CS174A Lecture 10

Announcements & Reminders

- 11/08/22: Team project proposals due, initial version
- 11/09/22: A3 due
- 11/10/22: Midway demo, online zoom
- 11/20/22: Assignment #4 due
- 11/22/22: Team project proposals due, final version
- 11/29/22: Prof Demetri's talk
- 12/02/22 (Discussion Sessions): Team project presentations
- 12/06/22: Final Exam, 6:30-9:30 PM PST, in class, in person

TA Session This Friday

- Team project proposals
- Assignment #3
- Gouraud and Phong shadings

Last Lecture Recap

- Geometric Calculations
- Midterm

Next Up

- Hidden Surface Removal
 - Backface culling
 - Painter's algorithm
 - Z-buffer algorithm
 - Scanline z-buffer algorithm
- Lighting/Illumination Models
- Flat and Smooth Shading
- Shadow Algorithms
 - 2-pass z-buffer algorithm
- Hidden Surface Removal
 - Ray casting, ray tracing

Hidden Surface Removals

Object Types

- Polymesh
- Free form surfaces
- Volume
- CSG
- Implicit surfaces

Basic Operations

- Establish priorities among polygons, objects, etc.
- Collect overlapping elements and use priorities to resolve visibility

Backface Culling

```
N = outward normal vector of face
P = a point on face
E = eye vector (from a point on face to eye = Eye - P)
```

It is a front face if:

- In World Space: N·E > 0
- In Eye/Camera Space: N·(-P) > 0 or N·P < 0
- In Projection Space (after perspective division): $N_7 < 0$

Hidden Surface Removals

Algorithm Types

- Image Space: operations 1 and 2, both at pixel resolution
- List-Priority: operation 1 at object resolution, operation 2 at pixel resolution
- Object/World/Eye Space: operation 1 and 2, both at object resolution

Evaluation Criteria

- Flexibility: what types of objects can it handle?
- Special Effects: transparency, antialiasing
- Memory Requirements
- Speed

Hidden Surface Removals

- Object Space Algorithms
 - Painter's
- Image Precision Algorithms
 - Z-Buffer
 - Scanline Z-Buffer
 - Ray Casting

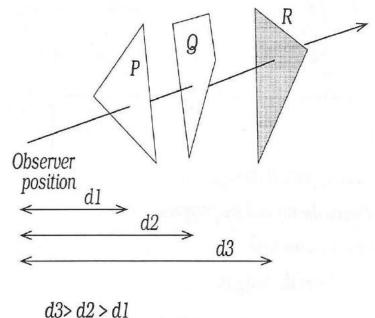
Painter's Algorithm

1. Sort all polygons by z-depth

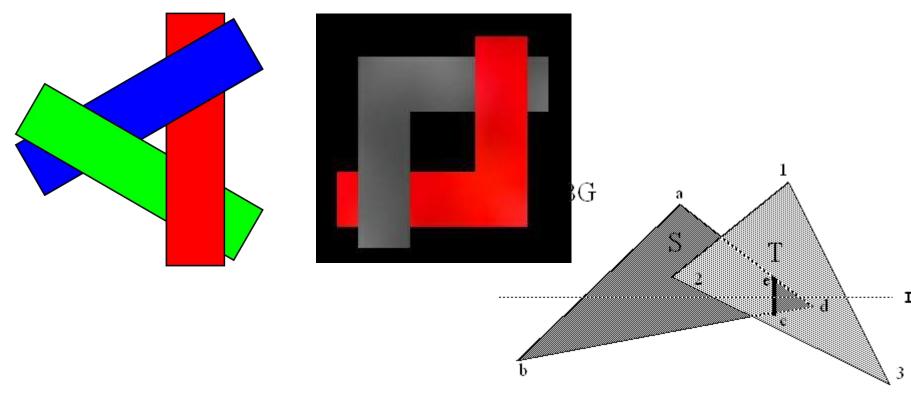
2. Scan-convert polygons in back-to-front order So paint poly R first, then Q, then P

Cannot handle certain cases:

- 1. Cyclic polygons
- 2. Intersecting polygons

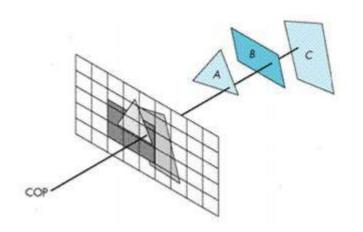


Painter's Algorithm



$$zb[X_{res}][Y_{res}] = \infty$$
 $cb[X_{res}][Y_{res}] = background$
for each polygon

- 1. for each pixel covered by polygon
 - a) Calculate z for polygon at (x,y)
 - **b)** If (z < zb[x][y])
 - i. zb[x][y] = z
 - ii. cb[x][y] = color of polygon



Properties

- Image precision algorithm
- Easy to implement in software and hardware
- Polygons scan-converted into framebuffer in random order
- No pre-sorting of objects/polygons necessary

Disadvantages

- Memory requirements for storing color and depth for entire image
- Aliasing issues
- Complexity depends on polygon's projection area on the screen
- Hard to handle transparency

Advantages

- Handles penetrating and cyclic objects
- Extends to various kinds of faces other than polygons
- Simplicity and ease of software implementation
- Easily implementable in hardware
- Be modified to reduce memory requirements
- Can be extended to A-buffer to reduce aliasing
- Theoretically it can handle any number of polygons

Scanline Z-Buffer Algorithm

```
zb[X_{res}]; cb[X_{res}];
1) for each scanline (y = scanline, reset zb and cb)
      for each polygon which intersects scanline
3)
        scan convert for specific scanline; determine span segment
4)
        for each pixel in span segment (x = pixel location)
5)
           Calculate z for polygon at (x,y)
6)
           if (z < zb[x])
             zb[x] = z
             cb[x] = color of poly
```

Scanline Z-Buffer Algorithm

Advantages

- Same as z-buffer
- Less memory requirement than z-buffer

Disadvantages

Multiple passes through polygon database

Efficiency Considerations in Z-Buffer Algorithms

Speed Considerations

- Bounding box testing
 - O Y_{min}/Y_{max} test: associate Y_{min}/Y_{max} with each face (Step 2)
 - O Calculate left and right ends: x-intercept with scanline (Step 3)
- Incremental calculation of Z or bilinear interpolation (Step 5)

$$Ax + By + Cz + D = 0$$

$$z = -\frac{Ax + By + D}{C}$$

$$z_{x+1} - z_x = -\frac{A}{C}$$
 \Longrightarrow $z_{x+1} = z_x + \Delta z$ (where $\Delta z = -A/C$)

- Space subdivision
- Hierarchical subdivision