

# 1 2022/6/27

## 1.1 Trading opportunities and costs

### 1.1.1 Moving Average crossover

Table 1: Close Price Comparison via MA Crossover

Date	Buy with Original Signals	Date	Buy with Original Signals
2017-01-18	2271.889893	2017-01-30	2280.899902
2017-04-28	2384.199951	2017-05-01	2388.330078
2017-09-05	2457.850098	2017-09-08	2461.429932
2018-03-16	2752.010010	2018-03-22	2643.689941
2018-05-14	2730.129883	2018-05-18	2712.969971

### 1.1.2 Bollinger Bands

Table 2: Close Price Comparison via BB

Date	Buy with Original Signals	Date	Buy with Original Signals
2017-03-21	2344.020020	2017-03-27	2341.590088
2017-04-13	2328.949951		
2017-06-29	2419.699951		
2017-07-06	2409.750000		
2017-08-10	2438.209961		
2017-08-17	2430.010010	2017-08-22	2452.510010
2018-02-05	2648.939941		
2018-02-08	2581.000000	2018-02-08	2581.000000
2018-03-22	2643.689941	2018-03-27	2612.620117
2018-06-27	2699.629883		
2018-10-10	2785.679932	2018-10-12	2767.129883
2018-10-24	2656.100098	2018-10-29	2641.250000
2018-12-17	2545.939941		
2018-12-19	2506.959961		

### 1.1.3 Moving average convergence diver

Table 3: Close Price Comparison via MACD

Date	Buy with Original Signals	Date	Buy with Original Signals
2017-01-04	2270.750000		
2017-01-11	2275.320068	2017-01-17	2267.889893
2017-01-24	2280.070068		
2017-04-24	2374.149902	2017-04-26	2387.449951
2017-05-25	2415.070068	2017-05-30	2412.909912
2017-06-19	2453.459961		
2017-07-13	2447.830078	2017-07-18	2460.610107
2017-08-31	2471.649902	2017-08-09	2474.020020
		2017-09-06	2465.540039
2017-11-08	2594.379883		
2017-11-28	2627.040039	2017-11-28	2627.040039
2018-01-04	2723.989990		
2018-02-23	2747.300049	2018-02-27	2744.280029
2018-03-05	2720.939941	2018-03-09	2786.570068
2018-04-10	2656.870117	2018-04-16	2677.840088
2018-05-07	2672.629883		
2018-06-04	2746.870117		
2018-07-09	2784.169922	2018-07-12	2798.290039
2018-08-06	2850.399902	2018-08-09	2853.580078
2018-08-24	2874.689941	2018-08-29	2914.040039
2018-09-20	2930.750000		
2018-11-02	2723.060059	2018-11-07	2813.889893
2018-11-28	2743.790039	2018-12-03	2790.370117

## 1.2 Differences

### 1.2.1 Pure data (EMA/SMA)

start='2016-10-21'

rolling function and drop first fifty-one lines which have Nan values.

Using ewm function (adjust=False) to calculate EMA

### 1.2.2 Data preprocessing

MinMaxScaler() –Original closing price (columns:price, index:date)

MinMaxScaler() –Moving average price (columns:SMA/EMA, index:date)

train\_test\_split(data,test\_size=0.2, random\_state=1)

### 1.2.3 CNN

kernel.constraint=max\_norm(max\_norm\_value):

if the L2-Norm of weights exceeds , scale whole weight matrix by a factor that reduces the norm to

kernel\_initializer:

Weights are responsible for connection between the units

In He Uniform Initialization weights belong to uniform distribution in range as shown below

$$\mathbf{W} \approx \mathbf{U}(\mathbf{a}, \mathbf{b})$$

$$\mathbf{a} = -\sqrt{\frac{6}{\mathbf{f}_{\text{in}} + \mathbf{f}_{\text{out}}}}, \quad \mathbf{b} = \sqrt{\frac{6}{\mathbf{f}_{\text{in}} + \mathbf{f}_{\text{out}}}}$$

Figure 1: He Uniform Initialization

Conv1DTranspose

#### 1.2.4 SVM

x\_train\_encode: the output without being inverted(401,1)

r: using output without being inverted

x\_train: same

return:put same

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### 2.1 import data

1. download data from yfinance: start='2016-10-21',end='2019-1-1'

- GSPC
- Adj Close
- start='2016-10-21'
- end='2019-1-1'
- index: date
- column: adj close

2. SMA

- for loop
- .rolling().mean() function: default parameters
- .dropna(): delete the fifty-one lines
- after deleting, start='2017-01-03'('2017-01-01')

3. EMA

- for loop
- .ewm(adjust=False).mean()
- min\_periods: default=0

4. data: index=date columns= price,SMA...,EMA....

5. noisy data

- MinMaxScaler(price)
- for loop
- (shape: (100,502,1))
- train\_test\_split(test\_size=0.2)
- noisy train: (80,502,1)
- noisy test: (20,502,1)

## 6. pure data

- MinMaxScaler(SMA....EMA....)
- for loop
- (shape: (100,502,1))
- train\_test\_split(test\_size=0.2)
- pure train: (80,502,1)
- pure test: (20,502,1)

## 2.2 Training and test Model

### 1. MODEL

Model: "sequential"

Layer (type)	Output Shape	Param #
conv1d (Conv1D)	(None, 500, 128)	512
conv1d_1 (Conv1D)	(None, 498, 32)	12320
conv1d_transpose (Conv1DTranspose)	(None, 500, 32)	3104
conv1d_transpose_1 (Conv1DTranspose)	(None, 502, 128)	12416
conv1d_2 (Conv1D)	(None, 502, 1)	385

Figure 2: CNN-Autoencoder

#### (a) Encoding

- (Conv1D(128, kernel\_size=3, kernel\_constraint=max\_norm(2.0), activation='relu', kernel\_initializer='he\_uniform', input\_shape=input\_shape))
- (Conv1D(32, kernel\_size=3, kernel\_constraint=max\_norm(2.0), activation='relu', kernel\_initializer='he\_uniform'))

#### (b) Decoding

- (Conv1DTranspose(32, kernel\_size=3, kernel\_constraint=max\_norm(2.0), activation='relu', kernel\_initializer='he\_uniform'))
- (Conv1DTranspose(128, kernel\_size=3, kernel\_constraint=max\_norm(2.0), activation='relu', kernel\_initializer='he\_uniform'))

#### (c) Output layer

- `Conv1D(1, kernel_size=3, kernel_constraint=max_norm(2.0), activation='sigmoid', padding='same')`

(d) Compile parameters

- `optimizer='adam'`
- `loss='binary_crossentropy'`

Generally used for multi-category tasks

(e) Fit

- `epochs = 20`
- `batch_size = 10`

## 2. Reconstructions

- Using one line of noisy test(scaled)
- Using `scaler_X` which is fitted by price to inverse price and reconstructed price
- `shuffle = False`

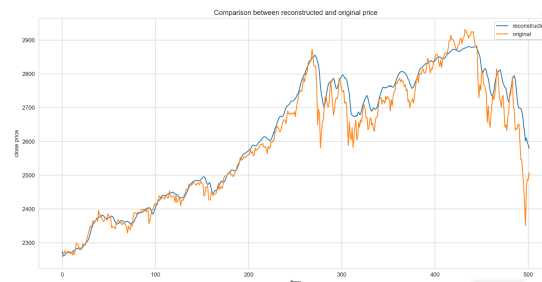


Figure 3: `shuffle = False`

- `shuffle = True`

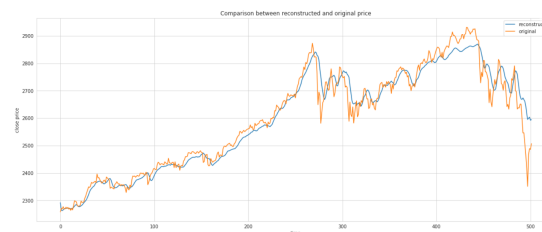


Figure 4: `shuffle = True`

## 2.3 SVM

### 1. F1 for original prices

- Using scaled data to calculate log return and label the data.  
Using 80% to split train and test dataset without shuffling.
- Using first 80% percentage of scaled data as train dataset.
- X\_train, Y\_train's shapes (401,1) (401,)
- X\_test, Y\_test's shapes (101,1) (101,)

### 2. F1 for reconstructed prices

- Same, but using reconstructed prices before being inversed

### 3. Shuffle = False

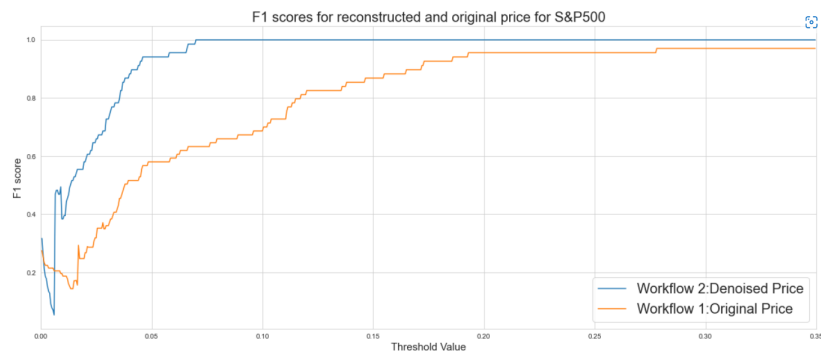


Figure 5: shuffle = False

### 4. Shuffle = True

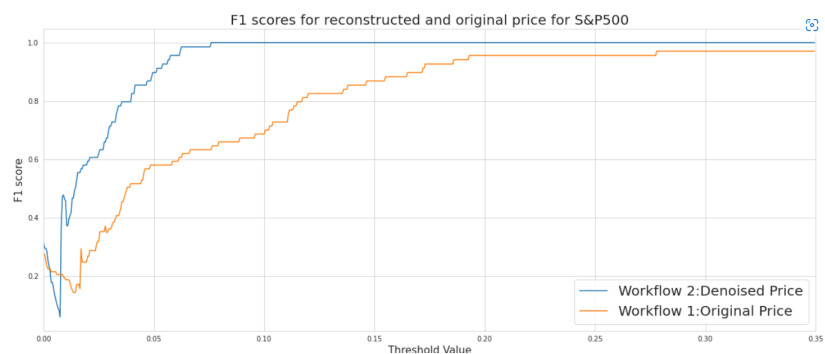


Figure 6: shuffle = True



## 2.4 Trading indicators

### 1. MA

- Shuffle = True

Table 4: Close Price Comparison via MA Crossover

Date	Buy with Original Signals	Date	Buy with Original Signals
2017-01-18	2271.889893	2017-01-30	2280.899902
2017-04-28	2384.199951	2017-05-01	2388.330078
2017-09-05	2457.850098	2017-09-08	2461.429932
2018-03-16	2752.010010	2018-03-22	2643.689941
2018-05-14	2730.129883	2018-05-18	2712.969971

- Shuffle = False

Table 5: Close Price Comparison via MA Crossover

Date	Buy with Original Signals	Date	Buy with Original Signals
2017-01-18	2271.889893	2017-01-19	2263.689941
2017-04-28	2384.199951	2017-05-02	2391.169922
2017-09-05	2457.850098	2017-09-08	2461.429932
2018-03-16	2752.010010		
2018-05-14	2730.129883	2018-05-17	2720.129883

## 2. BB

- Shuffle = True

Table 6: Close Price Comparison via BB

Date	Buy with Original Signals	Date	Buy with Original Signals
2017-03-21	2344.020020	2017-03-27	2341.590088
2017-04-13	2328.949951		
2017-06-29	2419.699951		
2017-07-06	2409.750000		
2017-08-10	2438.209961		
2017-08-17	2430.010010	2017-08-22	2452.510010
2018-02-05	2648.939941		
2018-02-08	2581.000000	2018-02-08	2581.000000
2018-03-22	2643.689941	2018-03-27	2612.620117
2018-06-27	2699.629883		
2018-10-10	2785.679932	2018-10-12	2767.129883
2018-10-24	2656.100098	2018-10-29	2641.250000
2018-12-17	2545.939941		
2018-12-19	2506.959961		

- Shuffle = False

Table 7: Close Price Comparison via BB

Date	Buy with Original Signals	Date	Buy with Original Signals
2017-03-21	2344.020020	2017-03-24	2343.979980
2017-04-13	2328.949951		
2017-06-29	2419.699951		
2017-07-06	2409.750000	2017-07-06	2409.750000
2017-08-10	2438.209961		
2017-08-17	2430.010010	2017-08-22	2452.510010
2018-02-05	2648.939941		
2018-02-08	2581.000000	2018-02-08	2581.000000
2018-03-22	2643.689941	2018-03-26	2658.550049
2018-06-27	2699.629883		
2018-10-10	2785.679932	2018-10-11	2728.370117
2018-10-24	2656.100098		
2018-12-17	2545.939941	2018-12-20	2467.419922
2018-12-19	2506.959961		

### 3. MACD

- Shuffle = True

Table 8: Close Price Comparison via MACD

Date	Buy with Original Signals	Date	Buy with Original Signals
2017-01-04	2270.750000		
2017-01-11	2275.320068	2017-01-17	2267.889893
2017-01-24	2280.070068		
2017-04-24	2374.149902	2017-04-26	2387.449951
2017-05-25	2415.070068	2017-05-30	2412.909912
2017-06-19	2453.459961		
2017-07-13	2447.830078	2017-07-18	2460.610107
2017-08-31	2471.649902	2017-08-09	2474.020020
		2017-09-06	2465.540039
2017-11-08	2594.379883		
2017-11-28	2627.040039	2017-11-28	2627.040039
2018-01-04	2723.989990		
2018-02-23	2747.300049	2018-02-27	2744.280029
2018-03-05	2720.939941	2018-03-09	2786.570068
2018-04-10	2656.870117	2018-04-16	2677.840088
2018-05-07	2672.629883		
2018-06-04	2746.870117		
2018-07-09	2784.169922	2018-07-12	2798.290039
2018-08-06	2850.399902	2018-08-09	2853.580078
2018-08-24	2874.689941	2018-08-29	2914.040039
2018-09-20	2930.750000		
2018-11-02	2723.060059	2018-11-07	2813.889893
2018-11-28	2743.790039	2018-12-03	2790.370117

- Shuffle = False

Table 9: Close Price Comparison via MACD

Date	Buy with Original Signals	Date	Buy with Original Signals
2017-01-04	2270.750000	2017-01-09	2268.899902
2017-01-11	2275.320068		
2017-01-24	2280.070068		
2017-04-24	2374.149902	2017-04-26	2387.449951
2017-05-25	2415.070068	2017-05-31	2411.800049
2017-06-19	2453.459961		
2017-07-13	2447.830078	2017-07-18	2460.610107
2017-08-31	2471.649902	2017-09-06	2465.540039
2017-11-08	2594.379883		
2017-11-28	2627.040039	2017-11-28	2627.040039
2018-01-04	2723.989990	2018-01-05	2743.149902
2018-02-23	2747.300049	2018-02-27	2744.280029
2018-03-05	2720.939941		
2018-04-10	2656.870117	2018-04-16	2677.840088
2018-05-07	2672.629883		
2018-06-04	2746.870117		
2018-07-09	2784.169922	2018-07-11	2774.020020
2018-08-06	2850.399902		
2018-08-24	2874.689941	2018-08-28	2897.520020
2018-09-20	2930.750000		
2018-11-02	2723.060059	2018-11-07	2813.889893
2018-11-28	2743.790039	2018-11-30	2760.169922

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#### 3.1 Import data

1. **Dataset:** Tabular Playground Series - Mar 2022(<https://www.kaggle.com/code/ambrosm/tpsmar22-eda-which-makes-sense/data>)
2. There are 12 roadways, 8 directions and 65 combinations of roadway with direction. This means that on average, a roadway has between 5 and 6 directions. The code below shows this for the training data; the test data has the same geography. There are no missing values here.

row id	time	x	y	direction	congestion
0	1991-04-01	0	0	EB	70
1	1991-04-01	0	0	NB	49

Table 10: dataset head

3. **Time:** There are 13059 time values in the training data. As  $13059 * 65 = 848835$ , i.e. the length of the train dataframe, we know that at every point in time, the congestion is known for all 65 roadways.
4. Choose one road(EB00)  
13059 rows  $\times$  1 columns

time	congestion
1991-04-01	70
1991-04-01	70

Table 11: EB00 head

#### 3.2 CNN model

1. **Split the train and test for XGBoost regression**  
train\_size = int(len(EB00) \* 0.8)  
train: 10447 rows  $\times$  1 columns(For CNN model)  
test: 2612 rows  $\times$  1 columns
2. **Noisy data**

- Data: train
- Repeat 100 times
- delete first 51 columns
- Shape: 100 rows  $\times$  10396 columns
- Raw: SMA/EMA
- Columns: date

### 3. Pure data

- Data: train
- talib.SMA/EMA to calculate (range:(2,52))
- delete first 51 columns which have Nan values
- Shape: 100 rows  $\times$  10396 columns
- Raw: SMA/EMA
- Columns: date

### 4. MinMaxScaler()

- fit\_transform(EB00\_train\_noisy)
- **Shape::** (100, 10396, 1)
- fit\_transform(EB00\_train\_pure)
- **Shape::** (100, 10396, 1)

### 5. train\_test\_split

- test\_size=0.2
- Shuffle = True
- train\_train (80, 10396, 1)

### 6. Model structure

- 

### 7. Prediction

- (a) EB00\_train
  - MinMaxScaler()–fit\_MM

- predict
- inverse(using MM)

(a) EB00\_test

- MinMaxScaler()–fit\_MM
- predict
- inverse(using MM)

### 3.3 XGBRegressor

1. EB00\_train

(a) Denoised to Denoised

- Get denoised data by predicting EB00\_train
- Generate feature matrix using denoised data(shift)
- Using TimeSeriesSplit(5)
- Using the feature to regression the denoised data
- Calculate average MSE
- Before transfer back: 0.0008610779885202646
- After: 8.209789848327636

(b) Denoised to Original

- Get denoised data by predicting EB00\_train
- Generate feature matrix using denoised data(shift)
- Using TimeSeriesSplit(5)
- Using the feature to regression the original data
- Calculate average MSE
- Before transfer back: 0.0159162247814175
- After: 174.44955564114952

(c) Original to Original

- Generate feature matrix using original data EB00\_train(shift)
- Using TimeSeriesSplit(5)
- Using the feature to regression the original data
- Calculate average MSE
- Before transfer back: 0.01452851366064602

- After: 147.62879062077891

## 2. EB00\_test

### (a) Denoised to Denoised

- Get denoised data by predicting EB00\_test
- Generate feature matrix using denoised data(shift)
- Using TimeSeriesSplit(5)
- Using the feature to regression the denoised data
- Calculate average MSE
- Before transfer back:
- 

### (b) Denoised to Original

- Get denoised data by predicting EB00\_test
- Generate feature matrix using denoised data(shift)
- Using TimeSeriesSplit(5)
- Using the feature to regression the original data
- Calculate average MSE
- Before transfer back:
- 

### (c) Original to Original

- Generate feature matrix using original data EB00\_test(shift)
- Using TimeSeriesSplit(5)
- Using the feature to regression the original data
- Calculate average MSE
- Before transfer back:
-