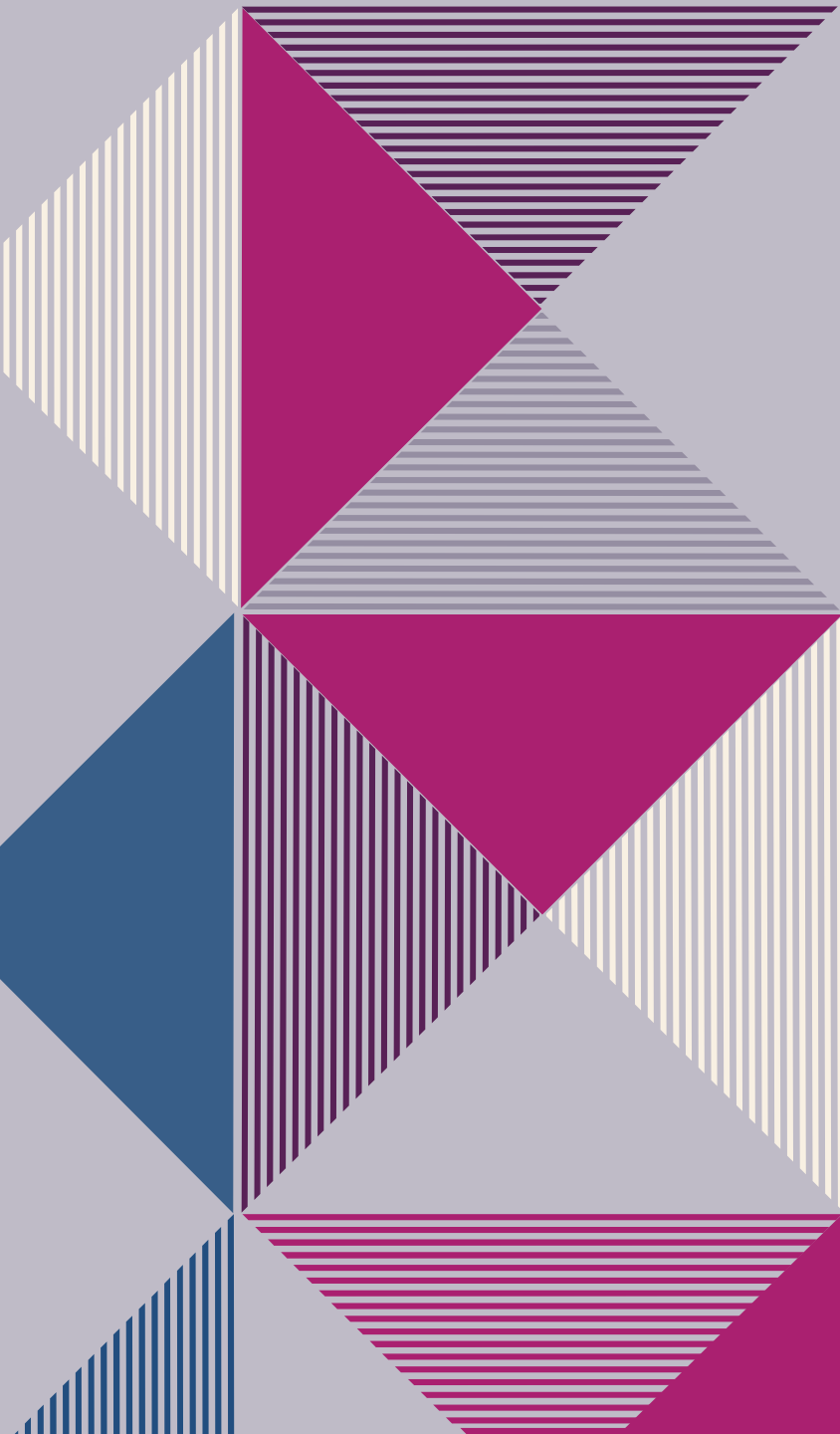




OINĂ

Cudla Ioan-Radu



TELL ME AND I WILL FORGET

Physics of cultural identity

SHOW ME AND I MAY REMEMBER

Why do I need that?

INVOLVE ME AND I WILL UNDERSTAND

The evolution of future

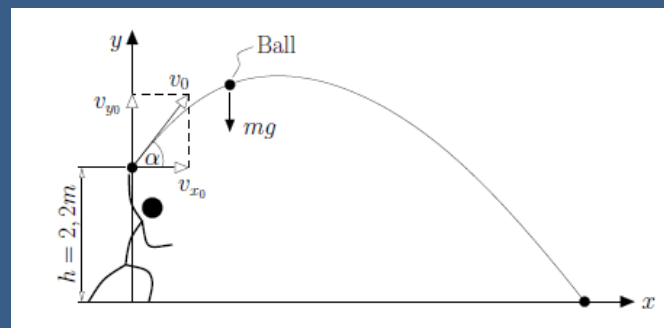


TELL ME

OINĂ

Romanian traditional sport, similar in many ways to baseball.

TARGET

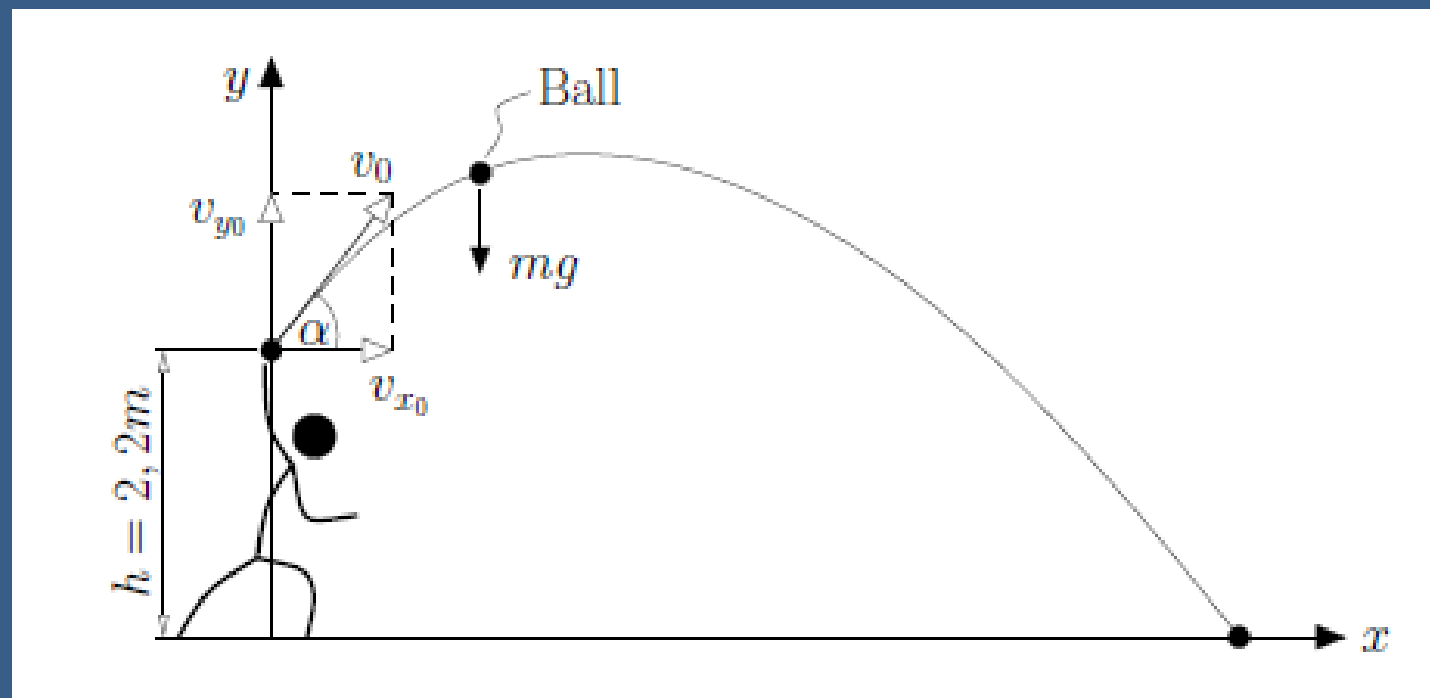


❖ As part of a sports event, an athlete has to throw a ball as far as possible. The ball is thrown from a height of $h = 2.2$ m with an angle α . Let the magnitude of the ejection velocity v_0 be given as the mean value of the following velocities:

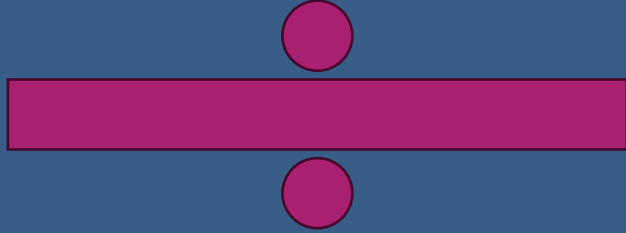
- $v_1 = 13.4$ m/s
- $v_2 = 13.7$ m/s
- $v_3 = 13.5$ m/s
- $v_4 = 13.8$ m/s .



❖ The earth's gravity is $g = 9.81$ m/ss.



- ❖ Find the mean value of the velocity.



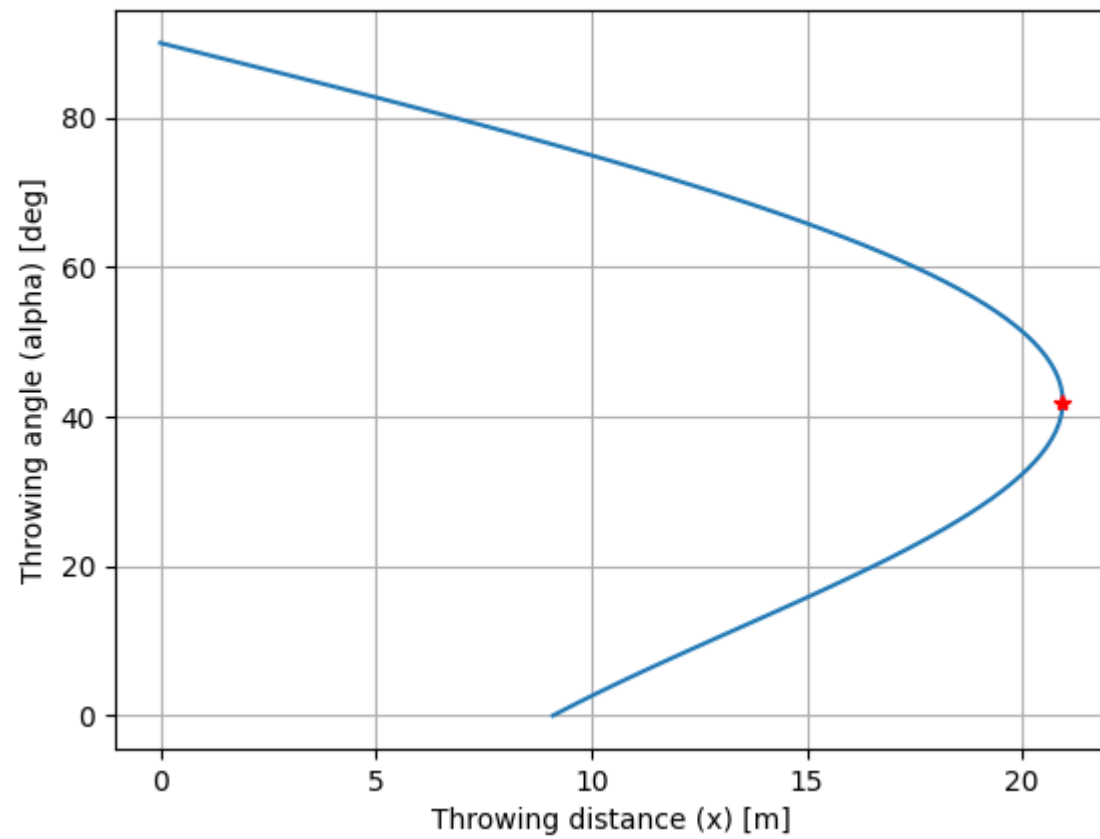
- ❖ The throwing distance is calculated as follows:

$$x = \frac{v_{x0}}{g} \left(v_{y0} + \sqrt{v_{y0}^2 + 2gh} \right)$$



- Calculate the throwing distance of the ball for the angle $\alpha \in [0^\circ, 90^\circ]$ with a step of 1° .
- Determine the maximum angle α_{\max} for which the maximum throw distance x_{\max} is reached. Then mark this point in your plot.





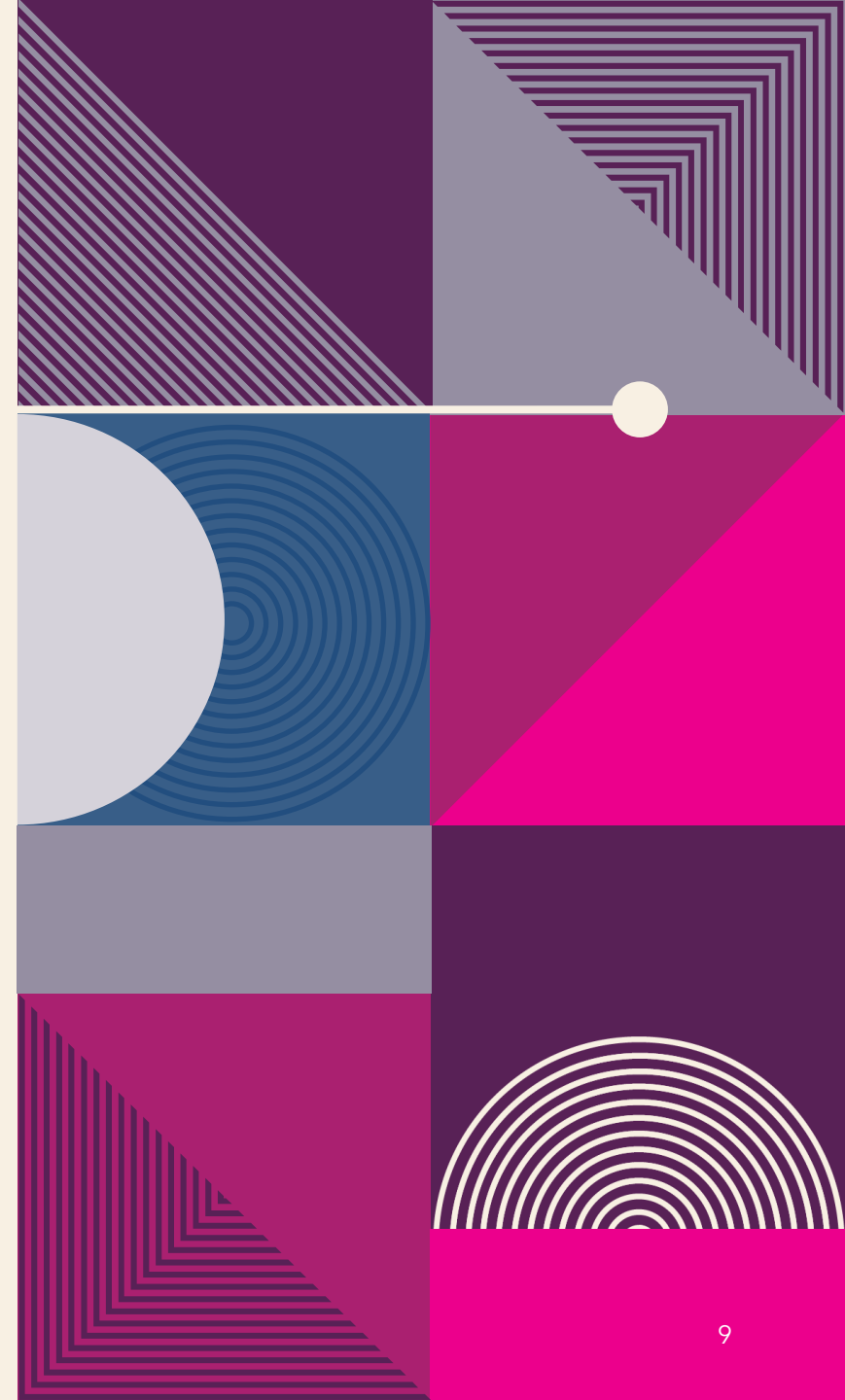
SHOW ME

PYTHON

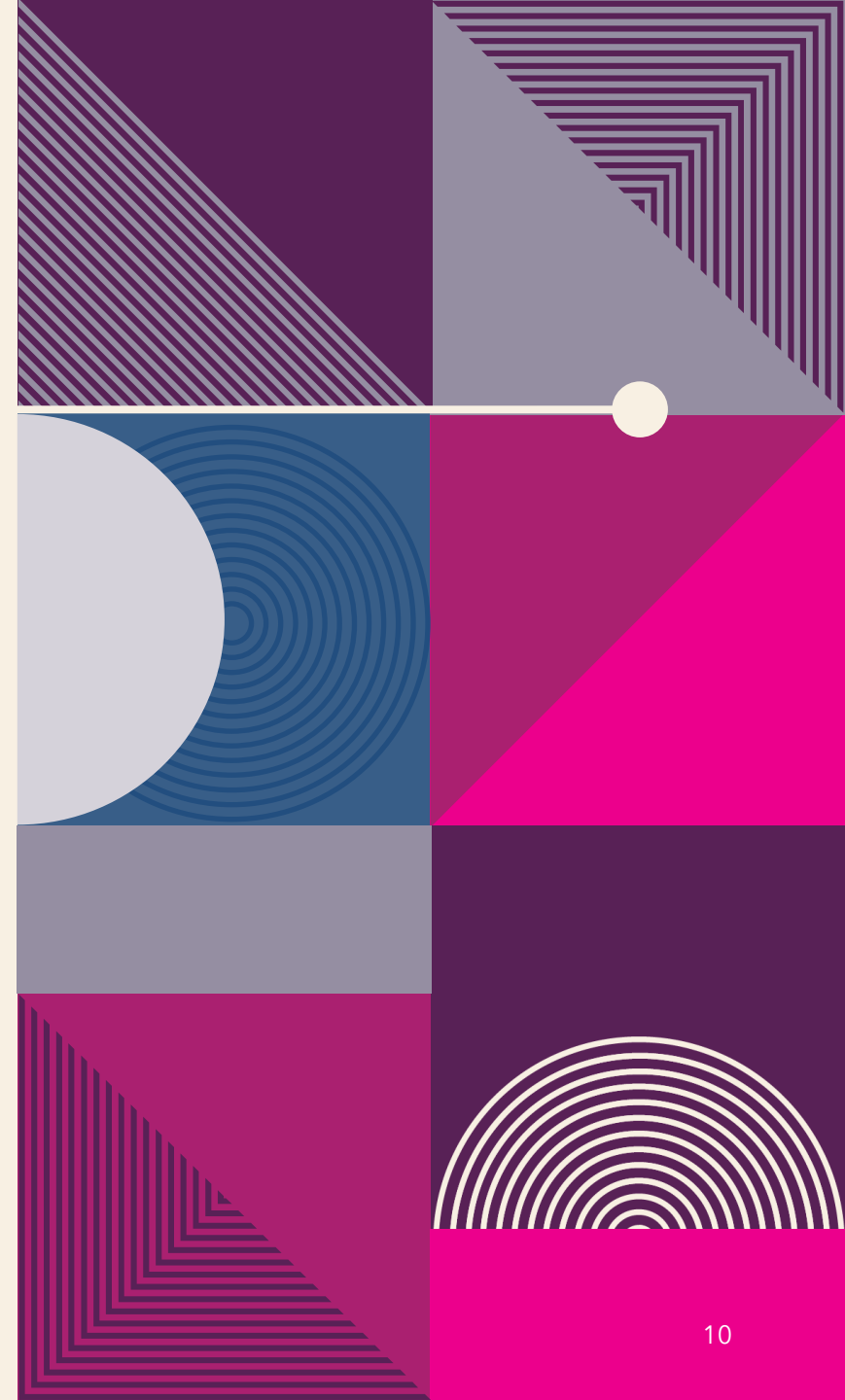
Why?

NUMPY

Why not MATLAB?



```
File Edit Selection View Go Run Terminal Help
C: > Users > cudla > Desktop > c > sarpe > hello.py > ...
1 import numpy as np
2 import matplotlib.pyplot as plt
3
4 # Task 1
5 h = 2.2          # throwing height
6 g = 9.81         # gravity
7 v1 = 13.4        # velocity 1
8 v2 = 13.7        # velocity 2
9 v3 = 13.5        # velocity 3
10 v4 = 13.8        # velocity 4
11 v0 = np.mean([v1, v2, v3, v4]) # ejection velocity
12
13 # Task 2
14 alpha = np.arange(0, 91, 1)    # throwing angle
15 vx0 = v0 * np.cos(np.radians(alpha)) # x component of ejection velocity
16 vy0 = v0 * np.sin(np.radians(alpha)) # y component of ejection velocity
17 x = vx0/g * (vy0 + np.sqrt(vy0**2 + 2*g*h)) # throwing distance
18
19 # Task 3
20 plt.figure(1)
```



TASK 1

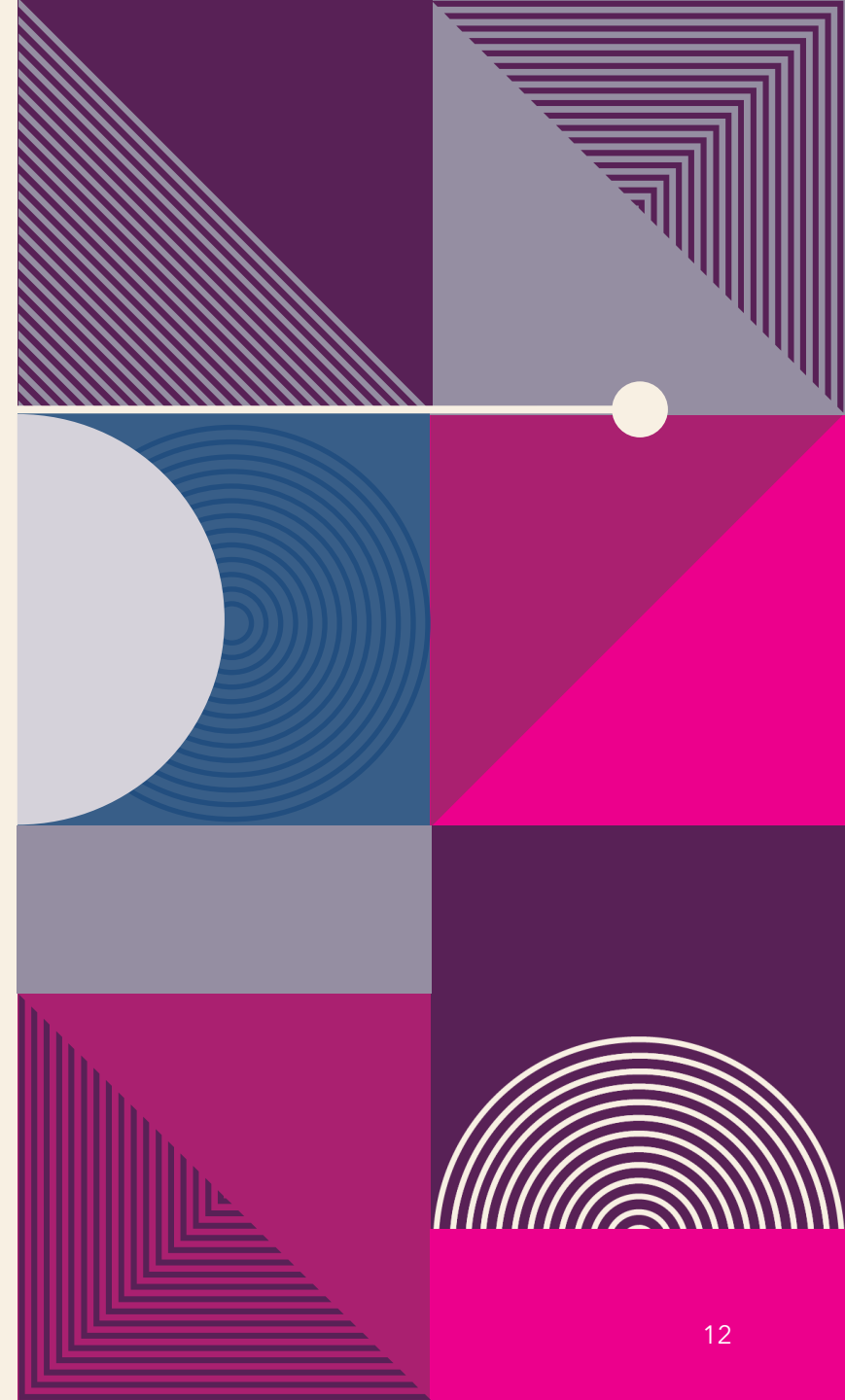
```
import numpy as np
import matplotlib.pyplot as plt

# Task 1
h = 2.2           # throwing height
g = 9.81          # gravity
v1 = 13.4         # velocity 1
v2 = 13.7         # velocity 2
v3 = 13.5         # velocity 3
v4 = 13.8         # velocity 4
v0 = np.mean([v1, v2, v3, v4]) # ejection velocity
```

TASK 2&3

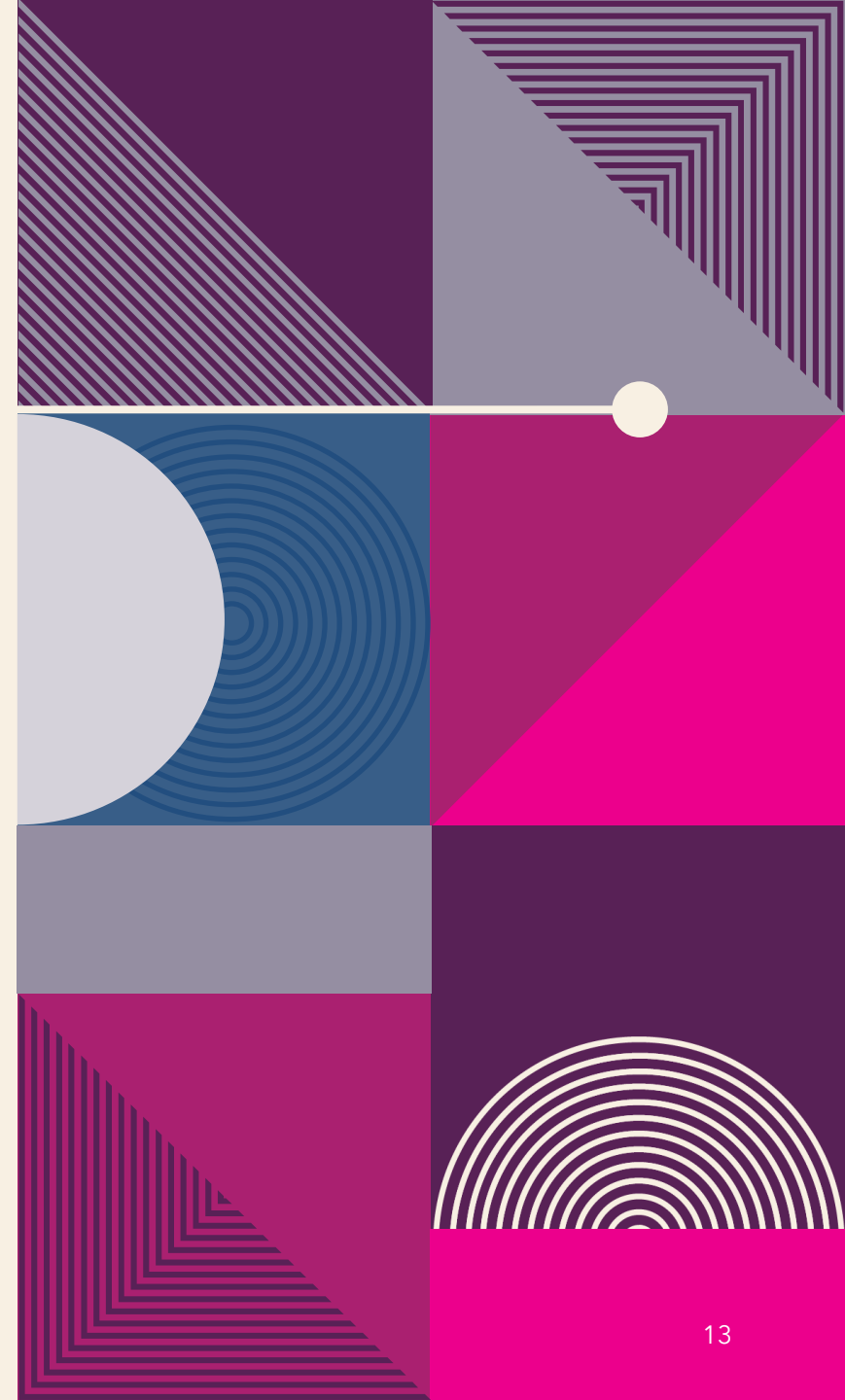
```
# Task 2
alpha = np.arange(0, 91, 1)           # throwing angle
vx0 = v0 * np.cos(np.radians(alpha))  # x component of ejection velocity
vy0 = v0 * np.sin(np.radians(alpha))  # y component of ejection velocity
x = vx0/g * (vy0 + np.sqrt(vy0**2 + 2*g*h)) # throwing distance
```

```
# Task 3
plt.figure(1)
plt.plot(x, alpha)
plt.xlabel('Throwing distance (x) [m]')
plt.ylabel('Throwing angle (alpha) [deg]') #plotting the results
plt.grid(True)
```



TASK 4

```
# # Task 4
max_ind = np.argmax(x)
x_max = x[max_ind]
alpha_max = alpha[max_ind]
plt.plot(x_max, alpha_max, 'r*')
plt.show()
```



INVOLVE ME





THANK YOU

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@cudlaradu