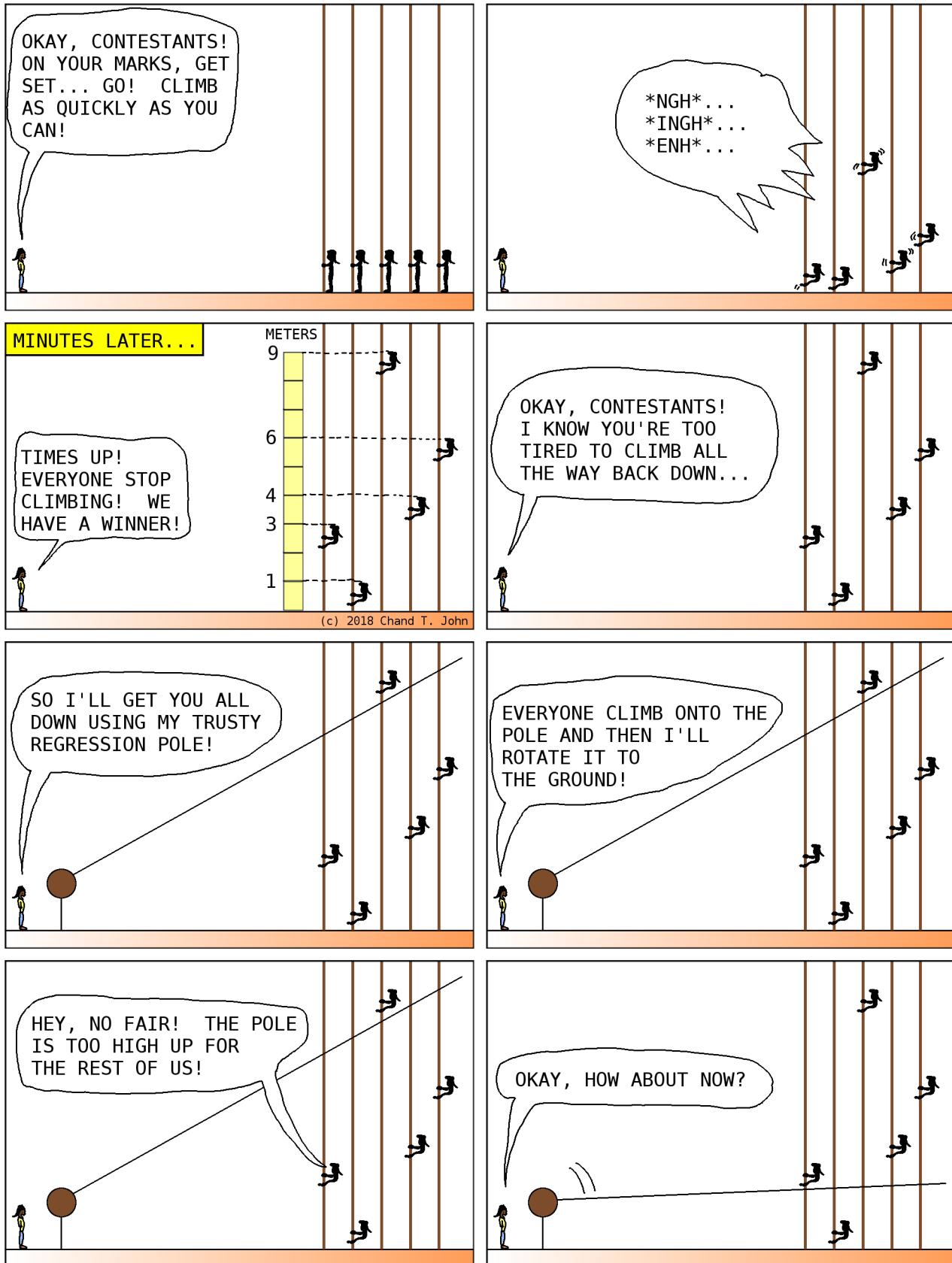
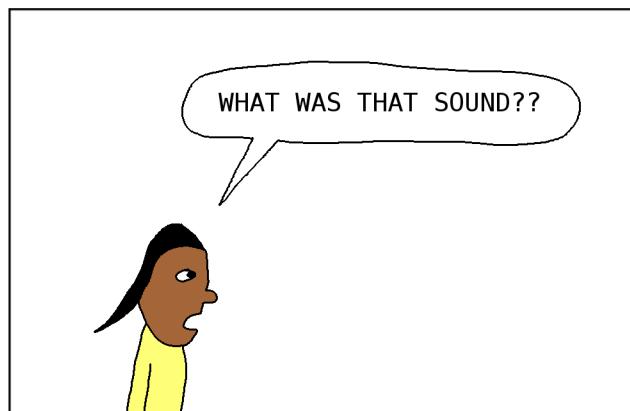
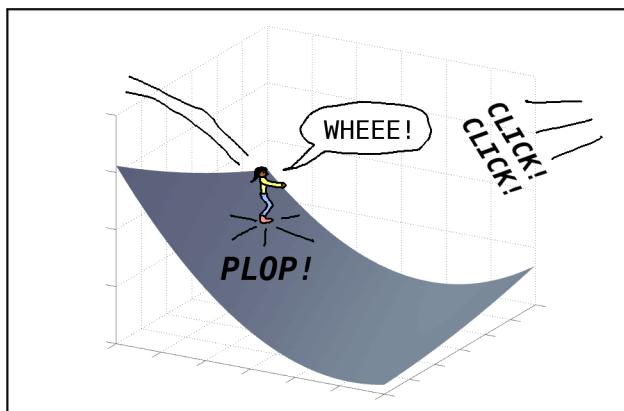
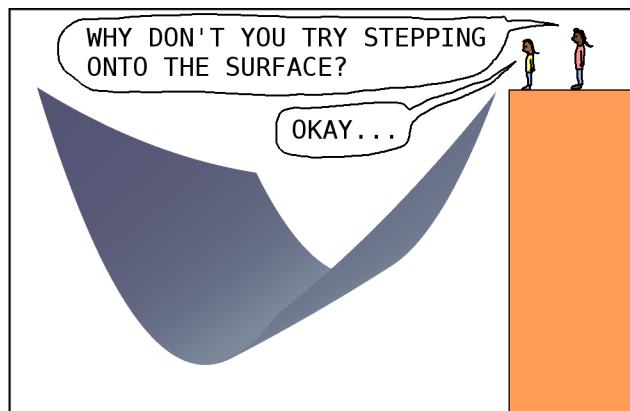
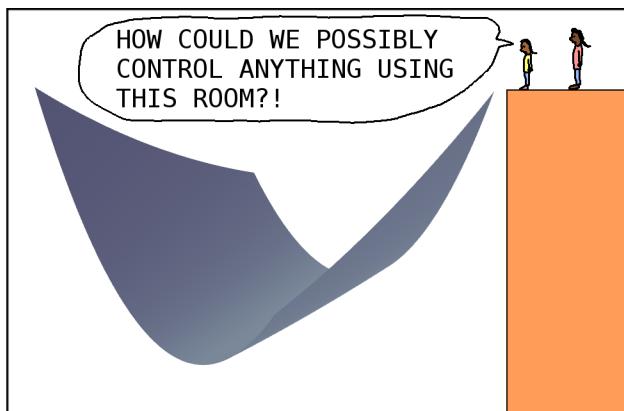
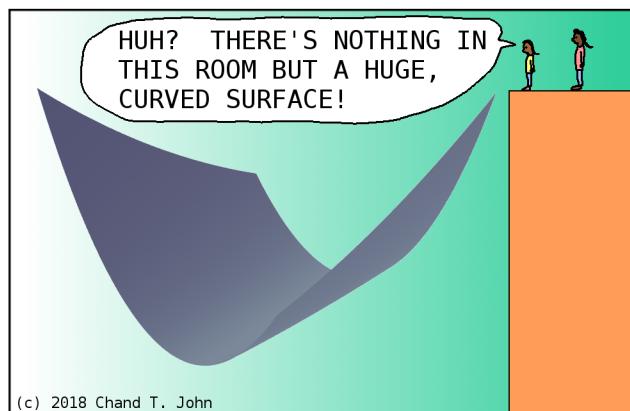
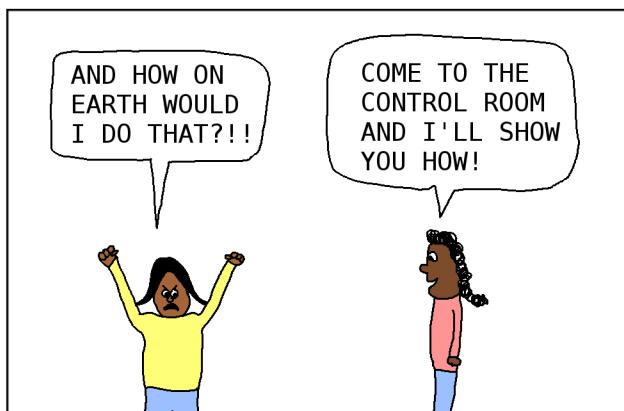
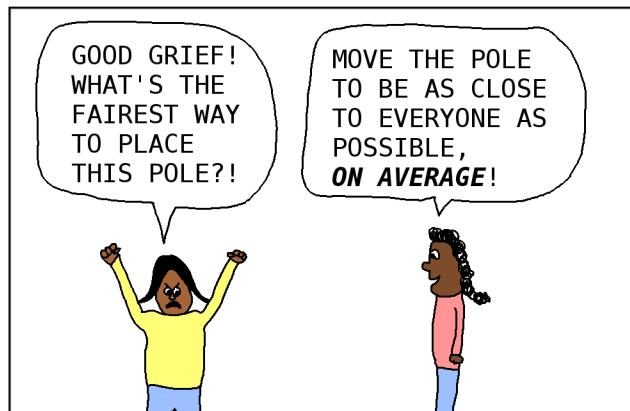
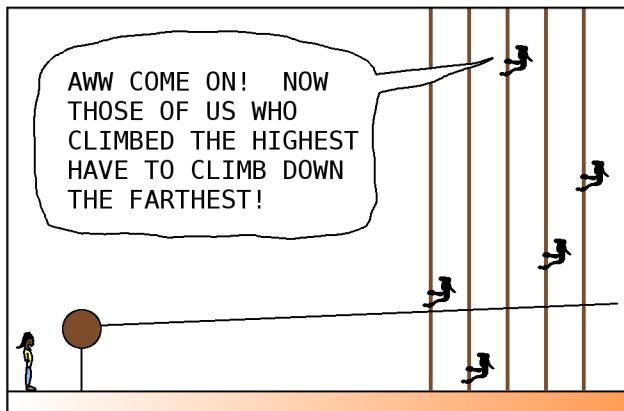
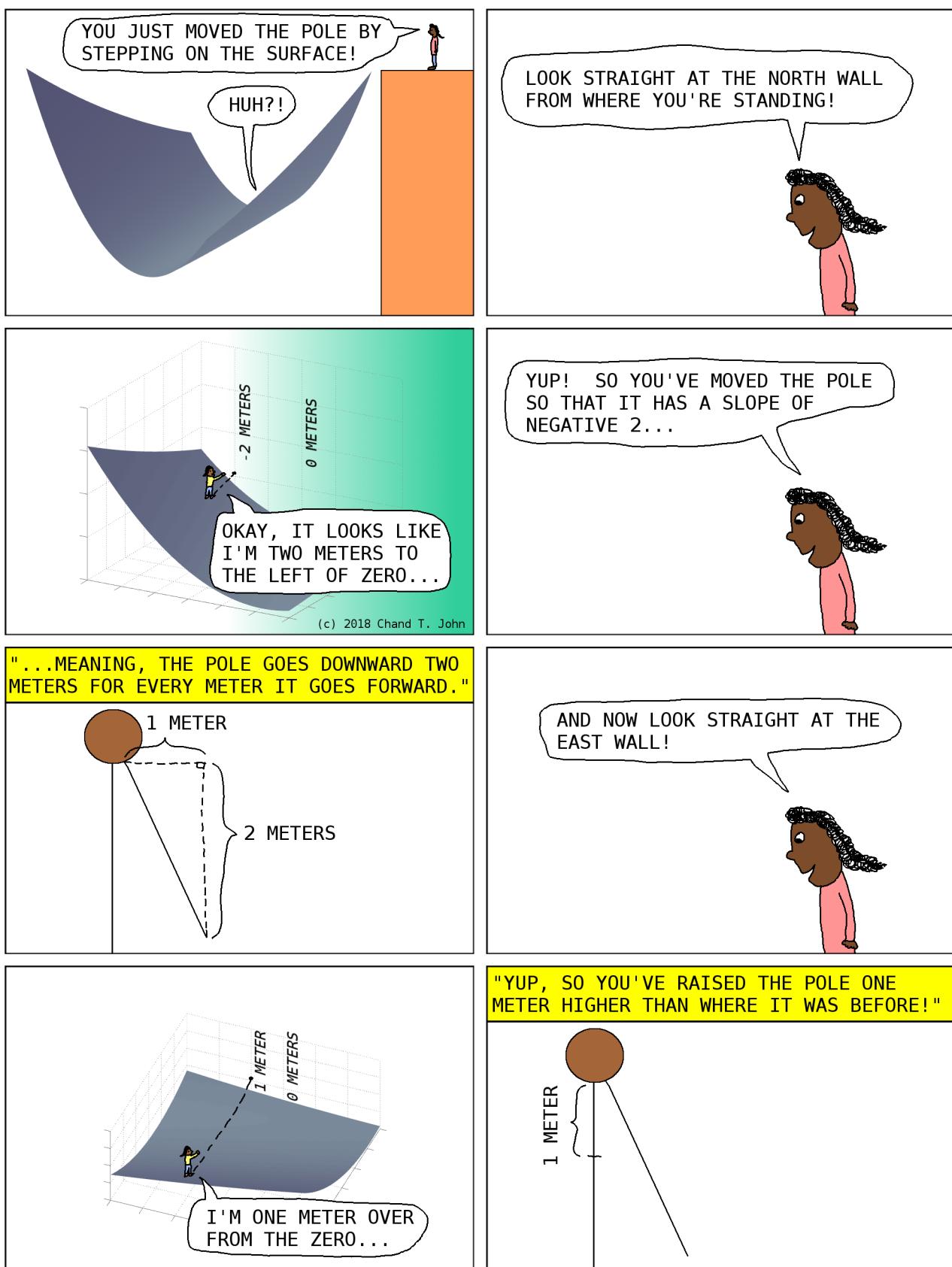
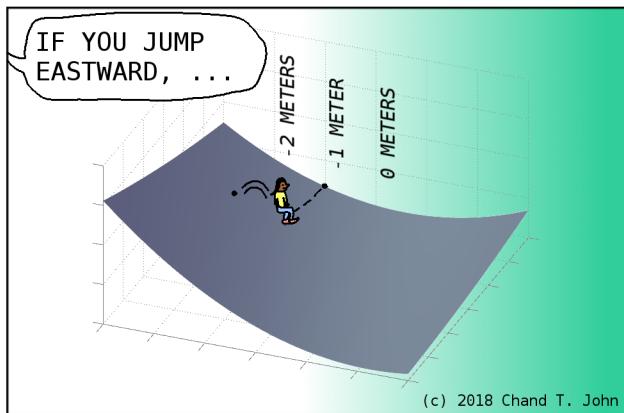


Linear Regression & Gradient Descent

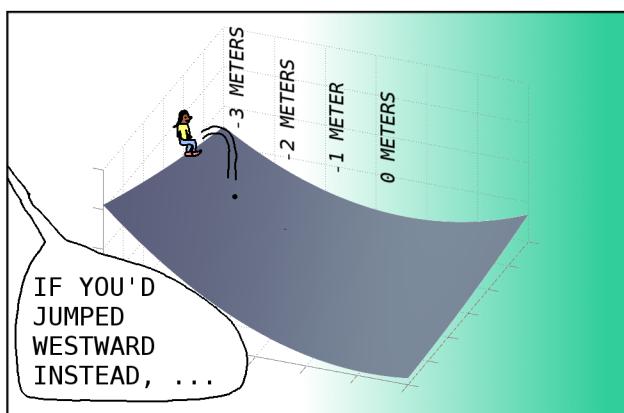
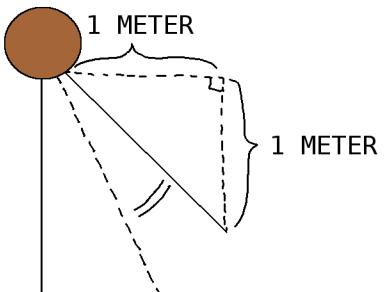




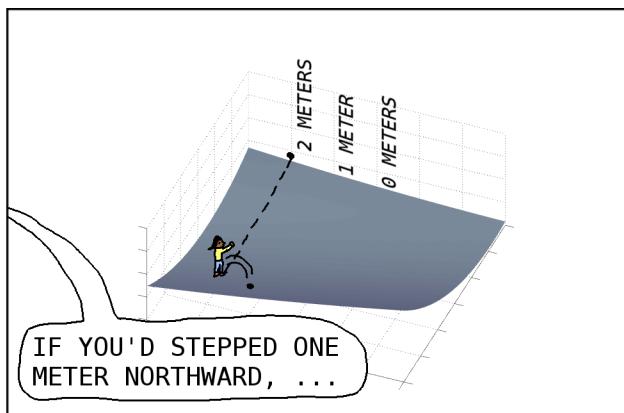
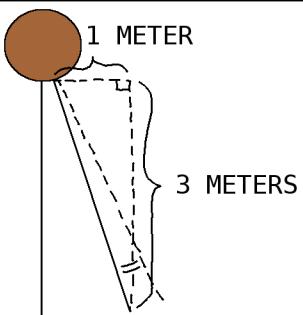




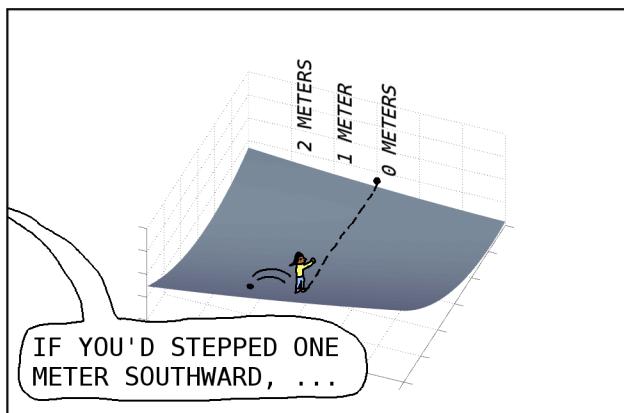
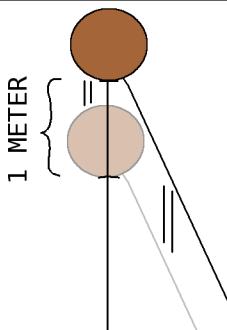
"...YOU'LL TILT THE POLE UPWARD,
ROTATING IT COUNTERCLOCKWISE!"



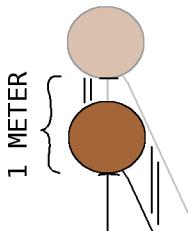
"...YOU WOULD'VE TILTED THE POLE
DOWNWARD, ROTATING IT CLOCKWISE!"

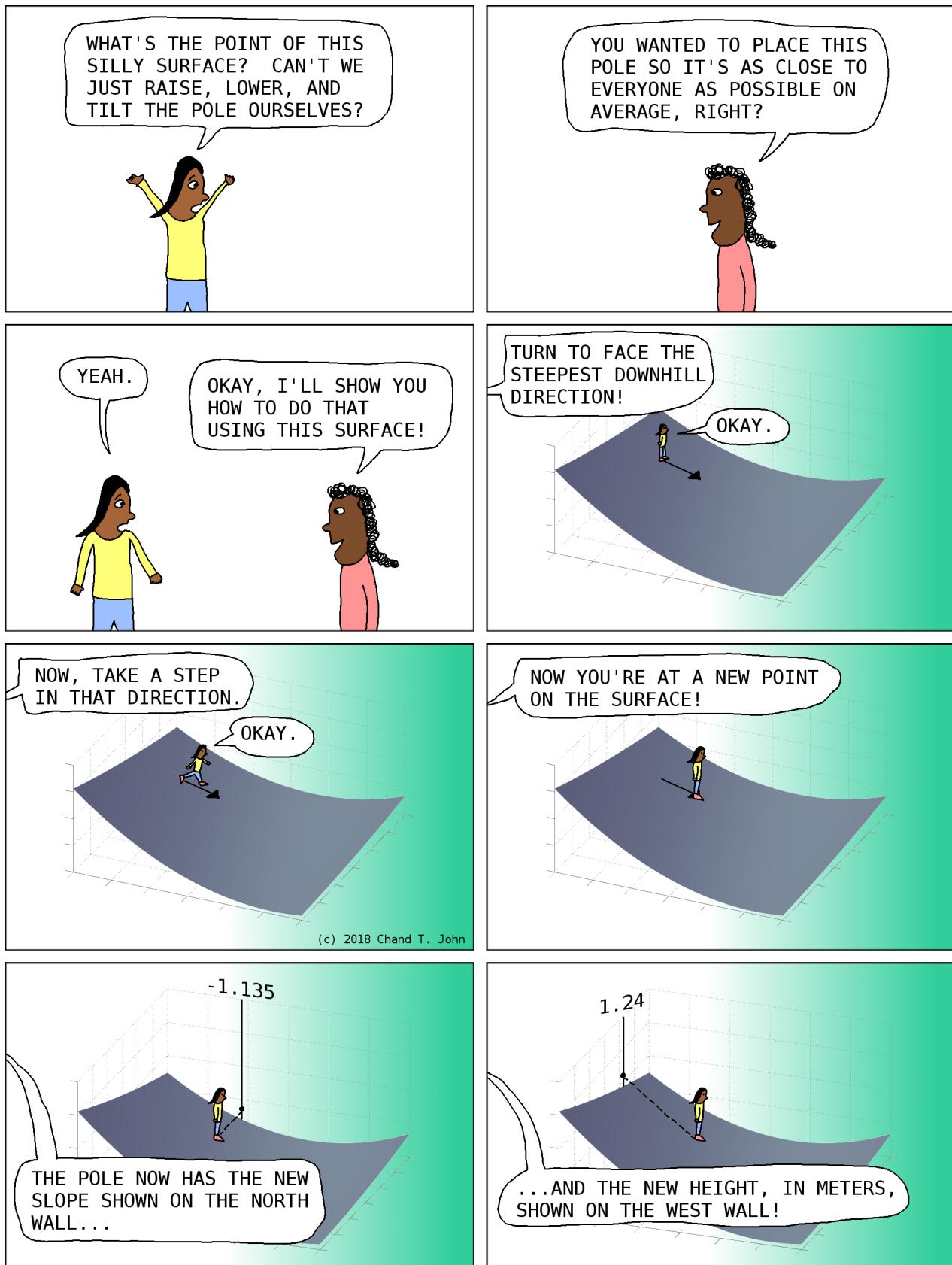


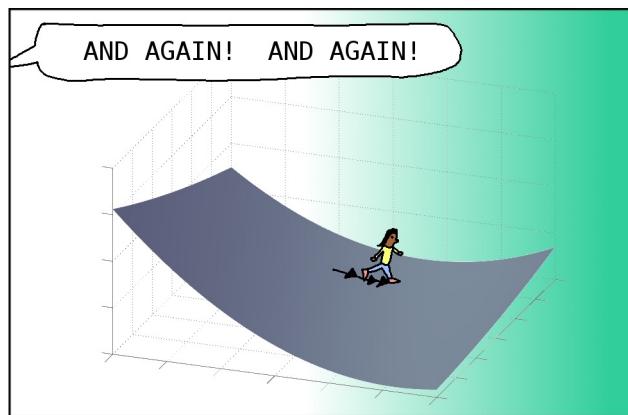
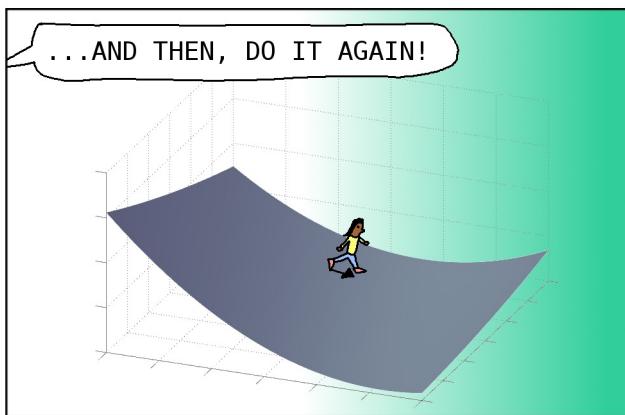
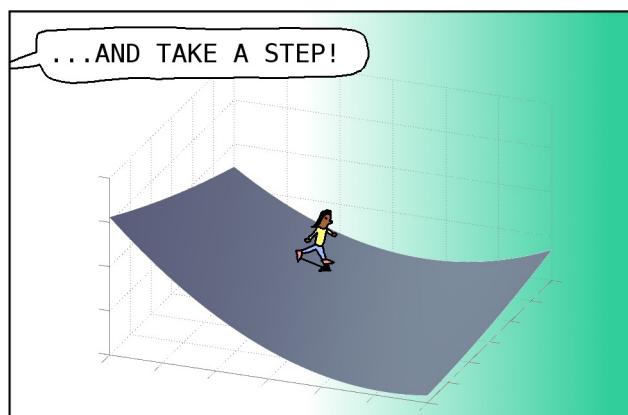
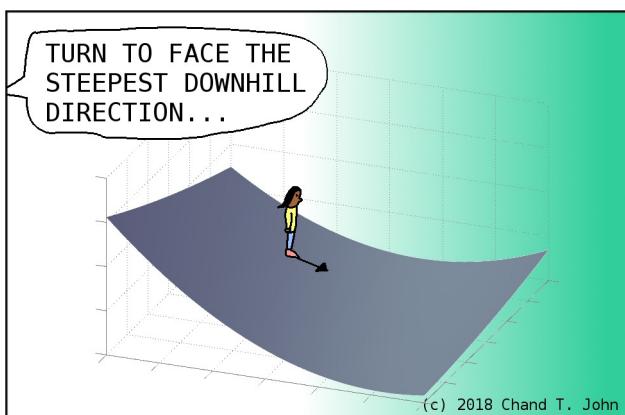
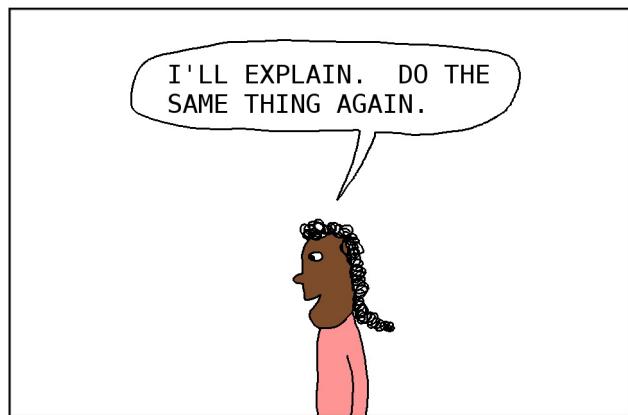
"...YOU WOULD HAVE RAISED THE POLE BY
ONE METER!"

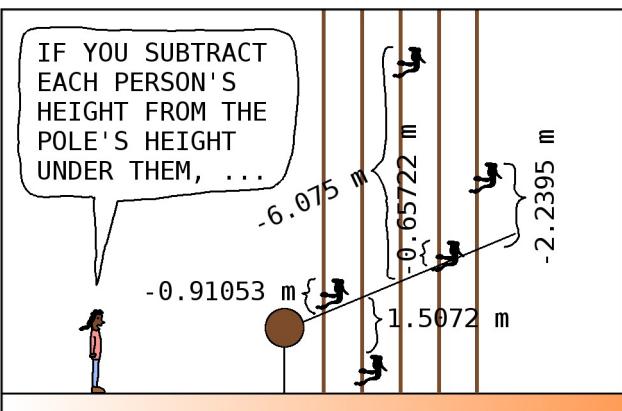
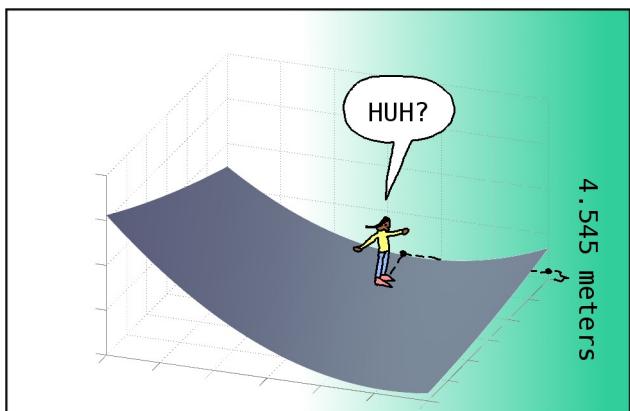
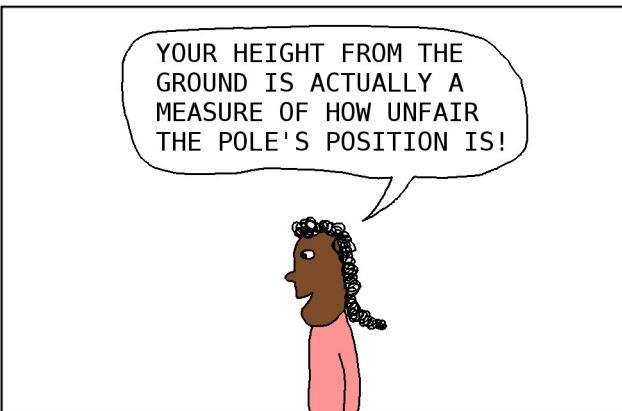
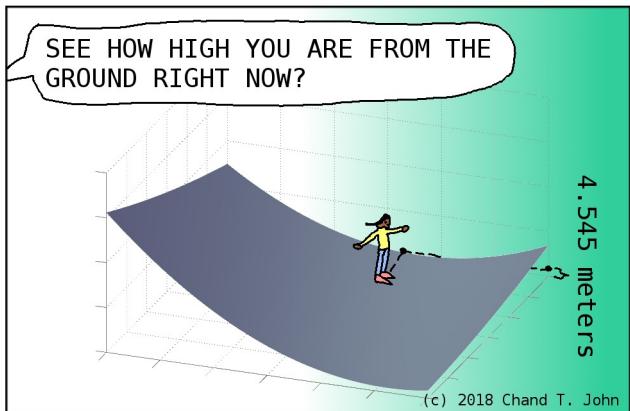


"...YOU WOULD HAVE LOWERED THE POLE BY
ONE METER!"









...SQUARE THOSE DISTANCES, ...

$$(-0.91053)^2 = 0.82906$$

$$(1.5072)^2 = 2.2717$$

$$(-6.0750)^2 = 36.906$$

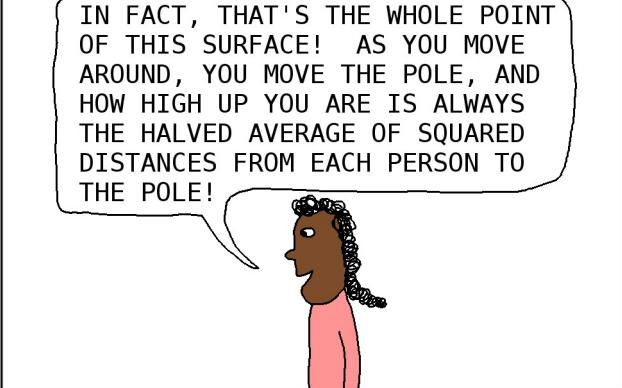
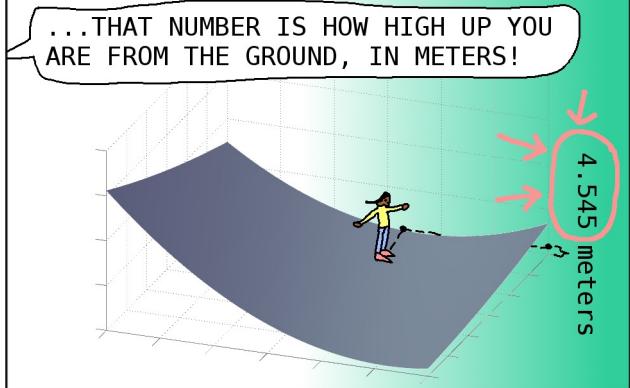
$$(-0.65722)^2 = 0.43194$$

$$(-2.2395)^2 = 5.0154$$

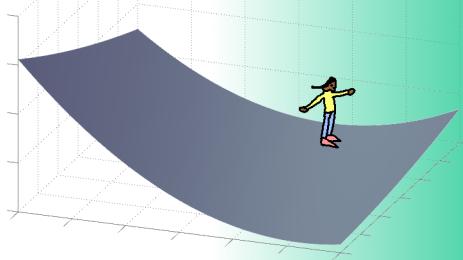
...AVERAGE THEM, AND DIVIDE BY TWO, ...

$$\left. \begin{array}{r}
 0.82906 \\
 + \\
 2.2717 \\
 + \\
 36.906 \\
 + \\
 0.43194 \\
 + \\
 5.0154
 \end{array} \right\} \quad \begin{array}{r}
 \div 5 = 9.0908 \\
 \downarrow \\
 \div 2 = 4.545
 \end{array}$$

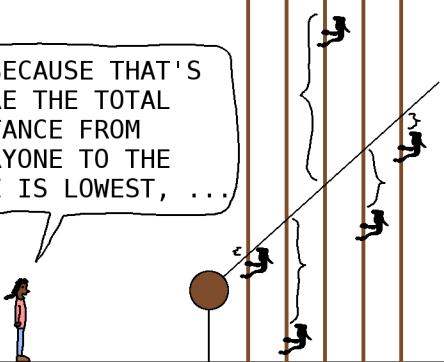
...THAT NUMBER IS HOW HIGH UP YOU
ARE FROM THE GROUND, IN METERS!



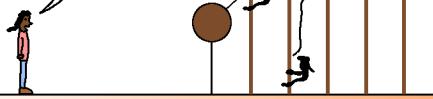
THE POLE'S POSITION WILL BE FAIREST WHEN YOU'VE REACHED THE LOWEST POINT ON THIS WHOLE SURFACE, ...



...BECAUSE THAT'S WHERE THE TOTAL DISTANCE FROM EVERYONE TO THE POLE IS LOWEST, ...



...SO THE LEAST AMOUNT OF TOTAL HUMAN CLIMBING IS NEEDED TO GET ALL PEOPLE ONTO THE POLE!



AND BY THE WAY, YOU CAN PLAY AROUND WITH HOW BIG A STEP YOU TAKE! A REGULAR-SIZED STEP IS FINE, ...



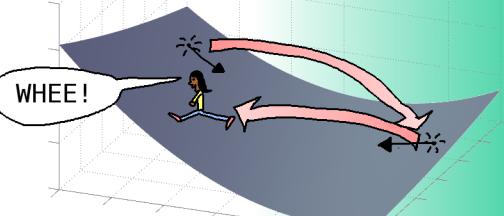
...BUT YOU CAN ALSO TAKE A HUGE STEP, OR EVEN JUMP, IN THE STEEPEST DOWNHILL DIRECTION TO TRY TO REACH THE BOTTOM FASTER!



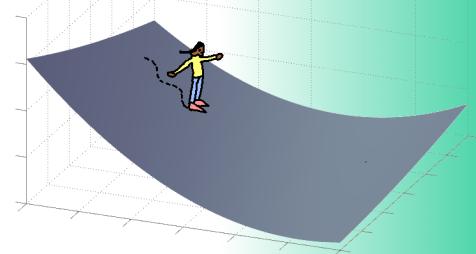
YOU CAN ALSO TAKE REALLY TEENY, TINY, ITSY-BITSY STEPS IN THE STEEPEST DOWNHILL DIRECTION IF YOU FEEL LIKE SLOWING DOWN!



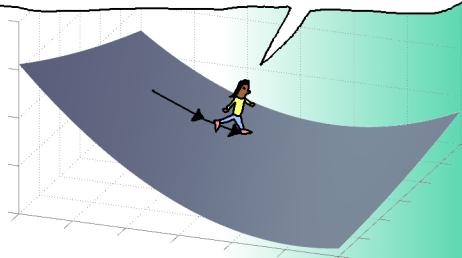
BE CAREFUL THOUGH... IF YOU JUMP TOO FAR EACH TIME, YOU'LL KEEP OVERTHUSING THE LOWEST POINT ON THE SURFACE!



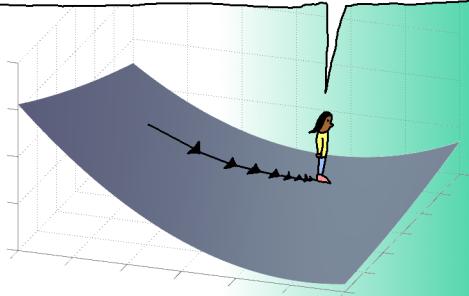
AND IF YOUR STEPS ARE TOO SMALL, IT'LL TAKE YOU FOREVER TO GET TO THE LOWEST POINT ON THE SURFACE!



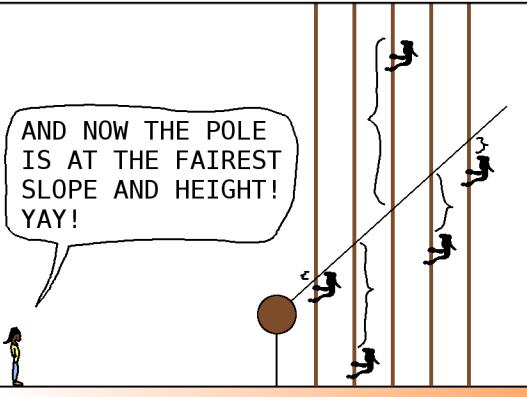
OKAY! SO I'LL JUST TAKE SOME GOOD-SIZED STEPS DOWNHILL IN THE STEEPEST DIRECTION, ...



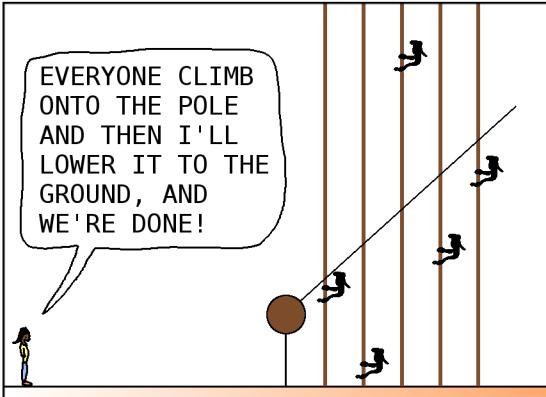
...AND LOOK! I'M AT THE BOTTOM OF THE SURFACE NOW!



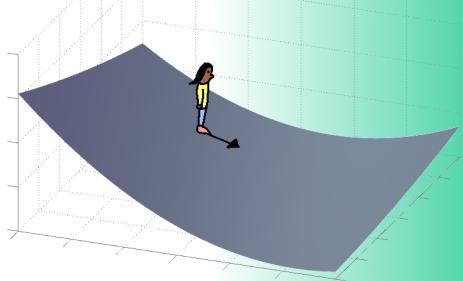
AND NOW THE POLE IS AT THE FAIREST SLOPE AND HEIGHT! YAY!



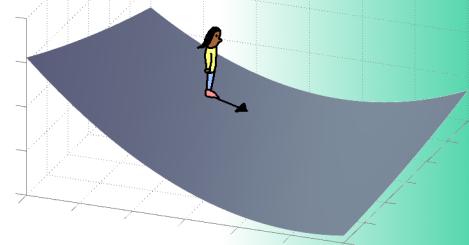
EVERYONE CLIMB ONTO THE POLE AND THEN I'LL LOWER IT TO THE GROUND, AND WE'RE DONE!



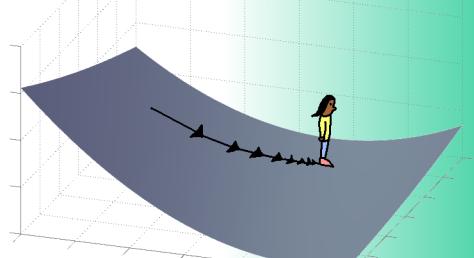
THIS APPROACH, WHERE WE **DESCENDED** ALONG THE SURFACE...



...BY STEPPING REPEATEDLY IN THE STEEPEST DOWNHILL DIRECTION, ALSO CALLED THE **GRADIENT** DIRECTION, ...



...IS CALLED THE **GRADIENT DESCENT ALGORITHM**!



THE GRADIENT DESCENT ALGORITHM IS ONE WAY TO DO **LINEAR REGRESSION**: TO FIND A LINE THAT RUNS AS CLOSE TO A SET OF DATA POINTS AS POSSIBLE!

