Problem 2.
Theorem: For every integer m, if m is even then $3m + 5$ is odd

Proof. Let $n \in \mathbb{Z} \ni n$ is odd
By definition of odd, $k = 2$

■

Problem 9.
If an integer greater than 4 is a perfect square, then the immediately preceding integer is not prime

Proof.

■

Problem 23.
The product of any even integer and any integer is even.

Proof.

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