List of Experiments

S. No.	Topic(s)	CO	PO
1	A. Write a simple calculator program in C/C++/JAVA B. Implementation of basic Flex programs	1	1
2	Implementation of Lexical Analyzer using FLEX.	1	2,5
3	Implementation of calculator using FLEX and BISON.	1	2,5
4	Write a program for Left recursion/Left factoring in C/C++/JAVA	2	2,5
5	Write a program for to Compute FIRST & FOLLOW for Top-Down Parsing and predictive parsing table in C/C++/JAVA	2	2
6	Write a program for Shift Reduce Parsing in C/C++/JAVA	3	2
7	Write a program for Computation of LEADING AND TRAILING in C/C++/JAVA	3	2
8	Write a program for Computation of LR (0) items in C/C++/JAVA	3	2
9	Write an program for Intermediate code generation as Prefix and Suffix in C/C++/JAVA	4	3
10	Write an program for Intermediate code generation as Quadruple, Triple, Indirect triple in C/C++/JAVA	4	3
11	Write a program to generate machine code for a simple statement in C/C++/JAVA	5	3
12	Implement backpatching in C/C++/JAVA	5	3

Procedure

Input: Grammar G
Output: Parsing table

1. Remove left recursion from the grammar G.

a. For each non-terminal A in G, do the following:

i. If there exists a production A -> Aα | β,
where β is not starting with A, split it into:
A -> βA'
A' -> αA' | ε (epsilon), where ε represents the empty string.

ii. If A -> β1 | β2 | ... | βn are the productions of A after step 1,
remove βi if βi starts with A.

2. Compute FIRST sets for each non-terminal and terminal symbol in the grammarG.

a. Initialize FIRST set for each terminal as itself.

b. For each non-terminal A in G, initialize FIRST(A) as an empty set.

c. Repeat until no changes in FIRST sets:

i. For each production A -> α, do the following:

- If α is terminal or ε, add α to FIRST(A).
- If α is non-terminal, add all symbols from FIRST(α) to FIRST(A), except ε.
- If ε is in FIRST(α), continue to the next symbol.

3. Compute FOLLOW sets for each non-terminal in the grammar G.

a. Initialize FOLLOW set for the start symbol S as { $ }, where $ is the end marker.

b. Repeat until no changes in FOLLOW sets:

i. For each production A -> αBβ, where B is a non-terminal:

- Add all symbols from FIRST(β) to FOLLOW(B), except ε.
- If β is ε or the symbols in β derive ε, add all symbols from FOLLOW(A) to FOLLOW (B)

4. Construct the parsing table.

a. Initialize parsing table M with empty entries.

b. For each production A -> α in G, do the following:

i. For each terminal a in FIRST(α), add A -> α to M[A, a].

- If α derives ε, add A -> α to M[A, b] for each terminal b in FOLLOW(A).

ii. If ε is in FIRST(α), for each terminal b in FOLLOW(A), add A -> α to M[A, b].

5. Return the parsing table M.

TASK TO BE GIVEN TO THE STUDENTS - KINDLY GIVE THE INPUT CASES DIFFERENTLY FOR EACH STUDENT -REFER BELOW

1. **S -> abS | aSb**
2. $S \rightarrow aSB \mid aBb \mid aSb$
3. $S \rightarrow aCd \mid aT$, $C \rightarrow a \mid ab$, $T \rightarrow ccd \mid ddc$
4. $A \rightarrow bAAaaA \mid bAAaAb \mid bAc \mid a$
5. $S \rightarrow iEtS / iEtSeS / a$, $E \rightarrow b$
6. $A \rightarrow aAB / aBc / aAc$
7. $S \rightarrow aSSbS / aSaSb / abb / b$
8. $S \rightarrow a / ab / abc / abcd$
9. $S \rightarrow aAd / aB$, $A \rightarrow a / ab$, $B \rightarrow ccd / ddc$
10. $S \rightarrow S + S \mid S * S \mid a$
11. $A \rightarrow ABd \mid Aa \mid a$, $B \rightarrow Be \mid b$

13. $S \rightarrow (L) / a$
    $L \rightarrow L , S / S$
14. $S \rightarrow Sa / \varepsilon / bB / bD$
    $B \rightarrow b$
    $D \rightarrow d$
15. $E \rightarrow E + T|T$
    $T \rightarrow T * F|F$
    $F \rightarrow (E)|id$
16. S → a | ^ | (T)
    T → T, S | S
17. S → SS+ | SS* | a
18. S → S0s1s | 01