: : R4136 1. Python. import numpy as np import matplotlib.pyplot as plt import os import random import scipy import torch torch.cuda.synchronize() torch.cuda.empty_cache() cuda = torch.device('cuda') print(torch.cuda.get_device_properties(cuda)) _CudaDeviceProperties(name='NVIDIA GeForce RTX 3080 Laptop GPU', major=8, minor=6, total_men 2. name = random.choice(os.listdir("dataset")) # name = 'testLab1Var7.csv' print(f"Dataset: {name}") dataset = np.genfromtxt(f"dataset/{name}", delimiter=',') dataset = [dataset[:, i] for i in range(dataset.shape[1])] title = ["time", "current", "voltage"] dataset_dict = dict(zip(title, dataset)) Dataset: testLab1Var11.csv 3. n n n

 $time_period = 0.1$

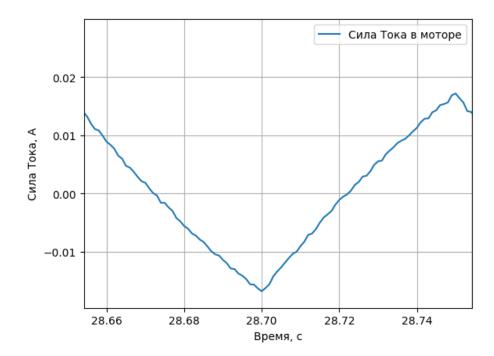


Figure 1: png

```
plt.plot(dataset_dict["time"], dataset_dict["voltage"])
plt.xlim(time_interval)
plt.xlabel(' , ')
plt.ylabel(' , ')
plt.legend([" "])
plt.grid()
```

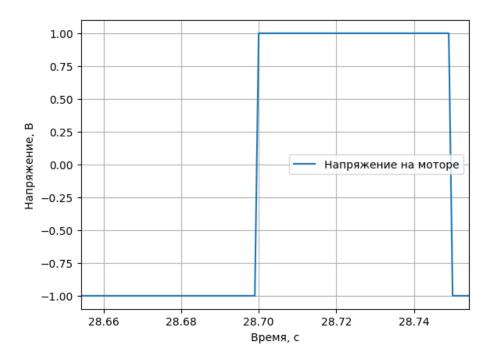


Figure 2: png

$$\begin{cases} u = e + R \times i + L \times \frac{di}{t} \\ M - M_C = J \frac{d\omega}{t} \\ M = C_M \times \Phi \times i \\ e = C_\omega \times \Phi \times \omega \end{cases}$$

() ,

M -

M -

 ω -

R -

L -

J -

$$\omega = 0 \rightarrow e = C_\omega \times \Phi \times \omega = 0 \rightarrow u = R \times i + L \times \frac{di}{t}$$

$$L \times \frac{di}{t} = u - R \times i$$

$$\frac{di}{t} = \frac{u}{L} - \frac{R}{L} \times i$$

$$s = \frac{d}{t} \qquad :$$

$$s\times i = \frac{u}{L} - \frac{R}{L}\times i$$

$$G_c = \frac{i}{u} :$$

$$G_c(s) = \frac{1}{L\times(s+\frac{R}{L})}$$

Forward Euler (difference) discretization, :

$$\begin{split} s &= \frac{z-1}{T_d} \\ G_d(z) &= G_c(s = \frac{z-1}{T_s}) = \frac{1}{L \times (\frac{z-1}{T_s} + \frac{R}{L})} \\ G_d(z_i = z^{-1}) &= \frac{T_d}{R \times T_d - L + L \times z_i^{-1}} \\ G_d(z_i) &= \frac{T_d \times z_i}{L - L \times z_i + R \times T_d \times z_i} \\ &z^{-1} \colon \\ G_d(z = z_i^{-1}) &= \frac{T_d \times z^{-1}}{L - L \times z^{-1} + R \times T_d \times z^{-1}} = \frac{i(z)}{u(z)} \\ T_d \times u(z) * z^{-1} &= i(z) * (L - L \times z^{-1} + R \times T_d \times z^{-1}) \\ T_d \times u(z) * z^{-1} &= i(z) * L - i(z) * L \times z^{-1} + i(z) * R \times T_d \times z^{-1} \\ i(z) * L &= T_d \times u(z) * z^{-1} + i(z) * L \times z^{-1} - i(z) * R \times T_d \times z^{-1} \\ i(z) &= u(z) * z^{-1} \times (\frac{T_d}{L}) + i(z) * z^{-1} \times (\frac{R \times T_d - L}{L}) \\ i(z) &= u(z) * z^{-1} \times (\frac{T_d}{L}) - i(z) * z^{-1} \times (\frac{R \times T_d - L}{L}) \\ \end{split}$$

 $i_k = u_{k-1} \times (\frac{T_d}{L}) - i_{k-1} \times (\frac{R \times T_d - L}{L})$ $Y_{n\times 1}=i_{1:end}$ $X_{n \times 2} = [i_{0:end-1} | u_{0:end-1}]$ $K_{2\times 1} = [\frac{T_d}{L}|\frac{R\times T_d - L}{L}]^T$ Y = X * KX = np.transpose(np.concatenate([np.array([dataset_dict["voltage"],]), np.array([dataset_dict["voltage"],])) Y = np.transpose(np.array([dataset_dict["current"],])) # X : n*k# K : k*1 #X * K = Y# [U(k-1);I(k-1)] * K = [I(k)]X = X[:-1, :] # U(k-1); I(k-1)Y = Y[1:, :] # I(k)print(X.shape) print(Y.shape) X_tensor = torch.tensor(X, device=cuda, dtype=torch.float64) Y_tensor = torch.tensor(Y, device=cuda, dtype=torch.float64) (100000, 2)(100000, 1)Moore-Penrose $Y = X \times K + e$

def get_pseudoinverse(matrix):

matrix_svd = torch.svd(matrix)

```
matrix_psi = matrix_svd.V
    matrix_psi = torch.mm(matrix_psi, torch.diag(1 / matrix_svd.S))
    matrix_psi = torch.mm(matrix_psi, matrix_svd.U.T)
    return matrix_psi
X_psi = get_pseudoinverse(X_tensor)
print(X psi.shape)
print(X_tensor.shape)
torch.Size([2, 100000])
torch.Size([100000, 2])
                            Χ
                                       Χ
                                                              :
print(torch.mm(X_psi, X_tensor))
tensor([[ 1.0000e+00, 3.7524e-19],
        [-2.7756e-16, 1.0000e+00]], device='cuda:0', dtype=torch.float64)
X \times K = Y \to K = X^+ \times Y, \quad X^+ - 
                                              X
K_approx = torch.mm(X_psi, Y_tensor)
print(K_approx)
tensor([[6.9068e-04],
        [9.9025e-01]], device='cuda:0', dtype=torch.float64)
K = K_approx.cpu()
Td = 0.001
L = Td / K[0]
R = (L - K[1] * L) / Td
                  R = ', R.numpy()[0], ' ')
print('
                  L = ', L.numpy()[0], ' ')
print('
            R = 14.12081504070506
            L = 1.4478479999320457
R = 1 / K[0] * (1 - K[1])
T = -Td / np.log(K[1])
L = T * R
print('R = ', R.numpy()[0], ' Ohm')
print('L = ', L.numpy()[0], ' Hn')
R = 14.120815040705097 Ohm
L = 1.4407760594432346 Hn
```

```
5
                            Y
                                                X \times K,
     e = Y - X \times K
         S(K) = \sum e_i^2 = e^T \times e = (Y - X \times K)^T \times (Y - X \times K)
                             \sigma_Y = \sqrt{\frac{S(K)}{n}}
e2_Y = torch.mm(Y_tensor.T - torch.mm(X_tensor, K_approx).T, Y_tensor - torch.mm(X_tensor, N_approx)
sigma2_Y = torch.divide(e2_Y, Y_tensor.shape[0])
sigma Y = torch.sqrt(sigma2 Y)
sigma_Y = sigma_Y.cpu().numpy()[0][0]
print(sigma_Y)
0.00030117986995266334
Y_predict = torch.mm(X_tensor, K_approx)
Y_predict = Y_predict.cpu().numpy()
# print(Y_predict.T[0].shape)
# print(dataset_dict["current"][1:].shape)
plt.plot(dataset_dict["time"][1:], dataset_dict["current"][1:], 'b')
plt.plot(dataset_dict["time"][1:], Y_predict.T[0], 'r--')
plt.xlim(time_interval)
plt.xlabel(' , ')
plt.ylabel(' ,
                                            "])
plt.legend(["
plt.grid()
                                                                   Y
# print(Y_predict.T[0].shape)
# print(dataset_dict["current"][1:].shape)
max_offset = np.max(np.abs(dataset_dict["current"][1:] - Y_predict.T[0]))
plt.plot(dataset_dict["time"][1:], dataset_dict["current"][1:] - Y_predict.T[0], 'g')
```

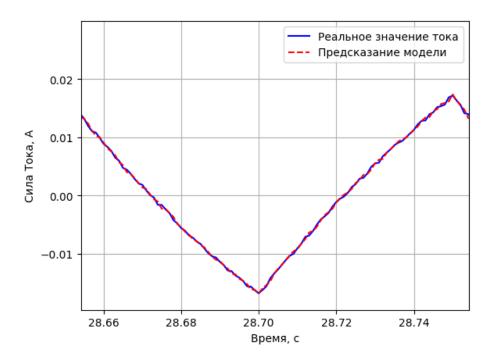


Figure 3: png



Figure 4: png