Group Meeting Week 15, Spring 2019

Brandon Gusto

Dept. of Scientific Computing Florida State University

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Recap of multiresolution ideas:

▶ compute forward transform of cell-averaged data $\{u_i^0\}_{i=1}^{N^0} = \mathbf{u}^0$

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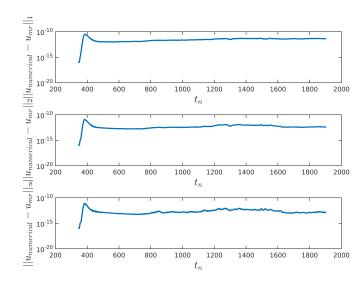
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- guaranteed that $||\mathbf{u}^0 \tilde{\mathbf{u}}^0|| \leq C_u \epsilon$

Error

When doing the inverse transform on the flux function instead, we get $||\mathbf{f}^0 - \tilde{\mathbf{f}}^0|| \le C_f \epsilon$, but what is C_f ? Intuitively, $C_f \ge C_u$.

Solution Comparison



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Ratio of fluxes interpolated to total fluxes...

