

$$1. \quad \frac{190 - 198}{\frac{13.16}{\sqrt{10}}} = -1.922$$

$H_0: m \geq 198$
 $H_1: m < 198$

拒絕 $H_0 \Rightarrow$ 合格

$$\alpha = 0.05$$

$$t_{0.05, 9} = -1.833$$



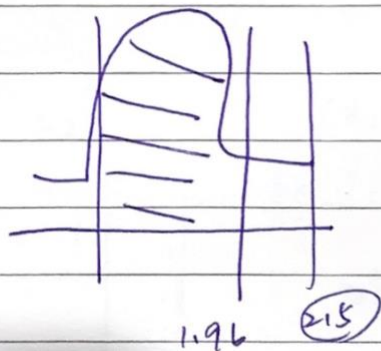
-1.922 -1.833

$$2. H_0: m = 420$$

$$H_1: m \neq 420$$

$$\alpha = 0.05 \quad \frac{\alpha}{2} = 0.025$$

$$Z_{0.025} = 1.96$$



$$\frac{423 - 420}{\frac{12}{\sqrt{100}}} = 2.15$$

1.96

2.15

$$\frac{12}{\sqrt{100}}$$

拒絕 $H_0 \Rightarrow$

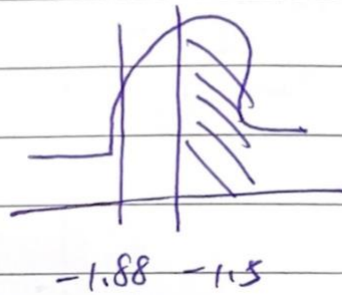
3.

$$H_0: \mu \geq 70$$

$$H_1: \mu < 70$$

$$Z_{0.03} = -1.88$$

$$\frac{68.15 - 70}{\frac{6}{\sqrt{36}}} = -1.5$$



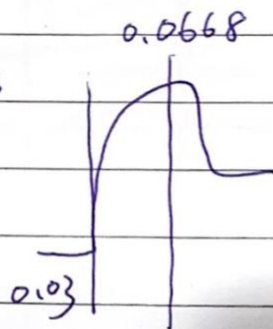
不拒絕 $H_0 \Rightarrow$ 成績沒有不如去年

4.

$$P < Z(-1.5)$$

$$= 0.0668 > 0.03$$

\Rightarrow 不拒絕 H_0



5.

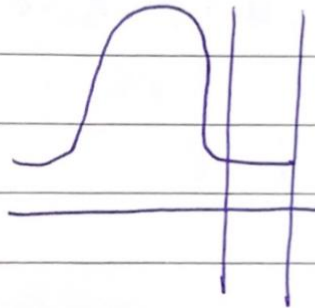
$$H_0 = \mu \leq 1.5$$

$$H_1 = \mu > 1.5$$

$$t_{0.05}(4) = 2.132$$

$$\frac{1.52 - 1.5}{\sqrt{0.019}}$$

$$\frac{0.019}{\sqrt{5}} = 2.354$$



$$2.132 < 2.354$$

拒絕 $H_0 \Rightarrow$ 超標不合格.

例 7.11 p. 253

$$(1) H_0 = \frac{\sigma_1^2}{\sigma_2^2} = 1, H_1 = \frac{\sigma_1^2}{\sigma_2^2} \neq 1$$

$$(2) \alpha = 0.1$$

$$\begin{aligned} (3) C &= \left\{ F < F_{1-\frac{\alpha}{2}}(n_1-1, n_2-1) \text{ 或 } F > F_{\frac{\alpha}{2}}(n_1-1, n_2-1) \right\} \\ &= \left\{ F < F_{0.95}(9, 7) \text{ 或 } F > F_{0.05}(9, 7) \right\} \\ &= \left\{ F < 0.309 \text{ 或 } F > 3.68 \right\} \end{aligned}$$

$$(4) F = \frac{s_1^2}{s_2^2} = \frac{0.1653^2}{0.1627^2} = 1.085$$

我們不難想像無假設服用二種品牌的嬰兒對嬰兒伴重成長的變異數，並沒有太大的差異。

例 7.13 $p_1 = 0.56$

(1) $H_0 = p_1 - p_2 \leq 0$, $H_1 = p_1 - p_2 > 0$

(2) $\alpha = 0.05$

(3) $C = \{Z > z_{\alpha}\} = \{Z > 1.645\}$

(4) $n_1 = 200$ $n_2 = 150$ $X = 108$ $Y = 78$ $\hat{p}_1 = 0.54$

$$\bar{p} = \frac{X+Y}{n_1+n_2} = \frac{108+78}{200+150} = 0.531$$

$$\hat{p}_2 = 0.52$$

$$Z = \frac{\hat{p}_1 - \hat{p}_2}{\sqrt{\bar{p}(1-\bar{p})\left(\frac{1}{n_1} + \frac{1}{n_2}\right)}} = \frac{0.54 - 0.52}{\sqrt{0.531(1-0.531)\left(\frac{1}{200} + \frac{1}{150}\right)}} = 0.371$$

我們不華邪虛無假設
即男性投保意外險的比例沒有
多於女性