Question 1

Not yet answered

Marked out of 1.00

The mean and variance of random variable X are 50 and 4, respectively. Evaluate the standard deviation of

$$Y = -X$$

Select one:

- a. 1.414
- b. -2.137
- c. 2
- d. -1.414

Question 2

Not yet answered

Marked out of 1.00

Version of Section 5.4.2, exercise 4.

The number of calories burn by a biker on a biking day depends on the number of hours biking plus the fixed amount burnt by the regular functioning of the body to stay alive. Based on past experience it is known that the calories burnt by a biker follows this function

$$Calories = 1000 + 200X$$

where X is the number of hours biking. If X is a Poisson random variable with parameter λ=3, what is the expected number of calories burn and the standard deviation of the calories?

Select one:

- a. 1600 and 1600, respectively
- b. 1600 and 447.2136, respectively
- c. 1600 and 346.4102, respectively
- d. 2000 and 1000, respectively

Question **3**

Not yet answered

Marked out of 3.00

The manager of a cosmetic products stand in a department store knows that the daily demand for the most expensive item in the stand, the “dramatically beautifying moisturizing lotion” has the following probability mass function:

Probability mass function of daily demand for expensive cosmetic item

Quantity demanded	0	1	2
Probability	0.1	0.5	0.4

Suppose that the bonus is $10 each time an item is used.

Let X denote daily demand and Y denote daily bonus

Match the following results

$E(Y^2)$	Choose...
$E[(X-5)^2]$	Choose...
$E(X^2)$	Choose...
Expected daily bonus	Choose...
Probability that in each and all three randomly chosen days we observe a demand of at least one item	Choose...
Standard deviation of the daily bonus	Choose...
Variance of X	Choose...
Expected daily demand	Choose...

Question **4**

Not yet answered

Marked out of 1.00

Let X be a random variable. What is

$$E[(X(X-1))] + E(X) - [E(X)]^2$$

equal to ?

Select one:

- a. $$\sigma_x$$
- b. E(X)
- c. The variance of X
- d. $$E(X^2)$$

Question **5**

Not yet answered

Marked out of 1.00

Chapter 5, end of chapter miniquiz

Which of the following does **NOT** equal the variance of X?

Select one:

○ a.

$$\sum_x x^2 P(x) + \sum_x (\mu_x)^2 P(x) - \mu \sum_x 2xP(x)$$

○ b.

$$\sum_x x^2 P(x) + \sum_x (E(X))^2 P(x) - \sum_x 2xE(X)P(x)$$

○ c.

$$E(\mu^2) + (E(X))^2 - 2(E(X))^2$$

Question 6

Not yet answered

Marked out of 1.00

A students knows that a random variable has expected value 5 and standard deviation 2. The student is given the following formula.

$$\sum_x [(x^2 + (E(X))^2 - 2xE(X))P(X = x)]$$

What is that expression equal to?

Select one:

- a. 1
- b. 4
- c. 29
- d. 3
- e. 16

Question **7**

Not yet answered

Marked out of 1.00

Chapter 5-Section 5.14.1 Exercise 1

In this question, we review characteristics of the Poisson model.

Almost every year, there is some incidence of volcanic activity on the island of Japan. In 2005 there were 5 volcanic episodes, defined as either eruptions or sizable seismic activity. Suppose the mean number of episodes is 2.4 per year. Let X be the number of episodes in the next two years. An appropriate model to use for X is [ ] . The member of the Poisson family that we would use has expected value [ ] by the [[3]. According to this model, the probability that there will be no volcanic episodes in the next two years is approximately [ ] . On the other hand, the probability that there will be more than three episodes in the next two years is approximately [ ] . Considering that each episode costs the island 1 million dollars, the expected cost of volcanic activity in the next two years is [[6]] with a standard deviation of [ ] .

Poisson	4.8	Poisson extended period	0.00823	0.7058.
4.8 milllion dollars	$2190.89	$61200	48 million dollars	log normal
exponential				

Question **8**

Not yet answered

Marked out of 1.00

A random variable X has expected value

$$\mu_X$$

and variance

$$\sigma_X^2$$

.

Parameters like

$$\mu$$

and

$$\sigma$$

are constants. What is the expected value and standard deviation of the following random variable?

$$W = \frac{X - \mu_x}{\sigma_X}$$

?

Select one:

- a. $$\mu_X$$ and $$\frac{\sigma_X}{\sqrt{n}}$$, respectively.
- b. $$\mu_x$$ and 1, respectively
- c. 0 and 1, respectively.
- d. $$\frac{\mu_X}{\sigma_X}$$ and 0, respectively

Question **9**

Not yet answered

Marked out of 1.00

The time, X in seconds, that it takes the Ticket counter to sell a Universal Studios pass has been found to follow the following probability model

$$f(X) = \frac{1}{100} e^{-\frac{1}{100}X}, \qquad X \geq 0$$

That time changes if the person also wants to purchase Six Flags tickets and recharge the EZ bus pass. It has been found that the time changes according to the following function:

$$Y = \frac{X}{12} + 1$$

You are next in line and want to do all of the above. How long should you expect to be at the ticket counter? By how much could the time differ, on average, from this expectation of yours?

Select one:

a. $\mu_y = 1199; \quad \sigma_y = 1200$

b. $\mu_y = 9.333; \quad \sigma_y = 8.3333$

c. $\mu_y = 19; \quad \sigma_y = 3.21$

d. $\mu_y = 11.30; \quad \sigma_y = 10$

Question **10**

Not yet answered

Marked out of 1.00

The following expression

$$\int_x 2\mu_x^2 x f(x)dx$$

, where f(x) is a density function and the integration is over all the domain of the random variable X, equals

Select one:

- a. 1
- b. $2\mu_x^3$
- c. σ_x^2
- d. $2\mu_x^2$

Question **11**

Not yet answered

Marked out of 1.00

Let f(x) be the density function of X, $0 \le x \le 1$. The expression

$$\int_0^1 (20 + 30x + 10x^2) f(x) dx$$

equals

Select one:

- a. $$20 + 30E(X) + 10E(X^2)$$
- b. Var(10+5X)
- c. Var(10-5X)
- d. $$E(X + 10X)^2$$

Question **12**

Not yet answered

Marked out of 2.00

Show how you reach the conclusion you reach in the following problem. Do not attach any files. Use the editor in this page. Also, show all your work in detail and justify your answer. If you are going to use some result discussed this week, prove that result as well, either using definitions pertaining to either a discrete or a continuous random variable.

Let X be a random variable. What is

$$E[(X(X-1))]+E(X)-[E(X)]^2$$

equal to ?

Question **13**

Not yet answered

Marked out of 1.00

CHAPTER 5-TEXTBOOK-section 5.4.2., Exercise 3

Weekly downtime of internet services from an internet service provider (in hours) has expected value 0.5 and variance 0.25. Based on past experience, the data scientist of a retailer store has calculated the loss function to the store from the downtime as

$$C = 30X + 2X^2$$

where

$$X$$

is the amount of weekly downtime and C is cost. Find the expected cost.

Select one:

- a. 15.5
- b. 16
- c. 21
- d. 17

Question **14**

Not yet answered

Marked out of 5.00

CHapter 5, problem 9 end of chapter.

This problem requires you to show work. If you would like to see the rubric that will be used, more or less, you may look at the supplementary reading in Module 4 "fitting a Poisson model to the counts of births per time interval.

--------------------Problem

Do extinctions occur randomly through the long fossil's record of Earth's history?, or are there periods in which extinction rates are unusually high ("mass extinctions") compared with background rates? Whitlock and Schluter (2009) give data on the number of extinctions of marine invertebrate families in 76 blocks of time of similar duration.

0 extinctions happened in none of the blocks

1 extinction happened in 13 blocks

2 extinctions happened in 15 blocks

3 extinctions happened in 16 blocks

4 extinctions happened in 7 blocks

5 extinctions happened in 10 blocks

6 extinctions happened in 4 blocks

7 extinctions happened in 2 blocks

8 extinctions happened in 1 block

9 extinctions happened in 2 blocks

$$\geq 10$$

extinctions happened in 6 blocks

Estimate the expected number of extinctions per block given the data above and compare the proportion of blocks predicted by the model for each of the above extinction numbers with the observed ones. Is there much difference between the two?

After providing those in a nice table, do the chi-square test that is being done in the supplementary document on births, by adding the counts to the table, both the counts observed and the predicted ones.

Hint: There is a document posted in module 4 near the Poisson lecture illustrating how we fitted a Poisson to the babies data. Follow the discussion there.Dr. Sanchez posted during office hours of 1/27/2022 a video on that activity. Office hours videos are in the Q&A.

You must show very detailed work and explanations, providing intermediate work, what you calculate and final numerical answers. There is a rubric included in the babies document posted in the lectures folder. We will use similar rubric here. The table for the extinctions was not completed in class, so you need to include that.

You may attach a pdf file with your work.

Question **15**

Not yet answered

Marked out of 1.00

CHAPTER 7 SECTION 7.2.1 Ex 2 TEXTBOOK

Let X be the time that it takes to drive between point A and point B during the afternoon rush hour period on highway 4005. The density function of X is

$$f(x) = \frac{1}{2}x, \qquad 0 \leq x \leq 2$$

Calculate the interquartile range	Choose...
Find the median	Choose...
Calculate $P(0.5 \leq x \leq 1.5)$	Choose...
Calculate the value of the 70th percentile	Choose...

Question **16**

Not yet answered

Marked out of 1.00

CHAPTER 7 SECTION 7.2.1 Ex 5 TEXTBOOK

A target is located at the point 0 on the horizontal axis. Let X be the landing point of a shot aimed at the target, a continuous variable with density function

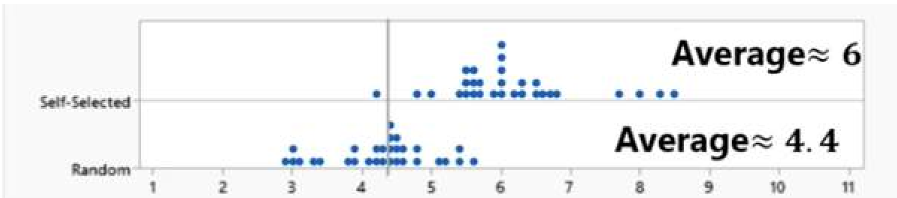
$f(x) = 1.5(1 - x^2), \quad 0 \leq x \leq 1$

$1.5\left(x - \frac{x^3}{3}\right)$ is the	Choose...
Calculate the expected landing point	Choose...
What is the probability that the landing point is before 0.4?	Choose...
What is the standard deviation of X?	Choose...

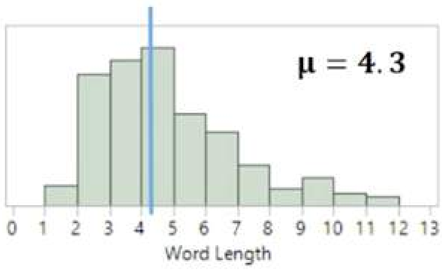
Question **17**

Not yet answered

Marked out of 2.00



Average word length. Each dot is the average found by a single student from a sample of 10 words. Several dots superimposed means several students found that average in their sample of 10 words.



(a) Based on the illustration above about sampling of words from the Gettysburgh address, what is an advantage of random sampling?

(b) Explain how the distribution corresponding to the self-selected sample and the one for the random sample were obtained.

Question **18**

Not yet answered

Marked out of 1.00

That they found that the counts of deaths by horse kick per cavalry unit followed a Poisson probability model means that

- [ ] a. That death by horse kick is something that happens by chance (aka as luck, fate)
- [ ] b. That death by horse kick can be perfectly predictable, no chance involved
- [ ] c. that death by horse kick always happens when the horse rider is not careful
- [ ] d. That a death by horse kick is a Poisson process