# 3. LINEAR REGRESSION

In the below example, we will be working on a housing dataset trying to create a model to predict housing prices based upon the existing features

```
1 from google.colab import drive
2 drive.mount('/content/drive')
    Mounted at /content/drive

1 import pandas as pd
2 import numpy as np
3
4 df=pd.read_csv('/content/drive/MyDrive/ML Lab/USA_Housing.csv')
5 df.head()
```

```
Avg.
                                        Avg.
                    Avg.
                              Area
                                        Area
     Avg. Area
                    Area
                                                       Area
                            Number
                                      Number
                                                                    Price
        Income
                                                Population
                   House
                                of
                                           of
                     Age
                             Rooms
                                    Bedrooms
                                                                            208 Michael
0 79545.458574 5.682861 7.009188
                                         4.09 23086.800503 1.059034e+06
                                                                              674\nLaur
```

1 df.describe() #---gives an account of statistical numbers of the dataframe

	Avg. Area	Avg. Area	Avg. Area	Avg. Area Number	Area	
	Income	House Age	Number of Rooms	of Bedrooms	Population	Price
count	5000.000000	5000.000000	5000.000000	5000.000000	5000.000000	5.000000e+03
mean	68583.108984	5.977222	6.987792	3.981330	36163.516039	1.232073e+06
std	10657.991214	0.991456	1.005833	1.234137	9925.650114	3.531176e+05
min	17796.631190	2.644304	3.236194	2.000000	172.610686	1.593866e+04
25%	61480.562388	5.322283	6.299250	3.140000	29403.928702	9.975771e+05
50%	68804.286404	5.970429	7.002902	4.050000	36199.406689	1.232669e+06
75%	75783.338666	6.650808	7.665871	4.490000	42861.290769	1.471210e+06
max	107701.748378	9.519088	10.759588	6.500000	69621.713378	2.469066e+06

#### Divide the dataset into data and labels

#### Divide the dataset into train and test dataset

```
1 from sklearn.model_selection import train_test_split
2
3 X_train,X_test,y_train,y_test = train_test_split(X,y,test_size=0.2,random_state=10)
4 #---random_state gives us the randomness in the split of the dataset
```

#### Create and Train the Model

```
1 from sklearn.linear_model import LinearRegression
2
3 lm=LinearRegression()
4 lm.fit(X_train,y_train)
    LinearRegression()
```

#### **Evaluating the Model**

create the dataframe of the coefficients and their corresponding features

```
1 cdf=pd.DataFrame(lm.coef_,X.columns,columns=['Coeff'])
2 cdf
```

```
      Avg. Area Income
      21.581548

      Avg. Area House Age
      165387.561302

      Avg. Area Number of Rooms
      119480.880523

      Avg. Area Number of Bedrooms
      1261.559755

      Area Population
      15.233034
```

#### Predictions

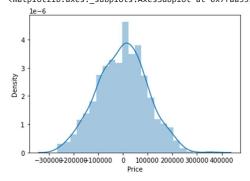
- 1 predictions=lm.predict(X\_test)
- 2 print(predictions)
- 3 #----prints the predicted prices of the test data

 $[1195058.57686777\ 1185265.81533394\ 1046786.18912141\ 827779.10087163$ 1485163.51852817 542138.67656906 2473734.91051554 1447749.45072346 1322766.64693212 1137661.55592712 1373281.5332969 1719966.99319518 1372477.12886964 521453.39951913 1412349.85322239 1074289.43772196 959129.69791297 1125293.74910385 1281045.09627646 1009354.62576307 788527.61237036 1070710.32466421 1286070.3134668 1054795.95470599 1248708.19974997 1446840.1040186 376036.04699424 1275418.65003585 1204407.28849144 1500191.62082191 1634136.01083338 1579737.86341595 1492533.30221774 380169.03592358 1813542.15699057 1216232.59480279 1556216.5663798 1070938.6827649 1231003.47995495 1076791.63249564  $1005529.40900257\ 1788883.43344541\ 1037652.18880185\ 1435240.71184002$ 833401.69258938 888585.17957254 1135122.87341006 906362.57346584 1315708.06079081 1504142.03564301 1039185.53538879 1100211.37049307 1384869.6553268 1200247.79396012 1434283.21881892 1033550.96298737 1308054.92681456 1040966.53077915 1248892.81897506 1688966.68947409 1294565.23743182 1154012.07633326 1564396.41306413 1066515.06839952 1063853.95040258 1171627.9585449 1330809.39741521 1396718.44425596 914942.29440672 333028.97528029 1237403.44772102 1510837.76176718 644750.15151063 890879.21651868 561199.30038835 1413413.82346402 472760.61534687 856001.16826853 2003467.44151865 1610624.07784381 1298855.40895054 1563258.7483035 1218826.13829269 1364902.47502827  $1493072.15464443\ 1262157.34687643\ 1080617.08335814\ 760089.58707337$ 1592897.06834013 1126811.03584491 861770.6090358 1308696.32249411 815552.13446182 1503897.13579057 1147240.98912237 1223929.46857118 1724150.52782489 1330634.35787643 1432688.8622638 1427608.45516375 779452.86423463 995360.44072375 1261800.00071935 1486224.23072818 1218782.07854204 755852.73325812 1352259.10424676 1185127.84174571 1324217.88846749 1010631.87458897 1000582.6347852 1778881.85154317 1427335.6893585 1271756.09625649 1412394.42094484 897892.66292713 929347.71354236 1331906.86763277 731693.85549888 1107208.23008267 1017453.35228256 762051.68849156 1217293.80108105 747625.61786101

```
1201468.75392815 1757166.74580624 1432014.58743352 984187.06090841
1375938.1885741
                 609299.48157038 1036197.19617444 1736354.90875664
1361471.78344618 1382330.9036085 1568087.78658757 1270445.82840212
 885080.67812009 1040058.30656772 1102976.25213826 1118835.90845265
1489732.89562434 1128255.00324122 1646505.20318664 1440165.690414
1084741.99909048 955969.23595788 1192497.25155405 1414903.31064779
1845356.37914496 698862.39398656 1233742.00398621 1511835.46427449
1384891.62036136 1059491.0734903 1539483.13746397 1767648.51854636
1151210.60691603 1218701.18492515 1374614.04015617 966751.09234745
1347387.24249331 1062852.33147057 621044.98096609 1290526.94127037
1123553.33935298 993429.6251153 1072347.8721411 1181495.30695054
1102252.08139149 629646.78418936 1495388.09203582 1217162.64767695
1114602.21444291 976992.69072691 1700640.94690627 1391595.79239828
                 729329.83946897 1157455.80621576 1249597.9848707
1285197.26439415
 491984.92936959
                 745846.74620137 1204018.49724276 1292494.85489027
1252895.20506425 977031.60192752 908042.95682114 1394565.15269751
 487958.43548616 1571770.63530504 1478145.40758478 1457616.35153603
1318327.99356959 1325392.08057379 1481471.74655303 1460608.13910621
1414373.63824735 1359773.67803581 528380.68186885 1060647.64533498
1289435.4830723 1823929.44265541 1421593.27319543 1794401.02847611
 669908.43087636 1270861.37336913 988002.49538576 1541541.58363554
 467777.72697182 1771003.64753243 1424864.17752307 1683483.08623522
1184964.84964056 1111399.92039405 1213277.96438038 1106829.68779565
1153682.50921279 1076046.46724822 1751807.27769856 665213.58646646
1450168.34176578 820891.89450544 1349511.8948598 1550570.64756427
1164113.01637004 1274478.96601775 2047647.6704336 1245398.7452038
1084428.25231552 969761.79124351 1373249.70752477 1540610.42229149
```

```
1 import seaborn as sns
2
3 sns.distplot((y_test-predictions))
4 #---Plotting the residuals i.e, |Original values -predicted values|
5 #---If you have normally distributed residuals then the model is correct choice
```

/usr/local/lib/python3.8/dist-packages/seaborn/distributions.py:2619: FutureWarning: `distplot` is a d warnings.warn(msg, FutureWarning)
<matplotlib.axes.\_subplots.AxesSubplot at 0x7faa355acb50>



#### **Evaluating Metrics**

#### Regression Evaluation Metrics

Here are three common evaluation metrics for regression problems:

Mean Absolute Error (MAE) is the mean of the absolute value of the errors:

$$\frac{1}{n}\sum_{i=1}^n |y_i-y_i|$$

Mean Squared Error (MSE) is the mean of the squared errors:

$$\frac{1}{n} \sum_{i=1}^{n} (y_i - y_i)^2$$

Root Mean Squared Error (RMSE) is the square root of the mean of the squared errors:

$$\sqrt{\frac{1}{n}} \sum_{i=1}^{\infty} (y_i - y_i)^2$$

Comparing these metrics:

- MAE is the easiest to understand, because it's the average error.
- MSE is more popular than MAE, because MSE "punishes" larger errors, which tends to be useful in the real world.
- $\bullet \ \ \textbf{RMSE} \ \text{is even more popular than MSE, because RMSE is interpretable in the "y" units.}$

All of these are loss functions, because we want to minimize them.

```
1 from sklearn import metrics
2
3 MAE=metrics.mean_absolute_error(y_test,predictions)
4 MSE=metrics.mean_squared_error(y_test,predictions)
5 RMSE=np.sqrt(MSE)
6 print('MAE=',MAE)
7 print('MSE=',MSE)
8 print('RMSE=',RMSE)
```

MAE= 80530.8689222398 MSE= 10074785208.854475 RMSE= 100373.22954281422

### → 1) Polynomial Regression

Position Level

0 Business Analyst1 Junior Consultant

#### **Comparing Linear Vs polynomial**

```
1 import numpy as np
2 import matplotlib.pyplot as plt
3 import pandas as pd
4
5 dataset = pd.read_csv('/content/drive/MyDrive/ML Lab/Position_Salaries.csv')
6 print(dataset)
7 X = dataset.iloc[:, 1:2].values #1:-1 is same
8 y = dataset.iloc[:, -1].values
9 print('________')
10 print(X)
11 print(y)
```

```
2 Senior Consultant
                              60000
                         3
                              80000
            Manager
    Country Manager
                             110000
                             150000
     Region Manager
            Partner
                             200000
     Senior Partner
                        8
                             300000
            C-level
                         9
                             500000
9
                CE0
                        10 1000000
[[ 1]
[ 2]
  3]
 [ 4]
  5]
 [ 6]
  7]
  8]
  9]
 [10]]
                          80000 110000 150000 200000 300000 500000
 1000000]
```

50000

Training the Linear Regression model on the whole dataset

```
1 from sklearn.linear_model import LinearRegression
2 lin_reg = LinearRegression()
3 lin_reg.fit(X, y)
    LinearRegression()
```

Training the Polynomial Regression model on the whole dataset

```
1 from sklearn.preprocessing import PolynomialFeatures
2
3 poly_reg = PolynomialFeatures(degree = 1)  #b0 + b1x + b2x^2 + b3x^3 + ....
4 X_poly = poly_reg.fit_transform(X)
5 lin_reg_2 = LinearRegression()
6 lin_reg_2.fit(X_poly, y)
    LinearRegression()
```

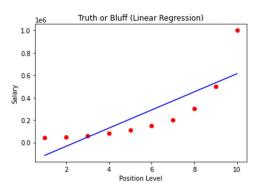
```
PolynomialFeatures( degree=2 (--degree of polynomial features),  interaction\_only=False(produces\ interaction\ features\ if\ true,\ ignores\ x[1]\ ^2\ or\ x[1]^3),
```

include\_bias=True(----If True (default),then include a bias column, the feature in which all polynomial powers are zero),

Visualising the Linear Regression results

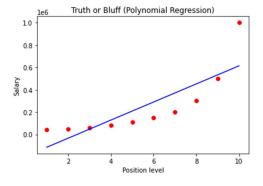
)

```
1 plt.scatter(X, y, color = 'red')
2 plt.plot(X, lin_reg.predict(X), color = 'blue')
3 plt.title('Truth or Bluff (Linear Regression)')
4 plt.xlabel('Position Level')
5 plt.ylabel('Salary')
6 plt.show()
```



### ▼ Visualising the Polynomial Regression results

```
1 plt.scatter(X, y, color = 'red')
2 plt.plot(X, lin_reg_2.predict(poly_reg.fit_transform(X)), color = 'blue')
3 plt.title('Truth or Bluff (Polynomial Regression)')
4 plt.xlabel('Position level')
5 plt.ylabel('Salary')
6 plt.show()
```



## Support Vector Regression (SVR)

```
10 regressor = SVR(kernel = 'rbf')
11 regressor.fit(X, y)
12 regressor.predict([[6.5]])
```

array([130001.82883924])

```
----Arguments----
SVR(kernel='rbf' (--'linear', 'poly', 'rbf', 'sigmoid', 'precomputed' or a callable.default='rbf'),
degree=3(--- If we are using 'poly' kernel then it has to be specified, otherwise ignored by other kernels),
 gamma='scale'(---If gamma is large, then variance is small implying the support vector does not have wide-spread influence. large gamma leads to h
 {'scale', 'auto'} ,Kernel coefficient for 'rbf', 'poly' and 'sigmoid'.
 If gamma='scale' then it uses 1 / (n_{\text{features}} * X.var()) and gamma='auto the it uses 1 / n_{\text{features}}),
coef0=0.0 (---Independent term in kernel function.Significant for 'poly' and 'sigmoid'),
 tol=0.001 (---Tolerance for stopping criterion.default=1e-3),
C=1.0 (---C is the parameter for the soft margin cost function, which controls the influence of each individual support vector; this process invol
 epsilon=0.1 (---It controls the width of the \epsilon-insensitive zone, used to fit the training data. The value of \epsilon can affect the number of support ve
 shrinking=True,
 cache_size=200 (---Specify the size of the kernel cache (in MB)),
 max_iter=-1 (---Hard limit on iterations within solver, or -1 for no limit.default=-1),
)
```