## FIT5197\_ass3\_wk10

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28/05/2018

As we have:

$$p(X = 0) = 0.5$$
  
 $p(X = 1) = 0.3$   
 $p(X = 0) = 0.2$ 

We can define a function as the inverse transform sampler:

```
inv_sampler <- function(size, probs){
    U <- runif(size)
    sample<-rep(0,size)
    case1 <- which(U <= probs[1]) # x <= 0.5
    case2 <- which(U > probs[1] & U <= sum(probs[1:2])) # 0.5 < x <= 0.8
    case3 <- which(U > sum(probs[1:2])) # x > 0.8
    # reassign value
    sample[case1] <- 0
    sample[case2] <- 1
    sample[case3] <- 2
    return(sample)
}</pre>
```

```
props <-function(input){
   if (input==0){
      return(0.5)
   } else if (input==1){
      return(0.3)
   } else if (input==2){
      return(0.2)
   }
}</pre>
```

```
cnt=0
size = 1000
probs = c(0.5, 0.3, 0.2)
s = inv_sampler(size, probs)
C = props(0)/dnorm(0)
for (each in s){
   accept <- props(each)/(C*dnorm(each))
   u <- runif(1)
   if (accept > u){
      cnt = cnt + 1
   }
}
cat('Reject proportion is: ', 100*(size - cnt)/size,'%')
```

```
## Reject proportion is: 0.2 %
```