Question 1			
Not yet answered			
Marked out of 1.00			
If I sum a binomial random variable with $n=10$ and $p=0.5$ and a binomial random variable with $m=17$ and $p=0.5$, I get			
Select one:			
\bigcirc a. A binomial random variable with number of Bernoulli trials = 17 and p = 1			
O b. Something unfamiliar to us as yet			
○ c. A Binomial with number of Bernoulli trials =27 and p=0.5			
O d. A normal distribution			

Question 2	
Not yet answered	
Marked out of 1.00	

Seoul is confered an average of 1370.5 mm of rainfall per year, with a standard deviation of approximately 200 mm. If we assume that annual rainfall in Seoul is Gamma distributed, what would be the moment generating function of annual rainfall in Seoul?

Select one or more:

__ a.

$$M(t) = \left(\frac{1370.5}{1370.5 - t}\right)^{200}$$

- \Box d. \$\$M(t)=(1-29.18643)^{-46.95676} \$\$

С	Question 3				
١	lot yet answered				
٨	Marked out of 1.00				
	As genetic theory shows, there is very close to an even chance that both children in a two-child family will be of the same sex. Here are two possibilities.				
	(i) 15 couples have two children each. In 10 or more of these families, it will turn out that both children are of the same sex.				
	(ii) 30 couples have two children each. In 20 or more of these families, it will turn out that both children are of the same sex.				
	According to the laws of probability, which of (i) and (ii) is more likely to be observed?				
	Colorborno				
	Select one:				
	a. (i) is more likely to be observed than (ii).				
	○ b. (ii) is more likely to be observed than (i).				
	(ii) is more many to be observed than (i).				

Question 4		
Not yet answ	ered	
Marked out o	of 1.00	
	ng to the Law of Large Numbers,	
Select o	ne:	
○ a.	The probability that a package sent within the state of California for 2-day delivery will actually arrive within one day can not be approximated by experimentation	
○ b.	The probability that a package sent within the state of California for 2-day delivery will actually arrive within one day can be approximated by sending many packages, a large number, and observing how many of them arrive within one day	
○ c.	The probability of at least one of several events happening is the complement of the union of those events.	

Question 5 Not yet answered				
Marked out of 1.00				
Which of the following is most likely to happen?				
Select one:				
at least one six when 6 six-sided fair dice are rolled				
○ b. at least two sixes when 12 six-sided fair dice are rolled				
C. at least three sixes when 18 six-sided fair dice are rolled				

Question 7 Not yet answered Marked out of 1.00
Suppose, in a certain region, the annual rainfall (in inches) is a normally distributed random variable with parameters ω and $\sigma = 4$. Starting with this year, what is the probability that it will take over 5 years before a year occurs having a rainfall over 45 inches?
○ a. 0.10565
O b. 0.03229
○ c. 0.57219
Od. 0.00819

estion 8	
t yet answered	
rked out of 1.00	

Assuming that each terminal in an interactive system has the same probability p of being in use during the peak period of the day (the load is evenly distributed over the terminals), we want to know how many observations n need to be made so that

$$P\left[\left|rac{S_n}{n}-p
ight|\geq 1
ight]\leq 0.05$$

where S_n is the number of terminals in use. Call that answer (i)

If the first 100 observations indicate that p is approximately 0.2, how many more trials are needed? Call that answer (ii)

Which of the following is the answer?

(i) n=500, (ii) 220	Choose
(i) n=250; (ii) 560	Choose

Question 9	
Not yet answered	
Marked out of 3.00	

The number of scooters observed per square mile, X, in minutes, is a random variable that can be modeled by an Poisson distribution with expected value 15 in minutes.

Match the probability models that must be used to find the probabilities

$$f(x) = 15^x e^{-15}$$
 Choose...

$$N(\mu=15,\sigma^2=5)$$
 Choose...

\$\$

Poisson Choose... (\lambda=900)\$\$

	_	_	
Jugstian	1	n	

Not yet answered

Marked out of 5.00

 $\label{eq:control_co$

$$M_x(t) = e^{\{4t + rac{0.5t^2}{2}\}}.$$

Let the random variable Y be defined as $Y = \sum_{i=1}^9 X_i$. Find the Expected value and variance of Y showing work. Attachments are not allowed.

1		

Question 11 Not yet answered Marked out of 5.00
walked out of 5.00
A random variable X is called a Bernoulli random variable if it can assume only two values, usually taken to be 1 and 0, the first with probability p and the second with probability q=1-p. Find the mean and variance of a Bernoulli random variable X, using its moment generating function. Show work. No attachments allowed.

Question 12
Not yet answered

Marked out of 5.00

The following was a multiple choice question in this quiz. Show work to justify your answer to (i) and (ii). You may attach 1 pdf file.

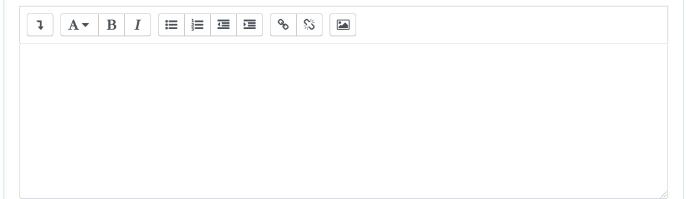
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ight|\geq 1
ight]\leq 0.05$$

where S_n is the number of terminals in use. Call that answer (i)

If the first 100 observations indicate that p is approximately 0.2, how many more trials are needed? Call that answer (ii)

Which of the following is the answer?



Maximum file size: 64MB, maximum number of files: 1



Accepted file types

 $\label{prop:commutation} \textbf{Document files}. \texttt{doc}. \texttt{docx}. \texttt{epub}. \texttt{gdoc}. \texttt{odt}. \texttt{oth}. \texttt{ott}. \texttt{pdf}. \texttt{rtf}$

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