*CPC Template Manaual

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cycleke

Contents

1	Ma	1	1
	1.1	BGSG	1
	1.2	ucas	2
	1.3	LinearProgramming	2
	1.4	exctr	7
	1.5	杜教筛	7
	1.6	Miller Rabin	8
	1.7	burnside	8
	1.8	类欧几里德算法	9
	1.9	Pollard rho	10
	1.10	FFT	10
	1.11	gauss	12
	1.12	exgcd	12
		china	
		LinearSieve	-
	1.15	LinearRecurrence	13
	ъ	' D	4 5
2	-	amic Programming 斜率优化	17
	2.1	科学仉化	17
3	Dat	Structure	18
•		splay	
	3.2	ct	
	3.3	kdtree	23
	3.4	zkw	26
4	Str	<u> </u>	27
4	4.1	mancher	27
4	$4.1 \\ 4.2$	mancher	27 27
4	4.1 4.2 4.3	Mancher SAM ACam	27 27 28
4	4.1 4.2 4.3 4.4	mancher	27 27 28 28
4	4.1 4.2 4.3 4.4 4.5	mancher SAM ACam da	27 27 28 28 29
4	4.1 4.2 4.3 4.4 4.5 4.6	mancher SAM ACam da kmp	27 27 28 28 29 29
4	4.1 4.2 4.3 4.4 4.5 4.6 4.7	mancher SAM ACam la kmp exkmp nash	27 27 28 28 29 30
4	4.1 4.2 4.3 4.4 4.5 4.6	mancher SAM ACam da kmp	27 27 28 28 29 30
	4.1 4.2 4.3 4.4 4.5 4.6 4.7	mancher SAM ACam da kmp exkmp nash	27 27 28 28 29 30
	4.1 4.2 4.3 4.4 4.5 4.6 4.7	mancher SAM ACam da cmp exkmp nash Dipy Dipy Dipy Dipy Dipy Dipy Dipy Dipy	27 27 28 28 29 30 31
	4.1 4.2 4.3 4.4 4.5 4.6 4.7 4.8	mancher SAM ACam da kmp exkmp nash	
	4.1 4.2 4.3 4.4 4.5 4.6 4.7 4.8 Gra 5.1	mancher SAM ACam da skmp exkmp nash □文树 Oh Theory 上下界费用流	27 27 28 28 29 30 31 32 34
	4.1 4.2 4.3 4.4 4.5 4.6 4.7 4.8 Gra 5.1 5.2 5.3	mancher SAM ACam da kmp exkmp nash □文树 Oh Theory 上下界费用流 tarjan	
5	4.1 4.2 4.3 4.4 4.5 4.6 4.7 4.8 Gra 5.1 5.2 5.3 5.4	mancher SAM ACam da kmp exkmp nash □文材 Oh Theory 上下界费用流 tarjan 一般图最大匹配	
5	4.1 4.2 4.3 4.4 4.5 4.6 4.7 4.8 Gra 5.1 5.2 5.3 5.4	mancher SAM ACam da kmp exkmp hash □文树 Oh Theory 上下界费用流 tarjan 一般图最大匹配 sap	
5	4.1 4.2 4.3 4.4 4.5 4.6 4.7 4.8 Gra 5.1 5.2 5.3 5.4	mancher SAM ACam da kmp exkmp nash □□文材 Ch Theory 上下界费用流 tarjan 一般图最大匹配 sap	
5	4.1 4.2 4.3 4.4 4.5 4.6 4.7 4.8 Gra 5.1 5.2 5.3 5.4 Jav	mancher SAM ACam da kmp exkmp nash □文树 Ch Theory 上下界费用流 tarjan 一般图最大匹配 sap	
5	4.1 4.2 4.3 4.4 4.5 4.6 4.7 4.8 Gra 5.1 5.2 5.3 5.4 Jav 6.1	mancher SAM ACam da kmp exkmp nash □文树 Ch Theory 上下界费用流 tarjan 一般图最大匹配 sap	
5	4.1 4.2 4.3 4.4 4.5 4.6 4.7 4.8 Gra 5.1 5.2 5.3 5.4 Oth 7.1	mancher SAM ACam da kmp exkmp nash 回文树 Oh Theory 上下界费用流 carjan 一般图最大匹配 sap	27 27 28 29 30 31 32 34 36 37 37
5	4.1 4.2 4.3 4.4 4.5 4.6 4.7 4.8 Gra 5.1 5.2 5.3 5.4 Jav 6.1 Oth 7.1 7.2	mancher SAM ACam da kmp exkmp nash 回文材 Ch Theory 上下界费用流 tarjan 一般图最大匹配 sap 进制转换 证sap	
5	4.1 4.2 4.3 4.4 4.5 4.6 4.7 4.8 Gra 5.1 5.2 5.3 5.4 Oth 7.1	mancher SAM ACam da kmp exkmp nash 回文树 Oh Theory 上下界费用流 carjan 一般图最大匹配 sap	27 27 28 29 30 31 32 34 36 37 37

1 Math

1.1 BGSG

```
// Finds the primitive root modulo p
   int generator(int p) {
     vector<int> fact;
3
     int phi = p - 1, n = phi;
4
      for (int i = 2; i * i <= n; ++i) {
5
        if (n \% i == 0) {
6
7
          fact.push_back(i);
8
          while (n \% i == 0) n /= i;
9
        }
     }
10
11
     if (n > 1) fact.push_back(n);
12
      for (int res = 2; res <= p; ++res) {</pre>
        bool ok = true;
13
        for (int factor : fact)
15
          if (mod_pow(res, phi / factor, p) == 1) {
            ok = false;
16
            break;
17
          }
18
19
20
        if (ok) return res;
21
22
     return -1;
23
   }
24
   // This program finds all numbers x such that x^k=a (mod n)
   vector<int> BSGS(int n, int k, int a) {
26
     if (a == 0) return vector<int>({0});
27
28
     int g = generator(n);
      // Baby-step giant-step discrete logarithm algorithm
29
     int sq = (int) sqrt(n + .0) + 1;
30
     vector<pair<int, int>> dec(sq);
31
      for (int i = 1; i <= sq; ++i)
32
        dec[i-1] = \{mod\_pow(g, i * sq * k % (n-1), n), i\};
33
34
      sort(dec.begin(), dec.end());
35
      int any_ans = -1;
36
37
      for (int i = 0; i < sq; ++i) {
38
        int my = mod_pow(g, i * k % (n - 1), n) * a % n;
39
        auto it = lower_bound(dec.begin(), dec.end(), make_pair(my, 0));
40
        if (it != dec.end() && it->first == my) {
41
          any_ans = it->second * sq - i;
          break;
42
        }
43
44
     if (any_ans == -1) return vector<int>();
45
      // Print all possible answers
46
     int delta = (n - 1) / \underline{gcd(k, n - 1)};
47
48
     vector<int> ans;
      for (int cur = any_ans % delta; cur < n - 1; cur += delta)</pre>
49
50
        ans.push_back(mod_pow(g, cur, n));
51
      sort(ans.begin(), ans.end());
52
     return ans;
53 }
```

1.2 lucas

```
// C(n, m) = C(n / p, m / p) * C(n % p, m % p) (mod p)
   ll lucas(ll n, ll k, int p) {
3
     ll ret = 1:
      while (n && k) {
4
        ll nn = n \% p, kk = k \% p;
5
        if (nn < kk) return 0;</pre>
6
        ret = ret * f[nn] * mod_pow(f[kk]) * f[nn - kk] % p, p - 2, p) % p;
7
        n \neq p, k \neq p;
8
9
10
     return res;
   }
11
```

1.3 LinearProgramming

```
1 // CCPC Final 2017 F
   // sum(P(s)) = 1, P(s) >= 0
3 // \max \text{ and equal } (sum(P(s)) | i in s)
4 #include <bits/stdc++.h>
5 using namespace std;
6
7 const int MAXN = int(3e3);
  const int MAXM = int(3e3);
   const double INF = 1e20, EPS = 1e-9;
10
11 int n, m;
12 double a[MAXM][MAXN], v;
13
  void pivot(int l, int e) {
14
15
     int i, j;
16
     a[l][e] = 1 / a[l][e];
17
      for (j = 0; j \le n; ++j)
18
       if (j != e) a[l][j] *= a[l][e];
19
     for (i = 1; i \le m; ++i)
20
       if (i != l && fabs(a[i][e]) > EPS) {
21
          for (j = 0; j \le n; ++j)
22
            if (j != e) a[i][j] -= a[i][e] * a[l][j];
23
          a[i][e] = -a[i][e] * a[l][e];
24
       }
25
     v += a[0][e] * a[1][0];
     for (j = 1; j \le n; ++j)
26
       if (j != e) a[0][j] -= a[0][e] * a[l][j];
27
28
      a[0][e] = -a[0][e] * a[1][e];
29
   }
30
   double simplex() {
31
     int e, l, i;
32
     double mn;
33
     v = 0;
34
     while (true) {
35
       for (e = 1; e <= n; ++e)
36
37
         if (a[0][e] > EPS) break;
38
       if (e > n) return v;
       for (i = 1, mn = INF; i \le m; ++i)
39
          if (a[i][e] > EPS && mn > a[i][0] / a[i][e])
40
           mn = a[i][0] / a[i][e], l = i;
41
42
       if (mn == INF) return INF;
```

```
pivot(l, e);
43
44
    }
45
46
    void solve() {
47
48
      static int n, m, g[10];
       static vector<int> con[10], able;
49
50
       scanf("%d %d", &n, &m);
51
       for (int i = 0; i < n; ++i) {
52
53
        scanf("%d", g + i);
54
        con[i].clear();
55
56
      if (n == 1) {
57
        printf("%.10f\n", m >= g[0] ? 1. : 0.);
58
59
        return;
60
61
62
      able.clear();
       for (int s = 0, S = 1 << n; s < S; ++s) {
63
        int sum = 0;
64
        for (int i = 0; i < n; ++i)
65
66
           if (s >> i \& 1) sum += g[i];
67
        if (sum > m) continue;
        able.push_back(s);
68
69
        for (int i = 0; i < n; ++i)
           if (s >> i & 1) con[i].push_back(able.size());
70
71
       ::n = able.size();
72
 73
       ::m = 0;
74
      static random_device rd;
      mt19937 gen(rd());
75
       shuffle(able.begin(), able.end(), gen);
76
       for (int step = 0; step < n; ++step) {</pre>
77
        int f = ++::m;
78
79
        for (int i = 0; i \le ::n; ++i) a[f][i] = 0;
80
        for (int x : con[step]) ++a[f][x];
81
        if (step + 1 < n) {
82
           for (int x : con[step + 1]) --a[f][x];
83
        } else {
           for (int x : con[0]) --a[f][x];
84
85
        }
86
      }
87
88
      ++::m;
89
      a[::m][0] = 1;
       for (int i = 1; i <= ::n; ++i) a[::m][i] = 1;
90
91
92
      ++::m;
93
      a[::m][0] = -1;
94
       for (int i = 1; i \le ::n; ++i) a[::m][i] = -1;
95
96
      for (int i = 0; i \le ::n; ++i) a[0][i] = 0;
97
      for (int x : con[0]) ++a[0][x];
      printf("%.10f\n", simplex());
98
99
100
101 int main() {
```

```
int o_o, case_number = 1;
102
       for (scanf("%d", &o_o); case_number <= o_o; ++case_number) {</pre>
103
        printf("Case #%d: ", case_number);
104
105
        solve();
106
107
      return 0;
108
    }
109
110 // 备份
111 #include <bits/stdc++.h>
112 using namespace std;
113
114 typedef long double db;
115 const int MAXN = 3000;
116 const int MAXM = 3000;
117 const db EPS = 1e-9;
118 const db INF = 1e200;
119
120 namespace LP {
121 db a[MAXM][MAXN];
122 int idA[MAXN], idB[MAXN];
123 int m, n;
124
125
    void put_out(int x) {
126
       if (x == 0)
        printf("Infeasible\n");
127
128
        printf("Unbounded\n");
129
130
      exit(0);
131
    void pivot(int xA, int xB) {
132
       swap(idA[xA], idB[xB]);
133
       static int next[MAXN];
134
       int i, j, last = MAXN - 1;
135
       db tmp = -a[xB][xA];
136
       a[xB][xA] = -1.0;
137
138
       for (j = 0; j \le n; j++)
139
        if (fabs(a[xB][j]) > EPS) a[xB][last = next[last] = j] /= tmp;
140
      next[last] = -1;
141
142
      for (i = 0; i <= m; i++)</pre>
        if (i != xB \&\& fabs(tmp = a[i][xA]) > EPS)
143
           for (a[i][xA] = 0.0, j = next[MAXN - 1]; ~j; j = next[j])
144
145
             a[i][j] += tmp * a[xB][j];
146
    }
147
    db calc() {
148
      int xA, xB;
       db Max, tmp;
149
      while (1) {
150
151
        xA = n + 1, idA[xA] = n + m + 1;
152
        for (int i = 1; i <= n; i++)</pre>
153
           if (a[0][i] > EPS \&\& idA[i] < idA[xA]) xA = i;
154
155
        if (xA == n + 1) return a[0][0];
        xB = m + 1, idB[xB] = n + m + 1, Max = -INF;
156
        for (int i = 1; i <= m; i++)</pre>
157
158
           if (a[i][xA] < -EPS && ((tmp = a[i][0] / a[i][xA]) > Max + EPS ||
159
                                    (tmp > Max - EPS \&\& idB[i] < idB[xB])))
160
             Max = tmp, xB = i;
```

```
161
162
         if (xB == m + 1) put_out(1);
163
164
         pivot(xA, xB);
165
166
      return a[0][0];
167
    }
168 db solve() {
       for (int i = 1; i <= n; i++) idA[i] = i;</pre>
169
       for (int i = 1; i \le m; i++) idB[i] = n + i;
170
171
       static db tmp[MAXN];
172
       db Min = 0.0;
       int l:
173
       for (int i = 1; i <= m; i++)
174
         if (a[i][0] < Min) Min = a[i][0], l = i;
175
       if (Min > -EPS) return calc();
176
177
       idA[++n] = 0;
178
       for (int i = 1; i <= m; i++) a[i][n] = 1.0;
179
180
       for (int i = 0; i \le n; i++) tmp[i] = a[0][i], a[0][i] = 0.0;
       a[0][n] = -1.0;
181
182
      pivot(n, l);
183
184
185
       if (calc() < -EPS) put_out(0);</pre>
186
       for (int i = 1; i <= m; i++)
187
         if (!idB[i]) {
           for (int j = 1; j \le n; j++)
188
             if (fabs(a[0][j]) > EPS) {
189
190
               pivot(j, i);
191
               break;
192
193
           break;
194
195
       int xA;
196
197
       for (xA = 1; xA \le n; xA++)
198
         if (!idA[xA]) break;
       for (int i = 0; i <= m; i++) a[i][xA] = a[i][n];</pre>
199
200
       idA[xA] = idA[n], n--;
201
       for (int i = 0; i \le n; i++) a[0][i] = 0.0;
202
       for (int i = 1; i <= m; i++)
203
204
         if (idB[i] <= n) {</pre>
205
           for (int j = 0; j \le n; j++) a[0][j] += a[i][j] * tmp[idB[i]];
206
         }
207
208
       for (int i = 1; i <= n; i++)</pre>
209
         if (idA[i] <= n) a[0][i] += tmp[idA[i]];</pre>
210
      return calc();
211 }
212 db ans[MAXN];
213
    void findAns() {
214
       for (int i = 1; i \le n; i++) ans[i] = 0.0;
215
       for (int i = 1; i <= m; i++)</pre>
216
         if (idB[i] <= n) ans[idB[i]] = a[i][0];
217
    void work() {
218
219
       for (int i = 1; i <= m; ++i)
```

```
220
         for (int j = 1; j \le n; ++j) a[i][j] *= -1;
      printf("%.10f\n", -double(solve()));
221
222
    } // namespace LP
223
224
225 void solve() {
      static int n, m, g[10];
226
227
       static vector<int> con[10], able;
228
       scanf("%d %d", &n, &m);
229
230
       for (int i = 0; i < n; ++i) {
         scanf("%d", g + i);
231
         con[i].clear();
232
233
       }
234
      if (n == 1) {
235
         printf("%.10f\n", m >= g[0] ? 1.0 : 0.0);
236
237
      }
238
239
240
      able.clear();
       for (int s = 0; s < (1 << n); ++s) {
241
         int sum = 0;
242
243
         for (int i = 0; i < n; ++i)
244
           if (s >> i \& 1) sum += g[i];
         if (sum > m) continue;
245
246
         able.push_back(s);
247
248
         for (int i = 0; i < n; ++i)
           if (s >> i & 1) con[i].push_back(able.size());
249
250
251
252
      LP::n = able.size();
      LP::m = 0;
253
254
255
      for (int step = 0; step < n; ++step) {</pre>
256
         int &f = ++LP::m;
257
         for (int i = 0; i <= LP::n; ++i) LP::a[f][i] = 0;</pre>
         for (int x : con[step]) ++LP::a[f][x];
258
259
         if (step + 1 < n) {
260
           for (int x : con[step + 1]) --LP::a[f][x];
261
         } else {
           for (int x : con[0]) --LP::a[f][x];
262
263
         }
264
      }
265
266
      ++LP::m;
      LP::a[LP::m][0] = 1;
267
       for (int i = 1; i <= LP::n; ++i) LP::a[LP::m][i] = 1;</pre>
268
269
270
      ++LP::m;
271
      LP::a[LP::m][0] = -1;
       for (int i = 1; i <= LP::n; ++i) LP::a[LP::m][i] = -1;
272
273
274
       for (int i = 0; i <= LP::n; ++i) LP::a[0][i] = 0;
275
       for (int x : con[0]) ++LP::a[0][x];
276
277
       static db a2[MAXM][MAXN];
278
       for (int i = 1; i <= LP::m; ++i)</pre>
```

```
279
         for (int j = 1; j <= LP::n; ++j) a2[i][j] = LP::a[i][j];</pre>
280
       for (int i = 1; i <= LP::m; ++i)</pre>
         for (int j = 1; j <= LP::n; ++j) LP::a[j][i] = a2[i][j];</pre>
281
       swap(LP::n, LP::m);
282
       for (int i = 1; i \le \max(LP::n, LP::m); ++i) \sup(LP::a[0][i], LP::a[i][0]);
283
       LP::a[0][0] = 0;
284
285
       for (int i = 1; i <= LP::m; ++i)</pre>
         for (int j = 1; j <= LP::n; ++j) LP::a[i][j] *= -1;
286
287
       for (int i = 1; i <= LP::m; ++i) LP::a[i][0] *= -1;
       for (int i = 1; i <= LP::n; ++i) LP::a[0][i] *= -1;
288
289
290
      LP::work();
291 }
292
293 int main() {
      int o_o;
294
       scanf("%d", &o_o);
for (int i = 1; i <= o_o; ++i) {
295
296
         printf("Case #%d: ", i);
297
298
         solve();
299
       }
300
       return 0;
301 }
    1.4 exctr
    int exctr(int n, int *a, int *m) {
       int M = m[0], res = a[0];
 3
       for (int i = 1; i < n; ++i) {</pre>
         int a = M, b = m[i], c = (a[i] - res \% b + b) \% b, x, y;
 4
         int g = exgcd(a, b, x, y), bg = b / g;
 5
 6
         if (c % g != 0) return -1;
        x = 1LL * x * (c / g) % bg;
 7
         res += x * M;
 8
 9
         M \approx bq:
         res = (res \% M + M) \% M;
 10
11
12
      return res;
13 }
         杜教筛
    1.5
 1 // e = mu \times 1
 2 // d = 1 \times 1
 3 // sigma = d x 1
 4 // phi = mu x id
 5 // id = phi x 1
 6 // id^2 = (id * phi) x id
 8 // S = sum(f)
 9 // sum(fxg) = sum(g(i)S(n/i))
10 map<int, int> mp_mu;
11
12 int S_mu(int n) {
      if (n < MAXN) return sum_mu[n];</pre>
13
14
       if (mp_mu[n]) return mp_mu[n];
15
       int ret = 1;
```

```
16
     for (int i = 2, j; i \le n; i = j + 1) {
17
       j = n / (n / i);
18
       ret -= S_mu(n / i) * (j - i + 1);
19
20
     return mp_mu[n] = ret;
21
   }
22
23
  ll S_phi(int n) {
24
     ll res = 0;
25
     for (int i = 1, j; i \le n; i = j + 1) {
26
       j = n / (n / i);
27
       res += 1LL * (S_mu(j) - S_mu(i - 1)) * (n / i) * (n / i);
28
     return (res - 1) / 2 + 1;
29
30 }
   1.6 Miller Rabin
   inline ll mod_mul(const ll &a, const ll &b, const ll &mod) {
     ll k = (ll)((1.0L * a * b) / (1.0L * mod)), t = a * b - k * mod;
2
3
     t -= mod;
4
     while (t < 0) t += mod;
5
     return t;
6
   }
   inline ll mod_pow(ll a, ll b, const ll &mod) {
7
     ll res = 1;
8
9
     for (; b; b >>= 1, a = mod_mul(a, a, mod))
        (b & 1) && (res = mod_mul(res, a, mod));
10
11
     return res;
   }
12
13
   inline bool check(const ll &x, const ll &p) {
14
     if (!(x \% p) \mid | mod_pow(p \% x, x - 1, x) \land 1) return false;
15
     ll k = x - 1, t;
16
     while (~k & 1) {
17
       if (((t = mod_pow(p \% x, k >>= 1, x)) ^ 1) \&\& (t ^ (x - 1))) return false;
18
19
       if (!(t \wedge (x - 1))) return true;
20
21
     return true;
22 }
23
24 inline bool Miller_Rabin(const ll &x) {
     if (x < 2) return false;
     static const int p[12] = \{2, 3, 5, 7, 11, 13, 17, 19, 61, 2333, 4567, 24251\};
27
     for (int i = 0; i < 12; ++i) {
       if (!(x ^ p[i])) return true;
28
29
       if (!check(x, p[i])) return false;
     }
30
31
     return true;
  }
32
   1.7 burnside
1 // |X/G| = \{1 | G|\}  \setminus \{g | G\} |X^g|
2 // Gym - 101873B
3 // m边形,每边是n*n的矩形,用c种颜色染色,可进行水平旋转,问不同多边形个数。
4 #include <bits/stdc++.h>
```

```
using namespace std;
   const int MOD = 1e9 + 7;
7
8
   int mod_pow(int a, int b) {
9
     int r = 1;
10
     for (; b; b >>= 1, a = 1LL * a * a % MOD)
11
       if (b & 1) r = 1LL * a * r % MOD;
12
13
     return r;
14
  }
15
16 int main() {
17
     ios::sync_with_stdio(false);
     cin.tie(nullptr);
18
19
20
     int n, m, c;
21
     cin >> n >> m >> c;
22
23
     int ans = 0;
     for (int i = 1; i <= m; ++i)</pre>
24
       ans = (ans + mod_pow(c, n * n * __gcd(i, m))) % MOD;
25
     ans = 1LL * ans * mod_pow(m, MOD - 2) % MOD;
26
27
     cout << ans << '\n';
     return 0;
29 }
   1.8 类欧几里德算法
1 // \# f = sum((a*i+b)/c), g = sum((a*i+b)/c*i), h = sum(((a*i+b)/c)^2), for i in [0..n],
2 //整除向下
3 #include <bits/stdc++.h>
4 #define int long long
5 using namespace std;
6 const int P = 998244353;
7 int i2 = 499122177, i6 = 166374059;
8 struct data {
9
     data() \{ f = g = h = 0; \}
10
     int f, g, h;
11 }; // 三个函数打包
   data calc(int n, int a, int b, int c) {
12
13
     int ac = a / c, bc = b / c, m = (a * n + b) / c, n1 = n + 1, n21 = n * 2 + 1;
14
     data d;
     if (a == 0) { // 迭代到最底层
15
       d.f = bc * n1 \% P;
16
17
       d.g = bc * n \% P * n1 \% P * i2 \% P;
       d.h = bc * bc % P * n1 % P;
18
       return d;
19
20
21
     if (a >= c || b >= c) { // 取模
       d.f = n * n1 \% P * i2 \% P * ac \% P + bc * n1 \% P;
22
23
       d.q = ac * n \% P * n1 \% P * n21 \% P * i6 \% P + bc * n \% P * n1 \% P * i2 % P;
       d.h = ac * ac % P * n % P * n1 % P * n21 % P * i6 % P +
24
25
              bc * bc % P * n1 % P + ac * bc % P * n % P * n1 % P;
       d.f %= P, d.g %= P, d.h %= P;
26
27
28
       data e = calc(n, a % c, b % c, c); // 迭代
29
       d.h += e.h + 2 * bc % P * e.f % P + 2 * ac % P * e.g % P;
30
```

```
d.g += e.g, d.f += e.f;
31
        d.f %= P, d.g %= P, d.h %= P;
32
33
        return d;
34
35
     data e = calc(m - 1, c, c - b - 1, a);
     d.f = n * m % P - e.f, d.f = (d.f % P + P) % P;
36
     d.g = m * n % P * n1 % P - e.h - e.f, d.g = (d.g * i2 % P + P) % P;
37
     d.h = n * m \% P * (m + 1) \% P - 2 * e.g - 2 * e.f - d.f;
38
     d.h = (d.h \% P + P) \% P;
39
40
     return d;
41
42
43 int T, n, a, b, c;
   signed main() {
44
     scanf("%lld", &T);
45
     while (T--) {
46
        scanf("%lld%lld%lld", &n, &a, &b, &c);
47
        data ans = calc(n, a, b, c);
48
        printf("%lld %lld %lld\n", ans.f, ans.h, ans.g);
49
50
51
     return 0;
52 }
   1.9 Pollard rho
   inline ll rand64(ll x) {
     return 1ll * ((rand() << 15 ^ rand()) << 30 ^ (rand() << 15 ^ rand())) % x;
2
3
4
   inline ll Pollard_rho(const ll &x, const int &y) {
5
6
     ll\ v0 = rand64(x - 1) + 1, \ v = v0, \ d, \ s = 1;
7
     for (register int t = 0, k = 1;;) {
8
        if (v = (mod_mul(v, v, x) + y) \% x, s = mod_mul(s, abs(v - v0), x),
9
            !(v ^ v0) || !s)
10
         return x;
        if (++t == k) {
11
          if ((d = \underline{gcd}(s, x)) \land 1) return d;
12
          v0 = v, k \iff 1;
13
14
15
   }
16
17
18 ll ans;
19
   vector<ll> factor;
   void findfac(ll n) {
20
     if (Miller_Rabin(n)) {
21
22
        factor.push_back(n);
23
        return;
24
25
     while (p \ge n) \{ p = Pollard_rho(p, rand64(n - 1) + 1); \}
26
27
     findfac(p);
     findfac(n / p);
28
29 }
```

1.10 FFT

```
1 const int MAXN = 4 * 1e5 + 3;
   const double PI = acos(-1);
   complex<double> a[MAXN], b[MAXN];
3
5
   int n, bit;
6 int rev[MAXN];
7
   void fft(complex<double> *a, int sign) {
8
     for (int i = 0; i < n; ++i)
9
        if (i < rev[i]) swap(a[i], a[rev[i]]);</pre>
10
11
12
      for (int j = 1; j < n; j <<= 1) {
        complex<double> wn(cos(2 * PI / (j << 1)), sign * sin(2 * PI / (j << 1)));
13
        for (int i = 0; i < n; i += (j << 1)) {
14
          complex<double> w(1, 0), t0, t1;
15
          FOR(k, 0, j) {
16
            t0 = a[i + k];
17
            t1 = w * a[i + j + k];
18
            a[i + k] = t0 + t1;
19
20
            a[i + j + k] = t0 - t1;
21
            w *= wn;
22
         }
23
        }
24
     }
25
     if (sign == -1)
        for (int i = 0; i < n; ++i) a[i] /= n;
26
27
   }
28
   int main() {
29
     ios::sync_with_stdio(false);
30
31
     cin.tie(0);
32
     cout.tie(0);
33
34
     int n, m, x;
35
     cin >> n >> m;
     for (int i = 0; i \le n; ++i) {
36
37
        cin >> x;
38
        a[i].real(x);
39
40
     for (int i = 0; i <= m; ++i) {</pre>
        cin >> x;
41
42
        b[i].real(x);
43
44
     ::n = 1;
45
46
     bit = 0;
47
     while (::n <= n + m) {
48
        ::n <<= 1;
        ++bit;
49
50
     }
51
     rev[0] = 0;
52
     FOR(i, 1, ::n) rev[i] = (rev[i >> 1] >> 1) | ((i & 1) << (bit - 1));
53
      fft(a, 1);
     fft(b, 1);
54
     FOR(i, 0, ::n) a[i] *= b[i];
55
      fft(a, -1);
56
57
     FOR(i, 0, n + m + 1) cout << int(a[i].real() + .5) << " ";
     cout << "\n";
58
59
     return 0;
```

```
60 }
   1.11 gauss
1
   const double EPS = 1e-9;
2
   const int MAXN = MAX_NODE;
   double a[MAXN][MAXN], x[MAXN];
5
  int equ, var;
6
   int gauss() {
7
     int i, j, k, col, max_r;
8
      for (k = 0, col = 0; k < equ && col < var; k++, col++) {
9
10
        max_r = k;
        for (i = k + 1; i < equ; i++)
11
          if (fabs(a[i][col]) > fabs(a[max_r][col])) max_r = i;
12
        if (fabs(a[max_r][col]) < EPS) return 0;</pre>
13
14
        if (k != max_r) {
15
          for (j = col; j < var; j++) swap(a[k][j], a[max_r][j]);
16
          swap(x[k], x[max_r]);
17
18
19
        x[k] /= a[k][col];
20
21
        for (j = col + 1; j < var; j++) a[k][j] /= a[k][col];</pre>
22
        a[k][col] = 1;
23
        for (i = k + 1; i < equ; i++)
24
25
          if (i != k) {
            x[i] = x[k] * a[i][col];
26
            for (j = col + 1; j < var; j++) a[i][j] -= a[k][j] * a[i][col];</pre>
27
            a[i][col] = 0;
28
29
          }
      }
30
31
      for (col = equ - 1, k = var - 1; ~col; --col, --k) {
32
        if (fabs(a[col][k]) > 0) {
33
          for (i = 0; i < k; ++i) {
34
            x[i] = x[k] * a[i][col];
35
            for (j = col + 1; j < var; j++) a[i][j] -= a[k][j] * a[i][col];</pre>
36
            a[i][col] = 0;
37
38
          }
39
        }
      }
40
41
42
     return 1;
43 }
   1.12 exgcd
   int exgcd(int a, int b, int &x, int &y) {
     if (b == 0) return x = 1, y = 0, a;
     int g = exgcd(b, a \% b, y, x);
     y = a / b * x;
5
     return g;
6 }
```

1.13 china

```
int china(int n, int *a, int *m) {
     int lcm = 1, res = 0;
     for (int i = 0; i < n; ++i) lcm *= m[i];</pre>
3
4
     for (int i = 0; i < n; ++i) {
5
       int t = lcm / m[i], x, y;
6
       exgcd(t, m[i], x, y);
       x = (x \% m[i] + m[i]) \% m[i];
7
       res = (res + 1LL * t * x) % lcm;
8
9
10
     return res;
  }
11
   1.14 LinearSieve
   const int MAXN = 1e7 + 5;
2
   bool vis[MAXN];
3
   int prime[MAXN / 10], prime_cnt;
   int fac[MAXN], e[MAXN], d[MAXN], mu[MAXN], phi[MAXN];
   // e 质因子最高次数, d 因数个数
   void sieve() {
7
     fac[1] = 1, e[1] = 0, d[1] = 1, mu[1] = 1, phi[1] = 1;
8
9
     for (int i = 2; i < MAXN; ++i) {</pre>
       if (!vis[i]) {
10
         prime[prime_cnt++] = i;
11
          fac[i] = i, e[i] = 1, d[i] = 2, mu[i] = -1, phi[i] = i - 1;
12
13
       for (int j = 0; j < prime_cnt; ++j) {</pre>
14
         int t = prime[j] * i;
15
         if (t >= MAXN) { break; }
16
         vis[t] = true;
17
          fac[t] = prime[j];
18
         if (i % prime[j] == 0) {
19
20
           e[t] = e[i] + 1;
21
           d[t] = d[i] / (e[i] + 1) * (e[t] + 1);
           mu[t] = 0;
22
           phi[t] = phi[i] * prime[j];
23
24
           break:
          } else {
25
26
            e[t] = 1:
           d[t] = d[i] * 2;
27
           mu[t] = -mu[i];
28
29
           phi[t] = phi[i] * (prime[j] - 1);
30
       }
31
32
33
   1.15 LinearRecurrence
1 struct LinearRecurrence {
2
     using int64 = long long;
3
     using vec = std::vector<int64>;
     static void extand(vec &a, size_t d, int64 value = 0) {
```

```
if (d <= a.size()) return;</pre>
6
7
        a.resize(d, value);
8
9
      static vec BerlekampMassey(const vec &s, int64 mod) {
10
        std::function<int64(int64)> inverse = [&](int64 a) {
11
          return a == 1 ? 1 : (int64)(mod - mod / a) * inverse(mod % a) % mod;
12
13
        };
        vec A = \{1\}, B = \{1\};
14
        int64 b = s[0];
15
        for (size_t i = 1, m = 1; i < s.size(); ++i, m++) {</pre>
16
17
          int64 d = 0;
          for (size_t j = 0; j < A.size(); ++j) \{ d += A[j] * s[i - j] % mod; \}
18
          if (!(d %= mod)) continue;
19
          if (2 * (A.size() - 1) <= i) {</pre>
20
            auto temp = A;
21
            extand(A, B.size() + m);
22
23
            int64 coef = d * inverse(b) % mod;
24
            for (size_t j = 0; j < B.size(); ++j) {</pre>
25
              A[j + m] = coef * B[j] % mod;
26
              if (A[j + m] < 0) A[j + m] += mod;
27
            B = temp, b = d, m = 0;
28
29
          } else {
30
            extand(A, B.size() + m);
            int64 coef = d * inverse(b) % mod;
31
            for (size_t j = 0; j < B.size(); ++j) {</pre>
32
              A[j + m] -= coef * B[j] % mod;
33
              if (A[j + m] < 0) A[j + m] += mod;
34
35
36
          }
37
38
        return A;
39
40
      static void exgcd(int64 a, int64 b, int64 &g, int64 &x, int64 &y) {
41
42
43
          x = 1, y = 0, g = a;
44
        else {
          exgcd(b, a % b, g, y, x);
45
          y = x * (a / b);
46
        }
47
      }
48
49
      static int64 crt(const vec &c, const vec &m) {
50
        int n = c.size();
51
52
        int64 M = 1, ans = 0;
        for (int i = 0; i < n; ++i) M *= m[i];
53
        for (int i = 0; i < n; ++i) {
54
          int64 x, y, g, tm = M / m[i];
55
          exgcd(tm, m[i], g, x, y);
56
57
          ans = (ans + tm * x * c[i] % M) % M;
58
        }
        return (ans + M) % M;
59
60
61
62
      static vec ReedsSloane(const vec &s, int64 mod) {
63
        auto inverse = [](int64 a, int64 m) {
          int64 d, x, y;
64
```

```
65
           exgcd(a, m, d, x, y);
           return d == 1 ? (x % m + m) % m : -1;
66
67
         auto L = [](const vec &a, const vec &b) {
68
           int da = (a.size() > 1 \mid | (a.size() == 1 && a[0])) ? a.size() - 1 : -1000;
69
           int db = (b.size() > 1 || (b.size() == 1 && b[0])) ? b.size() - 1 : -1000;
70
           return std::max(da, db + 1);
71
72
         };
         auto prime_power = [&](const vec &s, int64 mod, int64 p, int64 e) {
73
           // linear feedback shift register mod p^e, p is prime
74
           std::vector<vec> a(e), b(e), an(e), bn(e), ao(e), bo(e);
75
76
           vec t(e), u(e), r(e), to(e, 1), uo(e), pw(e + 1);
77
           pw[0] = 1;
78
           for (int i = pw[0] = 1; i \le e; ++i) pw[i] = pw[i - 1] * p;
79
           for (int64 i = 0; i < e; ++i) {
80
             a[i] = \{pw[i]\}, an[i] = \{pw[i]\};
81
             b[i] = \{0\}, bn[i] = \{s[0] * pw[i] % mod\};
82
             t[i] = s[0] * pw[i] % mod;
83
             if (t[i] == 0) {
84
               t[i] = 1, u[i] = e;
85
             } else {
86
               for (u[i] = 0; t[i] \% p == 0; t[i] /= p, ++u[i])
87
88
89
             }
90
           for (size_t k = 1; k < s.size(); ++k) {</pre>
91
             for (int g = 0; g < e; ++g) {
92
               if (L(an[g], bn[g]) > L(a[g], b[g])) {
93
                 ao[g] = a[e - 1 - u[g]];

bo[g] = b[e - 1 - u[g]];
94
95
                 to[g] = t[e - 1 - u[g]];
96
                 uo[g] = u[e - 1 - u[g]];
97
                 r[g] = k - 1;
98
99
               }
             }
100
             a = an, b = bn;
101
102
             for (int o = 0; o < e; ++o) {
               int64 d = 0;
103
               for (size_t i = 0; i < a[o].size() && i <= k; ++i) {</pre>
104
                 d = (d + a[o][i] * s[k - i]) % mod;
105
106
               if (d == 0) {
107
                 t[o] = 1, u[o] = e;
108
109
               } else {
                 for (u[o] = 0, t[o] = d; t[o] % p == 0; t[o] /= p, ++u[o])
110
111
                 int g = e - 1 - u[o];
112
                 if (L(a[g], b[g]) == 0) {
113
                    extand(bn[o], k + 1);
114
115
                    bn[o][k] = (bn[o][k] + d) \% mod;
                 } else {
116
117
                    int64 coef =
                        t[o] * inverse(to[g], mod) % mod * pw[u[o] - uo[g]] % mod;
118
                    int m = k - r[g];
119
                    extand(an[o], ao[g].size() + m);
120
121
                    extand(bn[o], bo[g].size() + m);
122
                    for (size_t i = 0; i < ao[g].size(); ++i) {</pre>
123
                      an[o][i + m] -= coef * ao[g][i] % mod;
```

```
if (an[o][i + m] < 0) an[o][i + m] += mod;
124
125
                   while (an[o].size() && an[o].back() == 0) an[o].pop_back();
126
                   for (size_t i = 0; i < bo[g].size(); ++i) {</pre>
127
128
                     bn[o][i + m] = coef * bo[g][i] % mod;
129
                     if (bn[o][i + m] < 0) bn[o][i + m] -= mod;
130
                   while (bn[o].size() && bn[o].back() == 0) bn[o].pop_back();
131
132
                 }
133
               }
134
            }
135
           }
136
          return std::make_pair(an[0], bn[0]);
137
138
        std::vector<std::tuple<int64, int64, int>> fac;
139
        for (int64 i = 2; i * i <= mod; ++i)</pre>
140
           if \pmod{\%} i == 0 {
141
             int64 cnt = 0, pw = 1;
142
             while (mod \% i == 0) mod /= i, ++cnt, pw *= i;
143
             fac.emplace_back(pw, i, cnt);
144
145
        if (mod > 1) fac.emplace_back(mod, mod, 1);
146
147
        std::vector<vec> as;
148
        size_t n = 0:
        for (auto &&x : fac) {
149
           int64 mod, p, e;
150
151
           vec a, b;
           std::tie(mod, p, e) = x;
152
153
           auto ss = s;
154
           for (auto &&x : ss) x %= mod;
           std::tie(a, b) = prime_power(ss, mod, p, e);
155
           as.emplace_back(a);
156
           n = std::max(n, a.size());
157
158
        }
        vec a(n), c(as.size()), m(as.size());
159
160
         for (size_t i = 0; i < n; ++i) {</pre>
161
           for (size_t j = 0; j < as.size(); ++j) {</pre>
             m[j] = std::get<0>(fac[j]);
162
163
             c[j] = i < as[j].size() ? as[j][i] : 0;
164
165
           a[i] = crt(c, m);
        }
166
167
        return a;
168
169
170
      LinearRecurrence(const vec &s, const vec &c, int64 mod)
           : init(s), trans(c), mod(mod), m(s.size()) {}
171
172
173
      LinearRecurrence(const vec &s, int64 mod, bool is_prime = true) : mod(mod) {
174
        vec A = is_prime ? BerlekampMassey(s, mod) : ReedsSloane(s, mod);
175
        if (A.empty()) A = \{0\};
176
        m = A.size() - 1;
177
        trans.resize(m);
        for (int i = 0; i < m; ++i) { trans[i] = (mod - A[i + 1]) % mod; }
178
179
        std::reverse(trans.begin(), trans.end());
180
         init = {s.begin(), s.begin() + m};
181
182
```

```
int64 calc(int64 n) {
183
         if (mod == 1) return 0;
184
         if (n < m) return init[n];</pre>
185
         vec v(m), u(m \ll 1);
186
         int msk = !!n;
187
         for (int64 m = n; m > 1; m >>= 1) msk <<= 1;</pre>
188
         v[0] = 1 \% mod;
189
         for (int x = 0; msk; msk >>= 1, x <<= 1) {
190
           std::fill_n(u.begin(), m * 2, 0);
191
           x = !!(n \& msk);
192
           if(x < m)
193
194
             u[x] = 1 \% \text{ mod};
           else { // can be optimized by fft/ntt
195
             for (int i = 0; i < m; ++i) {
196
               for (int j = 0, t = i + (x \& 1); j < m; ++j, ++t) {
197
                 u[t] = (u[t] + v[i] * v[j]) % mod;
198
               }
199
             }
200
             for (int i = m * 2 - 1; i >= m; --i) {
201
               for (int j = 0, t = i - m; j < m; ++j, ++t) {
202
                 u[t] = (u[t] + trans[j] * u[i]) % mod;
203
               }
204
             }
205
206
207
           v = \{u.begin(), u.begin() + m\};
         }
208
         int64 ret = 0;
209
         for (int i = 0; i < m; ++i) { ret = (ret + v[i] * init[i]) % mod; }</pre>
210
211
         return ret;
212
213
214
      vec init, trans;
215
       int64 mod;
       int m;
216
217 };
```

2 Dynamic Programming

2.1 斜率优化

```
1 // 树上斜率优化
   // 定义dpi 表示i节点传递到根节点的最短耗时,规定dproot=-P。
   // 有如下转移方程dpu=dpv+dist(u,v)^2+P,v is an ancestor of u.
5
   #include <bits/stdc++.h>
   using namespace std;
6
7
8
   typedef long long ll;
9 typedef pair<int, int> pii;
10 const int MAXN = 1e5 + 5;
12 vector<pii> adj[MAXN];
13 ll dp[MAXN], d[MAXN];
int n, p, q[MAXN], head, tail;
16 inline ll S(int a, int b) { return (d[b] - d[a]) << 1; }
17 inline ll G(int a, int b) { return dp[b] - dp[a] + d[b] * d[b] - d[a] * d[a]; }</pre>
18
```

```
void dfs(int u, int from) {
     vector<int> dhead, dtail;
20
21
      if (u ^ 1) {
        while (head + 2 <= tail &&
22
               S(q[head + 1], q[head]) * d[u] \leftarrow G(q[head + 1], q[head]))
23
          dhead.push_back(q[head++]);
24
25
        int v = q[head];
        dp[u] = dp[v] + p + (d[u] - d[v]) * (d[u] - d[v]);
26
27
     while (head + 2 <= tail &&</pre>
28
29
             G(u, q[tail - 1]) * S(q[tail - 1], q[tail - 2]) <=
30
                 G(q[tail - 1], q[tail - 2]) * S(u, q[tail - 1]))
        dtail.push_back(q[--tail]);
31
     q[tail++] = u;
32
      for (pii &e : adj[u]) {
33
        if (e.first == from) continue;
34
        d[e.first] = d[u] + e.second;
35
36
        dfs(e.first, u);
37
     }
38
     --tail;
     for (int i = dtail.size() - 1; ~i; --i) q[tail++] = dtail[i];
39
      for (int i = dhead.size() - 1; ~i; --i) q[--head] = dhead[i];
40
41 }
42
43
   void solve() {
44
     cin >> n >> p;
      for (int i = 1; i <= n; ++i) adj[i].clear();</pre>
45
      for (int i = 1, u, v, w; i < n; ++i) {
46
        cin >> u >> v >> w;
47
        adj[u].emplace_back(v, w);
48
49
        adj[v].emplace_back(u, w);
50
     dp[1] = -p;
51
     head = tail = 0;
52
     dfs(1, 1);
53
54
55
     Il ans = 0;
56
      for (int i = 1; i \le n; ++i)
        if (dp[i] > ans) ans = dp[i];
57
     cout << ans << '\n';
58
   }
59
60
   int main() {
61
     // freopen("in.txt", "r", stdin);
62
     ios::sync_with_stdio(false);
63
     cin.tie(0);
64
65
66
     int o_o;
     for (cin >> o_o; o_o; --o_o) solve();
67
68
69
     return 0;
70 }
```

3 Data Structure

3.1 splay

1 #include <algorithm>

```
2 #include <cstdio>
3 #include <cstring>
    #include <iostream>
    using namespace std;
    const int MAXN = 2e5 + 10;
7
8
   struct Node {
9
       long long sum;
10
       int id, val, lazy, size;
11
       Node *fa, *ch[2];
13 } node_pool[MAXN], *pool_it, *root, *nil;
14
15 Node *newnode(int id, int val) {
       pool_it->id = id;
16
       pool_it->lazy = 0;
17
       pool_it->size = 1;
18
19
       pool_it->sum = pool_it->val = val;
       pool_it\rightarrow fa = pool_it\rightarrow ch[0] = pool_it\rightarrow ch[1] = nil;
20
21
       return pool_it++;
22 }
23
24 void maintain(Node *u) {
       if (u == nil) { return; }
26
       u \rightarrow size = u \rightarrow ch[0] \rightarrow size + u \rightarrow ch[1] \rightarrow size + 1;
       u -> sum = u -> ch[0] -> sum + u -> ch[1] -> sum + u -> val;
27
28 }
29
    void push_down(Node *u) {
30
       if (u->lazy) {
31
          if (u->ch[0] != nil) {
32
33
            u \rightarrow ch[0] \rightarrow val += u \rightarrow lazy;
            u\rightarrow ch[0]\rightarrow sum += 1LL * u\rightarrow ch[0]\rightarrow size * u\rightarrow lazy;
34
            u\rightarrow ch[0]\rightarrow lazy += u\rightarrow lazy;
35
36
          }
          if (u->ch[1] != nil) {
37
38
            u\rightarrow ch[1]\rightarrow val += u\rightarrow lazy;
39
            u \rightarrow ch[1] \rightarrow sum += 1LL * u \rightarrow ch[1] \rightarrow size * u \rightarrow lazy;
40
            u\rightarrow ch[1]\rightarrow lazy += u\rightarrow lazy;
          }
41
          u \rightarrow lazy = 0;
42
43
44
45
    inline void rot(Node *u) {
46
       Node *f = u \rightarrow fa, *ff = f \rightarrow fa;
47
       int d = u == f -> ch[1];
48
       push_down(f);
49
       push_down(u);
50
       if ((f->ch[d] = u->ch[d \land 1]) != nil) f->ch[d]->fa = f;
52
       if ((u-)fa = ff) != nil) ff->ch[f == ff->ch[1]] = u;
53
       f\rightarrow fa = u;
       u\rightarrow ch[d \land 1] = f;
54
       maintain(f);
55
       maintain(u);
56
57
   }
58
    void splay(Node *u, Node *target) {
59
       for (Node *f; u->fa != target; rot(u))
60
```

```
if ((f = u \rightarrow fa) \rightarrow fa != target) {
61
62
            ((u == f->ch[1]) \land (f == f->fa->ch[1])) ? rot(u) : rot(f);
63
       if (target == nil) root = u;
 64
65
66
     inline void insert(int id, int val) {
67
       if (root == nil) {
68
          root = newnode(id, val);
69
 70
          return;
 71
 72
       Node *u = root;
       while (u != nil) {
 73
          int d = id >= u -> id;
 74
          ++u->size;
 75
          push_down(u);
 76
          u->sum += val;
 77
          if (u->ch[d] != nil) {
 78
            u = u \rightarrow ch[d];
 79
 80
          } else {
            u->ch[d] = newnode(id, val);
 81
            u\rightarrow ch[d]\rightarrow fa = u;
 82
            u = u \rightarrow ch[d];
 83
 84
            break;
 85
          }
       }
 86
 87
       splay(u, nil);
     }
 88
 89
     inline Node *find_pred(int id) {
 90
 91
       Node *u = root, *ret = nil;
92
       while (u != nil) {
          push_down(u);
93
          if (u->id < id) {</pre>
94
95
            ret = u;
            u = u \rightarrow ch[1];
96
 97
          } else {
98
            u = u \rightarrow ch[0];
99
100
       }
101
       return ret;
102
103
    inline Node *find_succ(int id) {
105
       Node *u = root, *ret = nil;
106
       while (u != nil) {
107
          push_down(u);
          if (u->id > id) {
108
            ret = u;
109
110
            u = u \rightarrow ch[0];
111
          } else {
112
            u = u \rightarrow ch[1];
113
          }
       }
114
115
       return ret;
116
117
118
     Node *find_kth(int k) {
119
       Node *u = root;
```

```
while (u != nil) {
120
121
         push_down(u);
         if (u->ch[0]->size + 1 == k) {
122
123
           splay(u, nil);
124
           return u;
125
         if (u->ch[0]->size >= k) {
126
           u = u \rightarrow ch[0];
127
         } else {
128
           k = u - ch[0] - size + 1;
129
130
           u = u \rightarrow ch[1];
131
         }
       }
132
133
      return nil;
134
135
    Node *range(int l, int r) {
136
      Node *pred = find_pred(l);
137
      Node *succ = find_succ(r);
138
139
       splay(pred, nil);
140
       splay(succ, root);
141
       push_down(pred);
142
143
      push_down(succ);
144
      return root->ch[1]->ch[0];
145 }
146
    int main() {
147
148
       // freopen("input.txt", "r", stdin);
149
150
151
       ios::sync_with_stdio(false);
       cin.tie(0);
152
       cout.tie(0);
153
154
       int n;
155
156
      cin >> n;
157
       pool_it = node_pool;
158
159
      nil = pool_it++;
      nil->ch[0] = nil->ch[1] = nil->fa = nil;
160
      nil->id = -1;
161
      nil->val = 0;
162
163
       root = nil;
164
       insert(-0x3fffffff, 0);
165
166
       insert(0x3fffffff, 0);
167
168
       return 0;
169
   }
    3.2 lct
    struct LCT {
 1
       struct node {
 2
 3
         int val, add;
         node *fa, *ch[2];
 4
         void modify(const int &x) {
```

```
6
           val += x;
7
           add += x;
8
       } node_mset[MaxS], *cnode, *null;
9
10
      LCT() {
         cnode = node_mset;
11
12
         null = cnode++;
         *null = (node){0, 0, null, {null, null}};
13
      }
14
       inline node *newnode() {
15
         *cnode = (node){0, 0, null, {null, null}};
16
17
         return cnode++;
18
       inline bool isrt(node *u) const {
19
         return (u-fa-ch[0] != u) \&\& (u-fa-ch[1] != u);
20
21
       inline bool which(node *u) const { return u->fa->ch[1] == u; }
22
       void push_down(node *u) {
23
         if (!isrt(u)) push_down(u->fa);
24
         if (u->add) {
25
           u \rightarrow ch[0] \rightarrow modify(u \rightarrow add);
26
27
           u \rightarrow ch[1] \rightarrow modify(u \rightarrow add);
           u->add = 0;
28
29
         }
30
      }
      inline void rotate(node *u) {
31
         node *f = u - > fa;
32
         int d = which(u);
33
         f->ch[d] = u->ch[d ^ 1];
34
         f \rightarrow ch[d] \rightarrow fa = f;
35
36
         u - ch[d \land 1] = f;
37
         u\rightarrow fa = f\rightarrow fa;
         if (!isrt(f)) f->fa->ch[which(f)] = u;
38
         f\rightarrow fa = u;
39
40
       inline void splay(node *u) {
41
42
         push_down(u);
43
         for (node *f; !isrt(u); rotate(u))
           if (!isrt(f = u->fa)) rotate(which(u) == which(f) ? f : u);
44
45
       inline void access(node *x) {
46
         for (node *y = null; x = null; x = x \rightarrow fa) {
47
48
           splay(x);
49
           x \rightarrow ch[1] = y;
50
           y = x;
         }
51
52
       inline void cut(node *u) {
53
         access(u);
54
55
         splay(u);
56
         u\rightarrow ch[0]\rightarrow fa = null:
57
         u \rightarrow ch[0] = null;
58
      inline void link(node *u, node *v) {
59
         cut(u);
60
61
         u\rightarrow fa = v;
62
63
    } tree;
```

3.3 kdtree

```
1 // 寻找近点
  #include <bits/stdc++.h>
   using namespace std;
5 const int MAXN = 2e5 + 5;
   typedef long long ll;
6
7
  namespace KD_Tree {
8
9
10 const int DIM = 2;
11
12 inline ll sqr(int x) { return 1LL * x * x; }
13
   struct Point {
14
     int x[DIM], id, c;
15
16
     ll dist2(const Point &b) const {
17
        return sqr(x[0] - b.x[0]) + sqr(x[1] - b.x[1]);
18
19
20
   };
   struct QNode {
21
22
     Point p;
     ll dis2;
23
24
25
     QNode() {}
26
     QNode(Point _p, ll _dis2) : p(_p), dis2(_dis2) {}
27
28
     bool operator<(const QNode &b) const {</pre>
       return dis2 < b.dis2 || (dis2 == b.dis2 && p.id < b.p.id);</pre>
29
30
     }
31 } ans;
32 struct cmpx {
33
     int div;
     cmpx(int _div) : div(_div) {}
34
35
     bool operator()(const Point &a, const Point &b) {
36
        for (int i = 0; i < DIM; ++i)
          if (a.x[(i + div) \% DIM] != b.x[(i + div) \% DIM])
37
            return a.x[(i + div) \% DIM] < b.x[(i + div) \% DIM];
39
        return true;
40
     }
41
   };
42
   bool cmp(const Point &a, const Point &b, int div) {
43
44
     cmpx cp = cmpx(div);
     return cp(a, b);
45
   }
46
47
48 struct Node {
49
     Point e;
     Node *lc, *rc;
50
     int div;
51
52 } node_pool[MAXN], *tail, *root;
   void init() { tail = node_pool; }
  Node *build(Point *a, int l, int r, int div) {
     if (l >= r) return nullptr;
55
     Node *p = tail++;
56
     p\rightarrow div = div;
```

```
int mid = (l + r) \gg 1;
 58
        nth_element(a + l, a + mid, a + r, cmpx(div));
 59
        p\rightarrow e = a[mid];
 60
        p->lc = build(a, l, mid, div ^ 1);
 61
 62
        p\rightarrow rc = build(a, mid + 1, r, div \wedge 1);
 63
        return p;
 64 }
     void search(Point p, Node *x, int div) {
 65
        if (!x) return;
 66
        if (cmp(p, x->e, div)) {
 67
 68
          search(p, x->lc, div ^ 1);
 69
          if (ans.dis2 == -1) {
             if (x\rightarrow e.c \le p.c) ans = QNode(x\rightarrow e, p.dist2(x\rightarrow e));
 70
             search(p, x \rightarrow rc, div ^ 1);
 71
          } else {
 72
             QNode temp(x\rightarrow e, p.dist2(x\rightarrow e));
 73
             if (x->e.c \le p.c \&\& temp < ans) ans = temp;
 74
 75
             if (\operatorname{sqr}(x->e.x[\operatorname{div}] - p.x[\operatorname{div}]) \le \operatorname{ans.dis2}) search(p, x->rc, div ^ 1);
 76
          }
 77
        } else {
          search(p, x->rc, div ^ 1);
 78
 79
          if (ans.dis2 == -1) {
             if (x\rightarrow e.c \le p.c) ans = QNode(x\rightarrow e, p.dist2(x\rightarrow e));
 80
 81
             search(p, x->lc, div ^ 1);
 82
          } else {
             QNode temp(x\rightarrow e, p.dist2(x\rightarrow e));
 83
 84
             if (x\rightarrow e.c \le p.c \&\& temp < ans) ans = temp;
             if (\operatorname{sqr}(x\rightarrow e.x[\operatorname{div}] - p.x[\operatorname{div}]) \leftarrow \operatorname{ans.dis2}) \operatorname{search}(p, x\rightarrow lc, \operatorname{div} 1);
 85
 86
        }
 87
 88
     }
     void search(Point p) {
 89
 90
        ans.dis2 = -1;
        search(p, root, 0);
 91
 92
 93 } // namespace KD_Tree
 94
 95
     void solve() {
        static KD_Tree::Point p[MAXN];
 96
        int n, m;
 97
        cin >> n >> m;
 98
        for (int i = 0; i < n; ++i) {
99
100
          p[i].id = i;
101
          cin >> p[i].x[0] >> p[i].x[1] >> p[i].c;
102
103
        KD_Tree::init();
        KD_Tree::root = KD_Tree::build(p, 0, n, 0);
104
105
        for (KD_Tree::Point q; m; --m) {
106
107
          cin \gg q.x[0] \gg q.x[1] \gg q.c;
108
          KD_Tree::search(q);
109
          cout << KD_Tree::ans.p.x[0] << ' ' << KD_Tree::ans.p.x[1] << ' '</pre>
110
                 << KD_Tree::ans.p.c << '\n';
111
        }
112
     }
     int main() {
113
114
        ios::sync_with_stdio(false);
115
        cin.tie(nullptr);
116
```

```
117
       int o_o;
118
       for (cin >> o_o; o_o; --o_o) solve();
119
120
      return 0;
121 }
122
123
    // 寻找远点
124 inline void cmin(int &a, int b) { b < a ? a = b : 1; }
125 inline void cmax(int &a, int b) { a < b ? a = b : 1; }</pre>
126 inline int ibs(int a) { return a < 0 ? -a : a; }
    struct D {
128
       int d[2], mx0, mx1, mi0, mi1;
      D *l, *r;
129
130 } t[N], *rt;
    int cpd, ans;
131
    inline bool cmp(const D &a, const D &b) {
      return (a.d[cpd] ^ b.d[cpd]) ? a.d[cpd] < b.d[cpd]</pre>
133
134
                                       : a.d[cpd ^ 1] < b.d[cpd ^ 1];
135
    }
    inline void kd_upd(D *u) {
136
       if (u->1) {
137
         cmax(u->mx0, u->l->mx0);
138
         cmax(u->mx1, u->l->mx1);
139
140
         cmin(u->mi0, u->l->mi0);
141
         cmin(u->mi1, u->l->mi1);
142
       if (u->r) {
143
         cmax(u->mx0, u->r->mx0);
144
         cmax(u->mx1, u->r->mx1);
145
         cmin(u->mi0, u->r->mi0);
146
         cmin(u->mi1, u->r->mi1);
147
148
       }
149
    }
    D *kd_bld(int l, int r, int d) {
150
       int m = l + r \gg 1;
151
       cpd = d;
152
153
       std::nth_element(t + l + 1, t + m + 1, t + r + 1, cmp);
154
       t[m].mx0 = t[m].mi0 = t[m].d[0];
       t[m].mx1 = t[m].mi1 = t[m].d[1];
155
       if (l ^ m) t[m].l = kd_bld(l, m - 1, d ^ 1);
156
       if (r ^ m) t[m].r = kd_bld(m + 1, r, d ^ 1);
157
      kd_upd(t + m);
158
       return t + m;
159
160 }
    inline void kd_ins(D *ne) {
161
      int cd = 0;
162
163
      D *u = rt;
       while (true) {
164
         cmax(u->mx0, ne->mx0), cmin(u->mi0, ne->mi0);
165
166
         cmax(u\rightarrow mx1, ne\rightarrow mx1), cmin(u\rightarrow mi1, ne\rightarrow mi1);
167
         if (ne->d[cd] < u->d[cd]) {
168
           if (u->l)
169
             u = u \rightarrow l;
170
           else {
171
             u \rightarrow l = ne;
172
             return;
173
174
         } else {
175
           if (u->r)
```

```
176
             u = u \rightarrow r;
177
           else {
178
             u\rightarrow r = ne;
179
             return;
180
181
         cd ^= 1;
182
183
184
    }
    inline int dist(int x, int y, D *u) {
185
       int r = 0;
186
187
       if (x < u->mi0)
188
         r = u - mi0 - x;
       else if (x > u->mx0)
189
190
        r = x - u - mx0;
       if (y < u->mi1)
191
         r += u->mi1 - y;
192
193
       else if (y > u-mx1)
194
         r += y - u->mx1;
195
       return r;
196 }
    inline void kd_quy(D *u, const int &x, const int &y) {
197
198
       int dl, dr, d0;
       d0 = ibs(u->d[0] - x) + ibs(u->d[1] - y);
199
200
       if (d0 < ans) ans = d0;
       dl = u -> l ? dist(x, y, u -> l) : inf;
201
       dr = u \rightarrow r ? dist(x, y, u \rightarrow r) : inf;
202
       if (dl < dr) {
203
         if (dl < ans) kd_quy(u->l, x, y);
204
205
         if (dr < ans) kd_quy(u->r, x, y);
206
       } else {
         if (dr < ans) kd_quy(u->r, x, y);
207
208
         if (dl < ans) kd_quy(u->l, x, y);
209
210 }
    3.4 zkw
    int tree[MAXN * 2], pre;
 2
 3
    void init(int n, int *a) {
 4
      memset(tree, 0, sizeof(tree));
 5
       for (pre = 1; pre <= n; pre <<= 1) {}</pre>
       for (int i = 1; i <= n; ++i) tree[i + pre] = a[i];</pre>
 6
 7
       for (int i = pre; i; --i) tree[i] = max(tree[i << 1], tree[i << 1 | 1]);
    }
 8
 9
    void update(int pos, const int &val) {
10
11
       tree[pos += pre] = val;
12
       for (pos >>= 1; pos; pos >>= 1)
13
         tree[pos] = max(tree[pos << 1], tree[pos << 1 | 1]);
14
    }
15
16
    int query(int s, int t) {
17
       int res = 0;
       for (s += pre - 1, t += pre + 1; s ^ t ^ 1; s >>= 1, t >>= 1) {
18
19
         if (\sims & 1) res = max(res, tree[s \wedge 1]);
         if (t & 1) res = max(res, tree[t ^ 1]);
20
```

```
21
      }
22
      return res;
23 }
        String
   4.1 mancher
   void mancher(char *s, int n) {
      str[0] = '~';
      str[1] = '!';
3
      for (int i = 1; i <= n; ++i) {</pre>
4
        str[i * 2] = s[i];
5
        str[i * 2 + 1] = '!';
6
7
8
      for (int i = 1, j = 0; i \le n; ++i) {
9
        if (p[j] + j > i) {
          p[i] = min(p[2 * j - i], p[j] + j - i);
10
        } else {
11
          p[i] = 1;
12
13
        while (str[i + p[i]] == str[i - p[i]]) { ++p[i]; }
14
15
        if (i + p[i] > j + p[j]) { j = i; }
16
   }
17
   4.2 SAM
   struct Node {
      int len;
3
      Node *link, *ch[ALPHABET_SIZE];
4
   } node_pool[MAXS], *node_it, *root, *last;
5
6
   Node *new_node(int len) {
7
     node_it->len = len;
8
      return node_it++;
9 }
10 void sam_init() {
      node_it = node_pool;
11
12
      last = root = new_node(0);
13 }
   void sam_extend(int c, int val) {
      Node *p = last, *np = new_node(p->len + 1);
15
16
      for (last = np; p && !p->ch[c]; p = p->link) p->ch[c] = np;
      if (!p) {
17
18
        np->link = root;
      } else {
19
        Node *q = p->ch[c];
20
        if (q->len == p->len + 1) {
21
22
          np \rightarrow link = q;
        } else {
23
24
          Node *nq = new_node(p->len + 1);
25
          memcpy(nq->ch, q->ch, sizeof(q->ch));
26
          nq->link = q->link;
27
          q->link = np->link = nq;
28
          for (; p \&\& p \rightarrow ch[c] == q; p = p \rightarrow link) p \rightarrow ch[c] = nq;
29
```

```
30
31
   }
   4.3 ACam
   int ch[MAX_NODE][26], fail[MAX_NODE], dep[MAX_NODE], node_c;
3
   int add_char(int u, int id) {
     if (ch[u][id] < 0) ch[u][id] = node\_c++;
5
     return ch[u][id];
6
   void build_acam() {
7
      queue<int> que;
8
      for (int i = 0; i < 26; ++i)
9
        if (~ch[0][i]) {
10
          que.push(ch[0][i]);
          fail[ch[0][i]] = 0;
12
          dep[ch[0][i]] = 1;
13
        } else {
14
15
          ch[0][i] = 0;
        }
16
17
      while (!que.empty()) {
18
        int u = que.front();
        que.pop();
19
        for (int i = 0; i < 26; ++i)
20
21
          if (~ch[u][i]) {
            que.push(ch[u][i]);
22
            fail[ch[u][i]] = ch[fail[u]][i];
23
24
            dep[ch[u][i]] = dep[u] + 1;
25
          } else {
            ch[u][i] = ch[fail[u]][i];
26
27
28
      for (int i = 1; i < node_c; ++i) adj[fail[i]].push_back(i);</pre>
29
   }
30
   4.4 da
   char s[MAXN];
   int sa[MAXN], x[MAXN], y[MAXN], c[MAXN];
   int rk[MAXN], height[MAXN], st[17][MAXN], lg[MAXN];
3
 4
   bool cmp(int *r, int i, int j, int l) {
 5
6
     return r[i] == r[j] \&\& r[i + l] == r[j + l];
   }
7
   void da(char *s, int n, int m) {
8
      int i, j, p;
9
10
      for (i = 0; i < m; ++i) c[i] = 0;
      for (i = 0; i < n; ++i) ++c[x[i] = s[i]];
11
      for (i = 1; i < m; ++i) c[i] += c[i - 1];
      for (i = n - 1; \sim i; --i) sa[--c[x[i]]] = i;
13
      for (p = j = 1; p < n; j <<= 1, m = p) {
14
        for (p = 0, i = n - j; i < n; ++i) y[p++] = i;
15
        for (i = 0; i < n; ++i)
16
17
         if (sa[i] >= j) y[p++] = sa[i] - j;
        for (i = 0; i < m; ++i) c[i] = 0;
18
        for (i = 0; i < n; ++i) ++c[x[y[i]]];
19
```

```
for (i = 1; i < m; ++i) c[i] += c[i - 1];
20
       for (i = n - 1; \sim i; --i) sa[--c[x[y[i]]]] = y[i];
21
       for (swap(x, y), p = 1, x[sa[0]] = 0, i = 1; i < n; ++i)
22
23
         x[sa[i]] = cmp(y, sa[i], sa[i-1], j) ? p - 1 : p++;
24
   }
25
26
   void get_height(char *s, int n) {
27
28
     int i, j, k;
29
     for (i = 0; i < n; ++i) rk[sa[i]] = i;</pre>
     for (i = k = height[rk[0]] = 0; i < n; height[rk[i++]] = k)</pre>
31
       if (rk[i])
          for (k > 0 ? --k : 0, j = sa[rk[i] - 1]; s[i + k] == s[j + k]; ++k) {}
32
   }
33
34
35 void init_st_table(int n) {
     int lgn = lg[n];
36
37
     for (int i = 0; i < n; ++i) st[0][i] = height[i];</pre>
     for (int i = 1; i <= lgn; ++i)</pre>
38
       for (int j = 0; j + (1 << i - 1) < n; ++j)
39
          st[i][j] = min(st[i-1][j], st[i-1][j+(1 << i-1)]);
40
41 }
42
   int lcp(int i, int j) {
44
     if (i > j) swap(i, j);
45
     ++i;
     int lgl = lg[j - i + 1];
46
47
     return min(st[lgl][i], st[lgl][j - (1 << lgl) + 1]);</pre>
48 }
   4.5 kmp
void get_next(char *S, int *nxt, int n) {
     nxt[0] = -1;
2
3
     int j = -1;
     for (int i = 1; i < n; ++i) {
4
       while ((\sim j) \&\& S[j + 1] != S[i]) j = nxt[j];
5
       nxt[i] = (S[j + 1] == S[i]) ? (++j) : j;
6
7
     }
   }
8
9
int pattern(char *S, char *T, int *nxt, int n, int m) {
     int j = -1;
     for (int i = 0; i < m; ++i) {
13
       while ((\sim j) \&\& S[j + 1] != T[i]) j = nxt[j];
14
       j += S[j + 1] == T[i];
       if (j == n - 1) return i - n + 1;
15
     }
16
17
     return -1;
18
   }
   4.6 exkmp
1 // next[i]:x[i...m-1] 与 x[0...m-1] 的最长公共前缀
2 // extend[i]:y[i...n-1] 与 x[0...m-1] 的最长公共前缀
3 void prework(char x[], int m, int next[]) {
     next[0] = m;
```

```
int j = 0;
5
     while (j + 1 < m \&\& x[j] == x[j + 1]) ++j;
6
7
     next[1] = j;
8
     int k = 1;
9
     for (int i = 2; i < m; ++i) {
       int p = next[k] + k - 1;
10
       int L = next[i - k];
11
       if (i + L 
12
         next[i] = L;
13
14
       else {
          j = max(0, p - i + 1);
15
16
         while (i + j < m \&\& x[i + j] == x[j]) j++;
17
         next[i] = j;
         k = i;
18
       }
19
     }
20
21
   void exkmp(char x[], int m, char y[], int n, int next[], int extend[]) {
22
23
     prework(x, m, next);
     int j = 0;
24
25
     while (j < n \&\& j < m \&\& x[j] == y[j]) ++j;
26
     extend[0] = j;
27
     int k = 0;
28
     for (int i = 1; i < n; ++i) {
       int p = extend[k] + k - 1;
29
30
       int L = next[i - k];
       if (i + L 
31
          extend[i] = L;
32
       else {
33
          j = max(0, p - i + 1);
34
35
         while (i + j < n \&\& j < m \&\& y[i + j] == x[j]) j++;
36
         extend[i] = j;
37
         k = i;
38
       }
39
     }
40
   }
   4.7 hash
1
   const unsigned int KEY = 6151;
   const unsigned int MOD = 1610612741;
4
  unsigned int hash[MAXN], p[MAXN];
5
   inline unsigned int get_hash(int l, int r) {
7
     return (hash[r] + MOD - 1ULL * hash[l - 1] * p[r - l + 1] % MOD) % MOD;
8
9
   }
10
11 void init(char *s, int n) {
12
     p[0] = 1;
     for (int i = 1; i <= n; ++i) {
13
       p[i] = p[i - 1] * KEY \% MOD;
14
       hash[i] = (1LL * hash[i - 1] * KEY + s[i]) % MOD;
15
16
     }
  }
17
```

4.8 回文树

```
//最长双回文串
1
   struct PT {
2
3
     char s[MAXL];
      int fail[MAXL], ch[26][MAXL], l[MAXL], dep[MAXL], lst, nc, n;
4
      void init() {
5
        l[0] = 0;
6
7
        l[1] = -1;
        fail[0] = fail[1] = 1;
8
        for (int i = 0; i < 26; ++i) {
9
10
          for (int j = 0; j < nc; ++j) { ch[i][j] = 0; }
11
12
        for (int i = 2; i < nc; ++i) {</pre>
13
          l[i] = 0;
          fail[i] = 0;
14
15
16
        lst = 0;
17
18
        nc = 2;
        n = 0;
19
20
        s[0] = '#';
21
22
      int insert(char c) {
23
24
        int id = c - 'a';
25
        s[++n] = c;
26
        while (s[n - l[lst] - 1] != s[n]) \{ lst = fail[lst]; \}
        if (ch[id][lst] == 0) {
27
          l[nc] = l[lst] + 2;
28
          int f = fail[lst];
29
          while (s[n - l[f] - 1] != s[n]) { f = fail[f]; }
30
31
          fail[nc] = ch[id][f];
32
          dep[nc] = dep[fail[nc]] + 1;
33
          ch[id][lst] = nc;
34
          ++nc;
35
        }
36
        lst = ch[id][lst];
37
        return lst;
38
      }
39 } pt;
40
   char S[MAXL];
41
   int len[MAXL];
43
   int main() {
44
     ios::sync_with_stdio(false);
      cin.tie(0);
45
     cout.tie(0);
46
47
     cin >> S;
48
      int n = strlen(S);
49
50
      pt.init();
      for (int i = 0; i < n; ++i) { len[i] = pt.l[pt.insert(S[i])]; }</pre>
51
52
      pt.init();
53
      int ans = 0;
      for (int i = n - 1; i; --i) {
54
        ans = \max(ans, len[i - 1] + pt.l[pt.insert(S[i])]);
55
56
57
     cout << ans << "\n";
```

```
58
59 return 0;
60 }
```

5 Graph Theory

5.1 上下界费用流

```
#include <bits/stdc++.h>
   using namespace std;
3
   const int MAXN = 53;
4
   const int MAX_NODE = 113;
   const int MAX_EDGE = 1e5 + 5;
   const int INF = 0x3f3f3f3f;
7
8
9
   int n, s, t, ss, tt, tote;
   int R[MAXN], C[MAXN], board[MAXN][MAXN];
11
12 struct Edge {
     int to, cap, flow, cost;
13
  } edges[MAX_EDGE];
  vector<int> adj[MAX_NODE];
16
   int from[MAX_NODE], in[MAX_NODE];
17
   void add_edge(int from, int to, int l, int r, int cost) {
18
19
     in[to] += l, in[from] -= l;
     edges[tote] = (Edge)\{to, r - l, 0, cost\};
20
21
     adj[from].push_back(tote++);
     edges[tote] = (Edge){from, 0, 0, -cost};
22
     adj[to].push_back(tote++);
23
   }
24
25
26
   bool spfa(int s, int t) {
27
     static queue<int> q;
      static bool inq[MAX_NODE];
28
29
      static int dist[MAX_NODE];
30
     memset(inq + 1, 0, sizeof(bool) * tt);
31
     memset(dist + 1, 0x3f, sizeof(int) * tt);
     memset(from + 1, -1, sizeof(int) * tt);
32
     dist[0] = 0, from[0] = -1;
33
     q.push(0);
34
35
     while (!q.empty()) {
       int u = q.front();
36
37
       q.pop();
       inq[u] = false;
38
39
       for (int e : adj[u]) {
          if (edges[e].cap == edges[e].flow) continue;
40
          int v = edges[e].to, d = dist[u] + edges[e].cost;
41
         if (d >= dist[v]) continue;
42
         dist[v] = d;
43
         from[v] = e;
44
45
         if (!inq[v]) {
46
            q.push(v);
            inq[v] = true;
47
48
49
       }
     }
50
```

```
51
      return dist[t] < INF;</pre>
    }
52
53
    pair<int, int> min_cost_max_flow(int s, int t) {
54
      int flow = 0, cost = 0;
55
56
      while (spfa(s, t)) {
         int mi = INF;
57
         for (int it = from[t]; ~it; it = from[edges[it ^ 1].to])
58
           mi = min(mi, edges[it].cap - edges[it].flow);
59
60
         flow += mi;
         for (int it = from[t]; ~it; it = from[edges[it ^ 1].to]) {
61
62
           edges[it].flow += mi, edges[it ^ 1].flow -= mi;
           cost += mi * edges[it].cost;
63
         }
64
      }
65
      return make_pair(flow, cost);
66
67
68
    void solve() {
69
70
      tote = 0;
       s = 2 * n + 1, t = 2 * n + 2, ss = 0, tt = 2 * n + 3;
71
       for (int i = 0; i <= tt; ++i) adj[i].clear(), in[i] = 0;</pre>
72
73
74
      memset(R + 1, 0, sizeof(int) * n);
75
      memset(C + 1, 0, sizeof(int) * n);
76
77
       for (int i = 1; i <= n; ++i)</pre>
         for (int j = 1; j \le n; ++j) {
78
           cin >> board[i][j];
79
80
           R[i] += board[i][j];
81
           C[j] += board[i][j];
82
83
84
       for (int i = 1; i \le n; ++i) {
         add_edge(s, i, R[i], R[i], 0);
85
         add_edge(s, i + n, C[i], C[i], \emptyset);
86
87
88
       for (int i = 1, l, r; i <= n; ++i) {
89
         cin >> l >> r;
90
         add_edge(i, t, l, r, 0);
91
92
       for (int i = 1, l, r; i <= n; ++i) {
93
94
         cin >> l >> r;
         add_edge(i + n, t, l, r, 0);
95
96
      }
97
       for (int step = n * n / 2, x1, y1, x2, y2; step; --step) {
98
         cin >> x1 >> y1 >> x2 >> y2;
99
100
         if (board[x1][y1] == board[x2][y2]) continue;
101
         if (board[x2][y2]) swap(x1, x2), swap(y1, y2);
         if (x1 == x2)
102
103
           add_edge(y1 + n, y2 + n, 0, 1, 1);
104
         else
           add_edge(x1, x2, 0, 1, 1);
105
106
       add_edge(t, s, 0, INF, 0);
107
108
      int sum = 0;
109
       for (int i = 1; i < tt; ++i) {
```

```
if (in[i] > 0) {
110
           sum += in[i];
111
           add_edge(ss, i, 0, in[i], 0);
112
113
         } else if (in[i] < 0) {</pre>
114
           add_edge(i, tt, 0, -in[i], 0);
115
         }
      }
116
117
      pair<int, int> ans = min_cost_max_flow(ss, tt);
118
       if (sum != ans.first) {
119
120
         cout << "-1\n";
121
      } else {
         cout << ans.second << '\n';</pre>
122
123
124
    }
125
    int main() {
126
      ios::sync_with_stdio(false);
127
      cin.tie(nullptr);
128
129
130
      while (cin >> n) solve();
131
      return 0;
132 }
    5.2 tarjan
 1 vector<int> adj[MAXN];
    int dfn[MAXN], low[MAXN], dfs_c;
    int bel[MAXN], size[MAXN], scc, stk[MAXN], top, in_stack[MAXN];
 3
 5
    void tarjan(int u) {
 6
      dfn[u] = low[u] = ++dfs_c;
      stk[top++] = u;
 7
 8
      in_stack[u] = 1;
      for (size_t i = 0; i < adj[u].size(); ++i) {</pre>
 9
         int v = adj[u][i];
10
11
         if (!dfn[v]) {
12
           tarjan(v);
13
           (low[v] < low[u]) && (low[u] = low[v]);
14
         } else if (in_stack[v] && dfn[v] < low[u]) {</pre>
15
           low[u] = dfn[v];
         }
16
17
       if (low[u] == dfn[u]) {
18
        int v;
19
         size[++scc] = 0;
20
21
         do {
22
           v = stk[--top];
           in\_stack[v] = 0;
23
           bel[v] = scc;
24
           ++size[scc];
25
26
         } while (u != v);
27
      }
28
    }
```

5.3 一般图最大匹配

```
1 class GeneralMatch {
 2
   public:
      int n;
3
 4
      vector<vector<int>> g;
      vector<int> match, aux, label, orig, parent;
5
6
      queue<int> q;
      int aux_time;
 7
8
9
      GeneralMatch(int n)
          : match(n, -1), aux(n, -1), label(n), orig(n), parent(n, -1),
10
            aux_time(-1) {
11
12
        this->n = n;
        g.resize(n);
13
      }
14
15
      void add_edge(int u, int v) {
16
17
        g[u].push_back(v);
18
        g[v].push_back(u);
19
20
21
      int find(int x) { return x == orig[x] ? x : orig[x] = find(orig[x]); }
22
23
      int lca(int u, int v) {
24
        ++aux_time;
25
        u = find(u), v = find(v);
        for (;; swap(u, v)) {
26
27
          if (~u) {
28
            if (aux[u] == aux_time) return u;
29
            aux[u] = aux_time;
            if (match[u] == -1) {
30
31
              u = -1;
32
            } else {
33
              u = find(parent[match[u]]);
34
35
          }
        }
36
37
      }
38
      void blossom(int u, int v, int o) {
39
        while (find(u) != o) {
40
          parent[u] = v;
41
          v = match[u];
42
43
          q.push(v);
44
          label[v] = 0;
          orig[u] = orig[v] = o;
45
46
          u = parent[v];
47
        }
      }
48
49
50
      int bfs(int x) {
51
        iota(orig.begin(), orig.end(), 0);
52
        fill(label.begin(), label.end(), -1);
53
        while (!q.empty()) q.pop();
54
        q.push(x);
        label[x] = 0;
55
56
        while (!q.empty()) {
57
          int u = q.front();
58
          q.pop();
59
          for (int v : g[u]) {
```

```
if (label[v] == -1) {
60
               parent[v] = u;
61
               label[v] = 1;
62
              if (match[v] == -1) {
63
64
                 while (v != -1) {
                   int pv = parent[v];
65
                   int next_v = match[pv];
66
                   match[v] = pv;
67
                   match[pv] = v;
68
69
                   v = next_v;
70
                 }
71
                 return 1;
              }
72
73
              q.push(match[v]);
              label[match[v]] = 0;
74
            } else if (label[v] == 0 && find(u) != find(v)) {
75
               int o = lca(u, v);
76
77
               blossom(u, v, o);
              blossom(v, u, o);
78
79
            }
80
          }
        }
81
82
        return 0;
83
84
      int find_max_match() {
85
86
        int res = 0;
        for (int i = 0; i < n; ++i) {
87
          if (~match[i]) continue;
88
          res += bfs(i);
89
90
91
        return res;
92
93
   };
   5.4 sap
   struct MF {
2
      struct Edge {
3
        int to, cap, flow;
      } edges[MAXM * 4];
4
5
6
      vector<int> adj[MAXN];
      int n, edges_c, dep[MAXN], depc[MAXN], s, t, last[MAXN];
7
8
9
      void init(int _n) {
10
        n = _n;
        for (int i = 1; i <= n; ++i) adj[i].clear();</pre>
11
12
        edges_c = 0;
      }
13
14
      void add_edge(int v, int u, int cap) {
15
16
        edges[edges_c] = \{v, cap, \emptyset\};
        adj[u].push_back(edges_c++);
17
        edges[edges_c] = \{u, 0, 0\};
18
        adj[v].push_back(edges_c++);
19
20
21
```

```
int dfs(int u, int flow) {
22
        if (u == t || !flow) return flow;
23
        int v, e, temp, res = 0;
24
        for (int &i = last[u]; i < (int)adj[u].size(); ++i) {</pre>
25
26
          e = adj[u][i];
          v = edges[e].to;
27
          if (edges[e].cap == edges[e].flow) continue;
28
29
          if (dep[v] != dep[u] - 1) continue;
          temp = dfs(v, min(flow, edges[e].cap - edges[e].flow));
30
          edges[e].flow += temp, edges[e ^ 1].flow -= temp;
31
32
          res += temp, flow -= temp;
33
          if (!flow) return res;
          if (!dep[s]) return res;
34
35
        }
        last[u] = 0;
36
        if (!(--depc[dep[u]])) dep[s] = n + 1;
37
        ++depc[++dep[u]];
38
39
        return res;
40
      int max_flow(int s, int t) {
41
        this \rightarrow s = s, this \rightarrow t = t;
42
43
        static queue<int> que;
44
45
        memset(dep + 1, 0, sizeof(int) * n);
46
        memset(depc + 1, 0, sizeof(int) * n);
        memset(last + 1, 0, sizeof(int) * n);
47
48
        while (!que.empty()) que.pop();
        dep[t] = 1, que.push(t);
49
50
        while (!que.empty()) {
51
52
          int u = que.front();
          que.pop();
53
          ++depc[dep[u]];
54
          for (int i = 0, v; i < (int)adj[u].size(); ++i) {</pre>
55
            v = edges[adj[u][i]].to;
56
            if (dep[v]) continue;
57
58
            dep[v] = dep[u] + 1;
59
            que.push(v);
          }
60
        }
61
62
        int res = 0;
63
        while (dep[s] <= n) res += dfs(s, INT_MAX);</pre>
64
65
        return res;
66
      }
67
   };
    6
        Java
         进制转换
   6.1
   import java.io.*;
   import java.util.*;
   import java.math.*;
3
4
   /**
5
    * Built using CHelper plug-in
6
    * Actual solution is at the top
```

```
*/
8
   public class Main {
9
        public static void main(String[] args) {
10
            InputStream inputStream = System.in;
11
12
            OutputStream outputStream = System.out;
            Scanner in = new Scanner(inputStream);
13
            PrintWriter out = new PrintWriter(outputStream);
14
            Solver solver = new Solver();
15
            int testCount = Integer.parseInt(in.next());
16
            for (int i = 1; i <= testCount; i++)</pre>
17
                solver.solve(i, in, out);
18
19
            out.close();
        }
20
21
22
        static class Solver {
            public void solve(int testNumber, Scanner in, PrintWriter out) {
23
                int a = in.nextInt();
24
25
                int b = in.nextInt();
                String num = in.next();
26
27
                BigInteger value = BigInteger.ZERO;
28
29
                for (int i = 0; i < num.length(); ++i) {</pre>
                    value = value.multiply(BigInteger.valueOf(a));
30
31
                    value = BigInteger.valueOf(getValue(num.charAt(i))).add(value);
32
                out.println(a + " " + num);
33
34
                if (value.equals(BigInteger.ZERO)) {
35
                    out.println(b + " 0");
36
37
                    out.println();
38
                    return:
39
                }
40
                out.print(b + " ");
41
42
                char[] ans = new char[1000];
43
                int length = 0;
44
45
                while (!value.equals(BigInteger.ZERO)) {
                    int digit = value.mod(BigInteger.valueOf(b)).intValue();
46
                    value = value.divide(BigInteger.valueOf(b));
47
                    ans[length] = getChar(digit);
48
                    ++length;
49
                }
50
51
                for (int i = length - 1; i >= 0; --i) {
52
53
                    out.print(ans[i]);
54
                out.println("\n");
55
            }
56
57
58
            private int getValue(char ch) {
59
                if (ch >= 'A' && ch <= 'Z') {
                    return ch - 'A' + 10;
60
61
                if (ch >= 'a' && ch <= 'z') {
62
                    return ch - 'a' + 36;
63
64
65
                return ch - '0';
66
            }
```

```
67
            private char getChar(int x) {
68
                if (x < 10) {
69
                    return (char) ('0' + x);
70
71
                else\ if\ (x < 36) 
                    return (char) ('A' + x - 10);
72
                } else {
73
                    return (char) ('a' + x - 36);
74
75
            }
76
77
78
       }
   }
79
        Others
   7.1 myalloc
   // useage: vector<int, myalloc<int>> L;
   static char space[10000000], *sp = space;
   template <typename T> struct myalloc : allocator<T> {
     myalloc() {}
4
      template <typename T2> myalloc(const myalloc<T2> &a) {}
5
      template <typename T2> myalloc<T> &operator=(const myalloc<T2> &a) {
6
7
       return *this;
8
     template <typename T2> struct rebind { typedef myalloc<T2> other; };
9
     inline T *allocate(size_t n) {
10
11
       T * result = (T *) sp;
12
       sp += n * sizeof(T);
       return result;
13
14
     inline void deallocate(T *p, size_t n) {}
15
   };
16
   7.2
         duipai
   #/usr/bin/bash
2
 3
   while true; do
 4
     python gen.py > in.txt
5
     time ./my < in.txt > out.txt
6
     time ./std < in.txt > ans.txt
7
     if diff out.txt ans.txt; then
       echo AC
8
9
     else
10
       echo WA
11
       exit 0
     fi
12
13
   done
   7.3 vimrc
1 syntax enable
   set syntax=on
3 set nobackup
```

```
set noswapfile
   set noundofile
   set nu
   set smartindent
   set cindent
9
   set noeb
10 set tabstop=2
11 set softtabstop=2
12 set shiftwidth=2
13 set expandtab
14
15
   :imap jk <Esc>
16
  map <F5> : call Complie() <CR>
17
   func Complie()
18
     exec "w"
19
     exec "!g++ % -o %< -g -Wall -std=gnu++17 -static"
20
21
22
23 map <F6> : call Run() <CR>
24 func Run()
25
     exec "!./%<"
  endfunc
26
27
28 map <F9> : call DeBug() <CR>
   func DeBug()
29
     exec "!gdb %<"
30
   endfunc
31
   7.4 emacs
   (defun comp ()
1
2
     (interactive)
     (save-some-buffers t)
3
     (setq filename (file-name-nondirectory buffer-file-name))
4
     (setq progname (file-name-sans-extension filename))
     (setq suffix (file-name-extension filename))
     (compile (concat "g++ " filename " -o " progname " -02 -Wall -Werror")))
7
   (add-hook 'c++-mode
8
              '(lambda ()
9
                 (c-set-style "K&R")
10
                 (setq tab-width 2)
11
                 (setq indent-tabs-mode nil)
12
                 (setq c-basic-offset 2)))
13
14
   (global-set-key [f5] 'comp)
15
   (ido-mode t)
16
   (delete-selection-mode t)
17
   (global-auto-revert-mode t)
   7.5 FastIO
1 namespace FastIO {
   struct Control {
2
3
     int ct, val;
     Control(int Ct, int Val = -1) : ct(Ct), val(Val) {}
4
     inline Control operator()(int Val) { return Control(ct, Val); }
```

```
} _endl(0), _prs(1), _setprecision(2);
   const int IO_SIZE = 1 << 16 | 127;</pre>
8
9
   struct FastIO {
10
     char in[IO_SIZE], *p, *pp, out[IO_SIZE], *q, *qq, ch[20], *t, b, K, prs;
11
      FastIO(): p(in), pp(in), q(out), qq(out + IO_SIZE), t(ch), b(1), K(6) {}
12
13
      ~FastIO() { fwrite(out, 1, q - out, stdout); }
      inline char getc() {
14
       return p == pp && (pp = (p = in) + fread(in, 1, IO_SIZE, stdin), p == pp)
15
                   ? (b = 0, EOF)
16
17
                   : *p++;
18
     inline void putc(char x) {
19
       q == qq \&\& (fwrite(out, 1, q - out, stdout), q = out), *q++ = x;
20
21
      inline void puts(const char str[]) {
22
       fwrite(out, 1, q - out, stdout), fwrite(str, 1, strlen(str), stdout),
23
24
            q = out;
25
      inline void getline(string &s) {
26
27
       s = "";
       for (char ch; (ch = getc()) != '\n' && b;) s += ch;
28
29
   #define indef(T)
      inline FastIO &operator>>(T &x) {
31
32
       x = 0;
       char f = 0, ch;
33
       while (!isdigit(ch = getc()) && b) f |= ch == '-';
34
       while (isdigit(ch)) x = (x << 1) + (x << 3) + (ch ^ 48), ch = getc();
35
36
       return x = f ? -x : x, *this;
37
38
     indef(int);
     indef(long long);
39
40
      inline FastIO &operator>>(string &s) {
41
42
       s = "":
43
       char ch:
44
       while (isspace(ch = getc()) && b) {}
       while (!isspace(ch) && b) s += ch, ch = getc();
45
       return *this:
46
47
     inline FastIO &operator>>(double &x) {
48
49
       x = 0;
       char f = 0, ch;
50
       double d = 0.1;
51
52
       while (!isdigit(ch = getc()) && b) f |= (ch == '-');
       while (isdigit(ch)) x = x * 10 + (ch ^ 48), ch = getc();
53
       if (ch == '.')
54
          while (isdigit(ch = getc())) x += d * (ch ^ 48), d *= 0.1;
56
       return x = f ? -x : x, *this;
57
58
   #define outdef(_T)
     inline FastIO &operator<<(_T x) {</pre>
59
        !x \&\& (putc('0'), 0), x < 0 \&\& (putc('-'), x = -x);
60
       while (x) *t++ = x % 10 + 48, x /= 10;
61
62
       while (t != ch) *q++ = *--t;
63
       return *this;
64
      }
```

```
outdef(int);
65
       outdef(long long);
66
       inline FastIO &operator<<(char ch) { return putc(ch), *this; }</pre>
67
       inline FastIO &operator<<(const char str[]) { return puts(str), *this; }
inline FastIO &operator<<(const string &s) { return puts(s.c_str()), *this; }</pre>
68
69
70
       inline FastIO &operator<<(double x) {</pre>
         int k = 0;
71
72
         this->operator<<(int(x));</pre>
         putc('.');
73
         x = int(x);
74
         prs && (x += 5 * pow(10, -K - 1));
75
         while (k < K) putc(int(x *= 10) \land 48), x -= int(x), ++k;
76
77
         return *this:
78
       inline FastIO &operator<<(const Control &cl) {</pre>
79
         switch (cl.ct) {
80
         case 0: putc('\n'); break;
case 1: prs = cl.val; break;
81
82
83
         case 2: K = cl.val; break;
84
85
         return *this;
86
87
       inline operator bool() { return b; }
88
    } // namespace FastIO
```