The order of a complex is the maximum order of its simplices. A complex  $\Sigma^d$ of order d is also called a d-complex. A d-complex is regular if each simplex is an s-face of a d-simplex. Two simplices  $\sigma_1$  and  $\sigma_2$  in a complex  $\Sigma$  are s-adjacent if they have a common s-face; they are s-connected if a sequence of simplices in  $\Sigma$  exists, beginning with  $\sigma_1$  and ending with  $\sigma_2$ , such that any two consecutive terms of the sequence are s-adjacent. In the following, face and adjacency (without prefix) of a d-simplex stand for (d-1)-face and (d-1)-adjacency.  $K^s(\Sigma^d)$   $(0 \le s \le d)$  denotes the set of s-simplices belonging to  $\Sigma^d$ , and  $|K^s|$  denotes their number. With some abuse of language, we call  $K^s$  the s-skeleton. The set of vertices of  $\Sigma^d$  is therefore  $K^0(\Sigma^d)$ , and the set of d-simplices is  $K^d(\Sigma^d)$ .