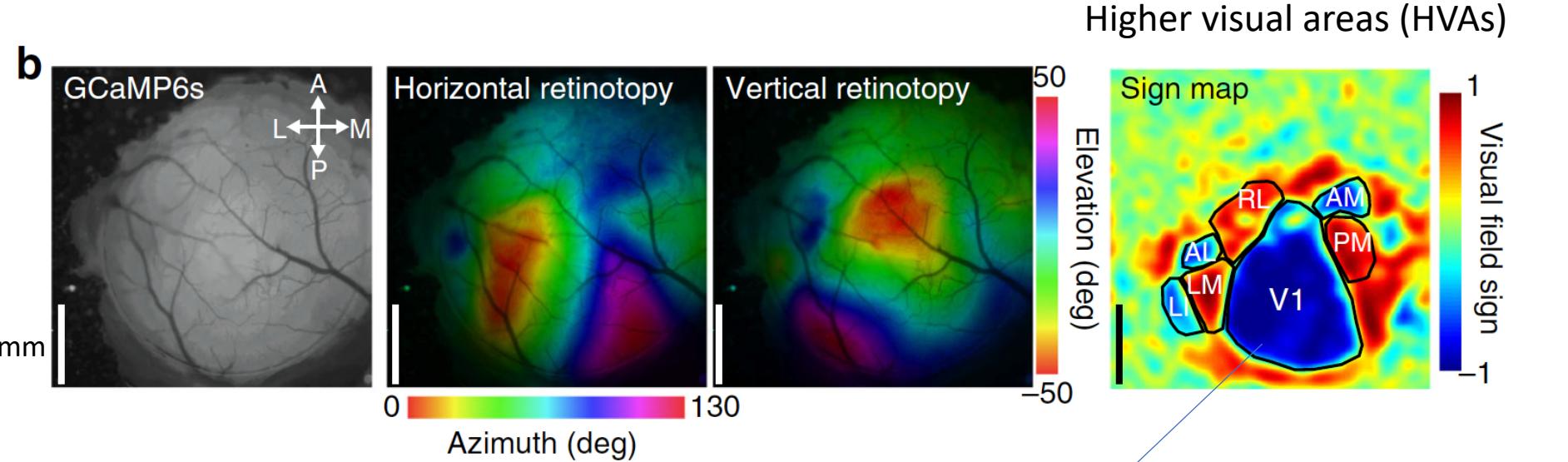
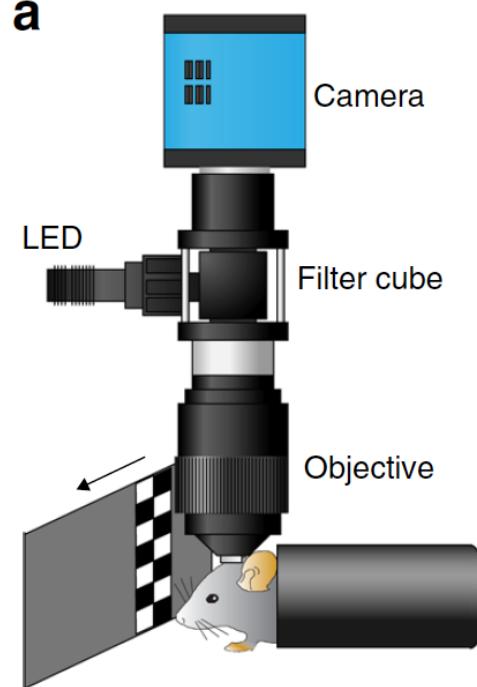
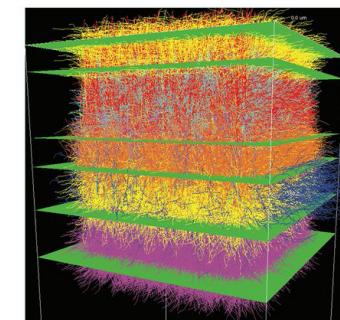


Mesoscale calcium responses in murine visual cortex

Primary visual cortex (V1) in mice contains neurons sensitive to position, orientation, ...

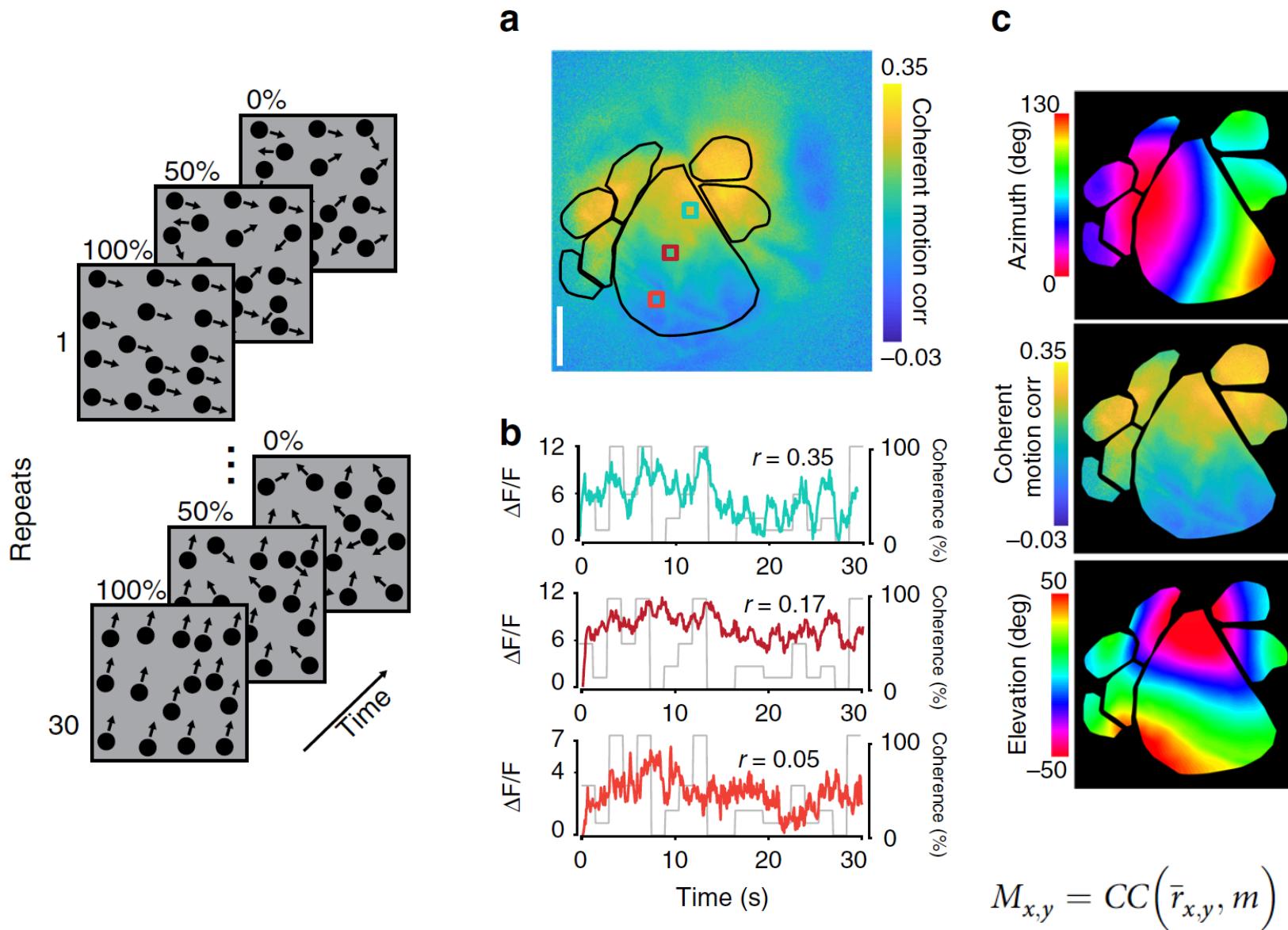


~100 um deep for wide-field
LED excitation (GFP)
4mm X 4mm (400 X 400 px), CMOS



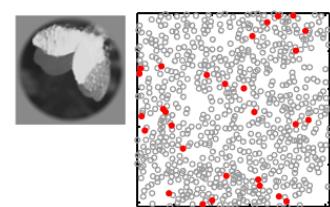
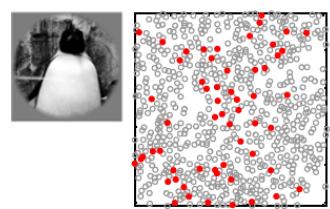
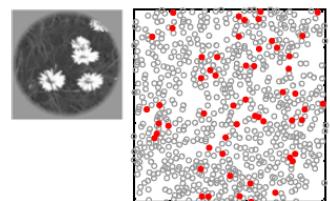
6 layers
retinotopic organization
radius of ~800 um
~230k neurons

Mesoscale calcium responses in murine visual cortex



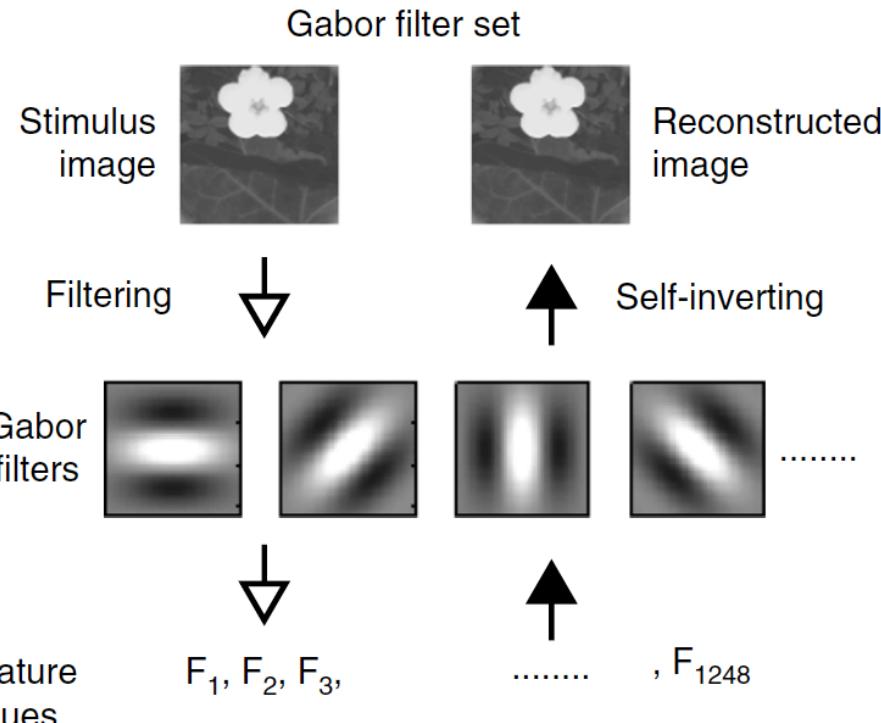
Population decoding in V1

V1 has a retinotopic organization - it is composed of simple and complex cells distinguished by their **receptive field**



$$D(x, y) = \frac{1}{2\pi\sigma_x\sigma_y} \exp\left(-\frac{x^2}{2\sigma_x^2} - \frac{y^2}{2\sigma_y^2}\right) \cos(kx - \varphi)$$

a

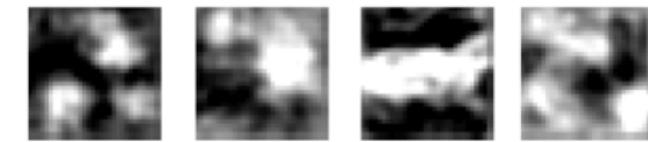


560 (284-712) cells/plane – median (25th-75th percentile)

2D two-photon imaging of GCaMP6s in mouse V1. 920nm excitation, FOV: (338 X 338 um) @ 30Hz

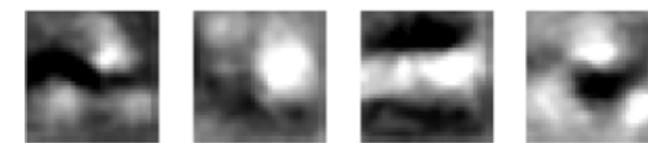


Reconstructed images (all-cell)



R: 0.60	0.64	0.71	0.54
CD: 0.36	0.41	0.50	0.29

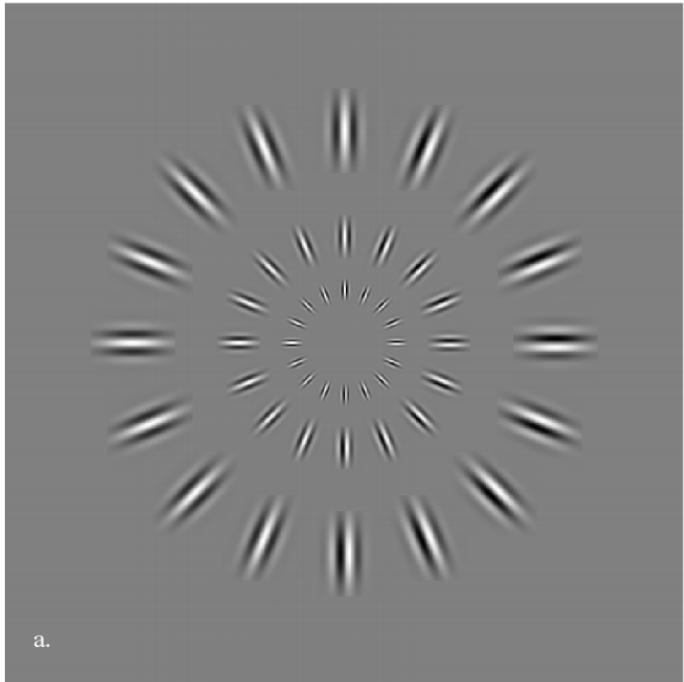
Reconstructed images (cell-selection)



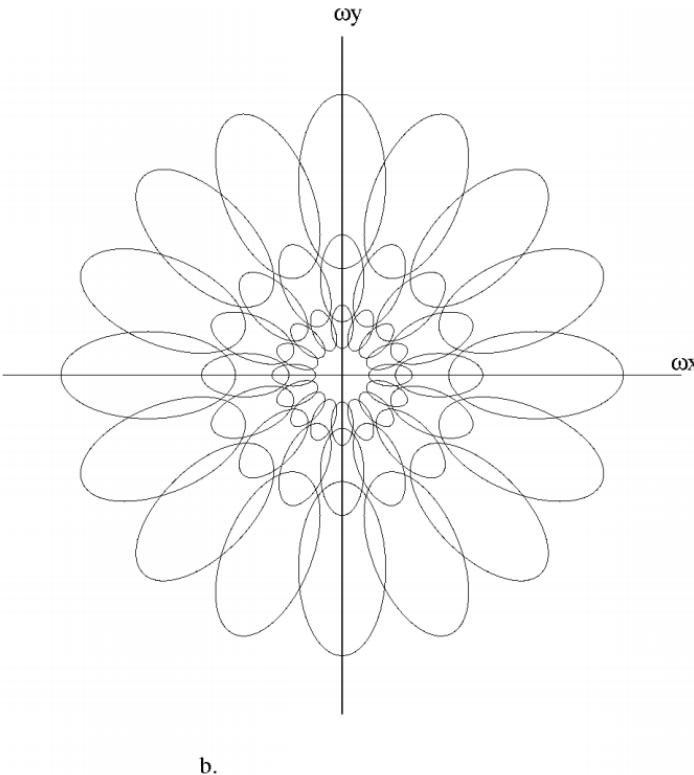
R: 0.59	0.69	0.76	0.61
CD: 0.32	0.43	0.48	0.31

pixel-to-pixel pearson correlation

Spatial domain



Frequency domain



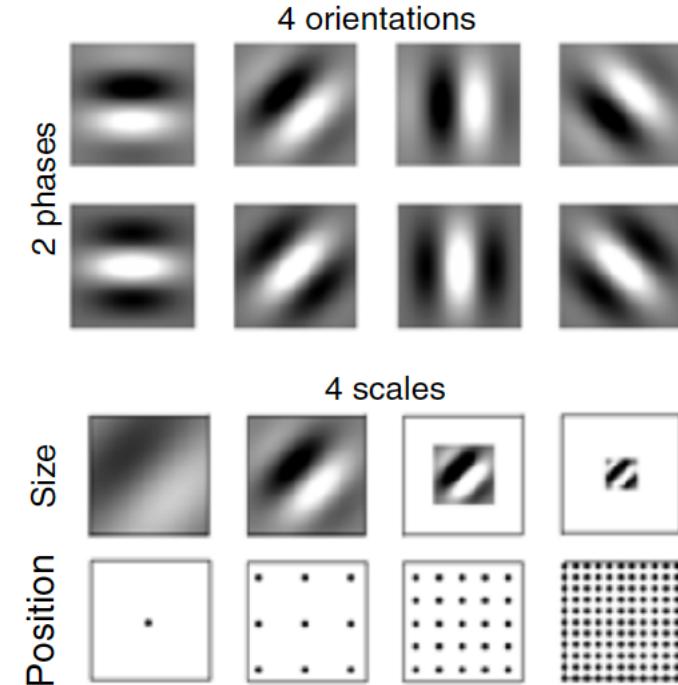
$\lambda = 1.5 - 2.0$ for simple cells, HMB ~ 1.5 octaves

Wave vector is orthogonal to major axis

inverse prop to spatial frequency

$$\sigma = \frac{\kappa}{\omega_o} \text{ where } \kappa = \sqrt{2 \ln 2} \left(\frac{2^\phi + 1}{2^\phi - 1} \right)$$

HMB [octaves]



$$8 + 9*8 + 25*8 + 121*8 = 1248$$

Space is a lattice with spacing $a_0^m b_0$

scale dependent spacing

a_0^m is related to σ , b_0 is the spatial unit

Image reconstruction experiments

TABLE 1

FRAME BOUNDS FOR THE 2D GABOR WAVELETS WITH 1.5 OCTAVE BANDWIDTH FOR DIFFERENT NUMBERS OF SAMPLING ORIENTATIONS (K), WITH THE NUMBER OF FREQUENCY STEPS PER OCTAVE $N = 1$ AND $N = 3$, AND THE UNIT SPATIAL SAMPLING INTERVAL $b_o = \Delta x/a_o = 0.8$

$N = 1$

K	A	B	B/A
4	2.502	54.388	21.739
6	17.131	56.965	3.325
8	32.107	62.141	1.935
12	57.150	81.810	1.432
16	78.494	107.516	1.370
20	98.499	134.178	1.362

$N = 3$

K	A	B	B/A
4	19.273	136.424	7.079
6	67.908	144.066	2.122
8	118.664	161.044	1.357
12	201.665	217.529	1.079
16	272.766	286.155	1.049
20	341.454	357.199	1.046

$B/A = 1$ is a “tight-frame” which achieves perfect reconstruction

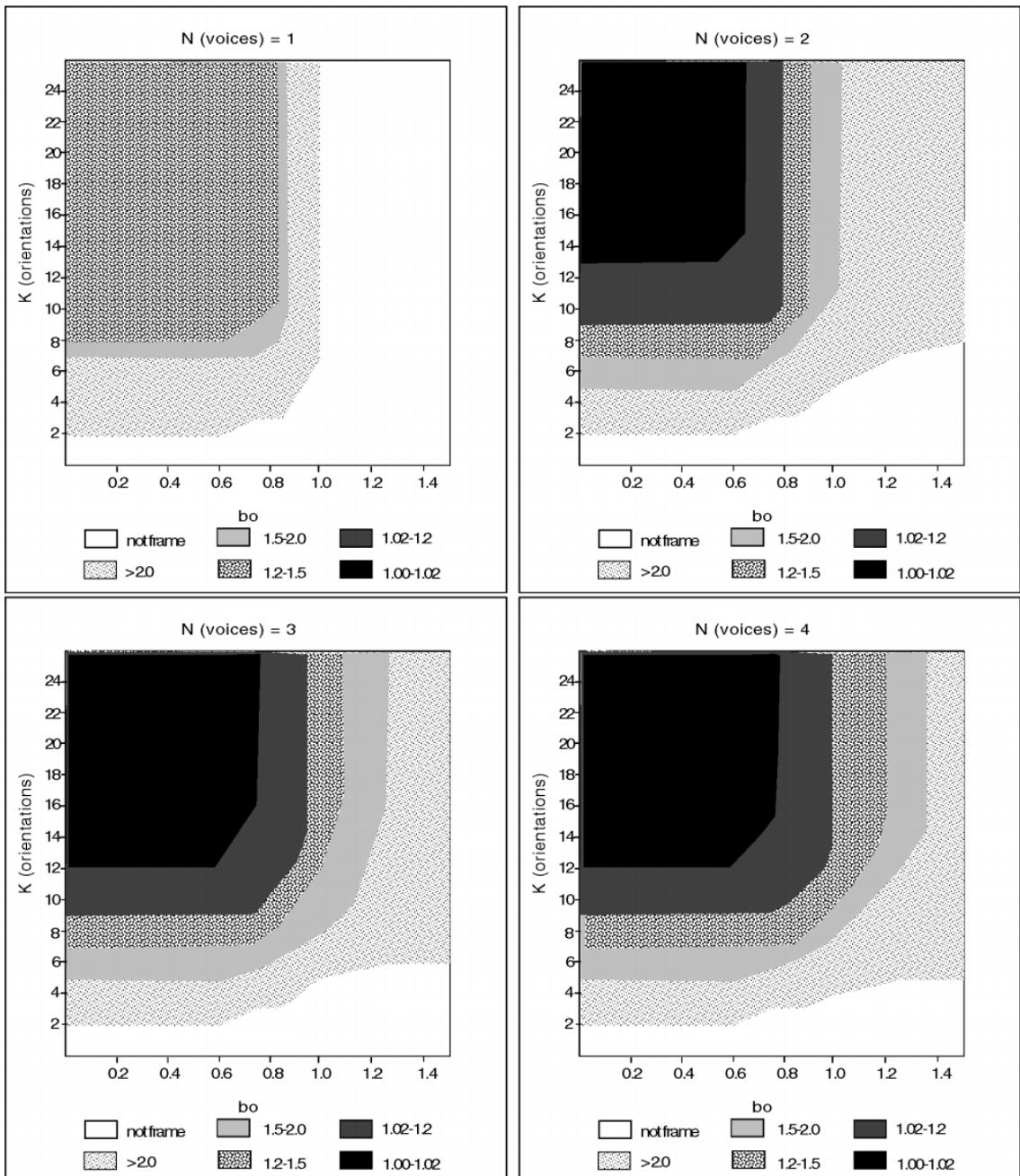
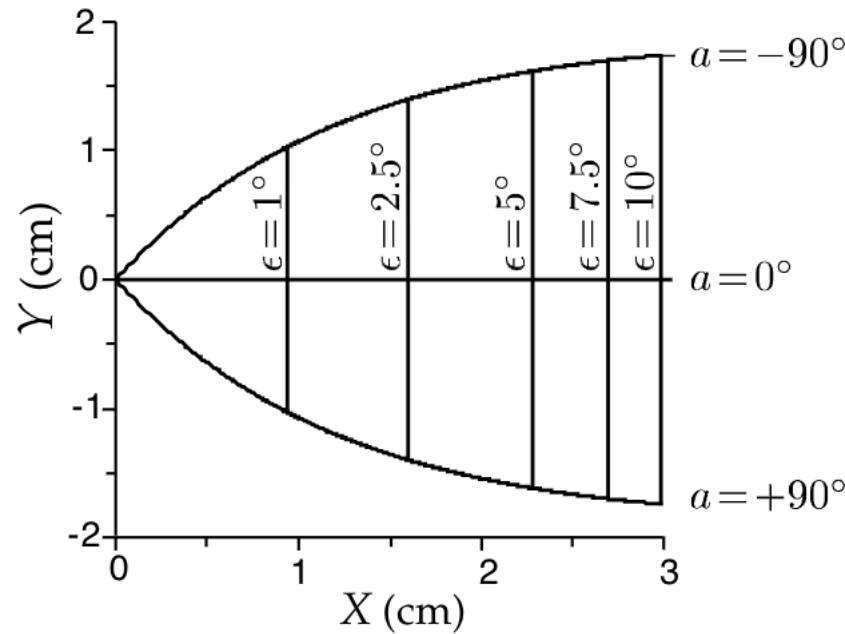
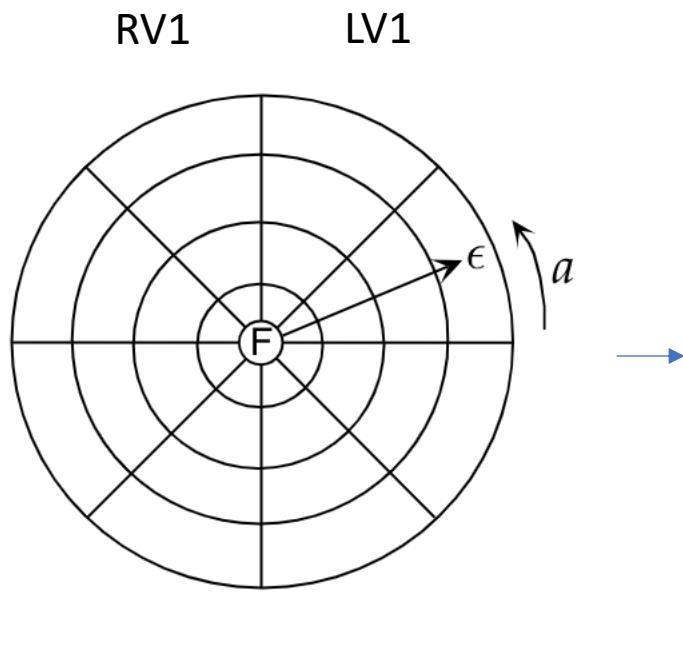


TABLE 1 | Estimates of Cortical Density.

Region	Neuron density	Non-neuronal cell density	Total cell density	Interneuron subtypes	Astrocytes	Oligodendrocytes	Microglia
Cortex (General)	92,000 (Schüz and Palm, 1989)	43,000 (Tsai et al., 2009)	127,870 (Murakami et al., 2018)	2,903 PV, 4,877 SST, 1,935 VIP (Kim et al., 2017)	15,696 S-100 β (Grosche et al., 2013)	12,500 (Rockland and DeFelipe, 2012)	6,500 (Nimmerjahn et al., 2005) 6,500 (Lawson et al., 1990)
Frontal cortex	66,771* 104,000 (Rajkowska et al., 2016)	79,393*	104,100 (Murakami et al., 2018)	863 PV, 1,749 SST, 2,598 VIP (Kim et al., 2017)	7,000 GFAP+ (Xu et al., 2007) 52,000 GFAP+ (Rajkowska et al., 2016)	87,803 (Duque et al., 2012)	6,200 (Lawson et al., 1990)
	123,000 (Schmid et al., 2013) 190,000 (Rockel et al., 1980)						
	Mean and STD: 121,000 ± 52,000				Mean and STD: 29,500 ± 31,820		
Posterior parietal association areas	76,588* 230,000 (Rockel et al., 1980)	115,318*	150,530 (Murakami et al., 2018)	4,452 PV, 5,140 SST, 2,512 VIP (Kim et al., 2017)	—	—	6,124 (San Jose et al., 2001) 6,900 (Lawson et al., 1990)
	Mean and STD: 150,000 ± 100,000						Mean and STD: 6,512 ± 549
Visual areas	155,426* 214,000 (Rockel et al., 1980) 92,400 (Cragg, 1967) 194,000 (Heumann et al., 1977)	169,804*	145,170 (Murakami et al., 2018)	4,886 PV, 5,028 SST, 2,964 VIP (Kim et al., 2017)	49,600 S-100 β (Argandoña et al., 2009)	10,000 (Tremblay et al., 2012)	7,250 (Tremblay et al., 2012)
	Mean and STD: 164,000 ± 50000						

cells/mm³

Effect of stimulus image size/orientation



$$\frac{\epsilon}{d} \frac{180}{\pi} \quad \frac{a}{d} \frac{180}{\pi}$$

Let (X, Y) be cortex coordinates

$$X = \lambda \ln(1 + \epsilon/\epsilon_0)$$

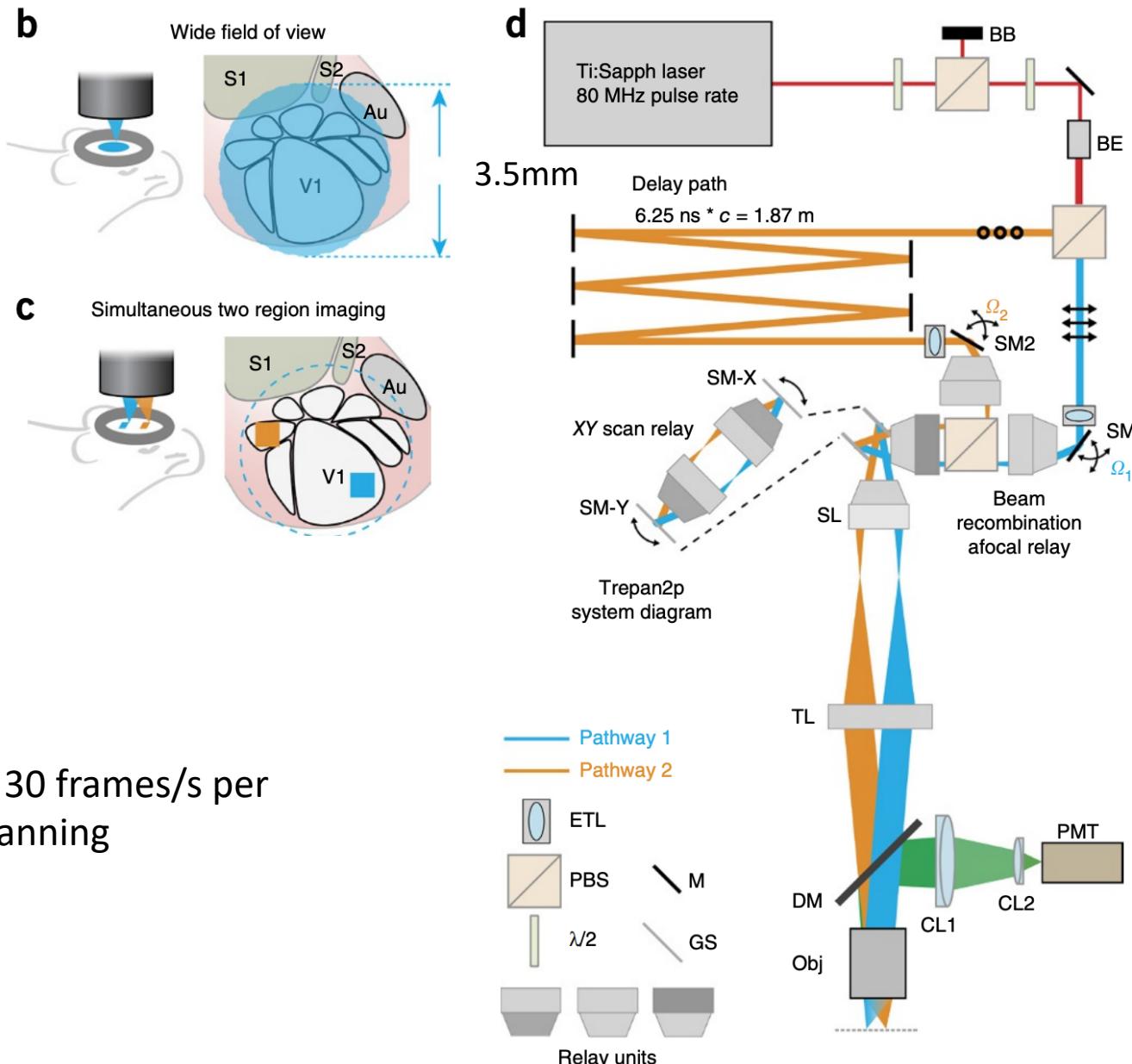
$$Y = -\frac{\lambda \epsilon a \pi}{(\epsilon + \epsilon_0) 180}$$

$$\lambda = 12 \text{mm (macaque)}$$

$$\epsilon_0 = 1^\circ$$

Scaling or rotation is translation on the cortical surface

Breaking down an existing system



512 x 256 pixels @ 30 frames/s per region, 2D galvo scanning

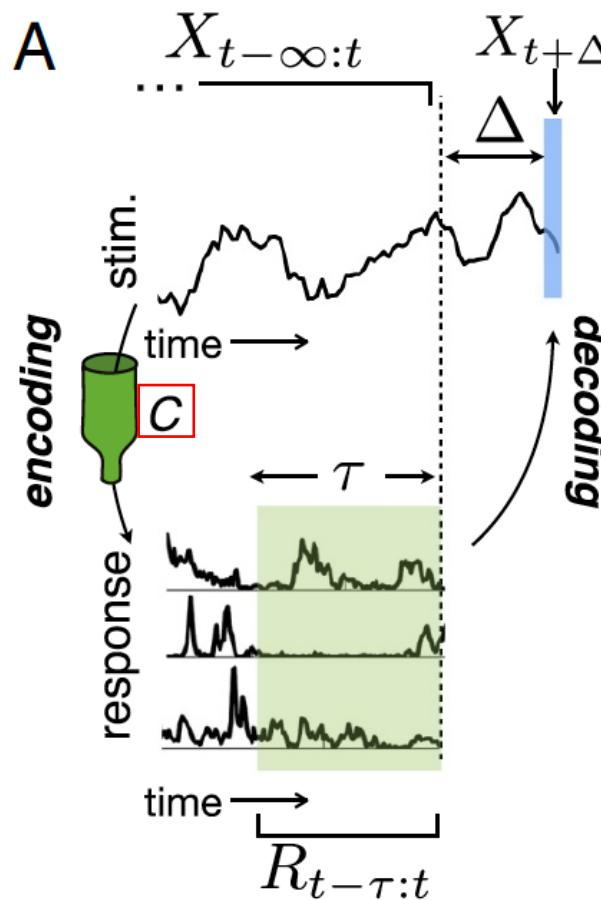
Efficient Coding Hypothesis: Sensory systems have evolved to transmit maximal information about incoming signals given internal resource constraints (noise, metabolic cost)

Information Bottleneck (IB): Encode X to maximize fidelity while constraining the **coding capacity**



Goal of the paper: Unify efficient coding hypothesis with predictive and sparse coding

Using IB to predict neural responses



τ – code length, ≥ 0

Δ – lag time

C – coding capacity (relates to SNR, determines number of neurons)

