

Problem 22.37 - Enhanced - with Feedback

A long coaxial cable consists of an inner cylindrical conductor with radius a and an outer coaxial cylinder with inner radius b and outer radius c . The outer cylinder is mounted on insulating supports and has no net charge. The inner cylinder has a uniform positive charge per unit length λ .

Part A

Calculate the magnitude of the electric field at any point between the cylinders a distance r from the axis.

Express your answer in terms of some or all of the variables a , b , c , r , λ and constants π and ϵ_0 .

$\sqrt[n]{}$

$\Lambda \Sigma \Phi$

←

→

↺

⌨

?

$E(r) =$

Submit

[Request Answer](#)

Part B

Find the direction of the electric field at any point between the cylinders a distance r from the axis.

- ☐ parallel cylinders' axis

☐ radially outward

☐ radially inward

Submit

[Request Answer](#)

▼ **Part C**

Calculate the magnitude of the electric field at any point outside the outer cylinder a distance r from the axis.

Express your answer in terms of some or all of the variables a , b , c , r , λ and constants π and ϵ_0 .

$\sqrt[n]{\square}$

$A\Sigma\Phi$

↶

↷

↺

⌨

?

$E(r) =$

Submit

[Request Answer](#)

▼ **Part D**

Find the direction of the electric field at any point outside the outer cylinder a distance r from the axis.

- ☐ parallel cylinders' axis

☐ radially outward

☐ radially inward

Submit

[Request Answer](#)

▼ Part E



Find the charge per unit length on the inner surface and on the outer surface of the outer cylinder.

Express your answers in terms of some or all of the variables a , b , c , r , λ and constants π and ϵ_0 . Enter your answers separated by a comma.

$$\lambda_{\text{inner}}, \lambda_{\text{outer}} = -\lambda, \lambda$$

Submit






[Previous Answers](#)

✓ Correct

 [Review | Constants](#)**Part A**

How much work is needed to assemble an atomic nucleus containing three protons (such as Li) if we model it as an equilateral triangle of side $2.00 \times 10^{-15} \text{ m}$ with a proton at each vertex? Assume the protons started from very far away.

Express your answer in million electron volts.

 $\Delta \Sigma \Phi$     ?

$W =$ MeV

[Submit](#)[Request Answer](#)[Provide Feedback](#)[Next >](#)

Exercise 23.7 - Enhanced - with Feedback

Two protons are aimed directly toward each other by a cyclotron accelerator with speeds of $2.10 \times 10^5 \text{ m/s}$, measured relative to the earth.

[Review](#) | [Constants](#)

▼ Part A

Find the maximum electrical force that these protons will exert on each other.

Express your answer with the appropriate units.

μA

↶

↷

↺

⌨

?

$F =$

Value

Units

[Submit](#) [Request Answer](#)

[Provide Feedback](#)

Next >

Exercise 23.11

Points a and b lie in a region where the y -component of the electric field is $E_y = \alpha + \beta/y^2$. The constants in this expression have the values $\alpha = 600 \text{ N/C}$ and $\beta = 5.00 \text{ N} \cdot \text{m}^2/\text{C}$. Points a and b are on the y -axis.

[Review I Constants](#)

▼ Part A

Point a is at $y = 2.00 \text{ cm}$ and point b is at $y = 3.00 \text{ cm}$. What is the potential difference $V_a - V_b$ between these two points.

Express your answer with the appropriate units.

 $V_a - V_b =$ [Submit](#)[Request Answer](#)

▼ Part B

Which point, a or b , is at higher potential?

- ☐

a
- ☐

b
- ☐

equal

[Submit](#)[Request Answer](#)

Exercise 23.29 - Enhanced - with Solution

A uniformly charged thin ring has radius 14.0 cm and total charge 22.0 nC. An electron is placed on the ring's axis a distance 28.0 cm from the center of the ring and is constrained to stay on the axis of the ring. The electron is then released from rest.

For related problemsolving tips and strategies, you may want to view a Video Tutor Solution of [A ring of charge](#).

Review | Constants

Part A

Describe the subsequent motion of the electron.

Match the words in the left column to the appropriate blanks in the sentences on the right.

is

away from

is not

attractive

repulsive

toward

Reset

Help

When the electron is on either side of the center of the ring, the ring exerts an force directed the center of the ring. This force produces oscillatory motion of the electron along the axis of the ring, with amplitude 28.0 cm. The force on the electron of the form $F = -kx$ so the oscillatory motion simple harmonic motion.

Submit [Request Answer](#)

▼ **Part B**



Find the speed of the electron when it reaches the center of the ring.

Express your answer in meters per second.

$$v = 1.66 \times 10^7 \text{ m/s}$$

Submit

[Previous Answers](#)

Exercise 23.33 - Enhanced - with Solution

A very long insulating cylindrical shell of radius 6.40 cm carries charge of linear density $8.70 \mu\text{C}/\text{m}$ spread uniformly over its outer surface.

For related problem-solving tips and strategies, you may want to view a Video Tutor Solution of [An infinite line charge or charged conducting cylinder](#).

[Review I Constants](#)

Part A

What would a voltmeter read if it were connected between the surface of the cylinder and a point 4.50 cm above the surface?

Express your answer in volts.

$\Delta V =$

V

[Submit](#)

[Request Answer](#)

Part B

What would a voltmeter read if it were connected between the surface and a point 1.00 cm from the central axis of the cylinder?

Express your answer in volts.

$\Delta V =$

V

◀ 7 of 10 ▶

A metal sphere with radius r_a is supported on an insulating stand at the center of a hollow, metal, spherical shell with radius r_b . There is charge $+q$ on the inner sphere and charge $-q$ on the outer spherical shell. Take V to be zero when r is infinite.

Calculate the potential $V(r)$ for $r < r_a$. (Hint: the net potential is the sum of the potentials due to the individual spheres.)

$V(r) =$

[Request Answer](#)

Calculate the potential $V(r)$ for $r_a < r < r_b$.

$V(r) =$

▼ Part C

Calculate the potential $V(r)$ for $r > r_b$.

Express your answer in terms of some or all of the variables q , r , r_a , r_b , and Coulomb constant k .

$\sqrt{\square}$ $\sqrt[n]{\square}$ $\Lambda \Sigma \Phi$ \curvearrowleft \curvearrowright \circlearrowleft ⌨ $?$

$V(r) =$

Submit

[Request Answer](#)

▼ Part D

Find the potential of the inner sphere with respect to the outer.

Express your answer in terms of some or all of the variables q , r , r_a , r_b , and Coulomb constant k .

$\sqrt{\square}$ $\sqrt[n]{\square}$ $\Lambda \Sigma \Phi$ \curvearrowleft \curvearrowright \circlearrowleft ⌨ $?$

$V_{ab} =$

▼ Part E

Use the equation $E_r = -\frac{\partial V}{\partial r}$ and the result from part B to find the electric field at any point between the spheres ($r_a < r < r_b$).

Express your answer in terms of some or all of the variables q , r , r_a , r_b , and Coulomb constant k .

$\sqrt{\square}$

$A\Sigma\Phi$

↶

↷

↺

?

$E =$

Submit

[Request Answer](#)

▼ Part F

Use the equation $E_r = -\frac{\partial V}{\partial r}$ and the result from part C to find the electric field at a point outside the larger sphere at a distance r from the center, where $r > r_b$.

Express your answer in terms of some or all of the variables q , r , r_a , r_b , and Coulomb constant k .

$\sqrt{\square}$

$A\Sigma\Phi$

↶

↷

↺

?

$E =$

▼ Part G

Suppose the charge on the outer sphere is not $-q$ but a negative charge of different magnitude, say $-Q$. Find the potential of the inner sphere with respect to the outer.

Express your answer in terms of some or all of the variables q , Q , r , r_a , r_b , and Coulomb constant k .

$\square \sqrt{\square} A \Sigma \phi$ \leftarrow \rightarrow \circlearrowleft ⌨ $?$

$V_{ab} =$

Submit

[Request Answer](#)

▼ Part H

Suppose the charge on the outer sphere is not $-q$ but a negative charge of different magnitude, say $-Q$. Find the electric field at any point between the spheres ($r_a < r < r_b$).

Express your answer in terms of some or all of the variables q , Q , r , r_a , r_b , and Coulomb constant k .

$\square \sqrt{\square} A \Sigma \phi$ \leftarrow \rightarrow \circlearrowleft ⌨ $?$

$E =$

▼ Part I

Suppose the charge on the outer sphere is not $-q$ but a negative charge of different magnitude, say $-Q$. Find the electric field at a point outside the larger sphere at a distance r from the center, where $r > r_b$.

Express your answer in terms of some or all of the variables q , Q , r , r_a , r_b , and Coulomb constant k .



$E =$

Submit

[Request Answer](#)

Problem 23.50

■ Review | Constants

A small sphere with mass $5.00 \times 10^{-7} \text{ kg}$ and charge $+8.00 \mu\text{C}$ is released from rest a distance of 0.500 m above a large horizontal insulating sheet of charge that has uniform surface charge density $\sigma = +8.00 \text{ pC/m}^2$.

▼ Part A

Using energy methods, calculate the speed of the sphere when it is 0.100 m above the sheet.

Express your answer to three significant figures and include the appropriate units.

μA

↶

↷

↺

⌨

?

$v =$

Value

Units

Submit Request Answer

Provide Feedback

Next >

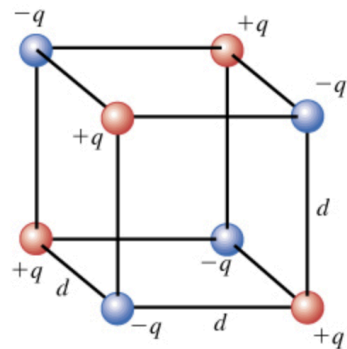
Problem 23.57

Complete

Review | Constants

(Figure 1) shows eight point charges arranged at the corners of a cube with sides of length d . The values of the charges are $+q$ and $-q$, as shown. This is a model of one cell of a cubic ionic crystal. In sodium chloride (NaCl), for instance, the positive ions are Na^+ and the negative ions are Cl^- .

Figure



Part A

Calculate the potential energy U of this arrangement. (Take as zero the potential energy of the eight charges when they are infinitely far apart.)

Express your answer in terms of the variables q , d , and Coulomb constant k .

$$U = \frac{q^2}{\pi\epsilon_0 d} \left[\frac{3\sqrt{3}-3\sqrt{6}-\sqrt{2}}{\sqrt{6}} \right]$$

Submit Previous Answers

Correct

Provide Feedback

Next >

Problem 23.67

A solid sphere of radius R contains a total charge Q distributed uniformly throughout its volume.

Review | Constants

Part A

Find the energy needed to assemble this charge by bringing infinitesimal charges from far away. This energy is called the "self-energy" of the charge distribution. (*Hint:* After you have assembled a charge q in a sphere of radius r , how much energy would it take to add a spherical shell of thickness dr having charge dq ? Then integrate to get the total energy.)

Express your answer in terms of the variables Q , R , and constants ϵ_0 , π .

$\sqrt[n]{\square}$

$\Lambda \Sigma \Phi$

$U =$

Submit

[Request Answer](#)

[Return to Assignment](#)

[Provide Feedback](#)