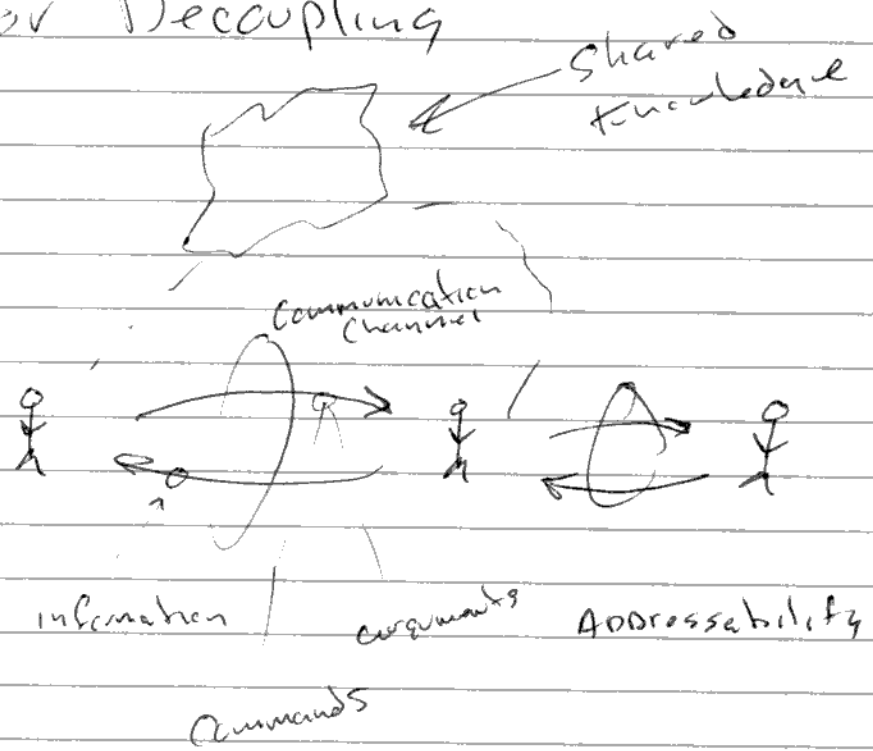


subspace - acc

# Actor Decoupling



Transaction

Registration

# Actor Decoupling

- Actor placed in completely dark room

## Discovery Process

### Ping

- assumes actors have locations
- assumes locations have connections
- uses this location / space substrate to tunnel to other actors connected to this substrate
- is transactional but different
- location / path to peer actor is carried in transaction

capabilities in response too

Location substrate is important for all communication

### Beacon

- like ping but announcement of location / capabilities not discovery

### Registration

- updating location of actor in specific subspace / substrate

The "location" substrate is an enabler for decoupling and multi-instance

# Actor model

## Transactions

- require actors to have locations in a substrate
- have state
- require actors to have shared information in terms of responding to messages

## What can actors Do

- Bridge between substrates
  - tunnel
  -
- Context between message encoders
- Project structures from other substrates against each other

Substrate as a concept

-- message is its own substrate

Concept -

Transaction is digging through  
substrates

Concept

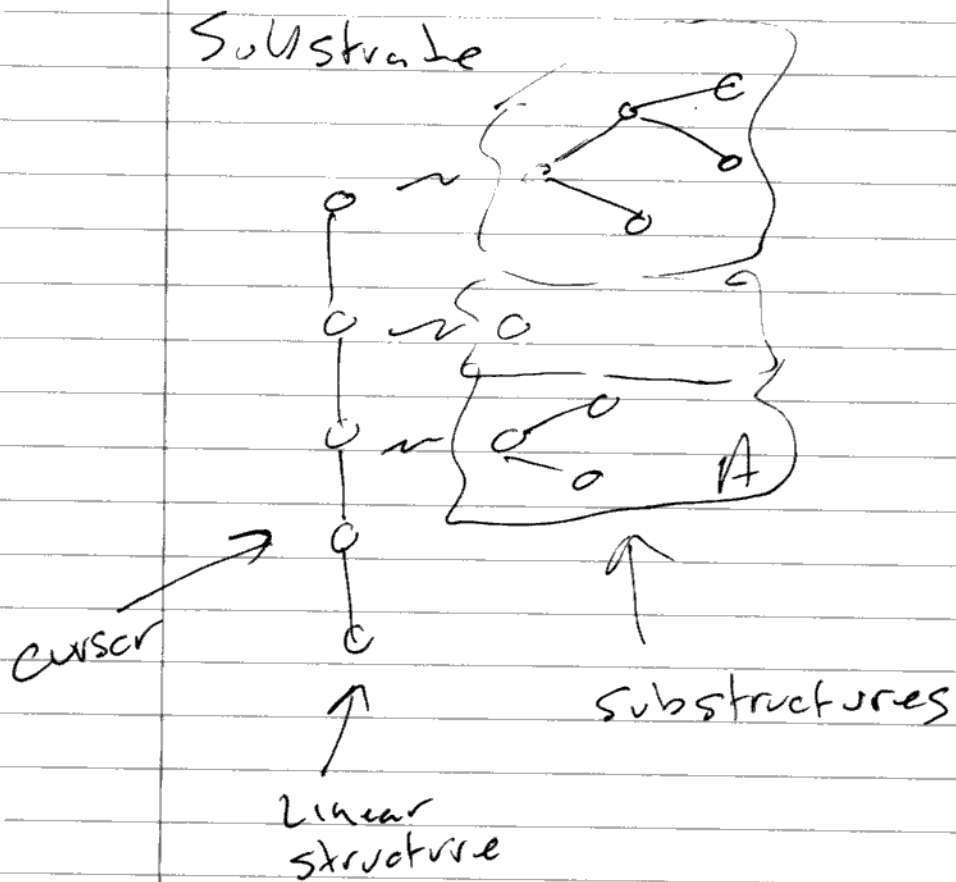
Cursor in substrate

Concept

Function constrains regions and  
patterns in input/output structures

Concept

Function as a view selector



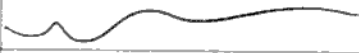
Stacking of Substrate

Substrate traversal

Cursor opens access to Substrate "A"

Cursor  
Linear  
Substrate

The message is its own  
substrate



Thought experiment

✓ Actor / message model assumes  
messages are snapshots or replicas  
of substrates / subspaces

What if we viewed the message  
as having access to the subspaces  
constrained by the message

What if multiple actors could  
modify the space?

What if copy on write protocols  
were used?

✓ Concept of substrates

The message is its own substrate...

- The fields in a message are/have locations where data can be found
- this use of locations is equivalent to actors having locations
- the data structure locations can be accessed the same way other actors can be accessed at locations w/ messages
- accessing a location in a data structure just means getting access to the substrate at that location where the substrate may contain another data structure

# Substrate operations

Set operation

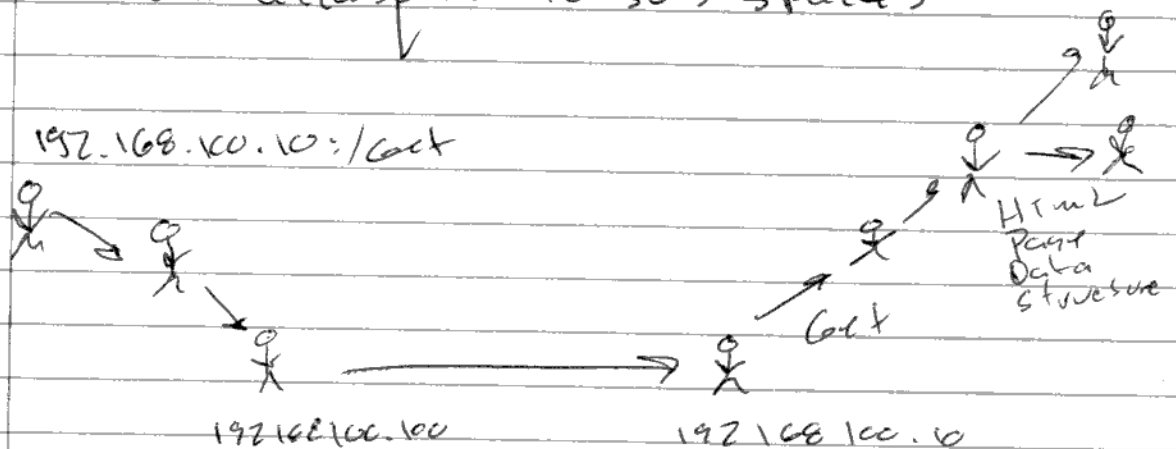
Combine

Divide / Partition

Criteria

is this  
solid?

Transaction as a  
hierarchy or  
sequence  
of accesses to sub spaces



The method name, "GET" is just  
another location in a subspace of  
methods

In this case the GET creates  
a new, copy generated hierarchical  
subspace set as a new data  
structure by aggregating selected  
sub spaces



So...

Our functions/methods are just the equivalent of location identifiers in some subspace / substratum.

Something that makes functions / methods unique is the requirement to synthesize a new ~~sub~~ hierarchical subspace when the function/method is called.

Conventional Data structures are more static, and don't require the synthesis of the hierarchical subspace when accessed

This is probably related to copy on write behavior.

Once the hierarchical subspaces / actors in a data structure are created they can be accessed (read) repeatedly w/o being reconstructed

How are functions / methods  
different from data structure  
access if both are just  
stepping through a hierarchy  
of subspaces to get to a  
space of interest? ??

$$Z = f(x, y)$$

In this example

$x$ ,  $y$  and  $f$  all constrain/  
select the hierarchical subspace  
 $Z$

$x$  and  $y$  each constrain down  
a hierarchical subspace

function  $f$  create subspace  $Z$   
by traversing  $x$  and  $y$

function  $f$  only makes sense  
if  $x$  and  $y$  have internal subspaces/  
locations known and consistent w  
function  $f$

$f$  is modular in that  $f$   
works w/ many  $x$ 's and  $y$ 's  
subspaces

So...

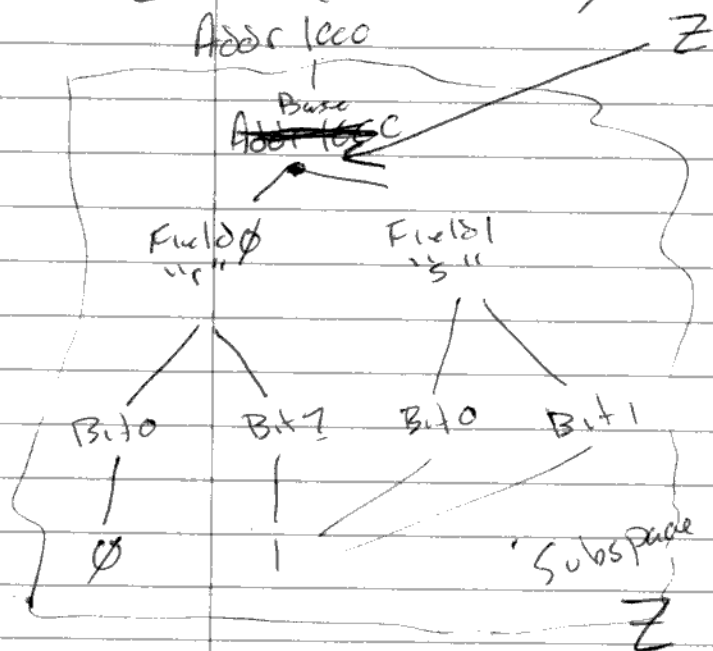
a function / method

- describes / captures / modularizes
- the transform to create subspace  $z$  from  $x, y$

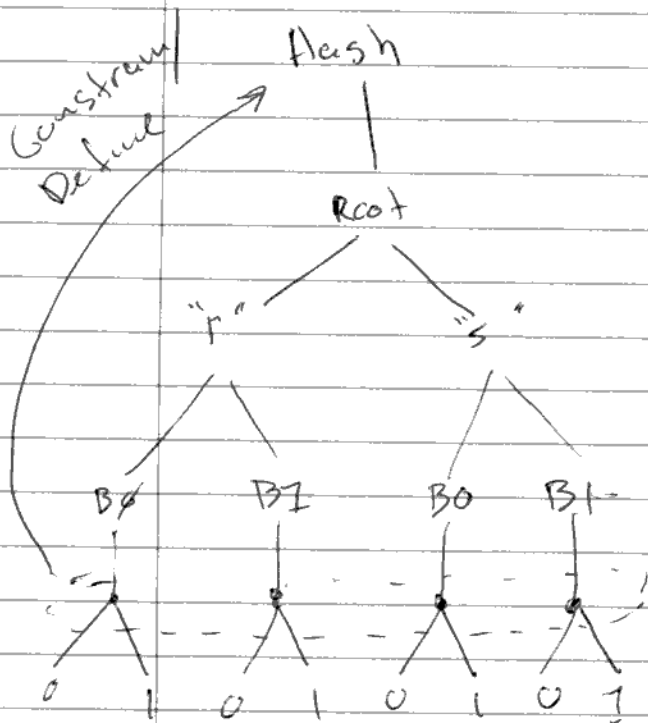
$$z = f(x, y)$$

- instantiates / <sup>constructs</sup> ~~repres~~ subspace  $z$
- constrains  $x$  and  $y$  to be a specific section of hierarchical structure so that  $f$  can traverse the structure
- but  $f$  does not constrain  $x$  and  $y$  to a specific instance

$$Z = f(addr = 1000)$$



## Data Structure



A function defines how input spaces are constrained to produce an output space

Function execution is applying the constraints to a region in the hierarchical input structures

The result of function execution on subspaces that are not fully constrained is another function and an input set/space limited to the subspace(s) that are not fully constrained

If / when the inputs are fully constrained the output is a subspace hierarchy that is fully constrained or defined.

Interestingly - ...

A fully constrained h subspace  
- can be described as  $z = f(c)$   
(no inputs)

But...

A fully constrained h subspace  
is actually not observable  
and no longer seems to exist

For a subspace to be visible and  
interesting to us the h subspace  
must be traversable.

Differentiation / Differences  
must exist in the h subspace

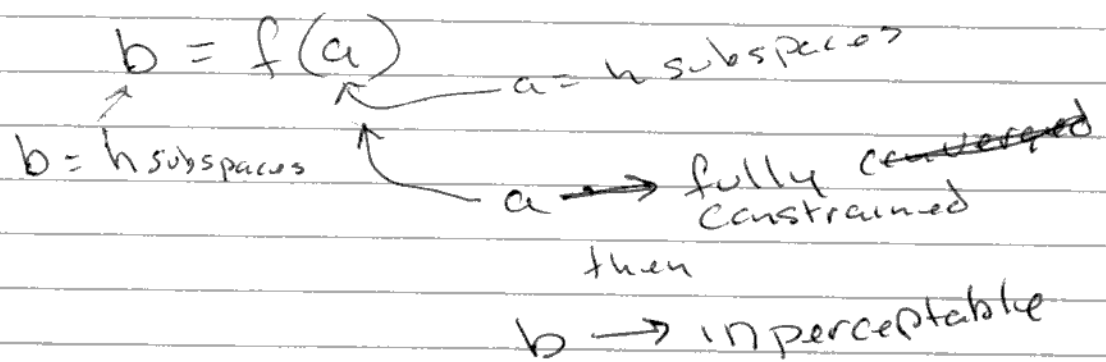
Minimum traversability looks like

$$Z_L = f(\text{position} = L) \text{ or } Z_R = f(\text{position} = R)$$

In other words minimum perceptability  
requires

Observable  
output  
h space = Transform Function (at least one input  
unconstrained that is not completely  
constrained)

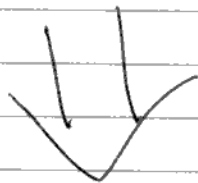
Simplification w/o complete convergence



$$b = f_b(f_a(f_{a'}(f_{a''}(\dots))))$$

some  
can  
be fully  
constrained

some,  
at least one  
must remain  
unconstrained



$$b_{\Delta} = f_{b\Delta}(f_{\text{constrained}}, f_{\text{unconstrained}})$$

this new function  
can be identified/  
referenced by a hash