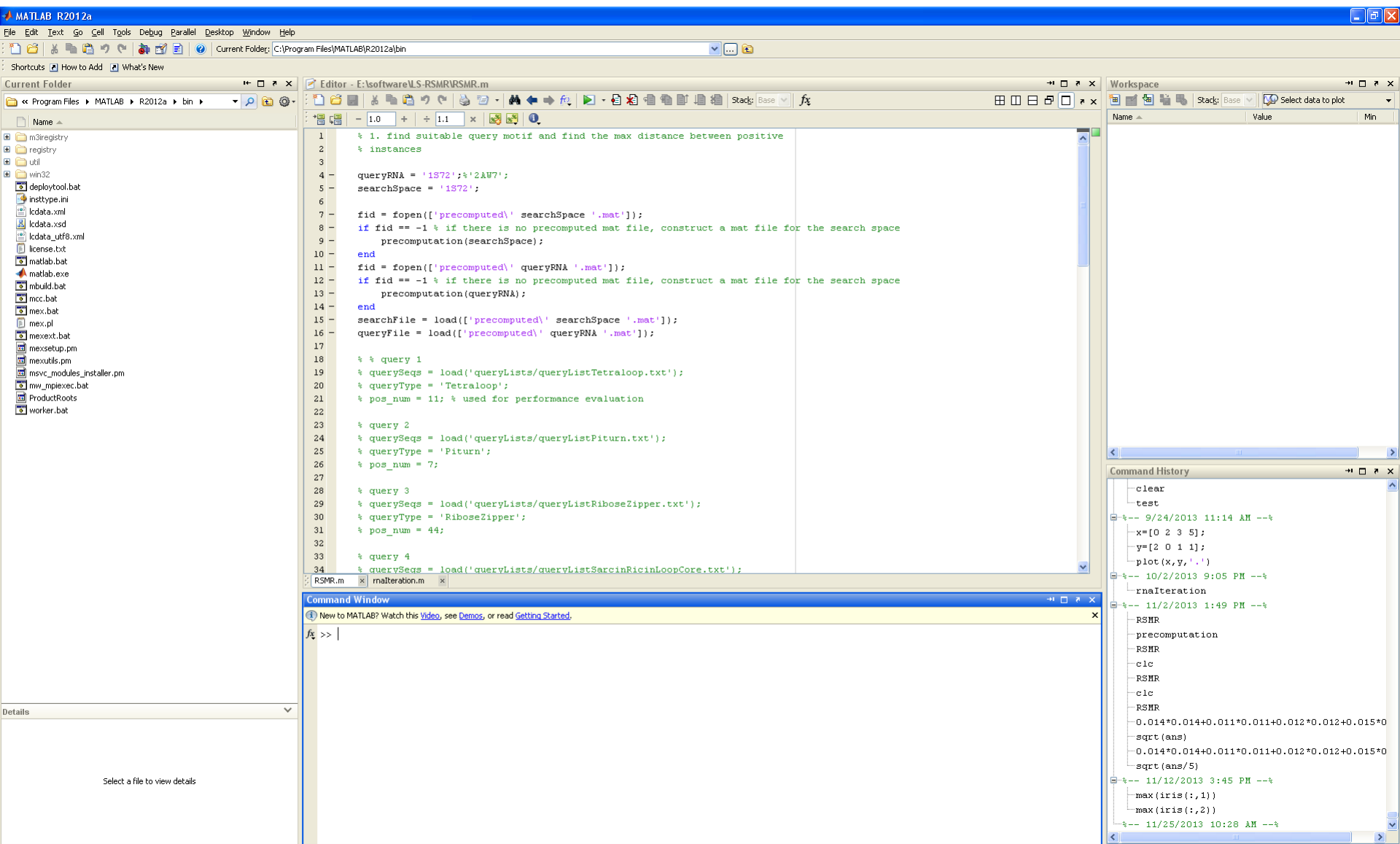


# Matlab Tutorial

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# Matlab environment



# Simple arithmetical operations

$a+b$ Addition.	$a/b$ Division.
$a-b$ Subtraction.	$a\backslash b$ Left division, (this is exactly the same as $b/a$ ).
$a*b$ Multiplication	$a^b$ Exponentiation (i.e., $a^b$ ).

- $3.17 \times 5.7 + \frac{17}{3}$ :  
>>  $3.17*5.17+17/3$

- $2 \times 10^{-20}$ :  
>>  $2*10^{-20}$   
>>  $2e-20$ ;  $2E-20$

# Variables

- $x = \sqrt[3]{2}$ :  
    `>> x = 2^(1/3)`  
    `>> fx = 3*x^6 - 17*x^3 + 79`  
    `>> x = x + 5`
- display variables:  
    `>> x`  
    `>> disp(x)`
- clear variable  
    `>> clear x`  
    `>> clear`

# Variable

- Predefined variables:

- ❖ ans
- ❖ pi
- ❖ eps
- ❖ Inf/inf
- ❖ NaN/nan
- ❖ ...

# Common mathematical functions

- `sin`  
`>> sin(3)`
- `exp`  
`>> exp(2)`
- `log/log2`  
`>> log(10)/log2(4)`
- ...
- Refer to the help document!

# Matrix and vector

- $A = \begin{pmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{pmatrix}$

>> A = [1 2 3; 4 5 6; 7 8 9];

or

>> A = [1,2,3; 4,5,6;7,8,9]

- $x = \begin{pmatrix} 1 \\ 2 \\ 3 \\ 4 \\ 5 \\ 6 \end{pmatrix}$

>> x = [1;2;3;4;5;6];

or

>> x = [1 2 3 4 5 6]'

# Matrix and vector

- Select an element:

```
>> A(3,3): ans = 9
```

- Select several element:

```
>> A(1:2;2:3): ans =  $\begin{pmatrix} 2 & 3 \\ 5 & 6 \end{pmatrix}$ 
```

```
>> x(3:5): ans =  $\begin{pmatrix} 3 \\ 4 \\ 5 \end{pmatrix}$ 
```

```
>> x(3:end)
```

- Get matrix/vector dimension:

```
>> size(A); size(x): ans = 3 3; ans = 6 1
```

```
>> length(x): ans = 6
```



# Generating matrix

- `C = zeros(3); C = zeros(3,3)`

$$>> C = \begin{pmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{pmatrix}$$

- `C = zeros(3,5)`

$$>> C = \begin{pmatrix} 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 \end{pmatrix}$$

- `C = ones(3); C = ones(3,3); C = ones(3,5)`
- `C = zeros(size(A))`

# Generating matrix

- `repmat(A,2,3)`

$$\gg \text{ans} = \begin{pmatrix} 1 & 2 & 3 & 1 & 2 & 3 & 1 & 2 & 3 \\ 4 & 5 & 6 & 4 & 5 & 6 & 4 & 5 & 6 \\ 7 & 8 & 9 & 7 & 8 & 9 & 7 & 8 & 9 \\ 1 & 2 & 3 & 1 & 2 & 3 & 1 & 2 & 3 \\ 4 & 5 & 6 & 4 & 5 & 6 & 4 & 5 & 6 \\ 7 & 8 & 9 & 7 & 8 & 9 & 7 & 8 & 9 \end{pmatrix}$$

- `cat(1,A,A); cat(2,A,A)`

$$\gg \text{ans} = \begin{pmatrix} 1 & 2 & 3 & 1 & 2 & 3 \\ 4 & 5 & 6 & 4 & 5 & 6 \\ 7 & 8 & 9 & 7 & 8 & 9 \end{pmatrix}; \text{ans} = \begin{pmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \\ 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{pmatrix}$$

# Generating vector

- $x = [1 \ 2 \ 3 \ \dots \ 100]$   
    `>> x = (1:1:100)`
- $x = [1 \ 1.1 \ 1.2 \ \dots \ 2] \ ??$

# Simple matrix operations

- $A + B$ 
  - ❖ means  $A + B = (a_{ij} + b_{ij}) = (a_{ij} + b_{ij})$
- $A - B$ 
  - ❖ means  $A - B = (a_{ij} - b_{ij}) = (a_{ij} - b_{ij})$
- $c * A$ 
  - ❖ means  $cA = c(a_{ij}) = (c * a_{ij})$
- $A * B$ 
  - ❖ means  $AB = (a_{ij})(b_{ij}) = (\sum_{k=1}^l a_{ik} b_{kj})$
- $A^p$ 
  - ❖ means  $A^p = AA \dots A$
- $A \backslash b$  (not recommended)
  - ❖ the solution of  $Ax=b$ ;
  - ❖ using  $\text{inv}(A)*b$  instead
- $A \backslash B$ 
  - ❖ solve  $AX=B$  by repeatedly solving  $Ax=b$  where  $b$  is each column of  $B$  in turn and  $x$  is the corresponding column of  $X$

# Simple matrix operations

- $A.*B$ 
  - ❖ means  $(a_{ij} * b_{ij})$
- $A./B$ 
  - ❖ means  $(a_{ij}/b_{ij})$
- $B.\backslash A$ 
  - ❖ means  $A./B$
- $A.^p$ 
  - ❖ means  $(a_{ij}^p)$

# Data manipulation commands

- Maximum value of vector x  
    >> m = max(x)  
    >> [m i] = max(x)
- Maximum value of matrix A  
    >> max(A): ans = 7 8 9  
    >> max(A(:)): ans = 9
- The sum of the elements of the vector x  
    >> sum(x)
- The average of the elements of x  
    >> mean(x)
- Standard deviation of x  
    >> std(x)
- Sort the elements of the vector x in increasing order  
    >> sort(x)
- Euclidean distance of x  
    >> norm(x)
- The matrix norm of A  
    >> norm(A)

# Graphics

- Plot the functions  $y_1 = \sin(x)$  and  $y_2 = e^{\cos(x)}$  for  $x \in [0, 2\pi]$

```
>> n = 100
```

```
>> x = 2*pi*(0:n-1)/(n-1)
```

```
>> y1 = sin(x)
```

```
>> y2 = exp(cos(x))
```

```
>> plot(x,y1)
```

```
>> plot(x,y2)
```

# Input and output

- The matrix is input by using command:

`>> load <file name> or load '<file name>' or load('<file name>')`

- Read in a file

`>> fid = fopen('iris.data')`

`>> fileContent = textscan(fid, '%f%f%f%f%s', 'delimiter', ',')`

❖ fileContent is 1\*5 cell

❖ To index an element in fileContent: `>> fileContent{i,j}`



# Flow control and logical variables

- for loop:

```
for <variable> = <expression>
    <statement>
...
    <statement>
end
```

- example:

```
x = zeros(n, 1);
for i = 1:n
    x(i) = i * sin( i^2 * pi/n );
end
```

- if statement:

```
if <logical expression 1>
    <statement group 1>
elseif <logical expression 2>
    <statement group 2>
elseif <logical expression 3>
    <statement group 3>
...
else <logical expression r>
    <statement group r>
end
```

Logical Operators	
A & B	AND.
A   B	OR.
~A	NOT.
xor(A, B)	EXCLUSIVE OR.
a && b	Short-circuit AND. Returns logical 1 (true) or 0 (false). Only evaluates b if a is true.
a    b	Short-circuit OR. Returns logical 1 (true) or 0 (false). Only evaluates b if a is false.

# Flow control and logical variables

- **while statement**

```
while <logical expression>  
    <statement>  
    ...  
    <statement>  
end
```

- **switch command**

```
switch <variable or expression>  
    case <Value 1>  
        <statement group 1>  
    case {<Value 2a>, <Value 2b>, <Value 2c>, ..., <Value 2m>}  
        <statement group 2>  
    ...  
    case <value n>  
        <statement group r>  
    otherwise  
        <statement group r+1>  
end
```

# Function M-files

- **function** <out> = <function name>(<in 1>, ..., <in n>)
- Example
  - ❖ Calculate the summation

$$S(n) = \sum_{k=0}^n \frac{1}{k^2 + 1}$$

# How to improve your programming skills

- Help document
- Read codes from others