

# Satellite Signal Strength

- power lvl. of electromagnetic signal received at ground station.
- Primary metric of strength: received power
- Unit: watts OR decibels milliwatt (dBm)

## → Free-space Path loss (FSPL)

- Reduction in signal power as it travels through space  
↓  
due to spreading

Assumption: Unobstructed line-of-sight path b/w receiver & transmitter

$$FSPL = \left( \frac{4\pi d f}{c} \right)^2 \quad \text{OR} \quad FSPL_{dB} = 20 \log_{10} d + 20 \log_{10} f + 20 \log_{10} \left( \frac{4\pi}{c} \right)$$

$d \rightarrow$  distance b/w satellite and receiver

$f \rightarrow$  freq. of signal

$c \rightarrow$  speed of light ( $3 \times 10^8$  m/sec)

Eg Geostationary satellite at distance 36,000 km and a signal frequency of 12 GHz. FSPL?

Soln

$$\begin{aligned} FSPL_{dB} &= 20 \log_{10} (3.6 \times 10^7 \text{ m}) + 20 \log_{10} (12 \times 10^9 \text{ Hz}) \\ &\quad + 20 \log_{10} \left( \frac{4\pi}{3 \times 10^8} \right) \\ &= \boxed{165.3 \text{ dB}} // \end{aligned}$$

## → Link Budget

- all gains & losses in communication link, to find received signal power.

$$[P_r = P_t + G_t + G_r - \text{FSPL} - L_{\text{atm}} - L_{\text{other}}]$$

received power      transmitted power      transmitter antenna gain      receiver antenna gain      atmospheric loss      other losses

## → Antenna Gain (G)

- How well antenna focuses energy in particular direction
- For parabolic dish antenna

$$G = \left( \frac{\pi D f}{c} \right)^2 \eta$$

Antenna gain      OR

$$G_{\text{dB}} = 20 \log(\eta) + 20 \log(D) + 20 \log(f) + 20 \log\left(\frac{\pi}{c}\right)$$

$\eta \rightarrow$  Antenna Efficiency (0.55 - 0.7 typically)

$D \rightarrow$  Antenna Diameter.

## → Carrier-to-noise Ratio (C/N)

- Signal quality wrt background noise

$$\frac{C}{N} = P_r - N$$

$$N = 10 \log_{10}(KTB)$$

$N \rightarrow$  Noise power (dBm or dBW)

$K \rightarrow$  Boltzmann's constant  
( $1.38 \times 10^{-23}$  J/K)

$T \rightarrow$  System noise Temperature (K)

$B \rightarrow$  receiver Bandwidth (Hz)

High C/N ratio,  
Better signal quality



## → Factors affecting signal strength

### ① Atmospheric Attenuation:

- Rain absorbs & scatters signals, especially at higher frequencies.  
Attenuation depends on rain rate (mm/hr)
- Ku-band  
12-18 GHz
- Ka-band  
26-40 GHz
- Gaseous absorption ( $O_2$  & water vapour) absorbs signal at frequency of 22 GHz.

### ② Interference: From other satellites / terrestrial sources reduces signal quality.

$$\left[ \text{carrier-to-interference ratio} = P_s - P_i \right] \quad \left. \vphantom{\left[ \text{carrier-to-interference ratio} = P_s - P_i \right]} \right\} \begin{array}{l} P_i = \text{Power of interfering} \\ \text{signal} \end{array}$$

### ③ Antenna misalignment: loss due to pointing error ( $\theta$ )

$$L_{\text{pointing}} = 2 \left( \frac{\theta}{\theta_{3dB}} \right)^2 \quad \left. \vphantom{L_{\text{pointing}} = 2 \left( \frac{\theta}{\theta_{3dB}} \right)^2} \right\} \begin{array}{l} \theta_{3dB} \rightarrow \text{antenna's} \\ 3dB \text{ Bandwidth} \end{array}$$

### ④ Polarization: Satellite uses linear or circular polarization mismatch b/w transmitter or receiver can cause loss of 3dB (for linear-circular mismatch) or upto 20dB (for orthogonal polarization)

- ⑤ Distance : GEO Satellites  $\rightarrow$  higher path loss but stable position.  
LEO Satellites  $\rightarrow$  lower path loss but needs tracking.

## $\rightarrow$ Mathematical modeling of Signal Strength.

- ① Friis Transmission Eqn.

$$\left[ P_r = P_t G_t G_r \left( \frac{\lambda}{4\pi d} \right)^2 \right] \quad \left. \vphantom{\left[ P_r = P_t G_t G_r \left( \frac{\lambda}{4\pi d} \right)^2 \right]} \right\} \lambda = \frac{c}{f}$$

OR

$$\left[ P_{r \text{ dBm}} = P_{t \text{ dBm}} + G_{t \text{ dBm}} + G_{r \text{ dBm}} - FSA_{\text{dB}} \right]$$

- ② Noise Figure & System temperature

$\downarrow$   
quantifies degradation  
of signal-to-noise  
ratio by receiver

$$F_{\text{dB}} = 10 \log_{10}(F)$$

$\downarrow$

$$T_{\text{sys}} = T_{\text{antenna}} + T_{\text{receiver}}$$

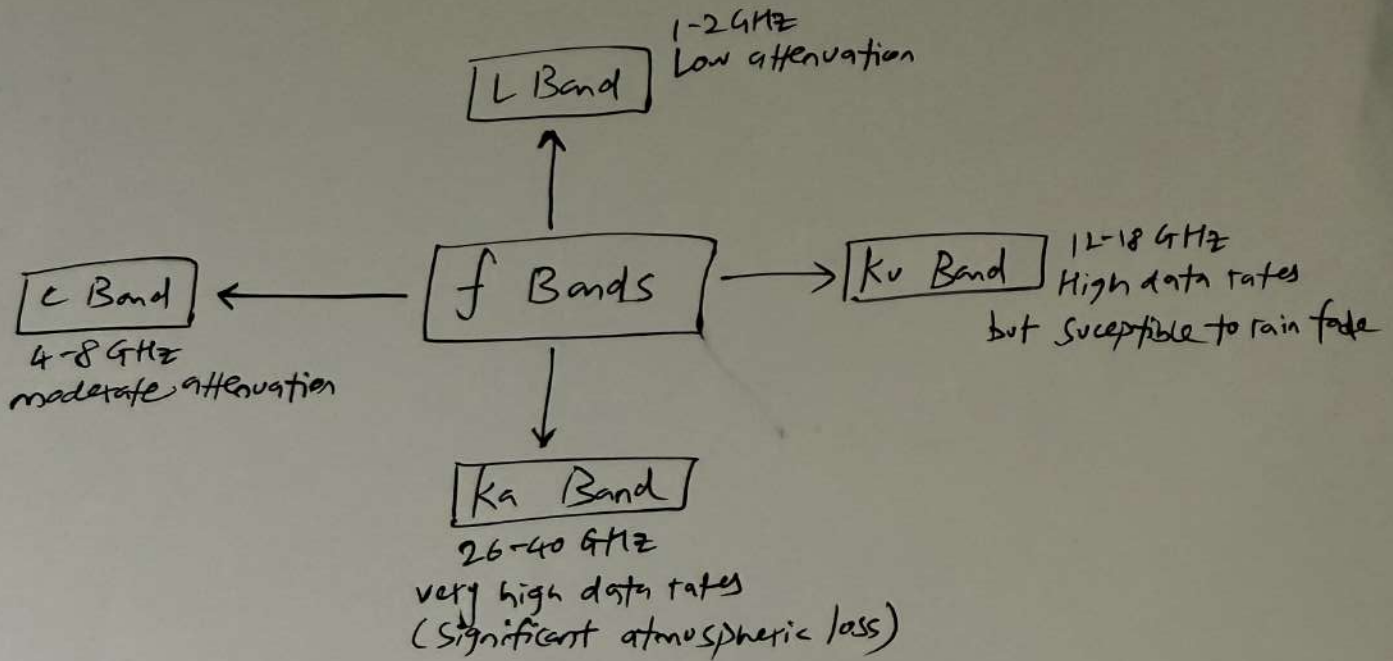
- ③ Bit Error Rate (BER)

$\downarrow$   
Energy per bit  
to noise power spectral  
density Ratio

$$\left. \frac{E_b}{N_0} = \frac{C/N}{R_b/B} \right\} R_b \rightarrow \text{bit Rate}$$



## → Frequency Bands



## → Receiver Sensitivity

- minimum detectable signal (MDS)

$$\text{MDS} = -174 + 10 \log$$

$$\text{MDS} = -174 + 10 \log_{10}(B) + NF \quad \left. \vphantom{\text{MDS} = -174 + 10 \log_{10}(B) + NF} \right\} NF \rightarrow \text{noise figure}$$