

E355 Engineering Economics Spring 2022
Homework #7

“I pledge my honor that I have abided by the Stevens Honor System”

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7.1 You are an investor and want a real rate of return of 8% per year. If the expected annual inflation rate for the next years is 3.5%:

a) [2 point] What interest rate should be used in project analysis calculations? Calculate the interest rate

$$i = [(1 + r) \times (1 + a)] - 1 = [(1 + 0.08) \times (1 + 0.035)] - 1 = 0.1178 = 11.78\%$$

b) [2 point] If you invests \$150,000 now, what is the amount that he should receive for the investment after 5 years?

$$FW = P(1 + i)^n = 150000(1 + 0.1178)^5 = \$261,765.13$$

7.2 [2 point] Apollo loaned his friend Demetrios \$25,000 at 7% interest, compounded annually. The loan will be paid in 5 equal end-of-year payments. Apollo expects the inflation rate to be 3%. After taking inflation into account, what real rate of return is Apollo receiving on the loan? Compute your answer to the nearest 0.1%.

i = nominal interest rate

r = real interest rate

a = inflation rate

$$(i + 1) = (1 + r) \times (1 + a)$$

$$i = [(1 + r) \times (1 + a)] - 1$$

$$r = \frac{(1+i)}{(1+a)} - 1 = \frac{(1+0.07)}{(1+0.03)} - 1 = 0.0388 = 3.9\%$$

7.3 The Anthony's Spirits has opened a new shop in Jersey City. The initial investment cost of the shop was \$200,000. It will produce \$140,000 (in constant dollars) of revenue annually for 5 years. The real interest rate is 12% and there will be 3% inflation annually.

a) [4 points] Determine the current cash flows taking into account the inflation rate.

EOY	Constant Dollar Cash Flow	Inflation Factor	Current Dollar Cash Flow
0	-\$200,000	$1/(1.03^0) = 1.0000$	$-200000 \times 1 = -\$200,000$
1	\$140,000	$1/(1.03^1) = 0.9709$	$140000 \times 0.9709 = \$135,926$
2	\$140,000	$1/(1.03^2) = 0.9426$	$140000 \times 0.9426 = \$131,964$
3	\$140,000	$1/(1.03^3) = 0.9151$	$140000 \times 0.9151 = \$128,114$
4	\$140,000	$1/(1.03^4) = 0.8885$	$140000 \times 0.8885 = \$124,390$
5	\$140,000	$1/(1.03^5) = 0.8626$	$140000 \times 0.8626 = \$120,764$

b) [6 points] Find the PW for the investment (using actual dollar cash flow values). Hint: Find the market interest rate first.

$$i = [(1 + r) \times (1 + a)] - 1 = [(1 + 0.12) \times (1 + 0.03)] - 1 = 0.1536 = 15.36\%$$

$$PW_0 = PVIF \times -200000 = \left(\frac{1}{(1.1536^0)}\right) \times -200000 = -\$200,000$$

$$PW_1 = PVIF \times 135926 = \left(\frac{1}{(1.1536^1)}\right) \times 135926 = \$117,827.67$$

$$PW_2 = PVIF \times 131964 = \left(\frac{1}{(1.1536^2)}\right) \times 131964 = \$99,161.93$$

$$PW_3 = PVIF \times 128114 = \left(\frac{1}{(1.1536^3)}\right) \times 128114 = \$83,450.86$$

$$PW_4 = PVIF \times 124390 = \left(\frac{1}{(1.1536^4)}\right) \times 124390 = \$70,236.76$$

$$PW_5 = PVIF \times 120764 = \left(\frac{1}{(1.1536^5)}\right) \times 120764 = \$59,110.03$$

$$PW_{investment} = \sum_{i=0}^5 PW_i = 117827.67 + 99161.93 + 83450.86 + 70236.76 + 59110.03 - 200000$$

$$PW_{investment} = \$229,787.25$$

c) [2 point] Was the investment worth undertaking? Why?

The investment is worth undertaking, as the PW is positive.