## LATEX Author Guidelines for ICCV Proceedings

## Anonymous ICCV submission

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## 1. Introduction

我们的去噪模型是:

$$\min_{\mathbf{D}, \mathbf{C}, \mathbf{W}} \frac{1}{2} \| (\mathbf{Y} - \mathbf{D}\mathbf{C}) \mathbf{W} \|_F^2 + \lambda \| \mathbf{C} \|_1 \quad \text{s.t.} \quad \mathbf{D}^\top \mathbf{D} = \mathbf{I}.$$
(1)

去噪过程如下:

1. 初始化:

我们从原始噪声图得到相似块矩阵Y,我们采 用[1]的方法估计彩色带噪图的噪声水平 $\sigma_0$ 。初始化权 重矩阵 $\mathbf{W}^{(0)} = \frac{1}{\sigma_0}\mathbf{I}$ , 初始化字典 $\mathbf{D}^{(0)} = \mathbf{I}$ 。

2. 讲入内部迭代优化:

对于每一次迭代,模型都需要反复迭代求 解**D**,**C**直到收敛。For k = 0, 1, 2, ...:

a. update C

$$\min_{\mathbf{C}} \frac{1}{2} \| (\mathbf{Y} - \mathbf{D}^{(k)} \mathbf{C}) \mathbf{W}^{(k)} \|_F^2 + \lambda \| \mathbf{C} \|_1.$$
 (2)

有闭合解,每一列单独求解:

$$(\hat{\mathbf{c}}_i)^{(k+1)} = \arg\min_{\mathbf{c}_i} \frac{1}{2} \| (\mathbf{y}_i - \mathbf{D}^{(k)} \mathbf{c}_i) \mathbf{W}_{ii} \|_2^2 + \lambda \| \mathbf{c}_i \|_1.$$
(3)

闭合解为:

$$(\hat{\mathbf{c}}_i)^{(k+1)} = \operatorname{sgn}(\mathbf{D}^{\top}\mathbf{y}) \odot \max(|\mathbf{D}^{\top}\mathbf{y}| - \frac{\lambda}{(\mathbf{W}_{ii})^2}, 0), (4)$$

b. update D

$$\min_{\mathbf{D}} \frac{1}{2} \| (\mathbf{Y} - \mathbf{D} \mathbf{C}^{(k+1)}) \mathbf{W} \|_F^2 \quad \text{s.t.} \quad \mathbf{D}^\top \mathbf{D} = \mathbf{I}. \quad (5)$$

等价于

$$\min_{\mathbf{D}} \| (\mathbf{Y}\mathbf{W}) - \mathbf{D}(\mathbf{C}^{(k+1)}\mathbf{W}) \|_F^2 \quad \text{s.t.} \quad \mathbf{D}^\top \mathbf{D} = \mathbf{I}, (6)$$

闭合解为:  $\hat{\mathbf{D}}^{(k+1)} = \mathbf{V}\mathbf{U}^{\mathsf{T}}$ .  $\mathbf{C}\mathbf{W}(\mathbf{Y}\mathbf{W})^{\mathsf{T}} = \mathbf{U}\mathbf{\Sigma}\mathbf{V}^{\mathsf{T}}$ .

c. update **W** 根据贝叶斯法则,权重矩阵的第i项为

$$\mathbf{W}_{ii} = \frac{\sqrt{d}}{\|\mathbf{y}_i - \mathbf{D}\mathbf{c}_i\|_2} \tag{7}$$

3. 外部迭代优化:

更新每个块的噪声水平:

$$\sigma_{\mathbf{y}_i} = \sqrt{\sigma_0^2 - \|\mathbf{y}_i - \mathbf{D}\mathbf{c}_i\|_2^2}$$
 (8)

然后重复步骤2.

## References

[1] Guangyong Chen, Fengyuan Zhu, and Pheng Ann Heng. An efficient statistical method for image noise level estimation. In The IEEE International Conference on Computer Vision (ICCV), December 2015. 1