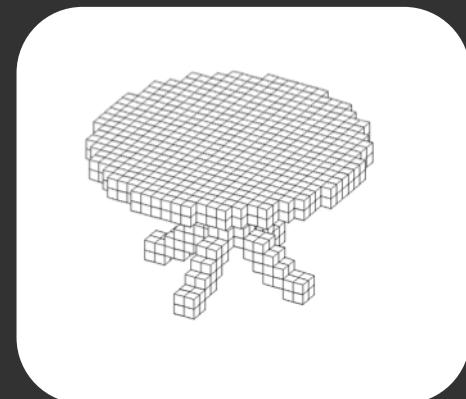
Mesh

The sparsity characteristic of 3D data



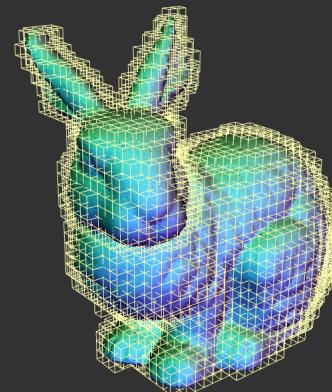
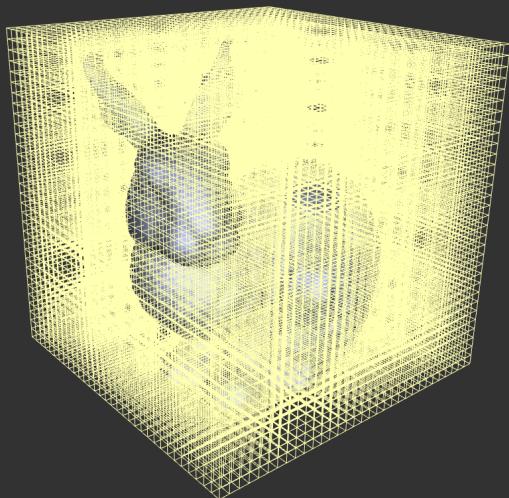
Full Voxel based Solutions

- Related work: [Wu et al. 2015], [Maturana and Scherer 2015], ...
 - General: intuitive extension of images ✓
 - Efficient: $O(N^3)$ ✗

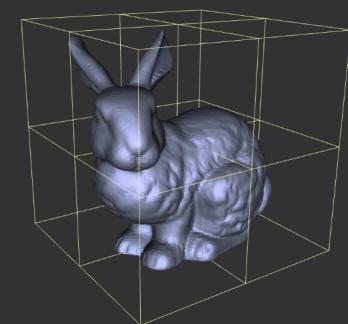
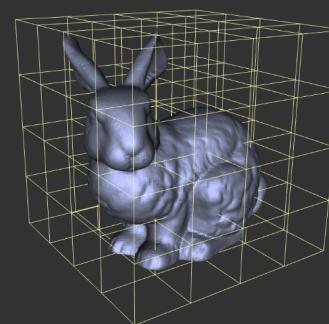
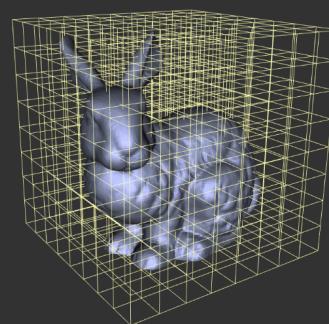
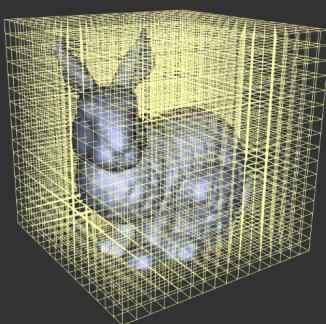
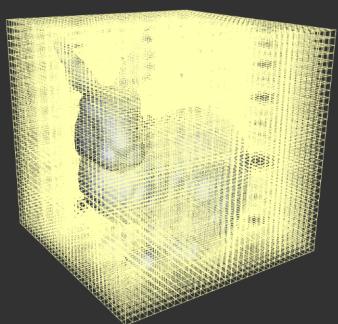


Key Idea

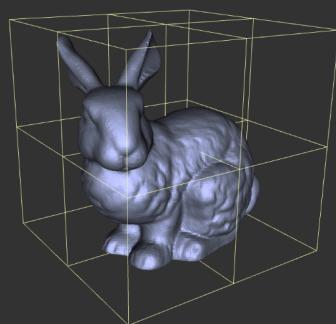
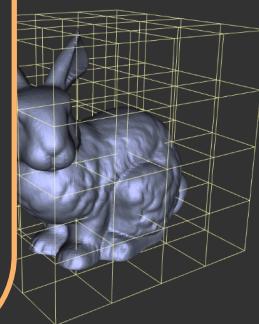
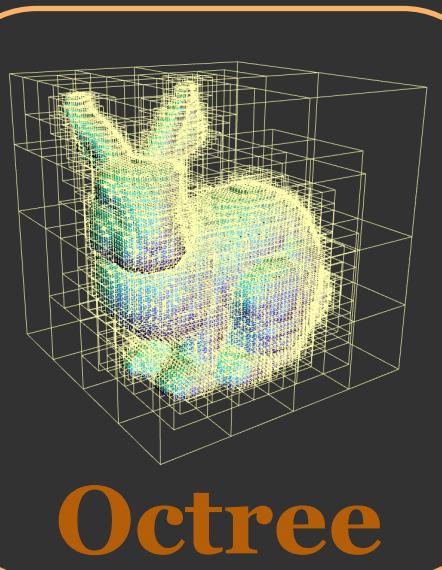
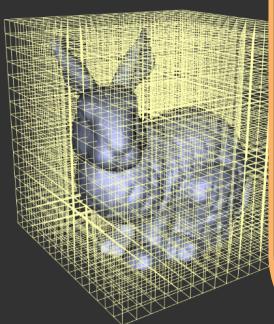
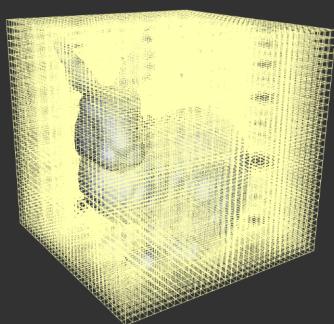
- Store the sparse surface signals
- Constrain the computation near the surface



Solution: Octree based CNN (O-CNN)

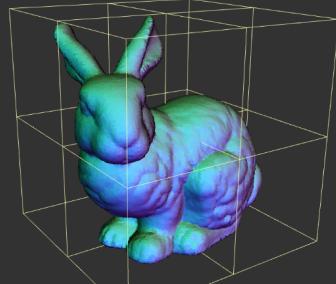
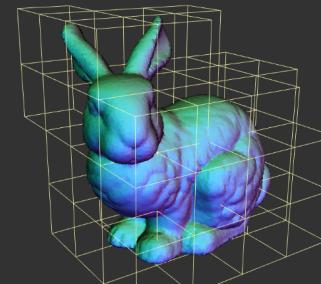
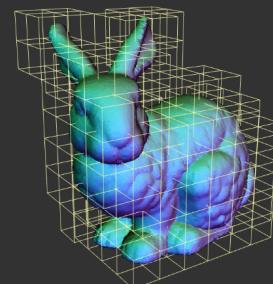
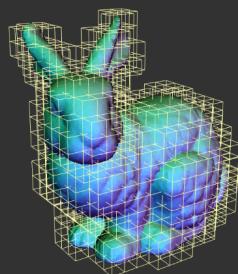
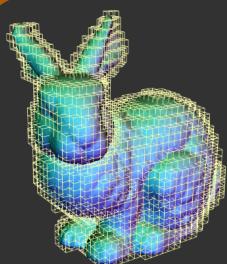


Solution: Octree CNN (O-CNN)

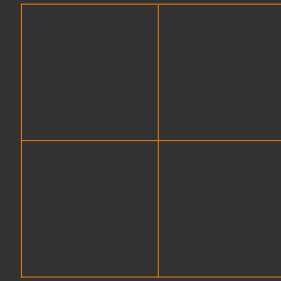
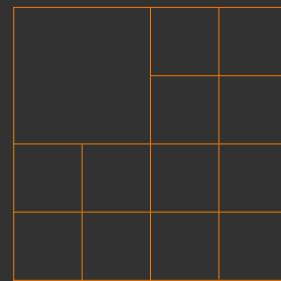
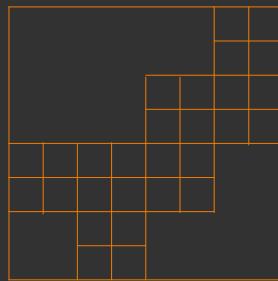
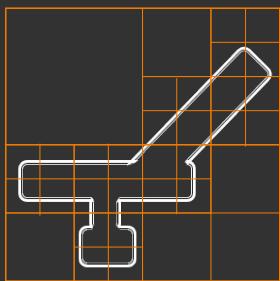


Octree

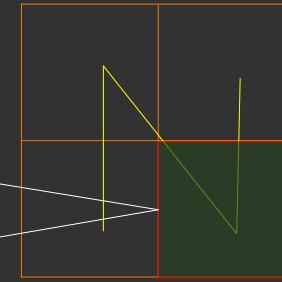
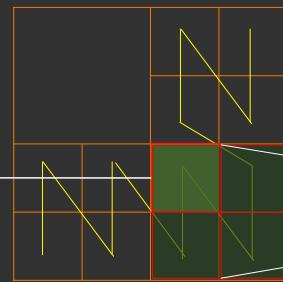
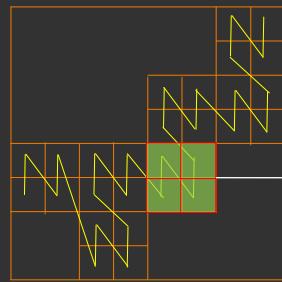
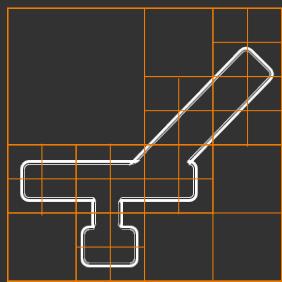
CONV → POOL → CONV → POOL → CONV → POOL → CONV → POOL → CONV



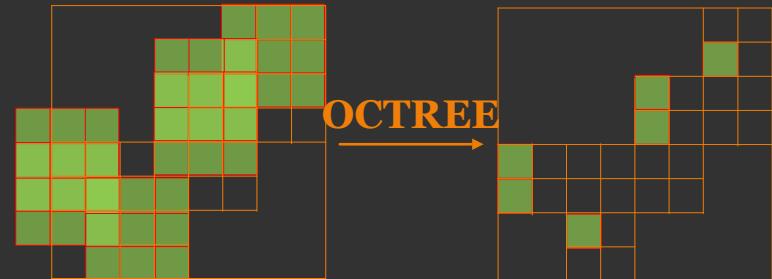
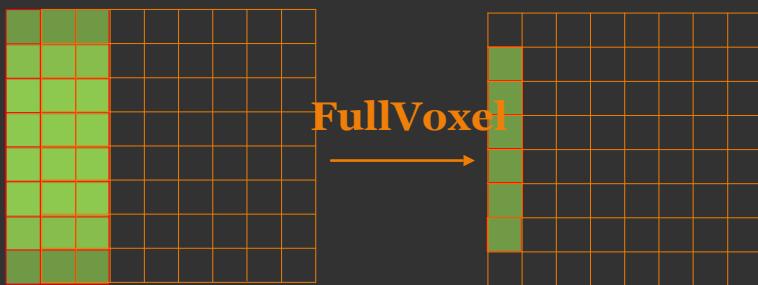
Octree Data Structure



Octree Data Structure

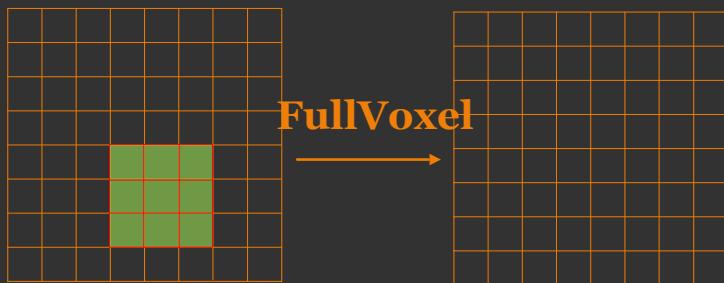


Convolution on Octree

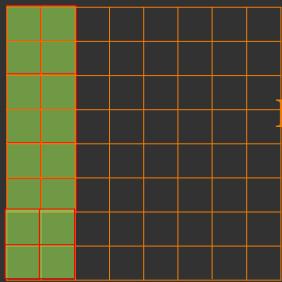


Convolution on Octree

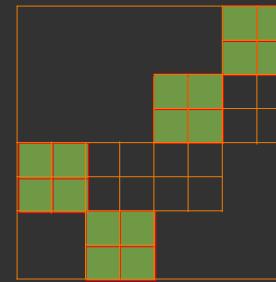
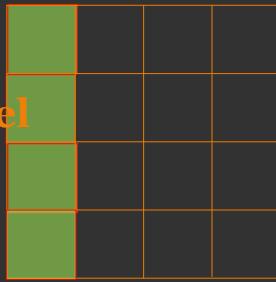
- Neighborhood searching: Hash table



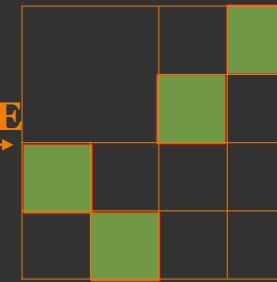
Pooling on Octree



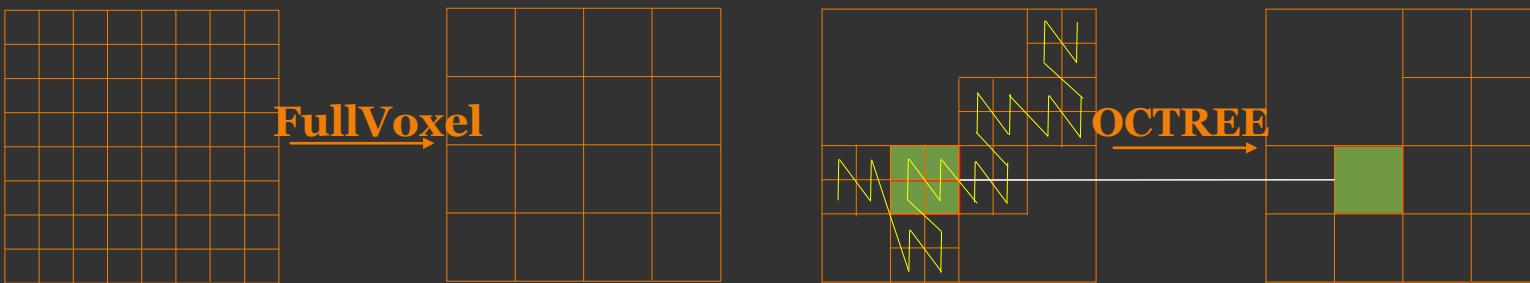
FullVoxel



OCTREE



Pooling on Octree

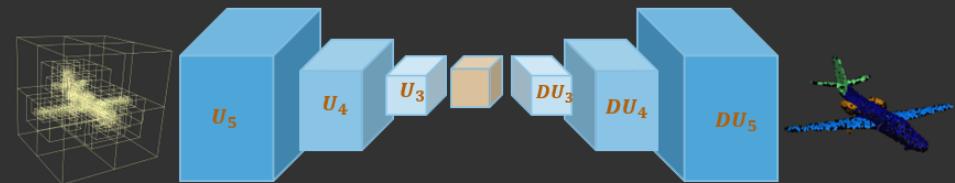
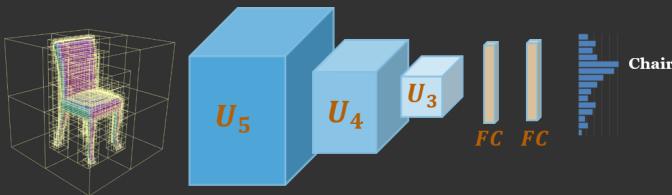


Other CNN Operations on Octree

- Convolution with stride > 1
- Deconvolution and un-pooling
 - Inverse operations of convolution and pooling
- Support most CNN architectures for images
 - LeNet [Lecun et al. 1998], GoogLeNet [Szegedy et al. 2015], ResNet [He et al. 2016], DeconvNet [Noh et al . 2015], FCN [Long et al. 2015] ...

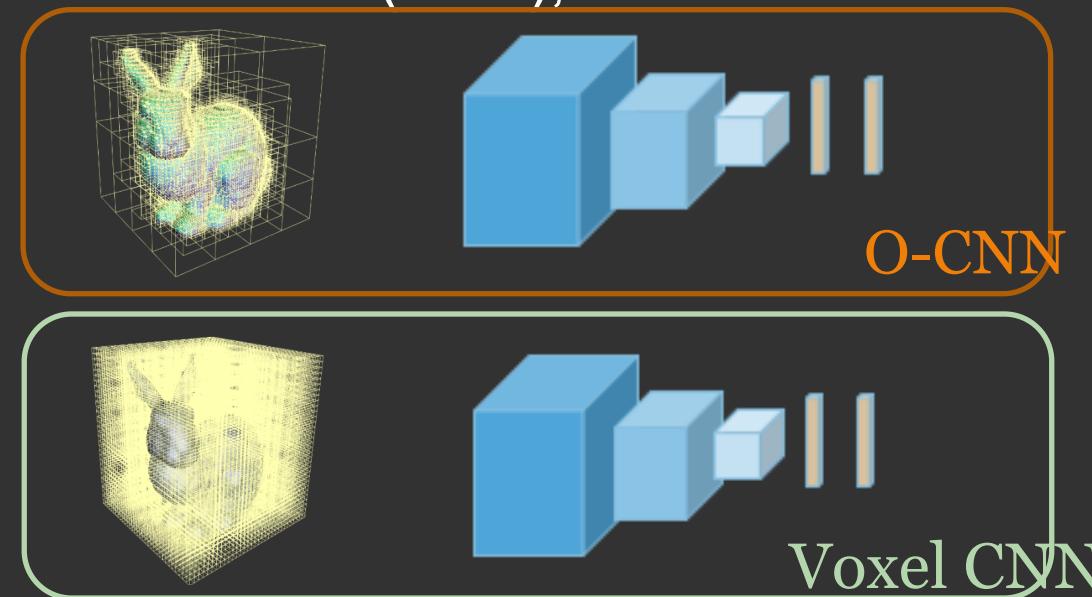
O-CNN for Shape Analysis

- Shape classification and retrieval
 - LeNet [Lecun et al. 1998]
- Shape segmentation
 - DeconvNet [Noh et al . 2015] + DenseCRF [Krähenbühl and Koltun 2011]



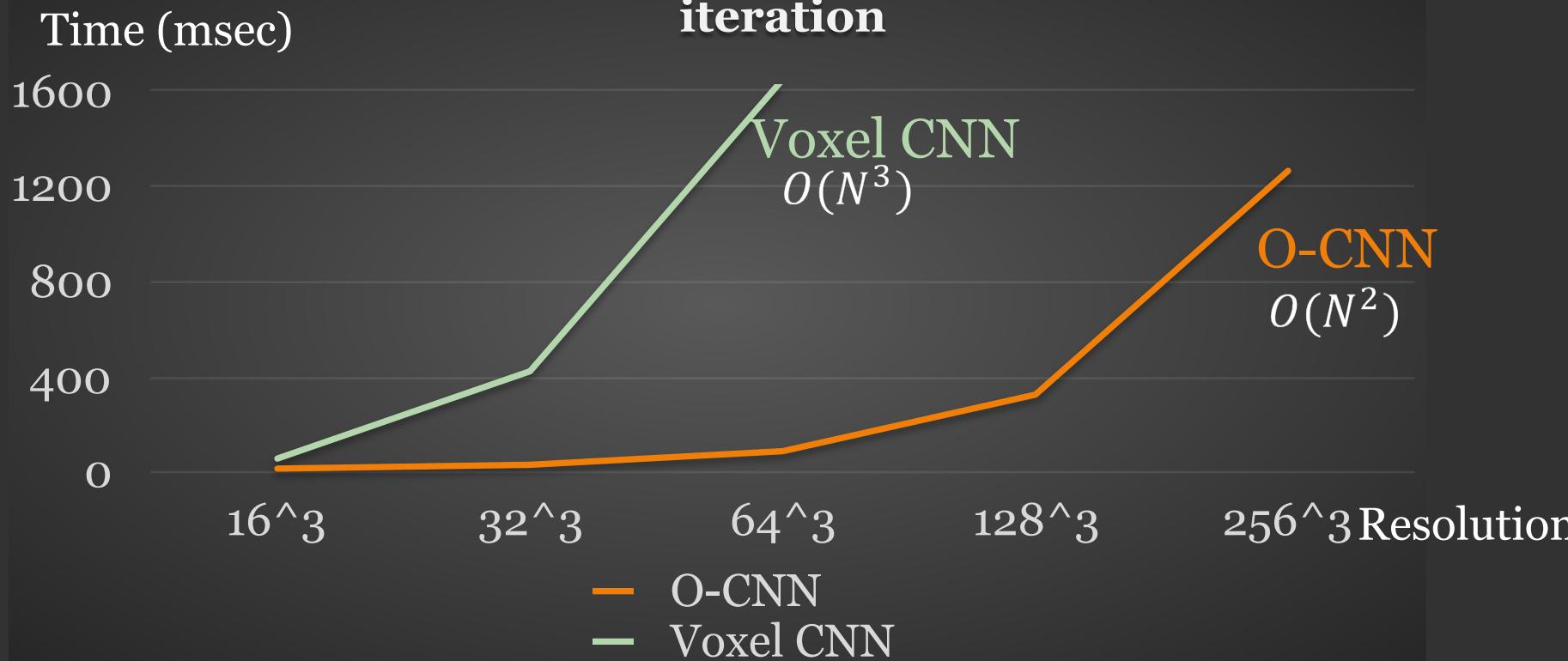
Efficiency of O-CNN

- O-CNN vs. full voxel CNN
 - Geforce 1080 GPU (8GB); Batch size 32

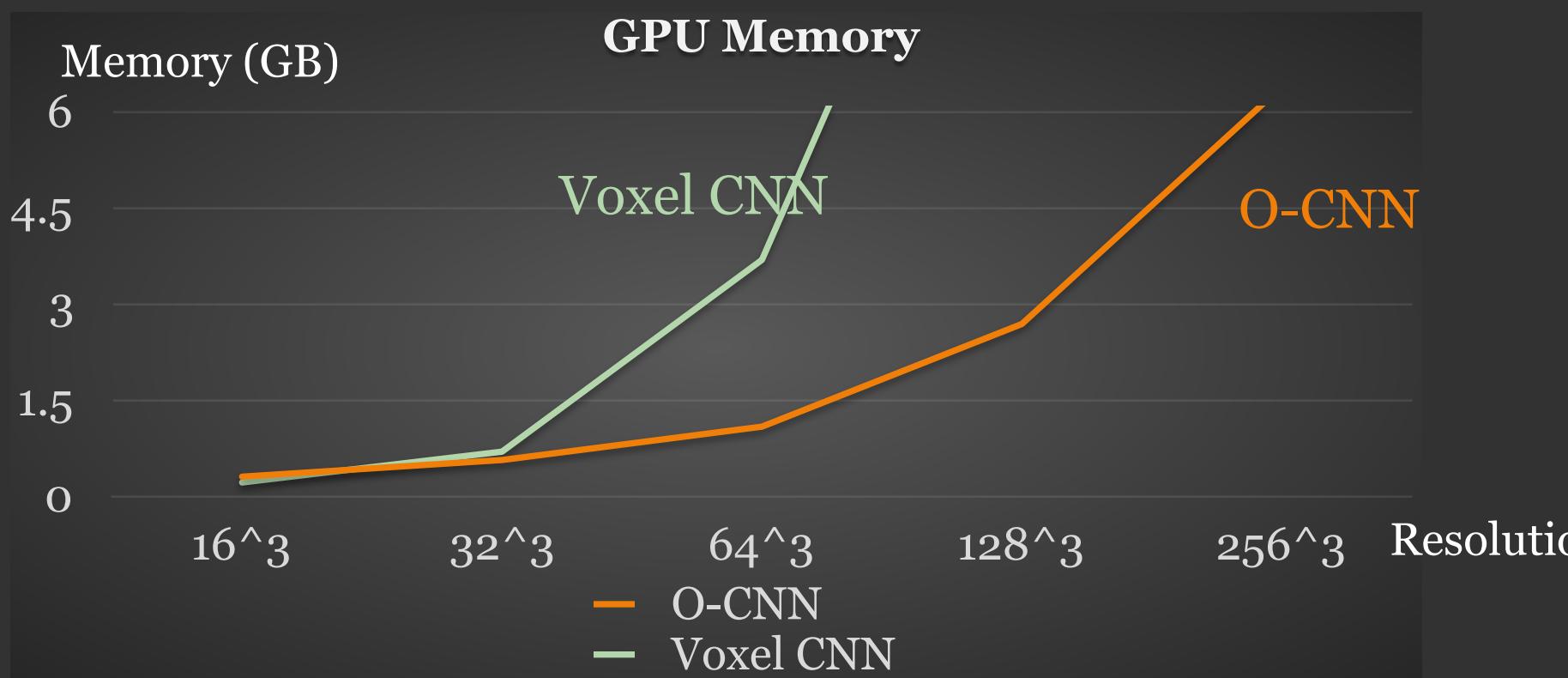


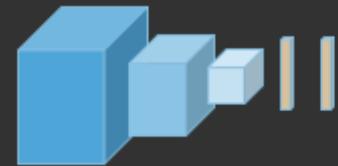
Computational Efficiency

Average time for each forward and backward iteration



Memory Efficiency





Results – Classification

- **Task:** recognize the shape category
- **Dataset:** Princeton ModelNet40,
12311 3D models, 40 categories
- **Evaluation metric:** classification accuracy

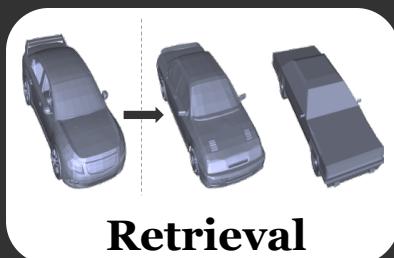


Network	without voting
VoxNet (32^3)	82.0%
Geometry image	83.9%
SubVolSup (32^3)	87.2%
FPNN (64^3)	87.5%
FPNN+normal(64^3)	88.4%
PointNet	89.2%
VRN (32^3)	89.0%
O-CNN(3)	85.5%
O-CNN(4)	88.3%
O-CNN(5)	89.6%
O-CNN(6)	89.9%
O-CNN(7)	89.5%
O-CNN(8)	89.6%
O-CNN(8) 8^3	89.9%
O-CNN(8) 256^3	89.6%
O-CNN(8)	89.9%



Results – Shape Retrieval

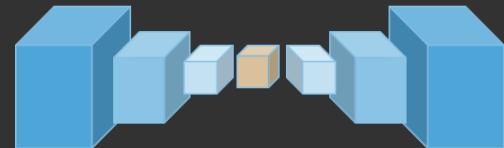
- **Task:** Given a query shape, retrieve similar shapes from the database
- **Dataset:** ShapeNet55 Core, 51190 3D models, 55 categories
- **Evaluation metric:** precision, recall, mAP, F-score, and NDCG



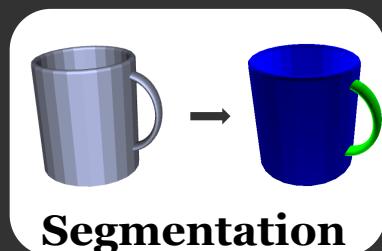
Method	P@N	R@N	F1@N	mAP	NDCG@N
Tatsuma_DB	0.427	0.689	0.472	0.728	0.875
Wang_CCMLT	0.718	0.350	0.391	0.823	0.886
Li_ViewAggr	0.508	0.868	0.582	0.829	0.904
Bai_GIFT	0.706	0.695	0.689	0.825	0.896
Su_MVCNN	0.770	0.770	0.764	0.873	0.899
O-CNN(5)	0.768	0.769	0.763	0.871	0.904
O-CNN(6)	0.778	0.782	0.776	0.875	0.905

O-CNN(e)	877.0	287.0	0.0	278.0	278.0	206.0
O-CNN(g)	897.0	697.0	0.0	297.0	178.0	406.0

Results – Segmentation



- **Task:** Segment a 3D shape into semantic parts
- **Dataset:** dataset from [Yi et al. 2016], 16881 models, 2~6 parts
- **Evaluation metric:** Intersection over Union



	mean	plane	bag	cap	car	chair	e.ph.	guitar	knife
# shapes		2690	76	55	898	3758	69	787	392
[Yi et al. 2016]	81.4	81.0	78.4	77.7	75.7	87.6	61.9	92.0	85.4
PointNet [Qi et al. 2017]	83.7	83.4	78.7	82.5	74.9	89.6	73.0	91.5	85.9
SpecCNN [Yi et al. 2017]	84.7	81.6	81.7	81.9	75.2	90.2	74.9	93.0	86.1
O-CNN(5)	85.2	84.2	86.9	84.6	74.1	90.8	81.4	91.3	87.0
O-CNN(6)	85.9	85.5	87.1	84.7	77.0	91.1	85.1	91.9	87.4
O-CNN(6)	82.6	82.2	82.8	74.8	77.0	91.6	82.8	91.6	87.8
O-CNN(2)	82.3	82.5	80.8	64.6	74.7	80.6	81.8	81.9	80.7

Conclusion

- Key idea
 - Store sparse surface signal
 - Constrain the computation near surface
- Octree based 3D CNNs
 - General, efficient, and effective



Code and data online
<http://wang-ps.github.io/O-CNN>

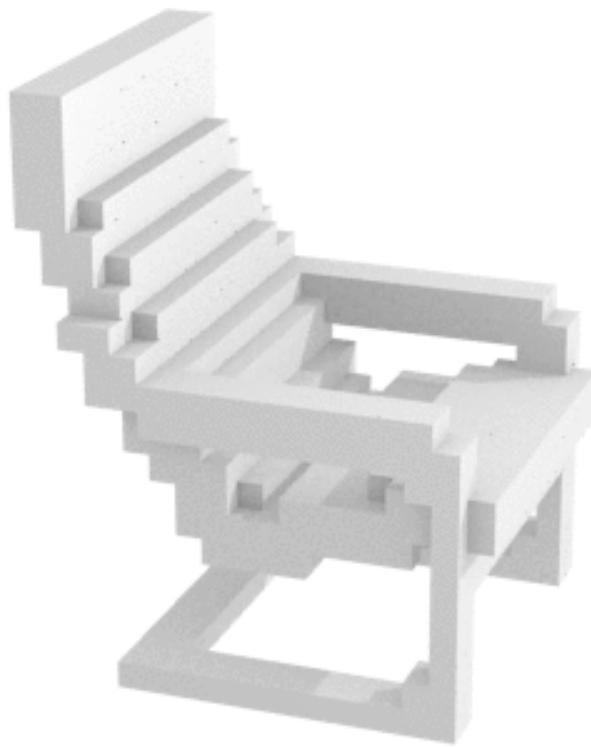
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Shape Reconstruction

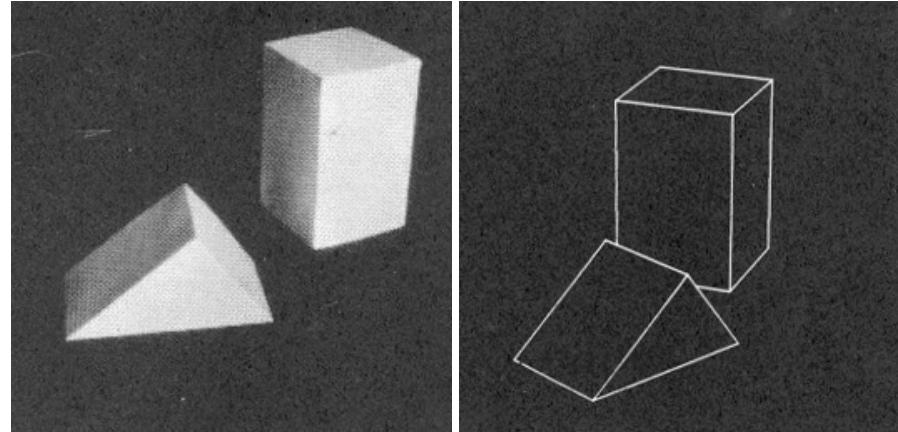
How do we learn to perceive 3D ?



How do we learn to perceive 3D ?



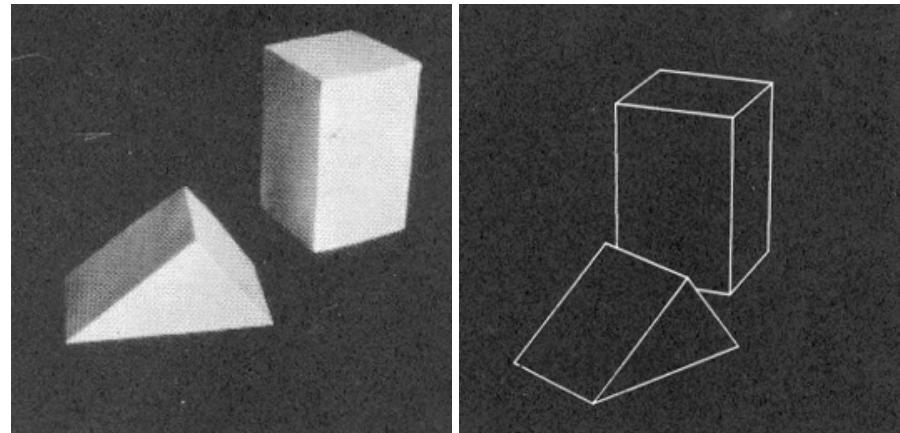
Single-view Reconstruction



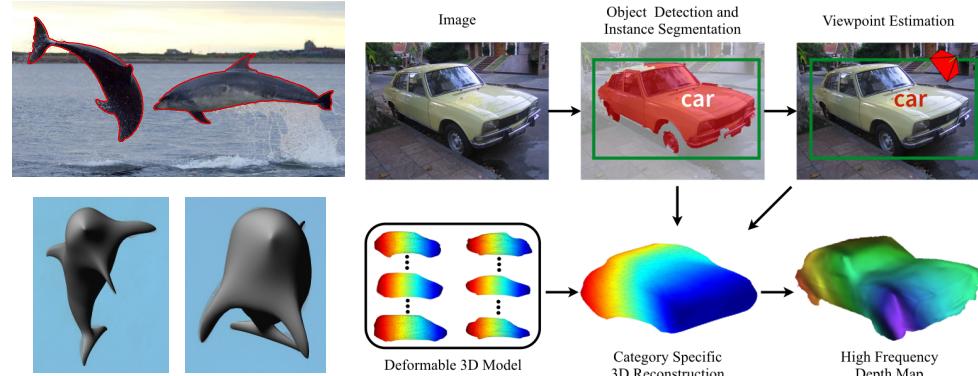
Roberts. PhD Thesis, MIT. 1963

Unsupervised

Single-view Reconstruction

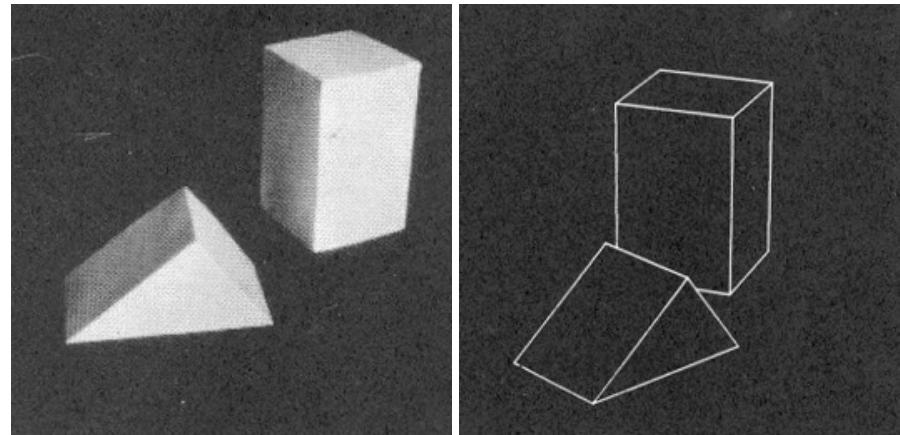


Roberts. PhD Thesis, MIT. 1963
Unsupervised

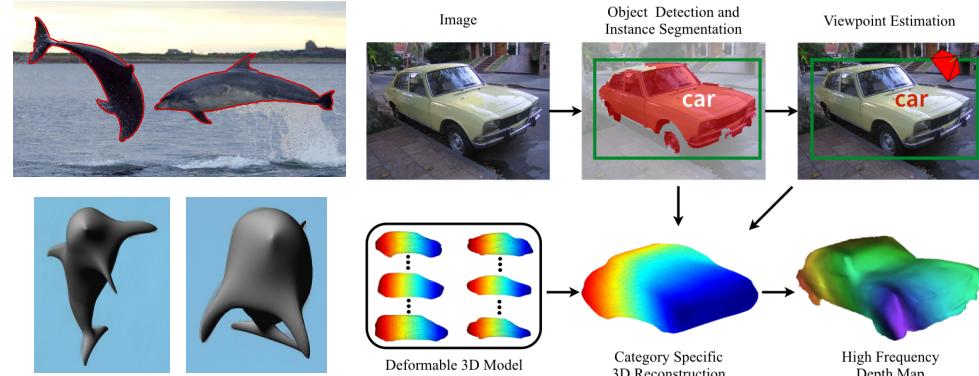


Cashman & Fitzgibbon, PAMI 2013
Kar et al., CVPR 2015
Supervision : Masks + Pose

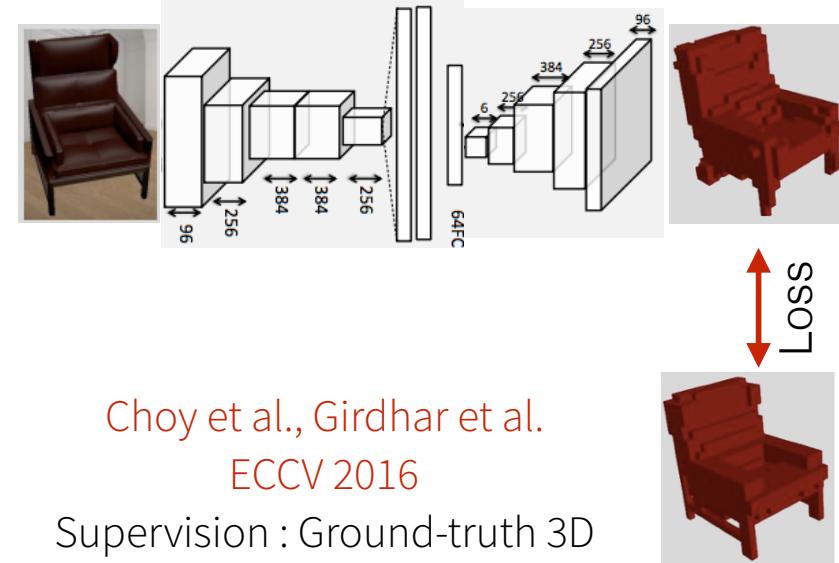
Single-view Reconstruction

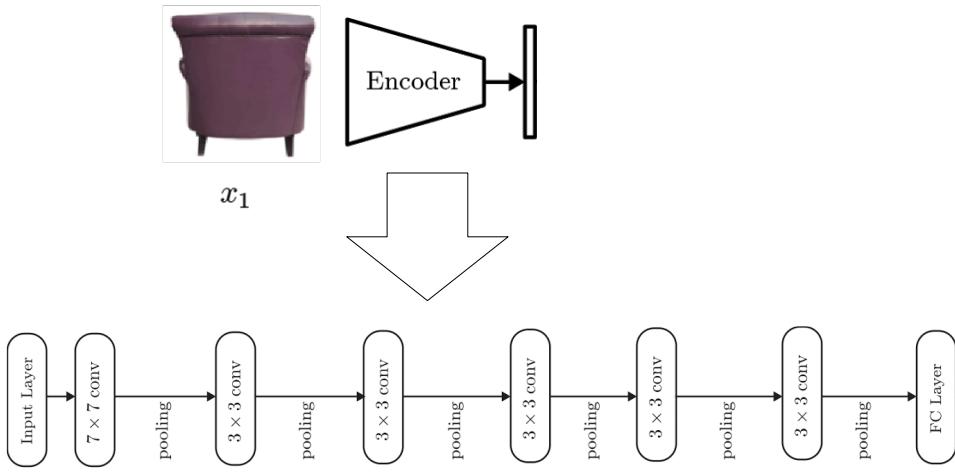


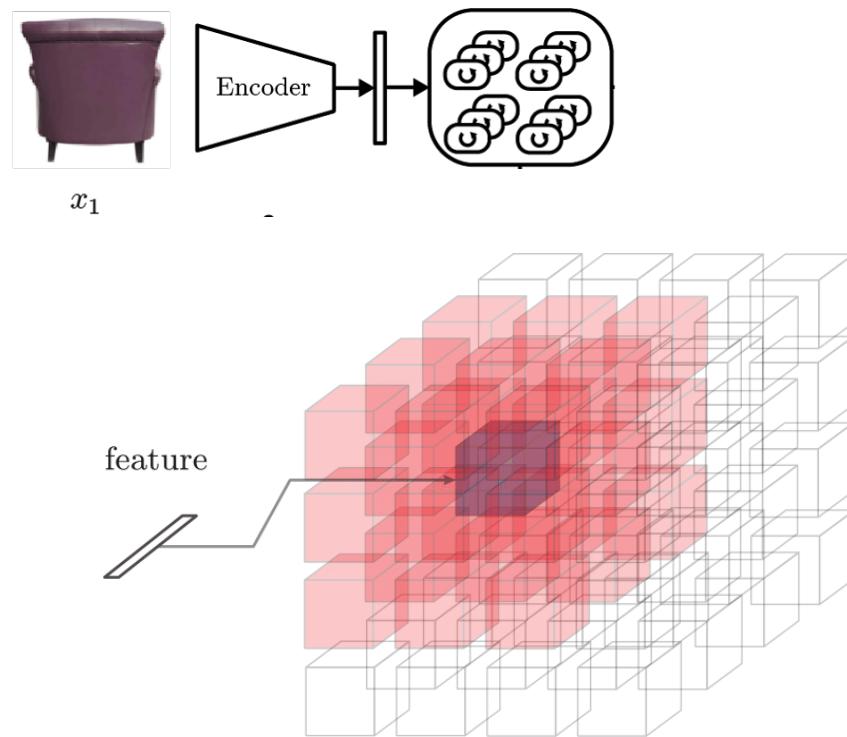
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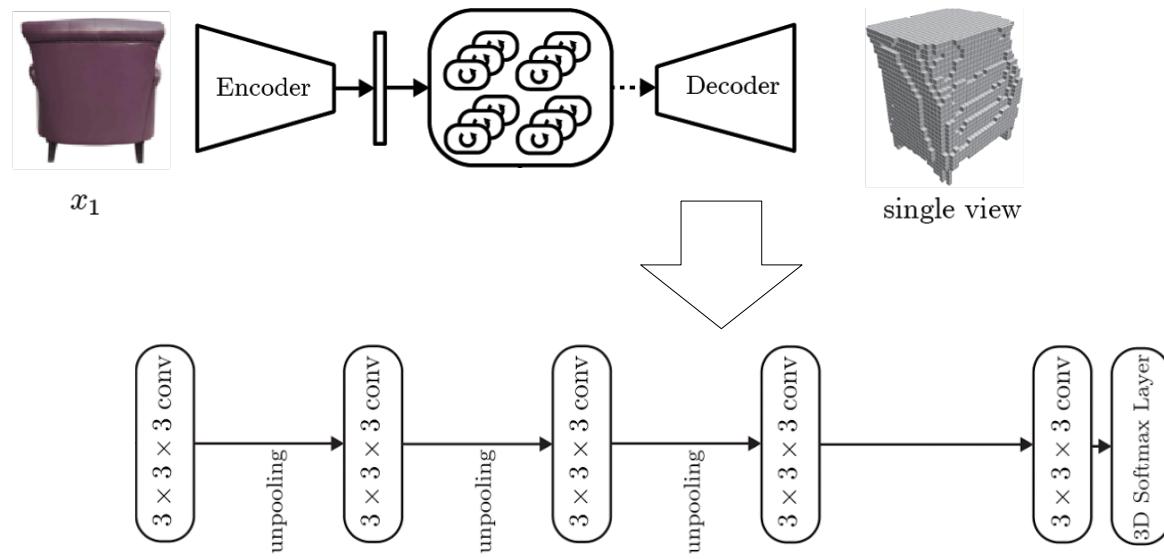
Cashman & Fitzgibbon, PAMI 2013
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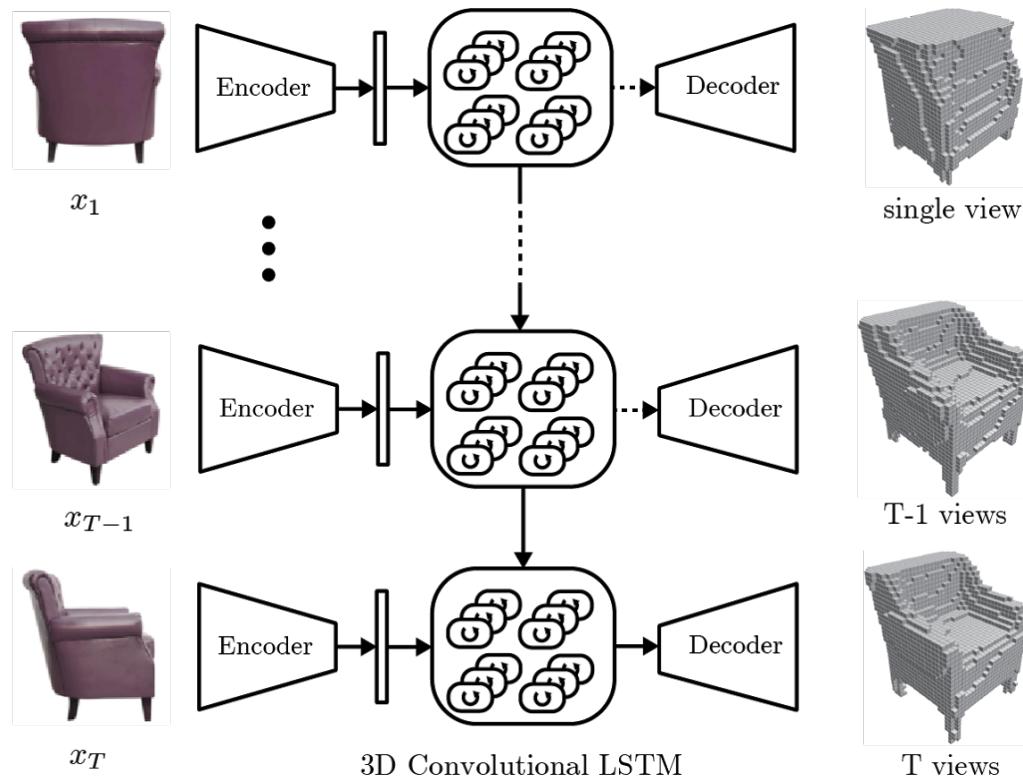




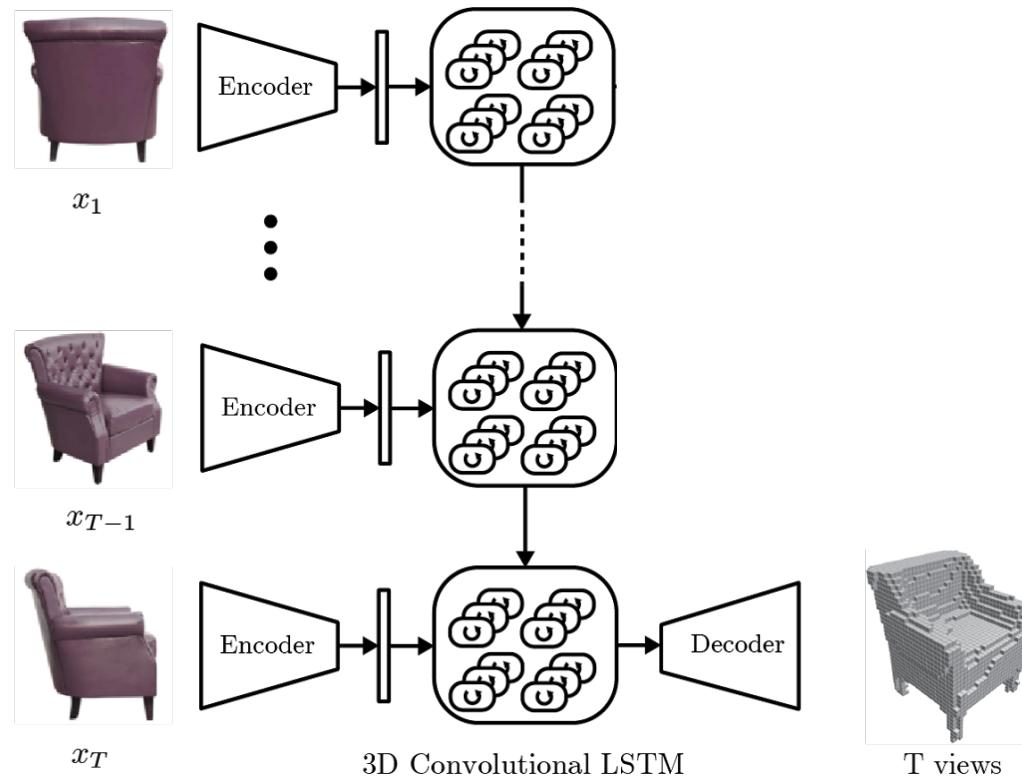


3D Convolutional LSTM

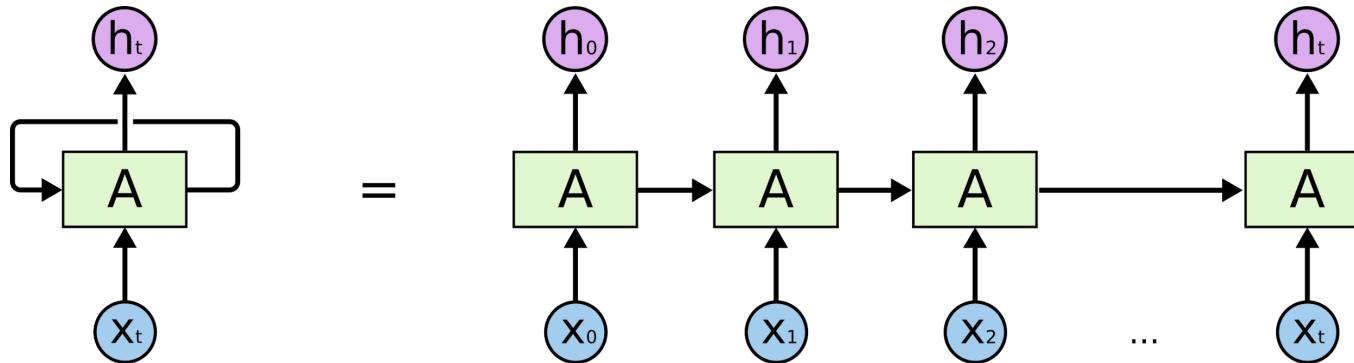




It is possible to aggregate information from multiple views

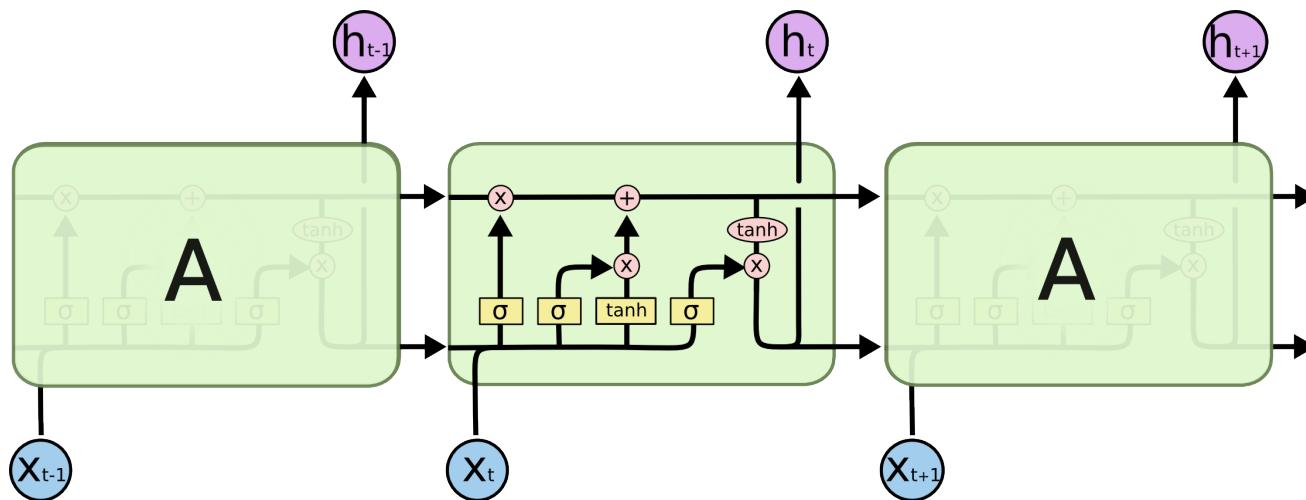


Recurrent Neural Network



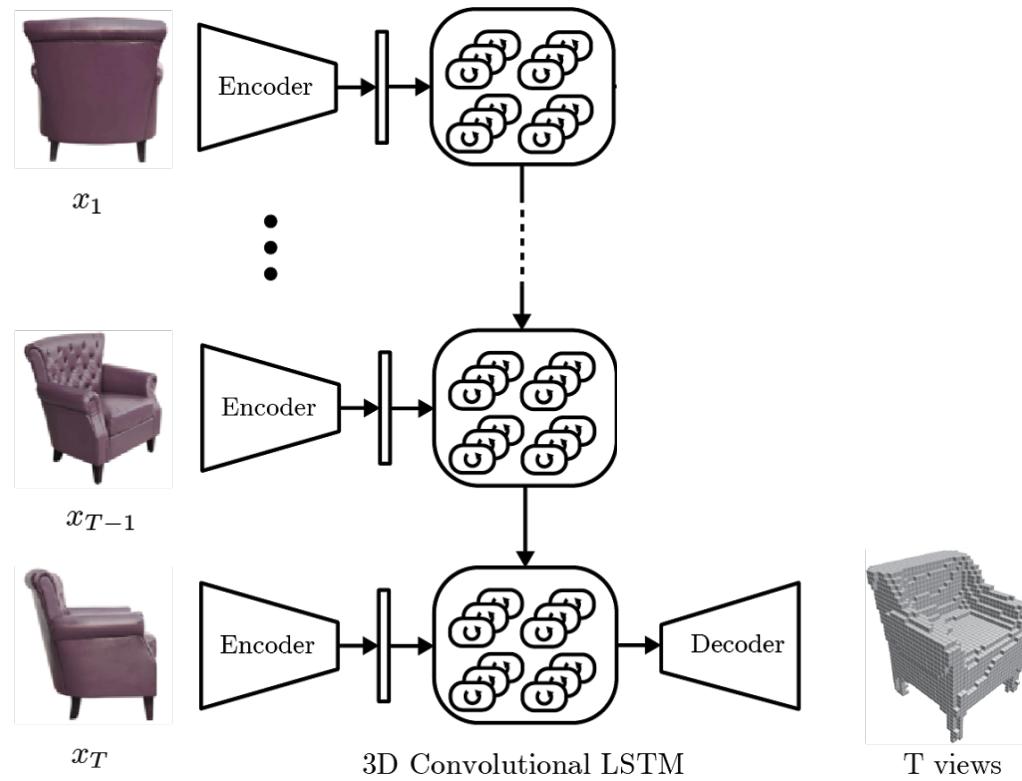
[Christopher Olah] Understanding LSTM Networks, <http://colah.github.io/posts/2015-08-Understanding-LSTMs/>

Long Short Term Memory



[Christopher Olah] Understanding LSTM Networks, <http://colah.github.io/posts/2015-08-Understanding-LSTMs/>

It is possible to aggregate information from multiple views



Training

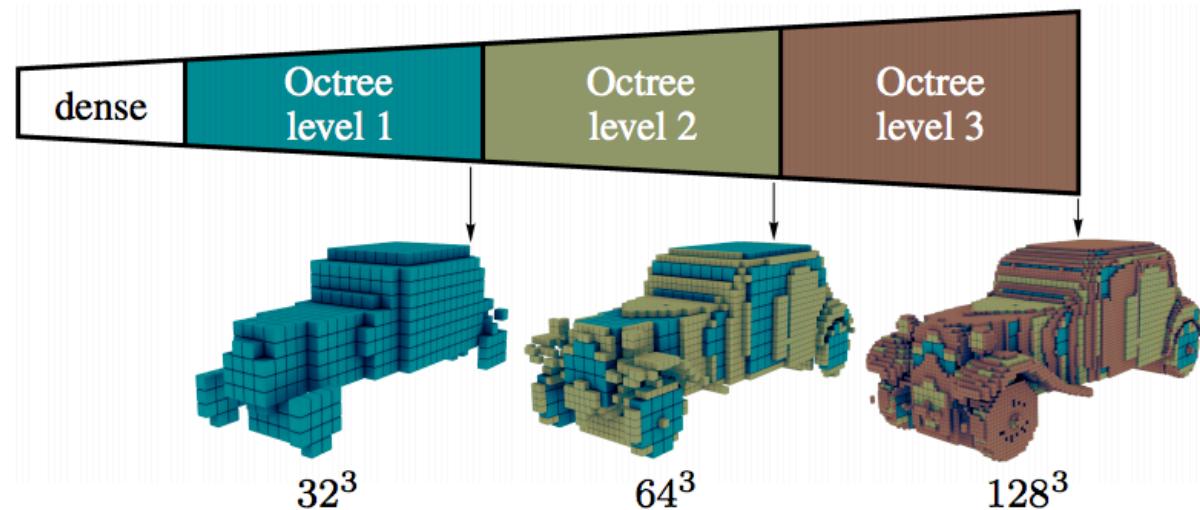
- ShapeNet
 - 50k CAD models
 - Render from arbitrary views
 - Random number of images w/ random order
 - Random background, translation
- Voxel-wise cross entropy loss

$$L(\mathcal{X}, y) = \sum_{i,j,k} y_{(i,j,k)} \log(p_{(i,j,k)}) + (1 - y_{(i,j,k)}) \log(1 - p_{(i,j,k)})$$





Towards higher spatial resolution

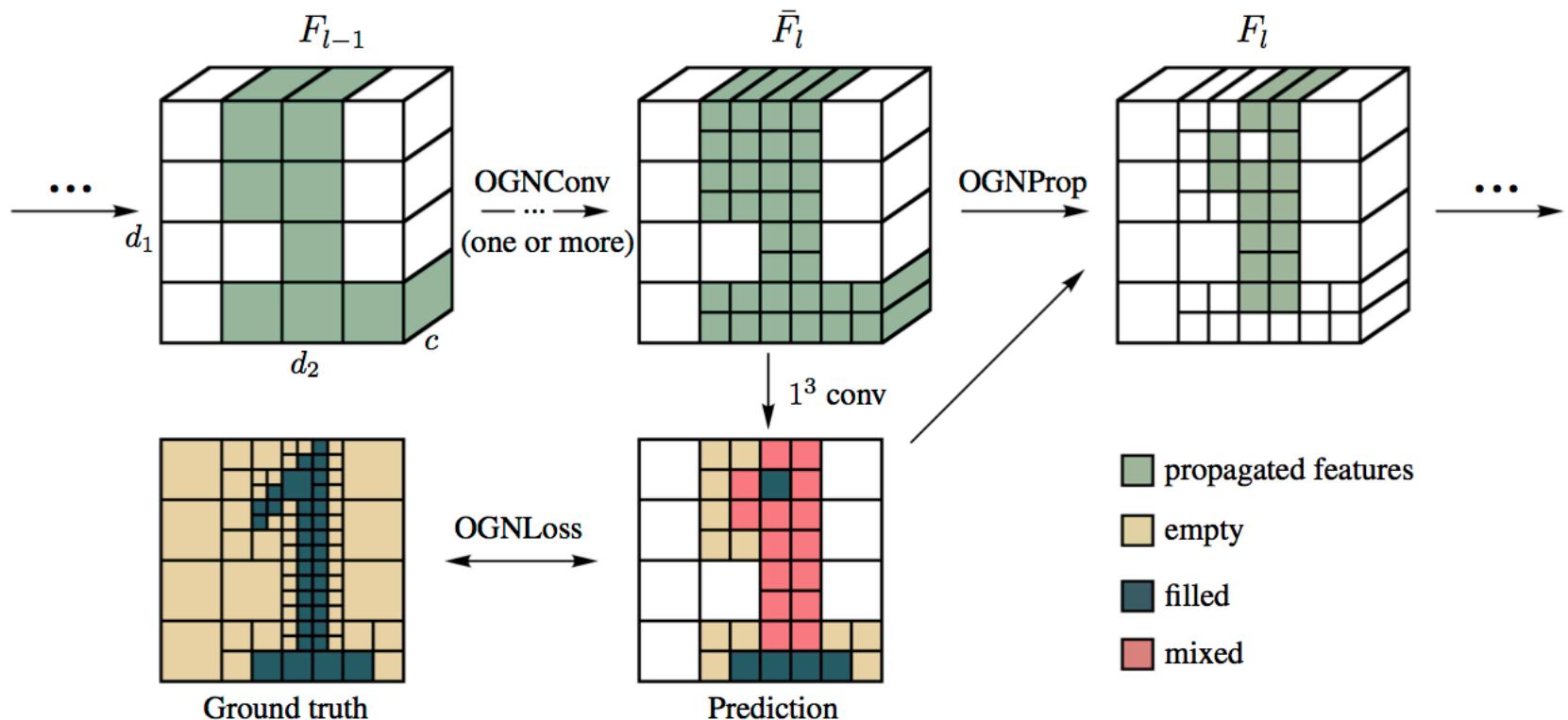


Maxim Tatarchenko, Alexey Dosovitskiy, Thomas Brox

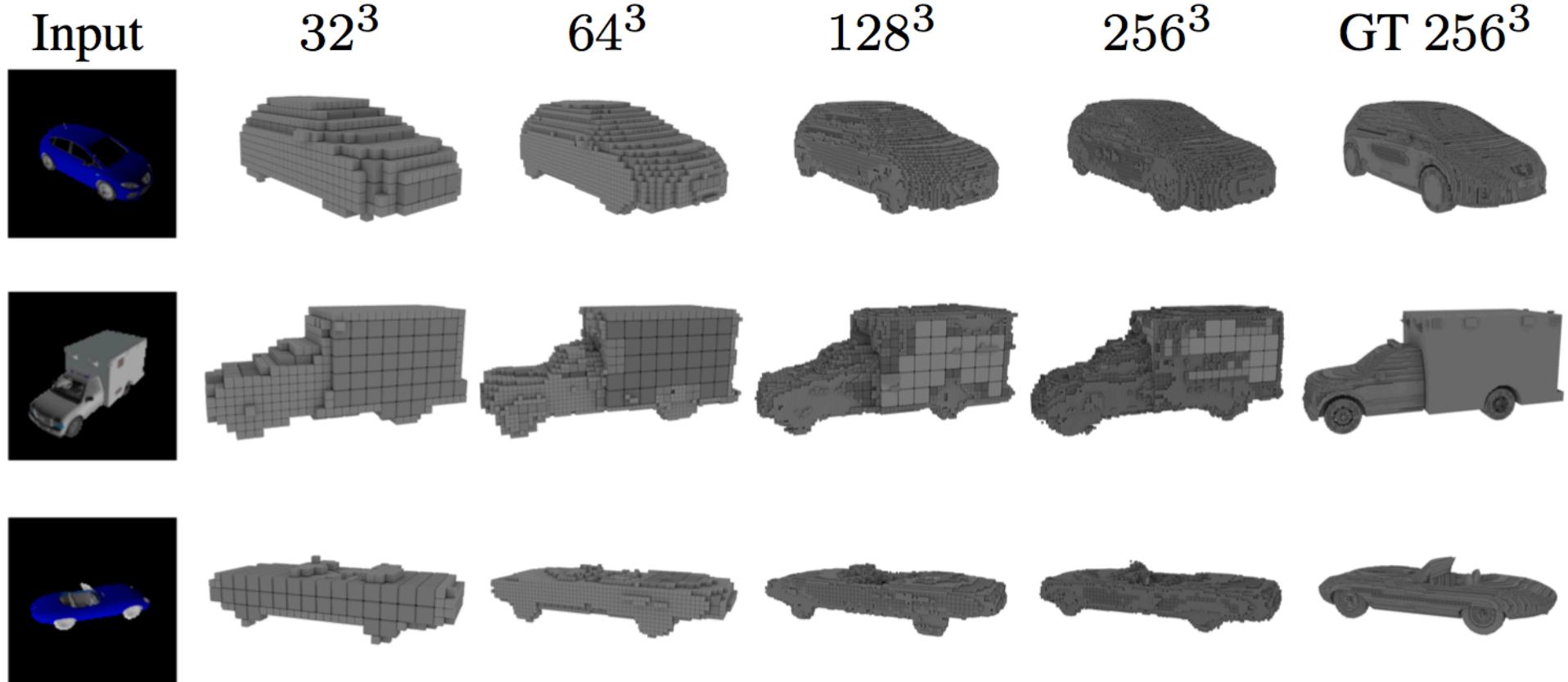
“Octree Generating Networks: Efficient Convolutional Architectures for High-resolution 3D Outputs”

arxiv (March, 2017)

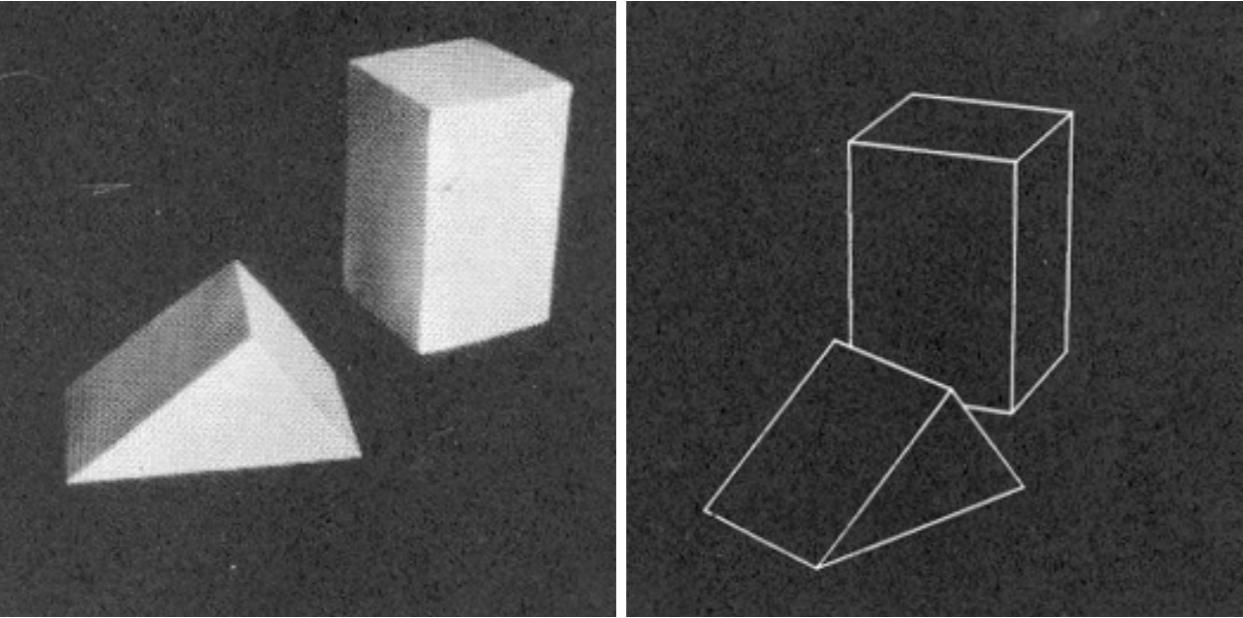
Progressive voxel refinement



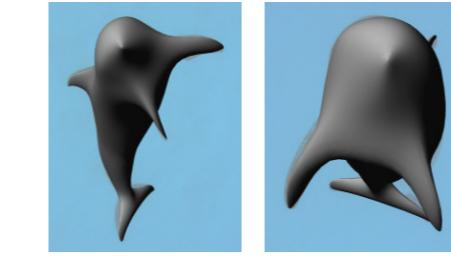
Results



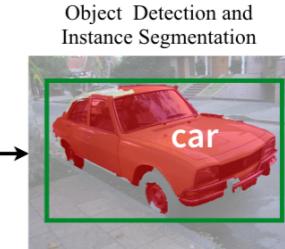
Single-view Reconstruction



Roberts. PhD Thesis, MIT. 1963
Unsupervised



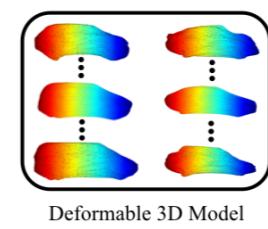
Image



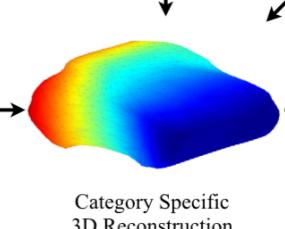
Object Detection and Instance Segmentation



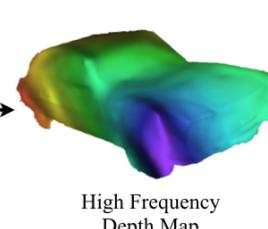
Viewpoint Estimation



Deformable 3D Model



Category Specific 3D Reconstruction

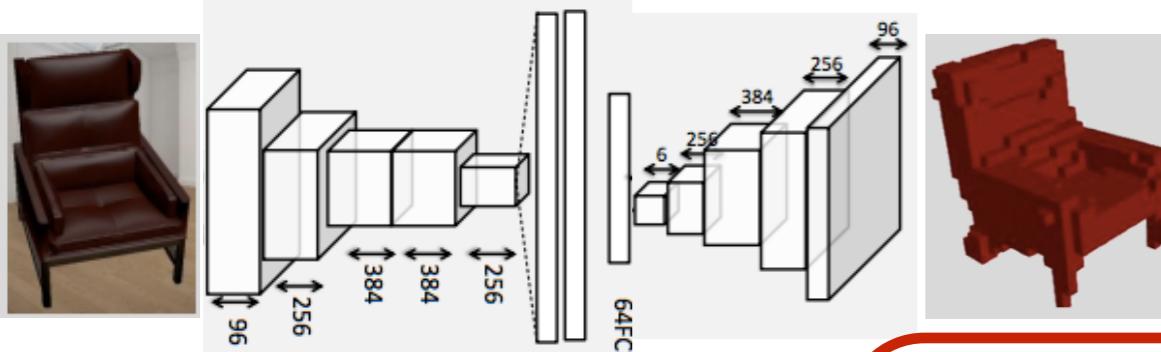


High Frequency Depth Map

Cashman & Fitzgibbon, PAMI 2013

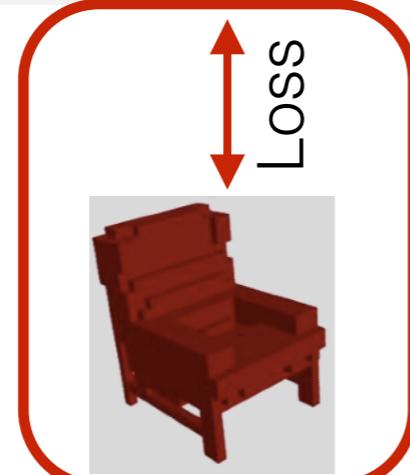
Kar et al., CVPR 2015

Supervision : Masks + Pose



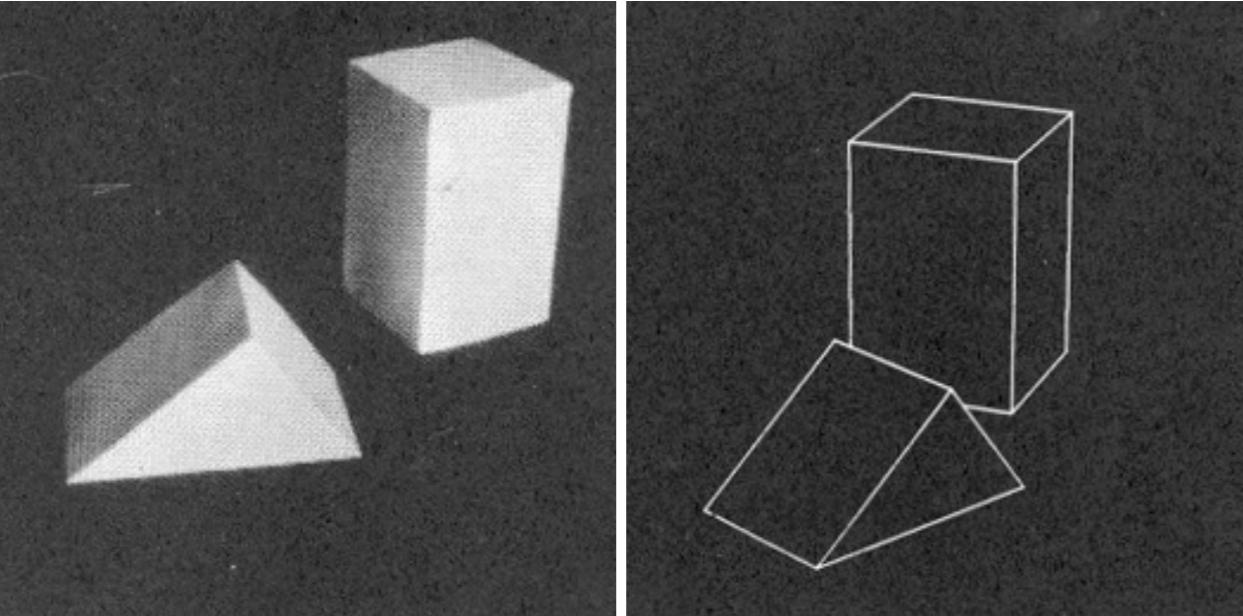
Choy et al., Girdhar et al.
ECCV 2016

Supervision : Ground-truth 3D

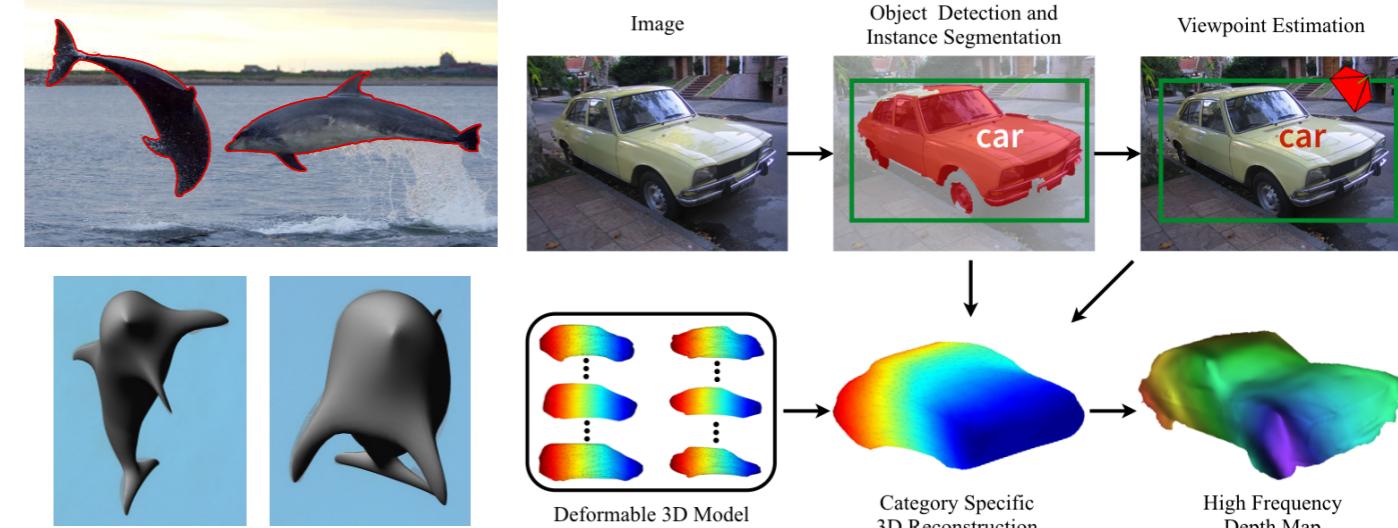


But we don't have
ground-truth 3D !

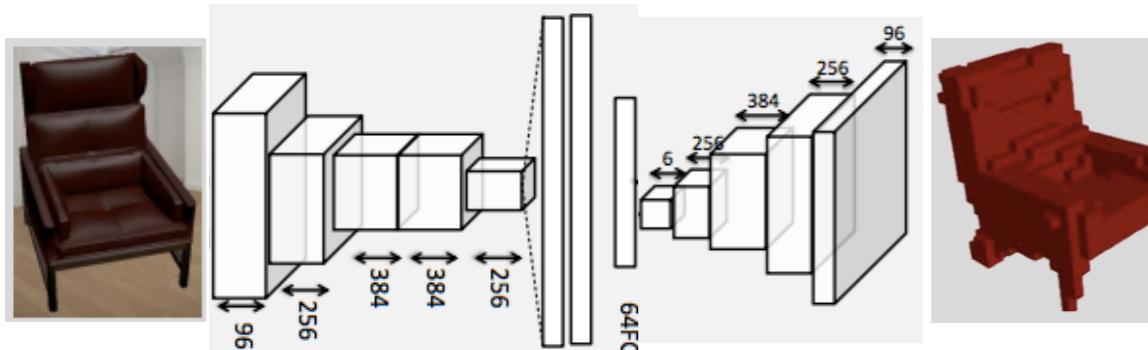
Single-view Reconstruction



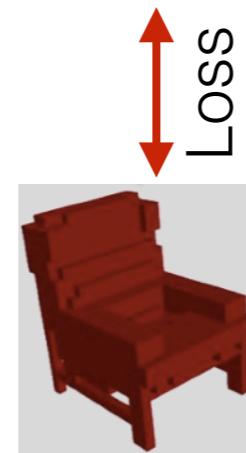
Roberts. PhD Thesis, MIT. 1963
Unsupervised



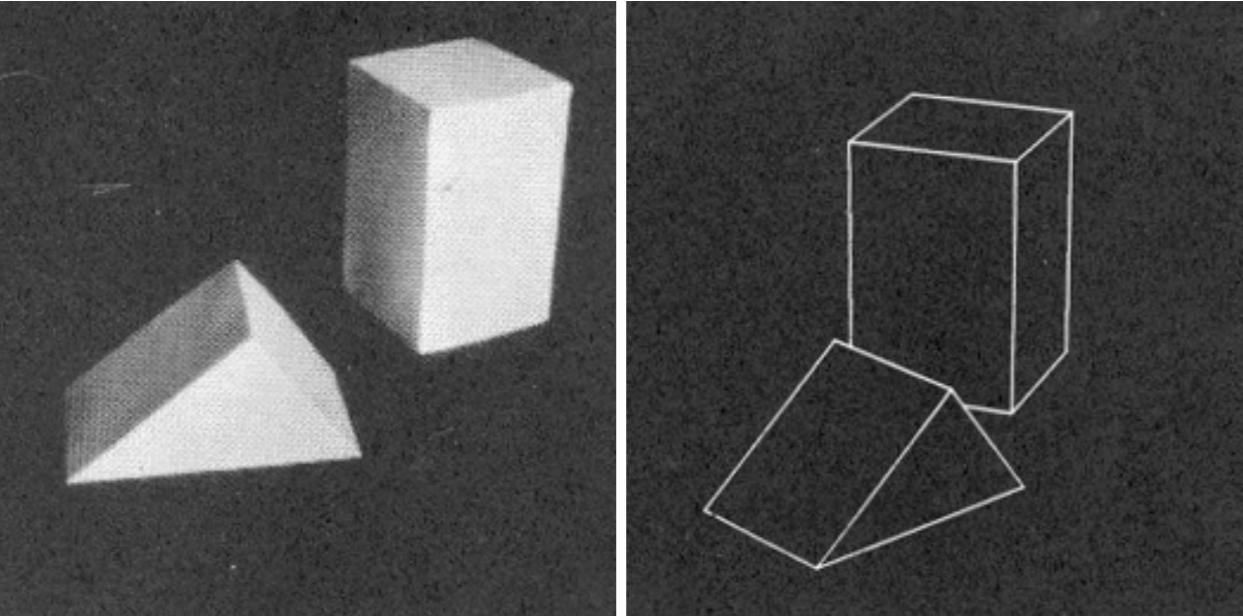
Cashman & Fitzgibbon, PAMI 2013
Kar et al., CVPR 2015
Supervision : Masks + Pose



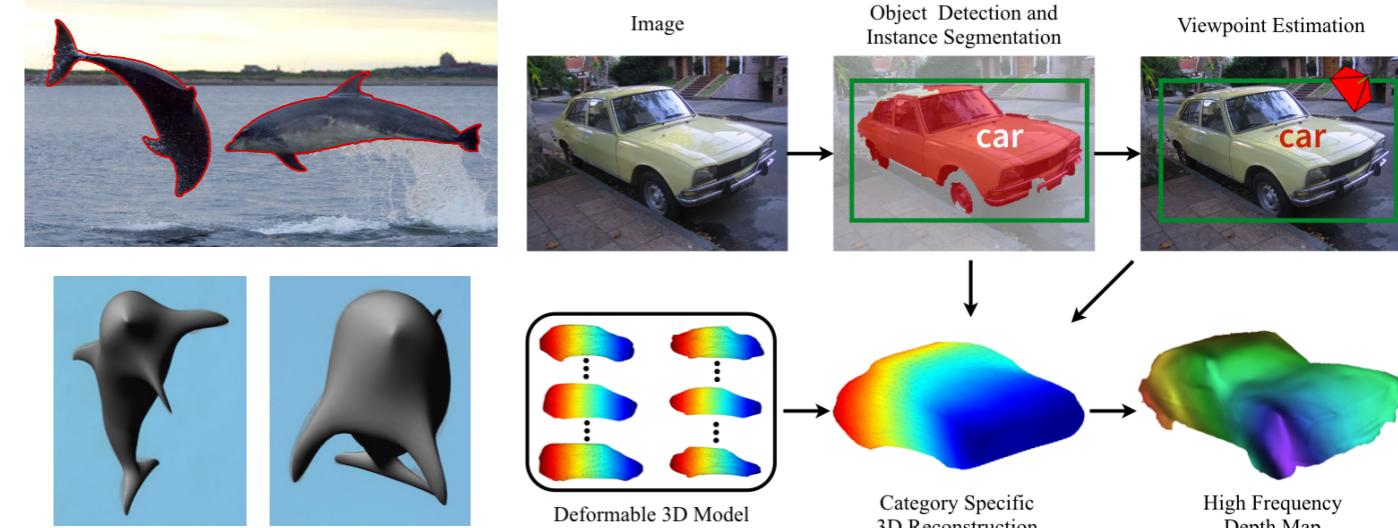
Choy et al., Girdhar et al.
ECCV 2016
Supervision : Ground-truth 3D



Single-view Reconstruction



Roberts. PhD Thesis, MIT. 1963
Unsupervised

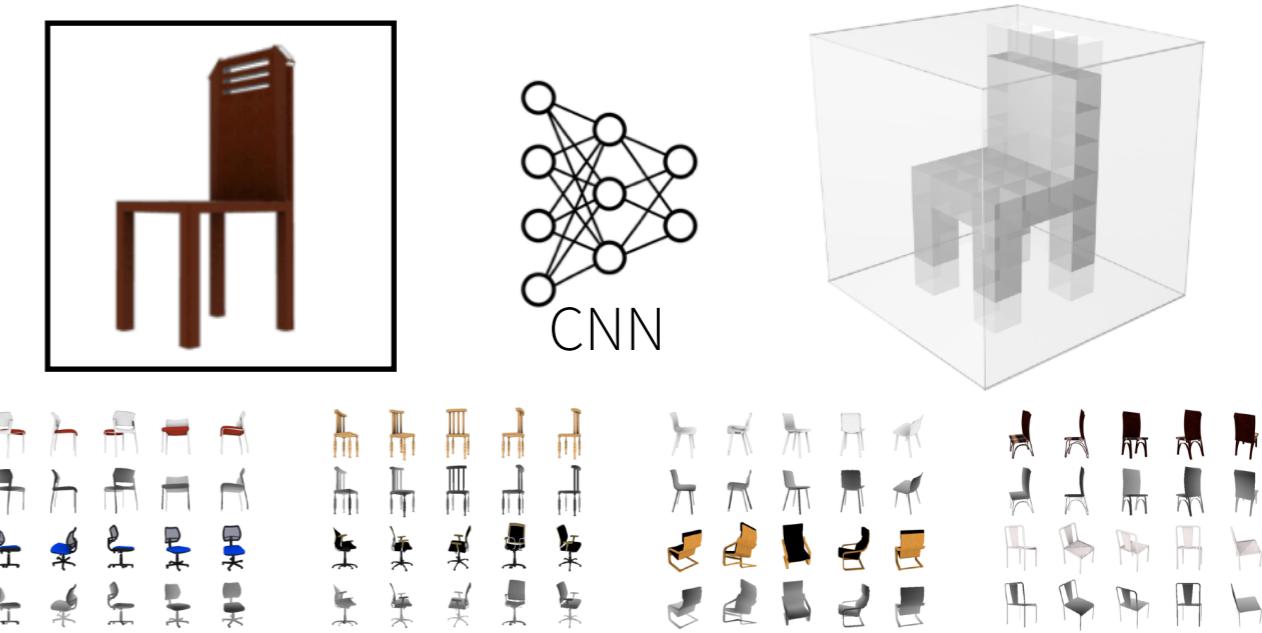


Cashman & Fitzgibbon, PAMI 2013
Kar et al., CVPR 2015
Supervision : Masks + Pose



Choy et al., Girdhar et al.
ECCV 2016

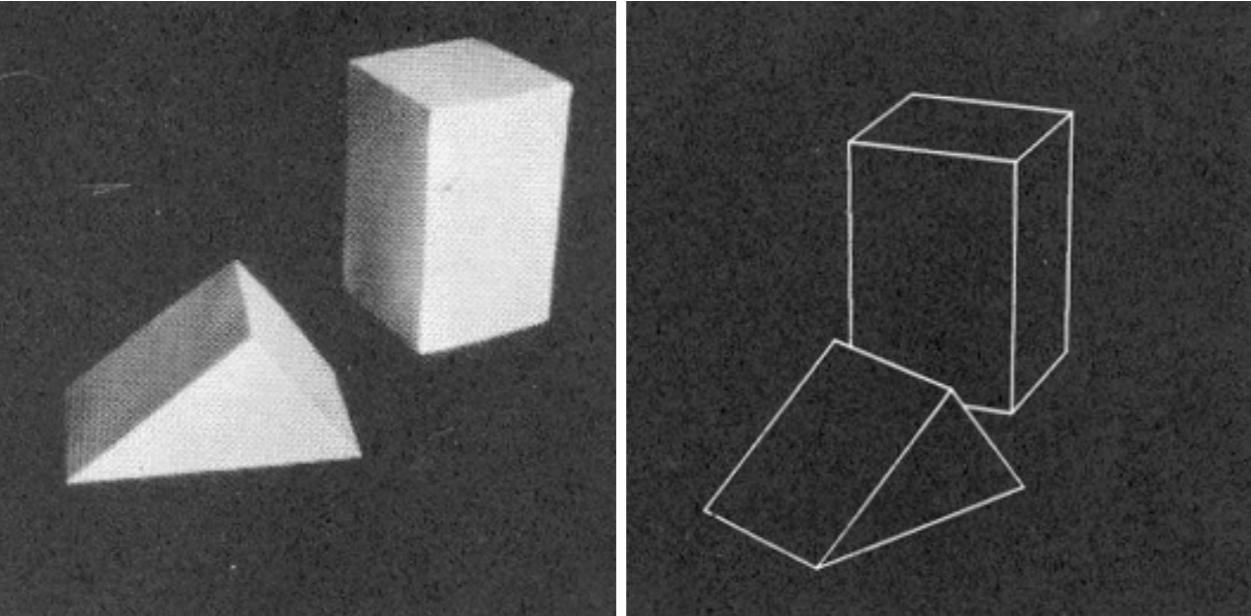
Supervision : Ground-truth 3D



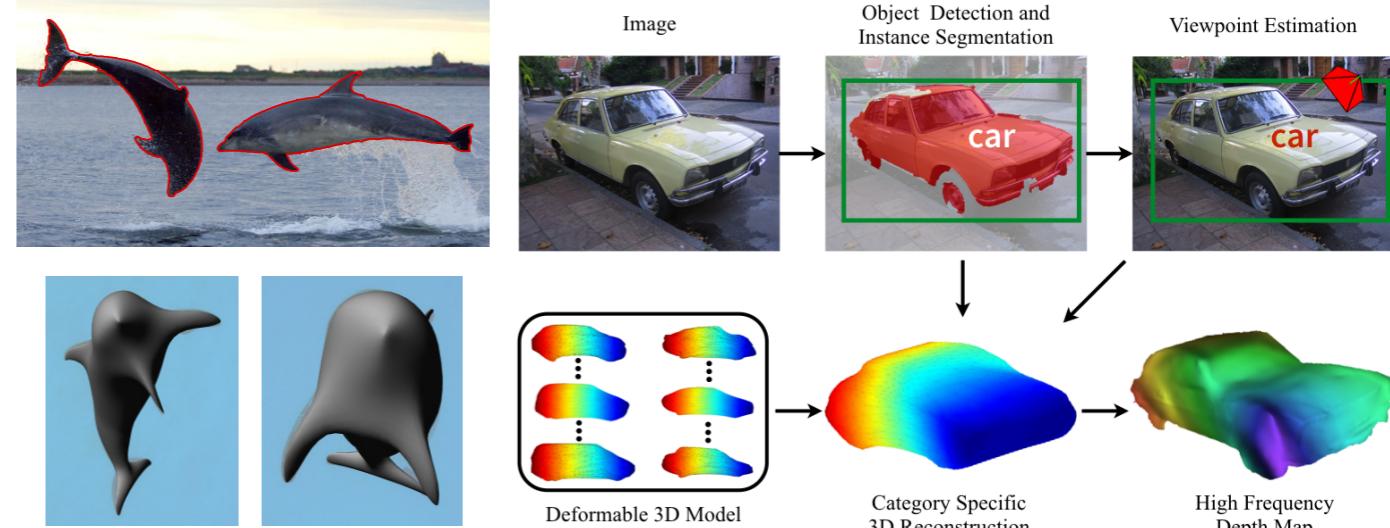
Multi-view Supervision for Single-view Reconstruction via Differentiable Ray Consistency
Tulsiani et al.

Supervision : Multi-view

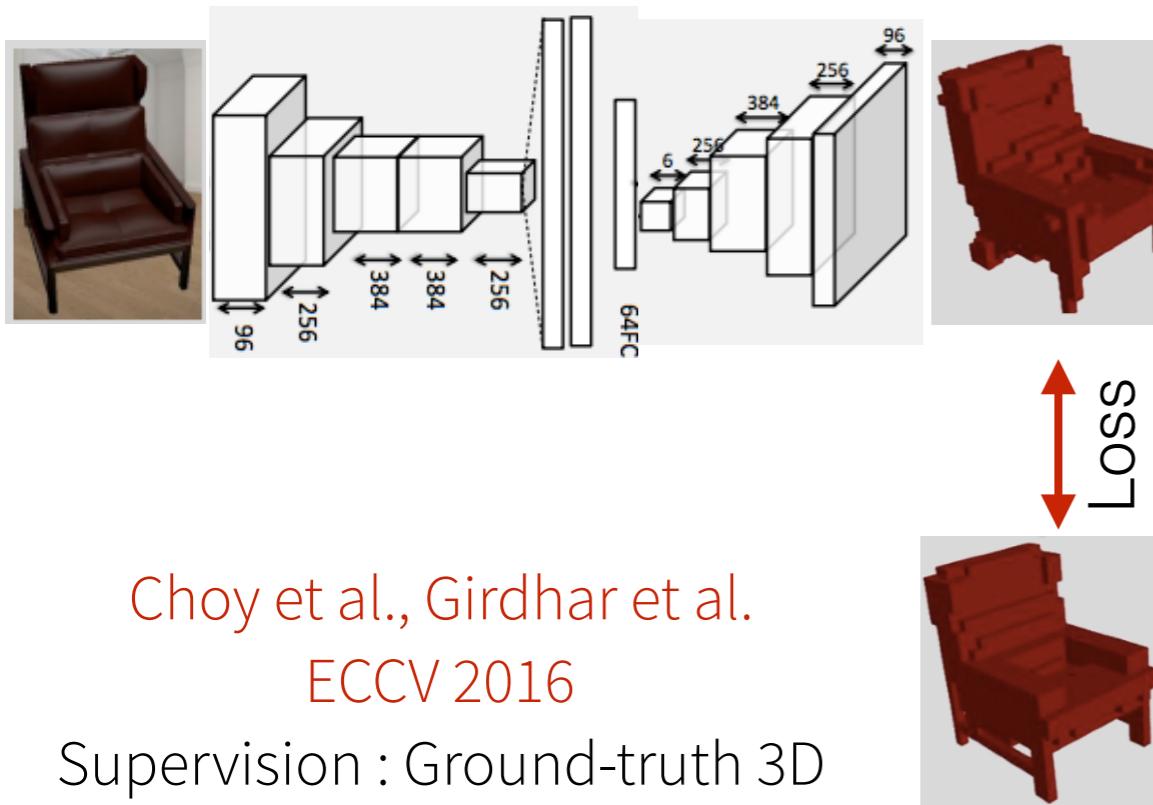
Single-view Reconstruction



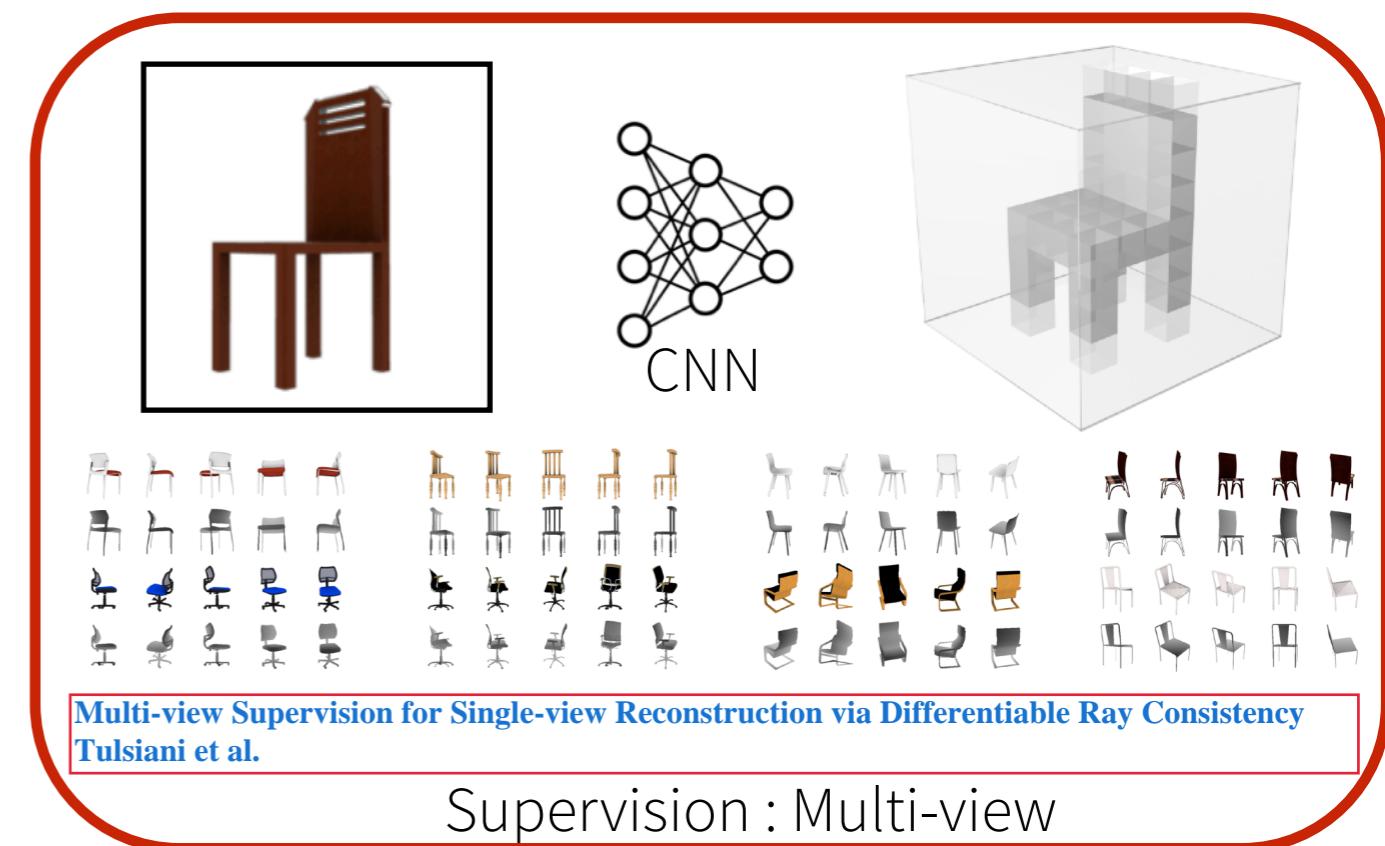
Roberts. PhD Thesis, MIT. 1963
Unsupervised



Cashman & Fitzgibbon, PAMI 2013
Kar et al., CVPR 2015
Supervision : Masks + Pose

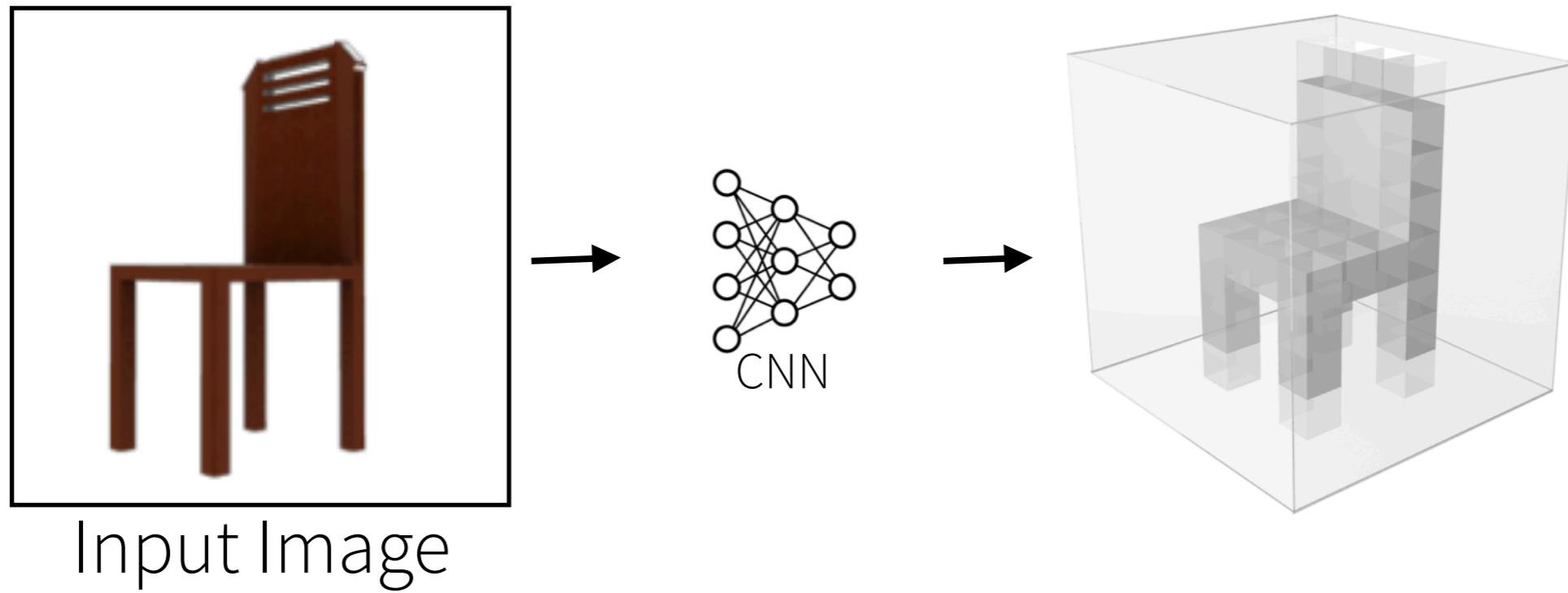


Choy et al., Girdhar et al.
ECCV 2016
Supervision : Ground-truth 3D



Supervision : Multi-view

How to use Multi-view Supervision ?



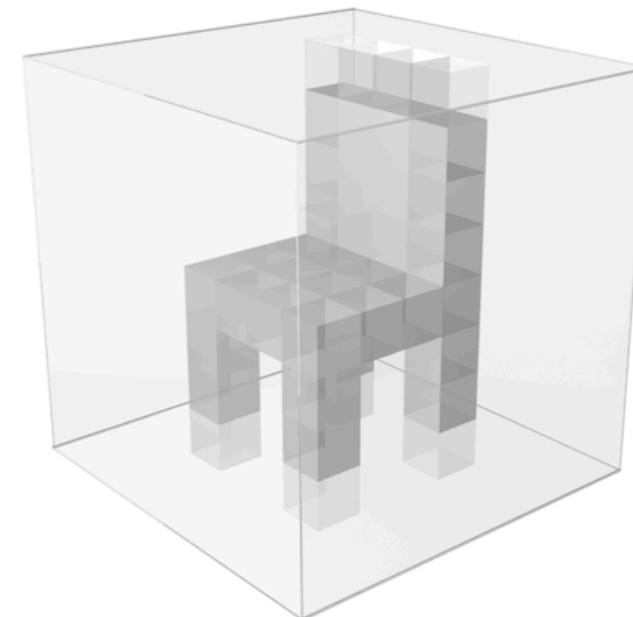
How to use Multi-view Supervision ?



Input Image

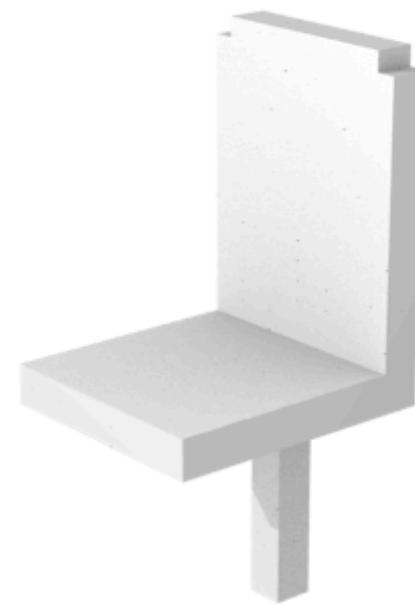
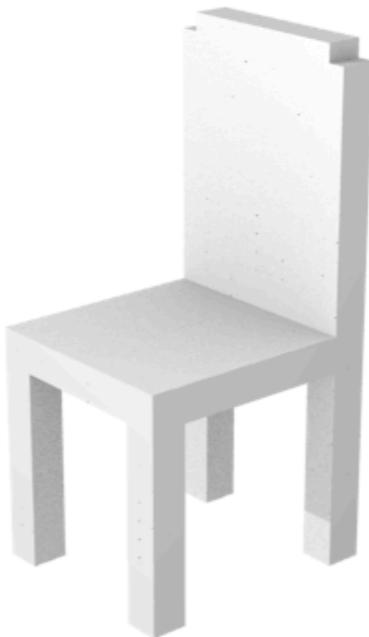
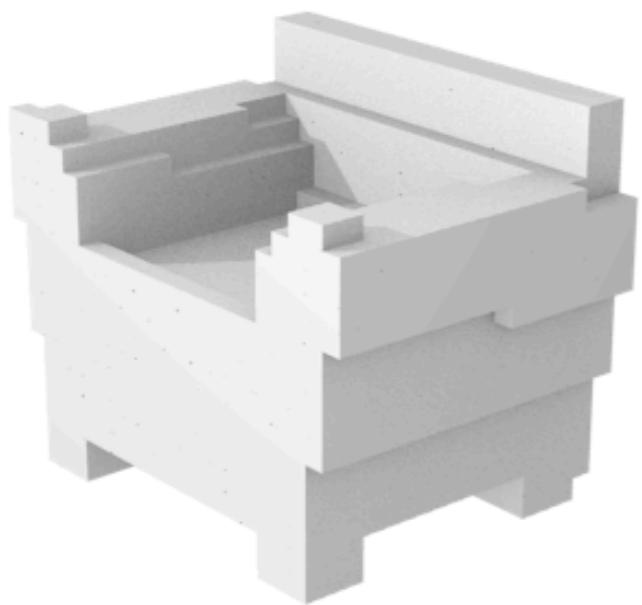


CNN



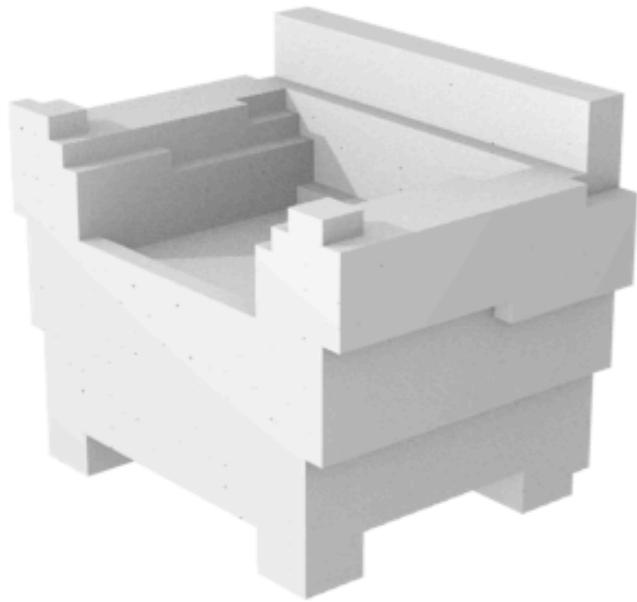
Observation **O**
from camera **C**

How to use Multi-view Supervision ?

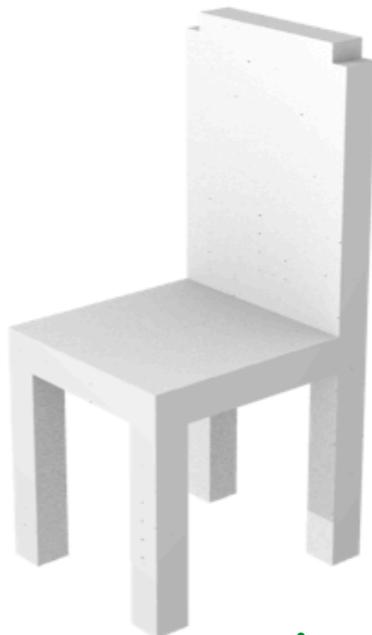


Observation **O**
from camera **C**

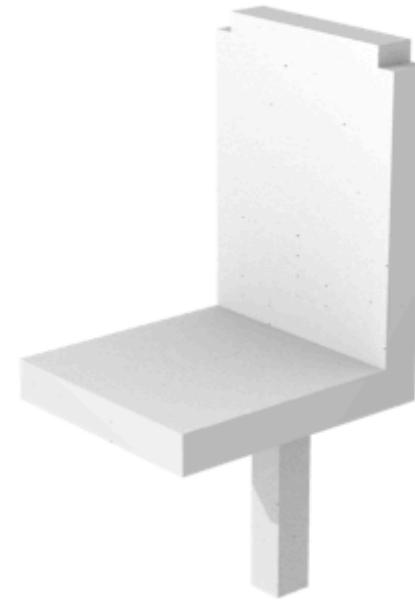
How to use Multi-view Supervision ?



Geometrically
Inconsistent



Geometrically
Consistent

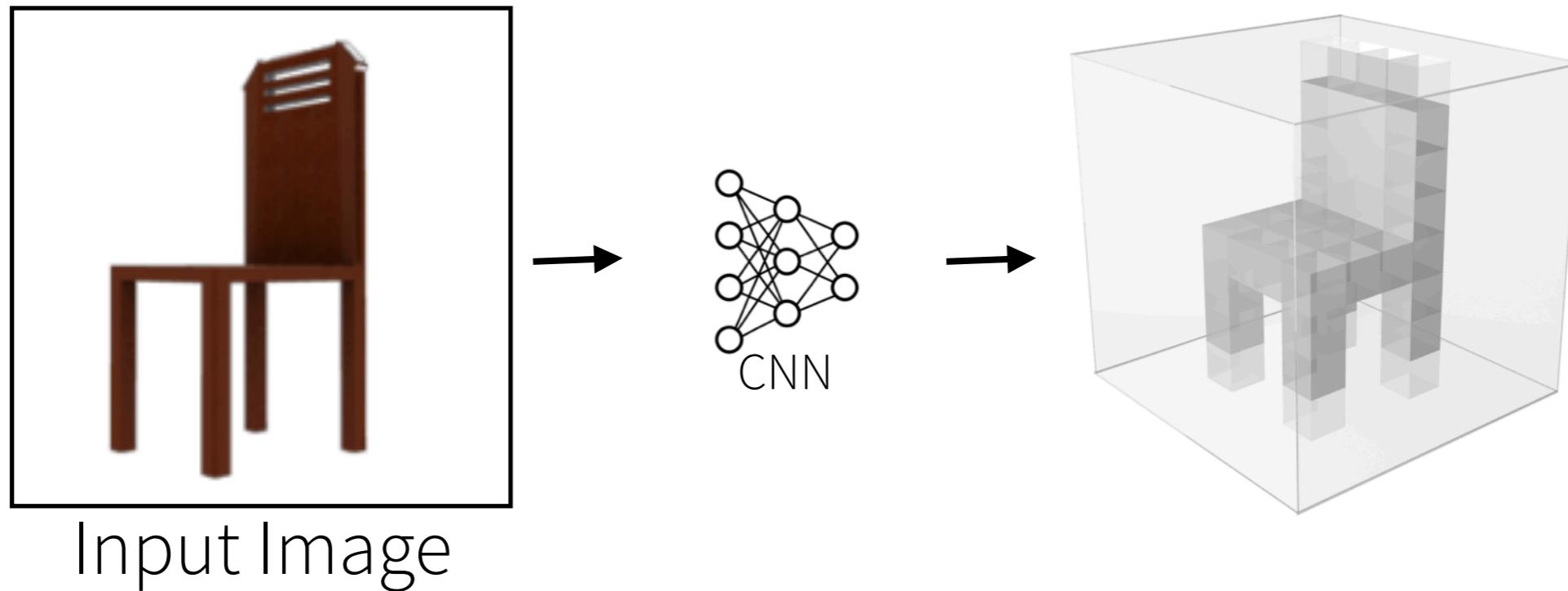


Geometrically
Inconsistent



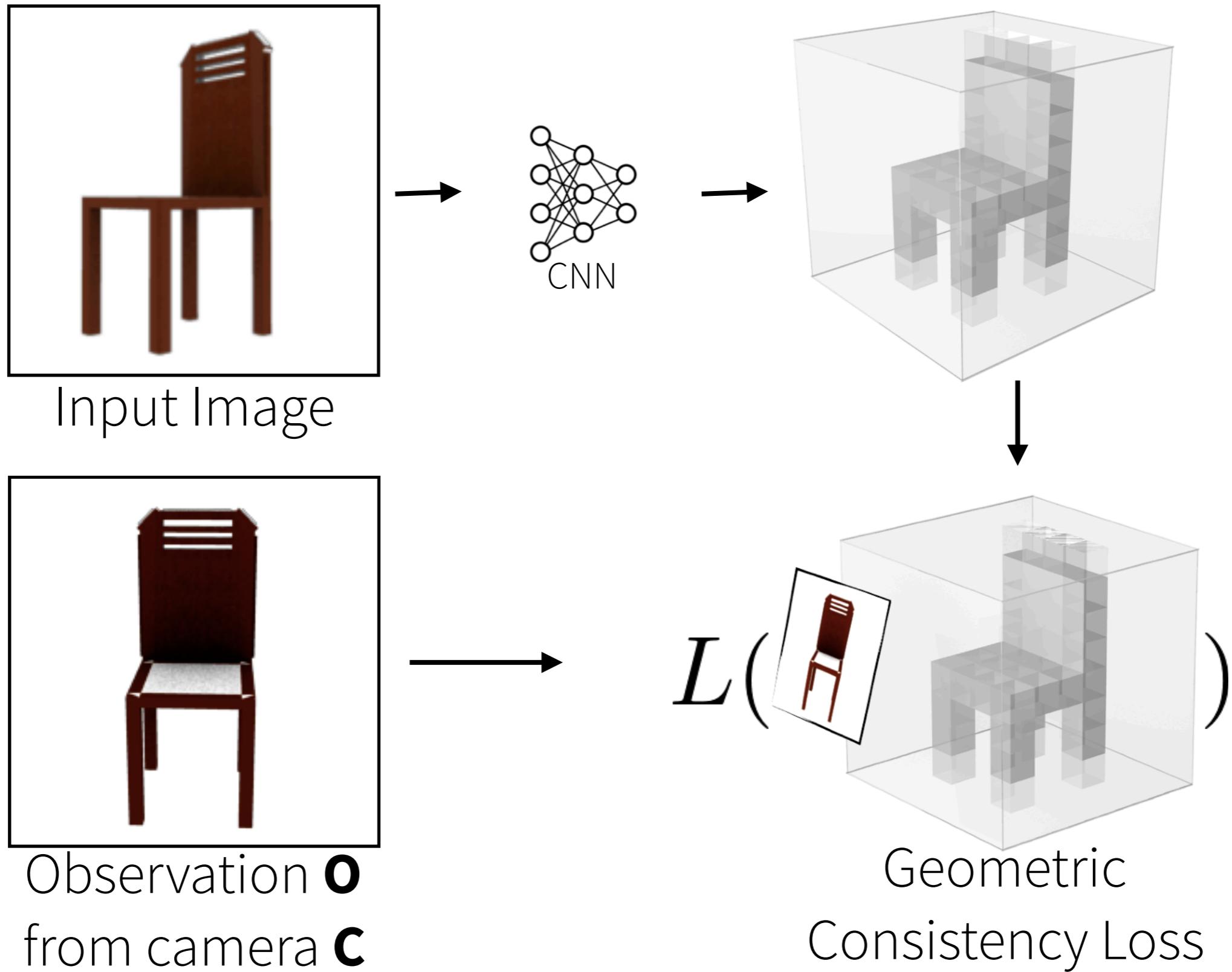
Observation **O**
from camera **C**

Learning via Geometric Consistency

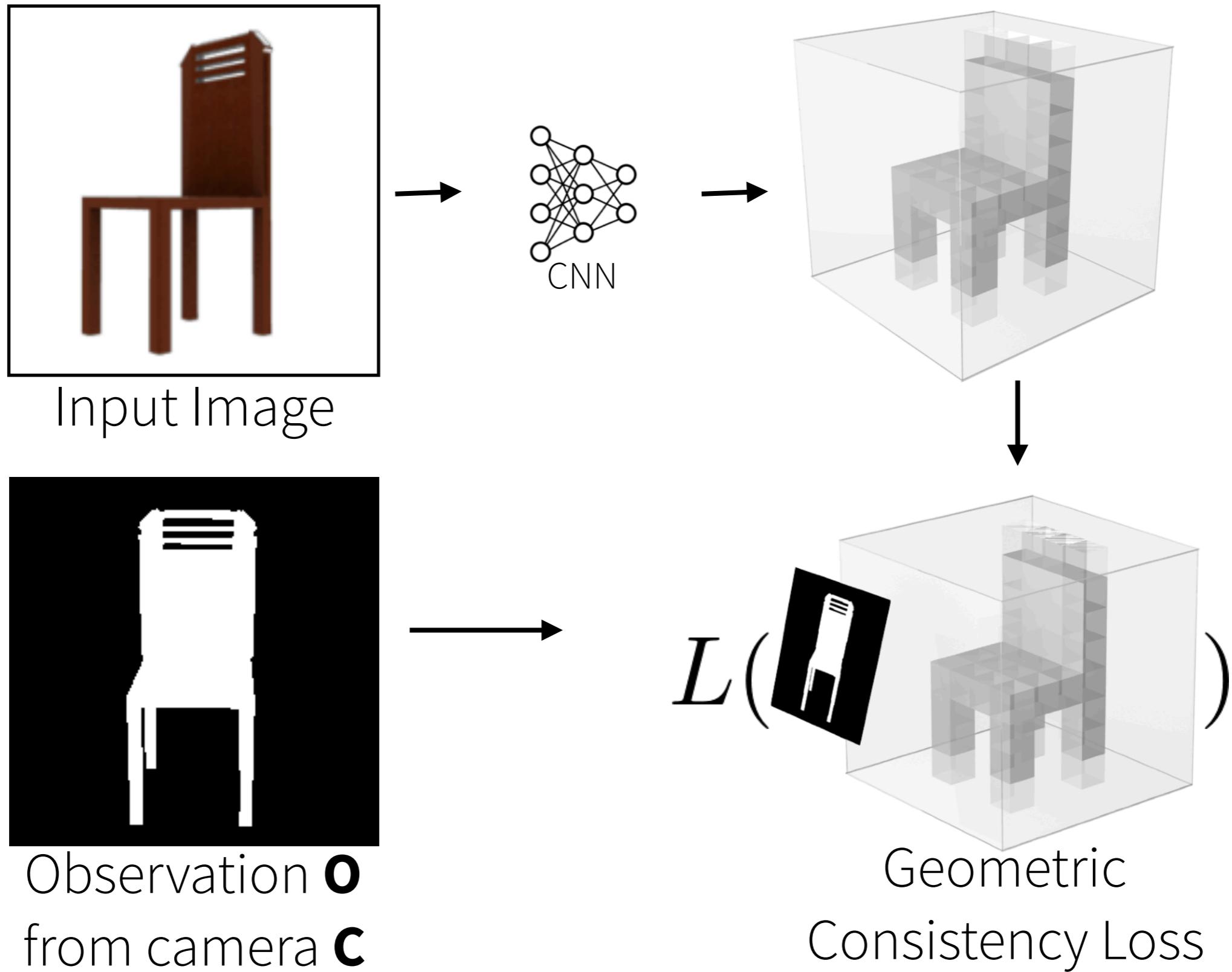


Observation **\mathbf{o}**
from camera **\mathbf{C}**

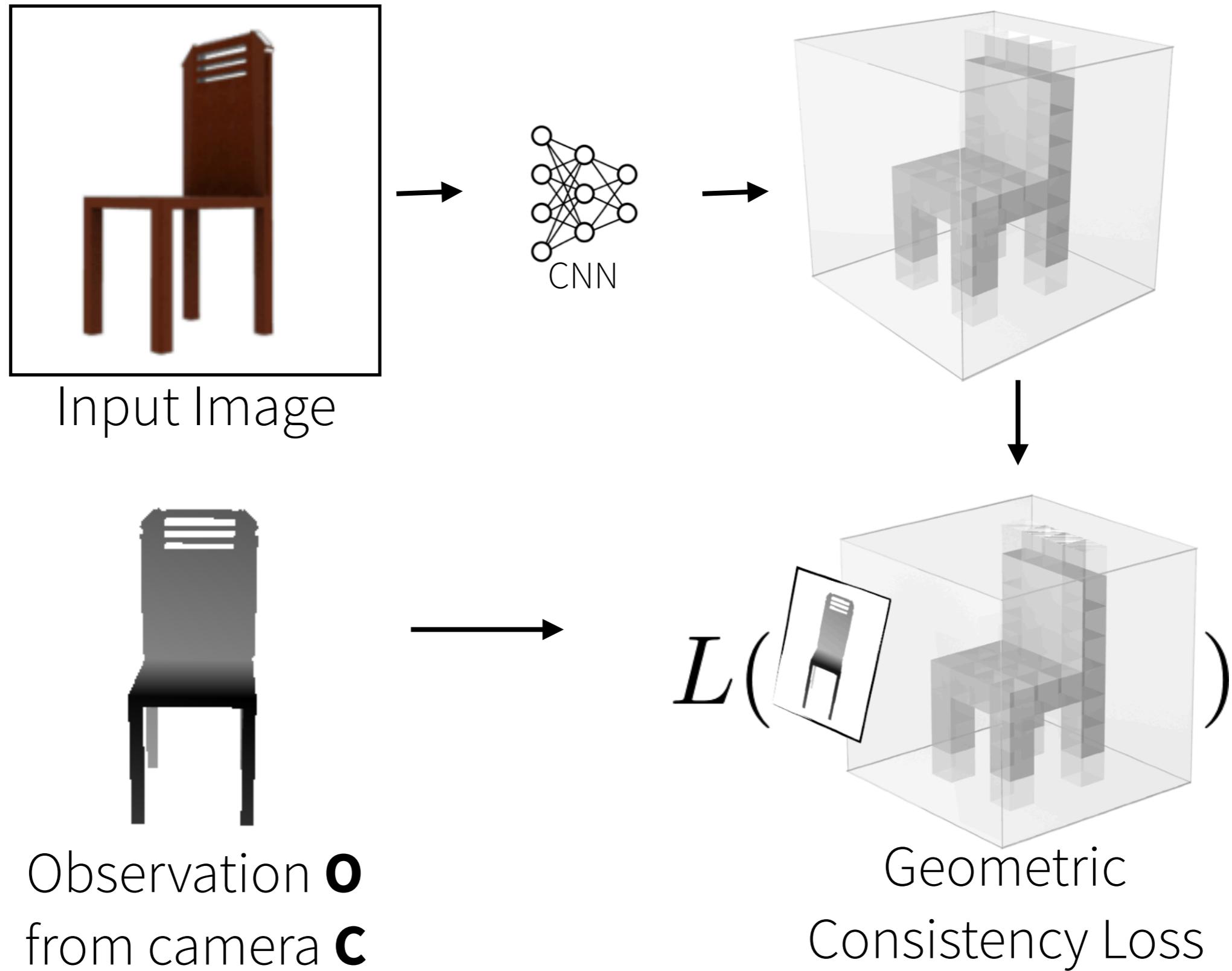
Learning via Geometric Consistency



Learning via Geometric Consistency

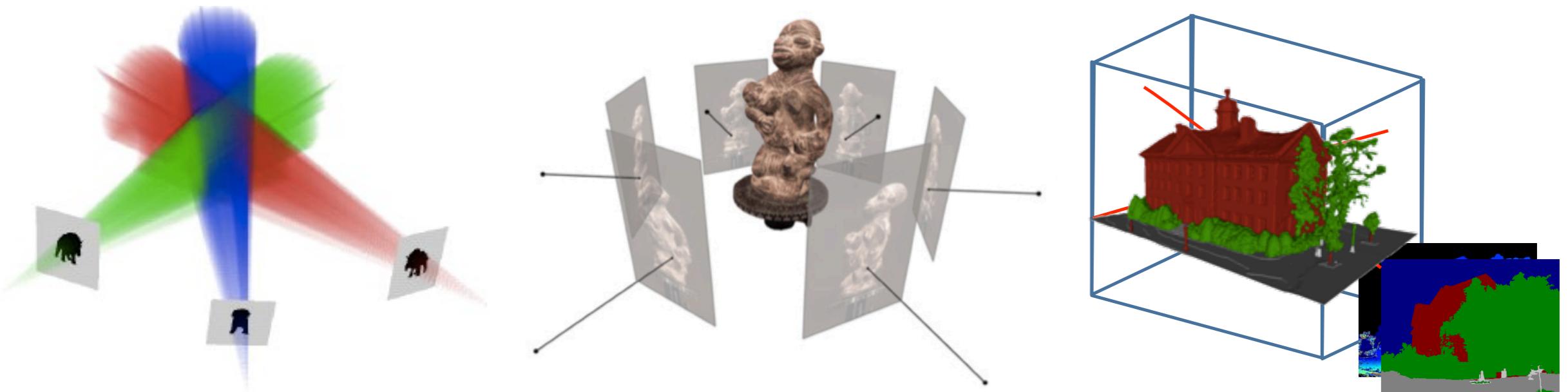


Learning via Geometric Consistency



3D from Geometric Consistency

3D from Geometric Consistency

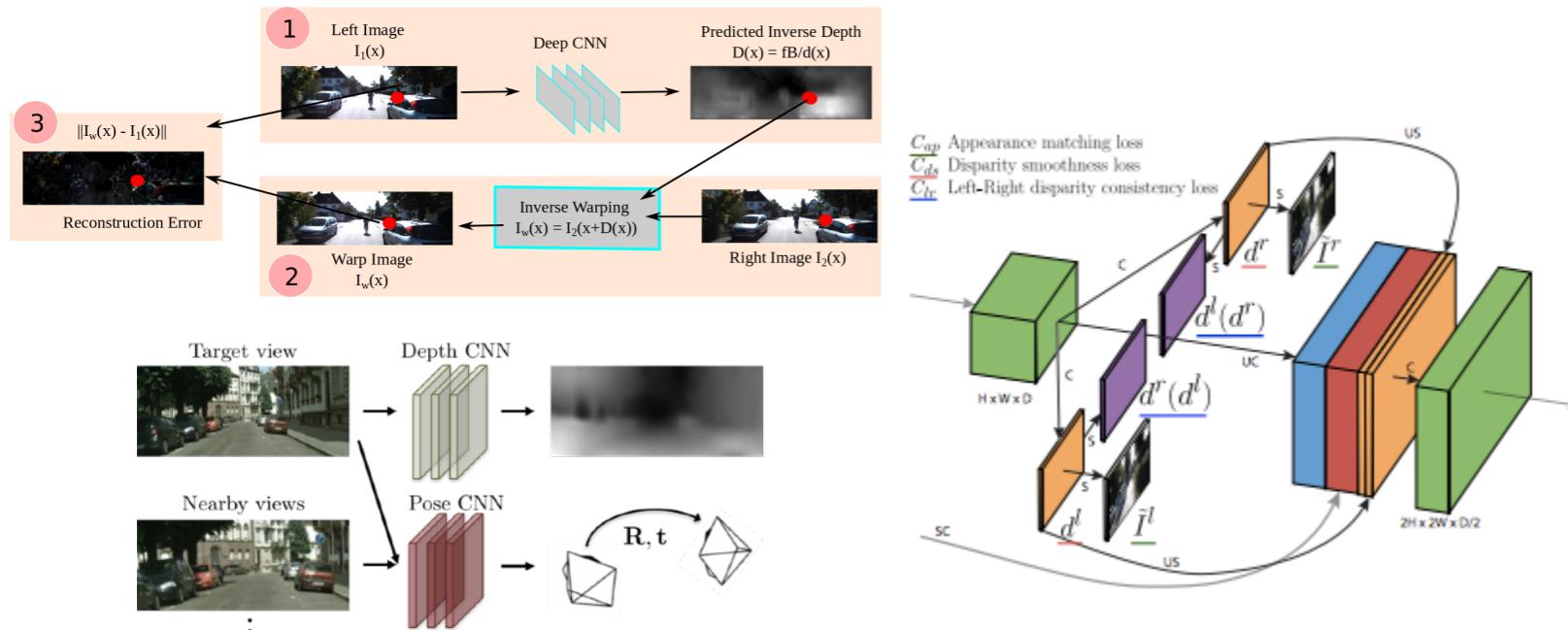


Space Carving, Multi-view Stereo, Multi-view Reconstruction

3D from Geometric Consistency



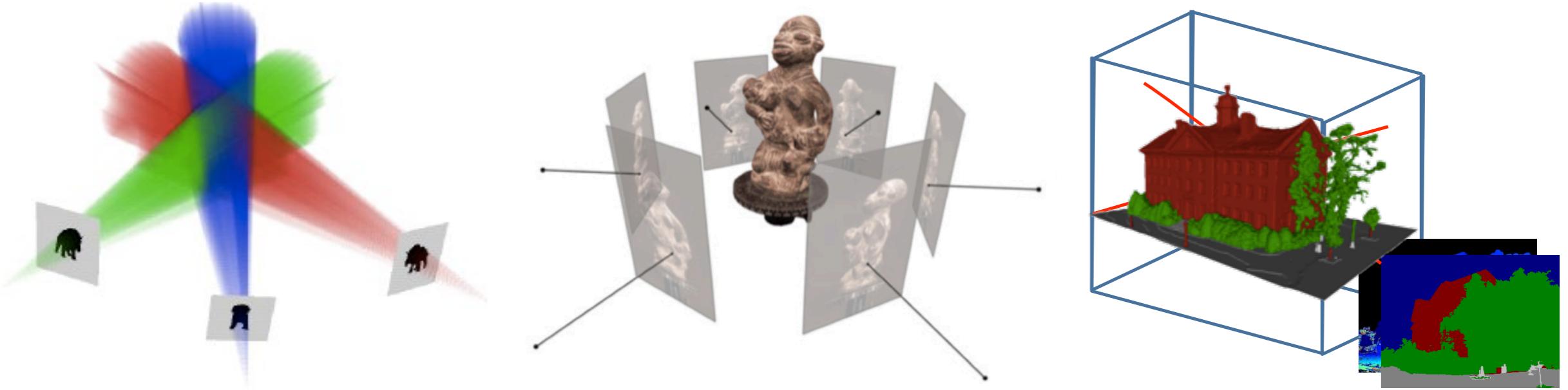
Space Carving, Multi-view Stereo, Multi-view Reconstruction



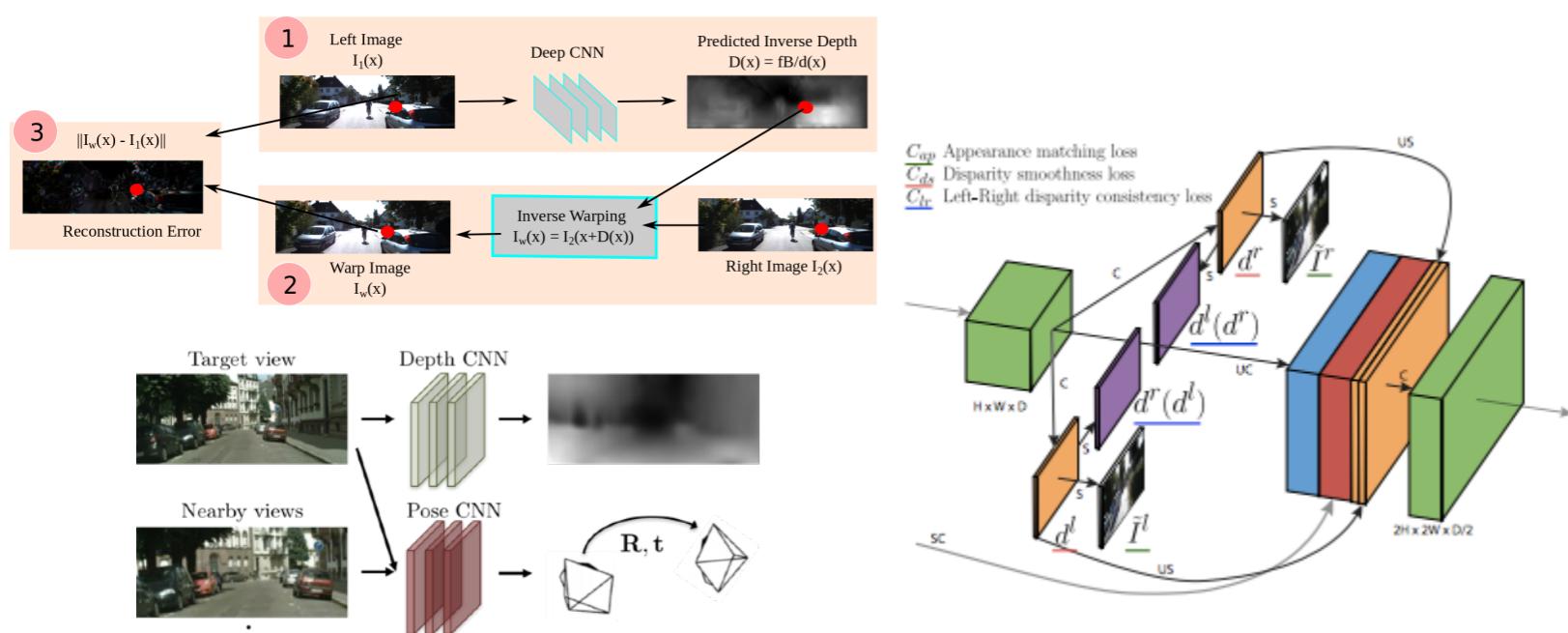
Garg et. al. ECCV 16

Godard et. al., Zhou et. al., CVPR 17

3D from Geometric Consistency

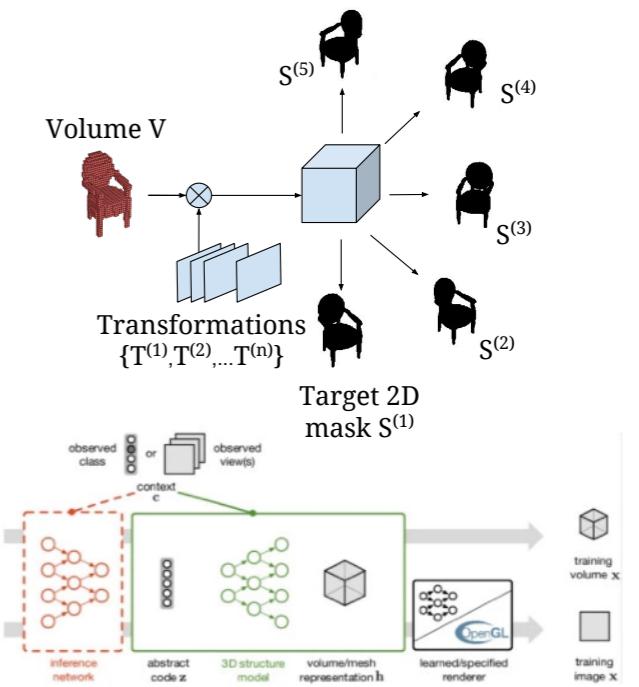


Space Carving, Multi-view Stereo, Multi-view Reconstruction



Garg et. al. ECCV 16

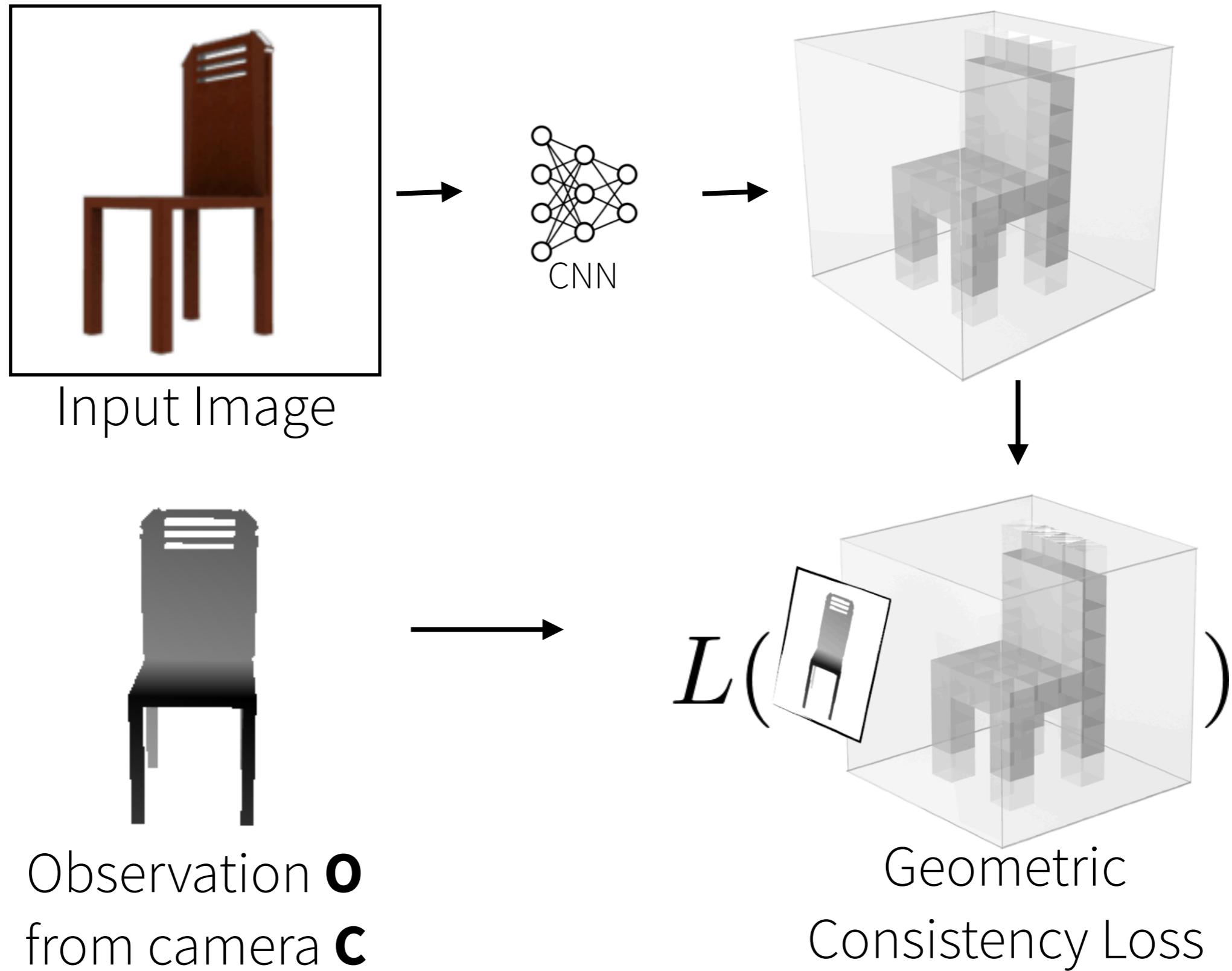
Godard et. al., Zhou et. al., CVPR 17



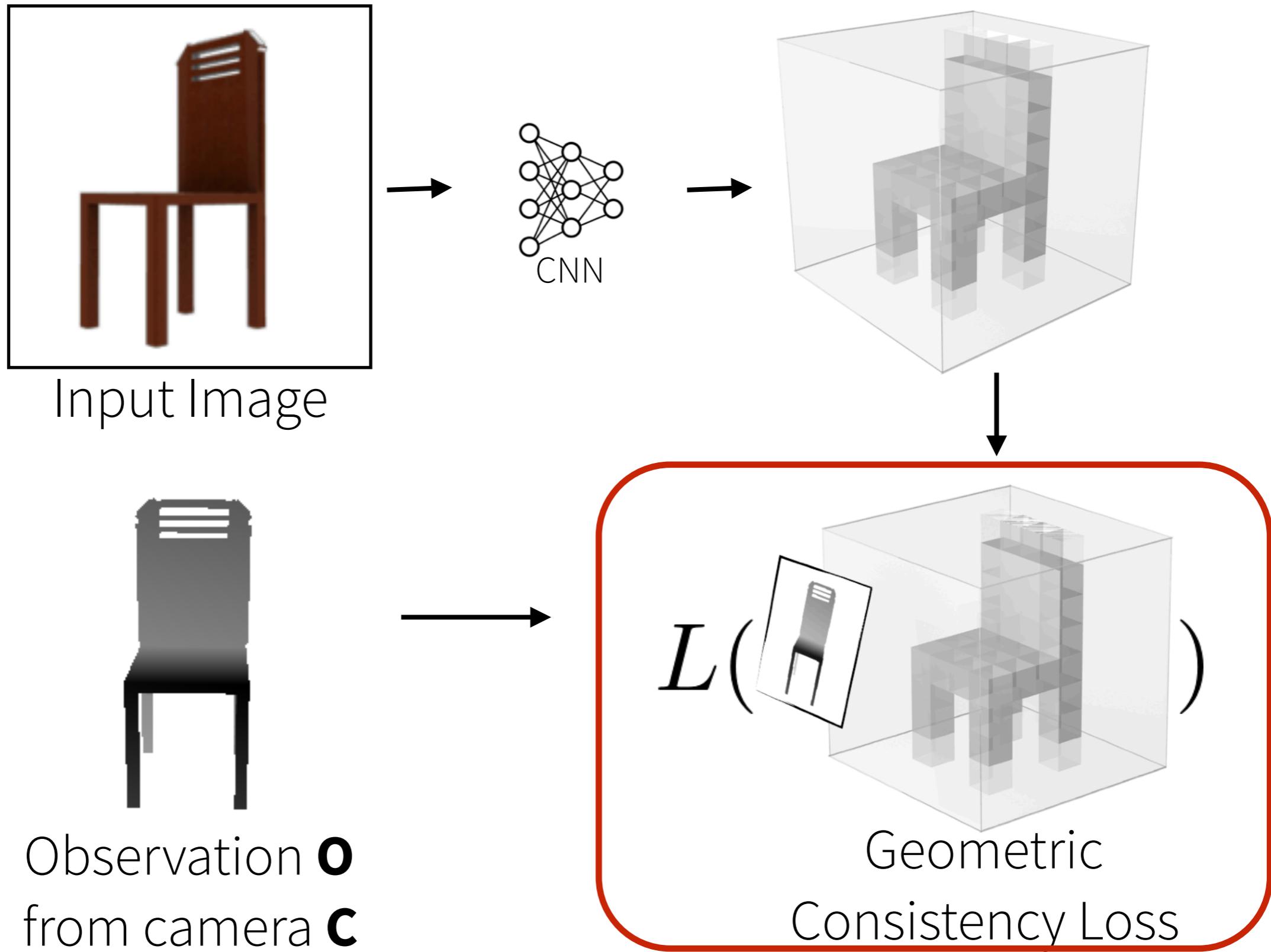
Yan et. al., Rezende et. al.

NIPS 16

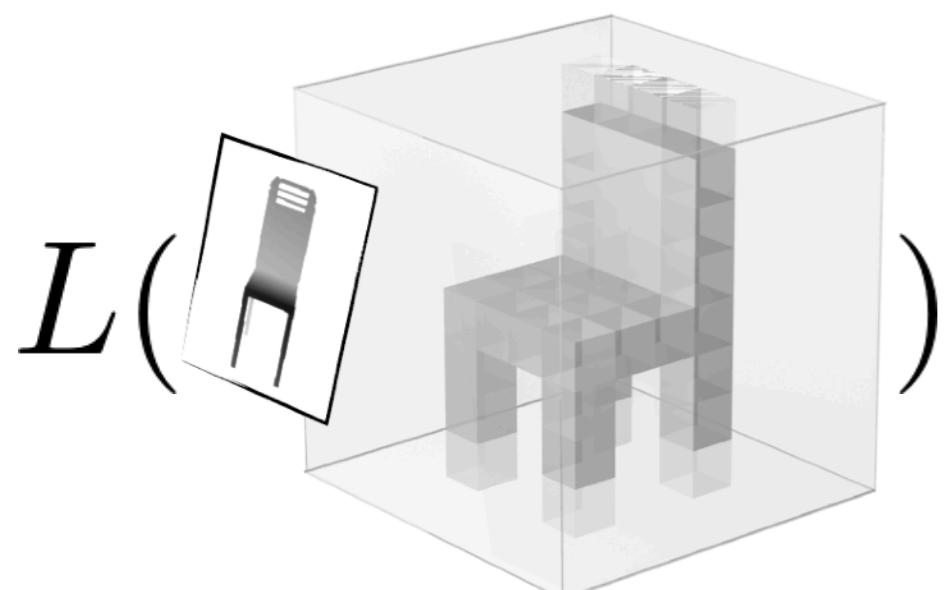
Learning via Geometric Consistency



Learning via Geometric Consistency



View Consistency as Ray Consistency



View Consistency as Ray Consistency

$$L(\text{[Image of a 3D scene with a camera view]}) \equiv$$

View Consistency as Ray Consistency

$$L\left(\begin{array}{c} \text{Ray} \\ \text{through} \\ \text{volume} \end{array}\right) \equiv$$

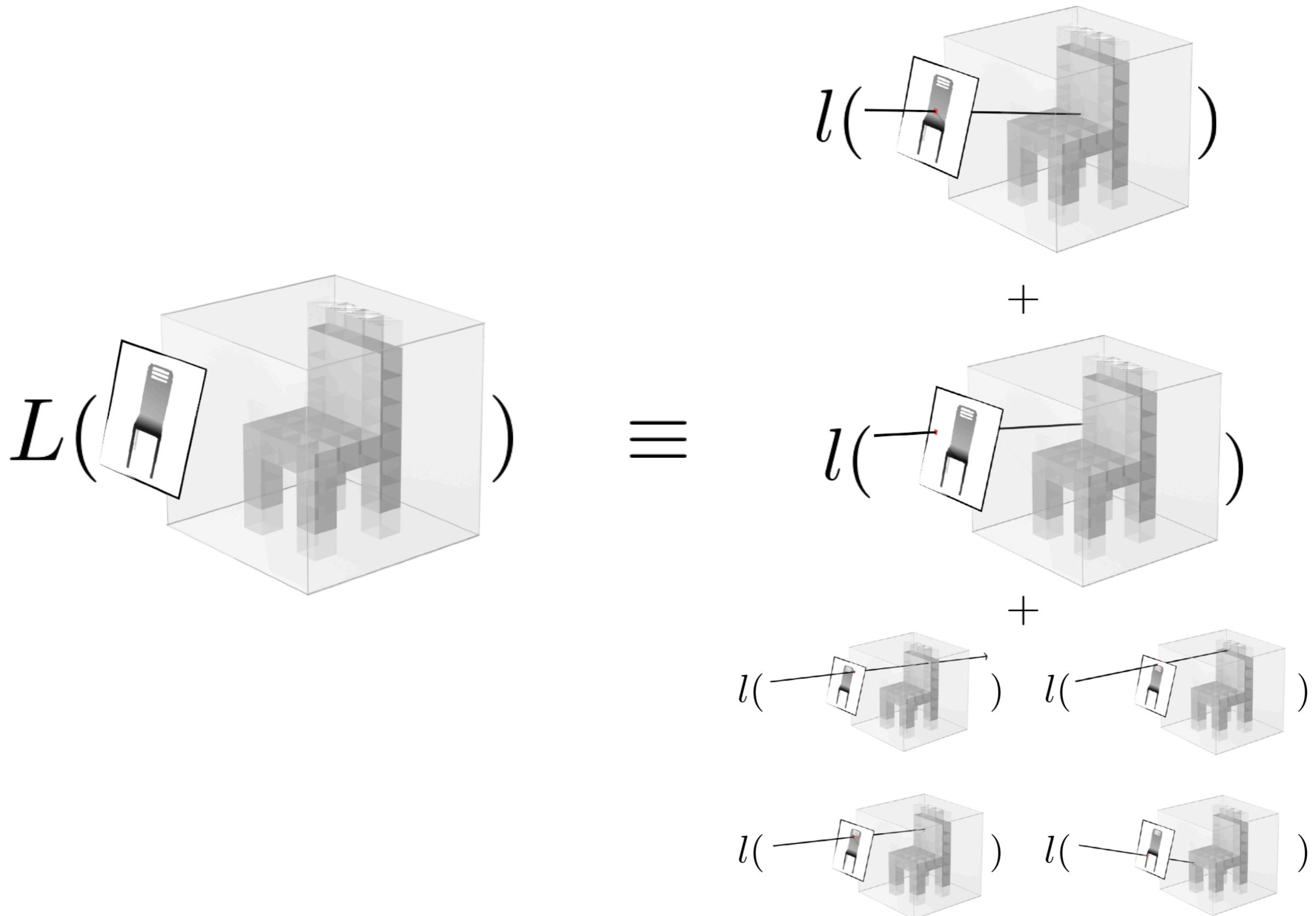
$$l\left(\begin{array}{c} \text{Ray} \\ \text{through} \\ \text{volume} \end{array}\right)$$

View Consistency as Ray Consistency

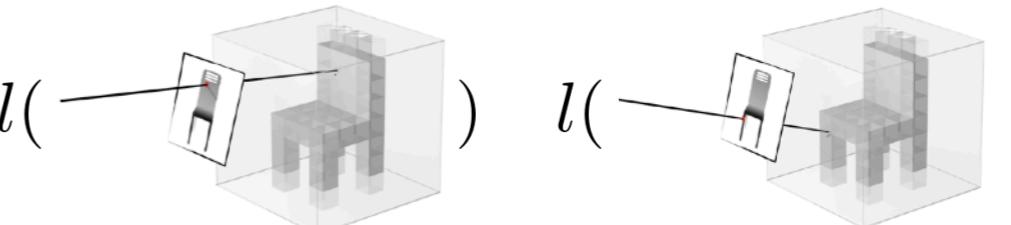
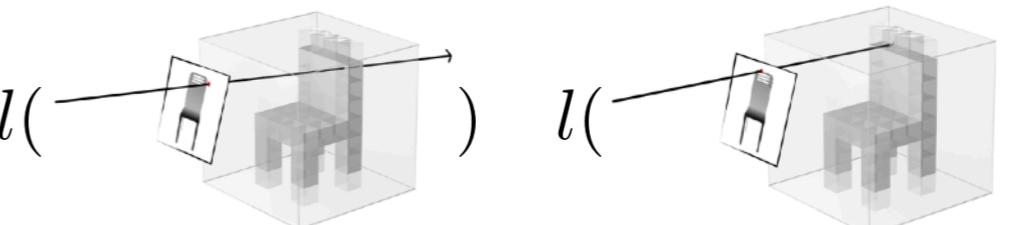
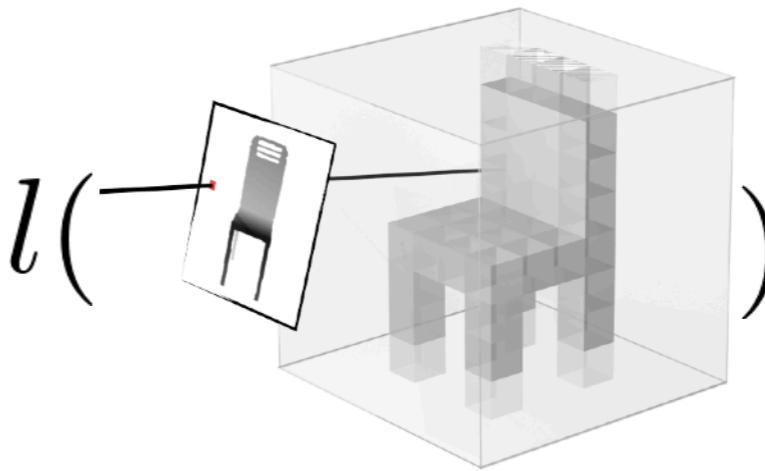
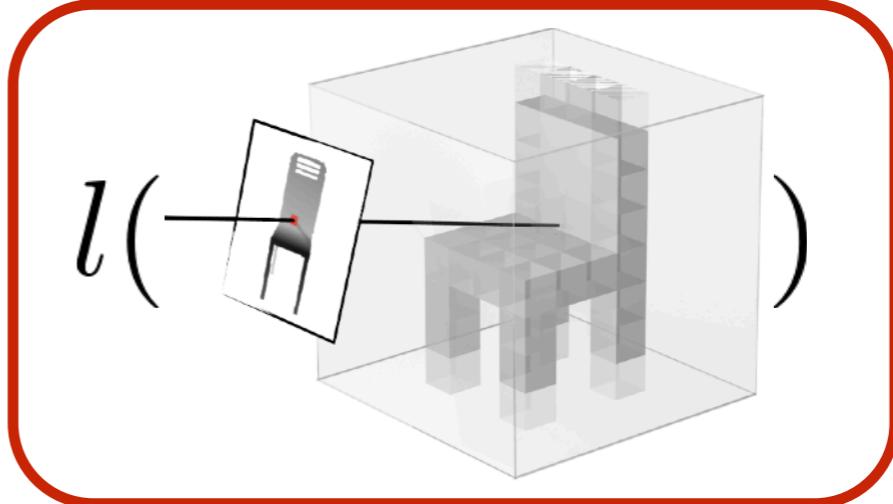
$$L(\text{Ray Casting}) \equiv$$

$$l(\text{Ray Casting}) + l(\text{Ray Casting})$$

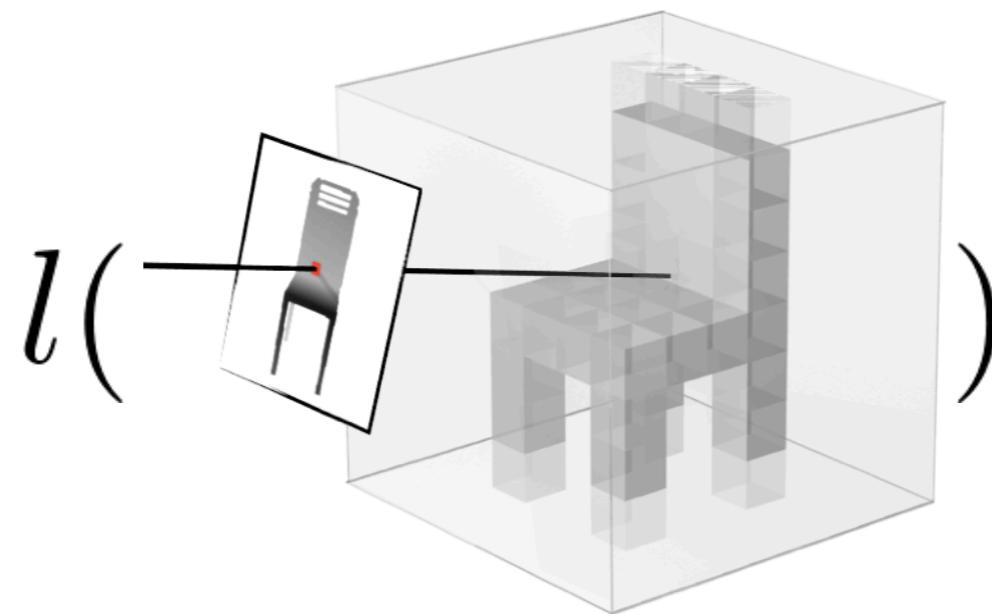
View Consistency as Ray Consistency



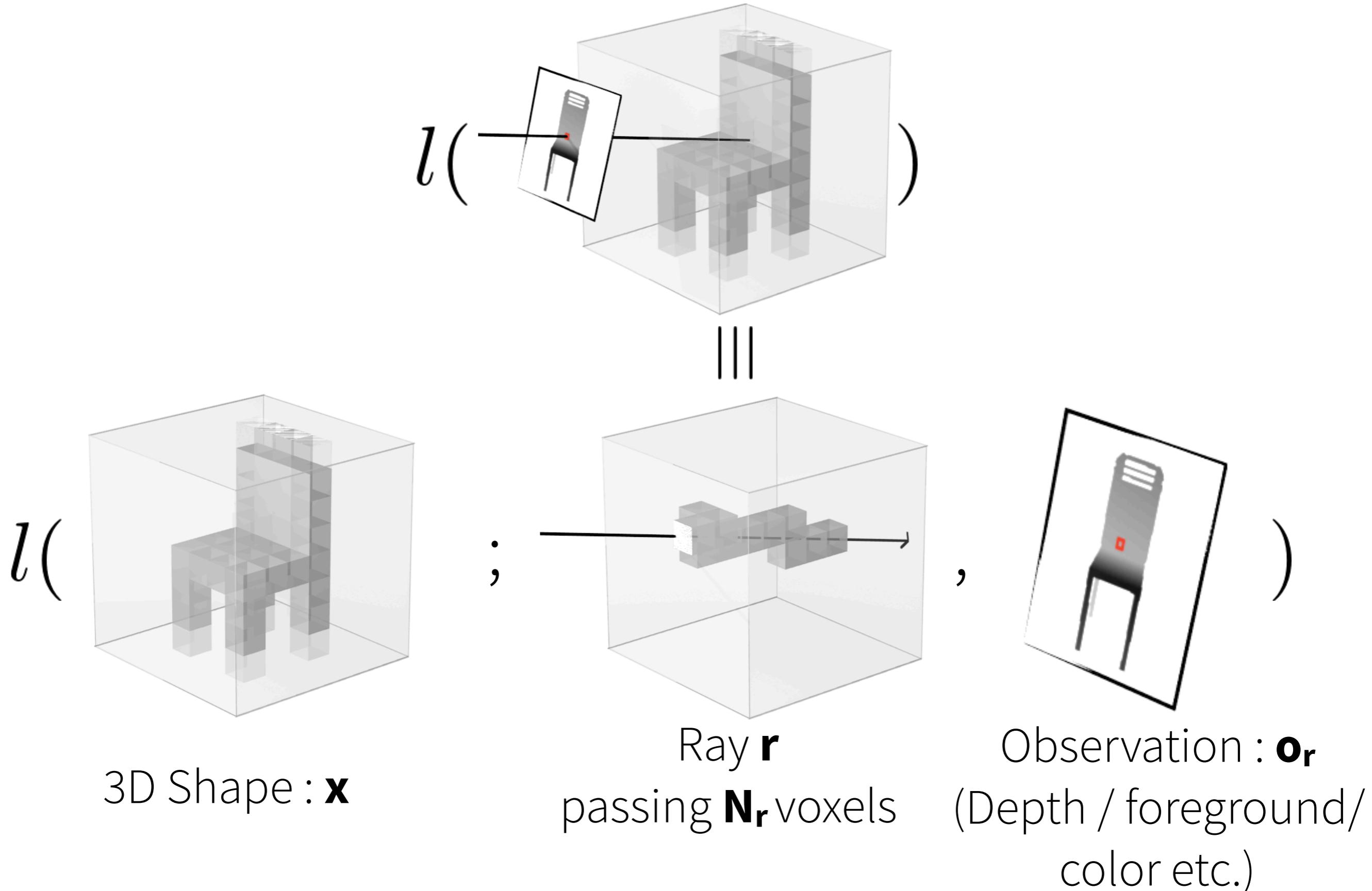
View Consistency as Ray Consistency

$$L(\text{---} \quad) \equiv l(\text{---} \quad) + l(\text{---} \quad) + l(\text{---} \quad) + l(\text{---} \quad)$$


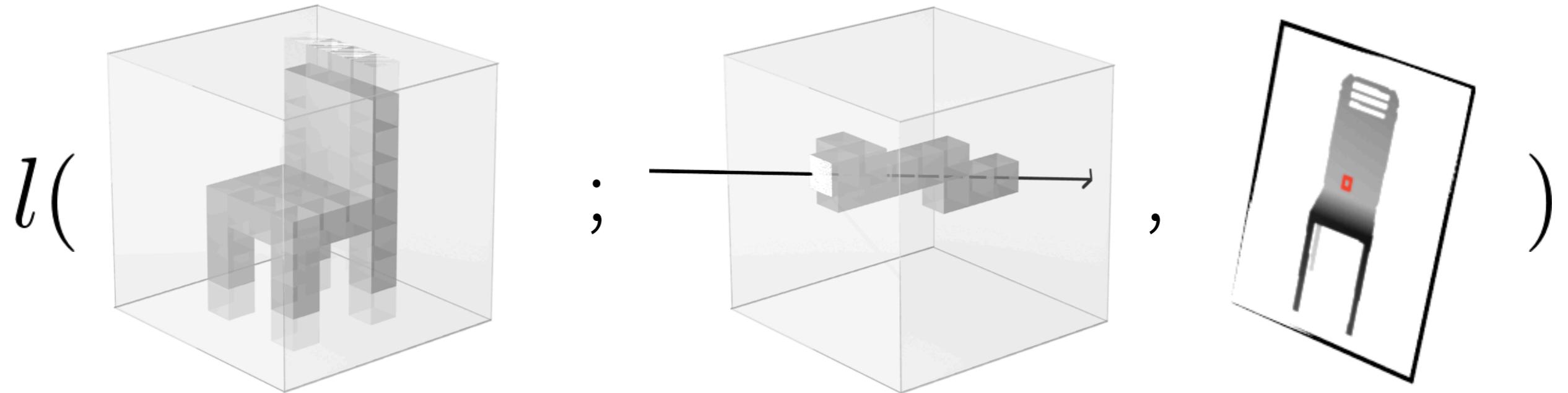
Differentiable Ray Consistency



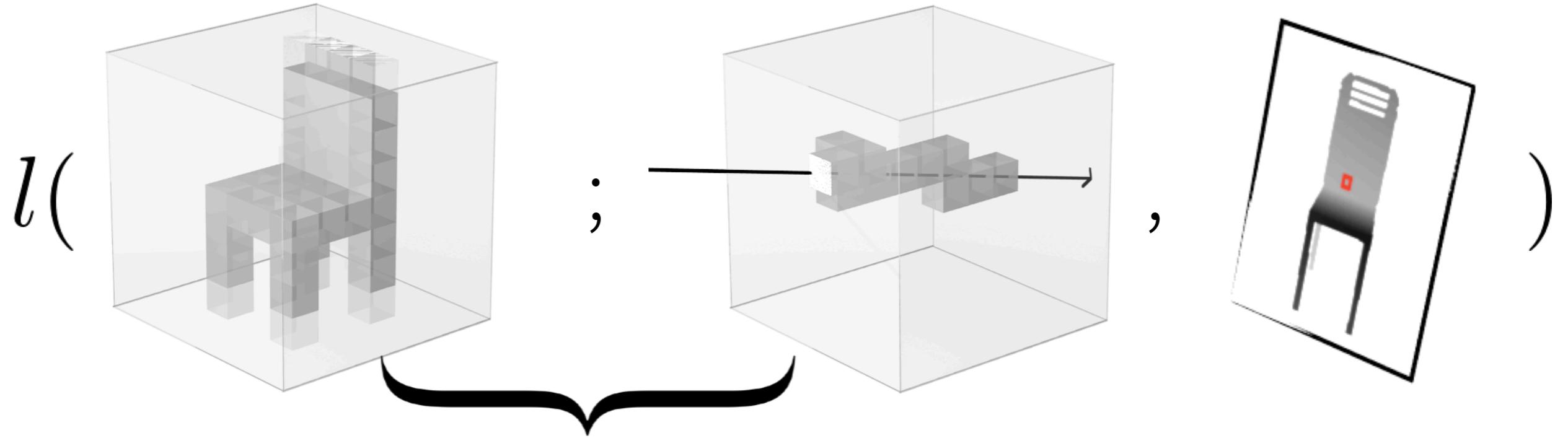
Differentiable Ray Consistency



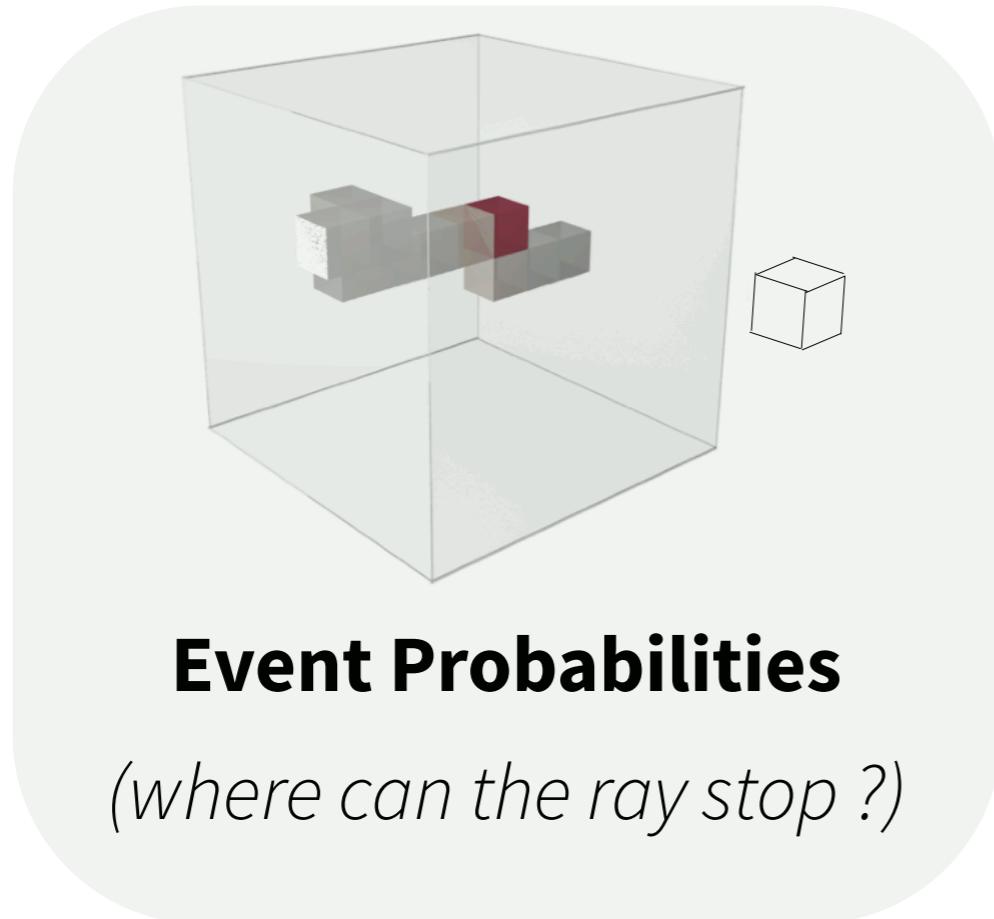
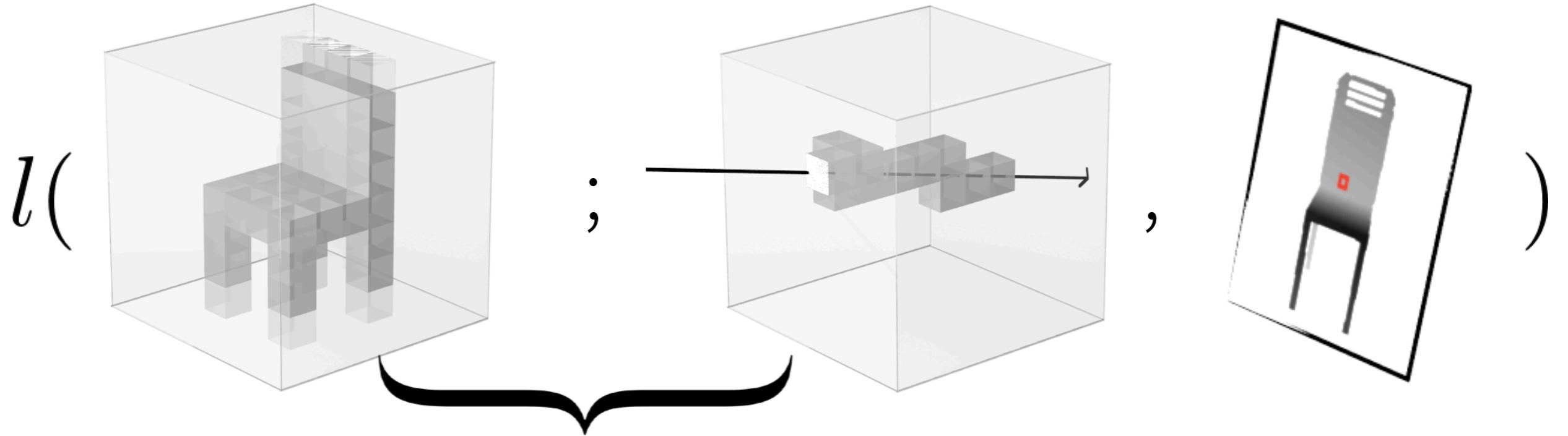
Differentiable Ray Consistency



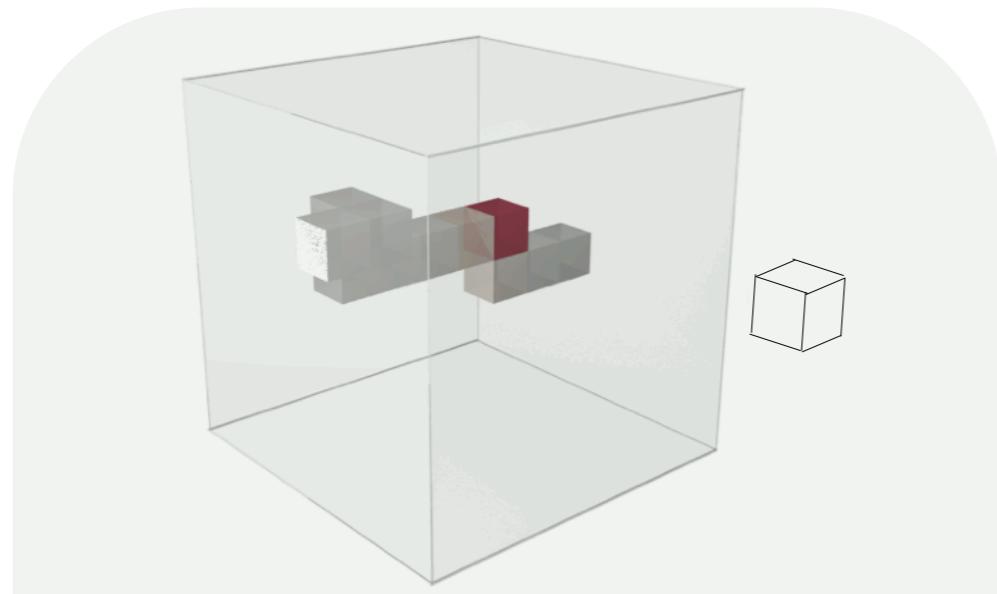
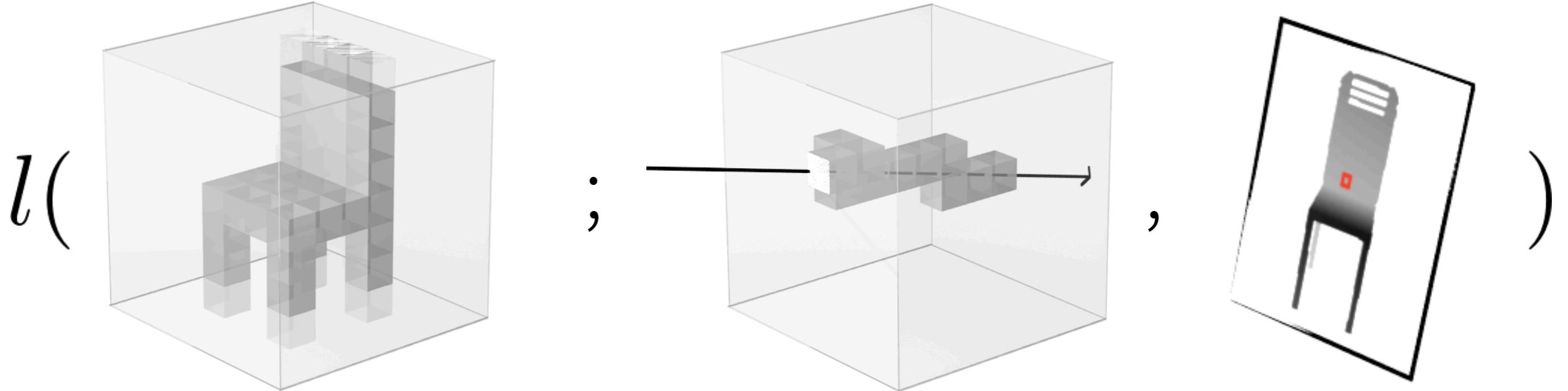
Differentiable Ray Consistency



Differentiable Ray Consistency



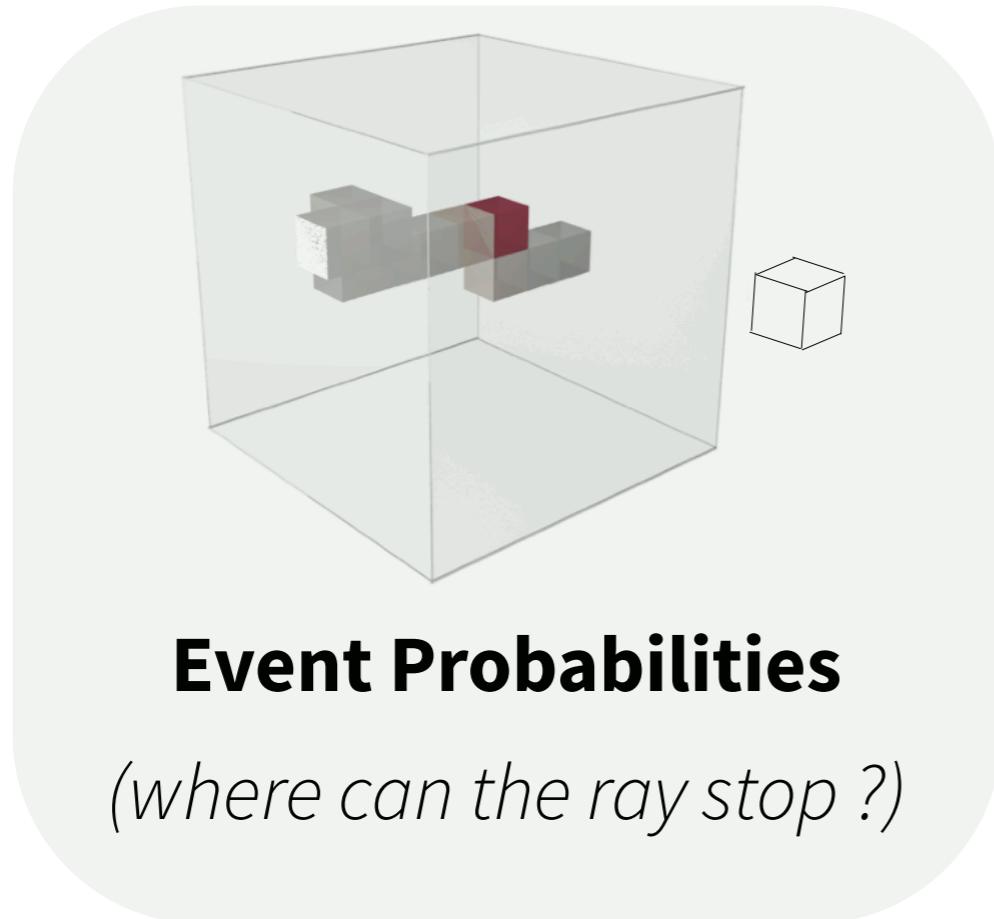
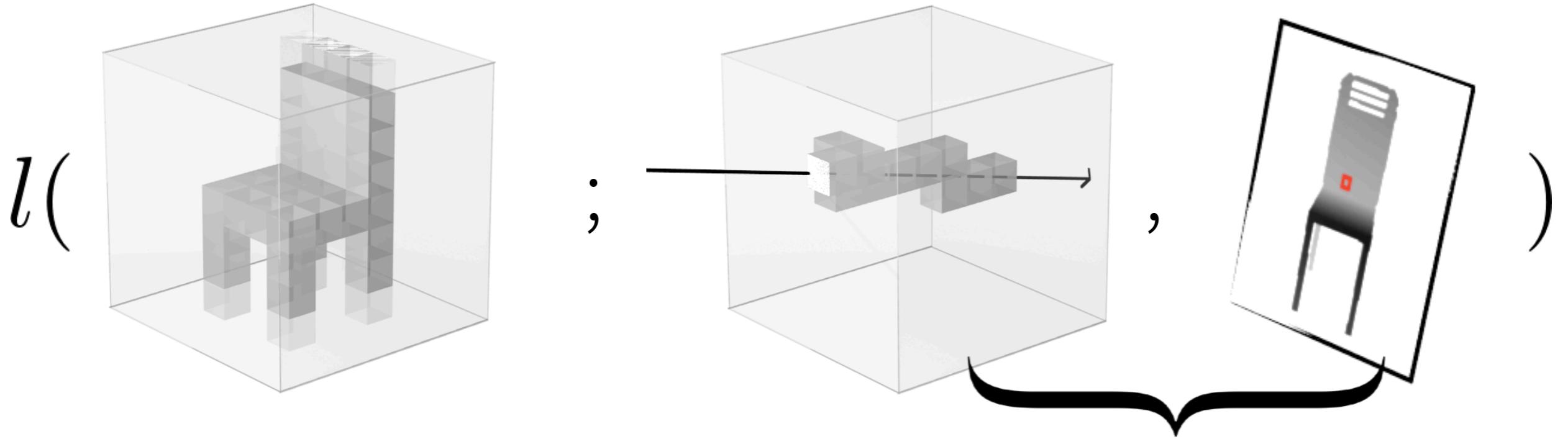
Differentiable Ray Consistency



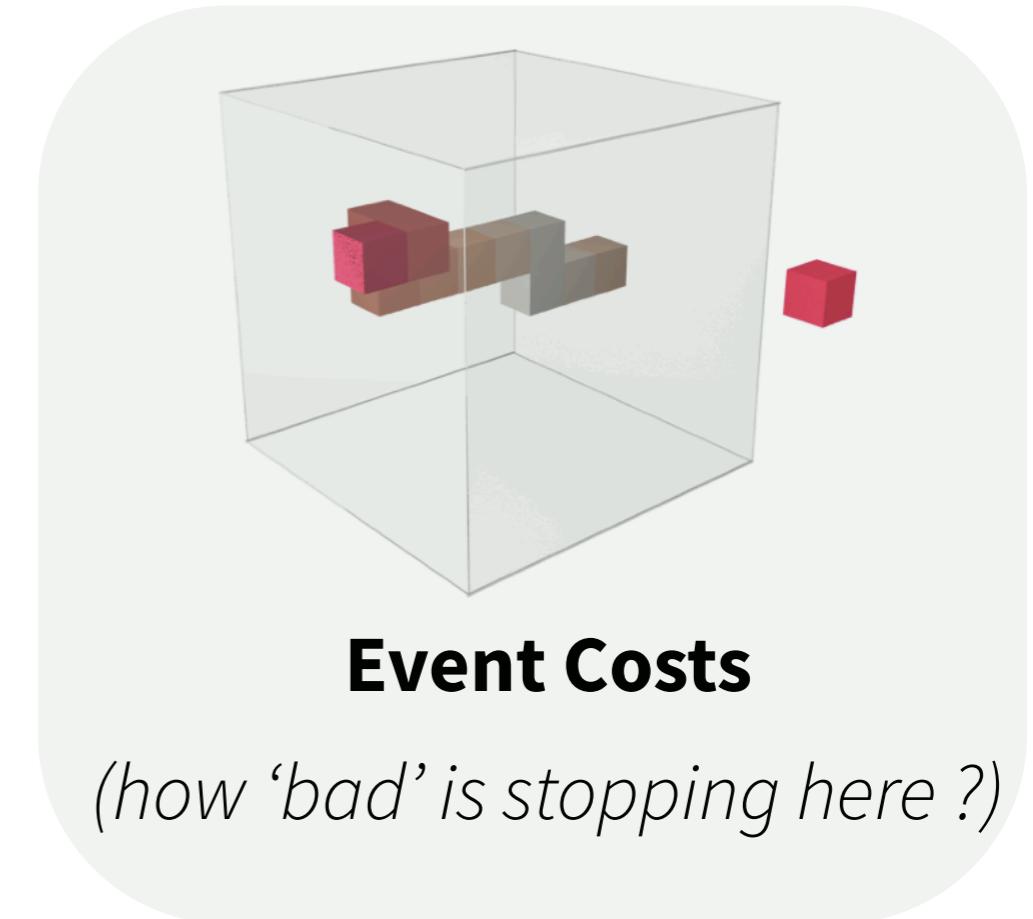
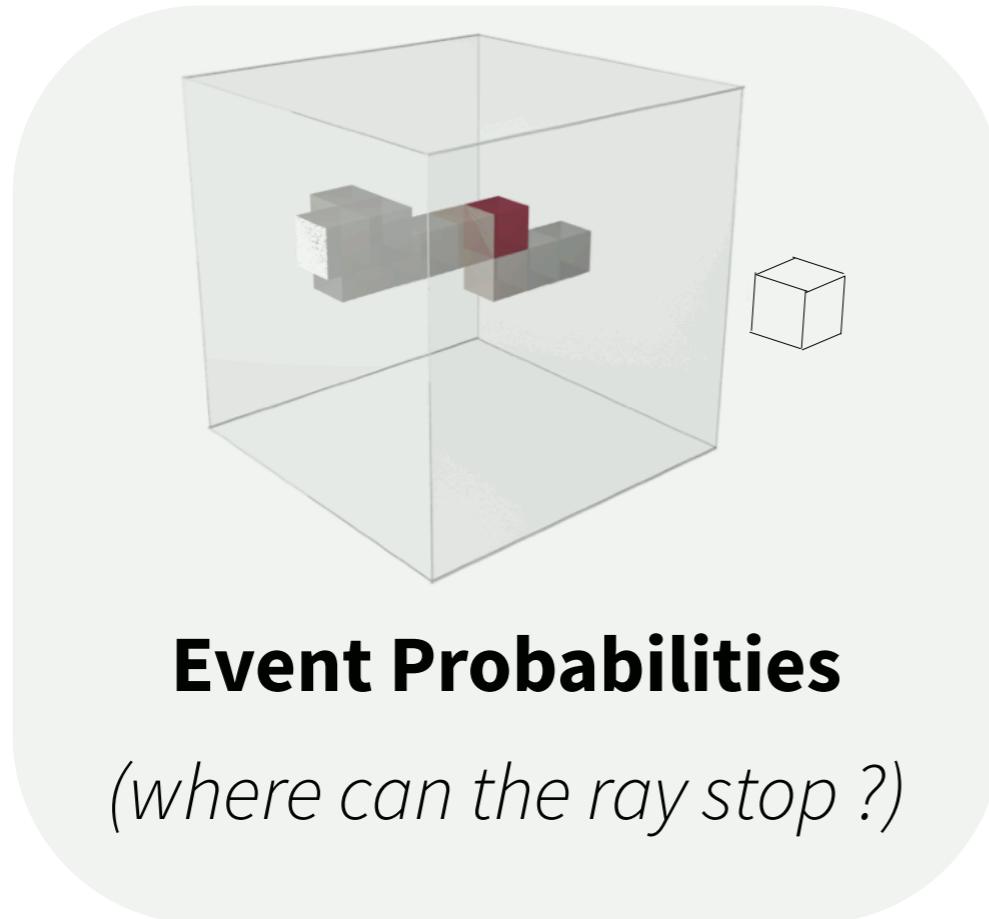
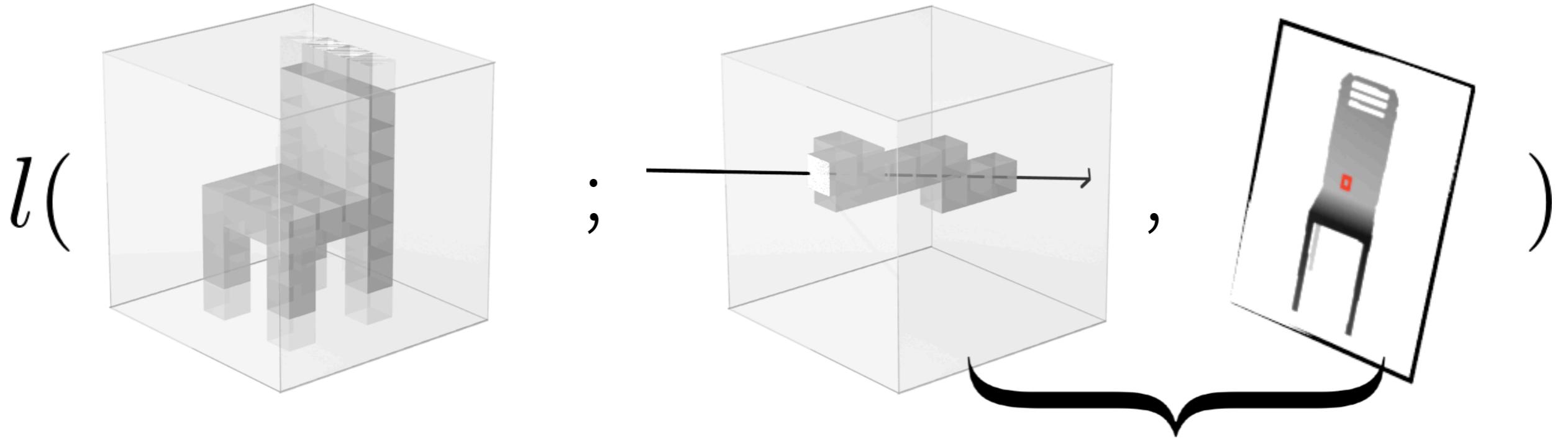
Event Probabilities

(where can the ray stop?)

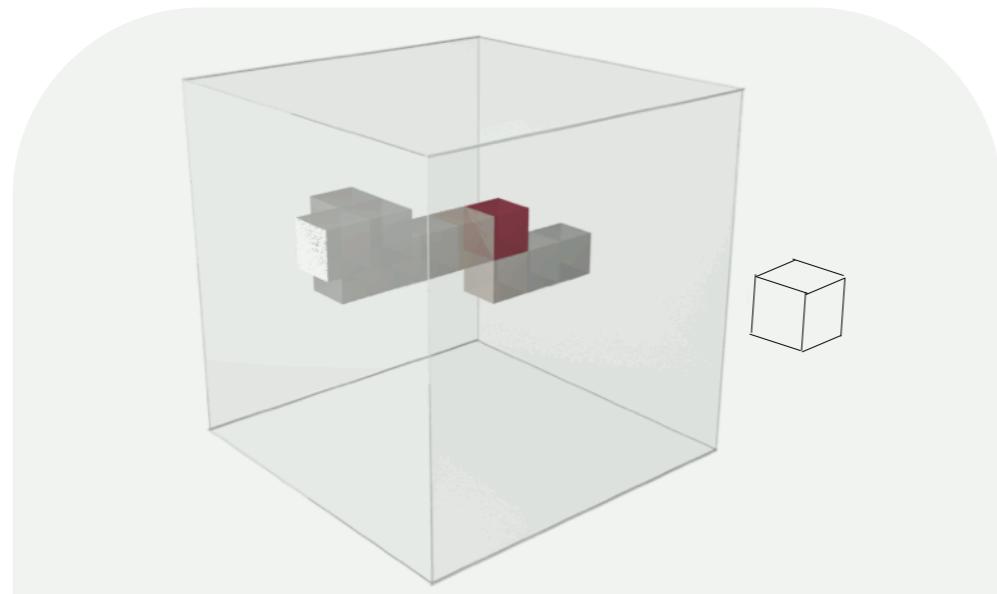
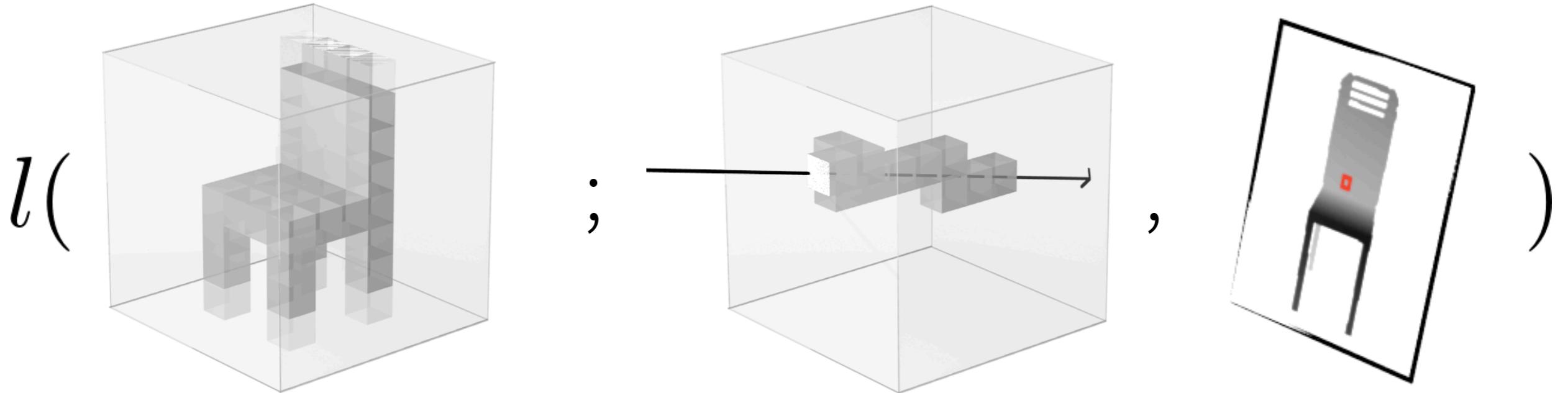
Differentiable Ray Consistency



Differentiable Ray Consistency

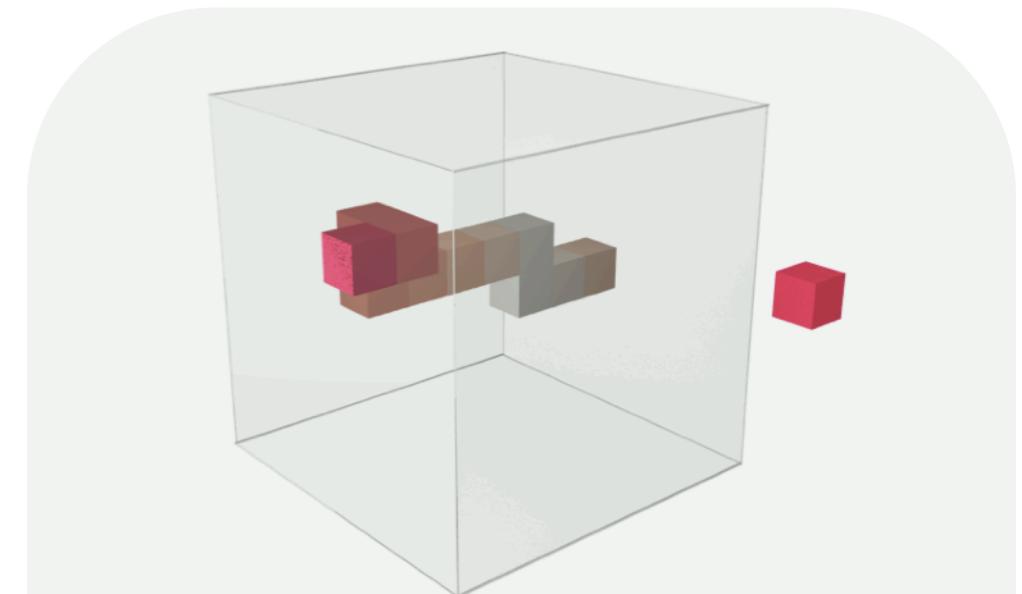


Differentiable Ray Consistency



Event Probabilities

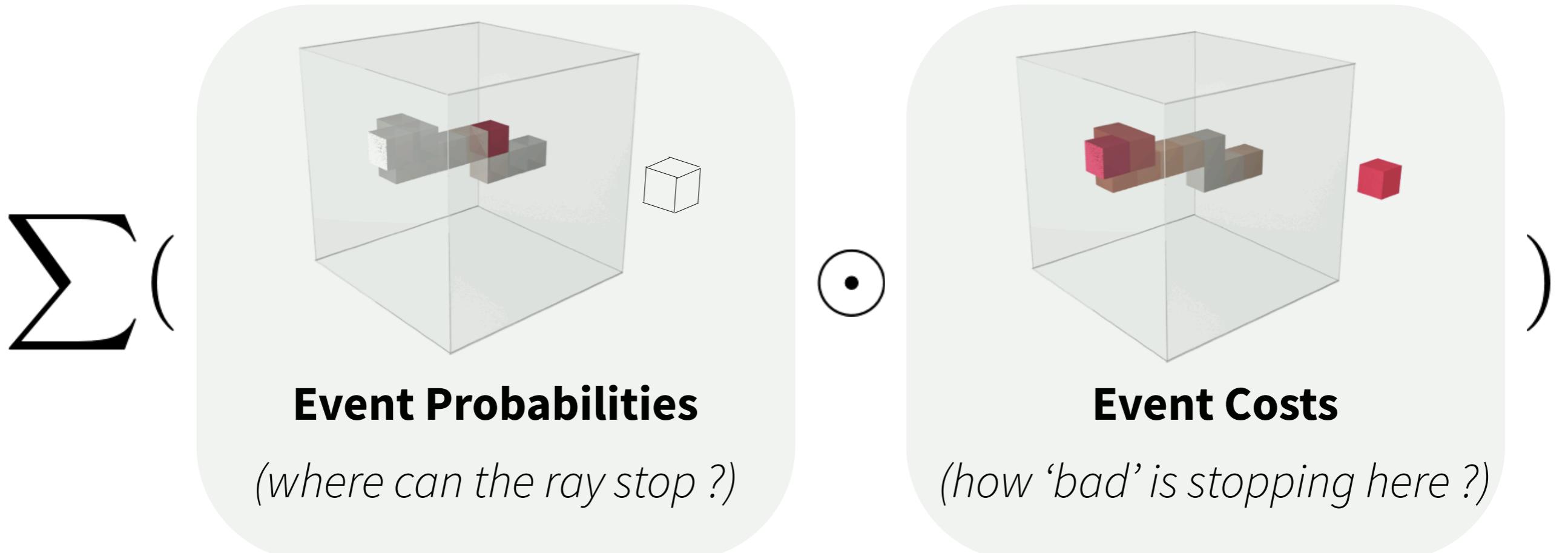
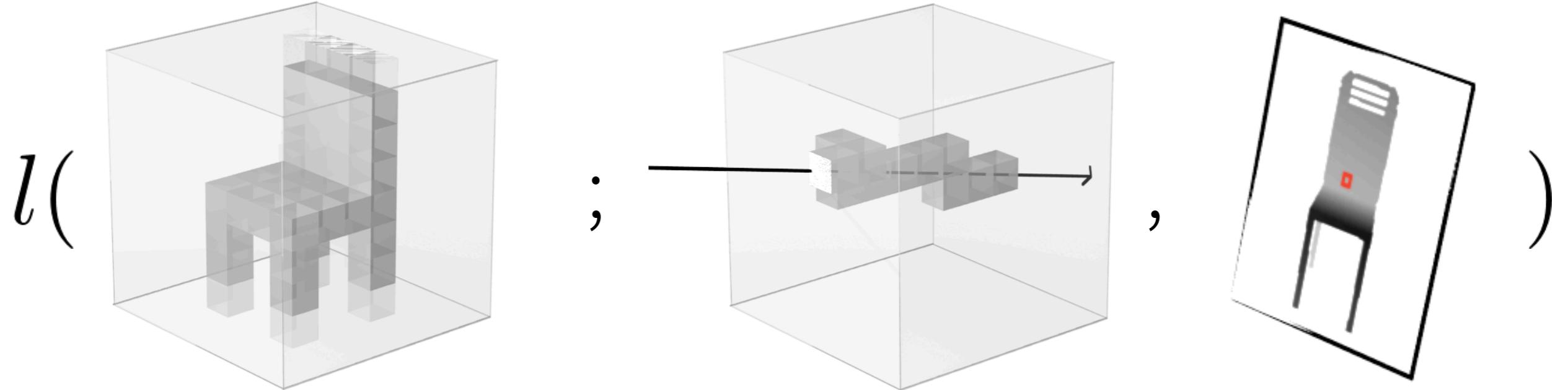
(where can the ray stop ?)



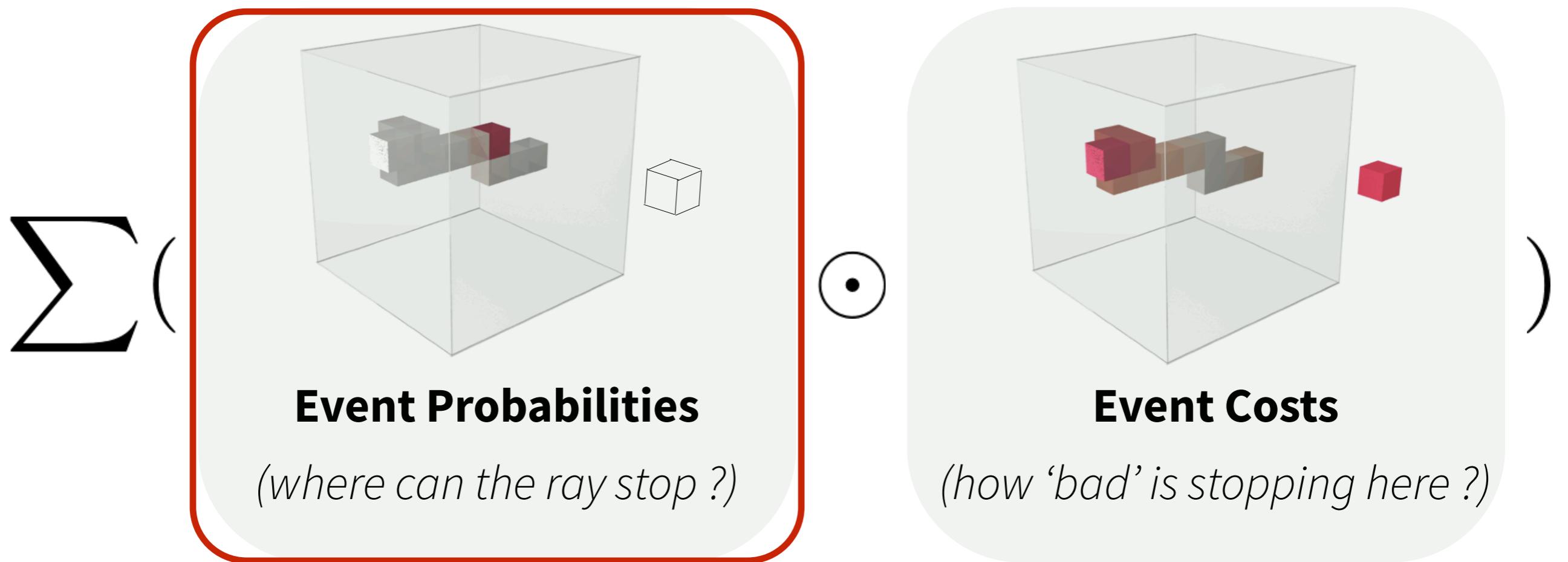
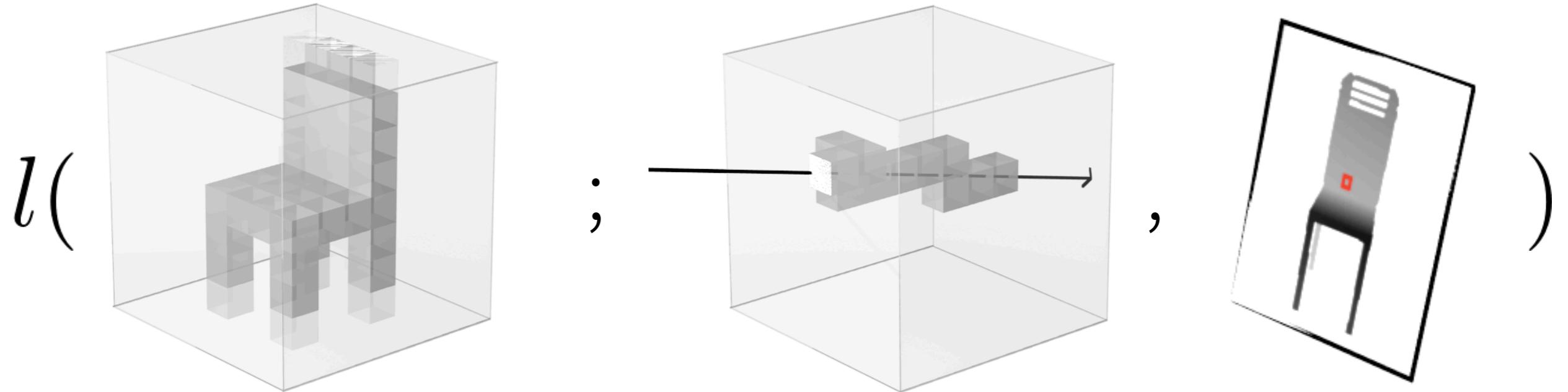
Event Costs

(how 'bad' is stopping here ?)

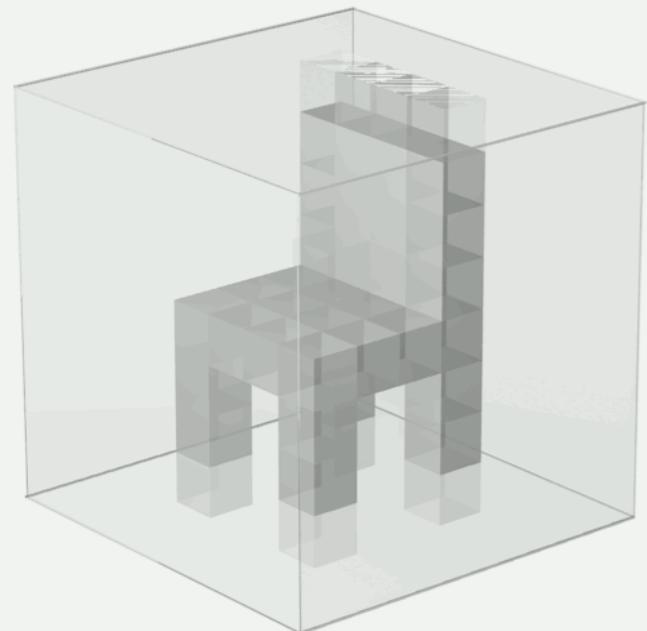
Differentiable Ray Consistency



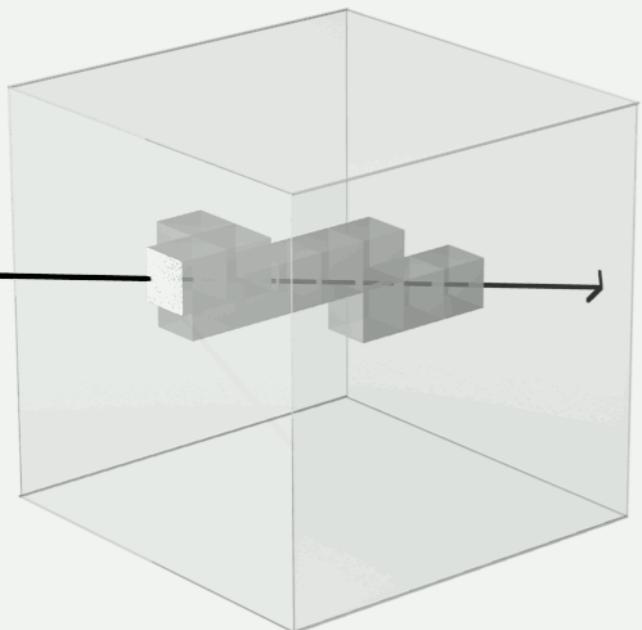
Differentiable Ray Consistency



Probabilistic Ray Tracing



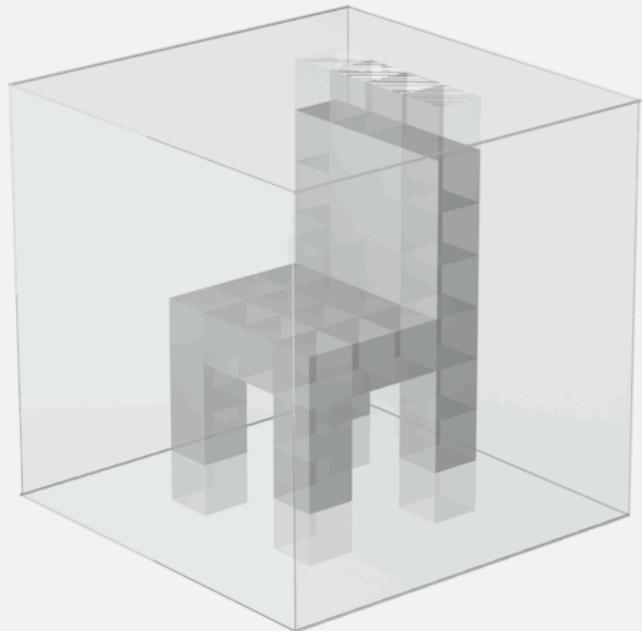
x



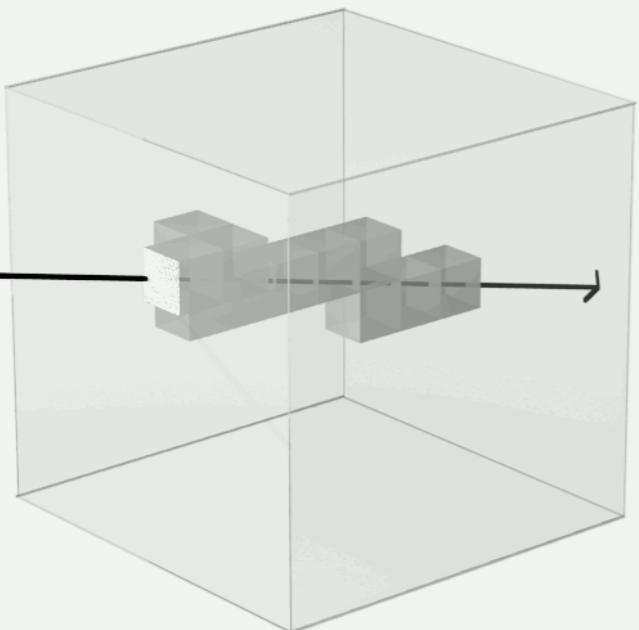
r

Possible Events

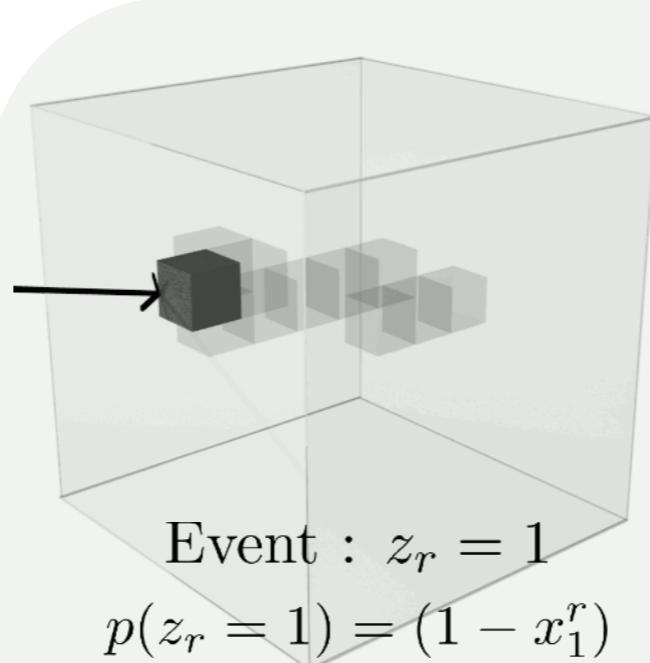
Probabilistic Ray Tracing



x



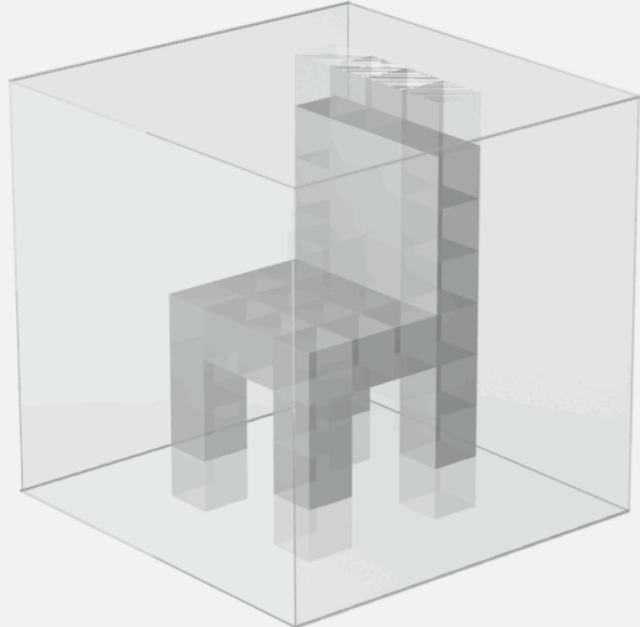
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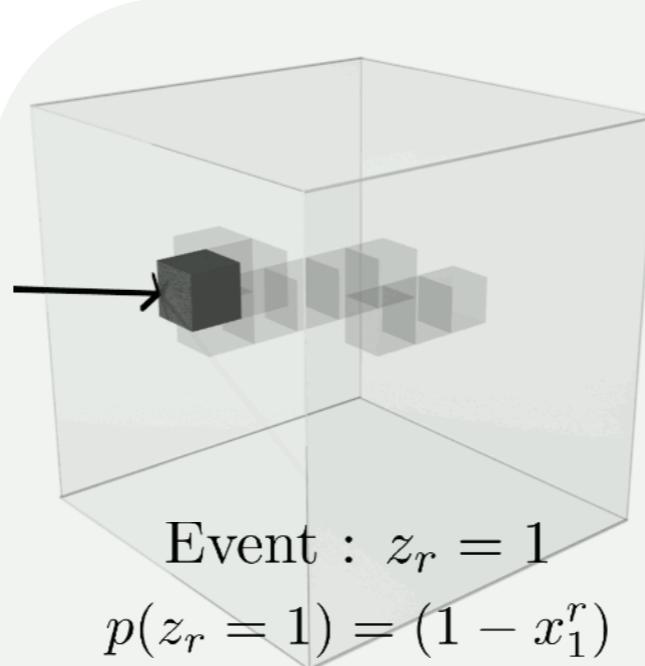
Event : $z_r = 1$
 $p(z_r = 1) = (1 - x_1^r)$

Possible Events

Probabilistic Ray Tracing

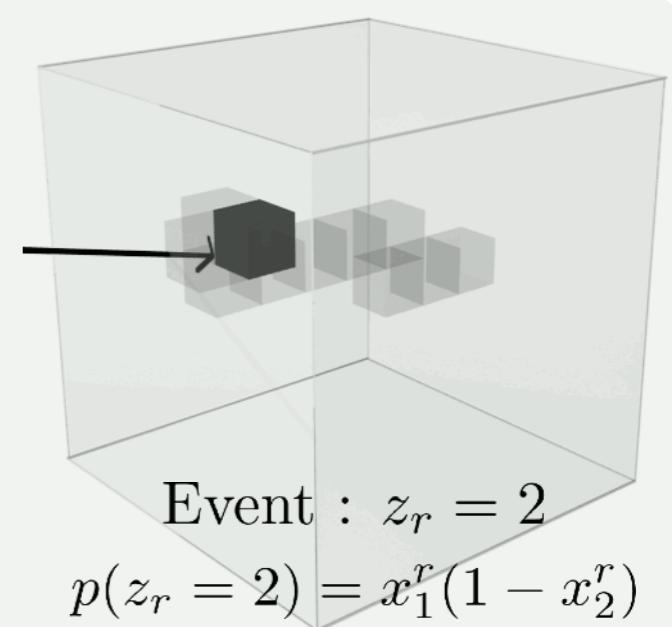


x



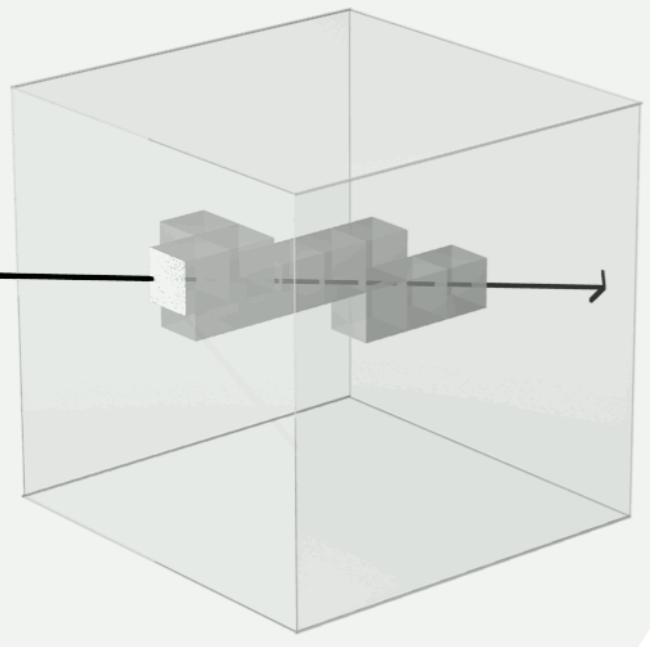
Event : $z_r = 1$

$$p(z_r = 1) = (1 - x_1^r)$$



Event : $z_r = 2$

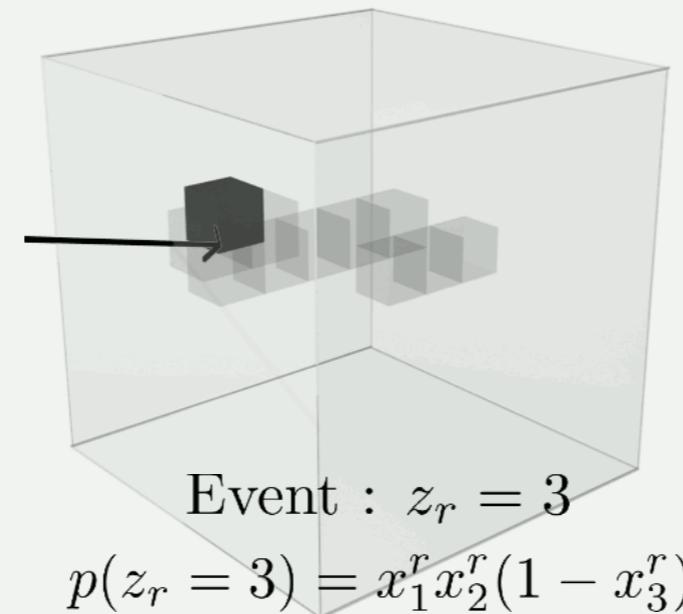
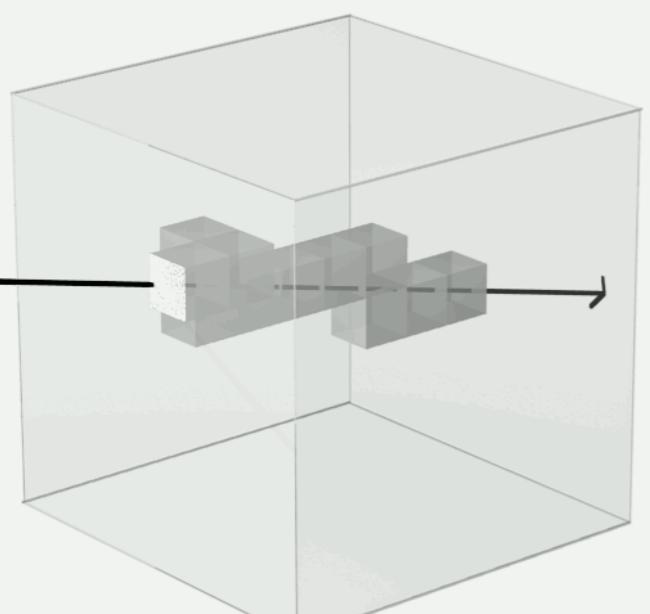
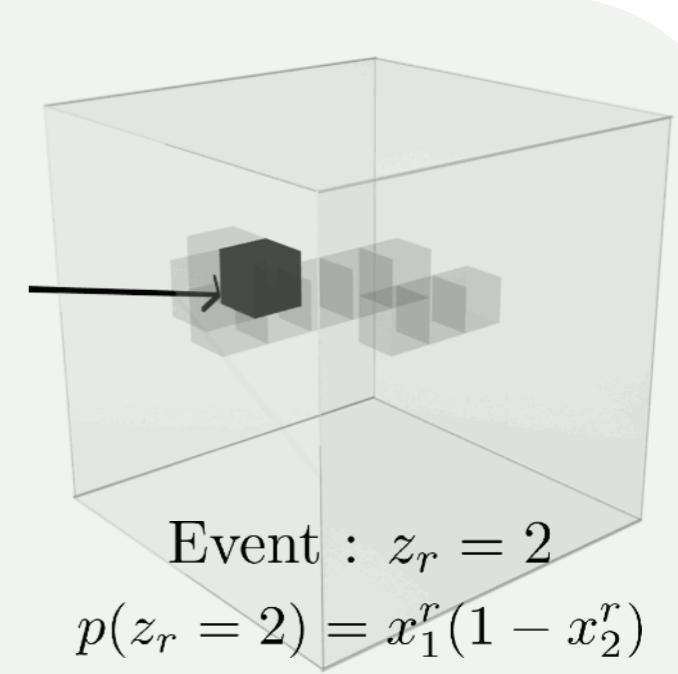
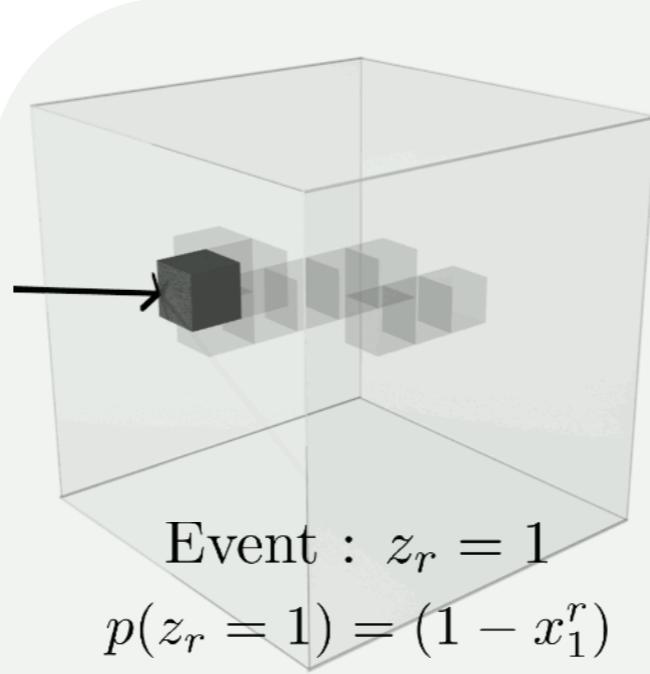
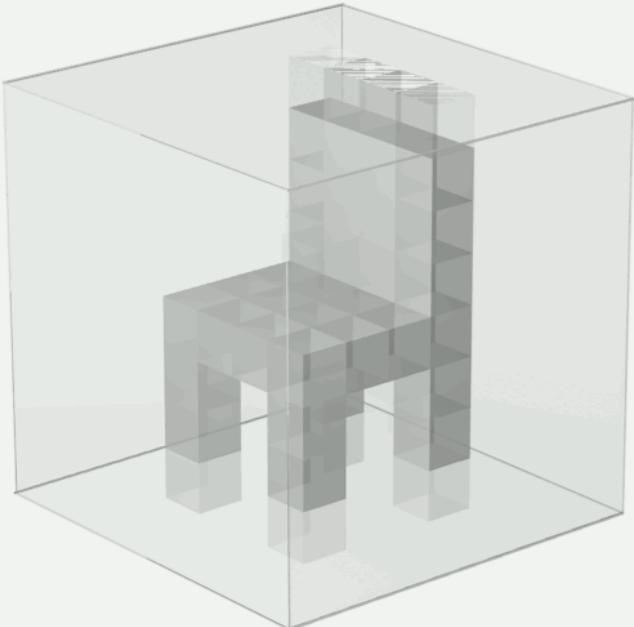
$$p(z_r = 2) = x_1^r(1 - x_2^r)$$



r

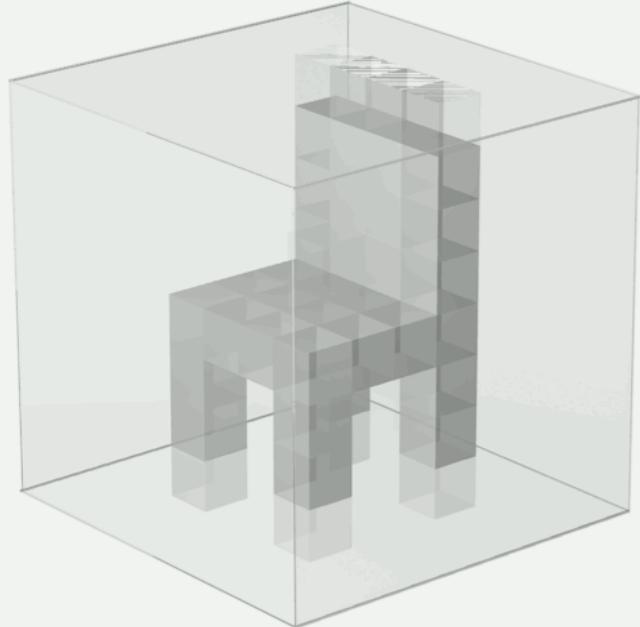
Possible Events

Probabilistic Ray Tracing

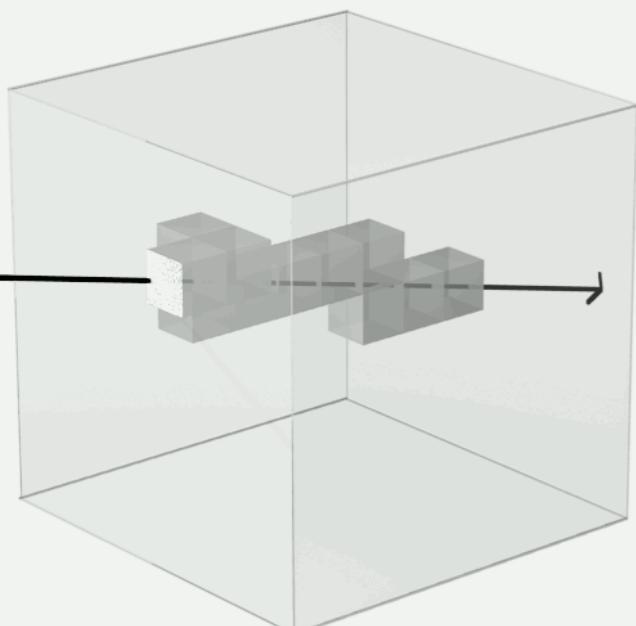


Possible Events

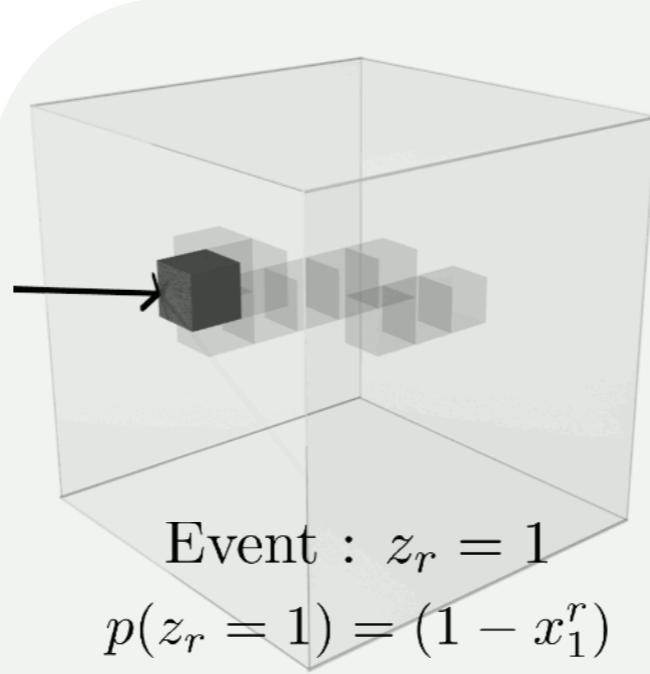
Probabilistic Ray Tracing



x

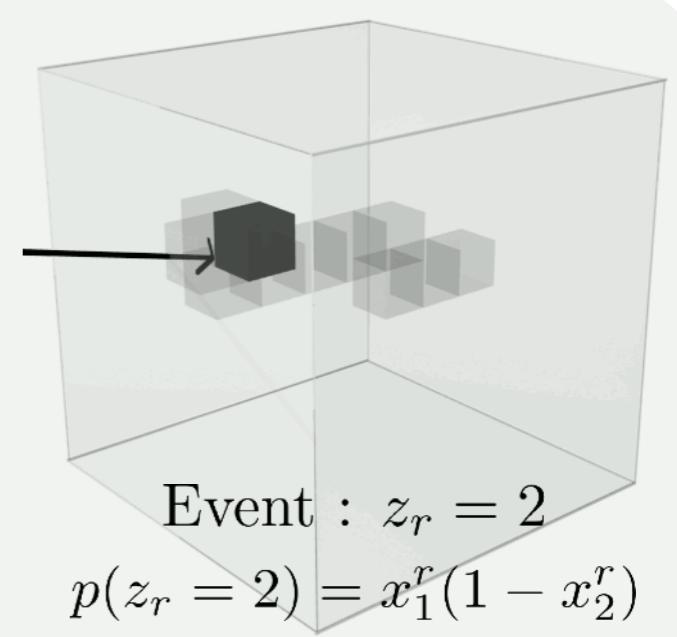


r



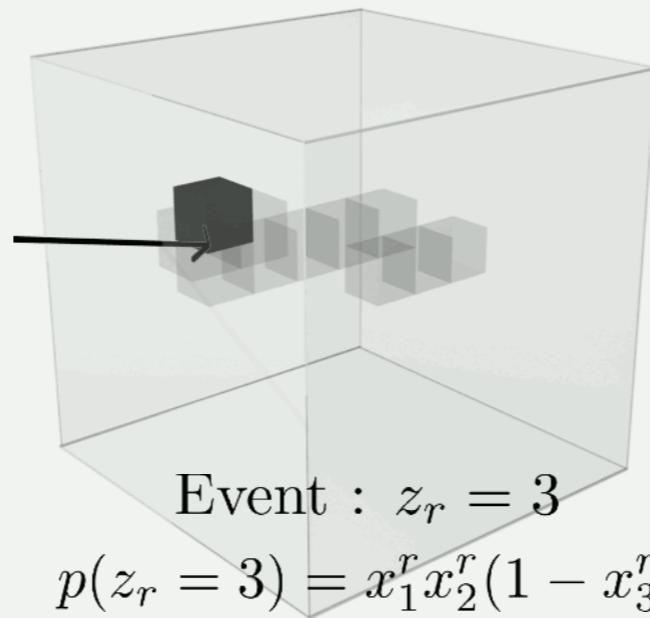
Event : $z_r = 1$

$$p(z_r = 1) = (1 - x_1^r)$$



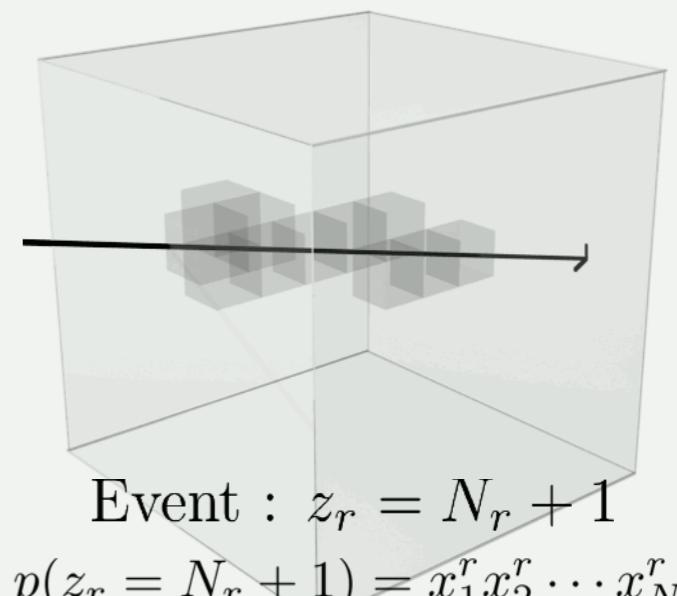
Event : $z_r = 2$

$$p(z_r = 2) = x_1^r(1 - x_2^r)$$



Event : $z_r = 3$

$$p(z_r = 3) = x_1^r x_2^r (1 - x_3^r)$$

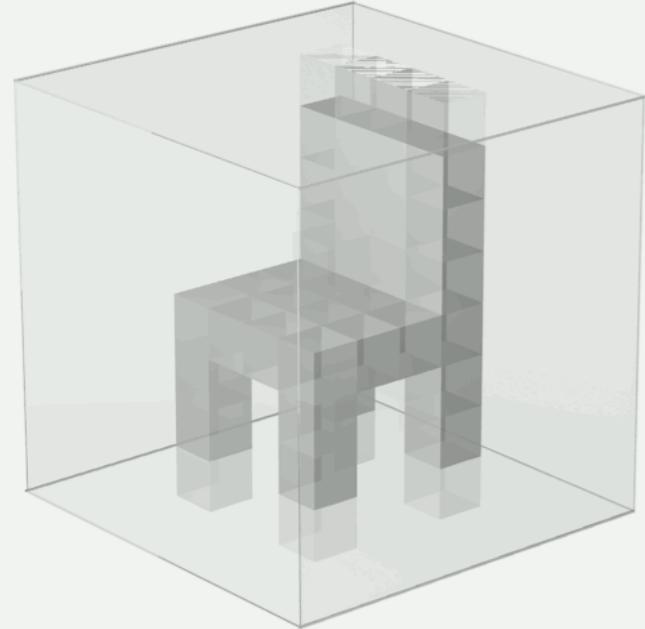


Event : $z_r = N_r + 1$

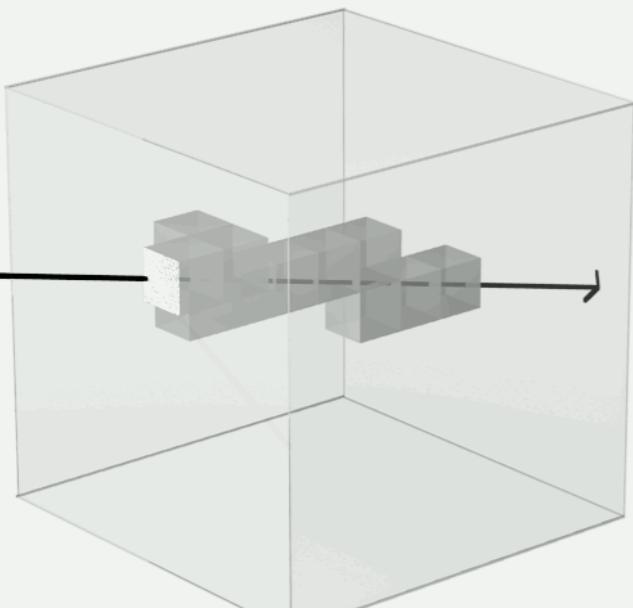
$$p(z_r = N_r + 1) = x_1^r x_2^r \cdots x_{N_r}^r$$

Possible Events

Probabilistic Ray Tracing



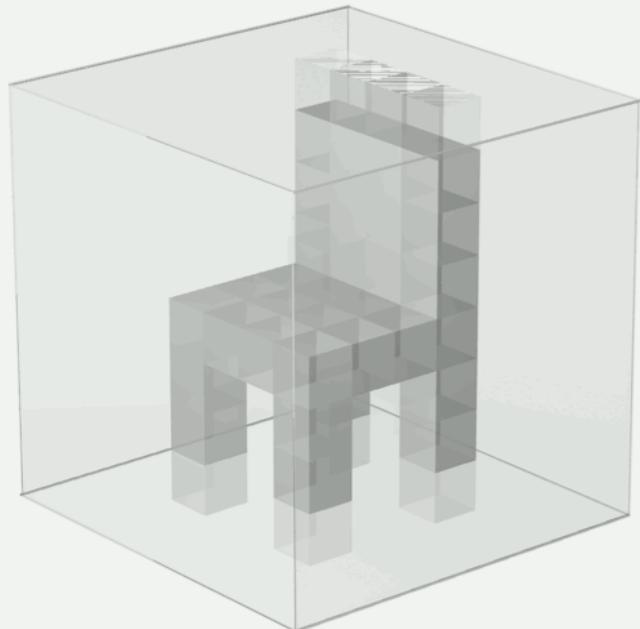
x



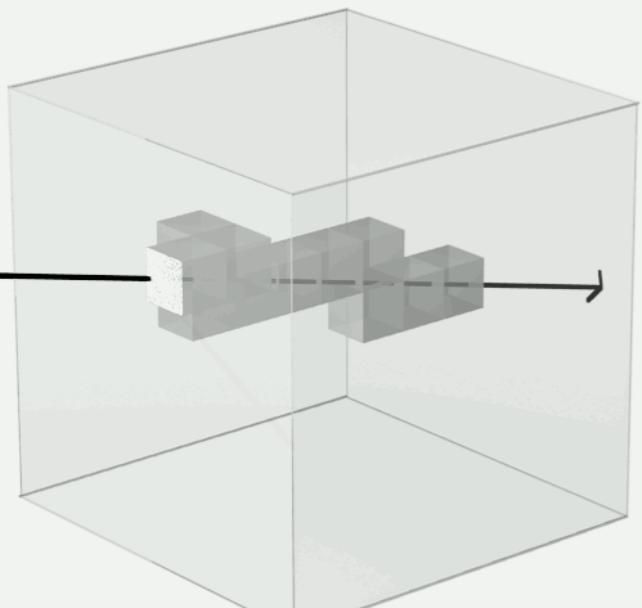
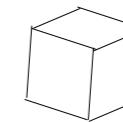
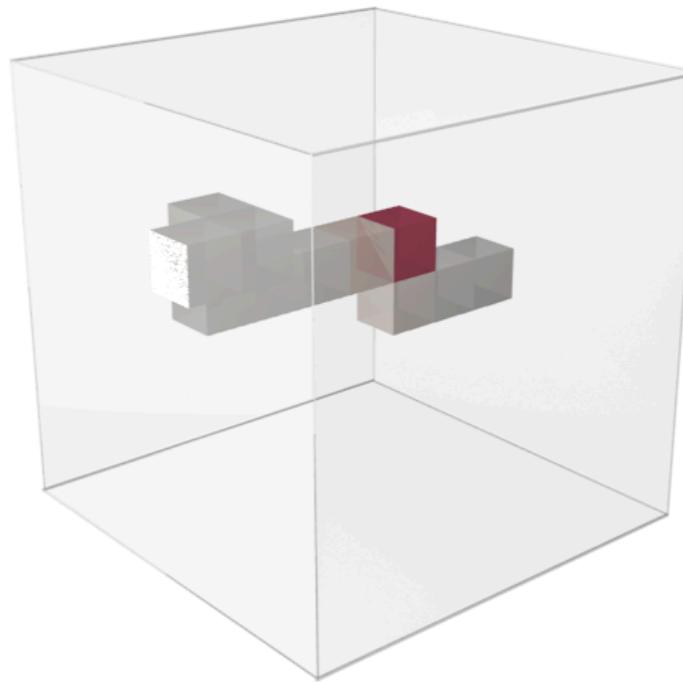
r

$$p(z_r = i) = \begin{cases} (1 - x_i^r) \prod_{j=1}^{i-1} x_j^r, & \text{if } i \leq N_r \\ \prod_{j=1}^{N_r} x_j^r, & \text{if } i = N_r + 1 \end{cases}$$

Probabilistic Ray Tracing



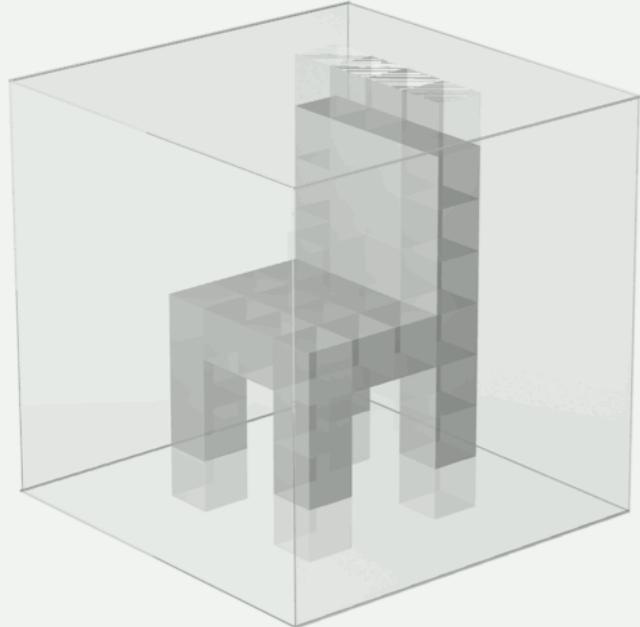
X



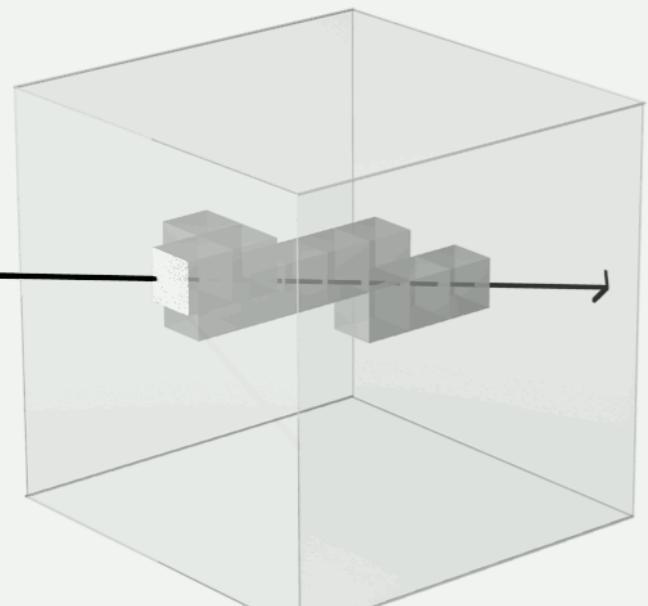
r

$$p(z_r = i) = \begin{cases} (1 - x_i^r) \prod_{j=1}^{i-1} x_j^r, & \text{if } i \leq N_r \\ \prod_{j=1}^{N_r} x_j^r, & \text{if } i = N_r + 1 \end{cases}$$

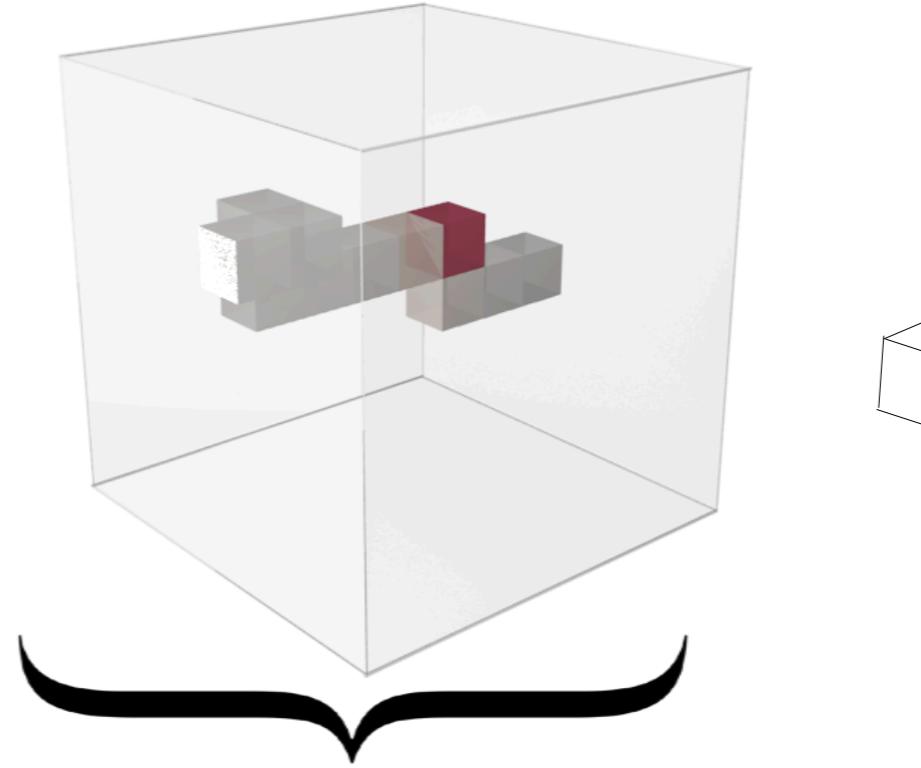
Probabilistic Ray Tracing



x



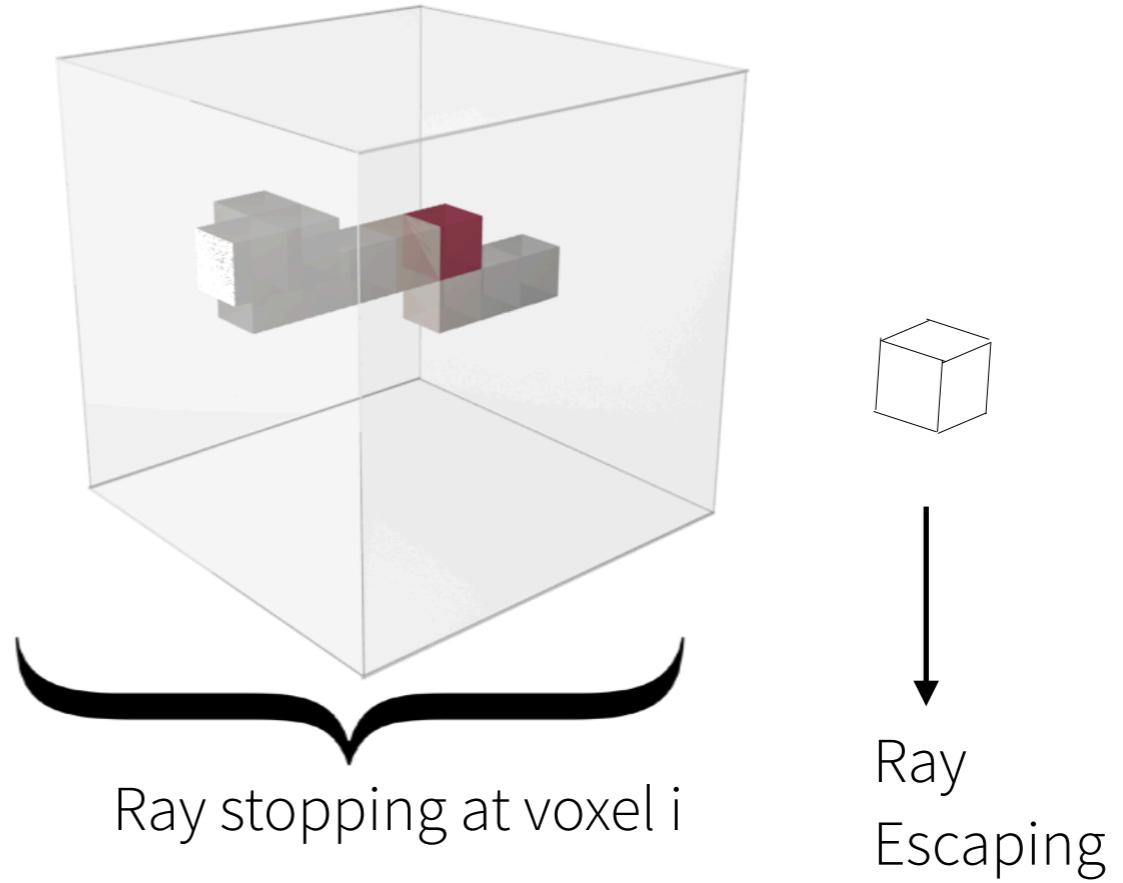
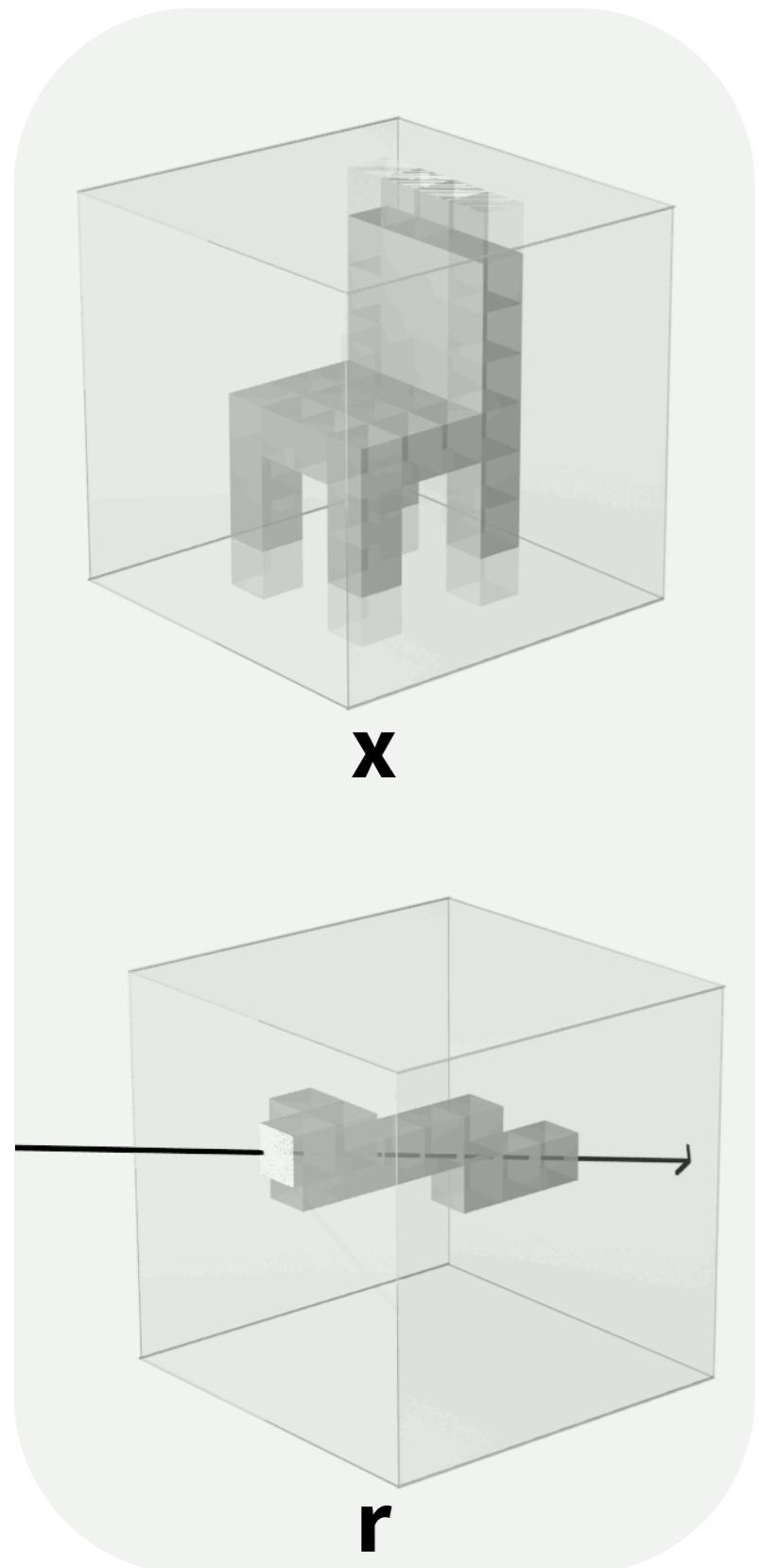
r



Ray stopping at voxel **i**

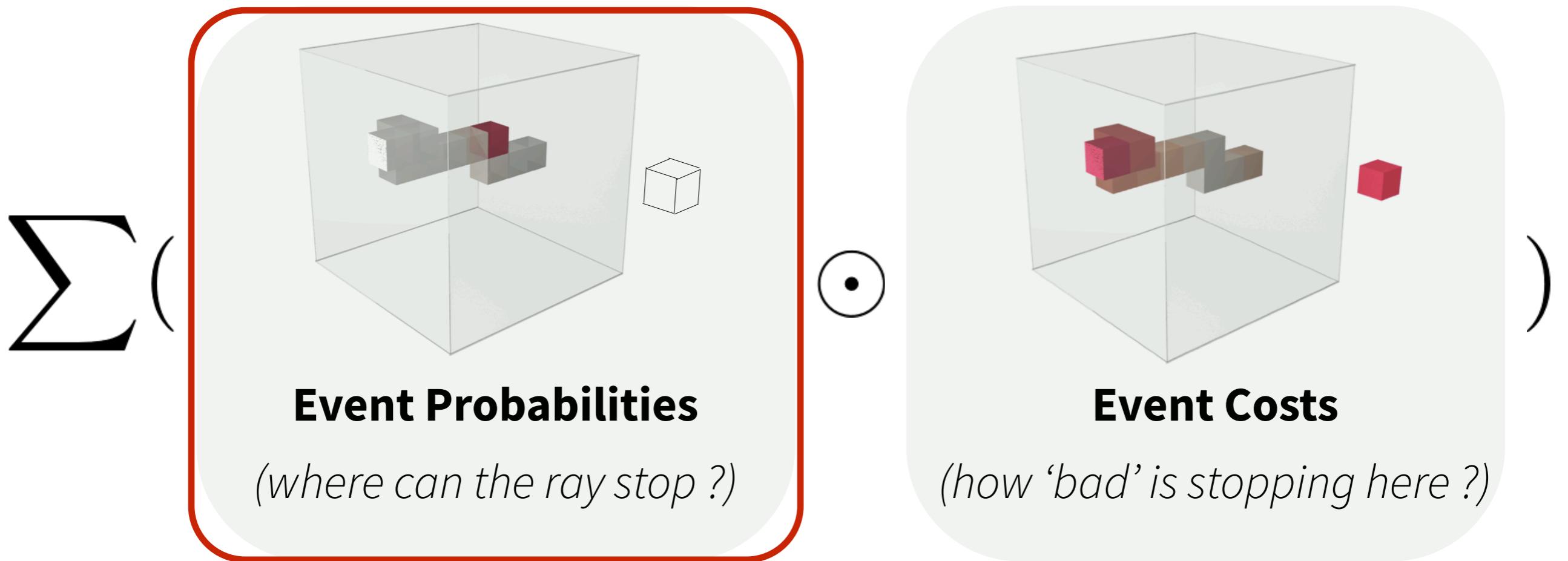
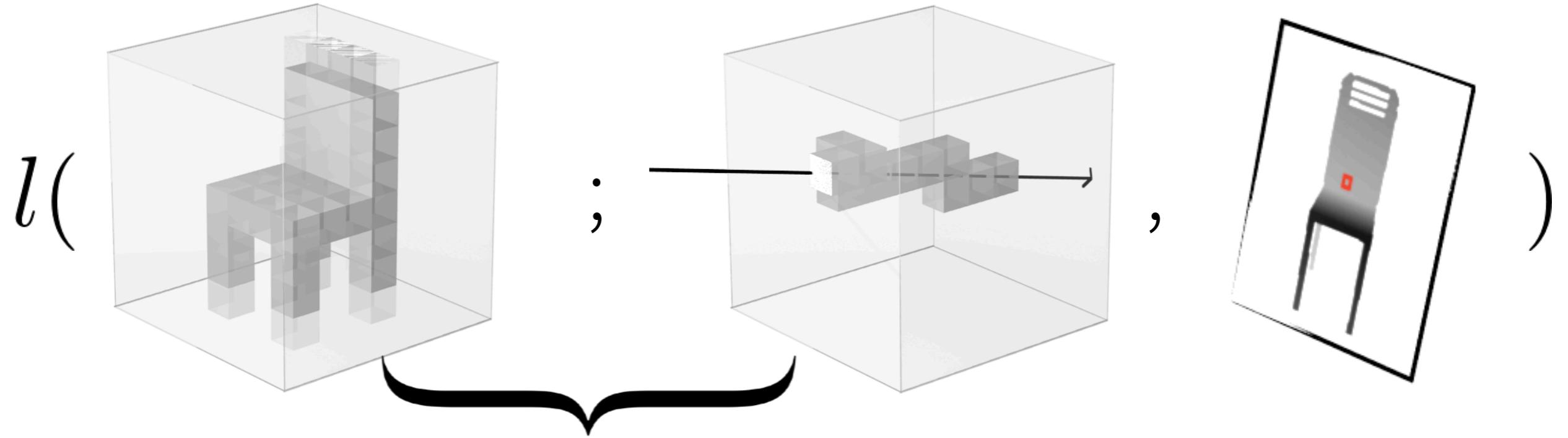
$$p(z_r = i) = \begin{cases} (1 - x_i^r) \prod_{j=1}^{i-1} x_j^r, & \text{if } i \leq N_r \\ \prod_{j=1}^{N_r} x_j^r, & \text{if } i = N_r + 1 \end{cases}$$

Probabilistic Ray Tracing

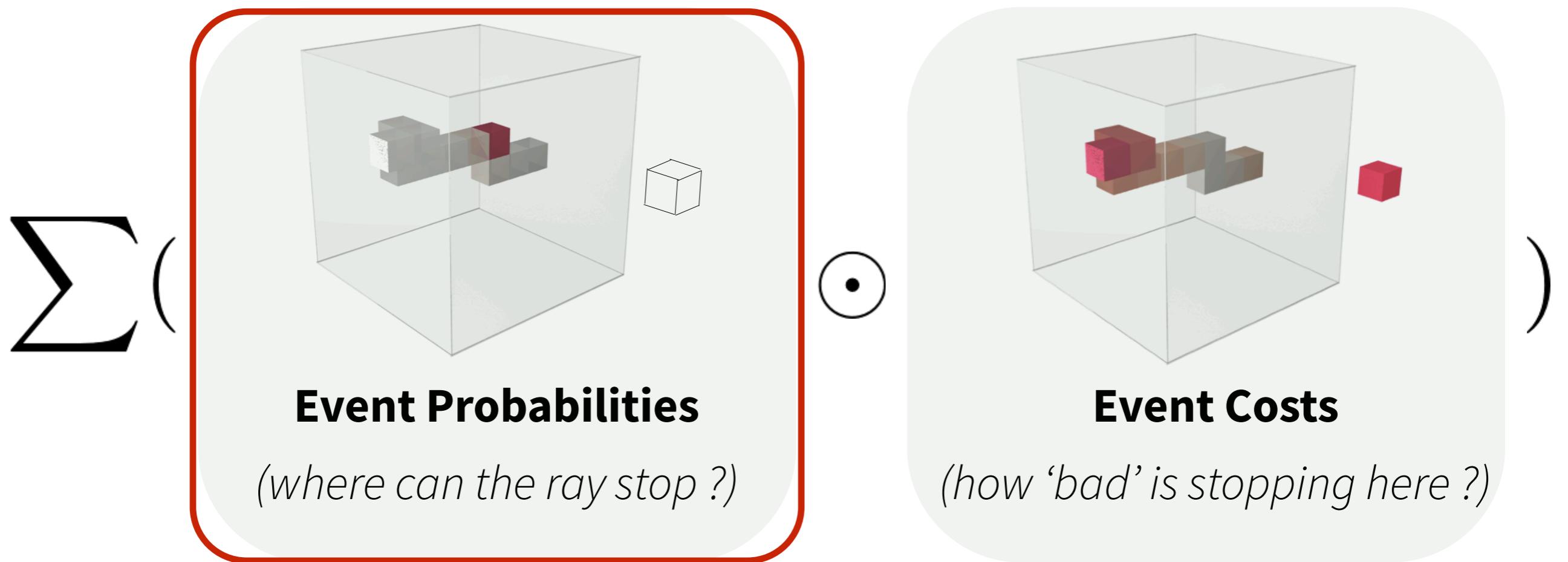
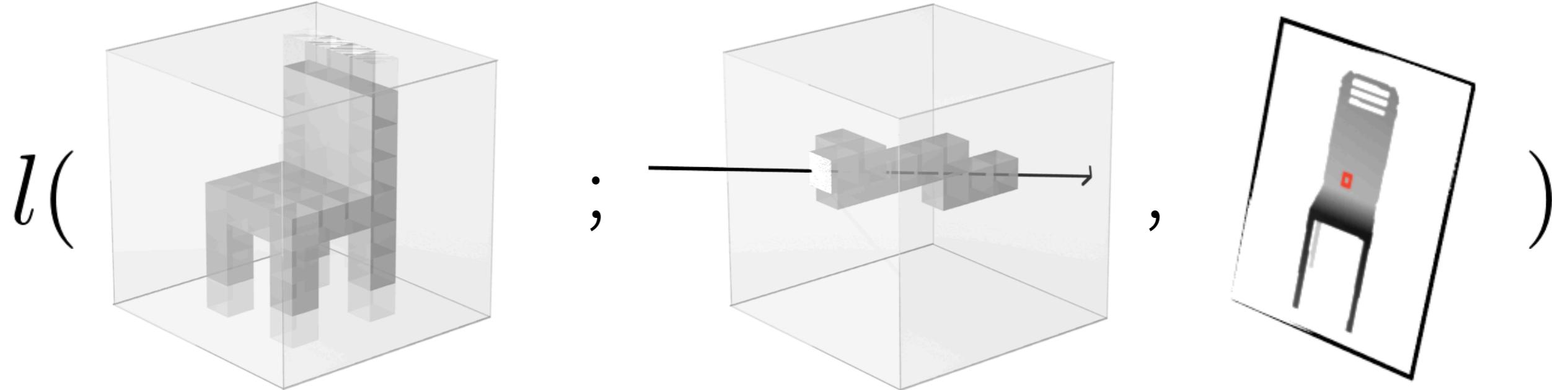


$$p(z_r = i) = \begin{cases} (1 - x_i^r) \prod_{j=1}^{i-1} x_j^r, & \text{if } i \leq N_r \\ \prod_{j=1}^{N_r} x_j^r, & \text{if } i = N_r + 1 \end{cases}$$

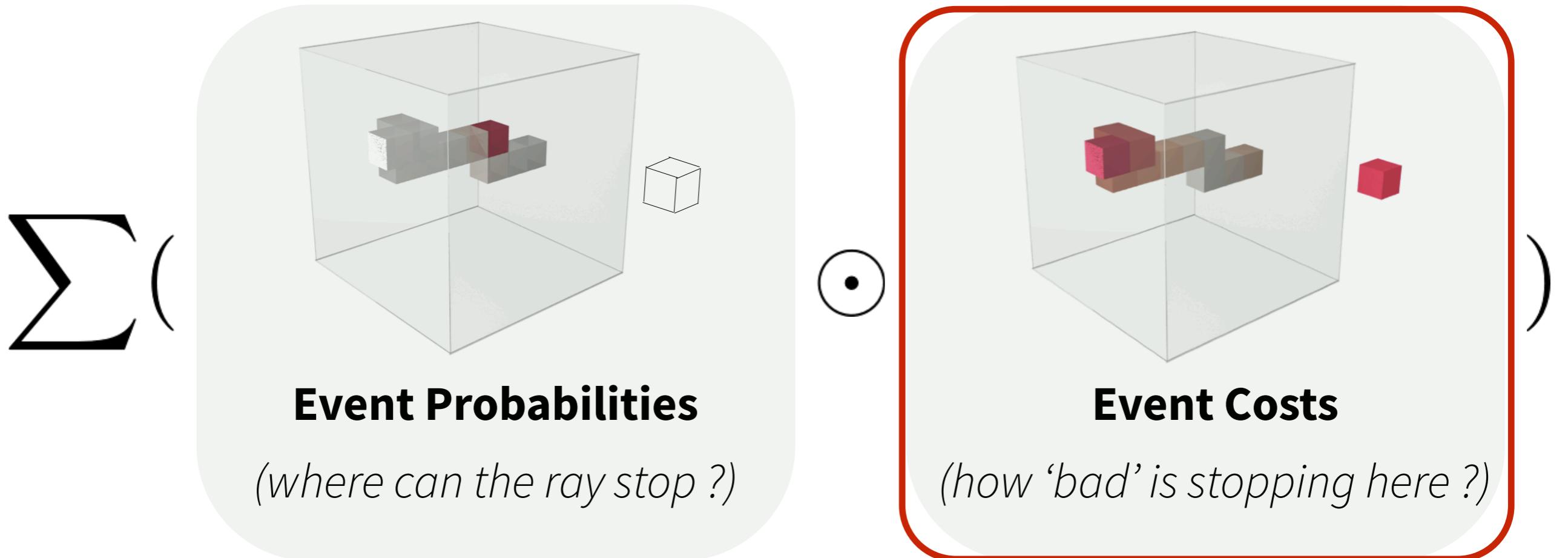
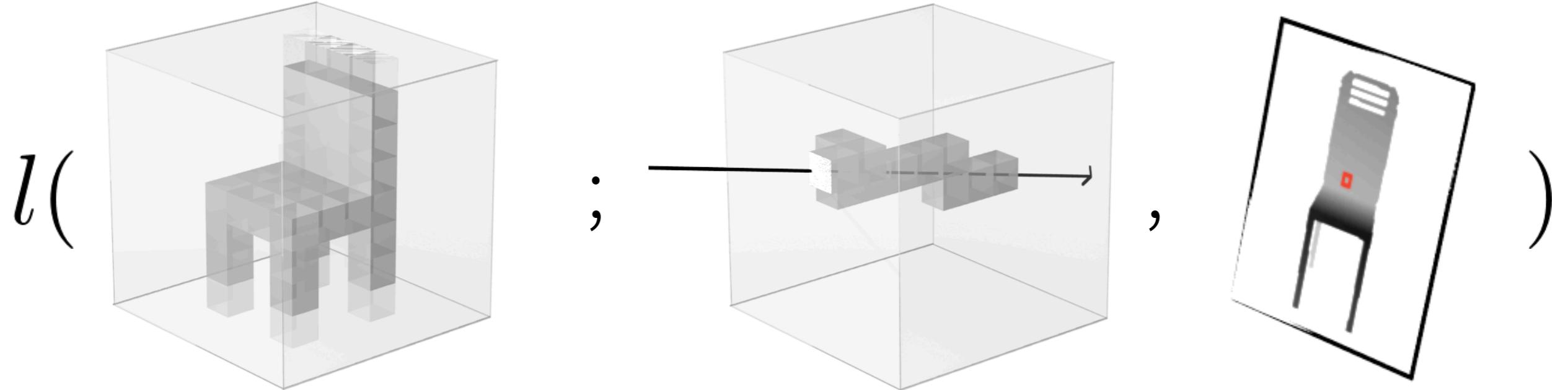
Differentiable Ray Consistency



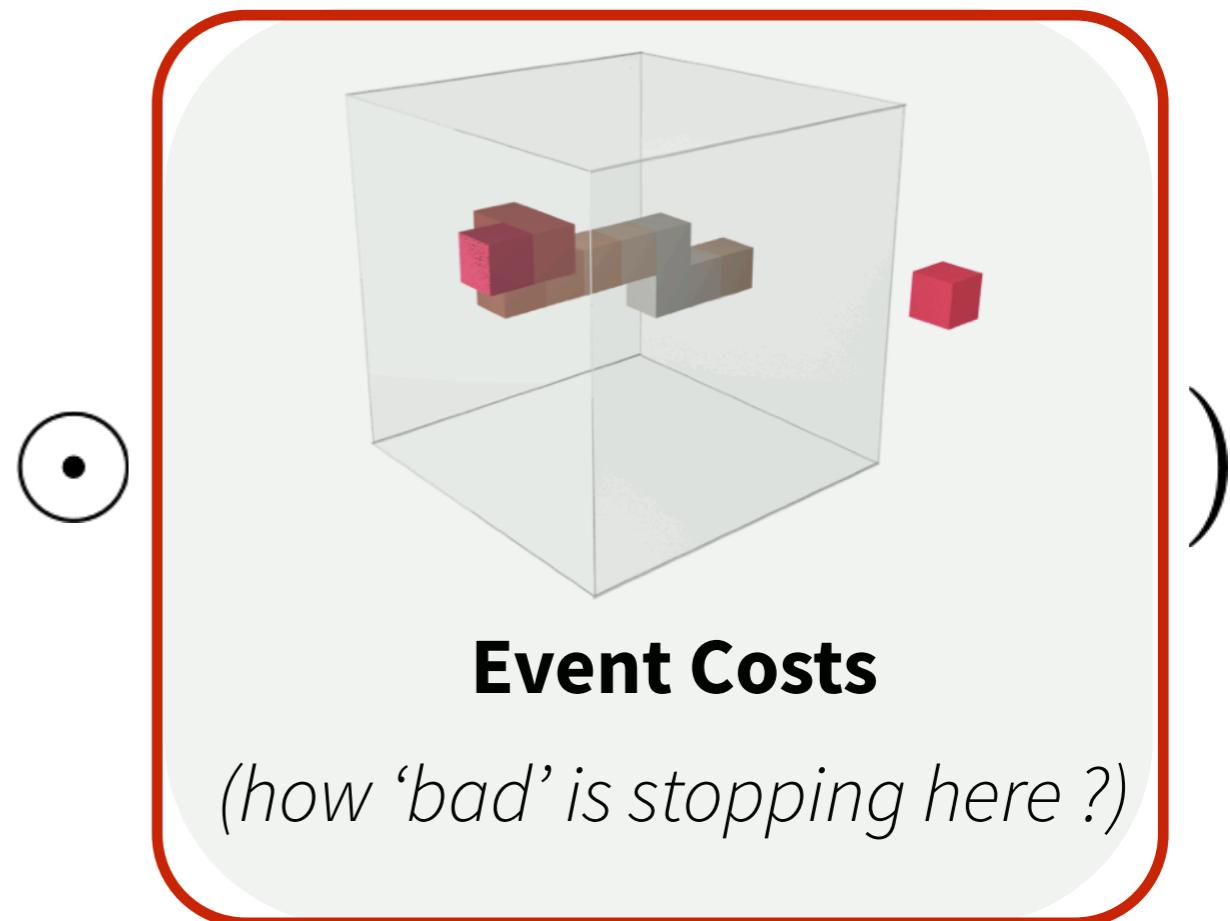
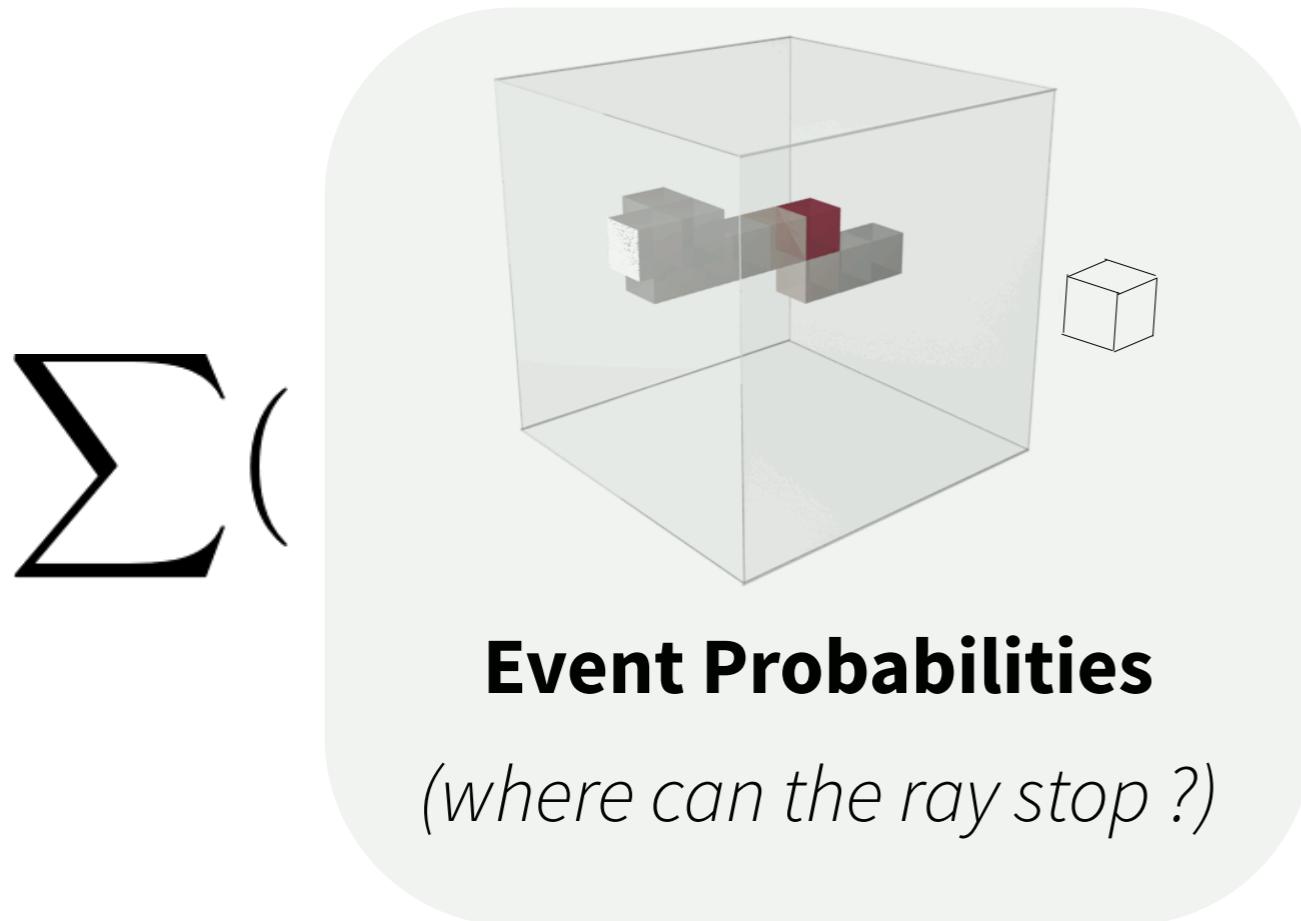
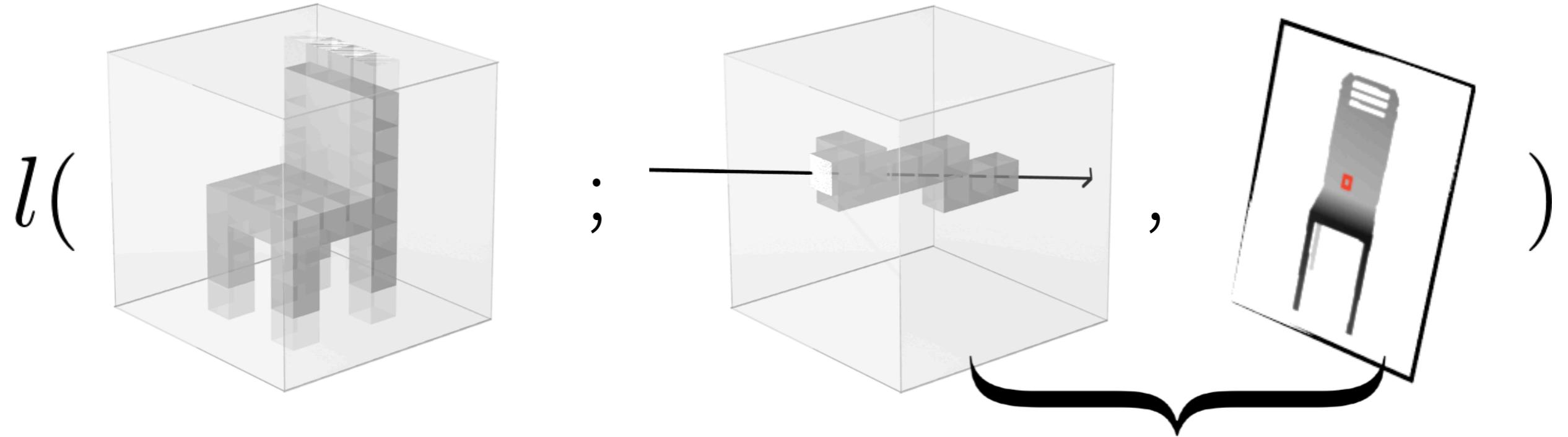
Differentiable Ray Consistency



Differentiable Ray Consistency



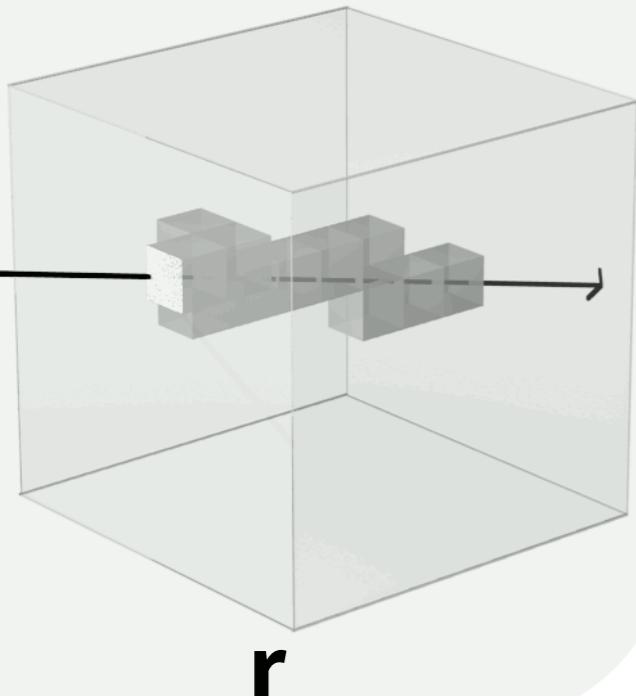
Differentiable Ray Consistency



Event Costs



$\mathbf{o_r}$ (Depth)



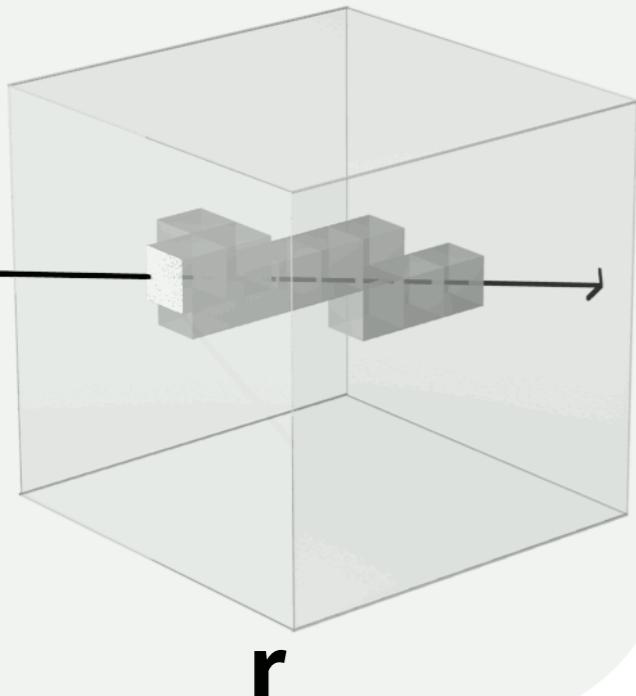
\mathbf{r}

How inconsistent is each event w.r.t **$\mathbf{o_r}$** ?

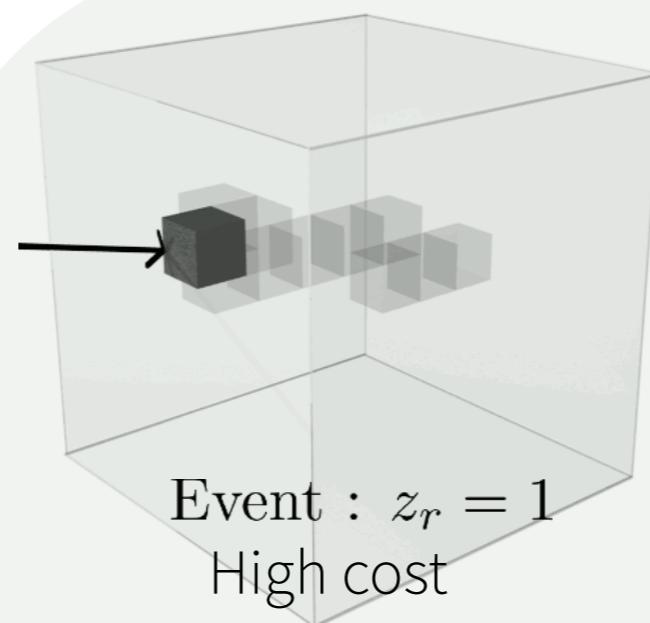
Event Costs



$\mathbf{o_r}$ (Depth)



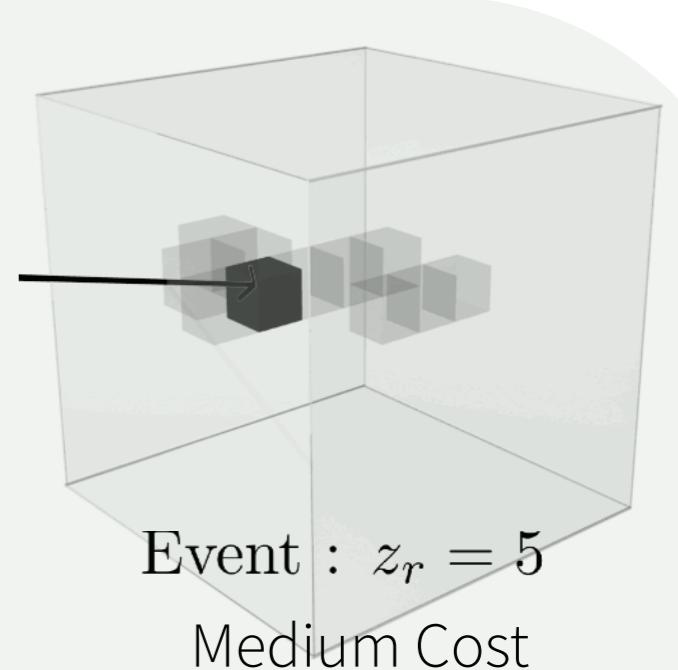
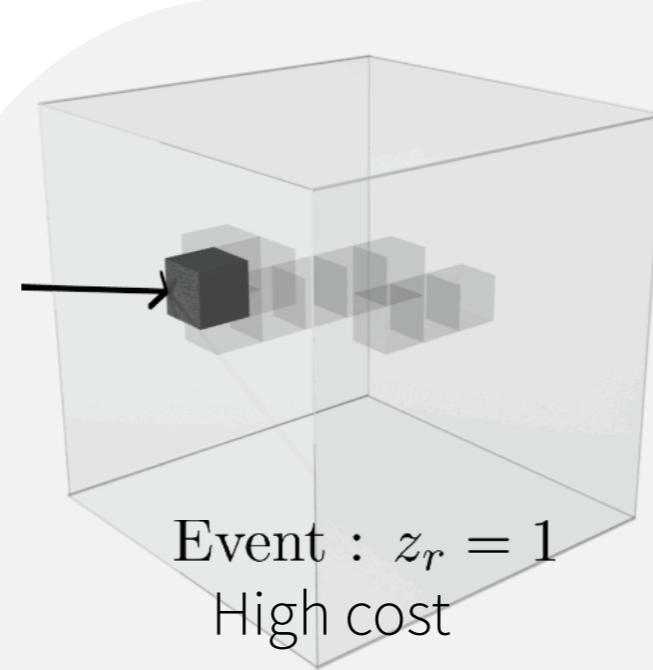
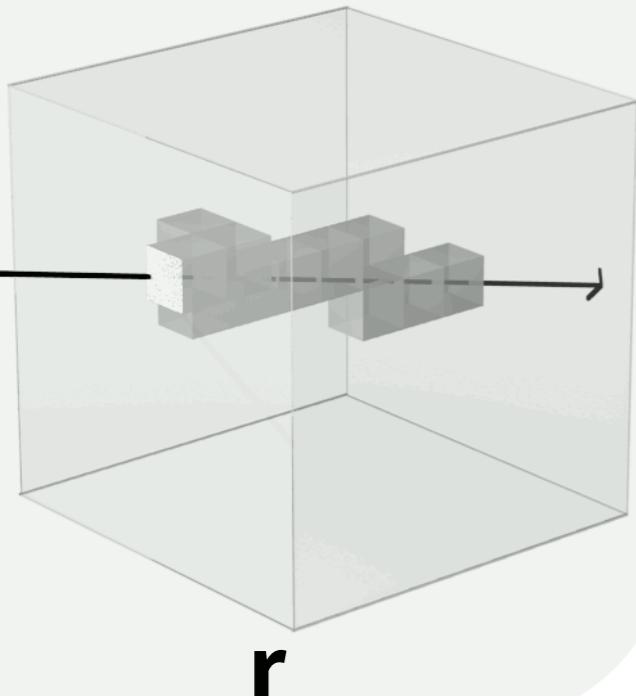
\mathbf{r}



Event : $z_r = 1$
High cost

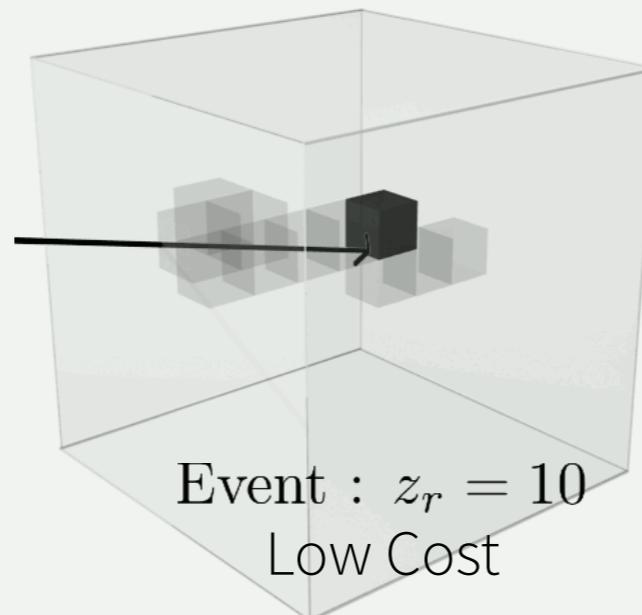
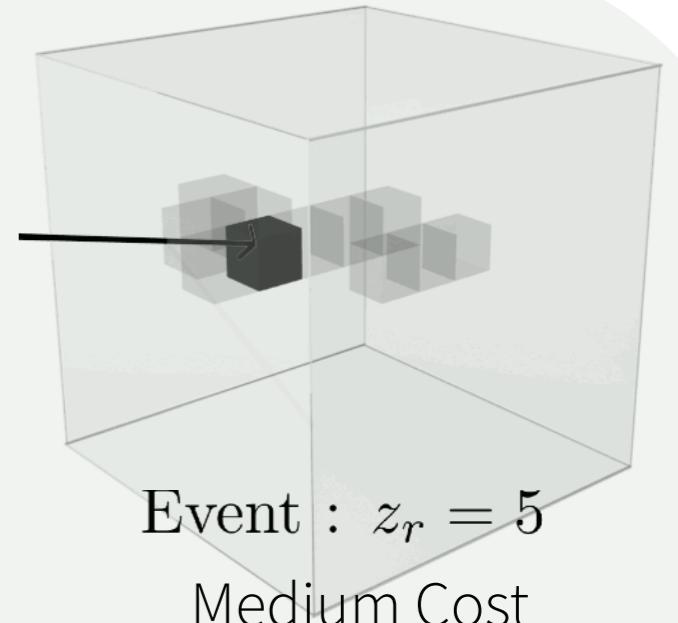
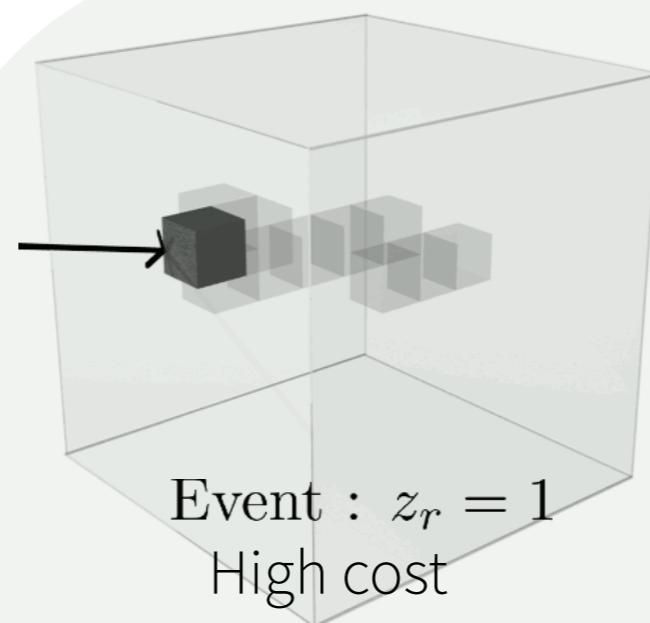
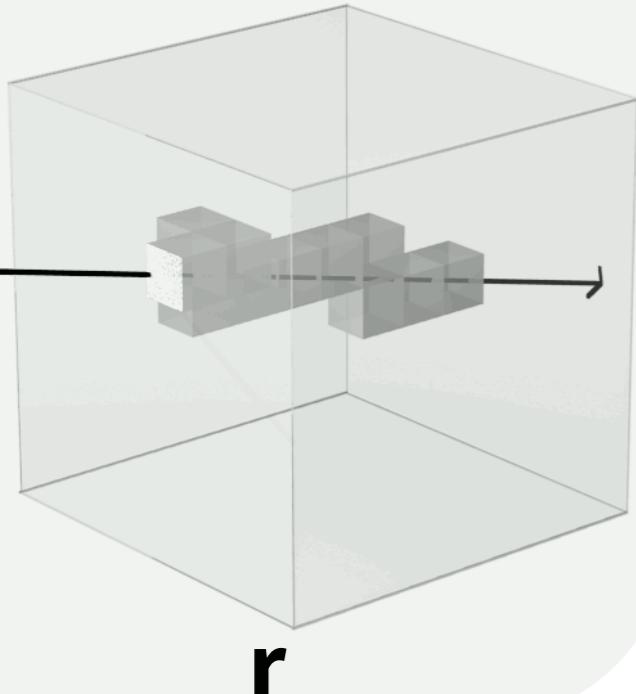
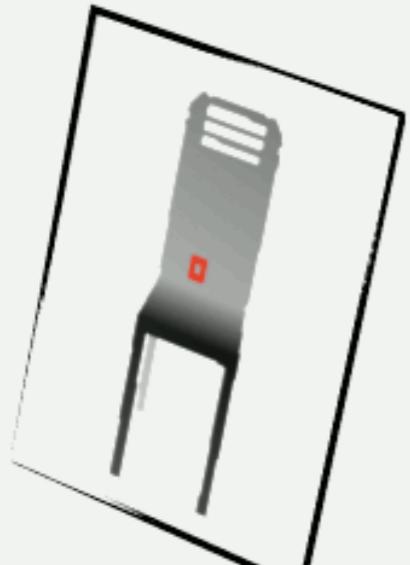
How inconsistent is each event w.r.t **$\mathbf{o_r}$** ?

Event Costs



How inconsistent is each event w.r.t **$\mathbf{o_r}$** ?

Event Costs

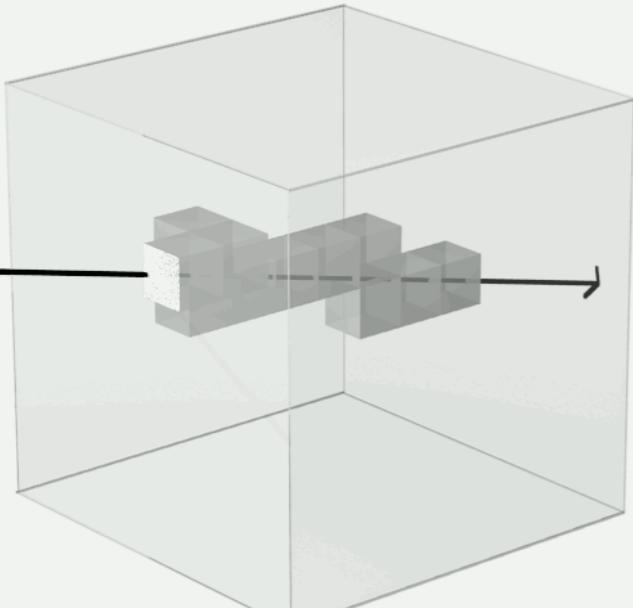


How inconsistent is each event w.r.t **$\mathbf{o_r}$** ?

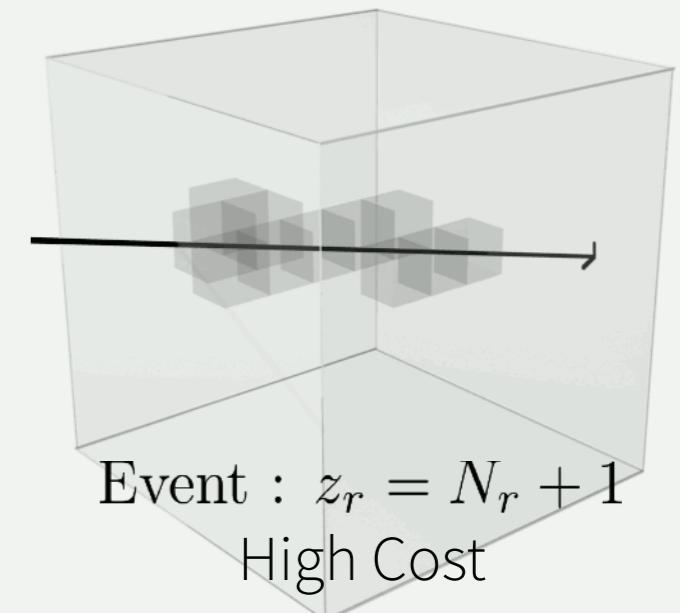
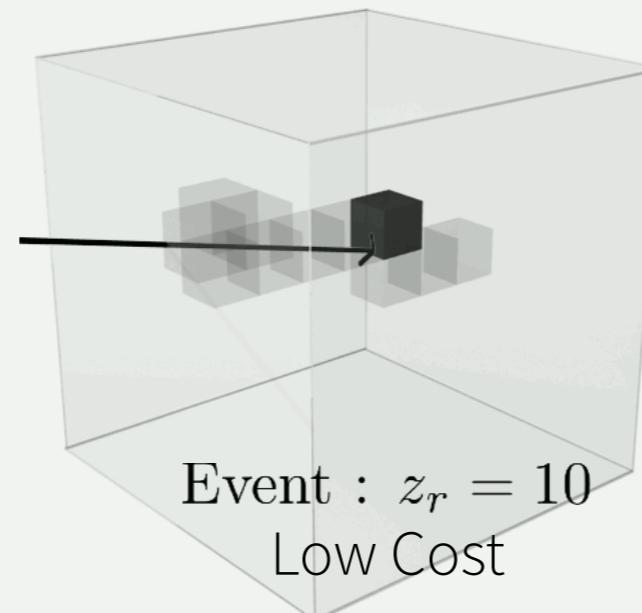
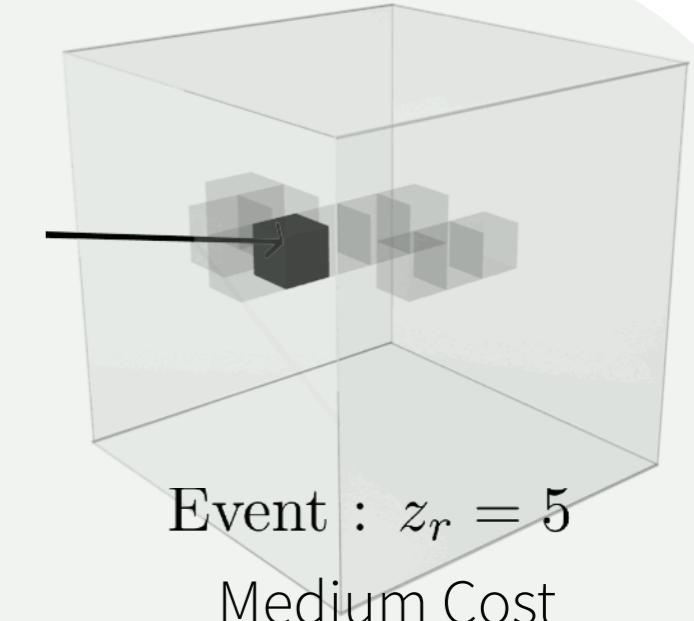
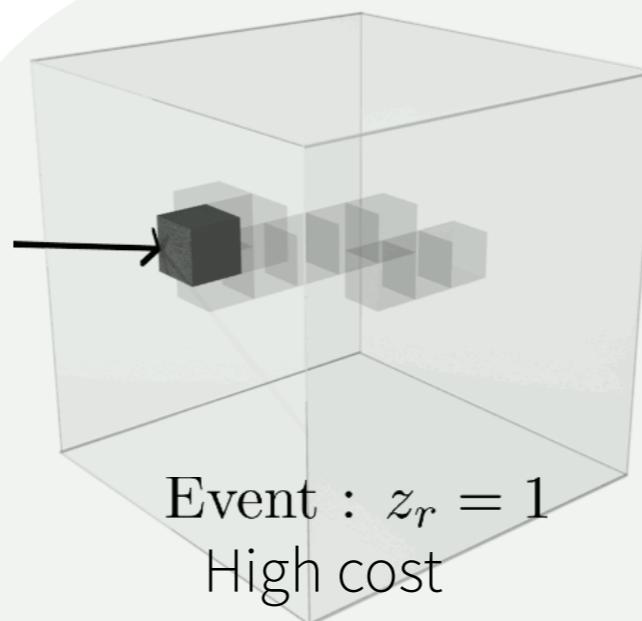
Event Costs



$\mathbf{o_r}$ (Depth)

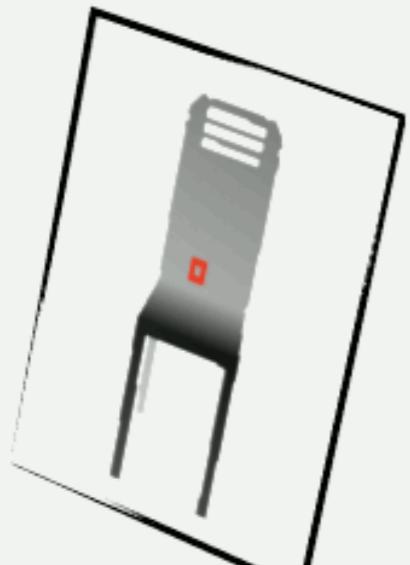


\mathbf{r}

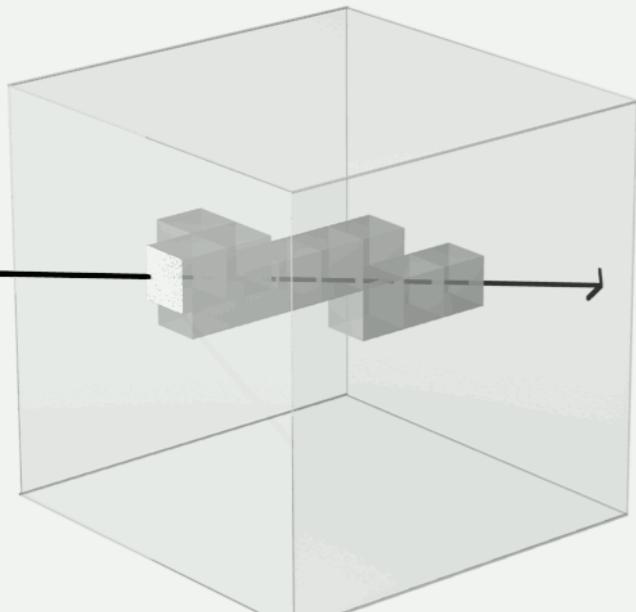


How inconsistent is each event w.r.t **$\mathbf{o_r}$** ?

Event Costs



o_r (*Depth*)



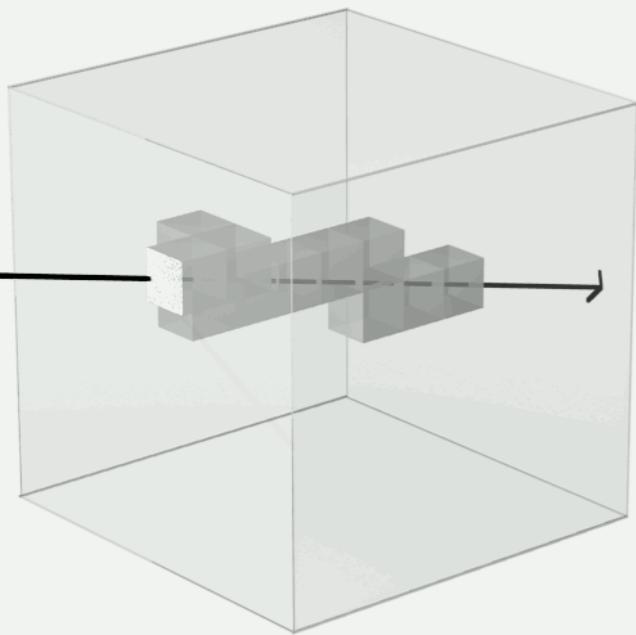
r

$$\psi_r^{depth}(i) = |d_i^r - d_r|$$

Event Costs



\mathbf{o}_r (Depth)



r

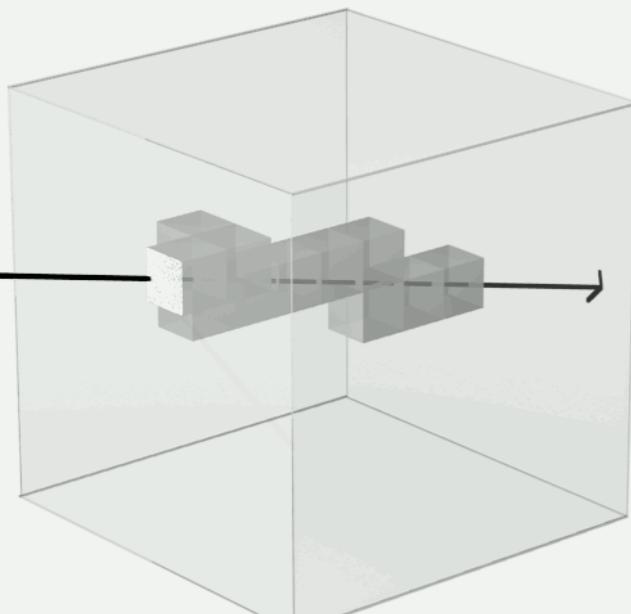
$$\psi_r^{depth}(i) = |d_i^r - \boxed{d_r}|$$

Observed
Depth

Event Costs



o_r (*Depth*)



r

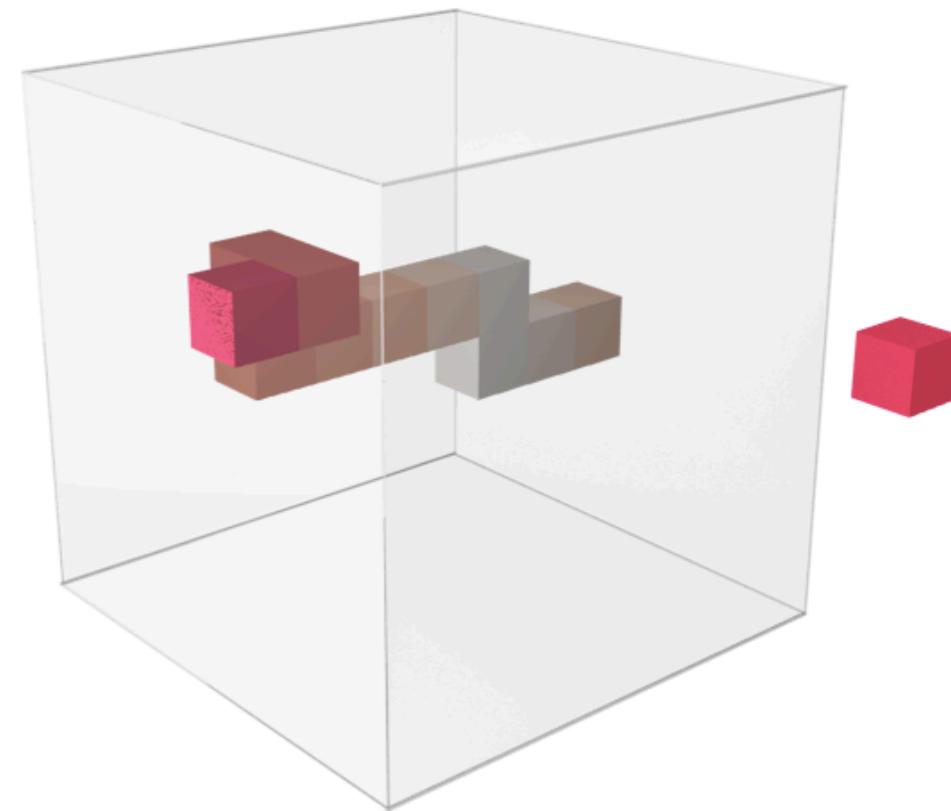
$$\psi_r^{depth}(i) = |d_i^r - d_r|$$

Depth under event i Observed Depth

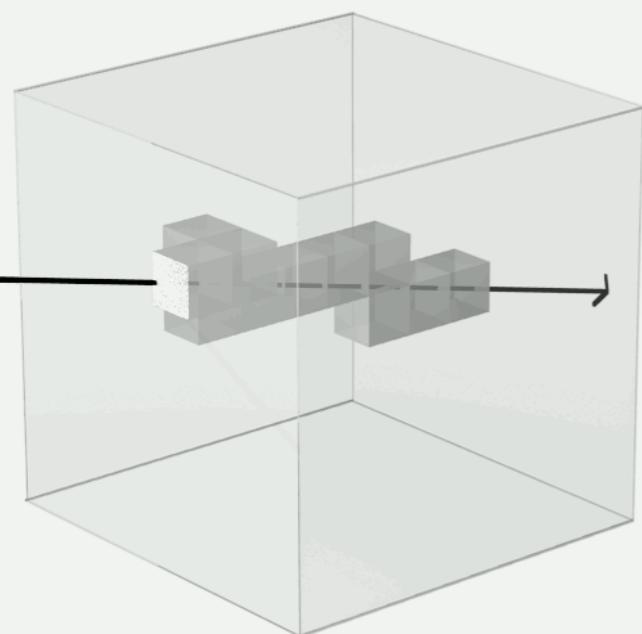
Event Costs



\mathbf{o}_r (Depth)



Event Costs

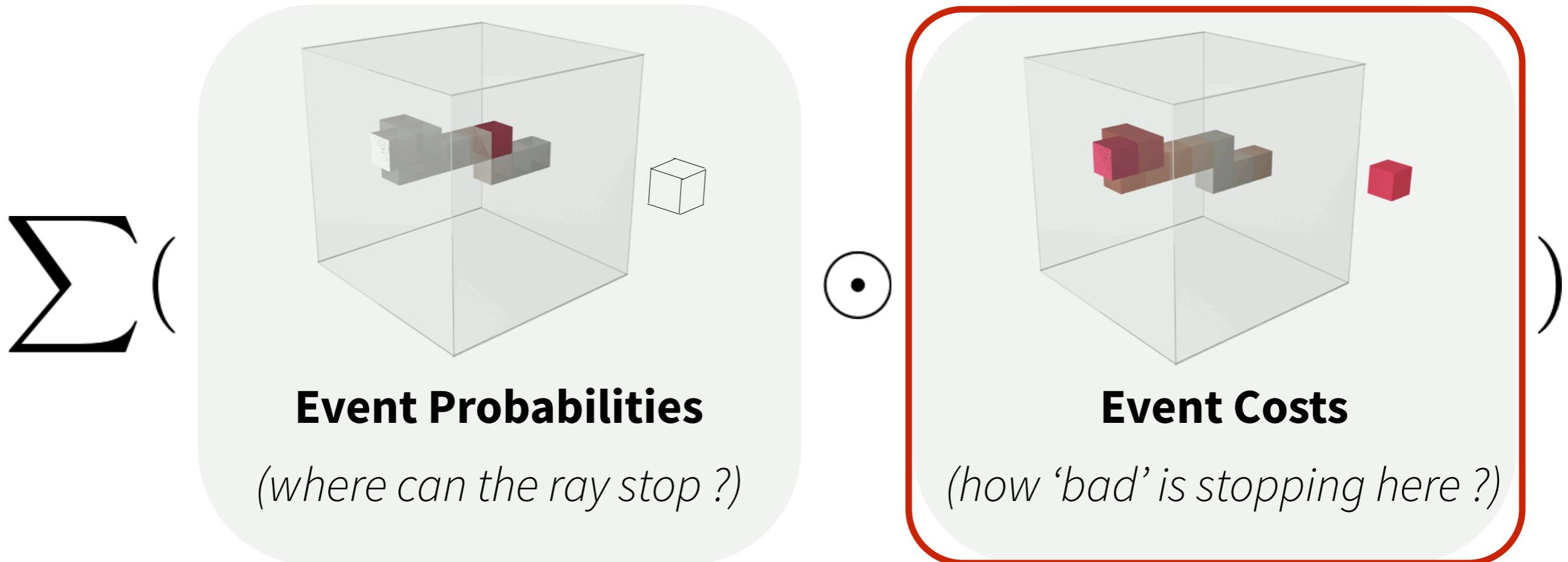
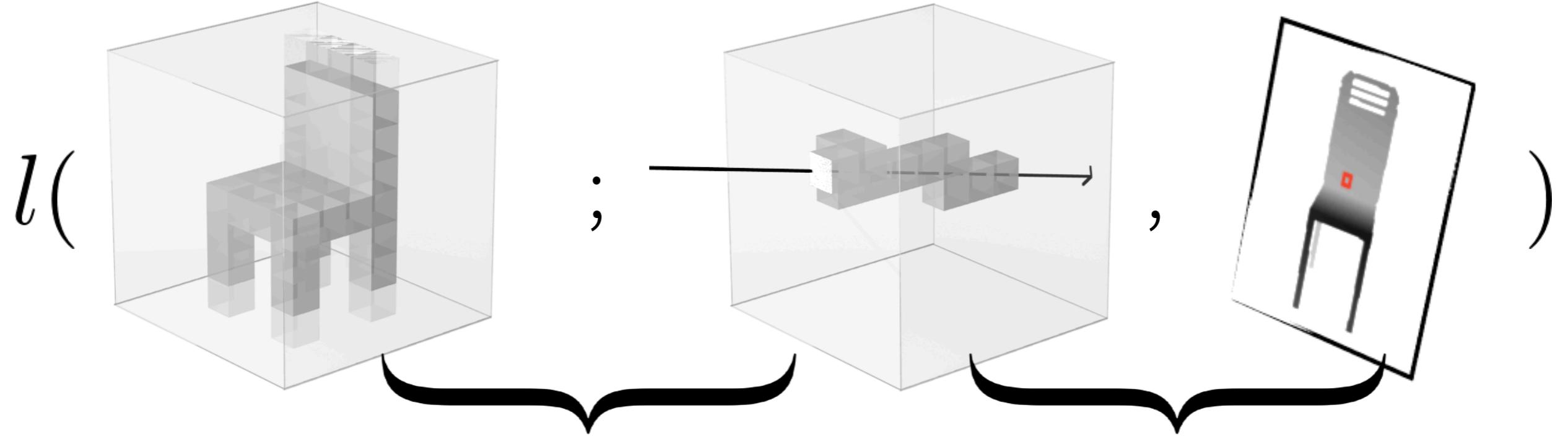


\mathbf{r}

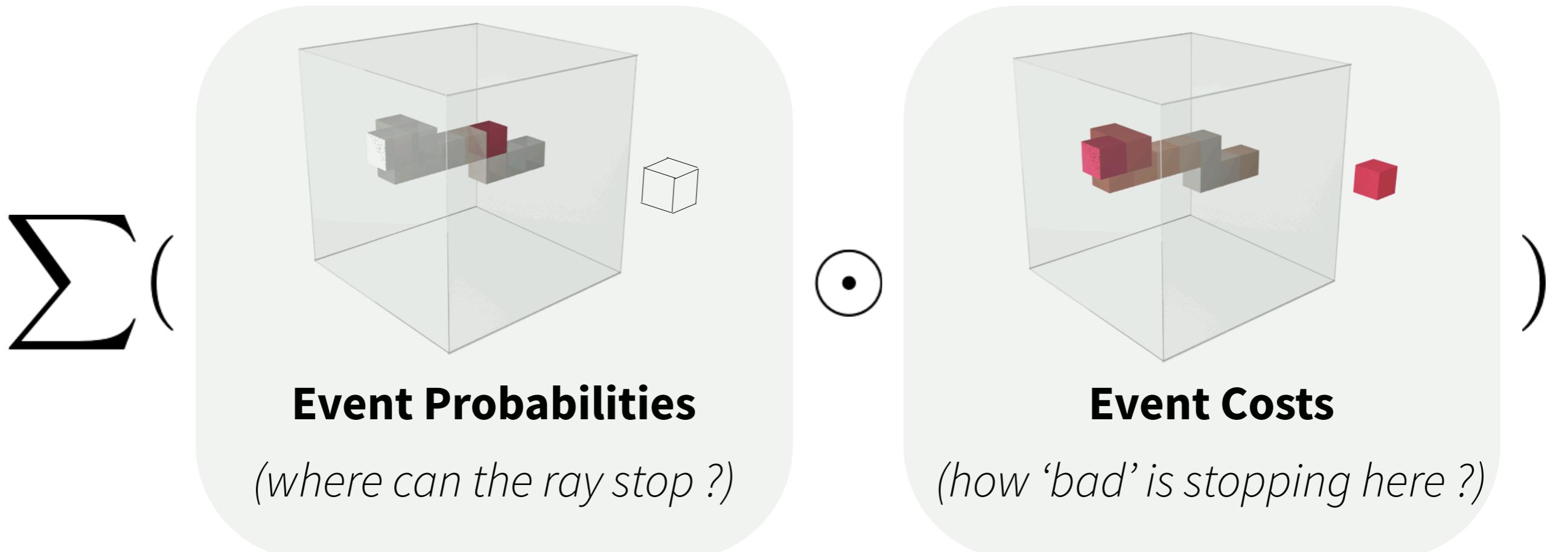
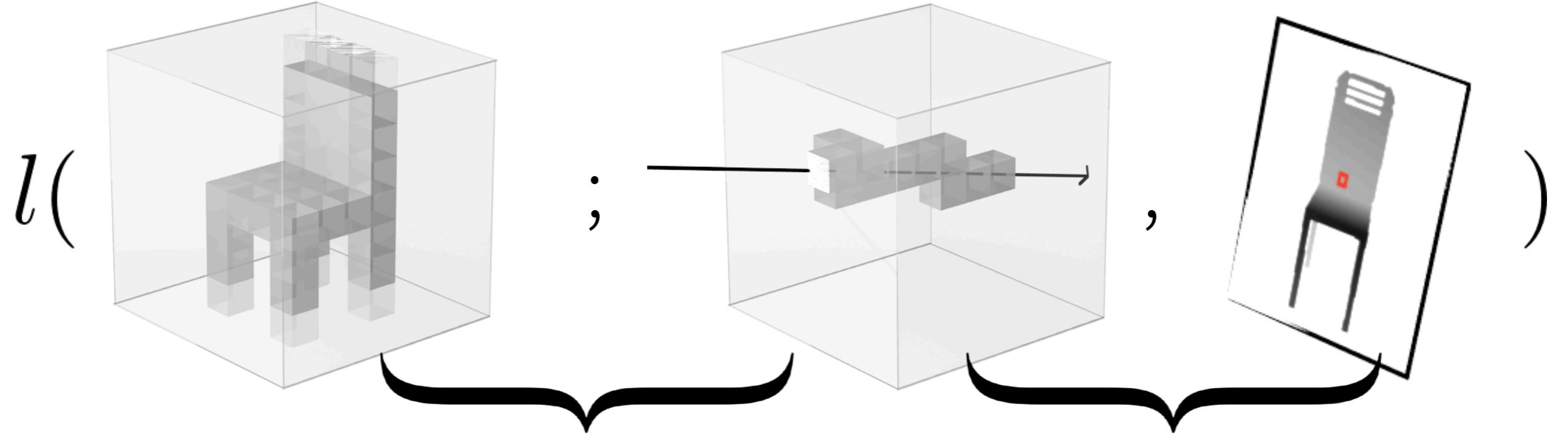
$$\psi_r^{depth}(i) = |d_i^r - d_r|$$

Depth under event i Observed Depth

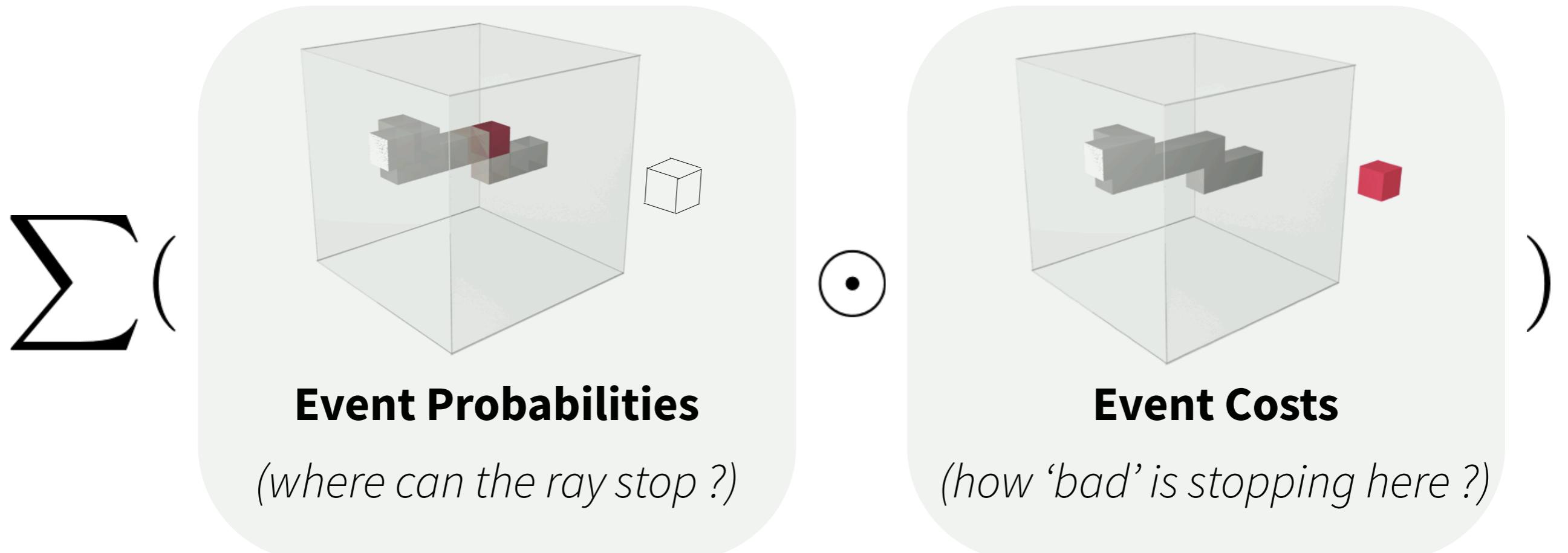
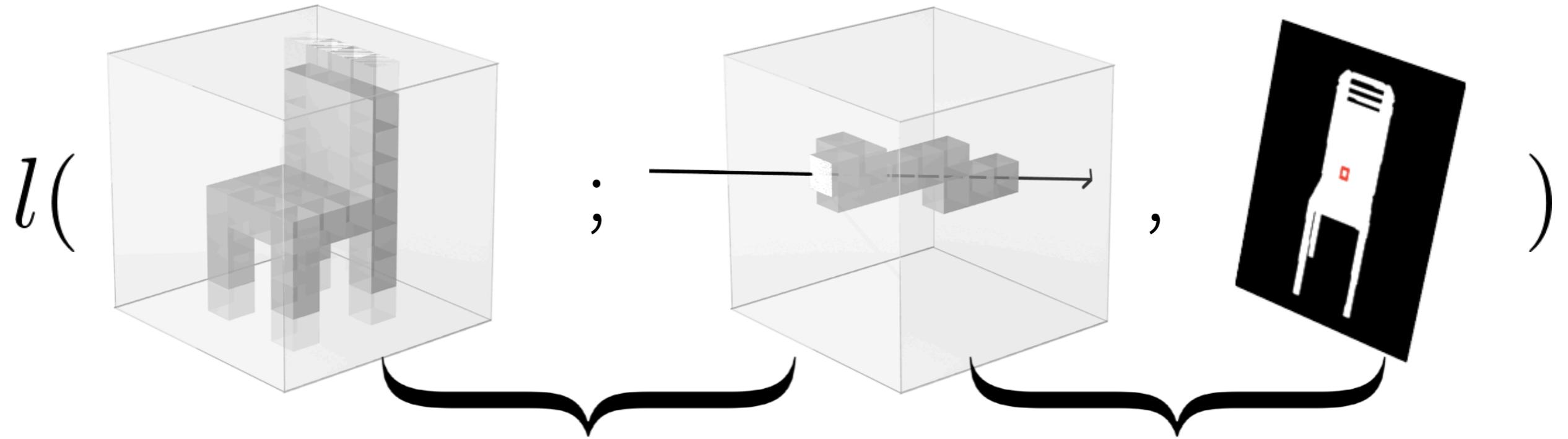
Differentiable Ray Consistency



Differentiable Ray Consistency



Mask Observation

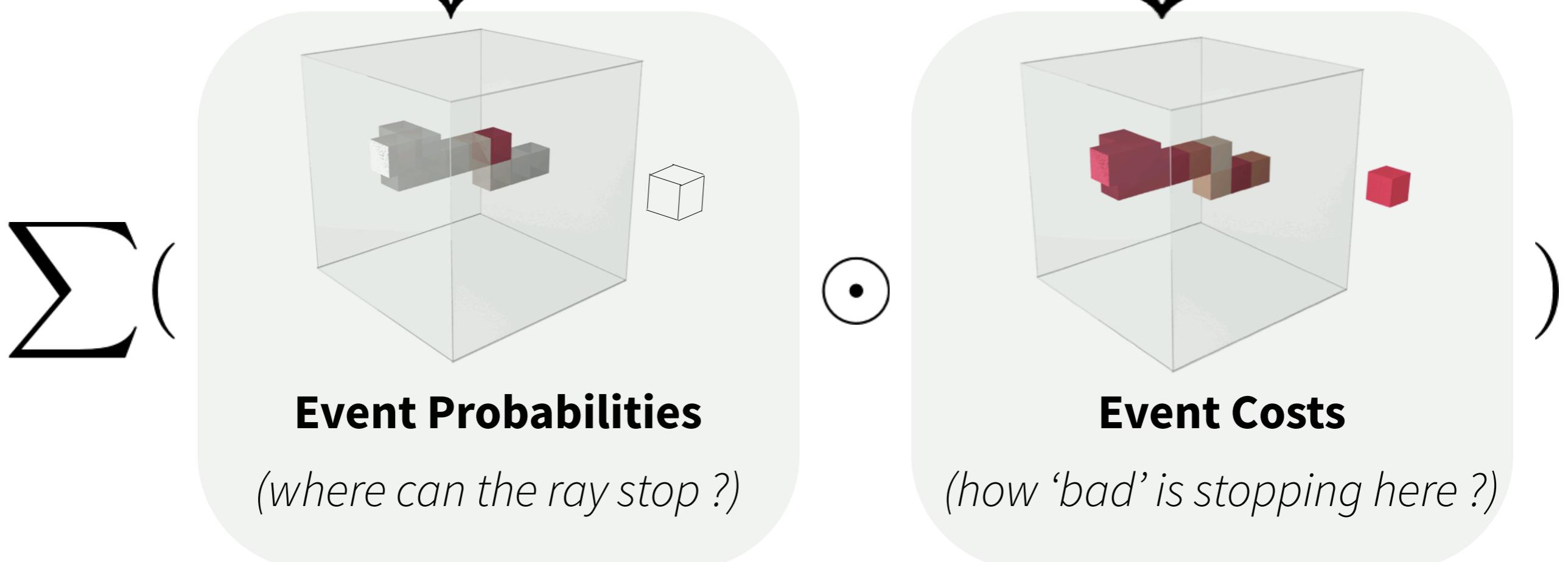
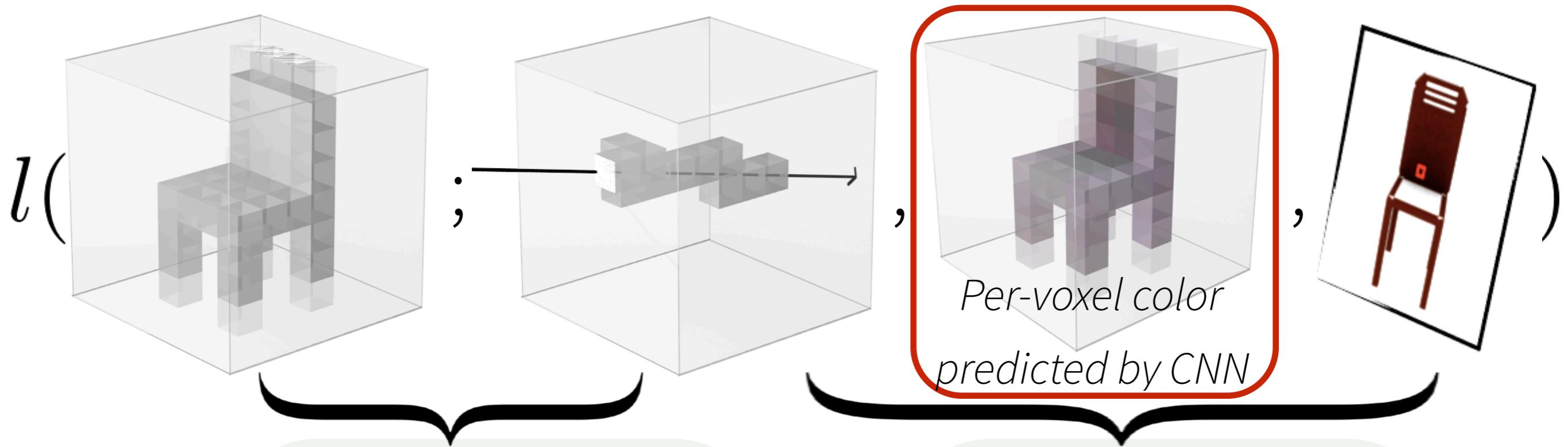


Color Observation

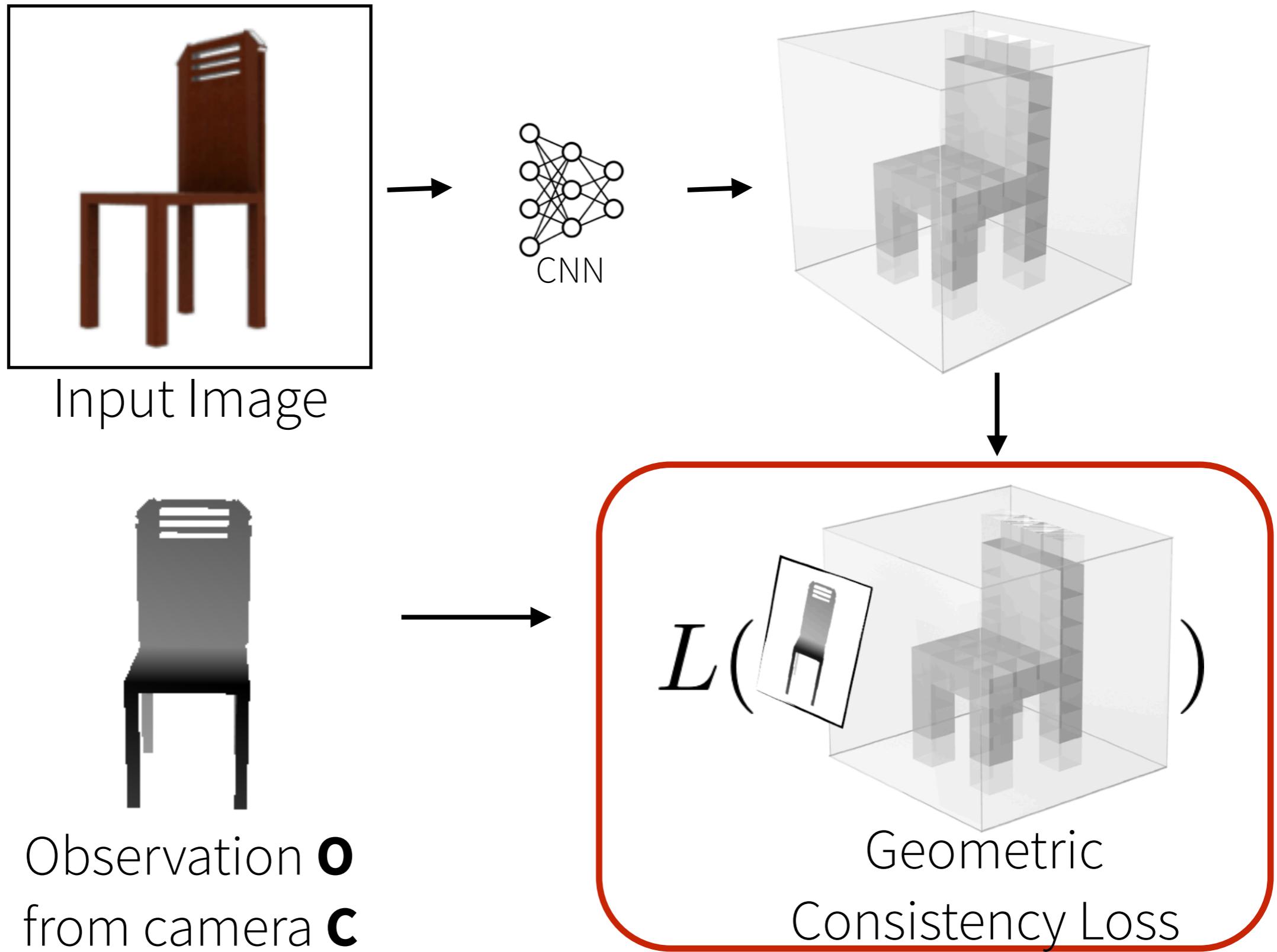
The diagram illustrates a sequence of operations on a 3D volume. It starts with a large 3D cube containing a grayscale 3D volume. This is followed by a sequence of operations: a vertical slice, a horizontal slice, a rotation, and finally a 2D projection onto a plane.

The diagram illustrates the calculation of event probabilities and costs in a 3D space. On the left, a large summation symbol (\sum) is followed by an open parenthesis. Inside this parenthesis is a 3D cube containing several gray and red cubes representing obstacles. A small white cube is shown outside the main cube. Below this is the text "Event Probabilities" and the question "(where can the ray stop ?)". To the right of the parenthesis is a dot inside a circle, followed by a closing parenthesis. Inside this parenthesis is another 3D cube containing red and brown cubes, with a single red cube shown outside. Below this is the text "Event Costs" and the question "(how 'bad' is stopping here ?)". The entire diagram is set against a light gray background.

Color Observation



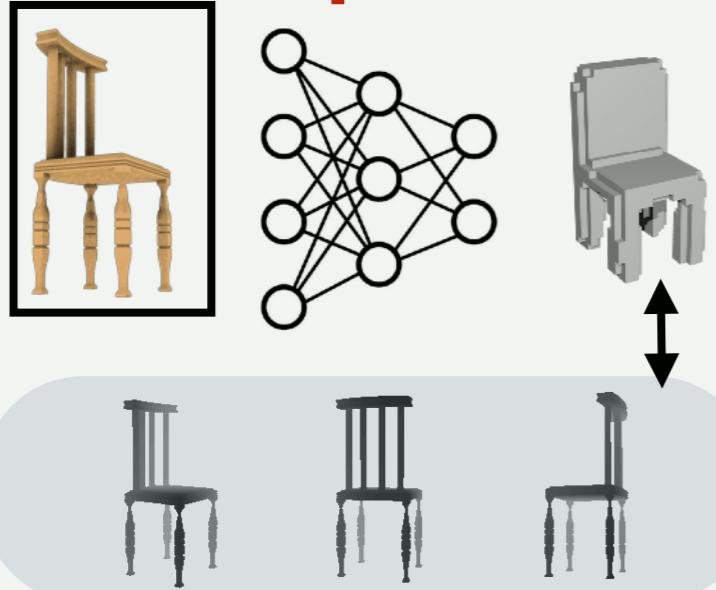
Learning via Geometric Consistency



Learning Single-view Reconstruction

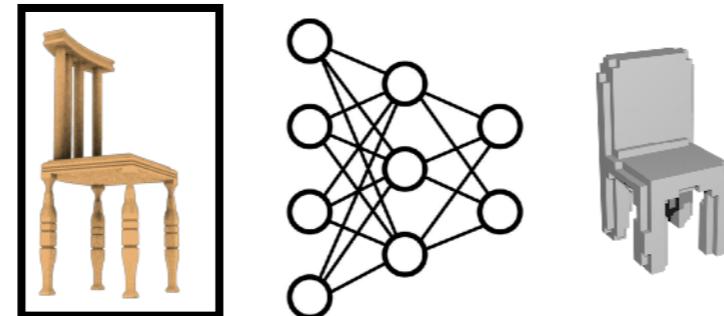
Learning Single-view Reconstruction

ShapeNet



Supervision : Pose + Depth/Mask

Experiments - ShapeNet



Input



GT



DRC
(Mask)

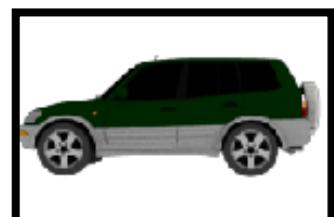
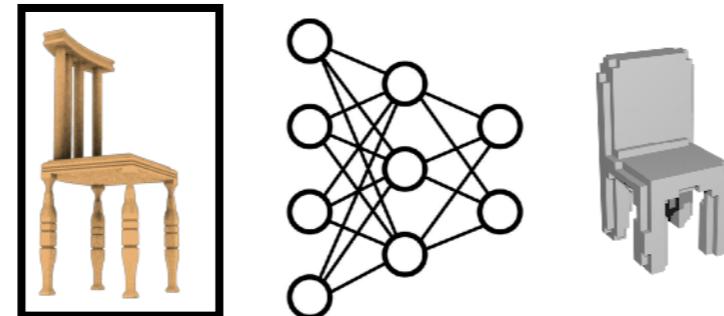


DRC
(Depth)



3D
Supervision

Experiments - ShapeNet



Input



GT



DRC
(Mask)

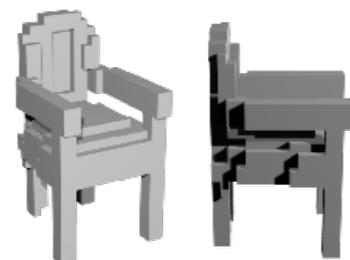
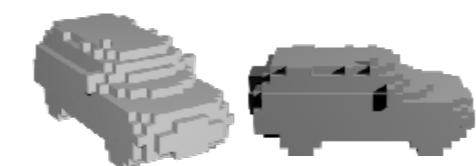
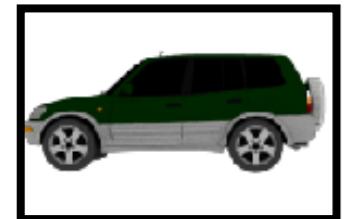
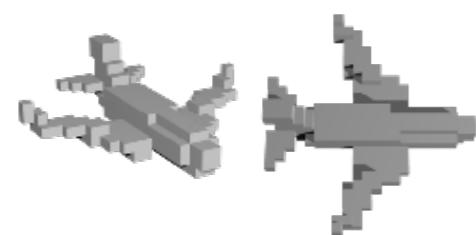
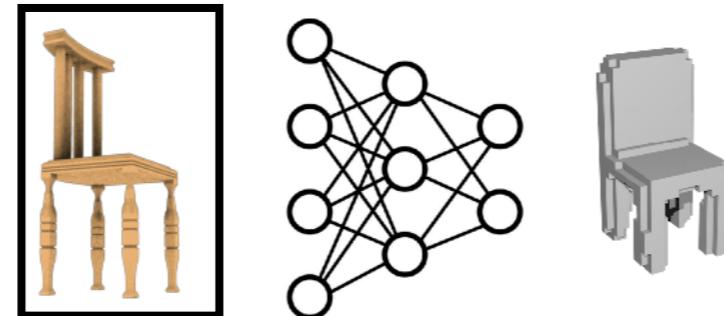


DRC
(Depth)



3D
Supervision

Experiments - ShapeNet



Input

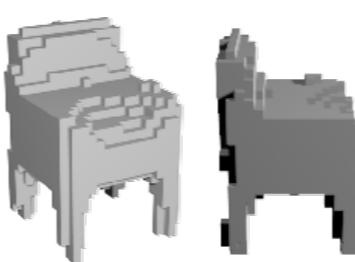
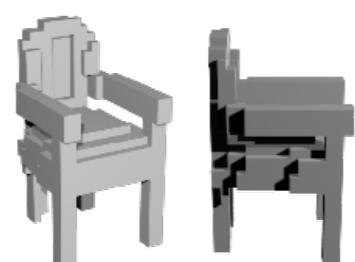
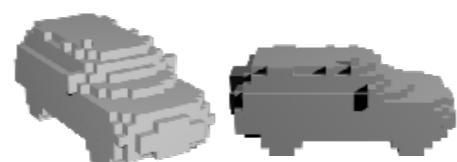
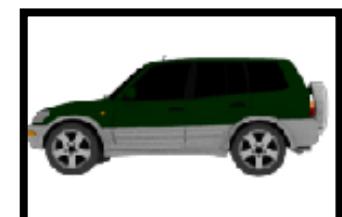
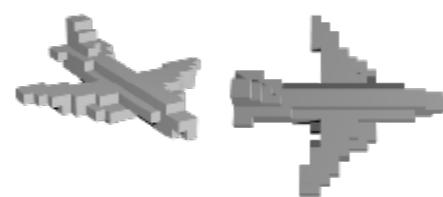
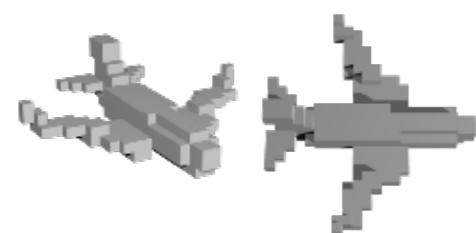
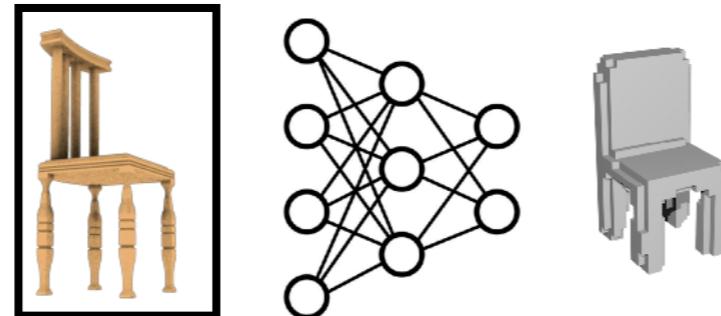
GT

DRC
(Mask)

DRC
(Depth)

3D
Supervision

Experiments - ShapeNet



Input

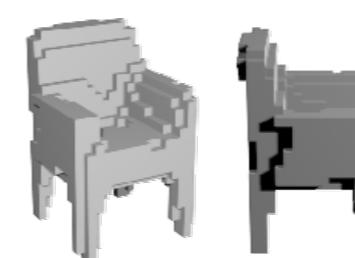
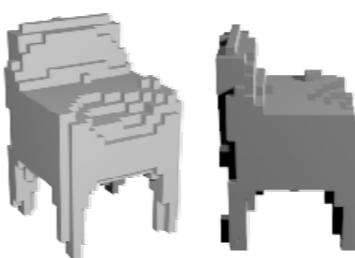
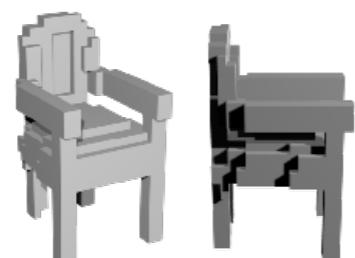
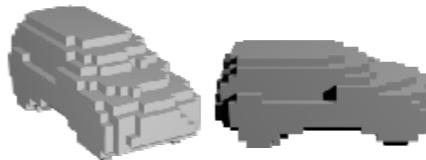
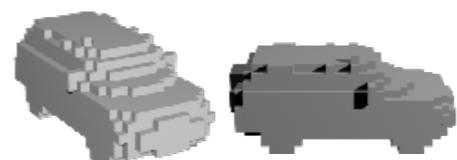
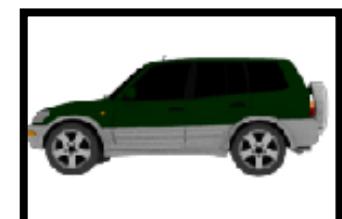
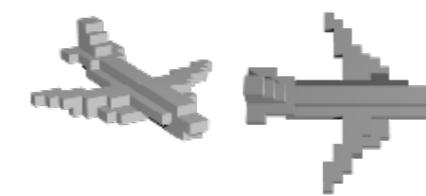
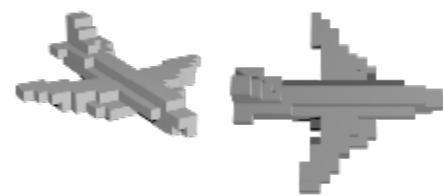
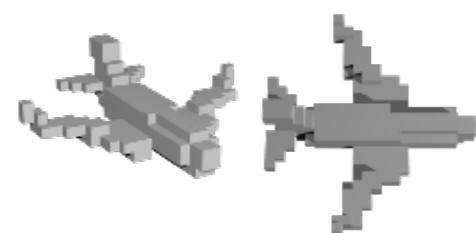
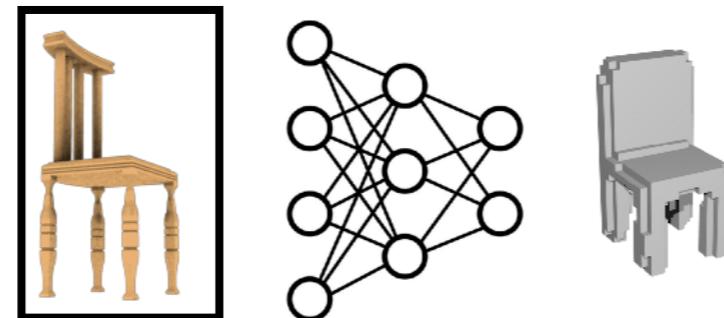
GT

DRC
(Mask)

DRC
(Depth)

3D
Supervision

Experiments - ShapeNet



Input

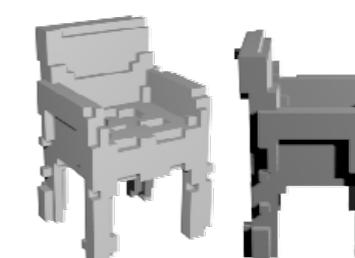
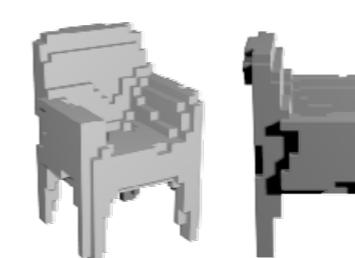
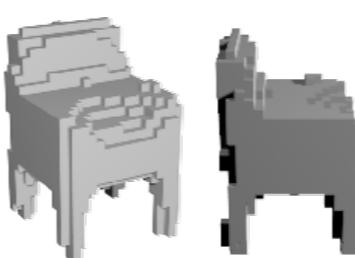
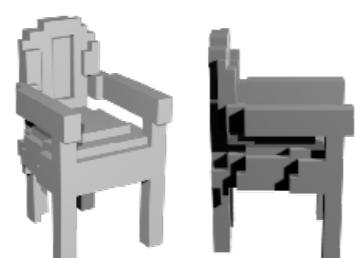
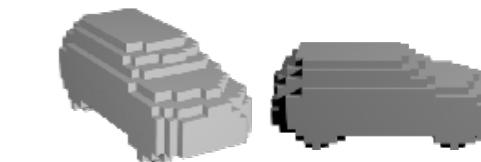
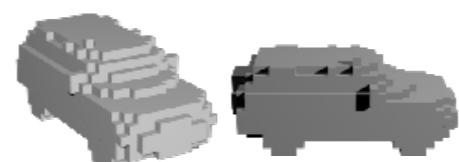
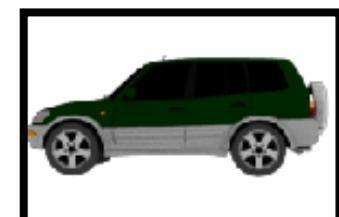
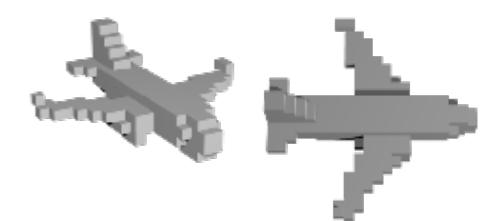
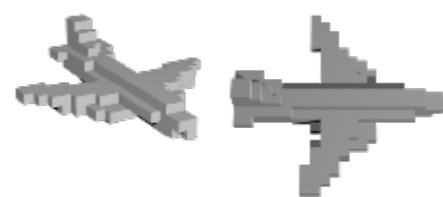
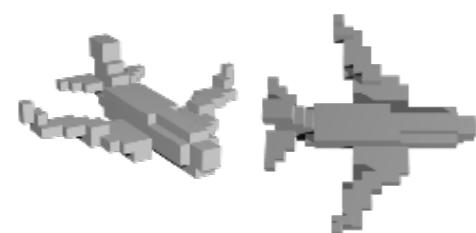
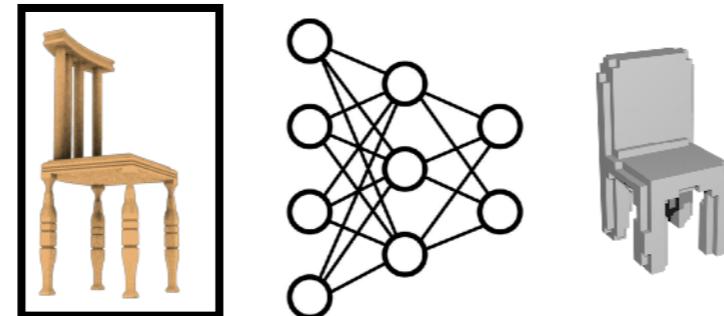
GT

DRC
(Mask)

DRC
(Depth)

3D
Supervision

Experiments - ShapeNet



Input

GT

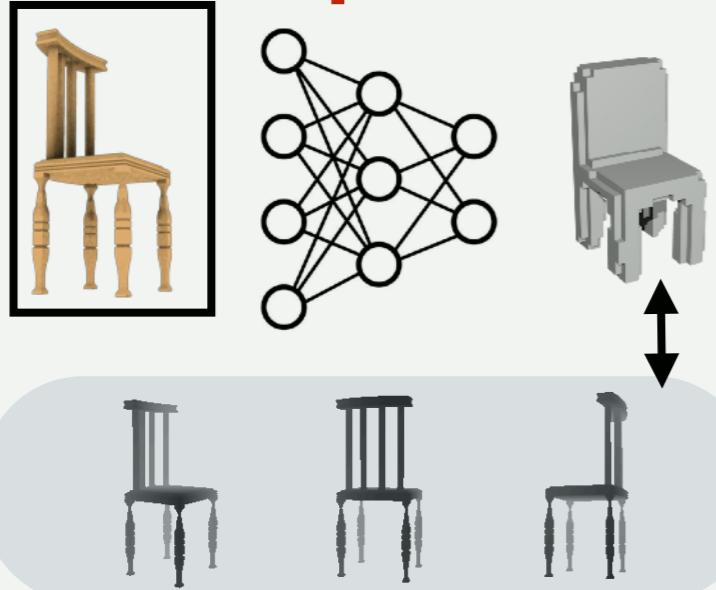
DRC
(Mask)

DRC
(Depth)

3D
Supervision

Learning Single-view Reconstruction

ShapeNet



Supervision : Pose + Depth/Mask

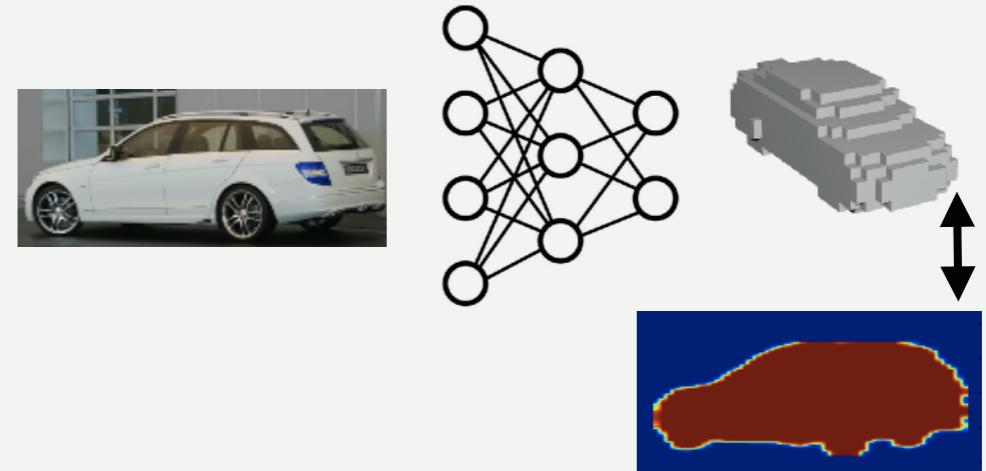
Learning Single-view Reconstruction

ShapeNet



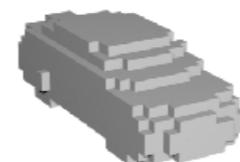
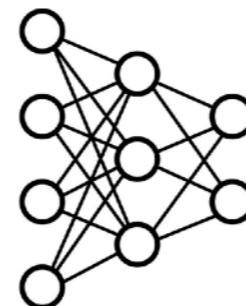
Supervision : Pose + Depth/Mask

PASCAL VOC



Supervision : Pose + Mask

Experiments - PASCAL VOC



Input

CSDM
(Kar et. al.)

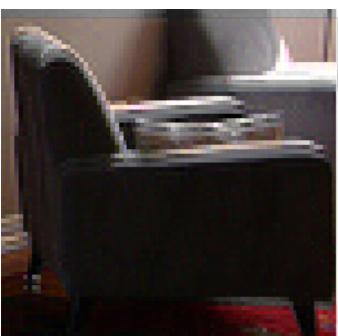
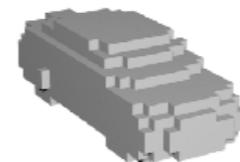
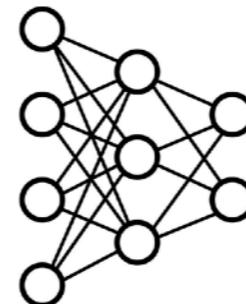
DRC
(Pascal)

SNet 3D

DRC
(Joint)

'Ground-
Truth'

Experiments - PASCAL VOC



Input

CSDM
(Kar et. al.)

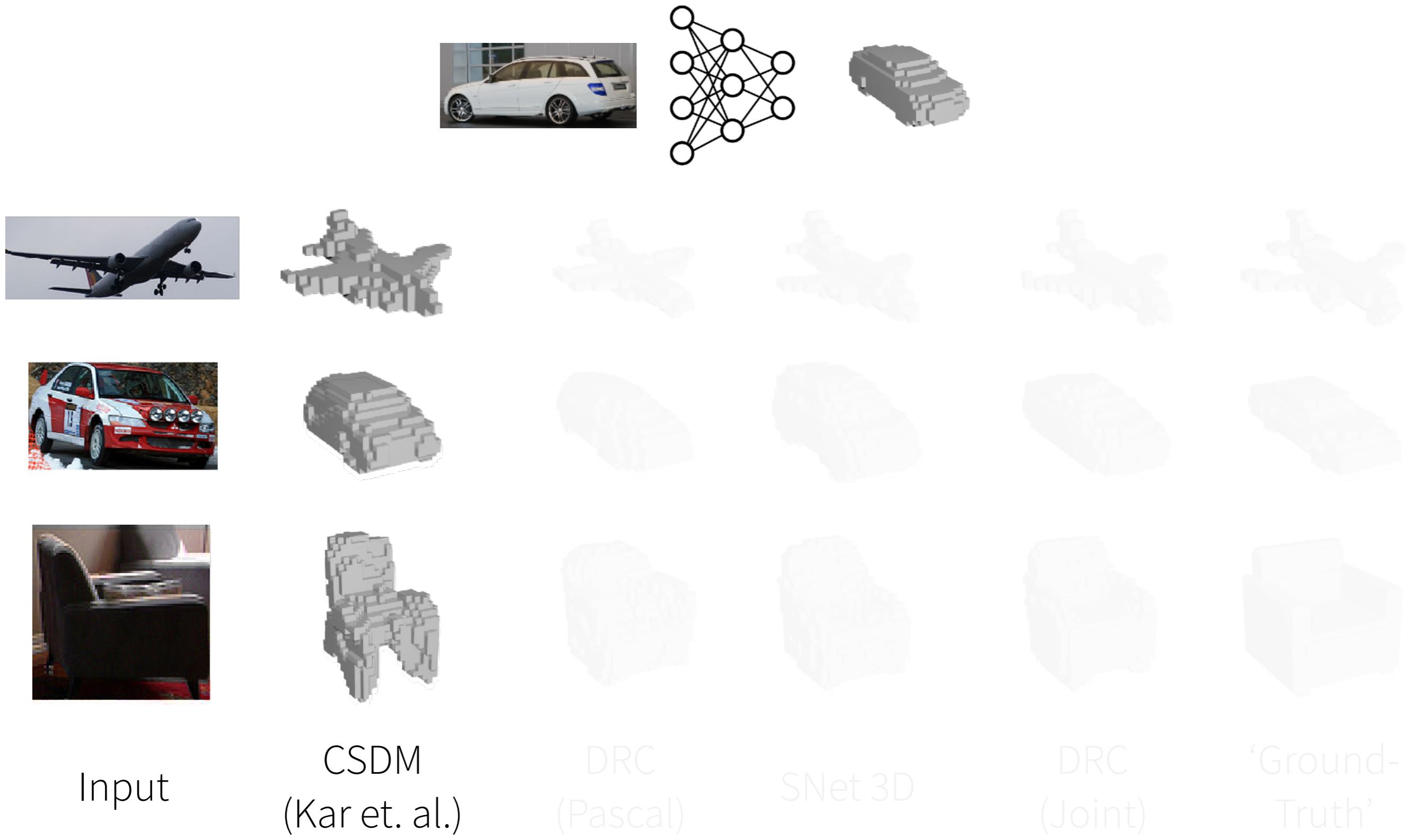
DRC
(Pascal)

SNet 3D

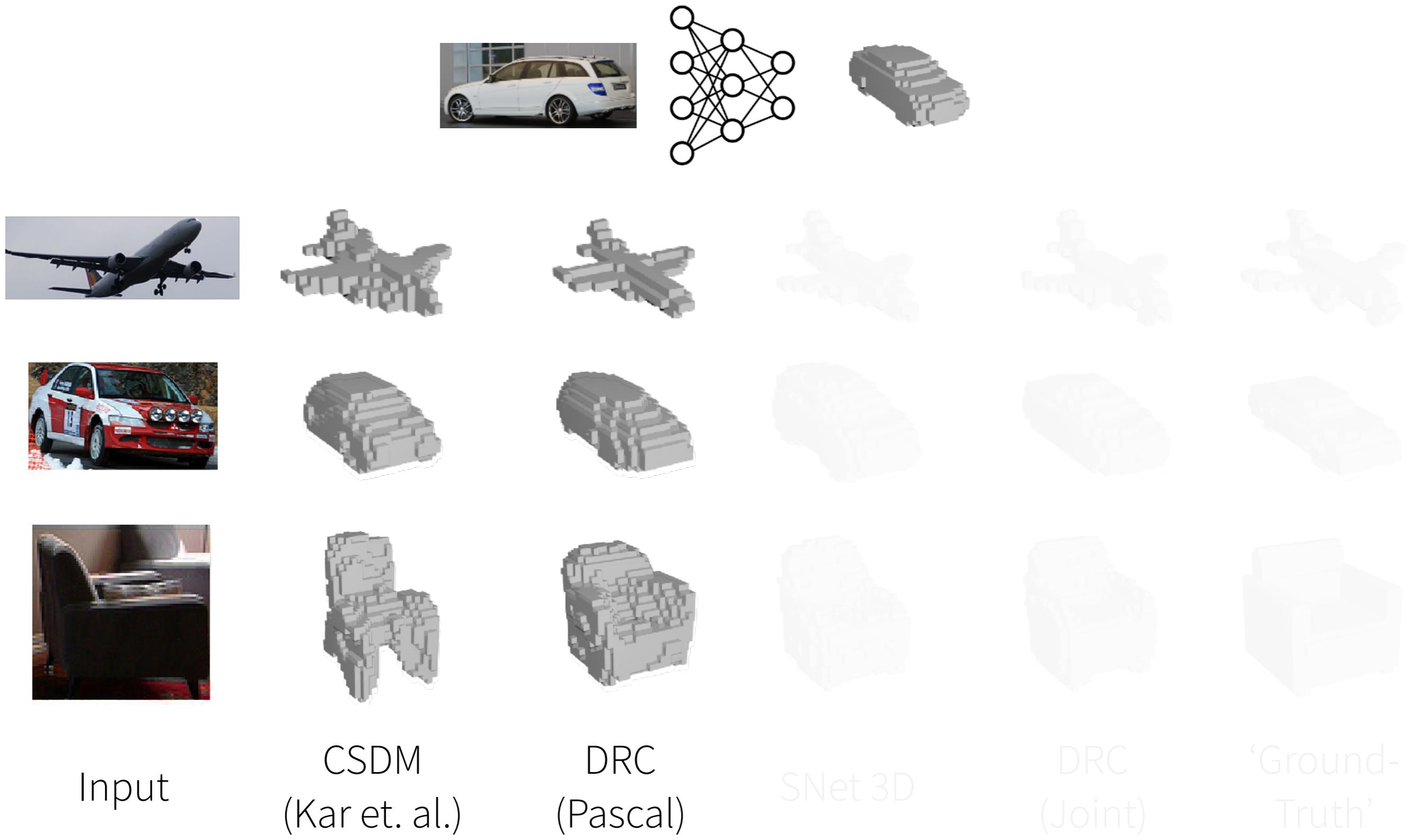
DRC
(Joint)

'Ground-
Truth'

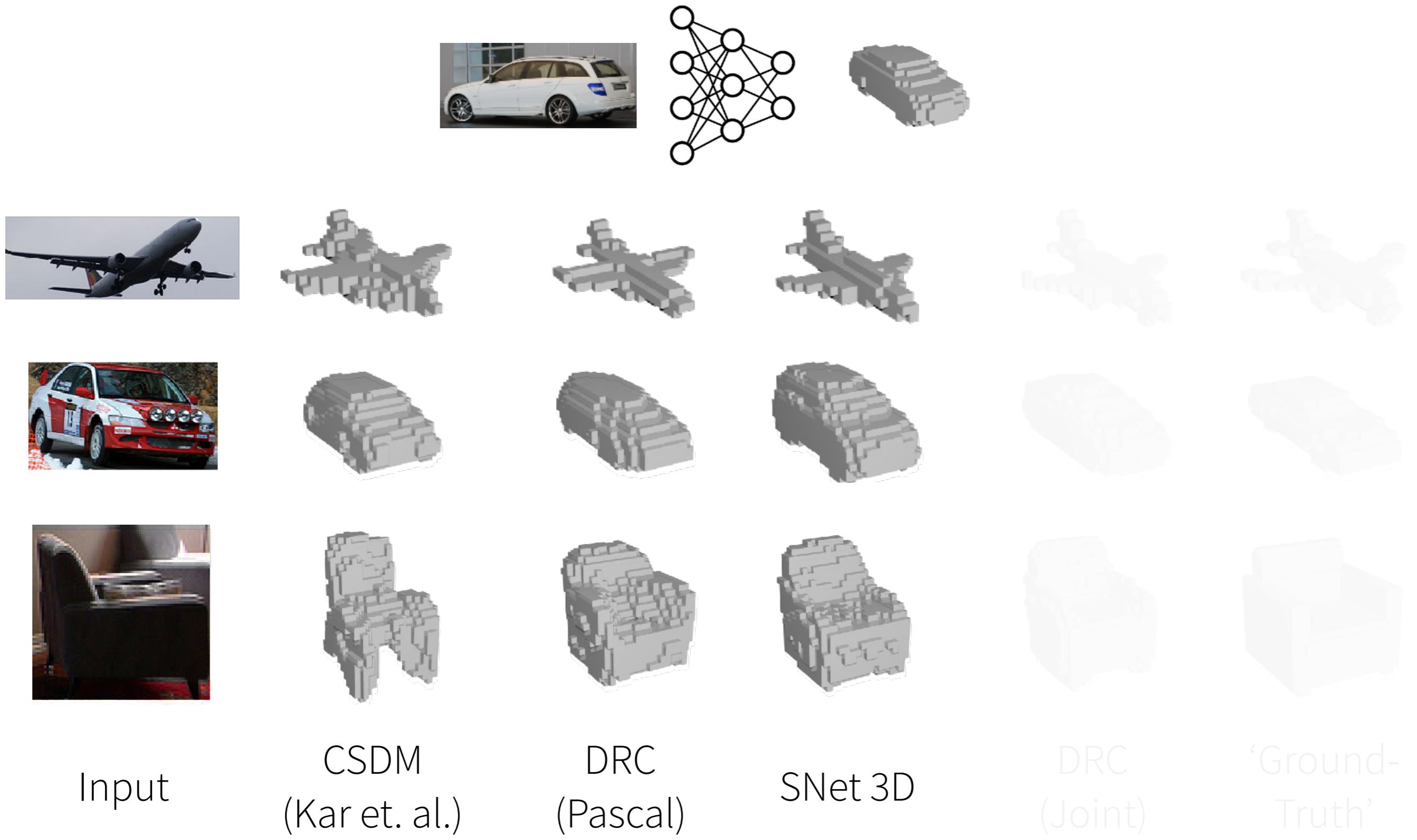
Experiments - PASCAL VOC



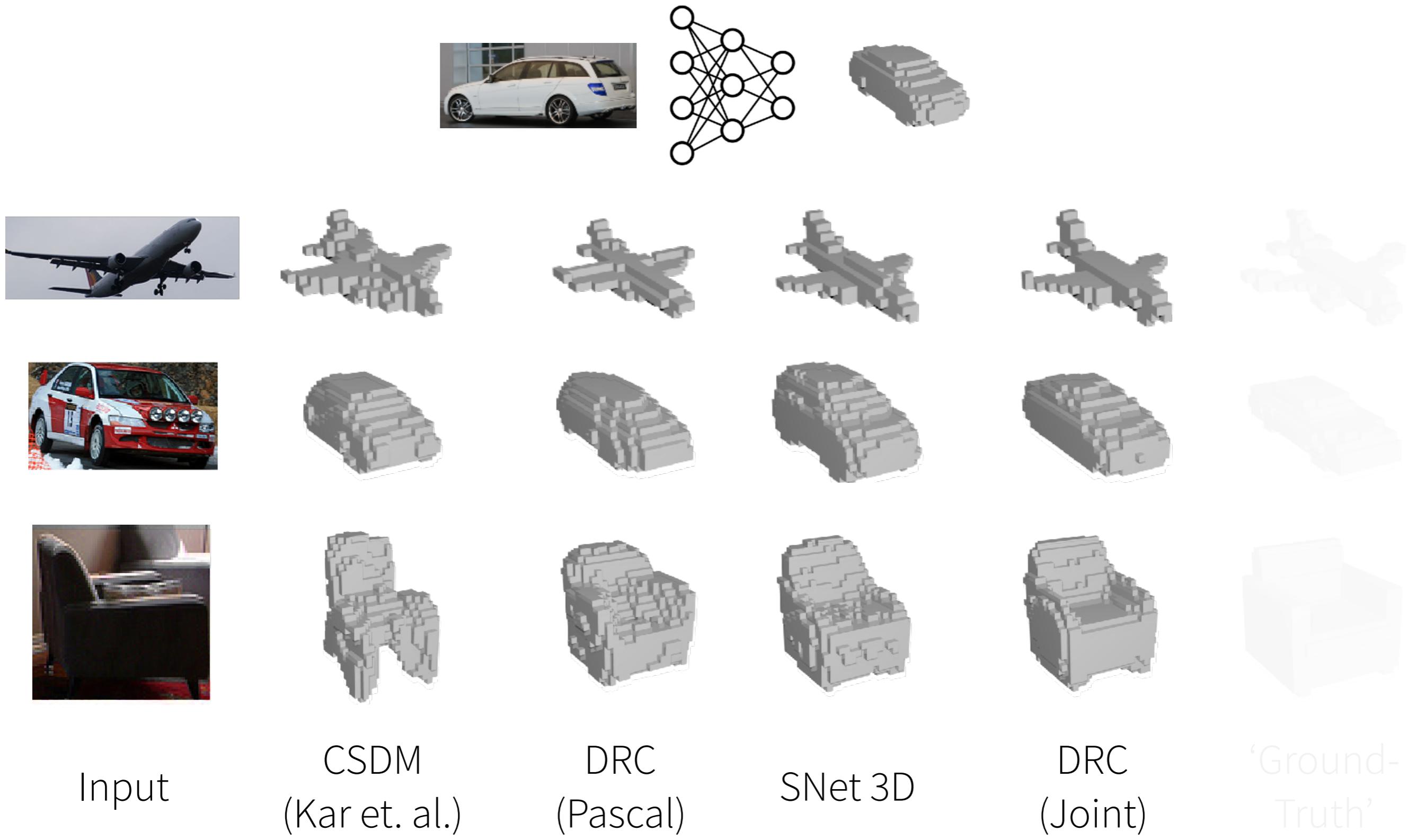
Experiments - PASCAL VOC



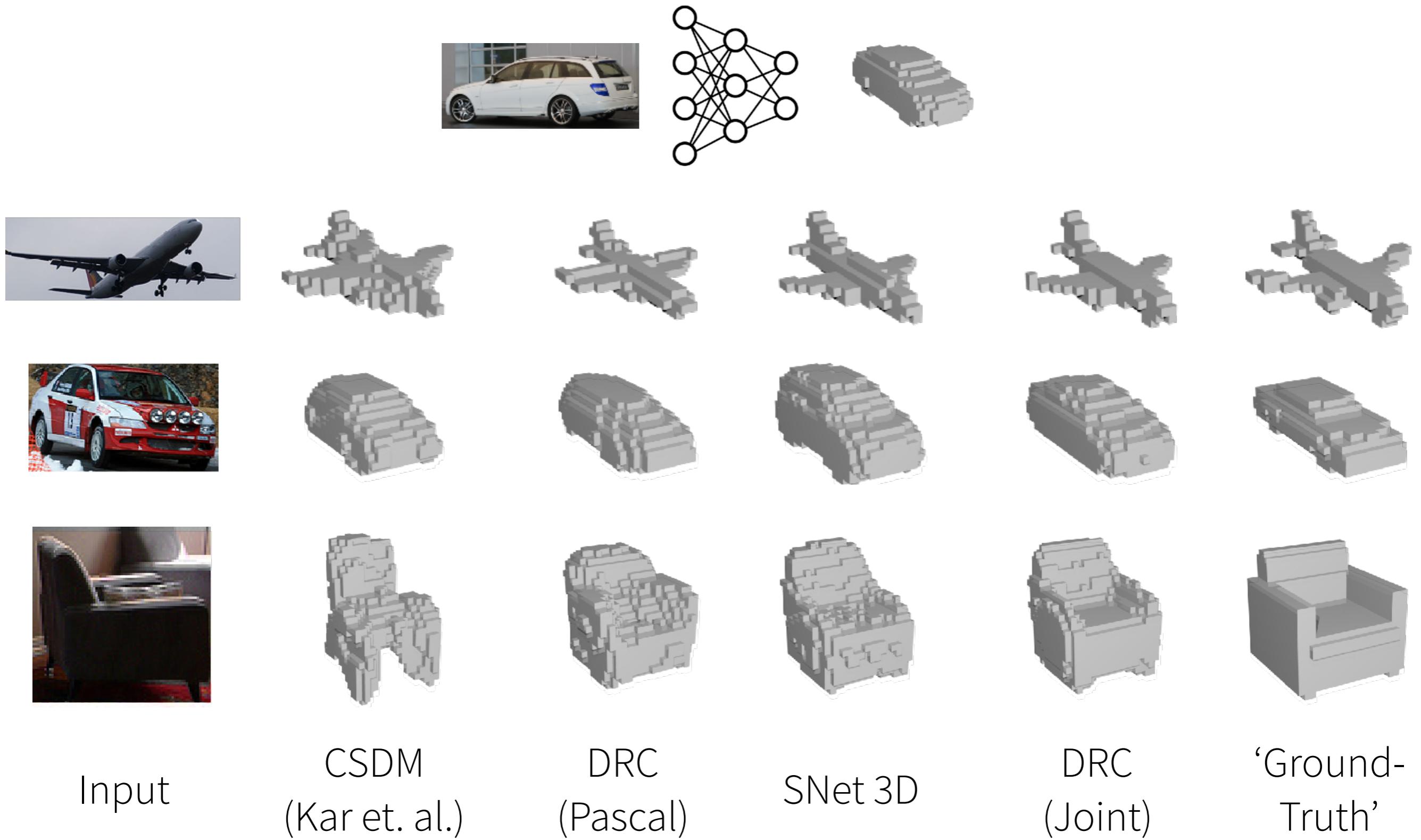
Experiments - PASCAL VOC



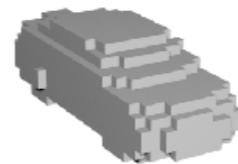
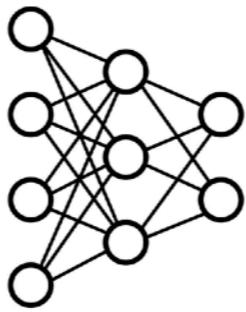
Experiments - PASCAL VOC



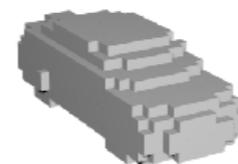
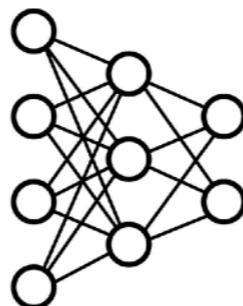
Experiments - PASCAL VOC



Experiments - PASCAL VOC

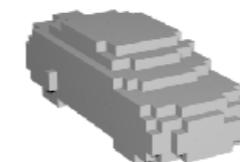
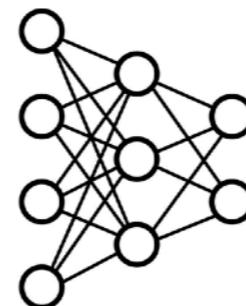


Experiments - PASCAL VOC



Input

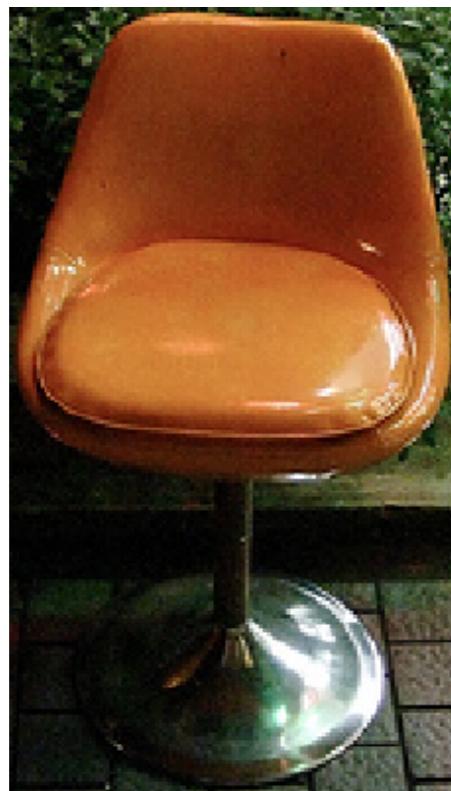
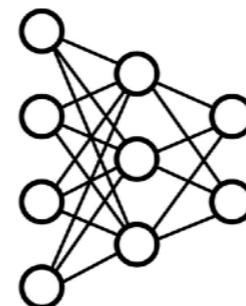
Experiments - PASCAL VOC



Input

Prediction

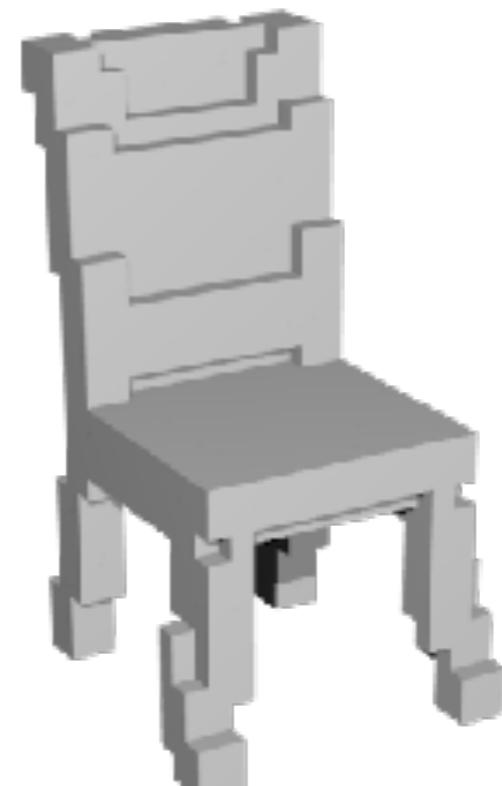
Experiments - PASCAL VOC



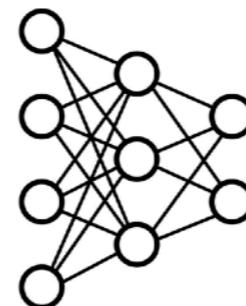
Input

Prediction

'Ground-truth'

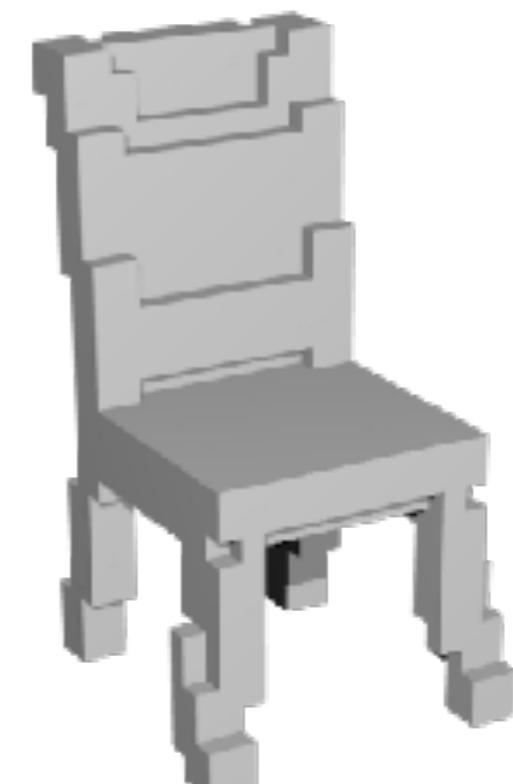


Experiments - PASCAL VOC



Input

Prediction



'Ground-truth'

Collecting 'ground-truth' 3D is hard !

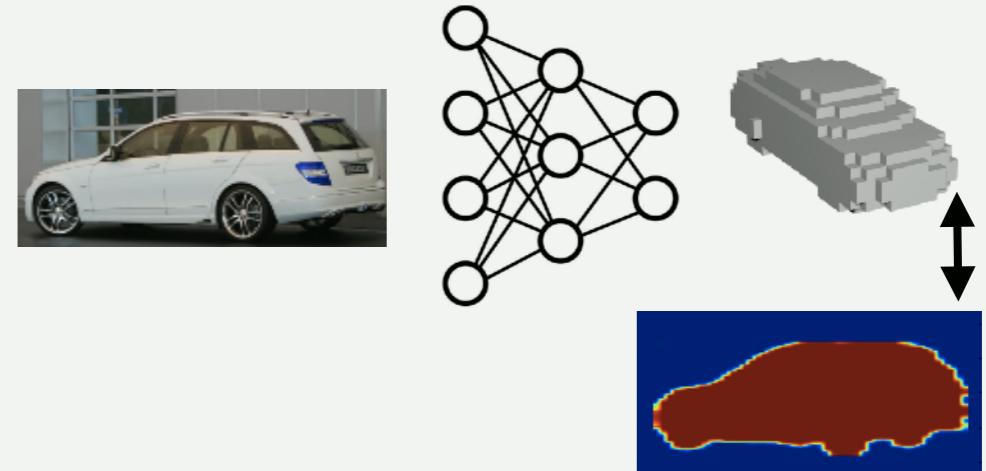
Learning Single-view Reconstruction

ShapeNet



Supervision : Pose + Depth/Mask

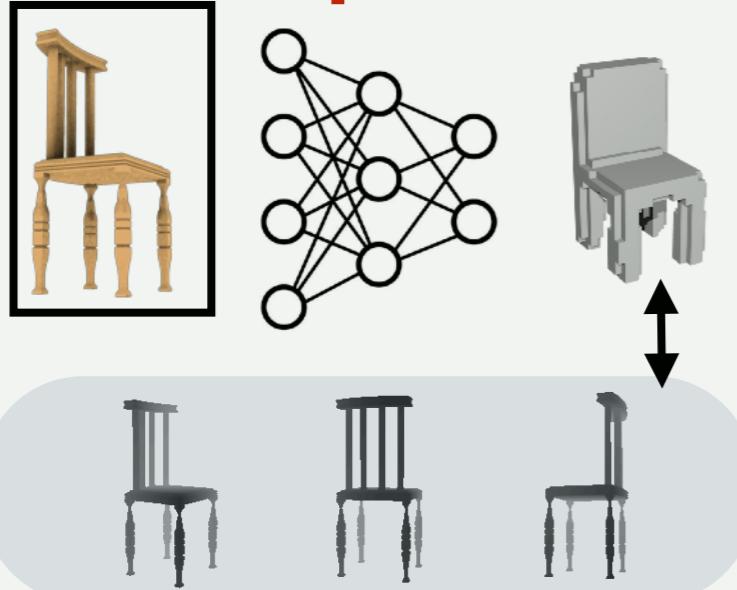
PASCAL VOC



Supervision : Pose + Mask

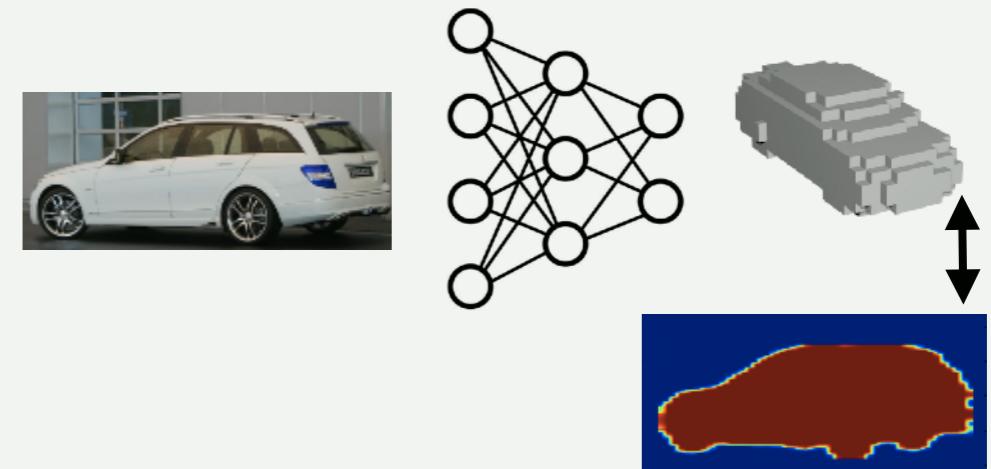
Learning Single-view Reconstruction

ShapeNet



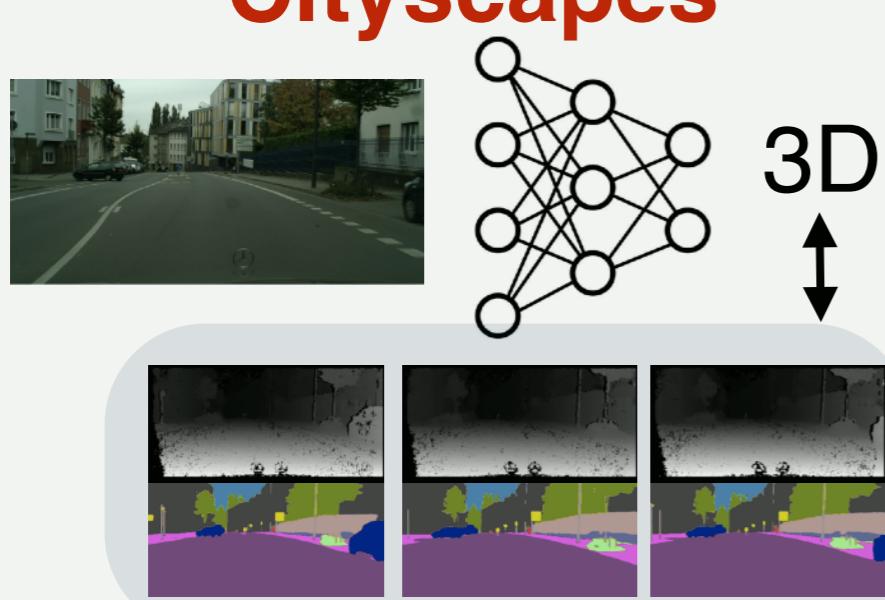
Supervision : Pose + Depth/Mask

PASCAL VOC



Supervision : Pose + Mask

Cityscapes



Supervision : Ego-motion,
Depth, Semantics

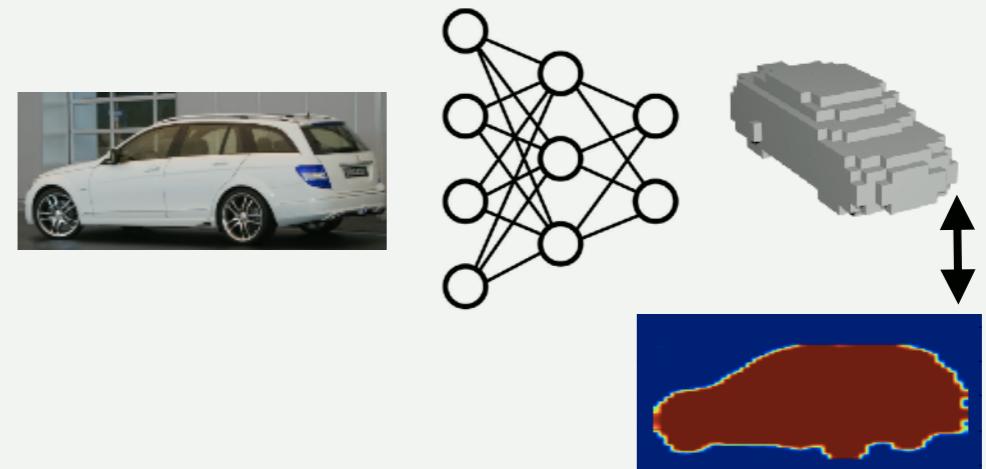
Learning Single-view Reconstruction

ShapeNet



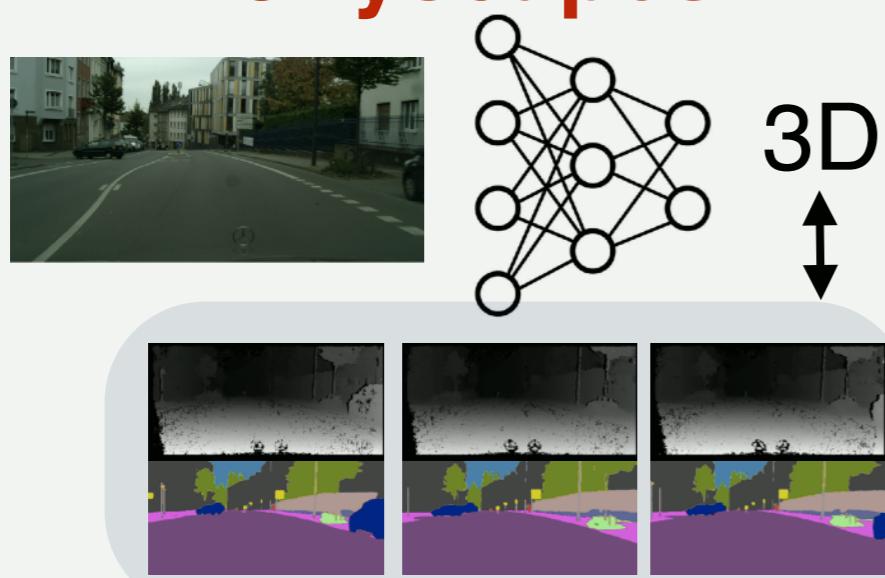
Supervision : Pose + Depth/Mask

PASCAL VOC



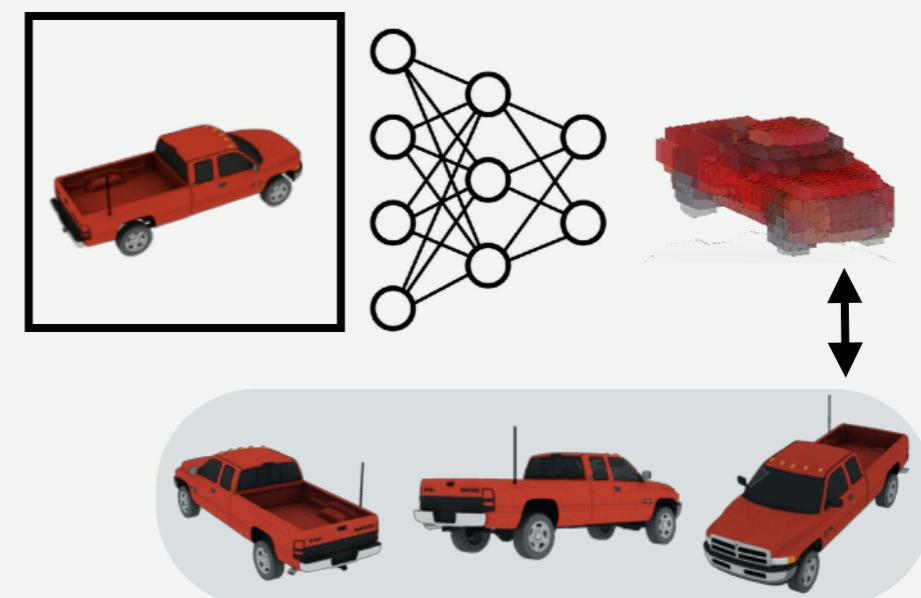
Supervision : Pose + Mask

Cityscapes



Supervision : Ego-motion,
Depth, Semantics

ShapeNet (color supervised)

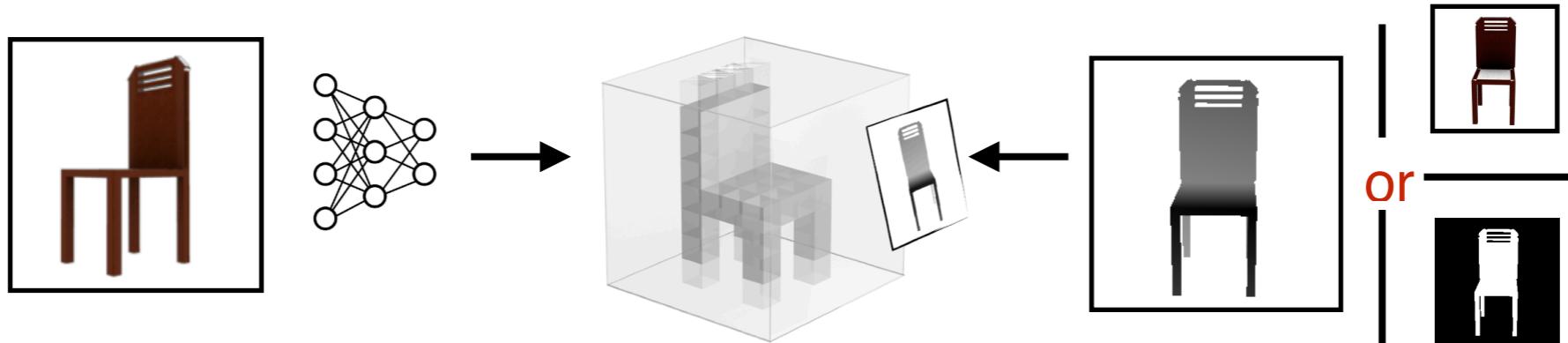


Supervision : Pose + RGB

Conclusion

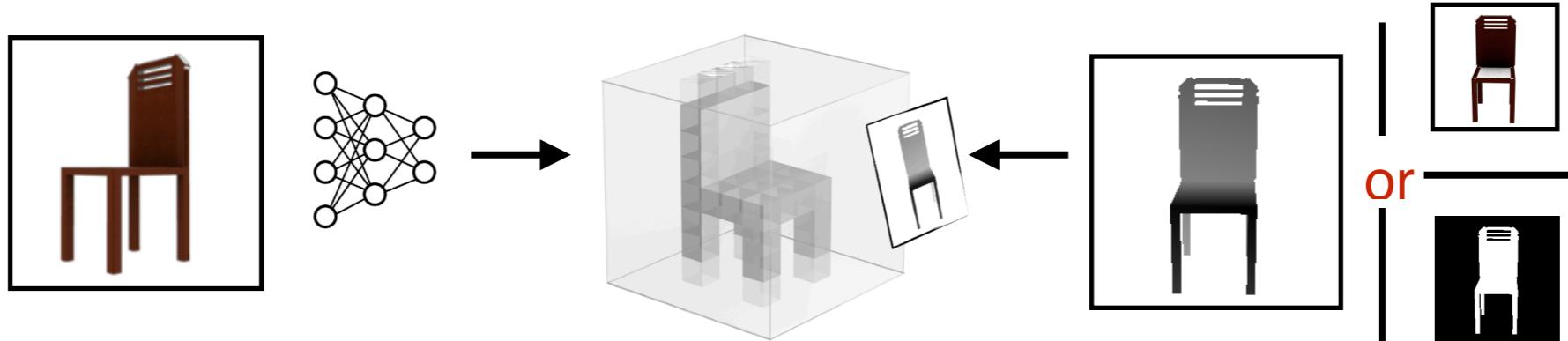
Conclusion

- Learning 3D via Geometric Consistency



Conclusion

- Learning 3D via Geometric Consistency



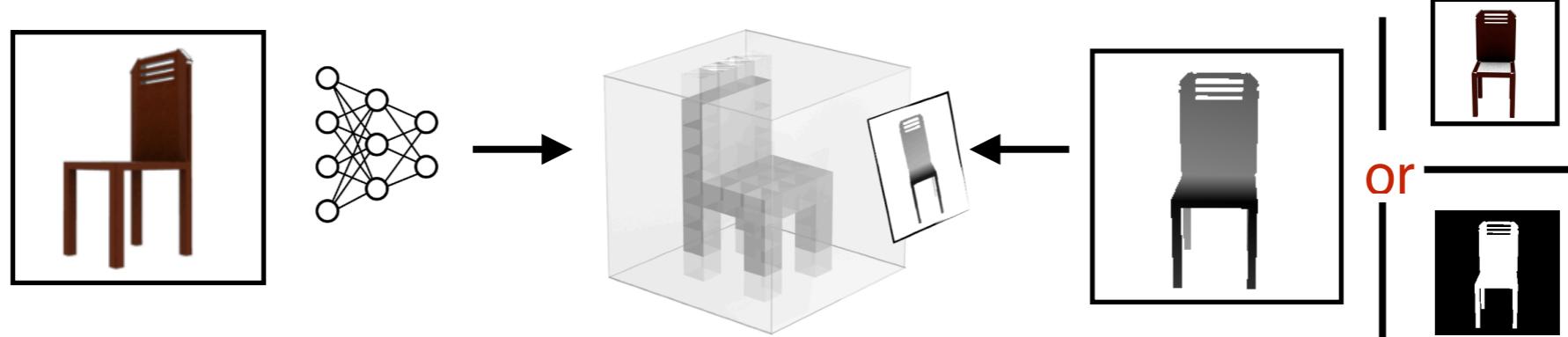
- Differentiable Ray Consistency Formulation

$$l(\quad) \equiv \sum(\quad \text{Event Probabilities} \quad \odot \quad \text{Event Costs} \quad)$$

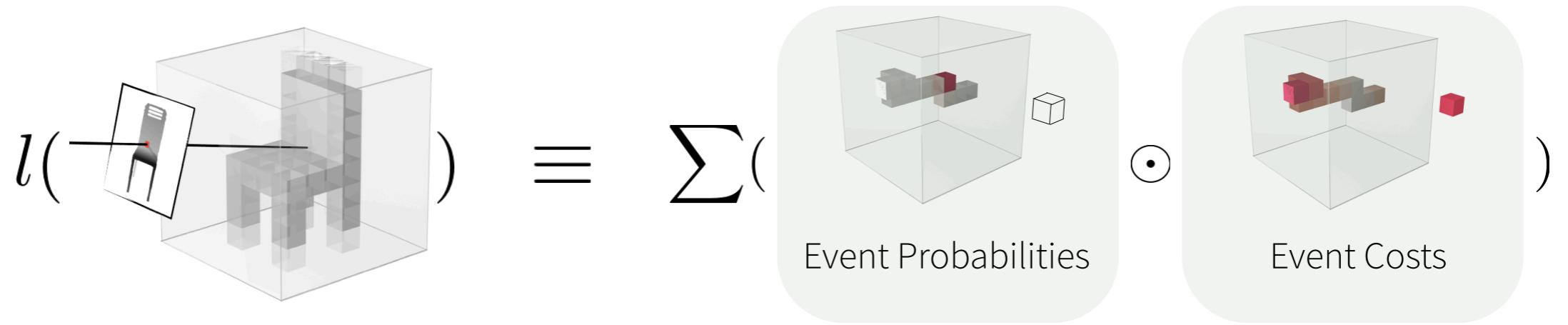
The equation illustrates the formulation of ray consistency. It shows a function l taking a ray through a 3D volume as input, resulting in a loss value. This is equivalent to summing two terms: the first term is the product of event probabilities (represented by a gray cube in a bounding box) and event costs (represented by a red cube in a bounding box). The second term is also a product of event probabilities and event costs, indicated by a second \odot symbol.

Conclusion

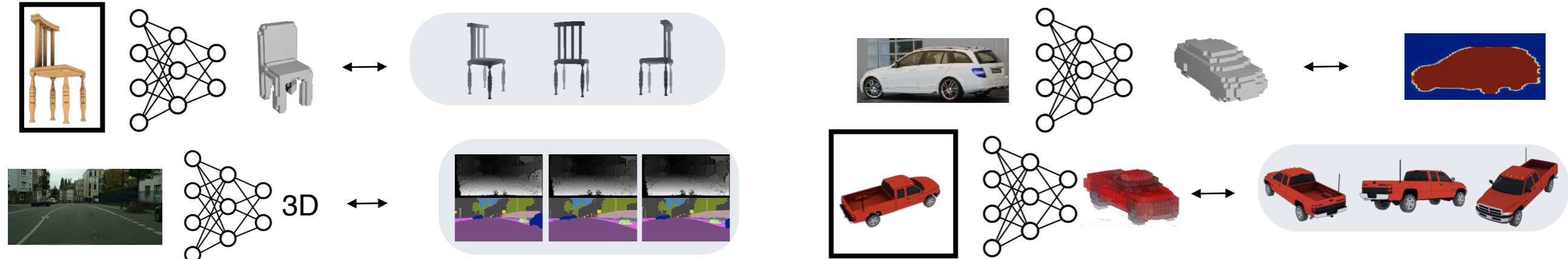
- Learning 3D via Geometric Consistency



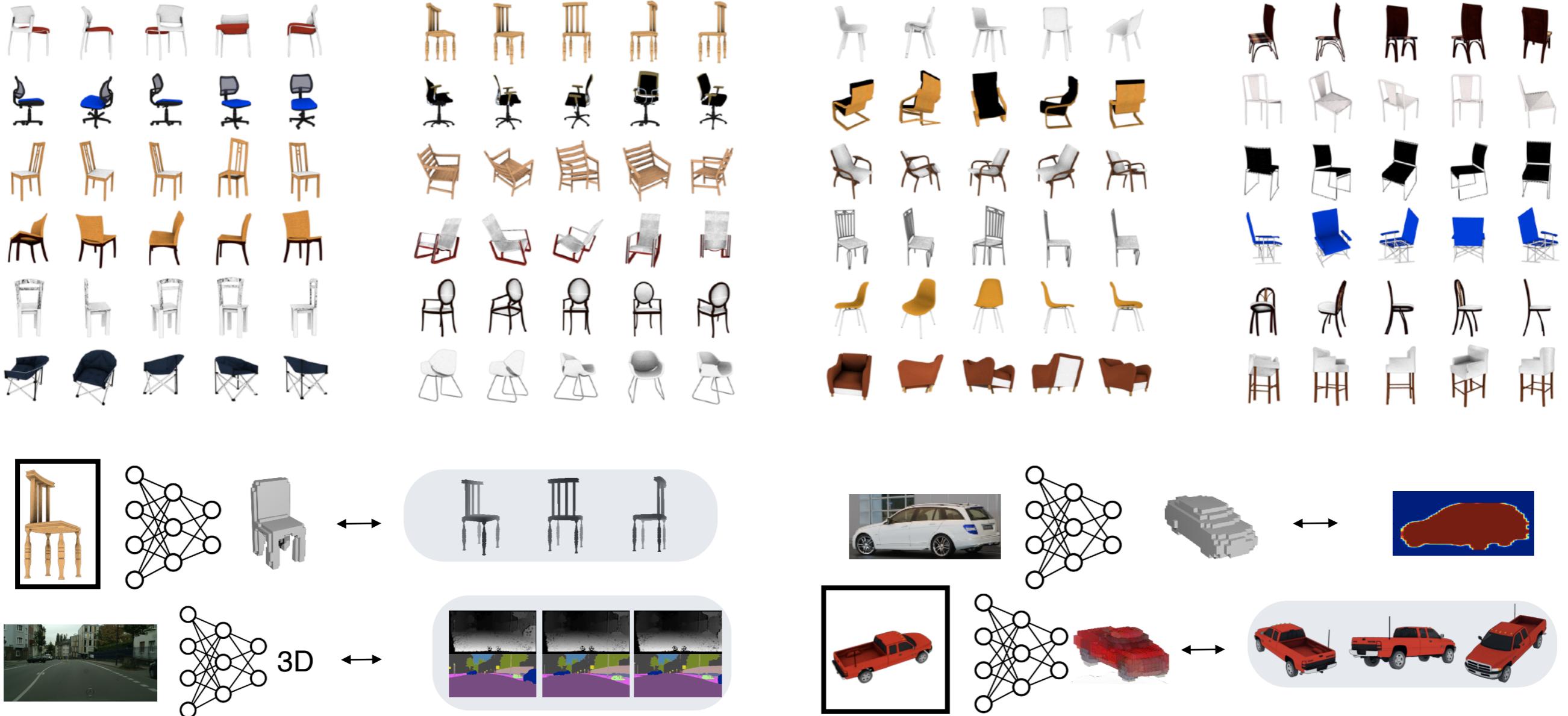
- Differentiable Ray Consistency Formulation



- Applications across scenarios



Thank You



Code : <https://github.com/shubhtuls/drc>