Applied GPU Programming - Assignment 4 - Group 19

Group members and contributions

We did the assignment together and in-person, therefore both of us contributed the same amount of work.

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Exercise 1

Question 1: X = 800, Y = 600

Per grid, the number of blocks along, respectively, the horizontal (X) and vertical (Y) axis can be calculated as follows:

- X: $\lceil \frac{800}{32} \rceil = 25$
- Y: $\left\lceil \frac{600}{16} \right\rceil = 38$

Furthermore, each block holds 32×16 threads, and since each warp consists of 32 threads, as per the assignment's statement, we have 16 warps per block. As such, the total warps will be $25 \times 38 \times 16 = 15200$.

Now, as for control divergence, we have that, in each block, two rows of threads are in the same warp (since each row will have 16 threads, and each warp holds 32). We also have that 800%32=0, and that 600%16=8, which leads to there being no horizontal divergence, only possibly vertical one – and with vertical divergence of 8, we have that 8 rows execute one path, and the other 8 execute the alternative. However, since every two rows are in the same warps, there won't be control divergence here either! As such, in these conditions, there won't be any warp with control divergence.

Question 2: X = 600, Y = 800

Now, in the X-axis, we have $\lceil \frac{600}{32} \rceil = 19$ blocks, and $\lceil \frac{800}{16} \rceil = 50$ in the Y-axis.

Since the image width (600 pixels) does not align with the block width (32 pixels), the last block in each row will have partially filled warps, which converts to 24%16=8 warps. As such, the total warps with control divergence will be $50\times8=400$.

Question 3: X = 600, Y = 799

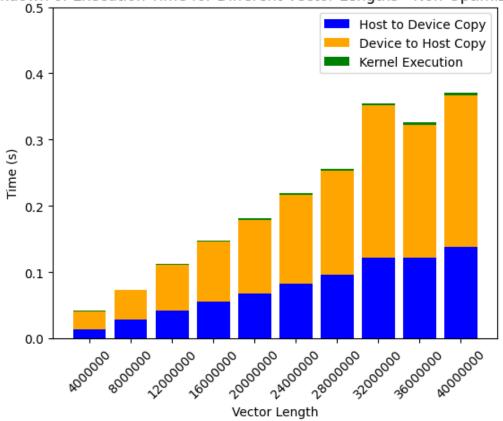
There will be, in total, the same amount of warps with control divergence as in the previous question, PLUS one additional row being added, since the height of the image now also doesn't exactly match with the block height. This additional row will now also be added to the total $(19-1, \, \text{minus})$ one because the one block in the right corner has already been considered in the $400 \, \text{warps}$ part), thus the answer here amounts to $418 \, \text{match}$.

Exercise 2

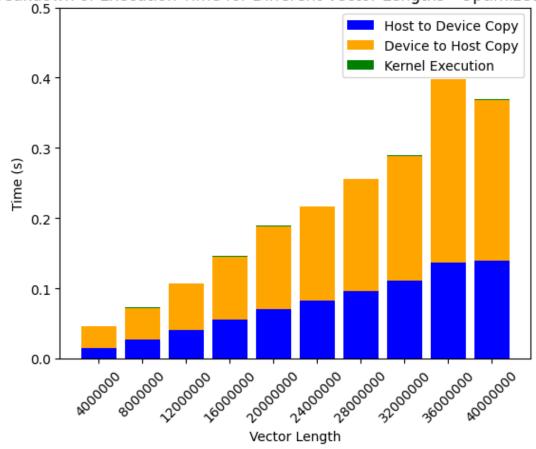
Question 1

Below you can see both execution time breakdowns for different vector lengths: the first for the non-optimized version, with the second being related to the stream-optimized version.

Breakdown of Execution Time for Different Vector Lengths - Non-Optimized Version



Breakdown of Execution Time for Different Vector Lengths - Optimized Version

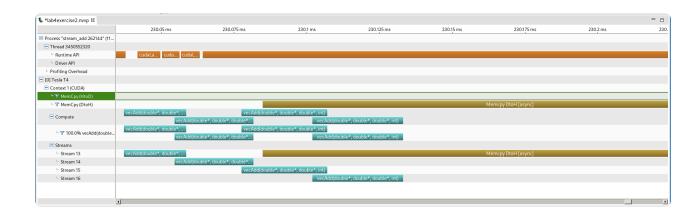


Both versions seem to have one outlier per plot (we ran the tests several times – these were not deterministic); however, ignoring those, we can see that time seems to linearly grow with increasing vector lengths.

Question 2

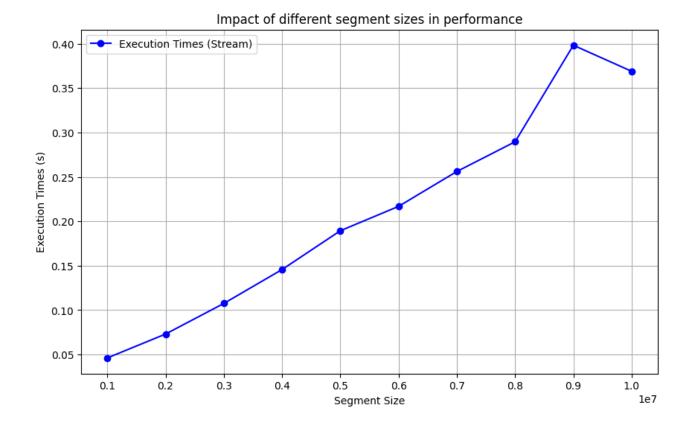
To trace the performance, we used the following command (note that the vector size was set to 262144):

nvprof --output-profile lab4exercise2.nvvp -f ./stream_add 262144



From the timeline, we observe concurrent execution across multiple streams (Streams 13 to 16), which indicates (partial) overlap of communication and computation.

Question 3

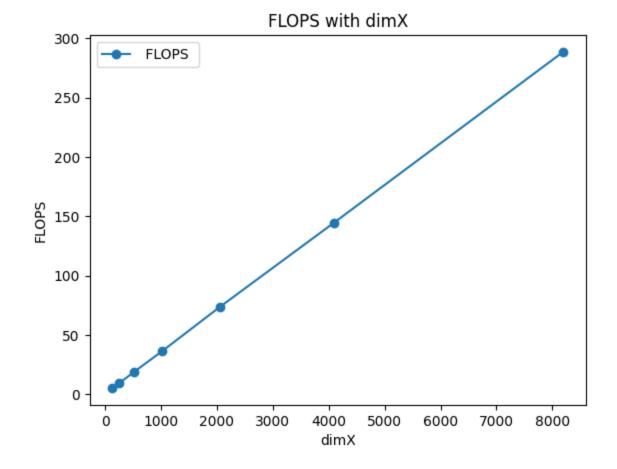


The plot has an outlier (for size 0.9E7). Other than that, the general outcome seems to lead to the fact that segment size has no strong impact on performance – that is, execution time linearly grows with segment size.

Exercise 3

Question 1

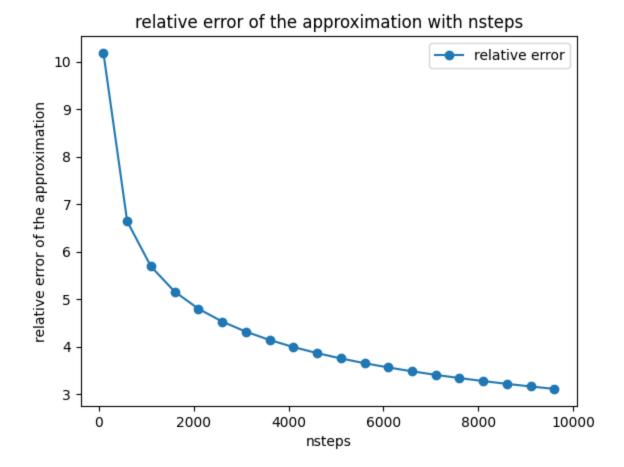
We fixed the step at 100, and continuosly increased the step by doubling it, from $128\ {\rm to}\ 12800$ (not inclusive).



From the plot, we noticed that the amount of floating point operations is basically linearly related to the increase of input data.

Question 2

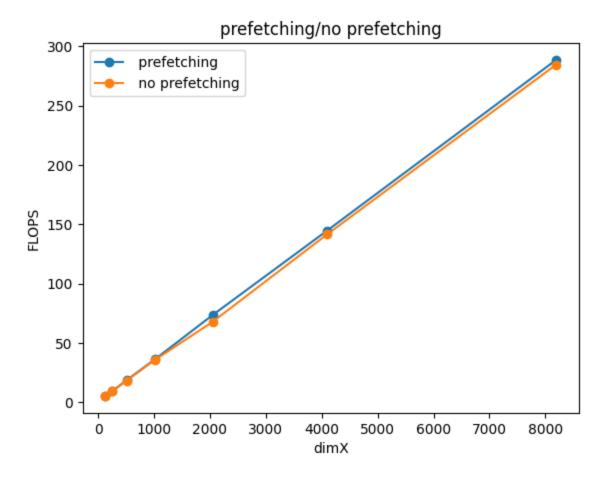
We fixed, as mentioned in the question's statement, dim X at 1024, and the steps range from 100 to 10000, increasing by 500.

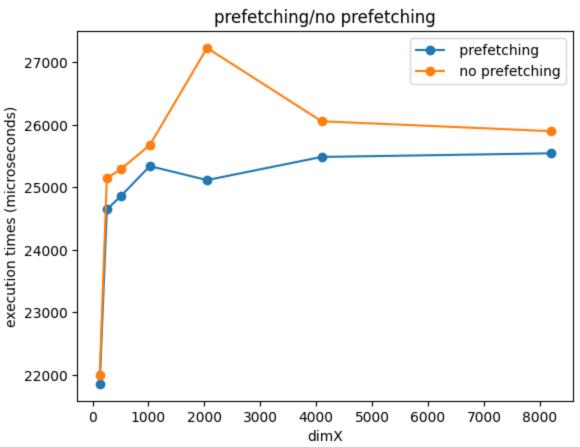


From the figure, we can find that the relative error decreases exponentially as the number of iterations increases.

Question 3

We plotted two plots for this question: one comparing FLOPS, and one comparing execution time, for each configuration (with and without prefetching):





As we can see, the amount of FLOPS is kept more-or-less similar with increasing $\dim\!X$ values; however, the execution time decreases a lot with prefetching, as expected!