

CS M51A, Winter 2021, Assignment 7

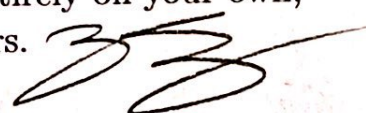
(Total Mark: 90 points, 9%)

Due: Wed Feb 24th, 10:00 AM Pacific Time

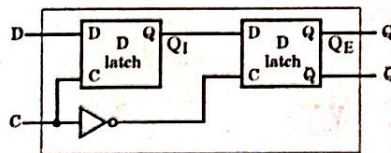
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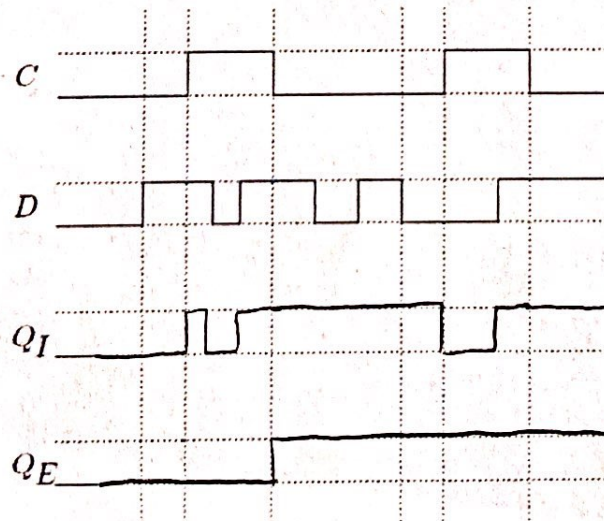
Note: You must complete the assignments entirely on your own,
without discussing with others.



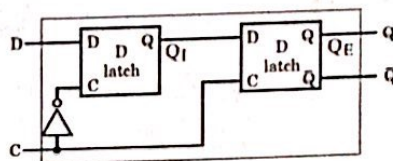
1. (10 Points) Consider the D flip-flop illustrated in the diagram below:



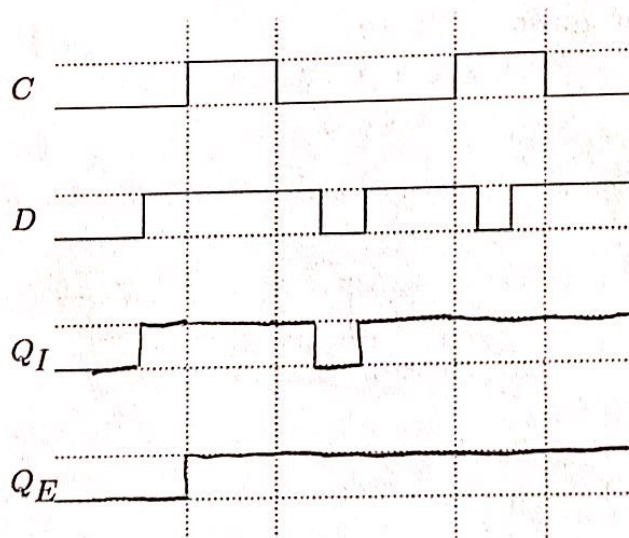
In the Figure below are traces of C and D; draw the resulting traces of QI and QE.



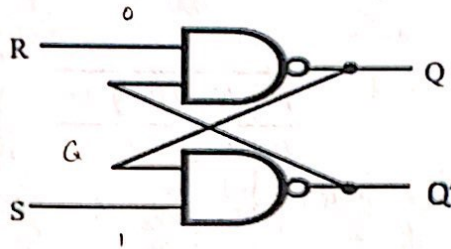
2. (10 Points) Now consider when we move the inverter in the D flip-flop illustrated in the diagram below:



In the Figure below are traces of C and D; draw the resulting traces of Q_I and Q_E.



3. In class, we designed an SR-latch using NOR gates. Suppose instead we try to implement it using NAND gates as given below:



- (a) (4 Points) What setting of R and S sets Q to 1 and Q' to 0?

$$R=0, S=1$$

- (b) (4 Points) What setting of R and S sets Q to 0 and Q' to 1?

$$R=1, S=0$$

- (c) (4 Points) What setting of R and S sets Q to Q and Q' to Q'?

$$R=1, S=1$$

4. A PN flip-flop has four operations: 0(reset), 1(set), no change (output remains unchanged) and toggle (output changes to its complement), when inputs P and N are 00, 01, 10, 11, respectively.

(a) (4 Points) If we use $Q(t)$ to represent the output of a PN flip-flop at time t , fill in the following table:

P	N	$Q(t+1)$
0	0	0
0	1	1
1	0	$Q(t)$
1	1	$Q(t)'$

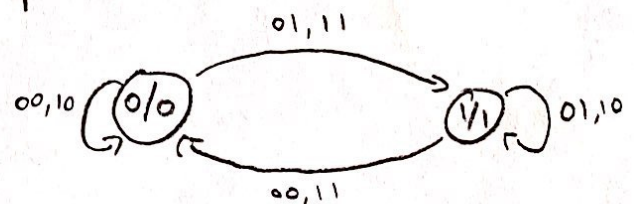
(b) (4 Points) Write the expression for $Q(t+1)$ in terms of present input (P and N) and state $Q(t)$.

P	N	$Q(t)$	$Q(t+1)$
0	0	0	0
0	1	1	1
1	0	0	0
1	1	1	0

$$Q(t+1) = P'N + PN'Q(t) + PNQ(t)'$$

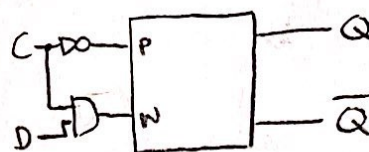
(c) (14 Points) Show the state transition table and state diagram of a PN flip-flop with input ($P \in \{0, 1\}$ and $N \in \{0, 1\}$), output ($z = Q(t)$) and state ($Q(t) \in 0, 1$).

PS: $Q(t)$	Input (PN)				z
	PN=00	PN=01	PN=10	PN=11	
0	0	1	0	1	0
1	0	1	1	0	1
NS, $Q(t+1)$					

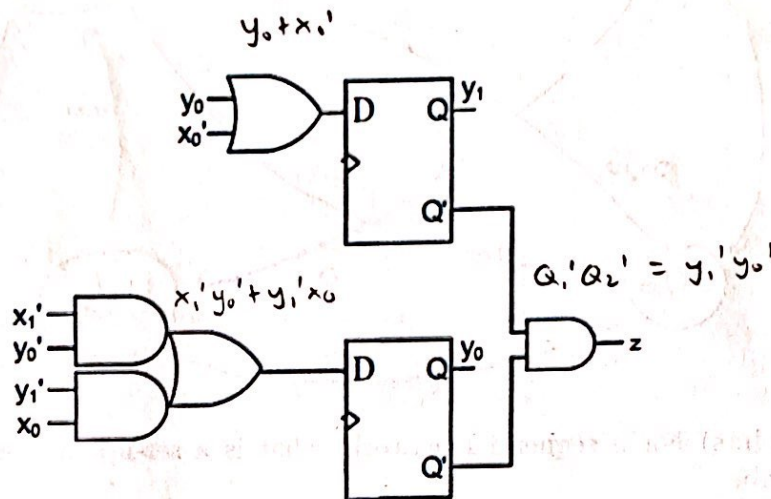


(d) (4 Points) Show how a PN flip-flop can be converted to a D flip-flop.

C	D	$Q(t+1)$	P	N
0	0	$Q(t)$	1	0
0	1	$Q(t)$	1	0
1	0	0	0	0
1	1	1	0	1



5. We would like to analyze the following sequential network. It has two input bits x_1 and x_0 , with a single output bit z . Note, both D Flip-flops connect to the same CLK, not shown in the figure for simplicity.



- (a) (4 Points) Write expressions for z , $y_1(t+1)$ and $y_0(t+1)$ in terms of inputs (x_1 and x_0) and present states (y_1 and y_0).

$$z = y_1' y_0'$$

$$y_1(t+1) = x_0' + y_0$$

$$y_0(t+1) = x_1' y_0' + x_0 y_1'$$

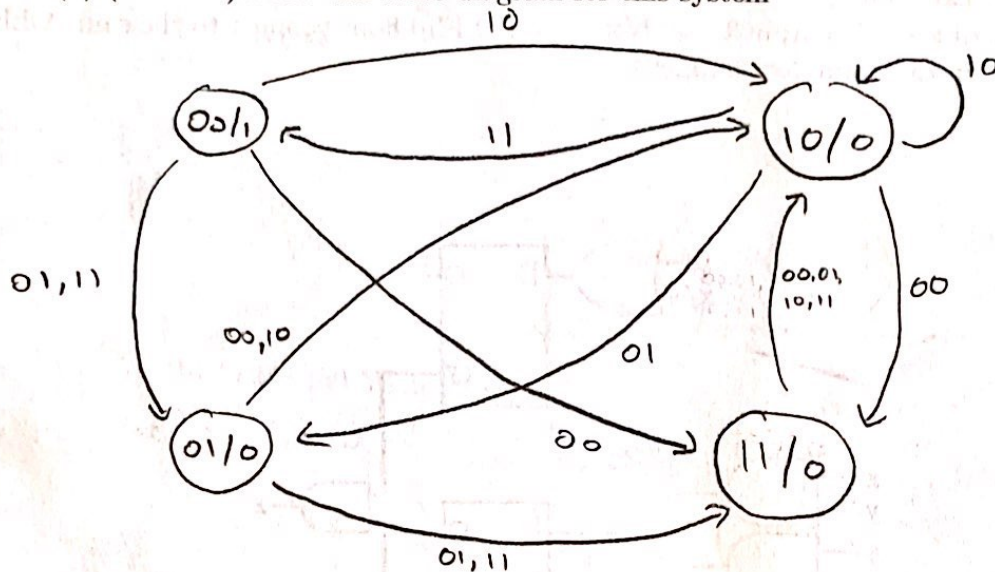
- (b) (8 Points) Using the expressions, fill in the table below.

PS $y_1(t)y_0(t)$	Input $x_1(t)x_0(t)$				Output z
	00	01	10	11	
00	11	01	10	01	1
01	10	11	10	11	0
10	11	01	10	00	0
11	10	10	10	10	0
$y_1(t+1)y_0(t+1)$					
NS					

- (c) (4 Points) Is this a Moore or Mealy machine?

Moore

(d) (8 Points) Draw the state diagram for this system



6. (4 Points) For a sequential network, what is a set-up time and hold time? Please describe.

Set-up time is the amount of time before a clock pulse (rising/falling edge) that you hold your input constant in order to account for the propagation delay of the preceding combinational network.

Hold time is the amount of time after a clock pulse that you hold your input constant in order to account for the propagation delay of the sequential network.

7. (4 Points) Explain how does the Master-slave architecture realize the edge-triggering mechanism. You may use the Master-slave D Flip-flop as an example.

By putting 2 D-latches in series and inverting the clock on one of them, one P-latch can change state when the clock is 1, and the other can change state when the clock is 0.



This filters out the original input so that any changes to the Q of the second D-latch only occur at the edges of the clock input.