1) a)
$$0 = maus [hein -haus] + Ques$$

$$\mathcal{A}$$

b)
$$T_{4F} = \int_{e}^{a} T ds$$

$$S_{a-s_{e}} = \frac{\int_{a}^{a} da}{S_{a}-S_{e}} = \frac{\int_{a}^{a} da}{S_{a}-S_{e}}$$

$$= \frac{m(u_a - u_e)}{S_a - S_e}$$

(1) PZIJ 150,000 3 5) Exergii bilinz um gesamle Tudome mex, sr = m/h-ho-Tols6-50) + 4e7 The To = $Ts \left(\frac{P_0}{P_0} \right)^{\frac{1}{N-7}} = 451.9 \ln \left(\frac{0.791}{0.5} \right)$ mges Es un Solubdise 0 = inges [hg-h6 + 45? -42] h= cp. Ts We = 2 /cp(T5-T6)+602 = 1 V2(7,006 (\$ 437,9 - 828,07 2202)

$$e_{xst} = (h_6 - h_0 - T_0(s_6 - s_0) + w_8 x_9 u_{16} - u_{e0})$$

$$= c_P(T_6 - T_0) - T_0(s_6 - s_0) + w_8 x_9 - w_0 x_0^2$$

$$= c_P(T_6 - t_0) - T_0(c_P ln(\frac{e_0}{t_0}) - Ry_n(\frac{e_0}{t_0}) + c_8 x_9 - u_0 x_0^2$$

$$= 0.7001(378,0 + u_0 - 243,75 u_0) - 243,75(e_{10},7000)$$

$$= 0.878,0 + u_0 - 243,75 u_0 - 243,75(e_{10},7000)$$

$$= 0.878,0 + u_0 - 243,75 u_0 - 243,75(e_{10},7000)$$

a)
$$ref1 Pg = Panb + 4 mug + meug A = \frac{D^2 \pi}{4}$$

Pro= Pzig da sich gleichug vef 1 nicht verändert

da die ma

$$T_{Z} = T_{7} \left(\frac{P_{2}}{P_{1}}\right)^{\frac{1}{N}} \qquad h = \frac{C_{0}}{C_{0}} = \frac{R + C_{0}}{C_{0}} = \frac{R}{2n} + C_{0}$$

$$= \frac{8.37U}{50} + 0.622$$

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$$= \frac{1.2627}{9.633}$$

Tr=In da sich der druch unthit ändat bleitet Tuantant

c)
$$\Delta E = E_{z} - E_{7} = Q_{12} \qquad m_{1} = m_{2}$$

$$= m_{1} u_{2} - m_{1} u_{1} = Q_{12}$$

$$= m_{1} u_{2} - m_{1} u_{1} = Q_{12}$$

$$= m_{1} u_{2} - m_{1} u_{1} = Q_{12}$$

$$= m_{2} u_{2} - m_{1} u_{1} = Q_{12}$$

$$Q_{12} = 3_{1} u_{3} - 0_{0} 3_{3} \frac{u_{3}}{u_{3} u_{3}} \left(500^{\circ} (-0_{1} 003^{\circ} c) \right)$$

$$= Q_{12} = 1_{1} 0856 u_{3}$$

$$= -333_{1} u_{1} 85 + u_{1} u_{1}$$

$$= -333_{1} u_{1} 85 + u_{1} u_{1}$$

$$= (1 - 0_{1} c) (-0_{1} 0u_{1} + 333_{1} u_{2} s)$$

$$= -2 w_{1} 1 168_{1} u_{3}$$

$$= -2 w_{1} 1 168_{1} u_{3}$$

$$\Delta E = E_{2} - E_{7} = Q_{12}$$

$$Q_{12} = m_{2} u_{1} (u_{2} - u_{1})$$

$$= u_{1} u_{2} + u_{2} u_{3}$$

$$= u_{1} u_{2} - u_{2} u_{3}$$

$$= u_{1} u_{2} - u_{2} u_{3}$$

$$= u_{1} u_{2} - u_{2} u_{3}$$

$$= u_{2} u_{3} + u_{3} u_{3} - u_{4} u_{5}$$

$$= u_{1} u_{2} - u_{2} u_{3} - u_{4} u_{5}$$

$$= u_{1} u_{2} - u_{3} u_{3} - u_{4} u_{5}$$

$$= u_{1} u_{2} - u_{3} u_{3} - u_{4} u_{5}$$

$$= u_{1} u_{2} - u_{3} u_{3} - u_{4} u_{5}$$

$$= u_{1} u_{3} - u_{4} u_{5} - u_{4} u_{5}$$

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$$= u_{1} u_{3} - u_{4} u_{5} - u_{5} u_{5}$$

$$= u_{1} u_{5} - u_{5} u_{5} - u_{5} u_{5} - u_{5} u_{5}$$

$$= u_{1} u_{2} - u_{3} u_{5} - u_{5} u_{5} - u_{5} u_{5} - u_{5} u_{5}$$

$$= u_{1} u_{2} - u_{3} u_{5} - u_{5} u_$$

$$\Delta f = E_z - E_\tau = Q_{12}$$

$$Q_{12} = m_{ew} \left(u_z - u_{r}\right)$$

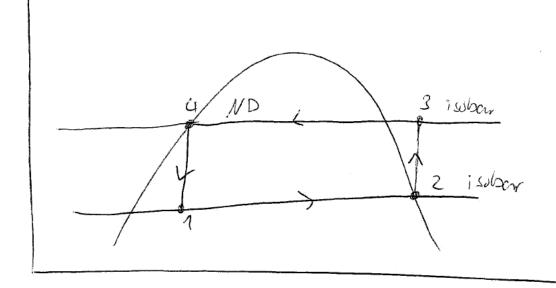
$$= 0 \text{ on } ew \left(u_{fest} + (\tau - x_z) \left(u_{fess} - u_{fest}\right)\right) - u_{r}$$

$$(ufl-ufest) \left(\frac{\alpha_{12}}{m_{ew}} - ufest + u_{1}\right) = 1 - x_{ries}$$

$$\frac{1}{(u_{f1}-u_{fest})}\left(\frac{Q_{12}}{u_{eu}}-u_{fest}+u_{7}\right)=\star_{reis}$$

$$x_{21015} = 1 - 1$$

$$(-0,0015 + 333,0185) \left(\frac{4,08564}{0.7469} + 333,458 + 200,700 \right)$$
 $x_{21015} = 10.6370 + 10.000$



hz

$$P_{\zeta} = P_{3}$$

$$h_u = h_1$$
 $h_4 = h_f(8ban) = 93,42 les$

$$X = h_4 - h_f(P_1, T_1)$$

$$h_g(P_1, T_1) - h_f(P_1, T_1)$$

$$= S_4 - S_4(P_n, T_n)$$

$$\mathcal{E}_{u} = \frac{|\vec{\alpha}_{u}|}{|\vec{\omega}_{e}|} = \frac{\vec{\alpha}_{u}}{|\vec{\omega}_{e}|}$$