# Introduction to R Lecture 2

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# Where are we going?

- Today
  - for loops
  - If else
  - Program flow
  - More scripts discrete time logistic
  - Functions (next lecture)
- Last time
  - · Variables and assignment
  - Vectors
  - Matrices
  - Plots
  - Workspace
  - Intro to scripts, source command

# Programming basics for loop

- for loops are a basic building block of all programming languages
- Allows for simple execution of repetitive calculations
- In R, can (sometimes) use vectorized statements instead
- (I think) a for loop can be easier to understand
- I will avoid while loops watch out for ∞-loops!

A first example

for loop strucure

```
> for (i in 1:4) {
+ cat("This time i is:", i , "\n")
+ }
This time i is: 1
This time i is: 2
This time i is: 3
This time i is: 4
```

- i is set to each element in vector 1:4 in turn
- Notice brackets: ( and ), also { and }

A silly, but different example

• This is very general

```
> letters <- c("H","e","l","l","o","!")
> for (letter in letters) {
+ cat(letter)
+ }
Hello!
```

Geometric model

• Last class we used a vectorized equation to evaluate the geometric model:  $n_{t+1} = Rn_t$ 

```
> R <- 1.2;  # set R

> n0 <- 10  # set IC

> time <- 1:5  # I will do t=1 to t=5

> (nn <- (R^time)*n0)  # vectorized version

[1] 12.0000 14.4000 17.2800 20.7360 24.8832
```

• How do we do this with a for loop?

Geometric model - think about the process

• Start with  $n_0$  and iterate  $n_{t+1} = Rn_t$ 

$$n_1 = Rn_0$$

$$n_2 = Rn_1$$

$$n_3 = Rn_2$$
...

This looks like the output of our example for loops.

Geometric model with for loop

• Use equation:  $n_{t+1} = Rn_t$ > R < -1.2# reproductive num. > nn <- rep(0,6) # initialize vector > nn[1] <- 10 # put IC at index 1 > # loop through t=1:5 to generate n(t) > for (t in 1:5) { + nn[t+1] <- R\*nn[t] + } > nn [1] 10.0000 12.0000 14.4000 17.2800 20.7360 24.8832

• Notice, the result is the same as the vectorized version, except  $n_0=10$  is included in the vector

Varying reproductive number

- What if repropductive number depends on t:  $R_t$ ?
- Use equation:  $n_{t+1} = R_t n_t$

$$n_1 = R_0 n_0$$

$$n_2 = R_1 n_1$$

$$n_3 = R_2 n_2$$

$$\dots$$

We can evaluate this with a for loop

Varying reproductive number

```
• Use equation: n_{t+1} = R_t n_t
 > # vector of reproductive nums
 > R < -c(1.0,0.9,1.1,0.75,1.5)
 > nn <- rep(0,6) # initialize vector
 > nn[1] <- 10  # put IC at index 1
 > # loop through t=1:5 to generate n(t)
 > for (t in 1:5) {
 + nn[t+1] \leftarrow R[t]*nn[t]
 + }
 > nn
  [1] 10.0000 10.0000 9.0000 9.9000 7.4250 11.1375
```

# Programming basics if and else

- if and else let us do conditional execution
- ullet If a specified condition is met o execute appropriate code
- A basic flow control in all programming languages
- Let's learn by example

### if and else

A first example

```
> R <- 1.2
> if (R > 1.0) {
+ cat('This was a good year, R>1 \n')
+ } else {
+ cat('This was a bad year, R<1 \n')
+ }</pre>
```

This was a good year, R>1

### if and else

A second example

```
> R <- 1.0
> if (R > 1.0) {
+    cat('This was a good year, R>1 \n')
+ } else if (R == 1.0) {
+    cat('This was an OK year, we survived (R=1). \n')
+ } else {
+    cat('This was a bad year, R<1 \n')
+ }</pre>
This was an OK year, we survived (R=1).
```

# if and else

also a for loop

What years were good from our vector of R's?

```
> # vector of reproductive nums
> R <- c(1.0,0.9,1.1,0.75,1.5)
> # loop through vector of R's
> for (Rval in R) {
+    if (Rval < 1.) { cat('* bad yr ') }
+    else if (Rval == 1.0) { cat('* ok yr ') }
+    else{ cat('* good yr ') }
+ }
* ok yr * bad yr * good yr * bad yr * good yr</pre>
```

#### Pseudocode

Write out the flow of your script

- Pseudocode is a useful tool for organizing programming
- Plan out the things your code needs to do
  - What variables need to be assigned?
  - What operations need to be done to variables, vectors?
  - What order do these things need to be done?
- Use comments to do this before coding
- Writing pseudocode is helpful in the learning stages

#### Pseudocode

Example: discrete time logistic model

- # clear workspace
- # set model parameters
- # set number of timesteps
- # initialize population vector, set IC
- # set the plotflag to TRUE or FALSE
- # use a for loop to iterate
- # plot the results if PLOTFLAG is TRUE

# Script

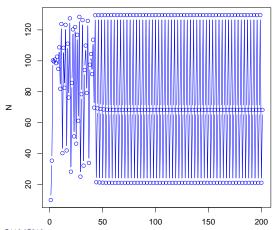
discrete time logistic model

```
## clear workspace
cat('\n','* Clearing Workspace','\n'); rm(list=ls())
# set model parameters
rd <- 2.83;K <- 100
# set number of timesteps
timesteps <- 200
# initialize population vector, set IC
N \leftarrow rep(0, timesteps+1); N[1] \leftarrow 10
# set the plotflag to TRUE or FALSE
PI.OTFI.AG <- TRUE
# use a for loop to iterate
for (t in 1:timesteps) N[t+1] \leftarrow N[t]*(1 + rd*(1 - N[t]/K))
# plot the results if PLOTFLAG is TRUE
if (PLOTFLAG) plot(1:(timesteps+1), N,
                    xlab="time", ylab="N",type="b", col='blue')
```

# Script output

discrete time logistic model

\* Clearing Workspace



### Logistic dynamics

Some lessons from the examples

- Start of time series looked chaotic (random)
- However, dynamics settled into period-3 behavior
  - Careful of transient behavior
  - Are you interested in short- or long-term behavior?
  - This is an issue with **both** discrete time and continuous time models
  - Vary initial conditions, parameters make lots of plots!

### A pause

We have covered a lot of material ...

- You can do a lot now
- Practice and play to gain experience
  - Homework provides practice
  - Also, start thinking about your project
- Use discrete time logistic model
  - Change  $r_d$ , K,  $n_0$
  - Is this too much work? Next week functions!