

# Digital Predistortion with Low Precision ADCs

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**Abstract**—Digital Predistortion (DPD) is a popular technique for linearizing a power amplifier (PA) to help reduce the spurious emissions and spectral regrowth. DPD requires the learning of the inverse PA nonlinearities by training on the output of the PA. In practical systems, the analog output of the PA will have to go through an analog-to-digital converter (ADC) so that training can be done on a digital processor. The quantization degrades signal quality and may limit performance of a DPD learning algorithm. However, a lower resolution ADC may cost less and allow for less computational complexity in the digital processing. We study this tradeoff to try to find how much precision is needed in DPD systems.

## I. INTRODUCTION

The power amplifier (PA) is a component of wireless systems that has a nonlinear transfer function. The nonlinearities are undesirable in that they lead to distortions such as spectral regrowth around the main carriers and intermodulation distortions (IMDs) in scenarios with multiple, noncontiguous carriers such as carrier aggregation (CA) in LTE-Advanced. This is exacerbated in modern, multi-carrier modulations such as OFDMA which have a high peak-to-average power ratio (PAPR).

Digital predistortion (DPD) is a method for linearizing a power amplifier (PA). With DPD, the nonlinearities are estimated so that they can be corrected before the PA with their inverse. To do this, we must train our predistorter by observing the signal after the PA. In practical situations, we need a feedback path after the PA that has a downconverter and an ADC. Typically, DPD bandwidth is five times the signal bandwidth [1]. Hence, for wide bandwidth signals, the sampling rate of the ADC must be fast.

In mobile applications where power and cost are a concern, one option for reducing the complexity of the system is to use a low precision ADC. By reducing the precision, the DPD algorithm can be performed with shorter word lengths which would save area and power in an implementation. Low precision ADCs often consume less power and support faster sampling rates than higher precision devices [2]. Moreover, these ADC are often cheaper.

For these reasons, the use of low precision ADCs is being considered in multiple emerging areas of communications. For example, in massive MIMO resolutions as low as a single bit are being considered to help alleviate the data throughput requirements when hundreds of antennas are being used simultaneously [3]. In mmWave, there are large bandwidths available that could enable fast data rates. This necessitates the use of ADCs with fast sampling rates. Again, low-precision

ADCs are being considered for this application to reduce the system complexity and power requirements [4].

In this paper, we test the performance of our previous DPD solutions for varying ADC precision. By doing so, we alter the resolution of the feedback path to the DPD learning. As we remove bits, we increase quantization noise which we expect to limit performance. What we find is that a significant number of bits can be removed before there is a significant impact on performance.

The paper is organized as follows. Section II presents a simulation where we reduce the precision on a full-band DPD. In Section III, we repeat the simulation with a sub-band DPD. We then conclude the paper in Section IV.

## II. FULL-BAND DPD

Most DPD is a variation of what we refer to as full-band DPD where the entire transmit band near the main carriers is linearized. This can reduce the magnitude of multiple spurious emissions such as the third and fifth intermodulation products and the spectral regrowth around the main carriers. However, this comes with a considerable computational complexity especially as the spacing between the carriers becomes large [5] which also has the negative effect of increasing power consumption and cost in the ADC.

Using a previously developed DPD system [6] we illustrate the effect of quantization in Figure 2. Here, we have two non-contiguous signals like what may be found in LTE-Advanced carrier aggregation. They are each 5 MHz in bandwidth. They are broadcast through a fifth-order, nonlinear PA model with memory effects implemented in MATLAB. Intermodulation occurs and introduces large spurious emissions through the nearby spectrum as seen by the black curve.

A block diagram of the simulation is shown in Figure 1. Currently, all computation is done in double precision. However, at the feedback input to the DPD learning, we quantize using the fixed-point toolbox. Word lengths are varied from an unquantified sixty-four bit double all the way to two bits. When we perform the DPD algorithm where the feedback into the DPD learning block is the full, double-precision values computed by MATLAB, we get suppression shown by the solid blue curve. We then use signed, fixed-point representation. This introduces quantization noise and degrades the performance. However, for as low as 6-bit ADC, the performance degradation is mostly insignificant. For example, there is only a 2 dB difference in suppression on the right-hand IM3 spur. The 4-bit ADC still suppress throughout the spectrum, but

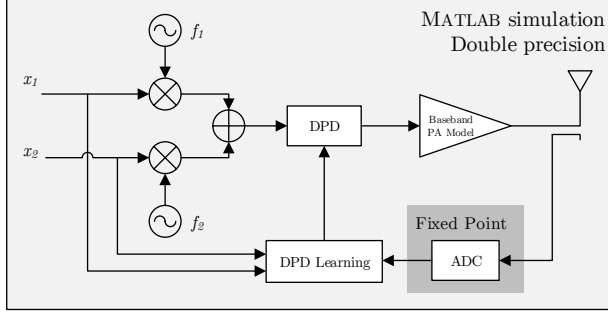


Fig. 1. Block diagram of the simulation performed. The signal generation, amplification, DPD learning, and DPD application are performed with double precision in MATLAB. We emulate an ADC by quantizing the feedback from the PA to the DPD learning.

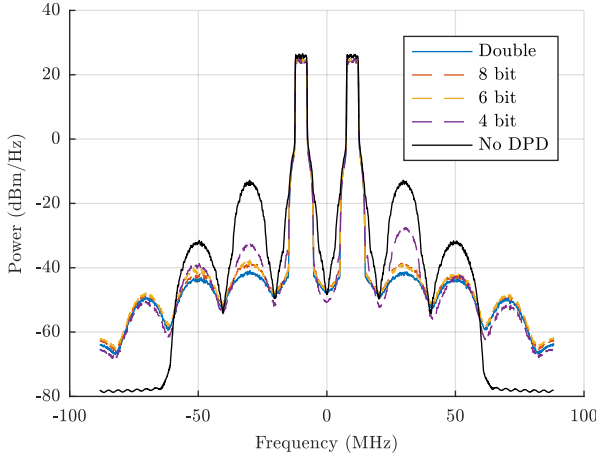


Fig. 2. PSD output when performing full-band DPD on a scenario with two, noncontiguous, 5 MHz LTE uplink carrier with a low precision ADC feedback path. Here, performance for the 8 bit and 6 bit ADCs are similar with about 2 dB less IM3 suppression when compared to the double precision PA simulation.

there is a significant performance degradation (14 dB on the right-hand IM3).

### III. SUB-BAND DPD

An alternative to the full-band DPD is what the authors refer to as sub-band DPD. With this method, one targets specific sub-bands such as prominent intermodulation products for suppression. This has the effect of drastically reducing sample rates which in turn reduces the running complexity of the algorithm. This method also provides freedom in the sense that specific sub-bands can be targeted as needed.

Using a previously developed sub-band DPD system [5] we illustrate the effect of quantization in Figure 3. Here, we have two noncontiguous signals like what may be found in LTE-Advanced carrier aggregation. They are each 1.4 MHz in bandwidth. They are broadcast through a ninth-order, nonlinear PA model implemented in MATLAB. Intermodulation occurs and introduces large spurious emissions through the nearby

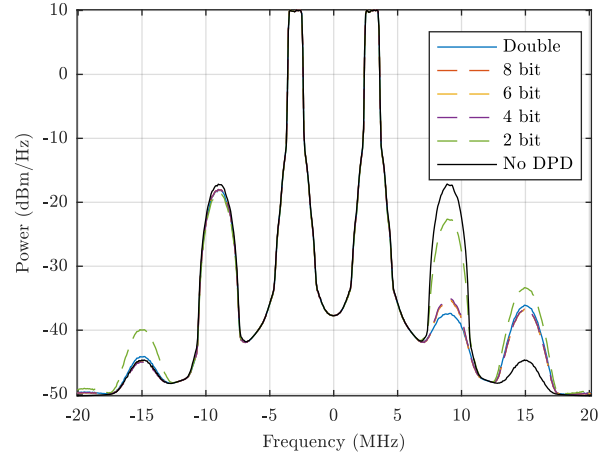


Fig. 3. PSD output when performing sub-band DPD on a scenario with two, noncontiguous, 1.4 MHz LTE uplink carriers with a low precision ADC feedback path. Here, performance for 8, 6, and 4 bit observations are similar with about 2 dB less IM3 suppression when compared to the double precision PA simulation.

spectrum as seen by the black curve. We use the sub-band DPD method to target the right-hand, third-order intermodulation spurious emission.

The block diagram in Figure 1 represents the simulation. When we perform the DPD algorithm where the feedback into the DPD learning block is the full, double-precision values computed by MATLAB, we get suppression shown by the solid blue curve. We then use MATLAB's fixed point toolbox to convert the values to a signed, fixed-point representation. This introduces quantization noise and degrades the performance. However, for as low as a 4-bit ADC, the performance degradation is mostly insignificant. For example, there is only a 2 dB difference in suppression on the right-hand IM3 spur. The 2-bit ADC still suppress throughout the spectrum, but there is a significant performance degradation.

### IV. CONCLUSION

Digital predistortion is a valuable method to linearize PAs that does not need to be computationally costly and does not necessarily require a complicated hardware overhead. When designing a system with DPD, one consideration should be the precision of the ADC. With a low precision ADC of about four or six bits, the performance of the DPD training can remain mostly intact.

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