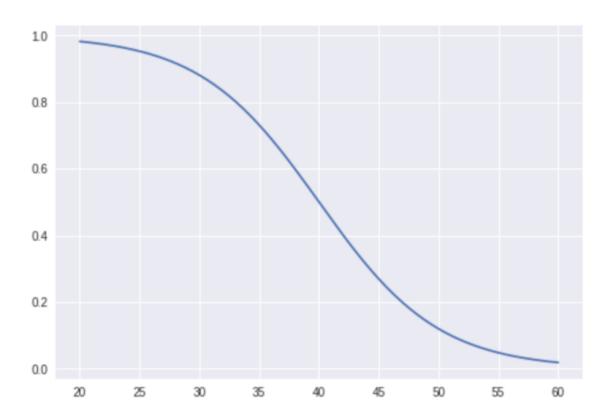
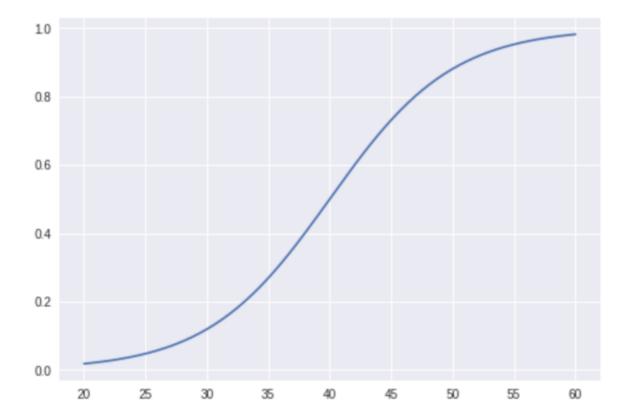
<ol> <li>Imagine that you are collecting variables while participants attempted to shoot a soccer ball. Which the following collected variables could be predicted using a logistic regression model?</li> </ol>				
	Age (years)			
	Whether a shot on goal traveled more than 20 feet			
	✓ Correct			
	Scoring a soccer goal on a given shot			
	✓ Correct			
	☐ Height			
	Sex (male vs. female)			
	✓ Correct			

2. Which of the following is a possible form/shape for a logistic regression model, where the y-axis represents the probability of success?

✓ Graph:



## Graph:



3.	Two probabilities have been transformed using the logit function. The two values after transformation are -2 and 0.25. Which of the two values corresponds to a higher original probability?
	O -2
	● 0.25
	They are the same
	○ Can't tell
	✓ Correct
4.	NHANES records whether an individual has smoked 100 cigarettes or more. The next few questions will focus on fitting models to predict whether someone has smoked 100+ cigarettes.
	First, a model is fit using body mass index (BMI) as the variable to predict smoking status. The output is here:
	coef std err z P>Izl [0.025 0.975]
	Intercept -0.4219 0.123 -3.426 0.001 -0.663 -0.181
	BMI 0.0037 0.004 0.911 0.362 -0.004 0.012
	What does the coefficient of 0.0037 mean?
	For each increase by one in BMI, the probability of smoking 100 cigarettes increases by about 0.0037, on average.
	For each increase by one in BMI, the odds of smoking 100 cigarettes increases by about 0.0037, on average.
	For each increase in one in BMI, the log odds of smoking 100 cigarettes increases by about 0.0037, on average.
	O For each increase in one in BMI, the odds of smoking 100 cigarettes increases multiplicatively by about 0.0037, on average.
	✓ Correct

Next, a model is fit adding Age as an additional covariate to BMI as the variables predicting smoking status. The output is here:

 coef
 std err
 z
 P>|z|
 [0.025 0.975]

 Intercept -1.2435 0.149 -8.366 0.000 -1.535 -0.952

 BMI 0.0030 0.004 0.718 0.472 -0.005 0.011

 Age 0.0169 0.002 10.349 0.000 0.014 0.020

## What does the coefficient of 0.0169 mean in context?

$\bigcirc$	For each increase of one in BMI, the odds of smoking 100 cigarettes increases by about 0.0169, on average.
$\bigcirc$	For each increase of one in Age, the odds of smoking 100 cigarettes increases by about 0.0169, on average.
$\bigcirc$	For each increase of one in Age, the log odds of smoking 100 cigarettes increases by about 0.0169, on average.
•	For each increase of one in Age, the log odds of smoking 100 cigarettes increases by about 0.0169 while holding BMI constant, on average.



6.	Based on the logistic regression with both Age and BMI as covariates, are the coefficients statistically significant at a two-sided 10% significance level?						
		coef	std err	z	P>IzI	[0.025	0.975]
	Intercept	-1.2435	0.149	-8.366	0.000	-1.535	-0.952
	ВМІ	0.0030	0.004	0.718	0.472	-0.005	0.011
	Age	0.0169	0.002	10.349	0.000	0.014	0.020
	Both coefficients	s are significant					
Neither coefficient is significant							
	Only the coefficie	ent for BMI is sig	gnificant				
	Only the coefficient for Age is significant						
	✓ Correct						
7. The 95% confidence interval for the coefficient for Age is given above as (0.014, 0.020). If instead wanted a 90% confidence interval, how would the width of the interval change?				If instead we			
	O It would be wide	r					
	It would be narro	ower					
	O It would stay the	same					
	Can't tell						

8.	We'd like to predict the log odds of smoking 100+ cigarettes for a given individual using the logistic
	regression model with the two variables: BMI and Age. For an individual with a BMI of 22 who is 45 years
	old, what would the predicted log odds be?

 coef
 std err
 z
 P>IzI
 [0.025 0.975]

 Intercept -1.2435
 0.149
 -8.366
 0.000 -1.535 -0.952

 BMI
 0.0030
 0.004
 0.718
 0.472 -0.005 0.011

 Age
 0.0169
 0.002
 10.349 0.000 0.014 0.020

- 3-		The second secon
-0.417		
0.8265		
0.327		
-0.7367		
Can't tell		
✓ Correct		
		ch BMIs of 14.5-64.6. For the ed log odds calculated above as
O No, this is extrapo	lation	
O No, this is interpol	ation	
Yes, this is extrapo	plation	
Yes, this is interpo	lation	
✓ Correct		

9.

10.	Fill in the blanks. With 95% confidence, I estimate that the increase in log odds of smoking 100+
	cigarettes for each increase by one in BMI, while holding Age constant, is between and, on
	average.

 coef
 std err
 z
 P>IzI
 [0.025 0.975]

 Intercept -1.2435 0.149 -8.366 0.000 -1.535 -0.952

 BMI 0.0030 0.004 0.718 0.472 -0.005 0.011

 Age 0.0169 0.002 10.349 0.000 0.014 0.020

- -1.2435 and 0.149
- 0.014 and 0.020
- -1.535 and -0.952
- -0.005 and 0.011
- Can't tell