

(x) MI Approximation
weameric form for each magner factor q(p,z,0/1,0,1)
$q(\beta_R \lambda_R) = pirich(\beta_R \lambda_R)$ $0 \rightarrow 0$ $0 \rightarrow 0$ $\beta_R$ $\lambda$
alod (xd) = pirich (od (xd)   xd od   you zan 10
2/210/dda) = Multi (2da/4da)
is coloration of voictional district (Estap) MFAPPIOX
TRIVE: - EACH NEIGHT - 9(B, 0, E/A, 8, 0)
accountinged by various pro
V.1> i) Find simple q(-) family approx/paxy (fully factored)  n=1
ii) refine parametes within this family.
(#) 0*, x*, 0* = agnin KL(9(B,0, = 18,0)    p(B,0,= w,a,m))
(4) UPA: can compute in closed form.
(x) some algebraic herd-node now.
where - deap $\propto \exp\left\{\mathbb{E}^{1/2}\log\log\log(x) + \sum_{i=1}^{1/2}\log\log\log(x)\right\}$
(i) vinewlet topic proport. obstri.  pladia) a exp { { { Elan-1) 109 bak}}
(ii) multinonial word-label frequency distri
(ii) Multinomial word-tabel frequency distri p(zan 10d) \( \alpha \exp\left\{ \frac{x}{2} \mathbb{1} \left( \frac{x}{2} \alpha - \kappa \right) \log \text{0} \deft \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \text{0} \deft \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \text{0} \deft \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \text{0} \deft \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \text{0} \deft \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \text{0} \deft \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \text{0} \deft \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \text{0} \deft \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \text{0} \deft \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \text{0} \deft \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \text{0} \deft \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \text{0} \deft \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \alpha - \kappa \right) \log \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \\ \frac{x}{2} \\ \frac{x}{2} = 1 \left( \frac{x}{2} \\ \frac{x}{2} \\ \frac{x}{2} = 1

\* (0, 4, x) = #qo(z1x) [109 po(x1z) + KL(qo(z1x) || p(z))

```
= 109 p(x)-KL (90 (Z1x) | | PO(Z1x))
                      - keep original movel powers & fixed;
- Mevious:
                                                         optimise $
  -variational Estep
                                                           (voictitue)
   -moximise I with & with & fixed
        max 1(0,$; 2)
   - vovi61: est: -
     8*, x*, p* = argmin KL(9(B,0, = | X, p) || p(B,0, = | 4, x, m))
                 \gamma, \lambda, \phi
variet perans
(*) Additional params in M-step: We can't to know @ and B
  inotpresent in V.E.) - why?
- computationally not significant les Bayesian?)
                                                         (2)
  - Bad Bac megrated out
                               write 1specify
   x -7 0 -7 2 p(z/x) directly
                         pil(m+x)
      integrated out
 - Herce; no need for &
 This is they M-step often ignored
                                       - below is docble;
-M-step: estimate girth & fixed
                                           -ppl. don't nother
  p(0/3,3)
- Ex variational pages. ; combine counts
   MAPO, E 1 (9, $ 12)
over hyperferm
   maxx, y 2 (0, $ 12)
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peren.)



