



Visualizing a Bayesian Model

Jake Thompson
Psychometrician, ATLAS, University of Kansas



Saving model coefficients

```
tidy_coef <- tidy(stan_model)

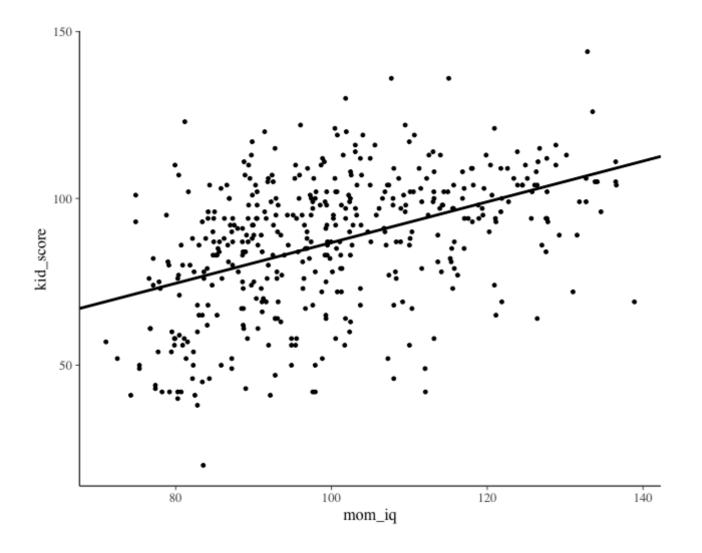
model_intercept <- tidy_coef$estimate[1]
model_intercept
#> [1] 25.67857

model_slope <- tidy_coef$estimate[2]
model_slope
#> [1] 0.6110473
```



Creating a plot

```
ggplot(kidiq, aes(x = mom_iq, y = kid_score)) +
  geom_point() +
  geom_abline(intercept = model_intercept, slope = model_slope)
```

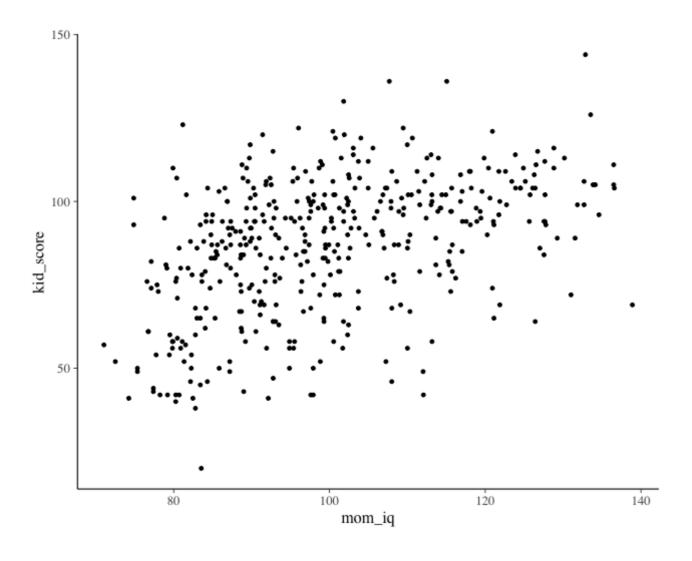




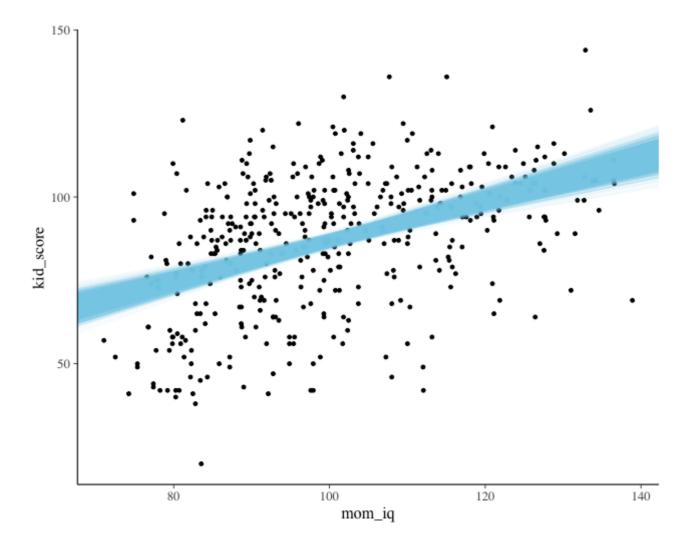
```
draws <- spread draws(stan model, `(Intercept)`, mom iq)</pre>
draws
#> # A tibble: 4,000 x 5
      .chain .iteration .draw `(Intercept)` mom_iq
      <int>
             <int> <int>
                              <dbl> <dbl>
#>
                                     28.2 0.586
#>
                                     28.7 0.593
                                     13.5 0.735
                                     30.3 0.564
#>
                                     34.5 0.522
#>
                                     19.2 0.669
                                     34.8 0.523
#>
                                     16.3 0.707
                                     35.8 0.511
#> 10
                         10
                                     14.5 0.734
     ... with 3,990 more rows
```



```
ggplot(kidiq, aes(x = mom_iq, y = kid_score)) +
  geom_point()
```

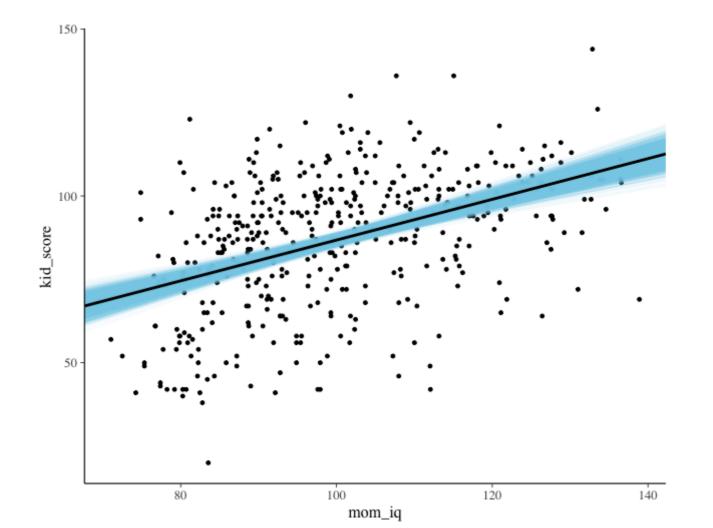


```
ggplot(kidiq, aes(x = mom_iq, y = kid_score)) +
   geom_point()
   geom_abline(data = draws, aes(intercept = `(Intercept)`, slope = mom_iq),
        size = 0.2, alpha = 0.1, color = "skyblue")
```





```
ggplot(kidiq, aes(x = mom_iq, y = kid_score)) +
  geom_point()
  geom_abline(data = draws, aes(intercept = `(Intercept)`, slope = mom_iq),
    size = 0.2, alpha = 0.1, color = "skyblue") +
  geom_abline(intercept = model_intercept, slope = model_slope)
```







Let's practice





Making Predictions

Jake Thompson

Psychometrician, ATLAS, University of Kansas



Making predictions for observed data

```
stan model <- stan glm(kid score ~ mom iq + mom hs, data = kidiq)</pre>
posteriors <- posterior_predict(stan_model)</pre>
posteriors[1:10, 1:5]
#>
    [1,] 61.08989 58.57298 80.68946 101.00810
                                                 76.37946
   [2,] 111.52704 49.92284 99.09657
                                       97.33291
                                                  72.98906
        83.36793 81.35768 94.16414 101.73570
                                                  64.69375
    [4,] 118.15092
                  74.00476 107.28852
                                       75.75912
                                                  91.93991
    [5,] 103.95042
                   58.98491 128.40312 121.42753
                                                  62.70008
                                        67.94056
    [6,] 102.29874 127.74050
                             84.10661
                                                  82.02546
         91.39445
                    88.49029
                             75.05702
                                        94.48594 102.50331
         93.33446
                   84.99589 101.49261
                                        66.74698
                                                  68.26968
    [9,] 101.85065
                   91.46998 123.43011 76.53226
                                                 74.93288
         79.61489 101.29745 105.97636 97.48332
                                                 99.80582
```



Making predictions for new data

```
predict_data <- data.frame(
    mom_iq = 110,
    mom_hs = c(0, 1)
)

predict_data
#> mom_iq mom_hs
#> 1 110 0
#> 2 110 1
```



Making predictions for new data

```
new predictions <- posterior predict(stan model, newdata = predict data)</pre>
new_predictions[1:10,]
#>
    [1,] 90.90581 107.75710
   [2,] 78.72466 139.86677
   [3,]
        80.67743 88.81523
         83.47852 74.06063
         69.07708 87.81177
         40.46229 85.45969
         79.41597 64.19011
   [8,] 107.93867 117.49345
   [9,] 95.31493 82.51476
        91.18056 94.22732
#> [10,]
summary(new predictions[, 1])
     Min. 1st Qu. Median Mean 3rd Qu.
#>
                                         Max.
    20.90 75.26 87.64 87.68 100.02
                                        156.00
summary(new predictions[, 2])
   Min. 1st Qu. Median Mean 3rd Qu.
#>
                                         Max.
    34.78 81.32 93.49 93.66 105.62 159.82
```





Let's practice





Visualizing Predictions

Jake Thompson

Psychometrician, ATLAS, University of Kansas



Plotting new predictions

```
stan model <- stan glm(kid score ~ mom iq + mom hs, data = kidiq)
predict data <- data.frame(</pre>
 mom iq = 110,
 mom hs = c(0, 1)
posterior <- posterior_predict(stan_model, newdata = predict_data)</pre>
posterior[1:10,]
#>
   [1,] 76.75484 96.26407
   [2,]
         74.39001 100.38898
         90.90370
                   70.00591
         70.43835 120.82787
         113.98411 82.40497
   [6,]
          56.15829 121.84269
         90.46640
   [7,]
                   92.77966
         98.56337 110.17948
    [9,] 108.86147 123.67762
         94.29429 83.77102
#> [10,]
```



Formatting the data

```
posterior <- as.data.frame(posterior)

colnames(posterior) <- c("No HS", "Completed HS")

plot_posterior <- gather(posterior, key = "HS", value = "predict")

head(plot_posterior)

#> HS predict

#> 1 No HS 76.75484

#> 2 No HS 74.39001

#> 3 No HS 90.90370

#> 4 No HS 70.43835

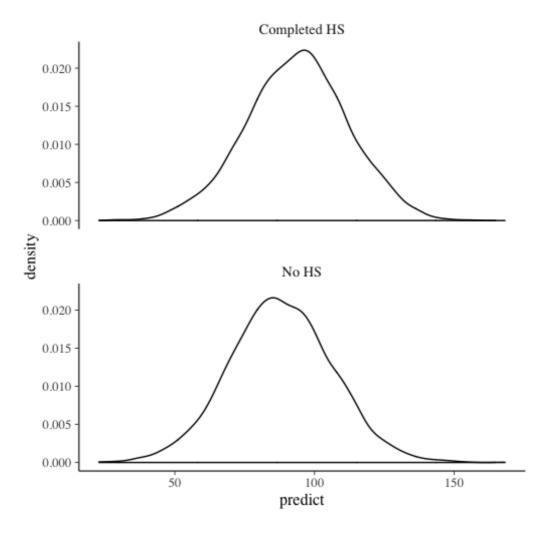
#> 5 No HS 113.98411

#> 6 No HS 56.15829
```



Creating the plot

```
ggplot(plot_posterior, aes(x = predict)) +
  facet_wrap(~ HS, ncol = 1) +
  geom_density()
```







Let's practice





Conclusion

Jake Thompson

Psychometrician, ATLAS, University of Kansas



What we've learned

- How to estimate a Bayesian regression model
 - Differences betweens frequentist and Bayesian approaches
 - Importance of making correct inferences
- Modifying a Bayesian model
 - Size of the posterior distribution
 - Prior distributions
 - Estimation algorithm



What we've learned

- Evaluate model fit
 - R-squared
 - Posterior predictive model checks
 - Model comparisons
- Using the model
 - Model visualizations
 - Predictions



What we've missed

- Math behind posterior calculations and LOO approximation
- Choosing a prior distribution
- Causes of estimation errors



What comes next?

- More DataCamp courses
 - Bayesian Modeling with RJAGS
- rstanarm documentation
 - mc-stan.org/rstanarm
- Bayesian Data Analysis, Gelman et al., (2013)





Thank you!